What's the Relationship?

Unit 1 - Lab 5

Directions: Follow along with the slides and answer the questions in **BOLDED** font in your journal.

I have data, now what?

• Load the cdc data set and run the following code in RStudio:

View(cdc)

- Using only the output of the code, write down something you think is interesting about the data.
- How interesting do you think your observation is? Would anybody else find it interesting if you told them?

Finding patterns in data.

- To discover (really) interesting observations or relationships in data, we need to find them!
 - Which is difficult if we only look at the data itself.
- The best tool for finding patterns is often ... your own eyes.
 - Plots are an excellent way to help your eye search for patterns.

What do you observe?

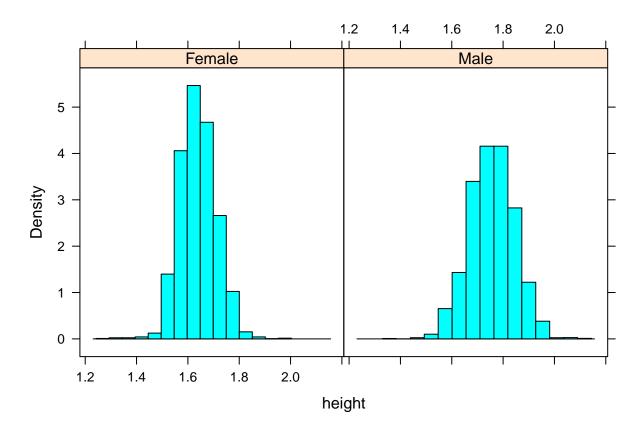
• Start by looking at a plot you've seen before:

```
histogram(~height, data = cdc)
```

- How many variables did you need to make this plot?
- What sorts of observations can you make about the height of our data's high schoolers?

What do you observe now?

• Using what you learned in lab 1.4, create this plot BUT stack one graph on top of the other.

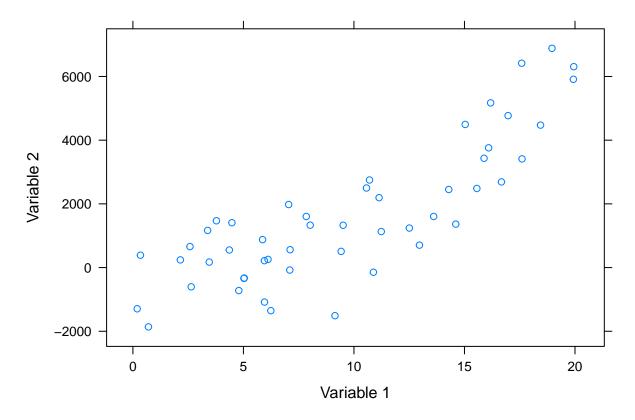


- How many variables did you need to make your plot?
- In your plot, what do you notice about the heights of males and females?
- Compare your plot to the one above. Which is easier to see the difference in heights?

Multiple variable plots

- ullet The plot you just made is an example of a multiple variable plot
- Often shorten this to multivariate plot
- Variable 1: height
- Variable 2: gender
- Multivariate plots are tools for finding relationships between data.
- Let's make some new multiple variable plots you haven't created before!

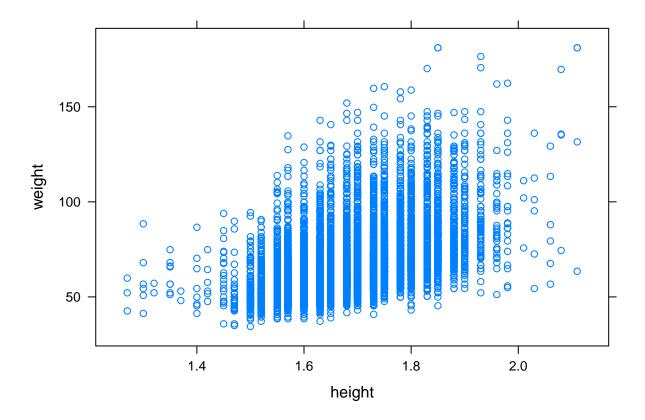
Scatter plots



- Useful for viewing how one *numerical* variable relates to another *numerical* variable.
- Before we begin:
- How do you think height and weight are related?

Creating scatter plots

- To create scatter plots, use the following function: xyplot (y \sim x, data = _____)
- ullet Use the height and weight variables to create this plot:



Answer the questions based on your plot

- As people grow taller, what happens to their weight?
- Pick a single height, does weight vary a lot or a little? Why do you think that is?
- Does the weight of shorter people vary less, more, or the same amount as taller people?
- What happens if you swap the *height* and *weight* variables in your code? Does the relationship between the variables change?

More complex scatter plots

• What happens to your plot if you run this code:

```
xyplot(weight ~ height | gender, data = cdc)
```

- How is this code different than the one you ran previously?
- Do you think the relationship between *heights* and *weights* for *males* and *females* are more similar or different?
- How many variables did you need to create this plot?

Adding some color

- In the previous plot, we looked at how different gender's heights and weights varied seperately.
- What if we wanted to overlay (combine) them?

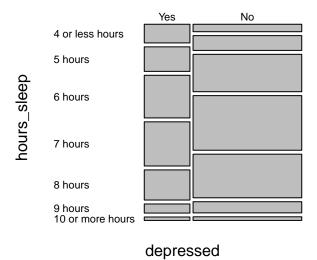
• Run the following code:

```
xyplot(weight ~ height, data = cdc, groups = gender)
```

• How is this graph different than the previous graph? What changed in the code to make it different?

Mosaic Plots

cdc

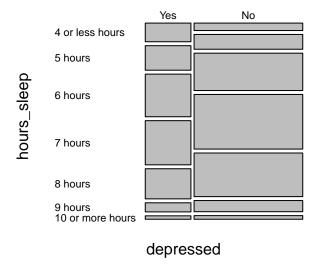


- Scatter plots are helpful for finding relationships between two *numeric* variables.
- Mosaic plots are helpful for finding relationships between two categorical variables.
- We use the following function to create them: ** mosaicplot (y \sim x, data = ____, las = 1) NOTE:** We include las=1 to ensure our labels are readable.

Create the following:

• Use the variables depressed and hours_sleep to create this mosaic plot:

cdc



Playing with labels

```
mosaicplot(depressed~hours_sleep, data=cdc, las=1)
```

- What happens to the labels if you set las = 0? Or las = 2?
- What happens if you don't include las = 1 at all?

Interpreting mosaic plots

- To interpret mosaic plots, we need to look for differences in the width and height of the boxes.
- For the mosaic plot you've created:
- The width of the boxes is the **percentage** of students who said they have or have not felt depressed.
- The height of the boxes is the **percentage** of students who said they sleep however many hours.
- The width/height of the entire plot represents 100 percent of the students.
- Compare the width of the Yes and No stack for the depressed variable:
- Have more high schoolers reported feeling depressed or not depressed?
- Now look at the heights of the boxes in the *yes* stack:
- For high schoolers who have reported feeling depressed, which are the two most common amounts of sleep?
- Look at the heights of the boxes in the no stack:
- For high schoolers who not have reported feeling depressed, which are the two most common amounts of sleep?
- Finally, look at the people who reported sleeping 4 or less hours:

• How does the percentage of students who reported feeling depressed and sleeping 4 or fewer hours compare to the students who did not report feeling depressed and sleeping 4 or fewer hours?	