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Answer 1:

a.

$$I(\text{Lifestyle, Street, Polarized}) = \frac{6}{15} * \log_2 \frac{6}{15} + \frac{4}{15} * \log_2 \frac{4}{15} + \frac{5}{15} * \log_2 \frac{5}{15} \approx 1.5656$$

Entropy for TPR (Tear Production Rate):

TPR	Lifestyle	Street	Polarized	I(Lifestyle, Street, Polarized)
Reduced	2	3	2	1.5567
Normal	4	1	3	1.4056

$$E(\text{TPR}) = \frac{7}{15} * 1.5567 + \frac{8}{15} * 1.4056 \approx 1.4761$$

$$\text{Information\_Gain (TPR)} = 1.5656 - 1.4761 = 0.0895$$

Entropy for Sex:

Sex	Lifestyle	Street	Polarized	I(Lifestyle, Street, Polarized)
M	4	1	3	1.4056
F	2	3	2	1.5567

$$E(\text{Sex}) = \frac{8}{15} * 1.4056 + \frac{7}{15} * 1.5567 \approx 1.4761$$

$$\text{Information\_Gain (Sex)} = 1.5656 - 1.4761 = 0.0895$$

Entropy for Age:

Age	Lifestyle	Street	Polarized	I(Lifestyle, Street, Polarized)
Young	3	0	2	0.971
Old	2	2	2	1.585
Middle	1	2	1	1.5

$$E(\text{Age}) = \frac{5}{15} * 0.971 + \frac{6}{15} * 1.585 + \frac{4}{15} * 1.5 \approx 1.3577$$

$$\text{Information\_Gain (Age)} = 1.5656 - 1.3577 = 0.2079$$

Entropy for SP (Spectacle Prescription):

SP	Lifestyle	Street	Polarized	I(Lifestyle, Street, Polarized)
Myope	2	4	1	1.3788
Hypermetrope	4	0	4	1

$$E(\text{SP}) = \frac{7}{15} * 1.3788 + \frac{8}{15} * 1 \approx 1.1768$$

$$\text{Information\_Gain (SP)} = 1.5656 - 1.1768 = 0.3888$$

Entropy for Astigmatism:

Astigmatism	Lifestyle	Street	Polarized	I(Lifestyle, Street, Polarized)
Yes	5	0	3	0.9544
No	1	4	2	1.3788

$$E(\text{Astigmatism}) = \frac{8}{15} * 0.9544 + \frac{7}{15} * 1.3788 \approx 1.1525$$

$$\text{Information\_Gain (Astigmatism)} = 1.5656 - 1.1525 = 0.4131$$

According to above tables, we can find that the Information Gain of Astigmatism is larger than others, so we can set the **Astigmatism as root node**.

Next, we continue choosing its child nodes when Astigmatism is Yes and No respectively:

$$\text{Yes: } I(\text{Lifestyle, Street, Polarized}) = \frac{5}{8} * \log_2 \frac{5}{8} + \frac{0}{8} * \log_2 \frac{0}{8} + \frac{3}{8} * \log_2 \frac{3}{8} \approx 0.9544$$

Entropy for TPR (Tear Production Rate):

TPR	Lifestyle	Street	Polarized	I(Lifestyle, Street, Polarized)
Reduced	2	0	2	1
Normal	3	0	1	0.8113

$$E(\text{TPR}) = \frac{4}{8} * 1 + \frac{4}{8} * 0.8113 \approx 0.9057$$

$$\text{Information\_Gain (TPR)} = 0.9544 - 0.9057 = 0.0487$$

Entropy for Sex:

Sex	Lifestyle	Street	Polarized	I(Lifestyle, Street, Polarized)
M	3	0	1	0.8113
F	2	0	2	1

$$E(\text{Sex}) = \frac{4}{8} * 0.8113 + \frac{4}{8} * 1 \approx 0.9057$$

$$\text{Information\_Gain (Sex)} = 0.9544 - 0.9057 = 0.0487$$

Entropy for Age:

Age	Lifestyle	Street	Polarized	I(Lifestyle, Street, Polarized)
Young	2	0	0	0
Old	2	0	2	1
Middle	1	0	1	1

$$E(\text{Age}) = \frac{2}{8} * 0 + \frac{4}{8} * 1 + \frac{2}{8} * 1 \approx 0.75$$

$$\text{Information\_Gain (Age)} = 0.9544 - 0.75 = 0.2044$$

Entropy for SP (Spectacle Prescription):

