

# Introduction to Mathematica

#CA1

#Q2

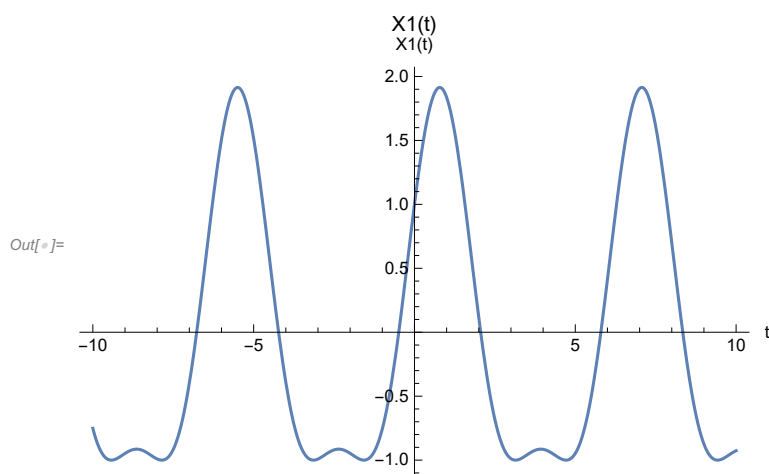
Signals & Systems

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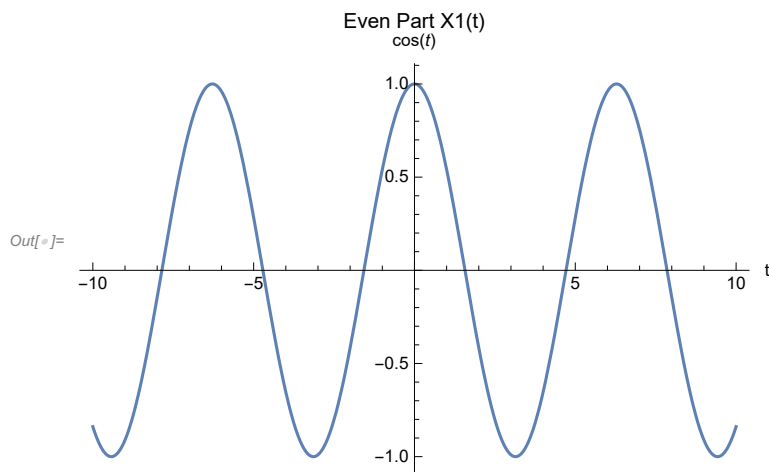
```
In[ ]:= X1[t_] := Cos[t] + Sin[t] + (Cos[t]) * (Sin[t])  
Plot[X1[t], {t, -10, 10}, PlotLabel -> "X1(t)", AxesLabel -> {"t", "X1(t)"}]
```

```
EX1 = (X1[t] + X1[-t]) / 2  
Plot[EX1, {t, -10, 10}, PlotLabel -> "Even Part X1(t)", AxesLabel -> {"t", EX1}]
```

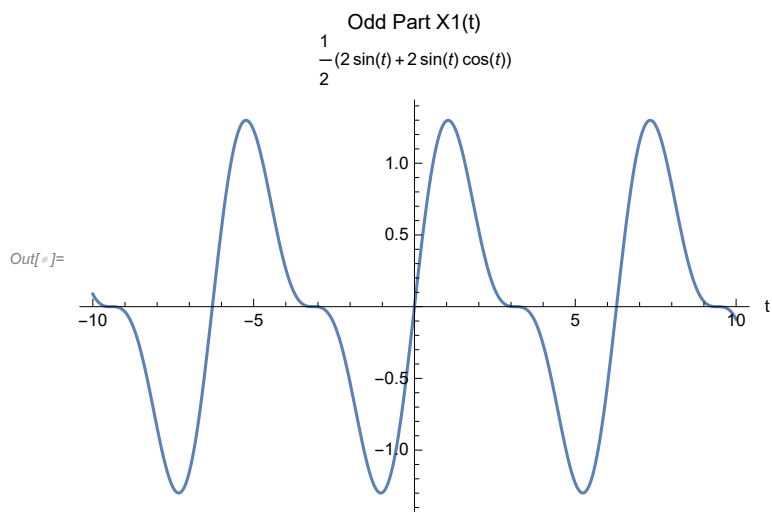
```
OX1 = (X1[t] - X1[-t]) / 2  
Plot[OX1, {t, -10, 10}, PlotLabel -> "Odd Part X1(t)", AxesLabel -> {"t", OX1}]
```



