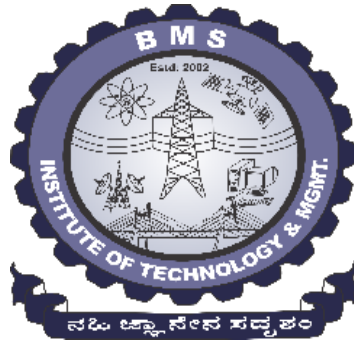


BMS INSTITUTE OF TECHNOLOGY & MGMT.

Yelahanka, Bangalore-64



Department of Electrical & Electronics Engineering

VII SEMESTER

POWER SYSTEM SIMULATION LABORATORY 17EEL76

LABORATORY MANUAL

NAME OF THE STUDENT : _____

BRANCH : _____

UNIVERSITY SEAT NO. : _____

SEMESTER & SECTION : _____

BATCH : _____

Vikram Chekuri
Laboratory In Charge

HOD

Vision of the Department

To emerge as one of the finest Electrical & Electronics Engineering Departments facilitating the development of competent professionals, contributing to the betterment of society.

Mission of the Department

Create a motivating environment for learning Electrical Sciences through teaching, research, effective use of state of the art facilities and outreach activities.

Program Educational Objectives:

Graduates of the program will,

PEO1	Have successful professional careers in Electrical Sciences, and IT enabled areas and be able to pursue higher education.
PEO2	Demonstrate ability to work in multidisciplinary teams and engage in lifelong learning.
PEO3	Exhibit concern for environment and sustainable development.

Program Outcomes:

After the successful completion of the course, the graduate will be able to,

PO1	Apply knowledge of mathematics, science and engineering principles to the solution of engineering problems in electrical and IT enabled areas.
PO2	Identify and solve complex engineering problems using first principles of mathematics and engineering sciences.
PO3	Design system components and solve complex engineering problems that meet specific societal and environmental needs.
PO4	Conduct experiments, analyse, and interpret data to provide valid conclusion
PO5	Apply appropriate modern engineering tools to complex engineering activities with an understanding of the limitations.
PO6	Demonstrate understanding of societal health, safety, legal and consequent responsibilities relevant to the professional engineering practice.
PO7	Understand the impact of engineering solutions in a societal context and demonstrate the knowledge of and need for sustainable development.
PO8	Understand social issues and ethical principles of electrical engineering practice.
PO9	Function effectively as an individual and as a member or leader in diverse teams to accomplish a common goal.
PO10	Communicate effectively with diverse audiences and be able to prepare effective reports and design documentation.
PO11	Demonstrate knowledge and understanding of engineering and management principles and apply these as a member and leader in a team to manage projects in multi-disciplinary environments.
PO12	Recognize the need to engage in independent and lifelong learning in the context of technological change.

DO'S and DON'T'S in Power System Simulation Laboratory**DO'S**

- Sit down and wait for teacher's instruction.
- Make sure your hands are clean and dry when you use the computer.
- Report any problems with your computer to the teacher.
- Shut down the computer properly.
- Keep the lab clean and tidy.

DON'T'S

- Do not touch, connect or disconnect any plug or cable without the Faculty /laboratory technician's permission.
- Do not open the system unit casing or monitor casing particularly when the power is turned on.
- Do not misbehave in the computer laboratory.
- Do not plug in external devices without scanning them for computer viruses.
- Always maintain an extra copy of all your important data files.
- Do not take food or drinks to the lab.
- Avoid stepping on electrical wires or any other computer cables.
- Do not install or download any software or modify or delete any system files on any lab computers.

