Food Cart Optimisation

TOO MUCH FOOD ON THE MENU



Forget food delivery in under 10 minutes, I need an app that can help me decide what to order in under 10 minutes.

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Contents

- I. Overview
- II. Formulation
- III. Linear Program
- IV. Heuristic Method
- V. Results and Analysis
- VI. Challenges
- VII. Going forward

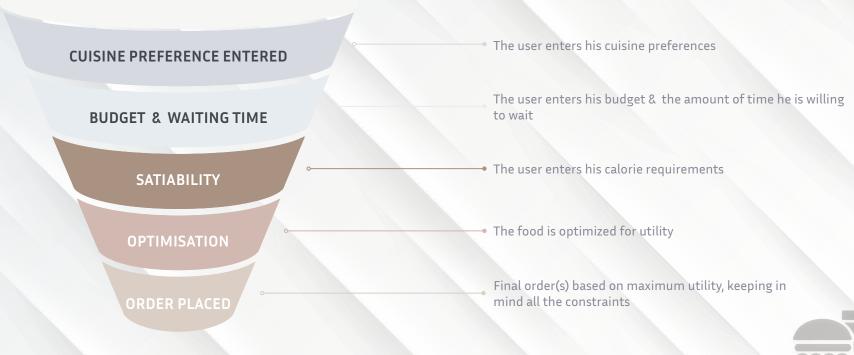


What is our project about?

- To aid the decision making process of ordering food from an online delivery platform
- Optimises the cart considering various parameters and user preferences



Flow Of Information



FORMULATION

Modeling the World

Cost

Assigned for each food item in every outlet

Distance

Distance of the outlet from the user

Rating

Rating of individual food items in different outlets; doesn't exist if the food item isn't served in a particular outlet

Preparation time

Standard prep time of a particular food item

Calories

Stores the calories of each food item, changes from outlet to outlet depending on the preparation

Outlet efficiency

Efficiency of the shop in preparing and serving a particular food item

User Inputs

Cuisine

User's cuisine preference

Satiability Requirement

The user's minimum calorie requirement from his order

Budget

The maximum amount the user is willing to pay

Delivery Time

The maximum time the user is willing to wait



Calculations

Total delivery time

$$T_{ij} = P_{j} \cdot E^{-1}_{ij} + D_{i} \cdot V^{-1}$$

T_{ii} = total time of jth food item from ith shop

P_i: preparation time for for jth food item

 E_{ij} : i^{th} shop's Efficiency in preparation of j^{th} food item

D: Distance of ith shop from IITB

v : Average vehicular speed in Mumbai

Desirability of a food item

$$R_{ij} = 0.6 \cdot L_{ij} + 2 \cdot Y_{J}$$

R_{ii}: desirability of jth food item in shop i

Y₁: user preference of cuisine of food j

 L_{ij} : rating of j^{th} food item in i^{th} shop

The Problem

Parameters:

Cost Matrix = C_{ij} Calorie Matrix = S_{ij} Desirability Matrix = R_{ij} Time Matrix = T_{ii}

For food item j in ith shop

Maximum wait time = t
Budget = b
Calorie Requirement = s

Decision Variable:

Decision = X

Objective Function:

Utility =
$$\sum_{i=1,j=1}^{n} R_{ij} \cdot X_{ij}$$

Constraints:

Cost: $\sum_{i=1,j=1}^{n} C_{ij} \cdot X_{ij} \leq b$

Time: $\forall_{i,j} T_{ij} \cdot X_{ij} \leq t$

Satiability: $(1.2 \cdot s + 200) \ge \sum_{i=1,j=1}^{n} S_{ij} \cdot X_{ij} \ge s$

HEURISTIC METHOD

Greedy Algorithm

Metric 1 - Rating / Cost

Sort all items on the basis of this metric

Keep adding the items starting at the top, keeping in mind-

- Adding an item shouldn't lead us to spend more than the user's budget
- The time taken for the food to be delivered should be lesser than the limit imposed by the user
- The item must exist, which means the rating of the item should be > 0

Ideally, we should end up with an order that maximises average rating.

Issue - The calorie requirement might not be met. Solution?

