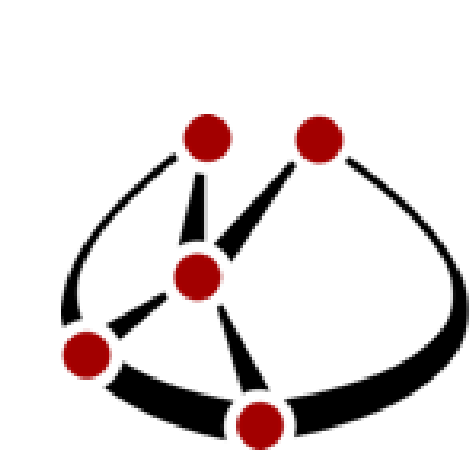


Easy Base of Aircraft Data (BADA)

integration in Python for rapid prototyping

Introduction

- BADA is an aircraft performance model (APM) developed and maintained by EUROCONTROL.
- pyBADA is a Python library for aircraft performance modelling, trajectory prediction and optimisation, and visualisation with BADA, build on CasADi, an open-source tool for optimisation and algorithmic differentiation.
- pyBADA is multi-platform and easy to install → `pip install ssh://user.name@bleriot.upc.edu/path/pyBada`
- pyBADA implements:
 - BADA3, BADA4
 - BADAH



CasADi

CasADi

- At the core of CasADi is a **symbolic framework** that allows the user to construct symbolic expressions.

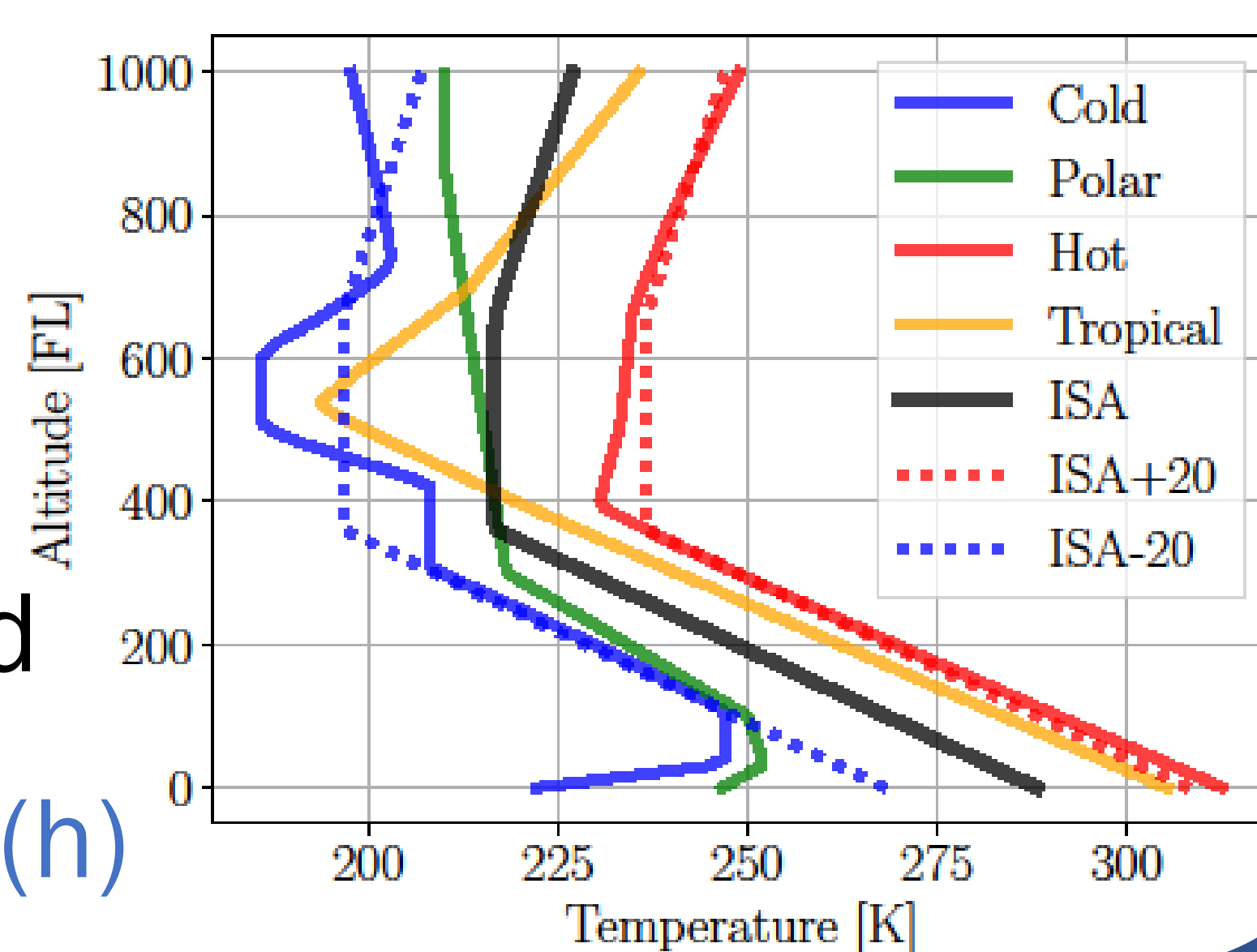
Numeric: $x = 3$
 $y = 5$
 $z = x^2 + y$
 > 14

