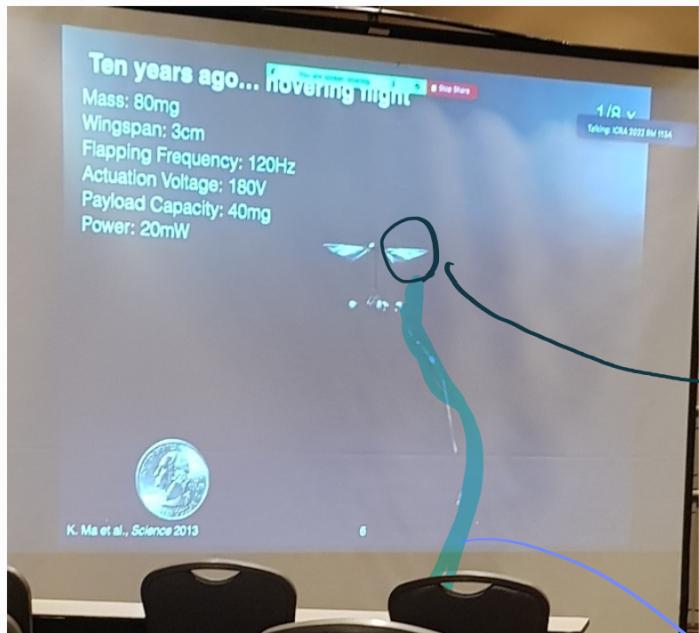


# Mon 09:00 Workshop (SoRo)

\* Bioinspiration 잠자리 로봇

\* Micro robots (still constrained in Lab environments)

↳ autonomous platform needed.



↳ 요즘 잠자리로봇을 만든 분들,

\* mesoscale manufacturing

\* piezoelectric bimorphs

날개 한땀한땀...

↳ locomotion generation

"control strategy",

tethered system !!!

\* Power & time 관해서.

actuation signals / mass & payload 문제.