B.E ELECTRICAL AND ELECTRONICS ENGINEERING (EEE)			
CHOICE BASED CREDIT SYSTEM (CBCS)			
SEMESTER - VII			
POWER SYSTEM SIMULATION LABORATORY			
Subject Code	17EEL76	IA Marks	40
Number of Practical Hours/Week	03	Exam Hours	03
Total Number of Practical Hours	42	Exam Marks	60
Credits - 02			
Course objectives:			
<ul style="list-style-type: none">•To explain the use of MATLAB package to assess the performance of medium and long transmission lines.•To explain the use of MATLAB package to obtain the power angle characteristics of salient and non-salient pole alternator.•To explain the use of MATLAB package to study transient stability of radial power systems under three phase fault conditions.•To explain the use of MATLAB package to develop admittance and impedance matrices of interconnected power systems.•To explain the use of Mi-Power package to solve power flow problem for simple power systems.•To explain the use of Mi-Power package to perform fault studies for simple radial power systems.•To explain the use of Mi-Power package to study optimal generation scheduling problems for thermal power plants.			
Sl. No	Experiments		
1	Formation for symmetric π /T configuration for Verification of $AD-BC=1$, Determination of Efficiency and Regulation.		
2	Determination of Power Angle Diagrams, Reluctance Power, Excitation, Emf and Regulation for Salient and Non-Salient Pole Synchronous Machines.		
3	To obtain Swing Curve and to Determine Critical Clearing Time, Regulation, Inertia Constant/Line Parameters /Fault Location/Clearing Time/Pre-Fault Electrical Output for a Single Machine connected to Infinite Bus through a Pair of identical Transmission Lines Under 3-Phase Fault On One of the two Lines.		
4	Y Bus Formation for Power Systems with and without Mutual Coupling, by Singular Transformation and Inspection Method.		
5	Formation of Z Bus(without mutual coupling) using Z-Bus Building Algorithm.		
6	Determination of Bus Currents, Bus Power and Line Flow for a Specified System Voltage (Bus) Profile.		
7	Formation of Jacobian for a System not Exceeding 4 Buses (No PV Buses) in Polar Coordinates.		
8	Load Flow Analysis using Gauss Siedel Method, NR Method and Fast Decoupled Method for Both PQ and PV Buses.		
9	To Determine Fault Currents and Voltages in a Single Transmission Line System with Star-Delta Transformers at a Specified Location for LG and LLG faults by simulation.		
10	Optimal Generation Scheduling for Thermal power plants by simulation.		
Revised Bloom's Taxonomy Level:			
L1 – Remembering, L2 – Understanding, L3 – Applying, L4 – Analysing, L5 – Evaluating, L6 – Creating.			

Course outcomes:

At the end of the course the student will be able to:

- Develop a program in MATLAB to assess the performance of medium and long transmission lines.
- Develop a program in MATLAB to obtain the power angle characteristics of salient and non-salient pole alternator and assess the transient stability under three phase fault conditions.
- Develop programs in MATLAB to formulate bus admittance and bus impedance matrices of interconnected power systems.
- Use Mi-Power package to solve power flow problem for simple power systems.
- Use Mi-Power package to study unsymmetrical faults at different locations in radial power systems and optimal generation scheduling problems for thermal power plants.

CO – PO Mapping:

	PO1	PO2	PO3	PO4	PO5	PO6	PO7	PO8	PO9	PO10	PO11	PO12
CO1	3	2			3				1	2		
CO2	3	2			3				1	2		
CO3	3	2			3				1	2		
CO4	3	2			3				1	2		
CO5	3	2			3				1	2		

3- Strongly Related

2- Moderately Related

1-Weakly Related

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Expt.No-1(i) Ybus formation by Inspection method.

Aim: Bus admittance matrix (Ybus) formation for power systems using inspection method.

Apparatus required: PC loaded with MATLAB

Theory: Bus admittance matrix or Ybus is matrix which gives the information about the admittances of lines connected to the node as well as the admittance between the nodes. Principal diagonal elements are called self admittances of node and is equal to the algebraic sum of all the admittances terminating at the node. Off diagonal elements are called mutual admittances and are equal to the admittances between the nodes. The size of ybus is n*n. Where n is the number of buses in the system and m= n+1 (the total number of buses including the reference buses).

$$I_{bus} = Y_{bus} * V_{bus} \text{ where } I_{bus} = \text{vector of impressed bus currents}$$

Y_{bus} = bus admittance matrix.

V_{bus} = vector of bus voltages measured with respect to reference bus.

Inspection method makes use of KVL at all the nodes to get the current equations. From these equations, Ybus can be directly written. It is the simplest and direct method of obtaining all the diagonal elements as well as off diagonal elements in the matrix of any power system. Bus admittance matrix is a sparse matrix. It is often used in solving load flow problems. Sparsity is one of its greatest advantages as it heavily reduces computer memory and time requirements.