Symbolic: $x = \text{SX.sym('x')}$
 $y = \text{SX.sym('y')}$
 $z = x^2 + y$
 $> x^2 + y$

gradient(z,x) > 2*x

Atmosphere

- Implements the **standard atmosphere models**:
 - ISA (international standard atmosphere)
 - MIL-STD-210A standard

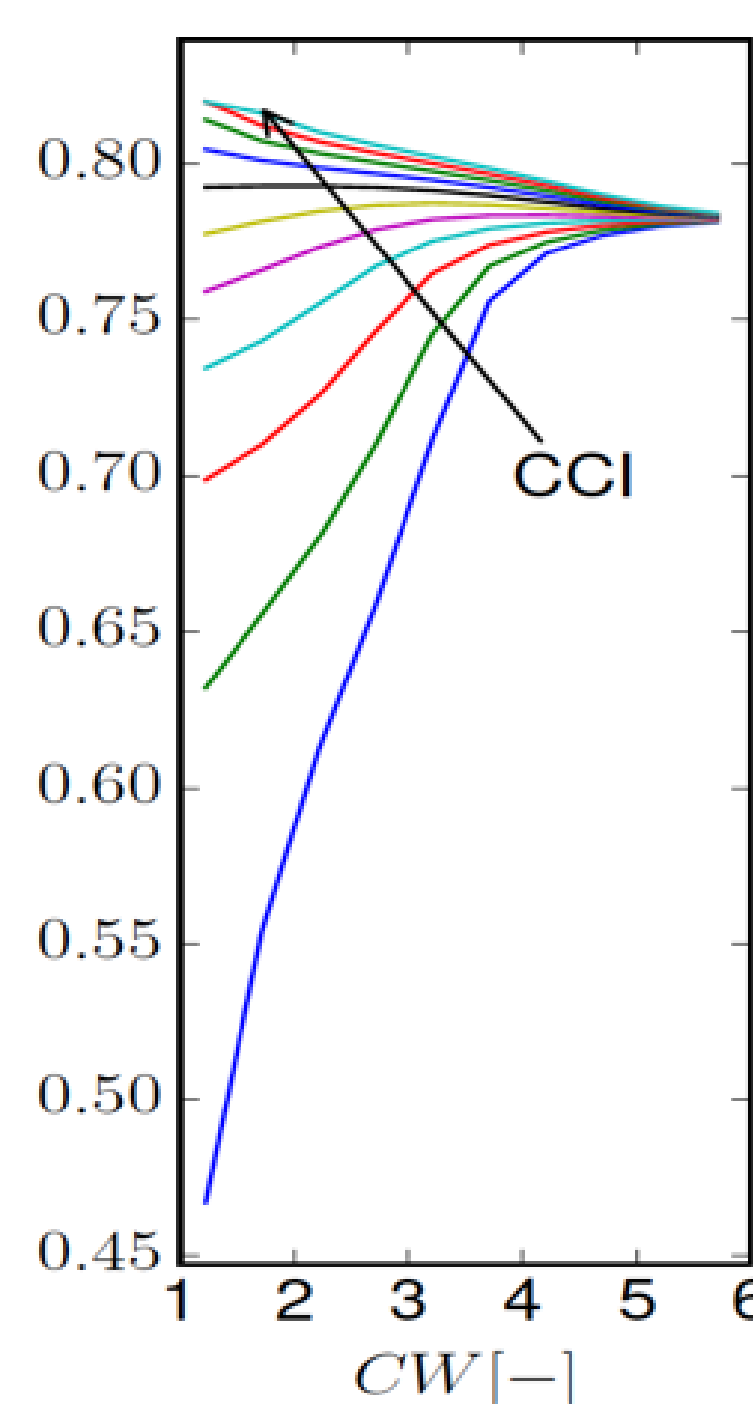


`theta = atmosphere.theta(h)`

Optimisation

- Calculates **optimal speeds** with wind:
 - Maximum range cruise (MRC)
 - Long range cruise (LRC)
 - Economic cruise speed (ECON)
 - Maximum endurance cruise (MEC)