⇒ voltage amplifier

\* high voltage & time-varying signal

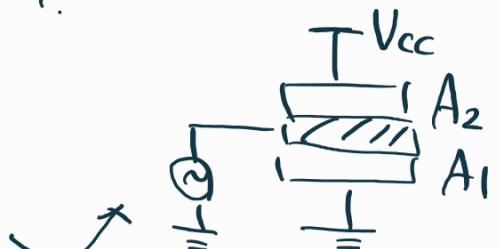
⇒ PV 태양전지를 사용

\* mass 줄이기

+ force 효율 높이기

↳ mass 줄여나가는 과정

FLYING SOLO



power amp을 위한 고장

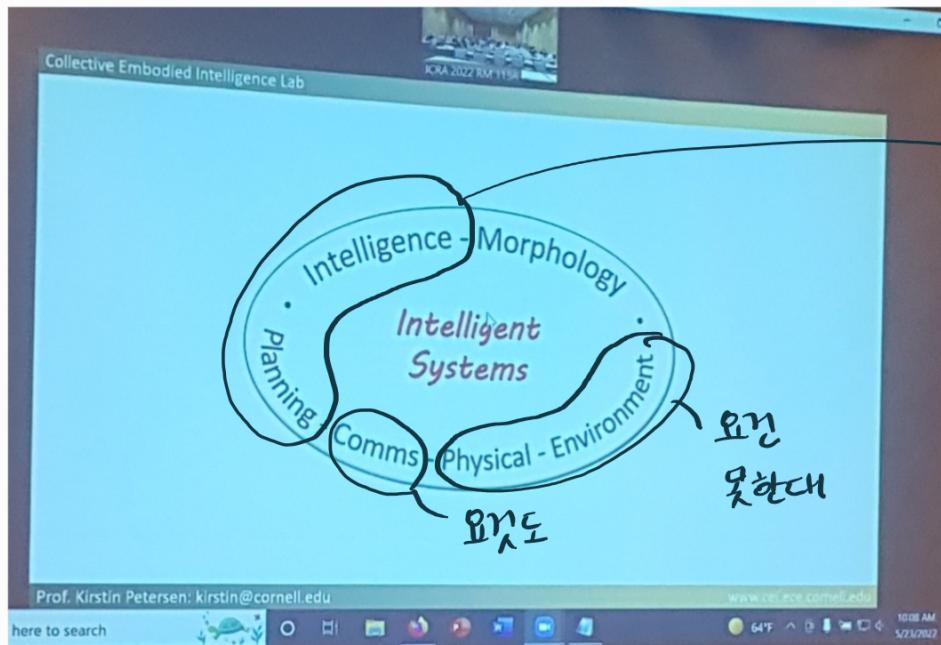


\* 1회용 연구로 끝나는게 아쉬운

내 연구들...?

Full story를 만들기 위한 고장 \*

(10:00 Talk)



자기 lab 학생들 대체로  
매우 잘함

"modular soft robot"  
↑ robot collectives?

\* "distributed", sensor & actuator network.

Deformable robot collectives - planning (A\*부터 복잡한  
것까지)

leveraging ↗

"Gap filling" (소프트 로봇이 할 수 있는)

↑ simulation-based \* ⇒ hardware-level  
상용화 가능!!

(genetic algorithm 등)

\* 문제이해도,

## Mon (13:30) Workshop (RL for Robotics)

\* safe-control-gym (safe-learning based control)

model-based control designs

hand-tuned control parameters.

- large prior uncertainties,

active decision making

COMPLEX  
- XITY  
(design,  
environment)

• 터이상 modeling + validation은 힘들다.

BUT

① prior knowledge availability

- data 얻는게 effort 필요.

② disturbances & noises

③ safety & constraint satisfaction.

\* SAFE robot learning.

(Safe learning in Robotics: From LB control to  
safe RL)

① system model

② cost function describes task

③ constraints

- soft constraints (encourage safety)
- probabilistic " (no violations w/  
high prob)
- hard " (no violations)

{ Prior, Data } → TUK

pure  
control

↑      ↗ pure RL

- \* safely learning uncertain dynamics
- \* RL encouraging safety & robustness
- \* safety certificate & filter

\* GAP b.w. learning-based vs control theorists.

↑ 교육 초기에 유익한 노력들을 많이 한다.

\* 정량화된 "metric"을 정의하는 것이 좋은가?

12:30- 13:30	Lunch Break
13:30- 14:30	safe-control-gym: a Unified Benchmark Suite for Safe Learning-based Control and Reinforcement Learning
14:30- 15:15	Automatic Hyperparameter Optimization
15:15- 16:00	Hyperparameter Tuning with Optuna
16:00- 16:15	Break

YES

정량적인 평가지표가 있으면.

NO

I task의 SOTA를 맞추기 위한 무의미한 시간 필요.

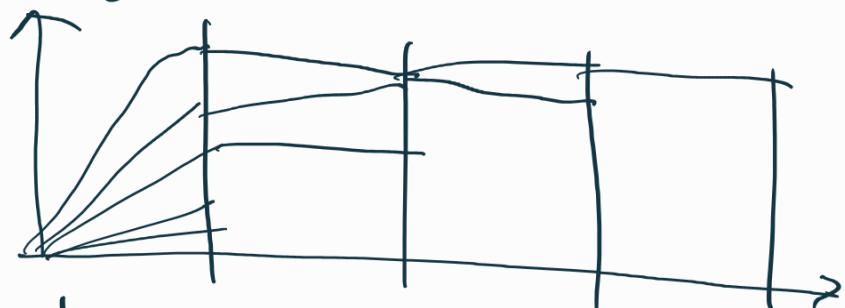
## \* Automatic Hyperparameter tuning

- n vs B/n tradeoff ↗ Fair comparison w/ baselines
- samplers (search algo.)
- schedulers (pruner)

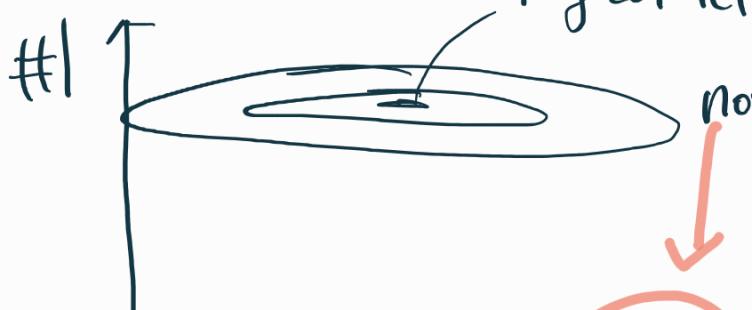
### \* n vs B/n tradeoff

$\frac{n}{B}$  ↘ Budget per config.

