

different steps of the code. **Happy coding!**

IMF Commodity Price Forecast

from statsmodels.tsa.stattools import adfuller, acf, pacf

Plot ACF and PACF plots. Find the p, d, and q values

Forecast the prices using the new model

from datetime import datetime as dt

from matplotlib.pylab import rcParams rcParams['figure.figsize'] = 15, 6

df = pd.read csv('zinc prices IMF.csv')

df.loc[:,'Date'] = pd.to datetime(df['Date'])

'1980-05-01',

DatetimeIndex(['1980-01-01', '1980-02-01', '1980-03-01', '1980-04-01',

'1980-09-01', '1980-10-01',

'2016-01-01', '2016-02-01'],

'1980-06-01', '1980-07-01', '1980-08-01',

2004

2014

Rolling Mean Rolling Std

2016

'2015-05-01', '2015-06-01', '2015-07-01', '2015-08-01', '2015-09-01', '2015-10-01', '2015-11-01', '2015-12-01',

dtype='datetime64[ns]', name='Date', length=434, freq=None)

Date

dfoutput = pd.Series(dftest[0:4], index=['Test Statistic','p-value','#Lags Used',

Rolling Mean & Standard Deviation

2000

1996

-3.139601

0.023758

7.000000

426.000000

-3.445794

-2.868349

-2.570397

movingAverage = ts log.rolling(window=12).mean() movingSTD = ts log.rolling(window=12).std()

plt.plot(movingAverage, color='red')

Out[10]: [<matplotlib.lines.Line2D at 0x12f5c130>]

1984

ts log mv diff.head(12) #Remove Nan Values

ts log mv diff.head(10)

1988

ts log mv diff = ts log - movingAverage

ts log mv diff.dropna(inplace=True)

0.030472

0.021753

0.008392

0.082191

0.097617

0.066587

0.078914

0.160180 0.127928

test stationarity(ts log mv diff)

Name: Price, dtype: float64

-0.022485

1992

1996

Get the difference between the moving average and the actual number of passengers

Rolling Mean & Standard Deviation

2000

2004

2004

2008

2012

2016

Original Rolling Mean Rolling Std

2016

10

2012

2016

Check for the stationarity of your data using Rolling

rolmean = timeseries.rolling(window=52,center=False).mean() rolstd = timeseries.rolling(window=52,center=False).std()

orig = plt.plot(timeseries, color='blue',label='Original') mean = plt.plot(rolmean, color='red', label='Rolling Mean') std = plt.plot(rolstd, color='black', label = 'Rolling Std')

plt.title('Rolling Mean & Standard Deviation')

dfoutput['Critical Value (%s)'%key] = value

print ('Results of Dickey-Fuller Test:') dftest = adfuller(timeseries, autolag='AIC')

for key, value in dftest[4].items():

df.set index('Date', inplace=True)

Visualize the time series

ts = df['Price']

Out[6]: <AxesSubplot:xlabel='Date'>

1984

Statistics and Dickey-Fuller test

def test_stationarity(timeseries):

#Plot rolling statistics:

plt.legend(loc='best')

plt.show(block=False)

print (dfoutput)

test stationarity(df['Price'])

Results of Dickey-Fuller Test:

Number of Observations Used

Test Statistic

dtype: float64

Critical Value (1%)

Critical Value (5%)

plt.plot(ts log)

Critical Value (10%)

p-value

8.25

8.00

7.75

7.00

6.75

6.50

Out[11]: Date

1980-12-01

1981-01-01

1981-02-01

1981-03-01

1981-04-01

1981-05-01

1981-06-01

1981-07-01

1981-08-01

1981-09-01

0.4

0.2

0.0

-0.2

-0.4

1980

#Lags Used

p-value

Test Statistic

dtype: float64

plt.show()

1.0

0.8

0.6

0.4

0.0

-0.2

plt.show()

1.0

0.8

0.6

0.4

0.0

-0.2

0.6

0.2

0.0

-0.2

-0.4

Out[16]: Date

Out[17]: Date

In [18]:

Out[18]: Date

1980

1980-02-01

1980-03-01

1980-04-01

1980-05-01

1980-06-01

1980-02-01

1980-03-01

1980-04-01

1980-05-01

1980-06-01

1980-01-01

1980-02-01

1980-03-01

1980-04-01

1980-05-01

dtype: float64

plt.plot(ts)

4500

4000

3500

3000

2500

2000

1500

1000

500

1980

1984

1988

The orange curve is our prediction which has an RMSE of 429.0141.