`opt.MrcMach(aircraft,delta,theta,m,w)`
 > 0.78

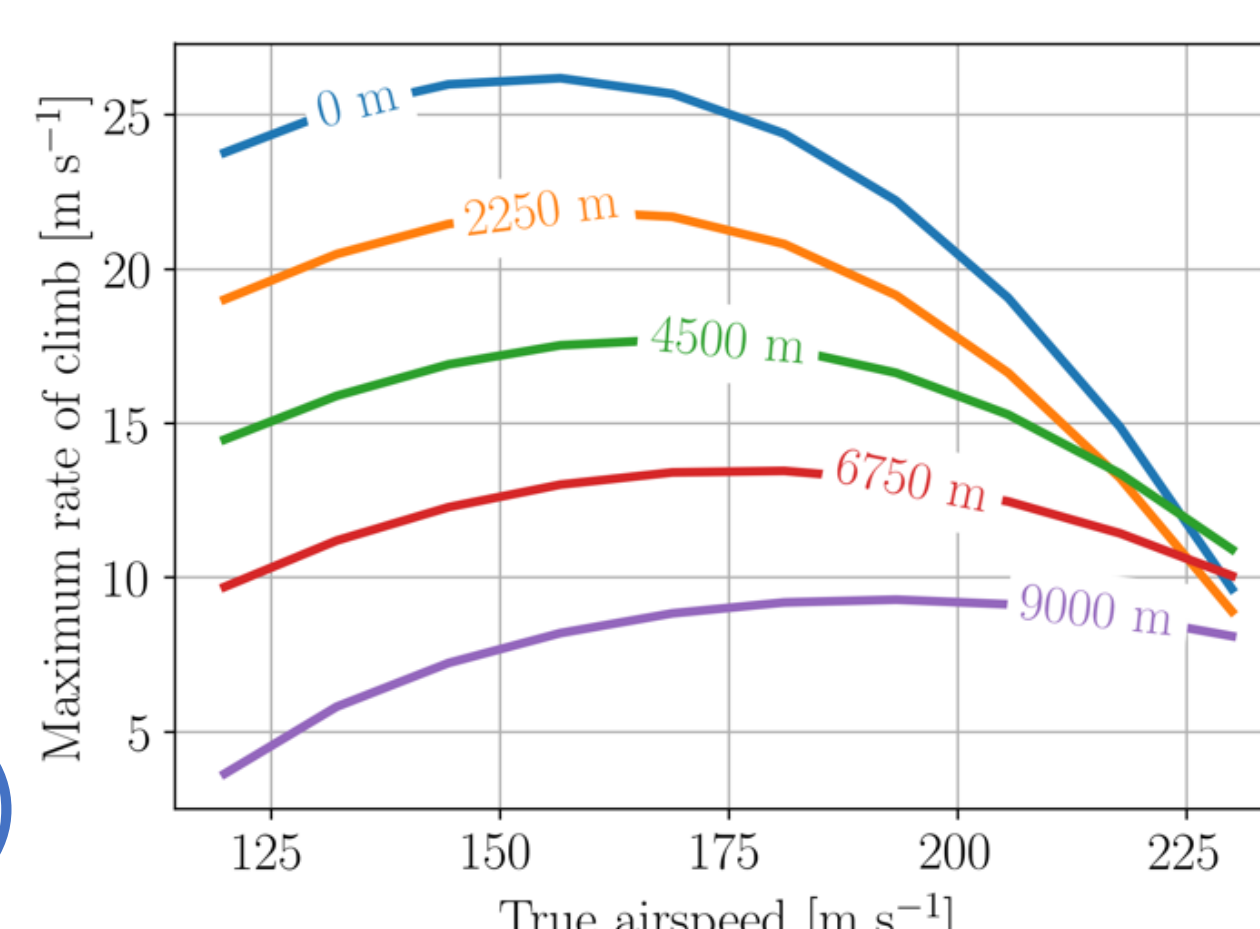


Visualisation

- Provides tools for visualisation of **aircraft trajectories**, **aircraft envelope** and **performance**.

`visualisation.plot`

$(x=v, y=(T_{max}-D)*v/(m*g), z=h)$



Performance

- Automatically **parses** the BADA datasets.
`aircraft = performance.bada3("XXX.OPF")`