# configuration



### \* samplers.



not that important!

- Grid search 안정적
- random search 운 좋거나
- Bayesian Optimization

### \* scheduler.

### \* Hyperband ⇒ successive halving.

median pruner



① define search space

② define objective fcn.

③ sampler & pruner

import optuna

PL 202

# Mon 16:00 Workshop: Real-World Robot

# Realtime Robotics Lab

- # Robotics in Academia vs practicality (real life)
    - \* Industrial Robots
      - ↳ open-loop
      - no sensors (感知装置)
  - # Horizontal vs Vertical
    - { components (ex. processor) }  
와이어풀
  - # Know Your Market (= Reviewers)
  - \* Automation Costs
    - = operation cost + acquisition cost
  - \* Customer // Integrators integrate
  - \* Product means Reliability & Innovation
  - — —
  - "Intellectual property", ? 专利? Industrial产权 (controversial)
  - \* technology readiness level (TRL)

# Tue Plenary

"Humans" have cognitive bias w.r.t.  
intelligent agents.

"Support the needs" (bias trust)

CAN robot manipulate human behavior?

「When a Robot Tells You It Can Lie」

\* 거북 / 오류는 있지만 acceptable (robot interact with human)

「Embodiment Conditions」

Howard. 「Intelligent Agent Perception ...」

Robots improve our life.

**BUT** implications for healthcare, bias,  
data privacy

Biases { race, gender, age }

\* Addressing BIASES in ML Algorithms.

Robot gender?

성별 구분하지 않아도 AI 복수 실행  
참가자들은 모두 male로 간주

**BUT** 모두 gender를 부여하는 모든 성별을 "

여자 참가자가 남자 이미지의 표정을 구별하는 task를 부여받을 때

남자 recommendation이 더 많아 의존

(여자 이미지 구별과 비교했을 때)

## Tue Morning Technical Program

### \* Sensor fusion \*

- Lie Group 상에서 Gaussian Kernel의 중첩 model을 사용하는 방법
- Graph Attention Network-based localization.
  - \* Data \* 를 갖는 object Valuability를 중요 문제로 생각함.

## Tue Afternoon Technical Program

### \* Representation Learning, SLAM & Exploration \*



"latent representation"

NN 안쪽을 살펴보고 최적화

\* Robot communication,

+ interaction

\* 간단한 예제

→ 복잡한 예제 확장.

\* "Particle"

↑ 이미 많이 쓴.

"kernel herding"



Graph optimization 기반 방법이 많음

→ Task-specific Applications 많음.

무가 breakthrough 필요...?

\* ensemble KF (recursive

- LiDAR -

Bayesian filter)

\* Camera error

(글꼴 등으로 인한 reconstruction  
error) 보정을 위한

"알고리즘" 추가.

\* Point Cloud에 대한 연구 많음

\* "Global 기준"이 없다.

"RKHS (samples mapping)"

## Wed. Plenary Human-Machine Partnerships. (Julie Shah)

Robot이 직업을 원하는 것인가??

No 오히려 creating new works.

