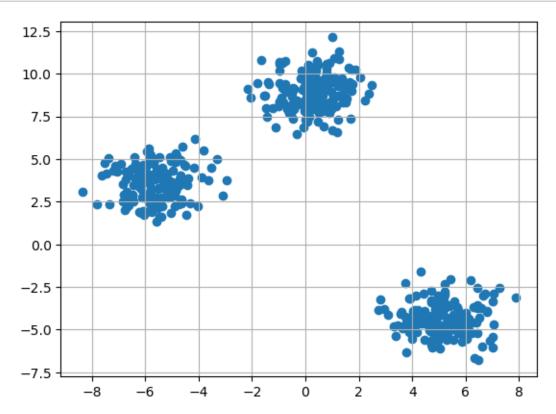
rinex-majorproject2

August 26, 2024

1 K-Means Clustering

```
[1]: import numpy as np
import matplotlib.pyplot as plt
from sklearn.datasets import make_blobs
```

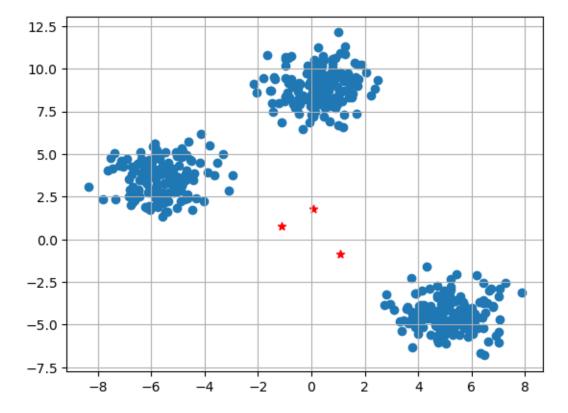
```
[2]: X,y = make_blobs(n_samples = 500,n_features = 2,centers = 3,random_state = 23)
fig = plt.figure(0)
plt.grid(True)
plt.scatter(X[:,0],X[:,1])
plt.show()
```



```
[3]: # Initialize the random centroids
k = 3
clusters = {}
np.random.seed(23)
for idx in range(k):
    center = 2*(2*np.random.random((X.shape[1],))-1)
    points = []
    cluster = {
    'center' : center,
    'points' : []
    }
    clusters[idx] = cluster
clusters
```

```
[3]: {0: {'center': array([0.06919154, 1.78785042]), 'points': []},
1: {'center': array([ 1.06183904, -0.87041662]), 'points': []},
2: {'center': array([-1.11581855, 0.74488834]), 'points': []}}
```

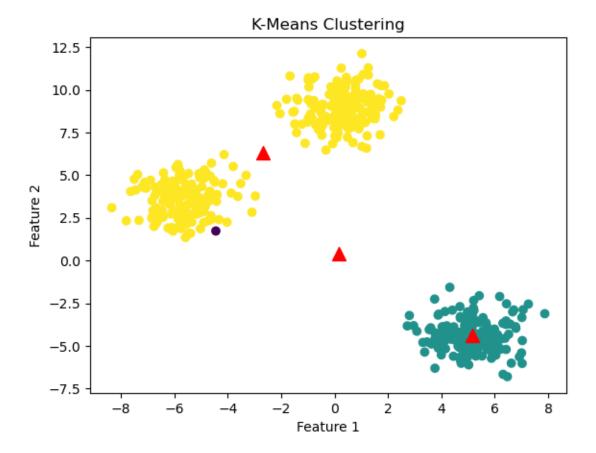
```
[4]: plt.scatter(X[:,0],X[:,1])
  plt.grid(True)
  for i in clusters:
    center = clusters[i]['center']
    plt.scatter(center[0],center[1],marker = '*',c = 'red')
  plt.show()
```



```
[5]: def distance(p1,p2):
return np.sqrt(np.sum((p1-p2)**2))
```

```
[8]: import numpy as np
     # Function to calculate the Euclidean distance between two points
     def distance(a, b):
         return np.sqrt(np.sum((a - b) ** 2))
     # Implementing the E-step
     def assign_clusters(X, clusters):
         for idx in range(X.shape[0]):
             dist = []
             curr_x = X[idx]
             for i in range(len(clusters)): # Use len(clusters) instead of k
                 dis = distance(curr_x, clusters[i]['center'])
                 dist.append(dis)
             curr_cluster = np.argmin(dist)
             clusters[curr_cluster]['points'].append(curr_x)
         return clusters
     # Implementing the M-step
     def update_clusters(X, clusters):
         for i in range(len(clusters)): # Use len(clusters) instead of k
             points = np.array(clusters[i]['points'])
             if points.shape[0] > 0:
                 new_center = points.mean(axis=0)
                 clusters[i]['center'] = new_center
             clusters[i]['points'] = [] # Clear points for the next iteration
         return clusters
```

```
pred.append(np.argmin(dist))
   return pred
# Assuming k is the number of clusters
k = 3 # Example value, adjust according to your dataset
# Example initialization of clusters
clusters = [{'center': np.random.rand(X.shape[1]), 'points': []} for _ in_
 →range(k)]
# Running the K-means algorithm
clusters = assign_clusters(X, clusters)
clusters = update_clusters(X, clusters)
# Predicting clusters for plotting
pred = pred_cluster(X, clusters)
# Plotting the data points and cluster centers
plt.scatter(X[:, 0], X[:, 1], c=pred, cmap='viridis')
# Plotting the cluster centers
for cluster in clusters:
   center = cluster['center']
   plt.scatter(center[0], center[1], marker='^', c='red', s=100)
plt.xlabel('Feature 1')
plt.ylabel('Feature 2')
plt.title('K-Means Clustering')
plt.show()
```