- Evaluates the **performance functions** of the BADA model at given flight conditions.

Numeric:

$v = 447$

$T = 3.6$

`aircraft.ff(v=v, T=T)`

> 3.39

Symbolic:

$v = \text{SX.sym('v')}$

$T = \text{SX.sym('T')}$

`aircraft.ff(v=v, T=T)`

$> 0.94 \cdot (1 + v/1.0E+05) \cdot T$

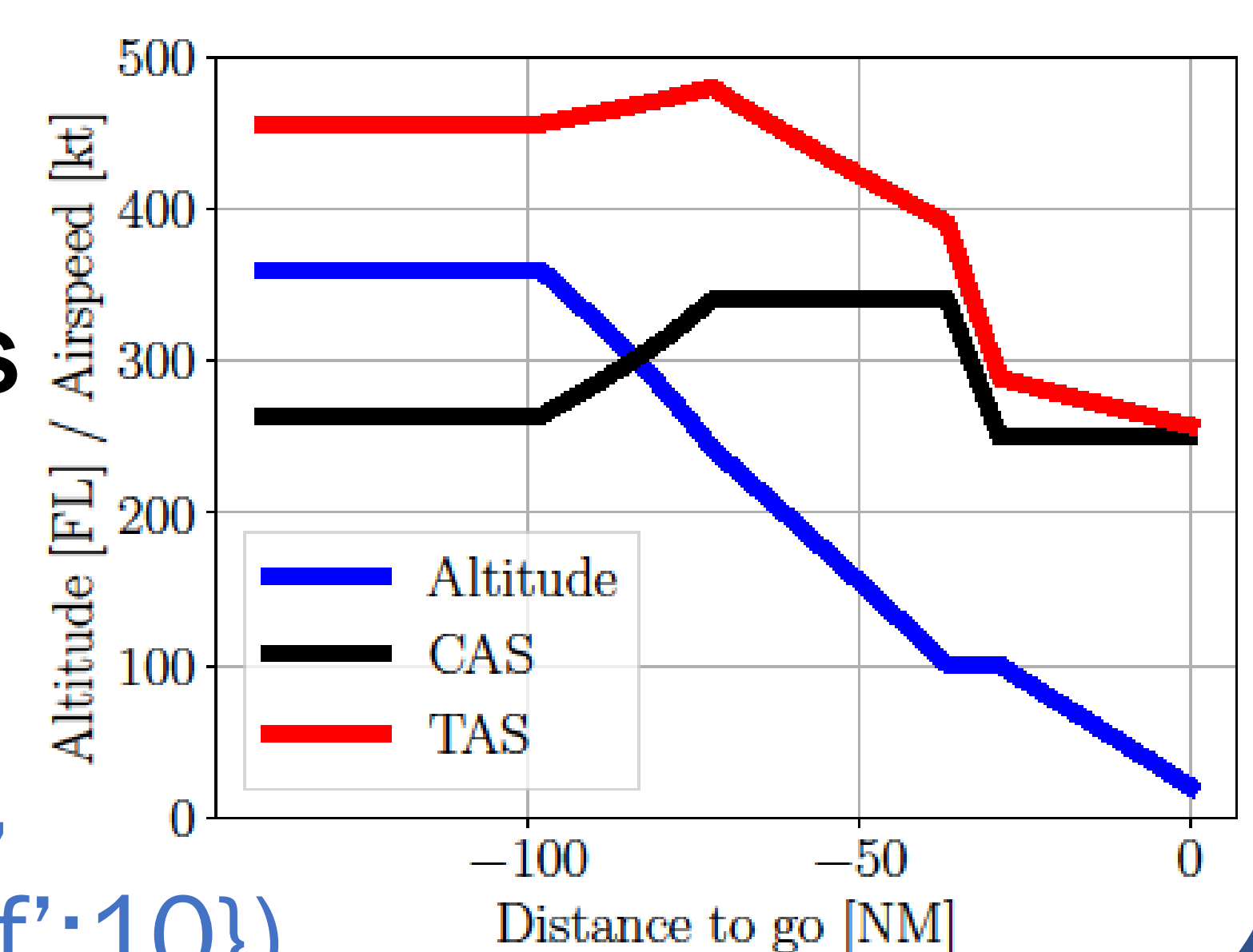
- Easy and fast implementation of the BADA APM and **derivatives** for **optimisation** and **sensitivity analysis**.

