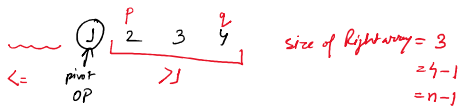


Worst case TC of quick sort-

Eg: 1 2 3 4 \rightarrow Input array $n=4$

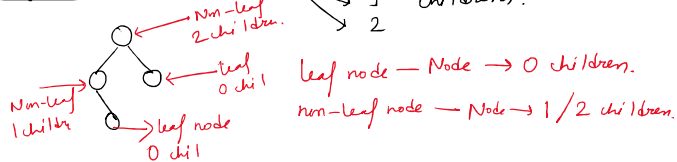
\Rightarrow pivot = 1, $p=2$, $q=4$



$$T(n) = T(n-1) + n \rightarrow \text{Substituting}$$

$$1n + n^2$$

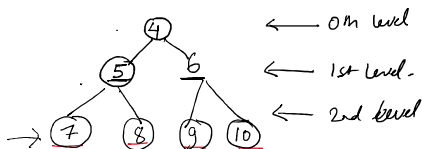
Binary Tree - Tree \rightarrow nodes \rightarrow 0, 1, 2 children.



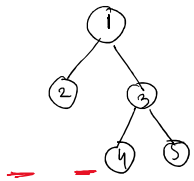
Almost complete Binary Tree - New nodes insert here

\rightarrow Last level
 \rightarrow Left direction

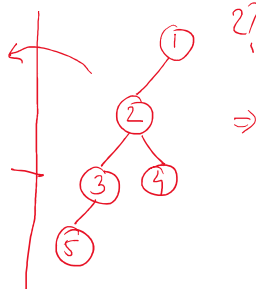
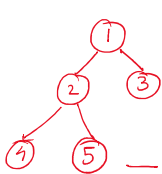
4 5 6 7 8 9 10



$$\text{Max nodes in a level} = 2^L$$



1 2 3 4 5

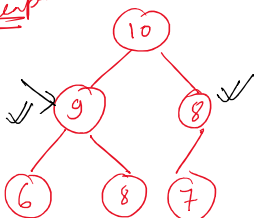


Heap - ① ACBT

② Max heap \rightarrow Parents val $>$ Child val

Min heap \rightarrow Parents val $<$ child val.

Max heap



$$10 > 9$$

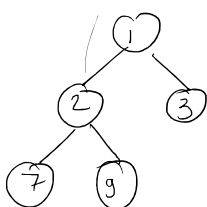
$$10 > 8$$

$$9 > 6$$

$$9 > 8$$

$$8 > 7$$

Min heap



$$1 < 2$$

$$1 < 3$$

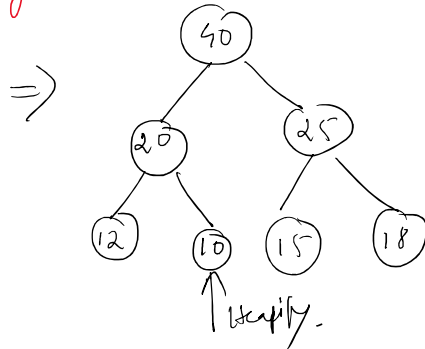
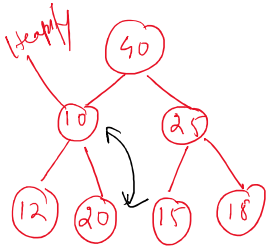
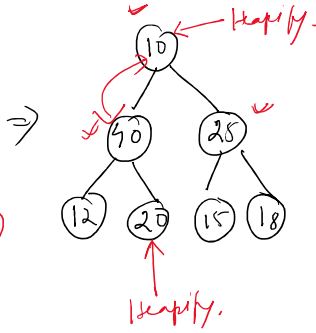
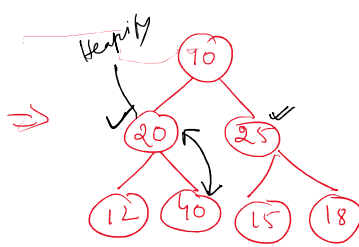
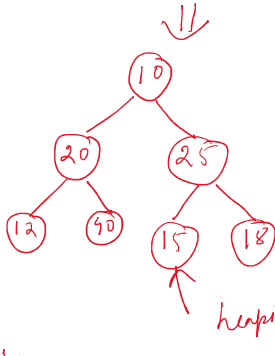
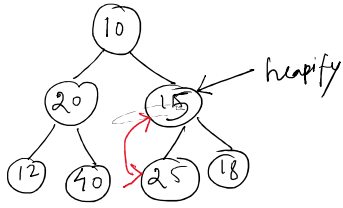
HEAPIFY \rightarrow

10 20 15 12 40 25 18.

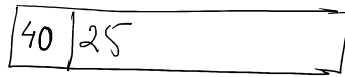
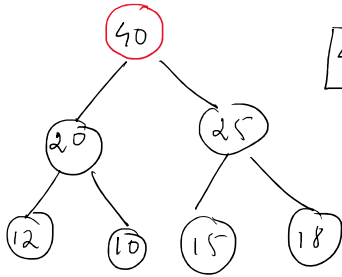
→ Convert it into Max Heap.