Out[ ]:= Cos[t]



$$\text{Out}[*]= \frac{1}{2} (2 \sin[t] + 2 \cos[t] \sin[t])$$



$$\text{In}[*]:= \mathbf{X2[t\_]} := 1 + t * \mathbf{Cos[t]} + (t^2) * \mathbf{Sin[t]}$$

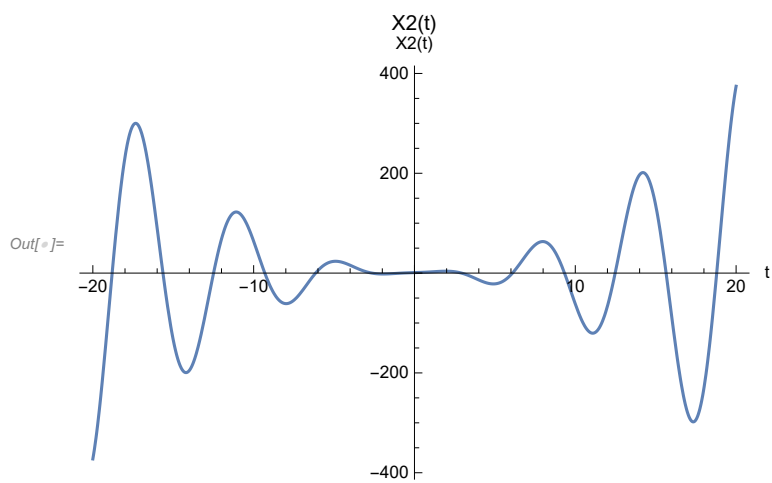
$\mathbf{Plot[X2[t], \{t, -20, 20\}, PlotLabel \rightarrow "X2(t)", AxesLabel \rightarrow \{ "t", "X2(t) " \}]}$

$$\mathbf{EX2 = (X2[t] + X2[-t]) / 2}$$

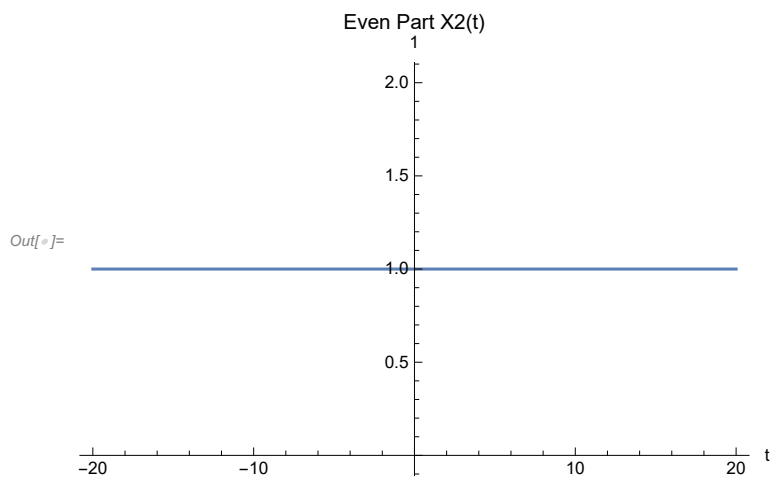
$\mathbf{Plot[EX2, \{t, -20, 20\}, PlotLabel \rightarrow "Even Part X2(t)", AxesLabel \rightarrow \{ "t", EX2 \}]}$

$$\mathbf{OX2 = (X2[t] - X2[-t]) / 2}$$

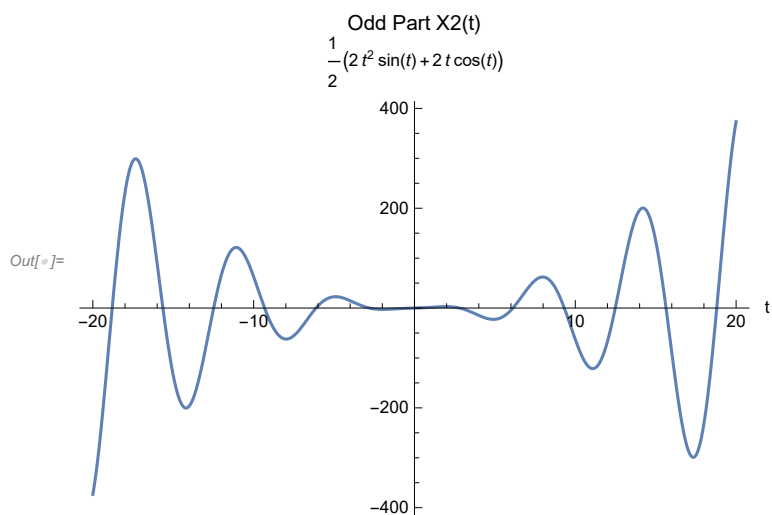
$\mathbf{Plot[OX2, \{t, -20, 20\}, PlotLabel \rightarrow "Odd Part X2(t)", AxesLabel \rightarrow \{ "t", OX2 \}]}$