$$\text{ECCF} = \frac{CI}{M\sqrt{\tau}\gamma_a R + w} + \frac{\delta\theta^{\frac{1}{2}} W_{mref} a_0 L_{HV}^{-1}}{M\sqrt{\tau}\gamma_a R + w} \sum_{i=0}^4 \sum_{j=0}^4 f_{5i+j+1} M^i \left(\frac{1}{2W_{mref}} p_0 k S M^2 K \left(\left(d_1 + \frac{d_2}{(1-M^2)^{\frac{1}{2}}} + \frac{d_3}{(1-M^2)^{\frac{3}{2}}} + \frac{d_4}{(1-M^2)^{\frac{5}{2}}} + \frac{d_5}{(1-M^2)^{\frac{7}{2}}} \right) \right. \right. \\ \left. \left. + \left(d_6 + \frac{d_7}{(1-M^2)^{\frac{3}{2}}} + \frac{d_8}{(1-M^2)^{\frac{5}{2}}} + \frac{d_9}{(1-M^2)^{\frac{7}{2}}} + \frac{d_{10}}{(1-M^2)^{\frac{9}{2}}} \right) \left(\frac{2mg}{\delta p_0 k S M^2} \right)^2 \right. \right. \\ \left. \left. + \left(d_{11} + \frac{d_{12}}{(1-M^2)^{\frac{7}{2}}} + \frac{d_{13}}{(1-M^2)^{\frac{9}{2}}} + \frac{d_{14}}{(1-M^2)^{\frac{11}{2}}} + \frac{d_{15}}{(1-M^2)^{\frac{13}{2}}} \right) \left(\frac{2mg}{\delta p_0 k S M^2} \right)^6 \right) \right)^j$$

Trajectory prediction

- Computes trajectories given the **initial conditions**, a sequence of **flight intents** and **weather conditions**.

`xf = pred.predict(x0,intent, mode, {'tf':10})`



pyBADA has been used in...

- Real-time **optimal planning** and **guidance**.
- Fuel estimation** from surveillance data.
- Generation of **realistic scenarios** for the assessment of wake-vortex hazards in en-route airspace.