MATLAB Program:

```
clc
clear all
n=input('enter no. of buses:');           % no. of buses excluding reference
nl= input('enter no. of lines:');          % no. of transmission lines
sb= input('enter starting bus of each line:'); % starting bus of a line
eb= input('enter ending bus of each line'); % ending bus of a line
zser= input('enter resistance and reactance of each line:'); % line resistance and reactance (R, X)
yshty=      input('enter shunt admittance of the bus:'); % shunt admittance
i=0
k=1
while i<nl
    zser1(i+1)=zser(k)+j*zser(k+1)        % impedance of a line (R+jX)
    i=i+1
    k=k+2
end
zser2=reshape(zser1,nl,1);
yser=ones(nl,1)./zser2;
ybus=zeros(n,n);
for i=1:nl
```

```

ybus(sb(i),sb(i))=ybus(sb(i),sb(i))+(j*yshty(i))+yser(i);
ybus(eb(i),eb(i))=ybus(eb(i),eb(i))+(j*yshty(i))+yser(i);
ybus(sb(i),eb(i))=-yser(i);
ybus(eb(i),sb(i))=-yser(i);
end

```

Input:

n=5

nl=7

sb=[1 1 2 2 2 3 4]

eb=[2 3 3 4 5 4 5]

zser=[0.02 0.06 0.08 0.24 0.06 0.18 0.06 0.18 0.04 0.12 0.01 0.03 0.08 0.24]

yshty=[0.03 0.025 0.02 0.02 0.015 0.01 0.025]

Output:

bus admittance matrix ybus

```

6.25+(-18.70)j -5.00+( 15.00)j -1.25+( 3.75)j 0.00+( 0.00)j 0.00+( 0.00)j
-5.00+( 15.00)j 10.83+(-32.42)j -1.67+( 5.00)j -1.67+( 5.00)j -2.50+( 7.50)j
-1.25+( 3.75)j -1.67+( 5.00)j 12.92+(-38.70)j -10.00+( 30.00)j 0.00+( 0.00)j
0.00+( 0.00)j -1.67+( 5.00)j -10.00+( 30.00)j 12.92+(-38.70)j -1.25+( 3.75)j
0.00+( 0.00)j -2.50+( 7.50)j 0.00+( 0.00)j -1.25+( 3.75)j 3.75+(-11.21)j

```

Result:

Expt.No-1(ii)

Ybus formation by singular transformation method without Mutual coupling.

Aim: Bus admittance matrix (Y Bus) formation for power systems without mutual coupling using singular transformation method.

Apparatus required: PC loaded with MATLAB

Theory:

The **Y Matrix** is designated by *Ybus* and called *the bus admittance matrix*. Y matrix is a symmetric and square matrix that completely describes the configuration of power transmission lines. In realistic systems which are quite large containing thousands of buses, the Y matrix is quite sparse. Each bus in a real power system is usually connected to only a few other buses through the transmission lines. The **Y Matrix** is designated by *Ybus* and called *the bus admittance matrix*. Y matrix is a symmetric and square matrix that completely describes the configuration of power transmission lines. In realistic systems which are quite large containing thousands of buses, the Y matrix is quite sparse. Each bus in a real power system is usually connected to only a few other buses through the transmission lines. Ybus can be alternatively assembled by use of singular transformation given by a graph theoretical approach. This alternative approach is of great theoretical and practical significance.

Steps involving singular transformation:

1. Obtain the oriented graph for the given system.
2. Get the bus incidence matrix which is the one which indicates the incidence of all the elements to nodes in connected graph. The size of this matrix is $e \times (n-1)$ where e is the number of elements in the graph and n is the number of nodes (A)
3. Get the primitive admittance matrix from the graph of size $e \times e$. If mutual coupling between the lines is neglected then the resulting primitive matrix is a diagonal matrix (off diagonal elements are zero) ([y])
4. Ybus can be obtained from the equation, $Y_{bus} = A^t * [y] * A$