SP	Lifestyle	Street	Polarized	I(Lifestyle, Street, Polarized)
Myope	1	0	1	1
Hypermetrope	4	0	2	0.9183

$$E(\text{SP}) = \frac{2}{8} * 1 + \frac{6}{8} * 0.9183 \approx 0.9387$$

$$\text{Information\_Gain (SP)} = 0.9544 - 0.9387 = 0.0157$$

According to above four tables, we can find the Information Gain of Age is the largest one, so we choose **Age as one of child nodes** of Astigmatism when Astigmatism is Yes.

$$\text{No: } I(\text{Lifestyle, Street, Polarized}) = \frac{1}{7} * \log_2 \frac{1}{7} + \frac{4}{7} * \log_2 \frac{4}{7} + \frac{2}{7} * \log_2 \frac{2}{7} \approx 1.3788$$

Entropy for TPR (Tear Production Rate):

TPR	Lifestyle	Street	Polarized	I(Lifestyle, Street, Polarized)
Reduced	0	3	0	0
Normal	1	1	2	1.5

$$E(\text{TPR}) = \frac{3}{7} * 0 + \frac{4}{7} * 1.5 \approx 0.8571$$

$$\text{Information\_Gain (TPR)} = 1.3788 - 0.8571 = 0.5217$$

Entropy for Sex:

Sex	Lifestyle	Street	Polarized	I(Lifestyle, Street, Polarized)
M	1	1	2	1.5
F	0	3	0	0

$$E(\text{Sex}) = \frac{4}{7} * 1.5 + \frac{3}{7} * 0 \approx 0.8571$$

$$\text{Information\_Gain (Sex)} = 1.3788 - 0.8571 = 0.5217$$

Entropy for Age:

Age	Lifestyle	Street	Polarized	I(Lifestyle, Street, Polarized)
Young	1	0	2	0.9183
Old	0	2	0	0
Middle	0	2	0	0

$$E(\text{Age}) = \frac{3}{7} * 0.9183 + \frac{2}{7} * 0 + \frac{2}{7} * 0 \approx 0.3936$$

$$\text{Information\_Gain (Age)} = 1.3788 - 0.3936 = 0.9852$$

Entropy for SP (Spectacle Prescription):

SP	Lifestyle	Street	Polarized	I(Lifestyle, Street, Polarized)
Myope	1	4	0	0.7219
Hypermetrope	0	0	2	0

$$E(\text{SP}) = \frac{5}{7} * 0.7219 + \frac{2}{7} * 0 \approx 0.5156$$

$$\text{Information\_Gain (SP)} = 1.3788 - 0.5156 = 0.8632$$

According to above four tables, we can find the Information Gain of Age is the largest one, so we choose **Age as another child nodes** of Astigmatism when Astigmatism is No.

Now, analyze present situation, we can conclude that:

**IF Astigmatism = Yes AND Age = Young THEN Recommendation = Lifestyle**

**IF Astigmatism = No AND Age = Middle THEN Recommendation = Street**

**IF Astigmatism = No AND Age = Old THEN Recommendation = Street**

Because of this, we can ensure three leaf nodes. In additional, when Astigmatism is No, the Age only have one attribute Young which is not ensured, however the attribute SP can help us to

divide Recommendations in this branch if Age is Young, so we can draw a conclusion:

**IF Astigmatism = No AND Age = Young AND SP = Myope THEN Recommendation = Lifestyle**

**IF Astigmatism = No AND Age = Young AND SP = Hypermetrope THEN Recommendation = Polarized**

Until now, there is no more child branches when Astigmatism is No, we start consider that Astigmatism is Yes:

Firstly, when Astigmatism is Yes and Age is Old, we can find attribute TPR (Tear Production Rate) can divide this child branch perfectly:

**IF Astigmatism = Yes AND Age = Old AND TPR = Normal THEN Recommendation = Lifestyle**

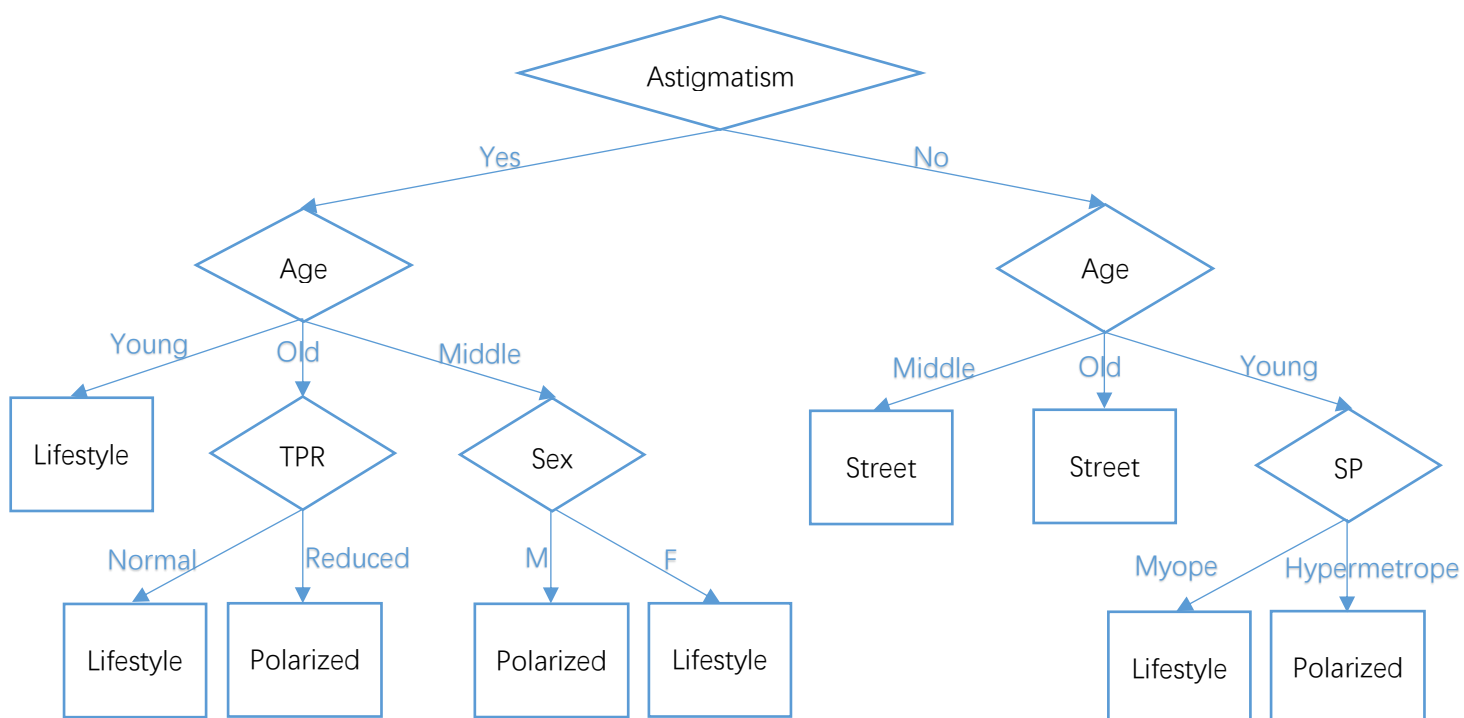
**IF Astigmatism = Yes AND Age = Old AND TPR = Reduced THEN Recommendation = Polarized**

Secondly, when Astigmatism is Yes and Age is Middle, we can find attribute Sex can divide this child branch perfectly:

**IF Astigmatism = Yes AND Age = Middle AND SEX = F THEN Recommendation = Lifestyle**

**IF Astigmatism = Yes AND Age = Middle AND SEX = M THEN Recommendation = Polarized**

Finally, the decision tree:



**Note:** In order to use these data in program, we need to transform these data from strings to integers:

Tear Production Rate	Sex	Age	Spectacle Prescription	Astigmatism	Recommendation
Reduced (4)	M (2)	Young (6)	Myope (9)	Yes (1)	Lifestyle (11)
Normal (5)	F (3)	Old (7)	Hypermetrope (10)	No (0)	Street (12)
		Middle (8)			Polarized (13)

b. The testing accuracy rate is **80%**, the data in last row of Testing Data Set is not matching in my decision tree. The result from my decision tree is Street(12), actually the true result is Lifestyle(11).