Err

로봇작업공간 접근불가 (No enter)

→ 사람과 공간 공유 but 그는 터프로트하는



(out of way)

① 로봇작업공간 드레인하거나 멈춰는 방법

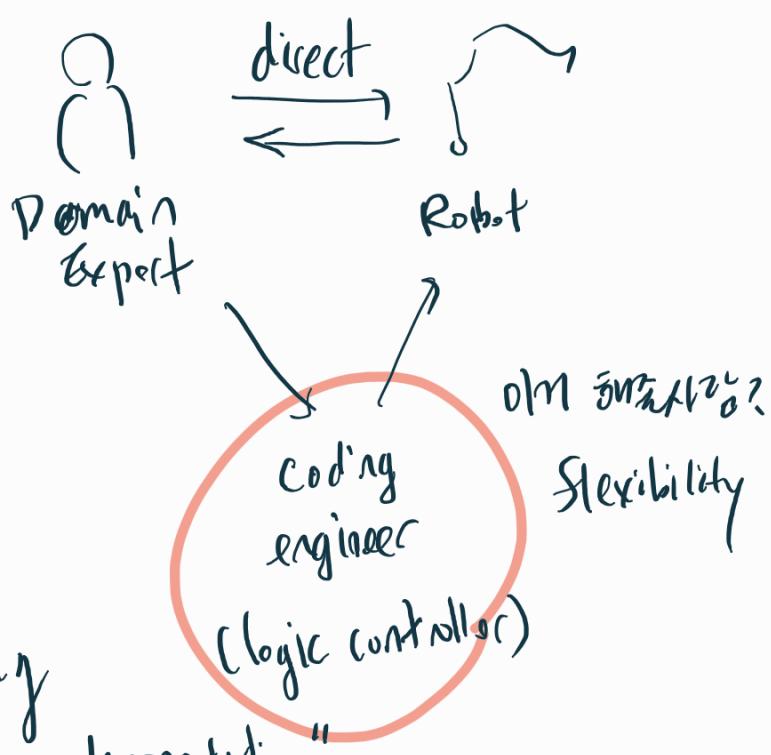
② sensing + interacting

③ human motion prediction & planning

\*LFP: task-level  
info 필요.

task-specific  
reacting!!.

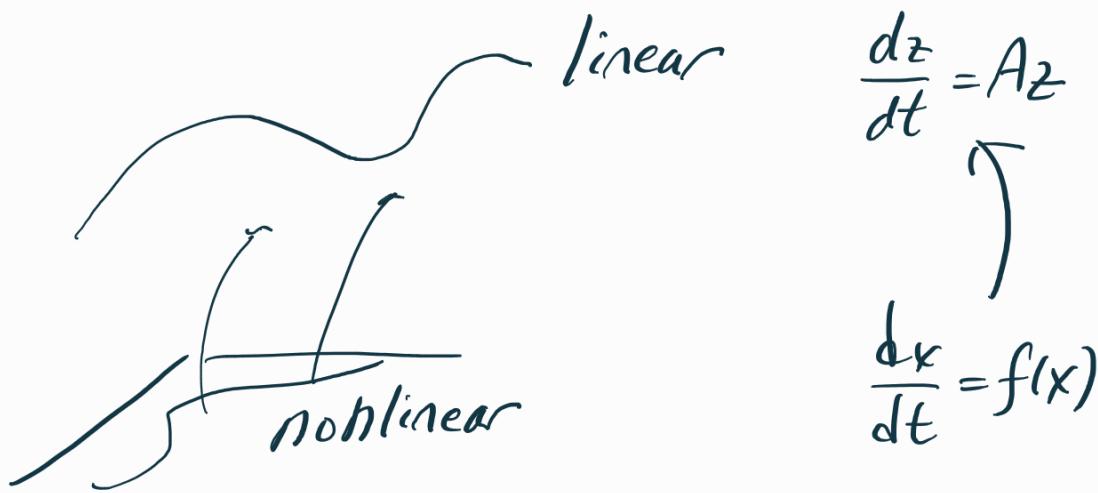
"temporal logic limitation"  
learning plan-satisfying  
motion policies from demonstration"



- 3rd programming for collaboration
- \* A quality diversity approach to automatically ... \*
  - \* Focus is

## Fri. Workshop -- Harry Asada Prof. MIT

- Koopman Operator and Lifting Linearization -
- \* Augmenting / Lifting the input space.