MATLAB Program:

```
clc
clear all
n=input('enter no. of buses:');           % no. of buses excluding reference
nl= input('enter no. of lines:');          % no. of transmission lines
sb= input('enter starting bus of each line:'); % starting bus of a line
eb= input('enter ending bus of each line'); % ending bus of a line
zser= input('enter resistance and reactance of each line:'); % line resistance and reactance (R, X)
yshty= input('enter shunt admittance of the bus:'); % shunt admittance
i=0;
k=1;
while i<nl
    zser1(i+1)=zser(k)+j*zser(k+1);        % impedance of a line (R+jX)
```

```

    i=i+1;
    k=k+2;
end
zser2=reshape(zser1,nl,1);
yser=ones(nl,1)./zser2;
ypri=zeros(nl+n,nl+n);
ybus=zeros(n,n);
a=zeros(nl+n,n);
for i=1:n
    a(i,i)=1;
end
for i=1:nl
    a(n+i,sb(i))=1;
    a(n+i,eb(i))=-1;
    ypri(n+i,n+i)=yser(i);
    ypri(sb(i),sb(i))=ypri(sb(i),sb(i))+yshty(i);
    ypri(eb(i),eb(i))=ypri(sb(i),eb(i))+yshty(i);
end
at=transpose(a);
ybus=at*ypri*a;
zbus=inv(ybus);

```

Input:

```

n= 3
nl=3
sb=[1 1 2 ]
eb=[2 3 3 ]
zser=[0.01 0.03 0.08 0.24 0.06 0.18 ]
yshty=[0.01 0.025 0.02]

```

Output:

bus admittance matrix

ybus:

11.29 + (-33.75)j	-10.00 + (30.00)j	-1.25 + (3.75)j
-10.00 + (30.00)j	11.70 + (-35.00)j	-1.67 + (5.00)j
-1.25 + (3.75)j	-1.67 + (5.00)j	2.94 + (-8.75)j

Result:

Expt.No-1(iii)

Ybus formation by singular transformation method with Mutual coupling

Aim: Bus admittance matrix (Ybus) formation for power systems with mutual coupling using singular transformation method.

Apparatus required: PC loaded with MATLAB

Theory: The current flows through the coil and produces the flux in the same coil and this flux also links with the neighboring coil. The amount of the flux linking with the second coil is called mutual coupling. Then we say the two coils are mutually coupled. The amount of the energy spent in mutual coupling is measured by an impedance called mutual impedance. Hence the matlab program (Ybus formation using singular transformation without mutual coupling) should be modified by considering mutual coupling.

MATLAB program:

```

clc
clear all
n=input('enter no. of buses:');           % no. of buses excluding reference
nl= input('enter no. of lines:');         % no. of transmission lines
sb= input('enter starting bus of each line:'); % starting bus of a line
eb= input('enter ending bus of each line'); % ending bus of a line
zser= input('enter resistance and reactance of each line:'); % line resistance and reactance (R, X)
nmc= input('enter no. of mutual couplings:');
f1= input('enter first line no. of each mutual coupling:');
s1= input('enter second line no. of each mutual coupling:');
mz= input('enter mutual impedance between lines:');
i=0
k=1
while i<nl
    zser1(i+1)=zser(k)+j*zser(k+1)        % impedance of a line (R+jX)

    i=i+1
    k=k+2
end
i=0
k=1
while i<nmc
    mz1(i+1)=mz(k)+j*mz(k+1)
    i=i+1
    k=k+2
end
zser2=reshape(zser1,nl,1);
mz2=reshape(mz1,2,1);
zpri=zeros(nl,nl);
a=zeros(nl,n)

```

```

for i=1:nl
    zpri(i,i)=zser2(i);
    if sb(i)~=0
        a(i,sb(i))=1;
    end
    if eb(i)~=0
        a(i,eb(i))=-1
    end
end
for i=1:nmc
    zpri(f1(i),s1(i))=mz2(i);
    zpri(s1(i),f1(i))=mz2(i);
end
ypri=inv(zpri)
at=transpose(a)
ybus=at*ypri*a
zbus=inv(ybus)

```

Input:

```

n=3
nl=5
sb=[0 0 2 0 1]
eb=[1 2 3 1 3]
zser=[0 0.6 0 0.5 0 0.5 0 0.4 0 0.2]
nmc=2
f1=[1 1]
s1=[2 4]
mz=[0 0.1 0 0.2 ]

```

Output:**Bus admittance matrix is**

```

8.021 -0.208 -5.000
-0.208 4.083 -2.000
-5.000 -2.000 7.000

```

Bus impedance matrix is

```

0.271 0.126 0.230
0.126 0.344 0.189
0.230 0.189 0.361

```

Result:

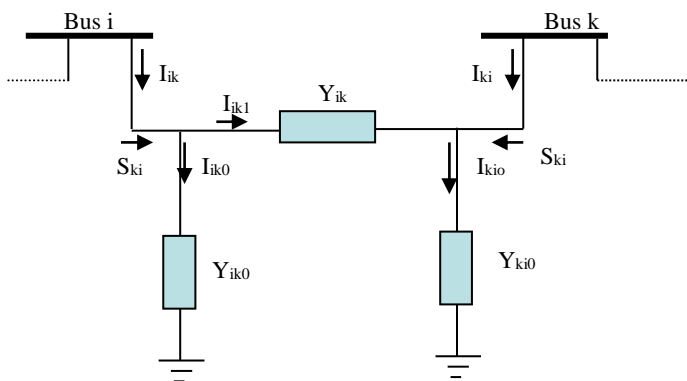
Expt.No-2

Determination of bus currents, bus power and line flows for a specified Bus system profile.

Aim: To determine the bus currents, bus power and line flows for any power system

Apparatus required: PC loaded with MATLAB

Theory: The last step in the load flow analysis is computing the power flows, bus currents and bus power on the various lines of the network. Consider the line connecting buses i and k. The line and transformer at each end can be represented by a circuit with series admittance Y_{ik} and two shunt admittances Y_{iko} and Y_{kio} as shown below.



The current fed by bus I into the line can be expressed as,

$$I_{ik} = I_{ikl} + I_{iko} = (V_i - V_k)Y_{ik} + V_i Y_{iko}$$

The power fed into the line from bus i is

$$S_{ik} = P_{ik} + jQ_{ik} = V_i I_{ik}^* = V_i (V_i^* - V_k^*) Y_{ik}^* + V_i V_i^* Y_{iko}^*$$

The power fed into the line from bus k is

$$S_{ki} = P_{ki} + jQ_{ki} = V_k I_{ki}^* = V_k (V_k^* - V_i^*) Y_{ik}^* + V_k V_k^* Y_{kio}^*$$

The power loss in the (i-k) the line is the sum of the power flows determined from the last two equations. The transmission loss can be computed by summing all line flows (i.e $S_{ik} + S_{ki}$ for all i, k). The slack bus power can also be found by summing the flows on the lines terminating at the slack bus.

MATLAB program

```
clc
clear all
vbus=[1.05+0j;      .98-0.06j;      1-0.05j];           % bus volatges
yline= [0 0 10 -20 10 -30 10 -20 0 0 16 -32 10 -30 16 -32 0 0 ]; % line G, B
n= 3                                                     % no. of buses
i=0;
k=1;
while i<9
    yline1(i+1)=yline(k)+j*yline(k+1);
    i=i+1
    k=k+2
```

```

end
yline2=reshape(yline1,3,3) % line admittance
Sp=zeros(n,n)
for i=1:n
    for k=1:n
        if i==k
            continue
        else
            I(i,k)=yline2(i,k)*(vbus(i)-vbus(k)); % line current
            I(k,i)= -I(i,k)
            S(i,k)=vbus(i)*conj(I(i,k)); % line power
            S(k,i)=vbus(k)*conj(I(k,i));
            Sl(i,k)=S(i,k)+S(k,i); % line losses
            Sp(i,i)=Sp(i,i)+S(i,k); % bus power
        end
    end
end
Sbus=[Sp(1,1); Sp(2,2); Sp(3,3)]
%bus current calculation :-
Ibus=conj((Sbus./vbus)) % bus current

```

Input:

Yline= [0 0 10 -20 10 -30 10 -20 0 0 16 -32 10 -30 16 -32 0 0]
n= 3

Output:

line current matrix is

```

0.00+( 0.00)j 1.90+( -0.80)j 2.00+( -1.00)j
-1.90+( 0.80)j 0.00+( 0.00)j -0.64+( 0.48)j
-2.00+( 1.00)j 0.64+( -0.48)j 0.00+( 0.00)j

```

line flow matrix is

```

0.00+( 0.00)j 2.00+( 0.84)j 2.10+( 1.05)j
-1.91+( -0.67)j 0.00+( 0.00)j -0.66+( -0.43)j
-2.05+( -0.90)j 0.66+( 0.45)j 0.00+( 0.00)j