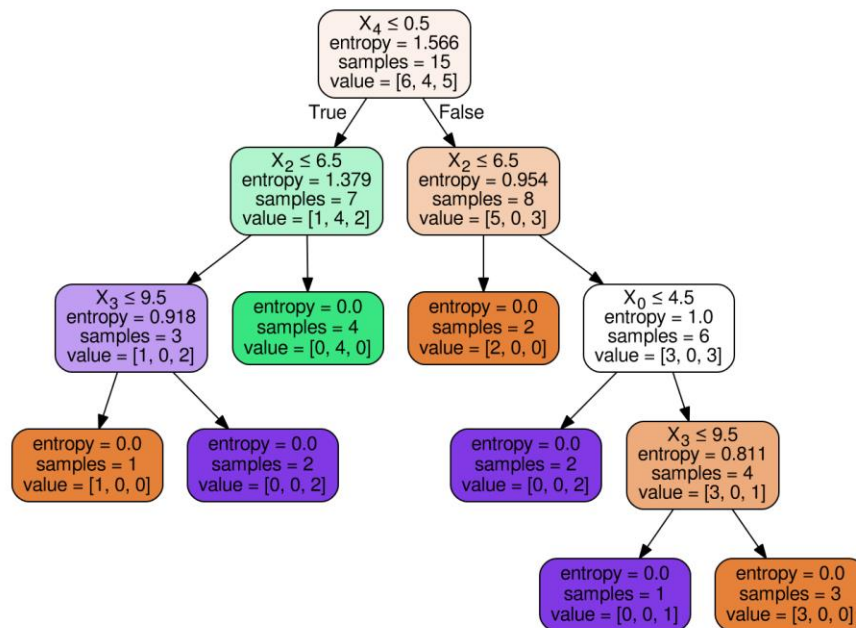
c.

The result by Scikit-Learn:

```
(.env_h)
rico_@DESKTOP-I1BPPT0 MINGW64 /d/Msc
$ py decision_tree_ques1.py
testing Y data: [11 12 13 13 11]
prediction Y data: [11 12 13 13 12]
accuracy rate: 80.0%
```

We can find that the accuracy rate is 80% by Scikit-Learn, the fault result is also Street(12), actually the result should be Lifestyle, which is same to my conclusion. In conclusion, Scikit-Learn has the similar prediction to my decision tree.

The decision tree by scikit-learn:



But, we can find the structure of this tree is a little different from my tree, the first layer and second layer are same in both this tree and my tree, and the count of samples are same, too. But other layers are different.

The reference code:

```
# -*- encoding:utf-8 -*-

import pandas as pd
from sklearn import tree
from sklearn.externals.six import StringIO
from IPython.display import Image
from sklearn.tree import export_graphviz
import pydotplus
```

```

df_train = pd.read_csv("training_data_set.csv")
df_train.columns = ["Tear Production Rate", "Sex", "Age", "Spectacle Prescription",
"Astigmatism", "Recommendation"]
train_X = df_train.values[:, 0:5]
train_Y = df_train.values[:, 5]

df_test = pd.read_csv("test_data_set.csv")
df_test.columns = ["Tear Production Rate", "Sex", "Age", "Spectacle Prescription",
"Astigmatism", "Recommendation"]
test_X = df_test.values[:, 0:5]
test_Y = df_test.values[:, 5]

dtree = tree.DecisionTreeClassifier(criterion="entropy")
dtree.fit(train_X, train_Y)

Y_pred = dtree.predict(test_X)
print("testing Y data: {0}".format(test_Y))
print("prediction Y data: {0}".format(Y_pred))
print("accuracy rate: {0}%".format(dtree.score(test_X, test_Y)*100))

dot_data = StringIO()
export_graphviz(dtree, out_file=dot_data, filled=True, rounded=True, special_characters=True)
graph = pydotplus.graph_from_dot_data(dot_data.getvalue())
graph.write_pdf("decision_tree.pdf")

```

**Answer 2:**

**a).**

step1, normalize data ((x-min)/(max-min)):

Customer No.	Sex	Average No. of Transactions	Average Monthly Payment	Average No. of months in Silver
1	1	0.2632	0.0718	0.0
2	0	0.7895	0.4628	0.3636
3	1	0.1053	0.0824	0.4545
4	0	0.0	0.0931	0.1818
5	1	0.4211	0.6596	0.5455
6	0	0.0	1.0	0.8182
7	1	0.3158	0.5745	0.0909
8	0	0.3684	0.0691	0.2727
9	1	0.2105	0.0	0.7273
10	1	0.8947	0.8005	1.0
11	0	1.0	0.6809	0.4545
12	1	0.5789	0.2367	0.1818
13	0	0.3684	0.359	0.3636
14	0	0.6316	0.5452	0.2727
15	0	0.5263	0.4548	0.6364

step2, normalize sample data:

Sex	Average No. of Transactions	Average Monthly Payment	Average No. of months in Silver
0	0.3158	0.3617	0.0909

step3, calculate euclidean distances among the sample and all 15 training data:

Customer No.	distance	Customer No.	distance
1	1.0465	8	0.3486
2	0.5559	9	1.2437
3	1.12	10	1.5343
4	0.4244	11	0.838
5	1.143	12	1.0455
6	1.0179	13	0.2778
7	1.0224	14	0.408
		15	0.5921

step4, select 5 smallest distances and their Customer No., further more to find their Decisions:

distance	0.2778	0.3486	0.408	0.4244	0.5559
Customer No.	13	8	14	4	2
Decision	Remain	Upgrade	Remain	Downgrade	Downgrade

step5, select Decision with largest count number:

According to above table in step4, we find that the count of both Remain and Downgrade is 2, so we can get these two results. If we must get one result, I think that we can choose Remain as final result, because it has smaller distances than Downgrade.