(example)

$$\begin{pmatrix} \dot{x}_1 \\ \dot{x}_2 \end{pmatrix} = \begin{pmatrix} ax_1 \\ b(x_2 - x_1^2) \end{pmatrix} \Rightarrow \begin{aligned} z_1 &= x_1 \\ z_2 &= x_2 \end{aligned} \quad z_3 = x_1^2$$

then

$$\begin{pmatrix} \dot{z}_1 \\ \dot{z}_2 \\ \dot{z}_3 \end{pmatrix} = \begin{pmatrix} az_1 \\ b(z_2 - z_3) \\ 2az_3 \end{pmatrix}$$

\* no approximation needed.

\* Hamiltonian systems & transformations in hilbert space \*

\* General nonlinear dynamical systems cannot be exact linear eqn' of finite order, but as inf. order of systems.

$$k_f \varphi = \varphi \circ f$$

\* orthonormal functions  $\int_a^b \varphi_i(x) \varphi_j(x) w(x) dx = \delta_{ij}$

\* Hilbert space : complete inner-product space  
 ①                    ②

$\{x_n\}_{n=1}^{\infty}$  are orthonormal in  $H$ , then

$$x = \sum_{n=1}^{\infty} \langle x, x_n \rangle x_n, \quad \forall x \in H$$

$$\text{also } \|x\|^2 = \sum_{n=1}^{\infty} \|\langle x, x_n \rangle\|^2.$$

\* if  $f$  is a function in  $H$ , then

$$f = \sum_{k=1}^{\infty} \langle f, \psi_k \rangle \psi_k \quad \text{where } \psi \text{ are orthonormal bases}$$

L2

$$K_f \varphi = \varphi \circ f$$

$$\begin{aligned} & \left[ \begin{array}{l} x_{t+1} = F(x_t) \\ y_t = \underbrace{g(x_t)}_{\text{observable}} \end{array} \right] \quad \left\{ \begin{array}{l} g(x_{t+1}) = \underbrace{g[F(x_t)]}_{g \circ F = g(F(x))} \\ g \circ F = g(F(x)) \end{array} \right. \end{aligned}$$

basis  $\{\varphi_1, \varphi_2, \dots, \varphi_k\} \in H$ .

$$g \in H \text{ is } g(x) = \sum_{k=1}^{\infty} a_k \varphi_k(x).$$

$$a_k = \langle g, \varphi_k \rangle = \int_X g(x) \bar{\varphi}_k(x) dx.$$

$$g \circ F = g(F(x))$$

$$= \left( \sum_{k=1}^{\infty} \langle g, \varphi_k \rangle \varphi_k \right) \circ F$$

$$= \sum_{k=1}^{\infty} \langle g, \varphi_k \rangle (\varphi_k \circ F)$$

$$= \sum_{k=1}^{\infty} \int_X g(\xi) \bar{\varphi}_k(\xi) d\xi (\varphi_k \circ F)$$

$$= \int_X \sum_{k=1}^{\infty} \varphi_k[F(x)] \bar{\varphi}_k(\xi) g(\xi) d\xi$$

$$= \int_X K(x, \xi) g(\xi) d\xi$$

type of kernel

Prop 1

$$g \in H, \quad g \circ F = \int_X K(x, \xi) g(\xi) d\xi,$$

$$K(x, \xi) = \sum_{k=1}^{\infty} \varphi_k[F(x)] \bar{\varphi}_k(\xi)$$

"Linearity" between  $g$  &  $g \circ F$

kernel "encodes" the state transition  $F(x)$   
using basis  $\varphi$ .

\* Kernel matrix.

$$\int_X K(x, \xi) g(\xi) d\xi \text{ as}$$

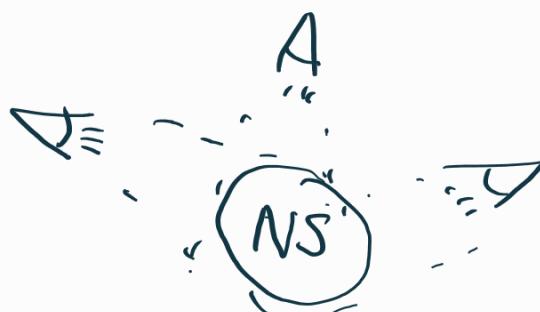
$$K_F \doteq \{K(x^i, \xi^j)\}_{\xi^j} \quad \text{points } x^i, \xi^j$$

$$\underbrace{g_F = K_F g}_{\dots}$$

$$g_i \circ F = \int_X K(x, \xi) g_i(\xi) d\xi, \quad g_i \in H.$$

$$[g_1 \circ F \quad g_2 \circ F \quad \dots] = \int_X K(x, \xi) [g_1(\xi) \quad g_2(\xi) \quad \dots] d\xi$$