```

Line losses matrix is

```

0.00+( 0.00)j 0.09+( 0.17)j 0.05+( 0.15)j
0.09+( 0.17)j 0.00+( 0.00)j 0.01+( 0.02)j
0.05+( 0.15)j 0.01+( 0.02)j 0.00+( 0.00)j

```

Bus power matrix is

```

4.10+( 1.89)j 0.00+( 0.00)j 0.00+( 0.00)j
0.00+( 0.00)j -2.57+( -1.10)j 0.00+( 0.00)j
0.00+( 0.00)j 0.00+( 0.00)j -1.39+( -0.45)j

```

Sbus matrix is

```

4.10+( 1.89)j -2.57+( -1.10)j -1.39+( -0.45)j

```

Ibus matrix is

```

3.90+( -1.80)j -2.54+( 1.28)j -1.36+( 0.52)j

```

Result:

Expt.No-3 Calculation of ABCD parameters

Aim: To Calculate ABCD parameters for a given transmission line and find regulation and efficiency.

Apparatus required: PC loaded with MATLAB

Theory:

In any four terminal passive, linear and bilateral network, the input voltage and input current can be expressed in terms of output voltage and output current. Incidentally a transmission line is a 4 terminal network; input terminal where power enters the network and output terminal where power leaves the network. Therefore the input voltage (V_s) and input current (I_s) of a 3- phase transmission line can be expressed as

$$\begin{aligned} V_s &= A \cdot V_r + B \cdot I_r \\ I_s &= C \cdot V_r + D \cdot I_r \end{aligned}$$

where, V_s = sending end voltage per phase
 I_s = sending end current
 V_r = receiving end voltage per phase
 I_r = receiving end current

A, B, C, D are known as generalized circuit constants of transmission line. The constants A and D are dimensionless as they are simply ratios whereas constants B and C are having unit's ohm and mho respectively. If the network is symmetrical then we have $A = D$. If the network is reciprocal then we have $AD - BC = 1$.

ABCD parameters for short transmission line:

$A=1$; $B=Z$; $C=0$; $D=1$.

Short transmission line: If the transmission line length is less than 80 km the line is treated as short transmission line. As the line length is small the capacitive effects are small. Due to this effect of capacitance is neglected. Thus only resistance and inductance is to be taken into account while analyzing short transmission lines.

ABCD parameters for medium transmission line:

T network: $A=D=1+YZ/2$; $B=Z(1+YZ/4)$; $C=Y$.

PI network: $A=D=1+YZ/2$; $B=Z$; $C=Y(1+YZ/4)$.

Medium Transmission line: If the length of transmission line is lying between 80-240 km it is treated as medium transmission line. In the analysis of medium transmission line, the capacitance is taken into account as the line length is appreciable. For easiness in the calculations, the distributed capacitance of the line is divided and is lumped across the line at one or more points.

ABCD parameters for long transmission line:

$A=D=\cosh(YZ)^{1/2}$; $B=(Z/Y)^{1/2} \cdot \sinh(YZ)^{1/2}$; $C=(Y/Z)^{1/2} \cdot \sinh(YZ)^{1/2}$

Long Transmission line: if the length of transmission line is more than 240 km the line is considered as long transmission line. In the analysis of such lines, the line constants are considered uniformly distributed over the whole length of the line. The rigorous methods are applied to obtain the solution.

Calculation of efficiency and regulation if sending end parameters are given:

```

clc
clear all
len=input('enter the length of the line in KM:');
r1=input('enter the resistance/phase/Km of the line:');
x1=input('enter the reactance/phase/Km of the line:');
s= input('enter the susceptance/phase/Km of the line:');
vs=input('enter the sending end voltage/ phase of the line:');
is=input('enter the sending end current of the line:');
z=r1+j*x1;
y=j*s;
Z=z*len;
Y=y*len;
if len<=80
    x=1;
elseif len<=240
    x=2;
else
    x=3;
end
switch x
case 1
    A=1;
    B=Z;
    C=0;
    D=A;
case 2
    p=input('enter 1 for PI and 2 for T');
    A=1+(Y*Z)/2;
    D=A;
    if p==1
        B=Z;
        C=Y*(1+(Z*Y)/4);
    else
        C=Y;
        B=Z*(1+(Z*Y)/4);
    end
case 3
    A=cosh(sqrt(Y*Z));
    B=sqrt(Z/Y)*sinh(sqrt(Y*Z));
    C=sqrt(Y/Z)*sinh(sqrt(Y*Z));
    D=A;
end
ABCD=A*D-B*C;
vr=D*vs-B*is;
ir=-C*vs+A*is;
spower=3*vs*conj(is)
rpower=3*vr*conj(ir)
efficiency= real(rpower)/real(spower)*100;

