

Arrays (Part I+II)

Dr. Chénche

Two-dimensional Arrays (Matrix)

- A matrix is: a collection of a fixed number of components (of the same type) arranged in two dimensions.
- **Declaration syntax:**

```
Data_Type Matrix_Name[Nbline][Nbcol];
```

where **Nbline** and **Nbcol** are **integer values** that specify the number of rows and the number of columns, respectively, in the matrix.

Declaration of Matrix

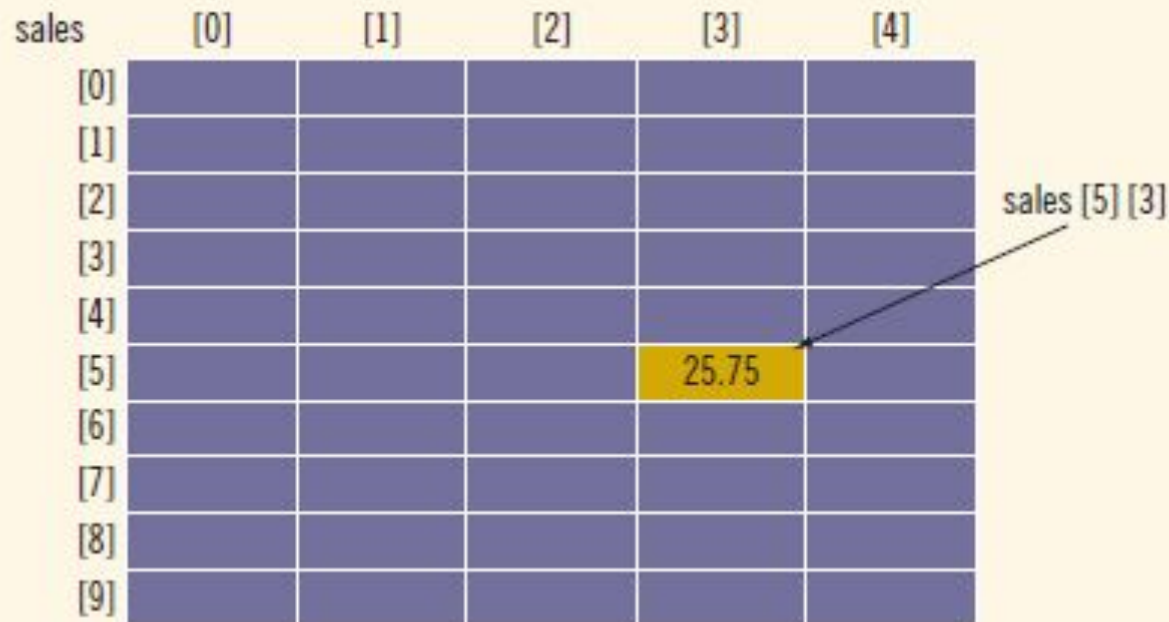
```
int main()  
{  
    int Matrix[7][6];  
  
    return 0;  
}
```

matrix	[0]	[1]	[2]	[3]	[4]	[5]
[0]						
[1]						
[2]						
[3]						
[4]						
[5]						
[6]						

Accessing Matrix elements

Example :

```
float sales[10][5];
```



sales	[0]	[1]	[2]	[3]	[4]
[0]					
[1]					
[2]					
[3]					
[4]					
[5]				25.75	
[6]					
[7]					
[8]					
[9]					

Matrix Initialization During Declaration

- A matrix can be initialized when it is declared:

```
int Matrix[4][3]={ {1,2,3},{4,5,6},{7,8,9},{10,11,12} };
```

- Elements of each row are enclosed within braces and separated by commas.
- All rows are enclosed within braces.

Processing Matrix

- **Ways to process a Matrix :**
 - Process the entire Matrix
 - Process a particular row of the array, called row processing
 - Process a particular column of the array, called column processing
- Each row and each column of a matrix is a one-dimensional array
 - To process each, use process similar to processing one-dimensional arrays

Initialization

- To initialize the entire matrix by 0:

```
for (i=0; i<n; i++)  
for (j=0; j<m; j++)  
Matrix[i][j]=0;
```

- To initialize fifth (5) row by 0:

```
for (j=0; j<m; j++)  
Matrix[4][j]=0;
```

Reading (Fill in) a Matrix

- To input data into each component of matrix:

```
int T[100][100], i, j, n=3, m=4;  
for (i=0; i<n; i++)  
    for (j=0; j<m; j++)  
        { printf("T[%d][%d]=", i+1, j+1);  
          scanf("%d", &T[i][j]); }
```


Display a Matrix

- To output the components of matrix:

```
for (i=0; i<n; i++) {  
    for (j=0; j<m; j++)  
        printf("%d ", M[i][j]);  
    printf("\n"); }
```

Traversals in a matrix

1- Row traversal

- **Row traversal** refers to **visit elements in a matrix row by row.**
- **How does "Row Traversal" Work in a Matrix?**

1- Row traversal

- For a matrix with dimensions **$n \times m$** (n rows and m columns):
- You start at the first row (row 0).
- For each row, you go through each column elements from left to right.
- Once you complete a row, you move to the next row until you finish traversing all rows in the matrix.

1- Row traversal

- **Example**

- Traverse each row of a matrix and display **even elements** in each row.