$\hookrightarrow g$  are the  
observables



$$\begin{bmatrix}
 g_1[f(x')] \\
 g_2[f(x')] \\
 \vdots \\
 g_1[f(x^2)] \\
 \vdots
 \end{bmatrix} = K_F \begin{bmatrix}
 g_1(x') & g_2(x') & \cdots \\
 g_1(x^2) & \vdots
 \end{bmatrix}$$
  

$$= \begin{bmatrix}
 g_1(x_{t+1}^1) & g_2(x_{t+1}^1) & \cdots \\
 g_1(x_{t+1}^2) & \vdots
 \end{bmatrix}$$

different viewpoints

$\mathbf{Y} = K_F \mathbf{X}$

time evolution.

revolution transformation

\* viewing from "different  $g$ " (다른점에서 보면 알맞아요.  
본 것들 많음)

$$\begin{aligned}
 \mathbf{X}^T K_F^T &= A \mathbf{X}^T \\
 A &= \mathbf{X}^T K_F^T (\mathbf{X}^T)^+
 \end{aligned}
 \quad ) \quad \text{Approximated *}$$

$$\mathbf{X}[F(\mathbf{x})] = A\mathbf{x}(\mathbf{x})$$

$$A = \sum_{j=1}^{\infty} \begin{bmatrix} \langle g_1, \varphi_j \rangle \\ \langle g_2, \varphi_j \rangle \\ \vdots \end{bmatrix} [\langle \varphi_j \circ F, g_1 \rangle, \langle \varphi_j \circ F, g_2 \rangle, \dots]$$

$\chi = \begin{bmatrix} g_1(x_t) \\ g_2(x_t) \\ \vdots \end{bmatrix}$  is lifting

$$\begin{bmatrix}
 g_1[f(x)] \\
 g_2[f(x)] \\
 \vdots
 \end{bmatrix} = [A] \begin{bmatrix}
 g_1 \\
 g_2 \\
 \vdots
 \end{bmatrix}$$

orthogonal??

by  $\varphi_i \circ F \in H$

\* If we use  $g = \varphi$ , then

$$\bar{A} = \begin{bmatrix} \langle \varphi_1 \circ F, \varphi_1 \rangle & \langle \varphi_1 \circ F, \varphi_2 \rangle & \dots \\ \langle \varphi_2 \circ F, \varphi_1 \rangle & \langle \varphi_2 \circ F, \varphi_2 \rangle & \dots \\ \vdots & \vdots & \end{bmatrix}$$

$$\therefore \langle g_i, \varphi_j \rangle = \langle \varphi_i, \varphi_j \rangle$$

\*  $g_1, g_2, \dots$  must be orthonormal.

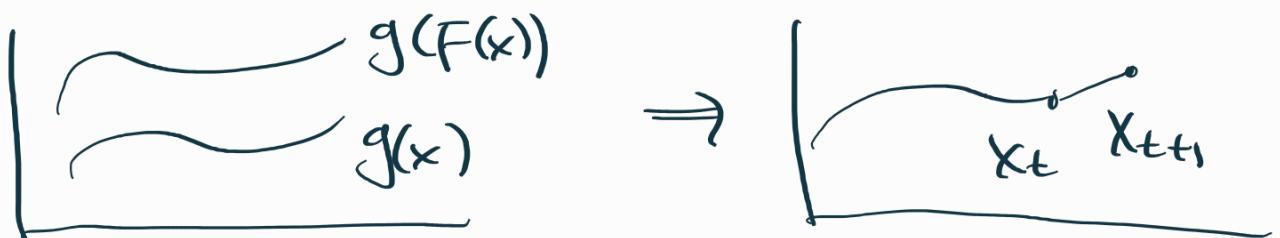
Let  $\{g_1, g_2, \dots\}$  independent

just set  $g_i = \sum \langle g_i, \varphi_k \rangle \varphi_k$ .