```


regulation=(abs(vs)/abs(A)-abs(vr))/abs(vr)*100;

Input:

z=0.153+.38j;

y=0.0+.000003j;

vs=63508;

is=105-50.5j;

*** For short transmission line**

enter the length in KM 50

spower = 2.0005e+007 +9.6215e+006i

rpower = 1.9693e+007 +8.8477e+006i

abcd constants of transmission line are

A=1.000000+j0.000000

B=7.650000+j19.000000

C=0.000000+j0.000000

D=1.000000+j0.000000

sending end vs=63508.000000+j0.000000

sending end current=105.000000+j-50.500000

efficiency=98.442631

reg=2.819985

ad-bc=1.000000

*** For medium transmission line with pi network**

enter the length in KM200

enter 1 for PI and 2 for T 1

spower = 2.0005e+007 +9.6215e+006i

rpower = 1.8549e+007 +1.2389e+007i

abcd constants of transmission line are

A=0.977200+j0.009180

B=30.600000+j76.000000

C=-0.000003+j0.000593

D=0.977200+j0.009180

sending end vs=63508.000000+j0.000000

sending end current=105.000000+j-50.500000

efficiency=92.720923

reg=17.475816

ad-bc=1.000000

*** For medium transmission line with T network**

enter the length in KM 200

enter 1 for PI and 2 for T2

spower = 2.0005e+007 +9.6215e+006i

rpower = 1.8551e+007 +1.2505e+007i

abcd constants of transmission line are
 $A=0.977200+j0.009180$
 $B=29.902320+j75.274054$
 $C=0.000000+j0.000600$
 $D=0.977200+j0.009180$
 sending end $v_s=63508.000000+j0.000000$
 sending end current= $105.000000+j-50.500000$
 efficiency= 92.731488
 reg= 17.253285
 $ad-bc=1.000000$

*** For long transmission line**

enter the length in KM300

spower = $2.0005e+007 +9.6215e+006i$
 rpower = $1.7673e+007 +1.2772e+007i$

abcd constants of transmission line are
 $A=0.949067+j0.020304$
 $B=44.341614+j112.371757$
 $C=-0.000006+j0.000885$
 $D=0.949067+j0.020304$
 sending end $v_s=63508.000000+j0.000000$
 sending end current= $105.000000+j-50.500000$
 efficiency= 88.342221
 reg= 32.155708
 $ad-bc=1.000000$

Calculation of efficiency and regulation if receiving end parameters are given:

```
clc
clear all
len=input('enter the length in KM');
r1=input('enter the resistance/phase/Km of the line:');
x1=input('enter the reactance/phase/Km of the line:');
s= input('enter the susceptance/phase/Km of the line:');
vr=input('enter the receiving end voltage/ phase of the line:');
ir=input('enter the receiving end current of the line:');
z=r1+j*x1;
y=j*s;
Z=z*len;
Y=y*len;
if len<=80
    x=1;
elseif len<=240
    x=2;
else
    x=3;
end
```

```

switch x
case 1
    A=1;
    B=Z;
    C=0;
    D=A;
case 2
    p=input('enter 1 for PI and 2 for T');
    A=1+(Y*Z)/2;
    D=A;
    if p==1
        B=Z;
        C=Y*(1+(Z*Y)/4);
    else
        C=Y;
        B=Z*(1+(Z*Y)/4);
    end
case 3
    A=cosh(sqrt(Y*Z));
    B=sqrt(Z/Y)*sinh(sqrt(Y*Z));
    C=sqrt(Y/Z)*sinh(sqrt(Y*Z));
    D=A;
end
ABCD=A*D-B*C;
vs=A*vr+B*ir;
is=C*vr+D*ir;
spower=3*vs*conj(is)
rpower=3*vr*conj(ir)
efficiency= real(rpower)/real(spower)*100;
regulation=(abs(vs)/abs(A)-abs(vr))/abs(vr)*100;