$\text{Out}[*]= \mathbf{1}$



$$\text{Out[ ]} := \frac{1}{2} (2 t \cos[t] + 2 t^2 \sin[t])$$



In[ ]:=  $X3[t\_]:= (1+t^3) * \cos[10*t]^3$

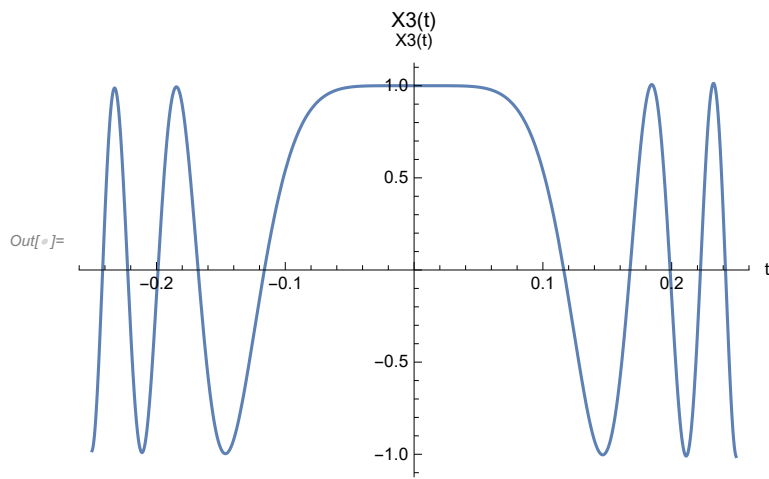
$\text{Plot}[X3[t], \{t, -0.25, 0.25\}, \text{PlotLabel} \rightarrow "X3(t)", \text{AxesLabel} \rightarrow \{"t", "X3(t)"\}]$

$EX3 = (X3[t] + X3[-t]) / 2$

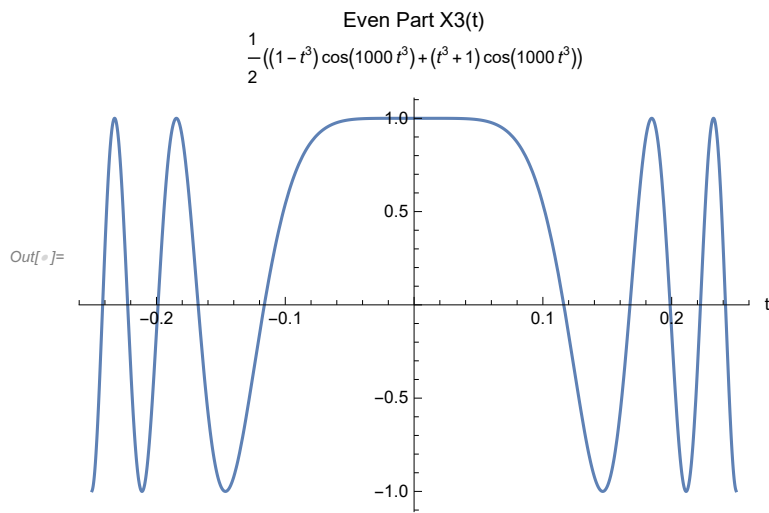
$\text{Plot}[EX3, \{t, -0.25, 0.25\}, \text{PlotLabel} \rightarrow "Even Part X3(t)", \text{AxesLabel} \rightarrow \{"t", EX3\}]$

$OX3 = (X3[t] - X3[-t]) / 2$

$\text{Plot}[OX3, \{t, -0.25, 0.25\}, \text{PlotLabel} \rightarrow "Odd Part X3(t)", \text{AxesLabel} \rightarrow \{"t", OX3\}]$



$$\frac{1}{2} \left( (1 - t^3) \cos[1000 t^3] + (1 + t^3) \cos[1000 t^3] \right)$$



$$\frac{1}{2} \left( - (1 - t^3) \cos[1000 t^3] + (1 + t^3) \cos[1000 t^3] \right)$$