Nonlinear Autonomous

$$\begin{cases} x_{t+1} = F(x_t) \\ y_t = g(x_t) \end{cases} \Rightarrow x_{t+1} = A x_t$$

Exact Linearization.



\* continuous-time systems.

\* Data-driven methods available.

L3

DMD

$$\star g_i(f(x)) = K_N g_i(x) \text{ for each observable}$$

$$\begin{pmatrix} g_1(1) & g_2(1) & \cdots & g_m(1) \\ g_1(2) & g_2(2) & \cdots & g_m(2) \\ \vdots & \vdots & \ddots & \vdots \\ g_1(m) & g_2(m) & \cdots & g_m(m) \end{pmatrix} = \begin{pmatrix} 0 & 1 & \cdots & 0 & 0 \\ 0 & 0 & 1 & \cdots & 0 & 0 \\ \vdots & \vdots & \ddots & \ddots & \vdots & \vdots \\ & & & & 0 & 1 \\ c_1 & c_2 & \cdots & c_m \end{pmatrix}$$

Cm.



$$\begin{pmatrix} g_1(1) & g_2(1) & \cdots & g_m(1) \\ \vdots & \ddots & \ddots & \vdots \\ g_1(m-1) & \cdots & g_m(m-1) \end{pmatrix}$$

$$g_i(m) = \sum_{j=0}^{m-1} c_j g_i(j) + r_i \Rightarrow \text{least-squares.}$$

$\begin{matrix} m \\ n \end{matrix} \left[ \begin{matrix} \end{matrix} \right]$

\* DMD.

$$Y = [y_0, y_1, \dots, y_m] \quad \text{let} \quad Y^- = [y_0, \dots, y_{m-1}] \in \mathbb{R}^{n \times m}$$

$$Y^+ = [y_1, \dots, y_m] \in \mathbb{R}^{n \times m}$$

$$\text{Goal: } Y^+ = AY^-$$

$$A^* = \underset{A}{\operatorname{argmin}} \|Y^+ - AY^-\|^2$$

$$A^* = Y^+ Y^-$$

$$Y_- = \overline{U} \overline{D} \overline{V^T}$$

$n \times n$     $n \times m$     $m \times m$

$r = \text{rank}(Y_-)$

$$\Rightarrow Y_- = U D V^T$$

$n \times r$     $r \times r$     $r \times m$

then  $Y_+^T = V D^{-1} U^T$

then  $A = Y_+ Y_+^T = Y_+ V D^{-1} U^T$

$\tilde{y} = U^T y \in \mathbb{R}^r$ . where  $y = U\tilde{y} \in \mathbb{R}^n$ .  $n \gg r$ .

$\hat{A} = U^T A U = U^T Y_+ V D^{-1}$  where  $\hat{Y}_+ = U^T Y_+$ .

where  $\hat{Y}_+ = \hat{A} \hat{Y}_-$  (reduced space)

$X_w = \lambda w \Rightarrow \phi = Uw$

$$X(t) = \sum_{i=1}^r \phi_i \exp(w_i t) b_i$$

$\uparrow$        $\curvearrowleft$   
 spatial      temporal

initial

### (ex) Gait Analysis \*

Data: human gaits from MACAP  
whole-body measurement.

CAN response to perturbation/recovery from sudden loss of balance

## Ex) Passive dynamic walker

\* Koopman eigenvalues & eigenfunctions.

$$K\phi_j(x) = \lambda_j \phi_j(x)$$

"need a systematic method,"

\* depending on an observables

- accuracy varies !!
- ↓ ① DMD modes
  - ② Neural Network / kernel methods
  - ③ from the physics laws.