→ Represent this array as ACP.

→ Last non-leaf node.



Array $\xrightarrow{\text{heapify}}$ Max Heap \longrightarrow Sorted Order.

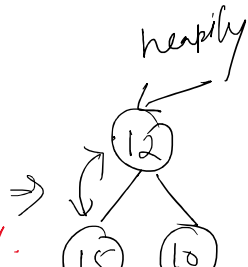
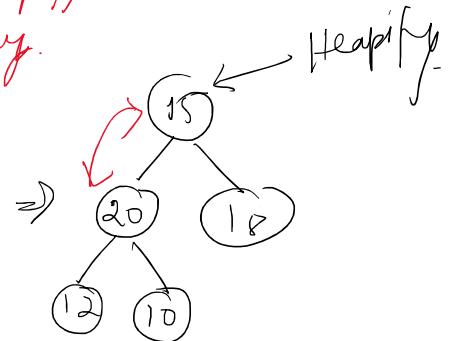
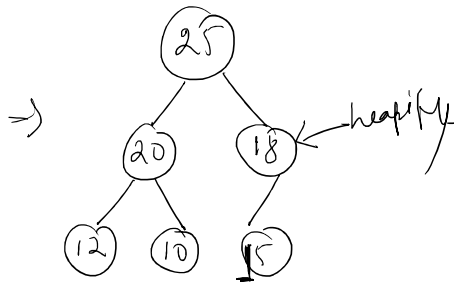
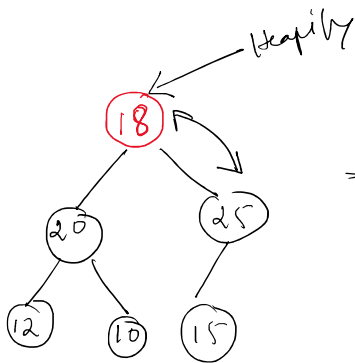


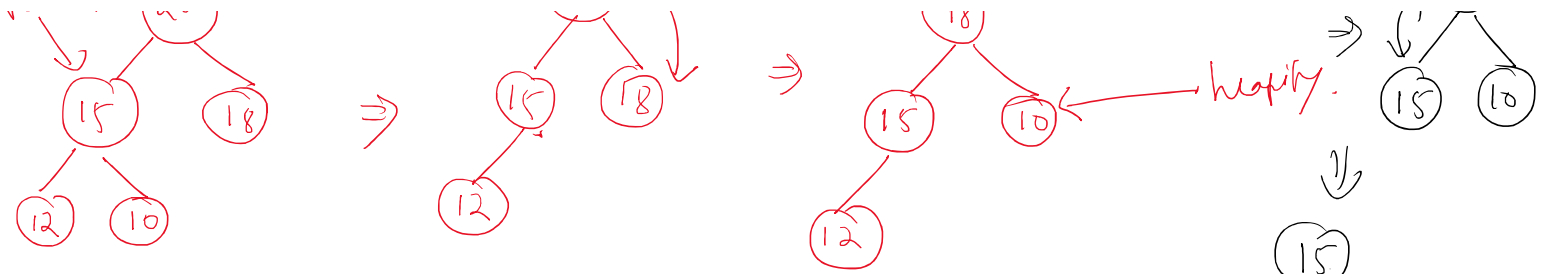
① Root value ko 3-leaf se lixw lo

② Root value = Last node \rightarrow val

③ delete last node.

④ Apply heapify whenever necessary.





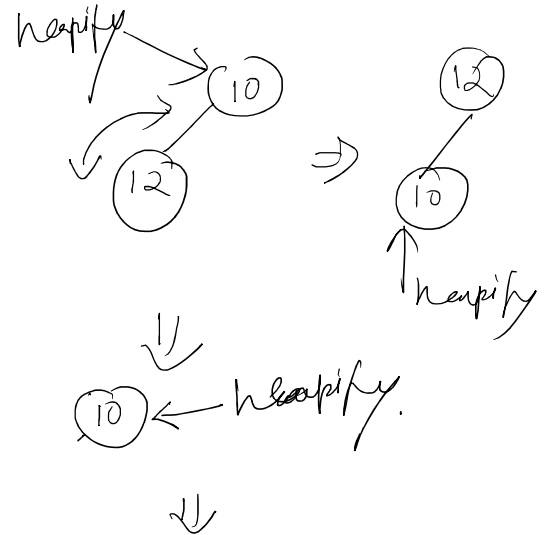
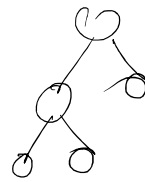
40 25 20 18 15 12 10

TC $\rightarrow O(\quad)$

Height of BUBT = $\log n \rightarrow n \rightarrow \text{no. of elements}$.

1 node insert $\rightarrow \log n$.

N nodes insert $\Rightarrow n \log n$.



SC $\rightarrow O(1)$.