5	6	4
8	1	12
25	10	23

1- Row traversal

- Example

Result by row

	j = 0	j = 1	j = 2	
i = 0	5	6	4	→ 6 , 4
	8	1	12	
	25	10	23	

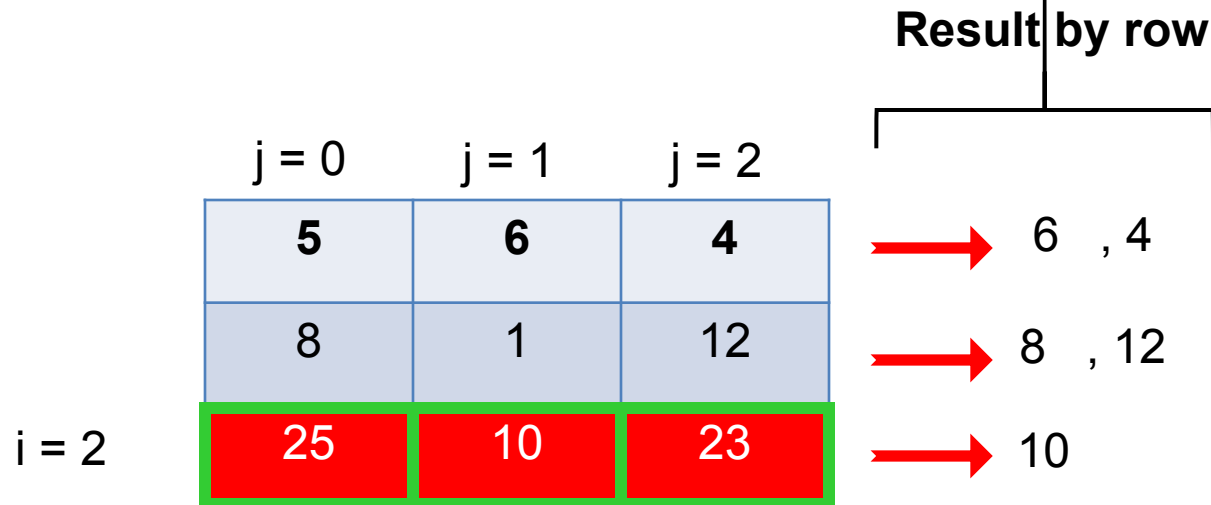
1- Row traversal

- Example

			Result by row	
			└──────────┘	
	j = 0	j = 1	j = 2	
i = 1	5	6	4	→ 6 , 4
	8	1	12	→ 8 , 12
	25	10	23	

1- Row traversal

- **Example**



Final result : 6, 4, 8, 12, 10

1- Row traversal

Example : Sum by Row

Find the sum of each individual row in a matrix :

1- Row traversal

- **Exercise**

- Unroll the following program
- What does the program

```
#include <stdio.h>
int main() {
    int A[3][2] = { {3,5}, {2,4}, {7,2} };
    int xt = 0;
    for (int i = 0; i < 3; i++)
    {
        int x = 0;
        for (int j = 0; j < 2; j++)
            x += A[i][j];
        printf("Row %d: %d\n", i + 1, x);
        xt += x;
    }
    printf("\next: %d\n", xt);
    return 0;}
```

2- Column traversal

Column traversal refers to **visit elements in a matrix column by column.**

7	3
6	2
1	4

2- Column traversal

Column traversal refers to **visit elements in a matrix column by column.**

J=0

i=0	7	3
i=1	6	2
i=2	1	4

2- Column traversal

Column traversal refers to **visit elements in a matrix column by column.**

J=1

i=0	7	3
i=1	6	2
i=2	1	4

3- Fixed Row Traversal

Here we keep the row index constant and traverse along the columns.

Second row : $i=1$

0	5	30
1	12	7
29	0	13

Example. Sum by Fixed Row

To find the sum of **row number 2** in a matrix, we **fix the row $i=1$** and **traverse through the columns**.

4- Fixed column Traversal

Here we keep the **column** index constant and traverse along the row.

Third column:

j=2

0	5	30
1	12	7
29	0	13

Example. Sum by Column

To find the sum of **column number 3** in a matrix, we **fix the column j=2** and **traverse through the rows**.

5- Partial traversal

- A **partial traversal** means only visiting a portion of the elements or performing operations on a subset of data rather than traversing the entire dataset.

12	0	34	34	3	1
3	9	3	100	44	2
6	7	55	3	22	3
7	6	5	3	39	4
8	5	120	3	20	5

5- Partial traversal

- a **partial traversal** means only visiting a portion of the elements or performing operations on a subset of data rather than traversing the entire dataset.

		j=2		j=4	
	12	0	34	34	3
i=1	3	9	3	100	44
	6	7	55	3	22
i=3	7	6	5	3	39
	8	5	120	3	20

```
for (i=P1;i<=P2;i++)  
    for (j=Q1;j<=Q2;j++)
```


6- Principal diagonal

0	5	30
1	12	7
29	0	13

```
for (i =0;i<n;i++)  
    M[i][i];
```

7- Secondary diagonal

0	5	30
1	12	7
29	0	13

```
for (i =0;i<n;i++)  
    M[i][n-1-i];
```

Exercise 1 : (Course)

Given a matrix A of size $n*m$ ($n \leq 20$, $m \leq 30$), write a program which :

- 1- Reads (fills) the values of the matrix A with two different methods (by row and by column).
- 2- Displays the maximum and the average of all the elements of A.
- 3- Construct the matrix B which represents the transpose of the matrix A.
- 4- Displays the sum of each column of B.
- 5- Displays matrix A line by line, and matrix B column by column.

Exo (on 0.5 point)

- Ecrire un programme qui affiche la somme des elements pairs des lignes paires

Write a program that displays the sum of the even elements in even rows.