**b)**

The method is similar to question a), the difference is that the target is to find Average No. of Transactions rather than Decision, the detail steps:

step1, normalize data  $((x-\min)/(\max-\min))$ :

Customer No.	Sex	Average Monthly Payment	Average No. of months in Silver
1	1	0.0718	0.0
2	0	0.4628	0.3636
3	1	0.0824	0.4545
4	0	0.0931	0.1818
5	1	0.6596	0.5455
6	0	1.0	0.8182
7	1	0.5745	0.0909
8	0	0.0691	0.2727
9	1	0.0	0.7273
10	1	0.8005	1.0
11	0	0.6809	0.4545

12	1	0.2367	0.1818
13	0	0.359	0.3636
14	0	0.5452	0.2727
15	0	0.4548	0.6364

step2, normalize sample data:

Sex	Average Monthly Payment	Average No. of months in Silver
1	0.2821	0.4655

step3, calculate euclidean distances among the sample and all 15 training data:

Customer No.	distance	Customer No.	distance
1	0.5108	8	1.0405
2	1.0213	9	0.3848
3	0.2	10	0.7446
4	1.0565	11	1.0766
5	0.3859	12	0.2874
6	1.2805	13	1.0081
7	0.4752	14	1.0519
		15	1.0291

step4, select 5 smallest distances and their Customer No., further more to find their Average No. of Transactions and to calculate weights:

distance	0.2	0.2874	0.3848	0.3859	0.4752
Customer No.	3	12	9	5	7
Average No. of Transactions	5	14	7	11	9
Weights	0.317	0.2206	0.1647	0.1643	0.1334

**Note:** method of calculating weights:

$$(\text{distance} / \sum(\text{distances}))^{-1} / \sum((\text{distance} / \sum(\text{distances}))^{-1})$$

step5, calculate the final Average No. of Transactions through multiply these 5 Average No. of Transactions with their weights respectively in step4, then plus these five results together:  
 $5 \times 0.317 + 14 \times 0.2206 + 7 \times 0.1647 + 11 \times 0.1643 + 9 \times 0.1334 = 8.8342$

In conclusion, we expect the average no. of transactions of the customer is **8.8342**

**c)**

For part a), I will choose  $k=3$ . If  $k=3$ , we can get only decision of Remain. And the RMSE is 0.089 if  $k=3$ , which is less than 0.206 if  $k=5$ . As a conclusion, I think  $k=3$  is better than  $k=5$  in part a). Then we can also test the accuracy rate, each time we use every sample of 15 data as target sample to calculate the final accuracy rate, which actually is cross validation. Let us look



at the performance when k equals 1, 2, 3, 4, 5 and 6 respectively:

(Note: the program is coded by myself, because I use it to calculate results of every step in part a) and b), it also can be used in part c), I will put the code in the last page, ref1)

```
k = 1, accuracy rate = 21.4286%
k = 2, accuracy rate = 21.4286%
k = 3, accuracy rate = 28.5714%
k = 4, accuracy rate = 14.2857%
k = 5, accuracy rate = 14.2857%
k = 6, accuracy rate = 7.1429%
```

We can find that when k =3, the accuracy rate is the largest one among all results.

### Answer 3:

a)

Without pre-processing data, the result:

```
(.env_h)
rico@DESKTOP-I1BPT0 MINGW64 /d/Msc_learn/homework_and_project/AI/assignments (master)
$ py decision_tree_ques2.py
mean accuracy: 0.8719374999999998
RMSE error:0.35785821214553676
```