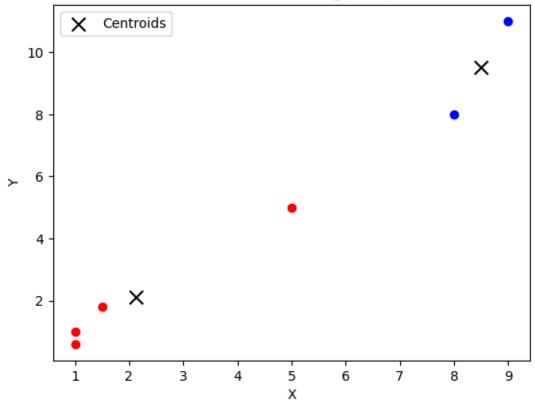


```
[10]: import numpy as np
      import matplotlib.pyplot as plt
      # Sample data (replace with your actual data)
      data = np.array([[1, 1], [1.5, 1.8], [5, 5], [8, 8], [1, 0.6], [9, 11]])
      # Function to calculate Euclidean distance
      def euclidean_distance(p1, p2):
          return np.sqrt(np.sum((p1 - p2)**2))
      # Function to initialize centroids
      def initialize_centroids(data, K):
          centroids = []
          # Randomly select K data points as initial centroids
          for _ in range(K):
              random_index = np.random.randint(0, len(data))
              centroids.append(data[random_index])
          return np.array(centroids)
      # Function to assign data points to closest centroid and calculate SSE
```

```
def assign_to_clusters_and_calculate_sse(data, centroids):
    clusters = []
    sse = np.zeros(len(centroids)) # Initialize SSE for each cluster
    for i, point in enumerate(data):
        min_distance = float('inf')
        min_index = -1
        for j, centroid in enumerate(centroids):
            distance = euclidean_distance(point, centroid)
            if distance < min distance:</pre>
                min_distance = distance
                min_index = j
        sse[j] += distance**2 # Accumulate squared distance for each cluster
        clusters.append(min index)
    return np.array(clusters), sse
# Function to update centroids based on assigned clusters
def update_centroids(data, clusters, K):
    new_centroids = np.zeros((K, data.shape[1]))
    for i in range(K):
        data_points_in_cluster = data[clusters == i]
        # If no points are assigned to a cluster, avoid division by zero
        if len(data_points_in_cluster) > 0:
            new_centroids[i] = np.mean(data_points_in_cluster, axis=0)
    return new_centroids
# Function to perform K-Means clustering
def kmeans(data, K):
    centroids = initialize_centroids(data, K)
    clusters = None
    # Iterate until centroids no longer change significantly
    while True:
        prev_centroids = centroids.copy()
        clusters, sse = assign_to_clusters_and_calculate_sse(data, centroids)
        centroids = update_centroids(data, clusters, K)
        # Check for convergence (stopping condition)
        if np.all(np.equal(prev_centroids, centroids)):
            break
    return clusters, centroids, sse
# Set the number of clusters (K)
K = 2
# Run K-Means clustering
clusters, centroids, sse = kmeans(data, K)
# Print the total SSE and individual SSE for each cluster
print("Total SSE:", np.sum(sse))
```

Total SSE: 409.75 Cluster 0 SSE: 0.0 Cluster 1 SSE: 409.75

K-Means Clustering (K=2)



[]:[