1992

1996

2000

2004

2008

2012

2016

dtype: float64

dtype: float64

1984

predictions_ARIMA_diff.head()

0.002030

0.033049

-0.042031

-0.011002

-0.001089

predictions_ARIMA_diff_cumsum.head()

0.002030

0.035079

-0.006952

-0.017955

-0.019043

6.651339

6.653369

6.686418

6.644387

6.633384

predictions_ARIMA = np.exp(predictions_ARIMA_log)

predictions_ARIMA_log.head()

plt.plot(predictions_ARIMA)

Out[19]: Text(0.5, 1.0, 'RMSE: 429.0141')

1988

Forecast the prices using the new model

Perform ARIMA modeling

plt.plot(ts log mv diff)

Out[15]: Text(0.5, 1.0, 'RSS: nan')

 $model = ARIMA(ts_log, order=(1, 1, 0))$ results ARIMA = model.fit(disp=-1)

plt.plot(results ARIMA.fittedvalues, color='red')

In [14]:

Critical Value (1%) Critical Value (5%)

Critical Value (10%)

1984

Number of Observations Used

Results of Dickey-Fuller Test:

1988

plt.axhline(y=0,linestyle='--',color='gray')

value of p in the ARIMA model is 1 or 2.

plt.axhline(y=0,linestyle='--',color='gray')

plt.title('Partial Autocorrelation Function')

plt.plot(np.arange(0,11), pacf(ts_log_mv_diff, nlags = 10))

plt.title('Autocorrelation Function')

1992

plt.plot(np.arange(0,11), acf(ts_log_mv_diff, nlags = 10))

1996

-5.898484e+00

2.814411e-07

4.000000e+00

4.180000e+02 -3.446091e+00

-2.868479e+00

-2.570466e+00

Plot ACF and PACF plots. Find the p, d, and q values

plt.axhline(y=-7.96/np.sqrt(len(ts log mv diff)),linestyle='--',color='gray') plt.axhline(y=7.96/np.sqrt(len(ts log mv diff)),linestyle='--',color='gray')

The PACF curve drops to 0 between lag values 1 & 2. Thus, optimal

plt.axhline(y=-7.96/np.sqrt(len(ts_log_mv_diff)),linestyle='--',color='gray') plt.axhline(y=7.96/np.sqrt(len(ts_log_mv_diff)),linestyle='--',color='gray')

Partial Autocorrelation Function

plt.title('RSS: %.4f'% sum((results ARIMA.fittedvalues[1:] - ts log mv diff)**2))

predictions_ARIMA_diff = pd.Series(results_ARIMA.fittedvalues, copy=True)

predictions_ARIMA_diff_cumsum = predictions_ARIMA_diff.cumsum()

predictions_ARIMA_log = pd.Series(ts_log.iloc[0], index=ts_log.index)

plt.title('RMSE: %.4f'% np.sqrt(sum((predictions_ARIMA-ts)**2)/len(ts)))

predictions_ARIMA_log = predictions_ARIMA_log.add(predictions_ARIMA_diff_cumsum,fill_v

RMSE: 429.0141

RSS: nan

Autocorrelation Function

2000

2004

2008

2012

#Lags Used

In [9]:

3000

2000

1000

#Perform Dickey-Fuller test:

#Determing rolling statistics

ts log = np.log(ts)

ts.plot()

4500

4000

3500

3000

2500

1500

1000

500

import matplotlib.pyplot as plt

warnings.filterwarnings('ignore')

Price

740.75

707.68

from statsmodels.tsa.arima model import ARIMA

Perform ARIMA modeling

Prices Dataset

import numpy as np import pandas as pd

%matplotlib inline

import warnings

print(df.head()) df.describe()

Date

1-Mar-80

1-Apr-80

0

count

mean

std

min

25%

50%

75%

df.index

In [4]:

1-Jan-80 773.82

1-Feb-80 868.62

1-May-80 701.07

434.000000

1362.338594

677.071321

597.450000

875.355000

1088.875000

1742.052500

max 4381.450000

Price

import math

DESCRIPTION

• Visualize the time series

remove it using the stationarity removal techniques

Check for the stationarity of your data using Rolling Statistics and Dickey-Fuller test and if present,

Time Series Analysis and Modeling with the Zinc

Actions to Perform:

Objective: Obtain a time series model to analyze Zinc prices.

You are provided with a dataset which consists of Zinc prices for the period Jan 1980 – Feb 2016.

If at any point in time you need help on solving this assignment, view our demo video to understand the