I make the training step loop for **100000** times, which gets mean accuracy about **87.19%** and global RMSE error about **0.3579**. Reference code:

```
import pandas as pd
import numpy as np
from sklearn.model_selection import train_test_split
from sklearn import tree
from sklearn import metrics

file_name = "cardiac.csv"
df_train = pd.read_csv(file_name)
df_train.columns = ["bhr", "basebp", "basedp", "pkhr", "sbp", "dp", "dose",
                    "maxhr", "%mphr(b)", "mbp", "dpmaxdo",
                    "dobdose", "age", "gender", "baseEF", "dobEF", "chestpain",
                    "posECG", "equivec", "restwma",
                    "posSE", "newMI", "newPTCA", "newCABG", "hxofHT", "hxofdm",
                    "hxofcig", "hxofMI",
                    "hxofPTCA", "hxofCABG", "death"]
X = df_train.values[:, 0:-1]
Y = df_train.values[:, -1]

accuracy_ls = []
test_y_ls = []
pre_y_ls = []

times = 100000
for i in range(times):
    print("finish {0}%\r".format(int(i / times * 100)), end='')
    trainX, testX, trainY, testY = train_test_split(X, Y, test_size=0.3)
    test_y_ls.append(testY)
    dtree = tree.DecisionTreeClassifier(criterion="entropy")
    dtree.fit(trainX, trainY)
    Y_pred = dtree.predict(testX)
    pre_y_ls.append(Y_pred)
    accuracy_ls.append(dtree.score(testX, testY))

print("mean accuracy: {0}".format(np.mean(accuracy_ls)))
print("RMSE error:{0}".format(np.sqrt(metrics.mean_squared_error(test_y_ls,
pre_y_ls))))
```

b)

After observing data set, I found some data is much dispersive in a large range, so I decide to divide them into some intervals, the way:

max≤50	Interval is 5: x0~x2 → x0, x3~x7 → x5, x8~y0 → y0 (y=x+1)
50<max≤100	Interval is 10: x0~x4 → x0, x5~x9 → y0 (y=x+1)
100<max	only left first two higher bits, other lower bits are set 0, if exist <100, refer to "50<max≤100"

I will put the code in the last page, (ref2).

Through the dispose in terms of above methods, we can get a better result by the same way to part a):

```
(.env_h) times = 100000
rico_@DESKTOP-I1BPPT0-MINGW64 /d/Msc_learn/homework_and_project/AI/assignments (master)
$ py decision_tree_ques2.py trainY, testY = train_test_split(X, Y, test_size=0.3)
mean accuracy: 0.8776916666666669
RMSE error: 0.34972608328995614
```

We can get mean accuracy about **87.77%** and global RMSE error about **0.3497**. We can find that the mean accuracy is higher than part a) about **0.58%**, and RMSE error is lower than a) about **0.0082**, which are better than part a).

Then I found the kinds of data of several attributes are too much single (by a python script to count data, I will put the code in the last page, ref3), so after delete these attributes (refer to the table below), we see the performance:

delete these attributes:

hxofPTCA		hxofcig		newCABG		newPTCA		posECG	
data	count	data	count	data	count	data	count	data	count
0	74	0.0	66	0	71	0	73	0	72
1	3	1.5	6	1	6	1	4	1	5
		1.0	5						

performance:

```
(.env_h) dtree = tree.DecisionTreeClassifier(criterion='entropy')
rico_@DESKTOP-I1BPPT0-MINGW64 /d/Msc_learn/homework_and_project/AI/assignments (master)
$ py decision_tree_ques2_d.py dict(testX)
mean accuracy: 0.8815299999999998
RMSE error: 0.34419471233591026
```

We can get mean accuracy about **88.15%** and global RMSE error about **0.3442**. We can find that the mean accuracy is higher than part a) about **0.96%**, and RMSE error is lower than a) about **0.0137**, which are better than part a).

Draw a conclusion, through above two steps, we can improve accuracy of the classification process to some extent, but the performance is limited.