Greedy Algorithm

Metric 2 - (Calories Rating²) / Cost

- Sort all items on the basis of this metric
- From the initial order, remove the item that performs the worst on the basis of this metric
- Search for the items that perform the best according to this metric which are not in the cart
- Add these items, keeping in mind-
 - Adding an item shouldn't lead us to spend more than the user's budget
 - The time taken for the food to be delivered should be lesser than the limit imposed by the user
- The item must exist, which means the rating of the item should be > 0

Keep replacing worse performing items in the cart with better performing ones subject to above conditions till we cross the minimum satiability threshold

Why the Heuristic Approach?

Reliable

Will provide an optimal solution over widely different operating conditions

Flexible

Possible to try out various combination of metrics for improving results

Efficient

Known time complexity O(nlogn)

Easy to Use

Easier to run diagnostics for someone who is not well-versed in LP optimisations



RESULTS AND ANALYSIS

Dataset

Cost

50 shops x 26 items

Range: Rs 150 - Rs

650

Rating

50 shops x 26 items

Average: 3

Standard Deviation:1.28

Calories

50 shops x 26 items

5 cuisines: 5, 5, 5, 5, 6 items each

Average : 511.39

Standard Deviation: 189.97

Processing Time

26 items x 1

Average: 28.825

Standard Deviation: 9.47

Distance

50 shops x 1

Average: 11.09 Km

Standard Deviation: 5.78 Km

Shop Efficiency

50 shops x 26 items

Average: 0.8

Standard Deviation: 0.08



Linear Program

<u>User Preferences:</u>

budget = Rs 1200

time = 41 minutes

capacity = 3200 Cal

Optimal Order:

Cost: Rs 1198

Average rating: 4.038

Calories: 3700

Shop Number	Item Number	Cost	Rating	Calories
20	24	157	4.3	350
34	24	191	4.8	340
29	25	164	4.1	420
5	5	106	3.2	400
16	5	124	3.8	480
29	5	133	3.5	470
50	5	147	4.6	480
50	1	176	4.0	760

Greedy Algorithm

<u>User Preferences:</u>

budget = Rs 1200

time = 41 minutes

capacity = 3200 Cal

Optimal Order:

Cost: Rs 1173

Average rating: 4

Calories: 3230

Shop Number	Item Number	Cost	Rating	Calories
20	24	157	4.3	350
46	20	86	4.3	240
50	1	176	4.0	760
34	24	191	4.8	340
29	25	164	4.1	420
5	5	106	3.2	400
1	5	103	3.6	390
12	8	190	3.7	330

Uncertainty Analysis

- To take into account variability in food preparation time and uncertainties introduced by varying traffic conditions
- Element wise multiplication of processing time array and distance array with random samples from a Gaussian distribution with mean 1 and standard deviation 0.12
- Found the number of items delayed per order for 200 trials due to time uncertainties



Uncertainty Analysis

- To take into account uncertainties introduced in calorie count during food preparation
- Element wise multiplication of processing time array and distance array with random samples from a uniform distribution with lower bound 0.8 and upper bound 1.2
- Found the number of times items go above or below the calorie specification, 2200 in our test



CHALLENGES & LEARNING

Roadmap of our project

Understood the problem and choose prospective decision variables

Formulated the problem statement, started coding on AMPL

Expanding the problem to take into account bigger matrices to emulate a real-world analysis







Simplified the original problem by removal of independent variables, shrinkage of matrices



Obtained some results, coded a greedy approach on Python, heuristic approach for delivery time



Analysis and Amalgamation of data and results



Key Challenges

Simplifying and formulating the data set

Accounting for variability

Debugging in AMPL solver

Our Takeaways & Learning

Learnt how to apply course work into a real-life application

Learnt AMPL and dove deeper into python programming

Learnt how to work in a team and learnt how to pitch our ideas

GOING FORWARD

Further Improvement and Addition

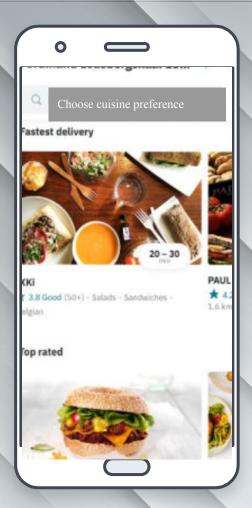
Extensive tweaking of the metrics in the greedy algorithm to maximize accuracy and improve performance

Using a larger, more realistic dataset for our analysis

Integrate this model into a GUI to make it user-friendly

Mobile App

Integration of the code into an app : a one-stop app for all the foodies out there!



Our Team



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Thank You!

Have a nice day!