## L4) Control

$$\begin{aligned} x_{t+1} &= F(x_t, u_t) & x_t \in \mathbb{R}^n, u_t \in \mathbb{R}^p \\ z_{t+1} &= Az_t + Bu_t \quad // \quad z = \begin{bmatrix} g_1 \\ \vdots \\ g_m \end{bmatrix} \in \mathbb{R}^m. \\ &\quad m \times n \quad m \times p \quad m \gg n. \end{aligned}$$

Assume

$$z_{t+1} = f z_t + B u_t \quad \text{may be } g = g(x, u)$$

$$z = [g_1(x); g_2(x); \dots] \quad \Rightarrow \text{causality problem}$$

then, linear controls possible.

$$z_- = [z_0, \dots, z_{N-1}]$$

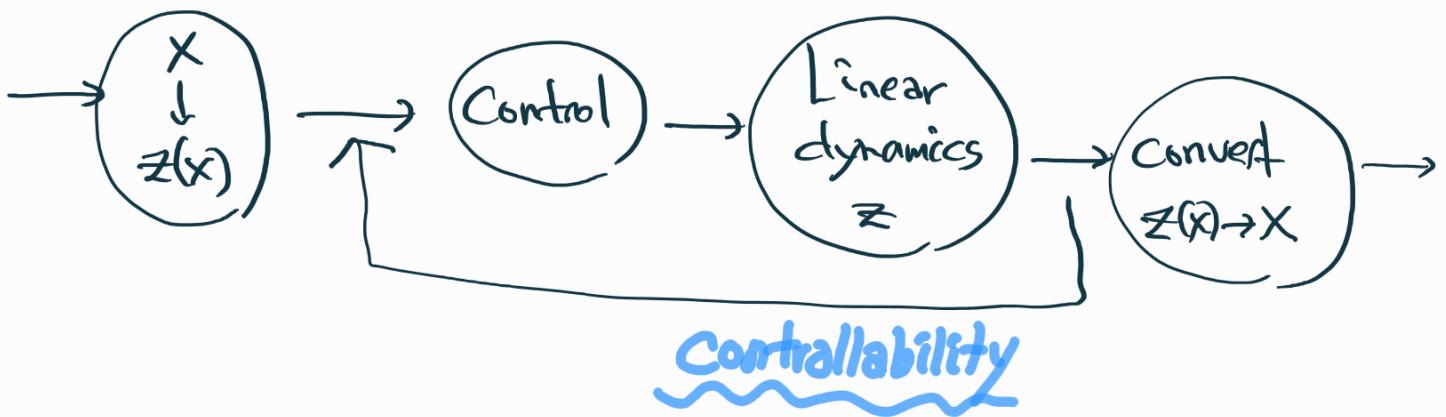
$$z_+ = Az_- + BU = [A \ B] \begin{bmatrix} z_- \\ U \end{bmatrix}$$

$$z_+ = [z_1, \dots, z_N]$$

$$U = [u_0, \dots, u_{N-1}]$$

find A, B from least-squares,

$$[A, B] = z_+ \begin{bmatrix} z_- \\ U \end{bmatrix}^+$$



→ optimal control 사용 (CTRB 사용 X)

특히 MPC를 사용한다!!!

\* observable이 충분하지 않기 때문에 long-term

predictional 능력을 필요로 한다. 즉 MPC를 사용

할 때 장단점을 볼 때 사용한다.

**Convex opt.**

\* Koopman + MPC의 feedback ctrl은 사실

state에 대한 nonlinear control term이 포함된다.

\* **THEN** How to find good / informative observables?

① physics : state, auxiliary states, proliferated states.  
⇒ causal path analysis 이용.

② neural network : find an appropriate set of observables.

\* Assume  $g(x,u) = g^*(x) + Du$ .

$$\begin{array}{c} x_t \rightarrow \\ g \\ \downarrow \quad \rightarrow \\ g^* \\ -Du_t \end{array}$$

\* Active learning 01 대학 2 학기.

\*  $p(y|X, Z, C)$

GP model 향후 예측할 때는

plm은 블라 증가 가능할까?

\* Dynamic Mode Decomposition

각 node DLT



✓



✓

for each node

need  
verification