ref1:

```
# -*- encoding:utf-8 -*-
import numpy as np
import heapq
from decimal import Decimal
import copy
from collections import Counter

def knn(k, target_sample, sex_train, avg_trans_train, avg_payment_train, avg_silver_train):
    # ##### find max and min #####
    max_avg_trans = max(avg_trans_train)
    min_avg_trans = min(avg_trans_train)
    max_avg_payment = max(avg_payment_train)
    min_avg_payment = min(avg_payment_train)
    max_avg_silver = max(avg_silver_train)
    min_avg_silver = min(avg_silver_train)

    round_fun = lambda x: float('{:.4f}'.format(Decimal(x)))
    # ##### normalize training data #####
    normalization_fun = lambda input_ls, max_val, min_val: [round_fun((each_data - min_val)/(max_val - min_val)) for each_data in input_ls]
    normal_avg_trans = normalization_fun(avg_trans_train, max_avg_trans, min_avg_trans)
    normal_avg_payment = normalization_fun(avg_payment_train, max_avg_payment, min_avg_payment)
    normal_avg_silver = normalization_fun(avg_silver_train, max_avg_silver, min_avg_silver)
    print("normalization avg_trans: {0}".format(normal_avg_trans))
    print("normalization avg_payment: {0}".format(normal_avg_payment))
    print("normalization avg_silver: {0}".format(normal_avg_silver))
    print(".....")

    # ##### normalize target sample #####
    sample_normal_avg_trans = round_fun((target_sample["avg_trans"] - min_avg_trans)/(max_avg_trans - min_avg_trans))
    sample_normal_avg_payment = round_fun((target_sample["avg_payment"] - min_avg_payment)/(max_avg_payment - min_avg_payment))
    sample_normal_avg_silver = round_fun((target_sample["avg_silver"] - min_avg_silver)/(max_avg_silver - min_avg_silver))
    sample_sex = target_sample["sex"]
    print("sample attributes normalization: avg_trans({0}), avg_payment({1}), avg_silver({2}), "
          "sex({3})".format(sample_normal_avg_trans, sample_normal_avg_payment, sample_normal_avg_silver, sample_sex))
    print(".....")

    # ##### calculate euclidean distance #####
    # euclidean distance power 2 in every attribute:
    distance_fun = lambda normal_ls, sample_data: [round_fun(np.square(sample_data - each_data, dtype=np.float64)) for each_data in normal_ls]
    distance_in_avg_trans = distance_fun(normal_avg_trans, sample_normal_avg_trans)
    distance_in_avg_payment = distance_fun(normal_avg_payment, sample_normal_avg_payment)
    distance_in_avg_silver = distance_fun(normal_avg_silver, sample_normal_avg_silver)
    distance_in_sex = distance_fun(sex_train, sample_sex)

    # final euclidean distance:
    overall_distance = []
    for i in range(len(distance_in_avg_trans)):
        overall_distance.append(round_fun(np.sqrt(distance_in_avg_trans[i] + distance_in_avg_payment[i] + distance_in_avg_silver[i] + distance_in_sex[i], dtype=np.float64)))
    print("every euclidean distance: {0}".format(overall_distance))
    print(".....")
```

ref1(2):

```
# ##### find min k samples #####
min_k_ls = heapq.nsmallest(k, overall_distance)
index_smallest_distance = [overall_distance.index(each_distance) for each_distance in min_k_ls]
print("smallest K distances: {0}".format(min_k_ls))
print("smallest K index (first 0): {0}".format(index_smallest_distance))
print("smallest K items:")
final_des_ls = []
for index in index_smallest_distance:
    final_des_ls.append(decision_dic[decision_ls[index]])
    print("\t" + decision_dic[decision_ls[index]])
word_counts = Counter(final_des_ls)
top_one = word_counts.most_common(1)
return top_one[0][0]

# target_sample = {"sex": 0, "avg_trans": 9, "avg_payment": 410, "avg_silver": 5}

# ##### data #####
sex = [1, 0, 1, 0, 1, 0, 1, 0, 1, 1, 0, 1, 0, 0, 0] # F: 1, M:0
avg_trans = [8, 18, 5, 3, 11, 3, 9, 10, 7, 20, 22, 14, 10, 15, 13]
avg_payment = [301, 448, 305, 309, 522, 650, 490, 300, 274, 575, 530, 363, 409, 479, 445]
avg_silver = [4, 8, 9, 6, 10, 13, 5, 7, 12, 15, 9, 6, 8, 7, 11]
decision_dic = {1: "Remain", 2: "Downgrade", 3: "Upgrade"}
decision_ls = [1, 2, 1, 2, 1, 2, 3, 3, 2, 3, 2, 3, 1, 1, 1]

def cal_accuracy_rate(k):
    count1 = 0
    for i in range(len(sex)):
        target_sample = {"sex": sex[i], "avg_trans": avg_trans[i], "avg_payment": avg_payment[i],
"avg_silver": avg_silver[i]}
        sex_train = copy.deepcopy(sex)
        avg_trans_train = copy.deepcopy(avg_trans)
        avg_payment_train = copy.deepcopy(avg_payment)
        avg_silver_train = copy.deepcopy(avg_silver)
        sex_train.pop(i)
        avg_trans_train.pop(i)
        avg_payment_train.pop(i)
        avg_silver_train.pop(i)
        prediction = knn(k, target_sample, sex_train, avg_trans_train, avg_payment_train,
avg_silver_train)
        real_value = decision_dic[decision_ls[i]]
        if real_value == prediction:
            count1 += 1
    round_fun = lambda x: float('{:.4f}'.format(Decimal(x)))
    accuracy_rate = round_fun(count1/(len(sex)-1)*100)
    return "{0}%".format(accuracy_rate)

if __name__ == '__main__':
    k_ls = [1, 2, 3, 4, 5, 6]
    accuracy_dict = {}
    for k in k_ls:
        print("\n*****")
        print("***** k = {0}"
*****".format(k))
        print("*****")
        accuracy_rate = cal_accuracy_rate(k)
        accuracy_dict[k] = accuracy_rate
    for (k, v) in accuracy_dict.items():
        print("k = {0}, accuracy rate = {1}".format(k, v))
```

