

Checkmate with Al

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Introduction

Supervised

Data: (x,y)

x is the data, y is the label

Goal: Learn function to map

x **→** y

Apple Example:



This object is an apple

UnSupervised

Data: (x,y)

x is the data, no labels!

Goal: Learn underlying structure

Apple Example:





This object is like the other object

Reinforcement Learning

Data: State Action Pairs

Goal: Maximize future rewards

Apple Example:

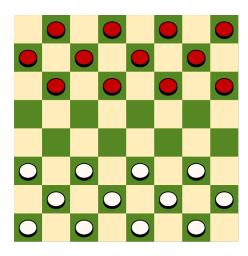


Eat this thing because it will keep you alive



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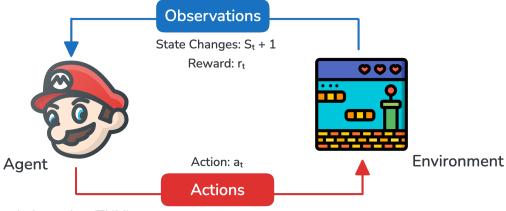
- Checkers is a strategy game involving diagonal moves of pieces and captures by jumping over opponent pieces.
- The objective of the project is to create an AI player using reinforcement learning.
- Techniques: Q-learning and Deep Q-Networks (DQN).





What is Reinforcement Learning?

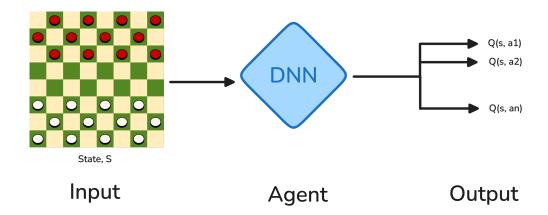
- A machine learning paradigm focused on training agents to make sequences of decisions.
- Key components:
 - Agent: Learns to act in an environment.
- Environment: The system with which the agent interacts.
- Reward: Feedback signal indicating the success of an action.
- Goal: Maximize cumulative rewards over time.





Deep Q-Learning

- reinforcement learning technique to find the optimal action-value function Q(s,a)
- It maps state-action pairs to their expected future rewards







Deep Q-Learning: Q-update rule

$$Q^{\mathsf{new}}(s_t, a_t) \leftarrow Q(s_t, a_t) + \underbrace{\alpha}_{\mathsf{learning \ rate}} \cdot \underbrace{\left(r_t + \underbrace{\gamma}_{\mathsf{discount \ factor}} \cdot \underbrace{\max_{a} Q(s_{t+1}, a)}_{\mathsf{estimate \ of \ optimal \ future \ value}} - \underbrace{Q(s_t, a_t)}_{\mathsf{old \ value}}\right)}$$



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Challenge: Traditional Q-learning fails for large or continuous state spaces





Deep Q-Learning: Solution

Use a **Deep Neural Network** (DNN) as a function approximator for Q(s, a) instead of a table.

- Input: State s, Output: Q-values for all actions a
- Target Network: stabilizes training by holding fixed weights for a few updates
- Experience Replay: samples random batches of past experiences (s, a, r, s') to break correlation in training data



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Use an $\varepsilon-$ greedy policy to balance exploration vs. exploitation.



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- 4. Train the Network:
 - sample a minibatch from the buffer
 - Compute target Q-values: $y = r + \gamma \max_{a'} Q'(s', a'; \theta^-)$
 - Minimize loss: $L(\theta) = (y Q(s, a; \theta))^2$



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- 5. Update Target Network:

Periodically copy weights: $\theta^- \leftarrow \theta$



Key Improvements and Applications

Improvements:

- **Double DQN**: Reduces overestimation of Q-values.
- **Dueling DQN**: Separates value and advantage functions.
- Prioritized Experience Replay: Samples important experiences more frequently.





Key Improvements and Applications

Improvements:

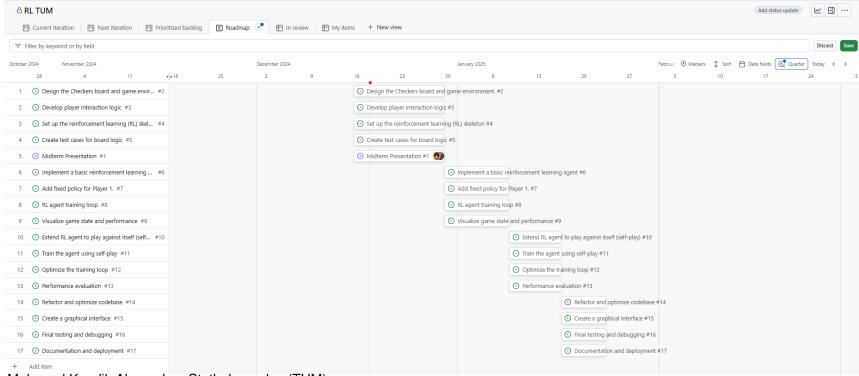
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Applications:

- Games
- robotics
- autonomous systems



Project Planning & Timeline





Software Stack

- Python
- numpy (for matrix calculations)
- pygame (fast UI)
- Web frameworks
- tensorflow (for ML implementation)



Future Work

- Fine-tuning the DQN model for improved decision-making.
- Incorporating advanced techniques like Double DQN and Dueling DQN.
- Testing against human players to evaluate real-world performance.
- Extending the approach to other board games or strategy games (some side-projects).



Thank You