ref2:

```
# -*- encoding:utf-8 -*-

import pandas as pd
import numpy as np

df_data = pd.read_csv("cardiac.csv")
df_data.columns = ["bhr", "basebp", "basedp", "pkhr", "sbp", "dp", "dose",
"maxhr", "%mphr(b)", "mbp", "dpmaxdo",
                  "dobdose", "age", "gender", "baseEF", "dobEF", "chestpain",
"posECG", "equivec", "restwma",
                  "posSE", "newMI", "newPTCA", "newCABG", "hxofHT", "hxofdm",
"hxofcig", "hxofMI",
                  "hxofPTCA", "hxofCABG", "death"]

dic_clean_data = {}
# bhr_series = df_data["bhr"]
dic_clean_data["bhr"] = df_data["bhr"]
# basebp_series = df_data["basebp"]
dic_clean_data["basebp"] = df_data["basebp"]
# basedp_series = df_data["basedp"]
dic_clean_data["basedp"] = df_data["basedp"]
# pkhr_series = df_data["pkhr"]
dic_clean_data["pkhr"] = df_data["pkhr"]
# sbp_series = df_data["sbp"]
dic_clean_data["sbp"] = df_data["sbp"]
# dp_series = df_data["dp"]
dic_clean_data["dp"] = df_data["dp"]
# maxhr_series = df_data["maxhr"]
dic_clean_data["maxhr"] = df_data["maxhr"]
# mphr_b_series = df_data["%mphr(b)"]
dic_clean_data["%mphr(b)"] = df_data["%mphr(b)"]
# mbp_series = df_data["mbp"]
dic_clean_data["mbp"] = df_data["mbp"]
# dpmaxdo_series = df_data["dpmaxdo"]
dic_clean_data["dpmaxdo"] = df_data["dpmaxdo"]
# age_series = df_data["age"]
dic_clean_data["age"] = df_data["age"]
# baseEF_series = df_data["baseEF"]
dic_clean_data["baseEF"] = df_data["baseEF"]
# dobEF_series = df_data["dobEF"]
dic_clean_data["dobEF"] = df_data["dobEF"]
for (k, v) in dic_clean_data.items():
    # max_item = max(v)
    # min_item = min(v)
    temp_ls = []
    for each_data in v:
        if max(v) <= 50:
            if 3 <= each_data % 10 <= 7:
                new_data = each_data//10 * 10 + 5
            elif 7 < each_data % 10 <= 9:
                new_data = each_data//10 * 10 + 10
            elif 1 <= each_data % 10 < 3:
                new_data = each_data // 10 * 10
            else:
                new_data = each_data
        temp_ls.append(new_data)
```

ref2(2):

```
elif 50 < max(v) <= 100:
    if 1 <= each_data % 10 <= 4:
        new_data = each_data//10 * 10
    elif 5 <= each_data % 10 <= 9:
        new_data = each_data//10 * 10 + 10
    else:
        new_data = each_data
    temp_ls.append(new_data)
else:
    if each_data < 100:
        if 1 <= each_data % 10 <= 4:
            new_data = each_data // 10 * 10
        elif 5 <= each_data % 10 <= 9:
            new_data = each_data // 10 * 10 + 10
        else:
            new_data = each_data
        temp_ls.append(new_data)
    else:
        num_len = len(str(each_data))
        new_data = (each_data//np.power(10, num_len-2)) * np.power(10,
num_len-2)
        temp_ls.append(new_data)
    df_data[k] = temp_ls

df_data.to_csv("nor_data1.csv")    # normalization data
```

ref3:

```
# -*- encoding:utf-8 -*-

import pandas as pd

df_data = pd.read_csv("nor_data1.csv")
df_data.columns = ["bhr", "basebp", "basedp", "pkhr", "sbp", "dp", "dose",
"maxhr", "%mphr(b)", "mbp", "dpmaxdo",
"dobdose", "age", "gender", "baseEF", "dobEF", "chestpain",
"posECG", "equivec", "restwma",
"posSE", "newMI", "newPTCA", "newCABG", "hxofHT", "hxofdm",
"hxofcig", "hxofMI",
"hxofPTCA", "hxofCABG", "death"]

count = 0
for col in df_data.columns:
    count += 1
    print(df_data[col].value_counts())
print(count)
```