```

Input:

```

z=0.153+.38j;
y=0.0+.000003j;
vr=63508;
ir=105-50.5j;

```

Short transmission line (50 km) given Vr and Ir

```

A=1.000000+j0.000000
B=7.650000+j19.000000
C=0.000000+j0.000000
D=1.000000+j0.000000
sending end vs=65270.750000+j1608.675000
sending end current=105.000000+j-50.500000
efficiency=98.466513

```

reg=2.806845
ad-bc=1.000000

Medium transmission line (200 km, PI) given Vr and Ir

A=0.977200+j0.009180
B=30.600000+j76.000000
C=-0.000003+j0.000593
D=0.977200+j0.009180
sending end vs=69111.017600+j7017.703440
sending end current=102.894689+j-10.714295
efficiency=94.775033
reg=11.929289
ad-bc=1.000000

Medium transmission line (200 km, T) given Vr and Ir

A=0.977200+j0.009180
B=29.902320+j75.274054
C=0.000000+j0.000600
D=0.977200+j0.009180
sending end vs=69001.100927+j6976.711950
sending end current=103.069590+j-10.279900
efficiency=94.718111
reg=11.746427
ad-bc=1.000000

Long transmission line given Vr and Ir

A=0.949067+j0.020304
B=44.341614+j112.371757
C=-0.000006+j0.000885
D=0.949067+j0.020304
sending end vs=70603.973689+j10849.218291
sending end current=100.287831+j10.388005
efficiency=92.700537
reg=18.487449
ad-bc=1.000000

Result:

Expt.No-4
Determination of power angle diagram for
a) Salient pole synchronous machine.
b) Non salient pole synchronous machine.

Aim: To determine the power angle diagram, reluctance power, excitation emf and regulation of salient pole and non-salient pole synchronous machine.

Apparatus required: PC loaded with MATLAB

Theory: The steady state stability is basically concerned with the determination of the maximum power flow possible through the power system, without loss of synchronism (stability). The formation of power angle equation plays a vital role in the study of steady state stability. The power angle equation for non salient pole machine is given by,

$$P = \frac{3 |V| |E|}{X_d} \sin \delta$$

The above equation shows that the power P transmitted from the generator to the motor varies with the sine of the displacement angle δ between the two rotors.

For salient pole machine,

$$P = \frac{3 |V| |E|}{X_d} \sin \delta + \frac{3 |V|^2 (X_d - X_q) \sin (2\delta)}{2X_d X_q}$$

MATLAB PROGRAM:

```
clc
clear all
% power angle curve
p=input('power in MW = ');
pf=input('power factor = ');
vt=input('line voltage = ');
xd=input('xd in ohm = ');
xq=input('xq in ohm = ');
vt_ph=vt*1000/sqrt(3);
pf_a=acos(pf);
q=p*tan(pf_a);
i=(p-j*q)*1000000/(3*vt_ph);
delta=0:1:180;
delta_rad=delta*(pi/180);
if xd==xq
    % non salient syn motor
    ef=vt_ph+(j*i*xd);
    excitation_emf=abs(ef)
    reg=(abs(ef)-abs(vt_ph))*100/abs(vt_ph)
    power_non=abs(ef)*vt_ph*sin(delta_rad)/xd;
```

```

    net_power=3*power_non/1000000;
    plot(delta,net_power);
    xlabel('\delta (deg)');
    ylabel('3 phase power(MW)');
    title('plot:power angle curve for non salient pole syn mc');
    legend('non salient power')
end
if xd~=xq
    %salient pole motor
    eq=vt_ph+(j*i*xq);
    del=angle(eq);
    theta=del+pf_a;
    id_mag=abs(i)*sin(theta);
    ef_mag=vt_ph*cos(del)+id_mag*xd
    reg=(ef_mag-abs(vt_ph))*100/abs(vt_ph)
    pp=ef_mag*vt_ph*sin(delta_rad)/xd;
    reluct_power=vt_ph^2*(xd-xq)*sin(2*delta_rad)/(2*xd*xq);
    net_reluct_power=3*reluct_power/1000000;
    power_sal=pp+reluct_power;
    net_power_sal=3*power_sal/1000000;
    plot(delta,net_reluct_power);
    hold on
    plot(delta,net_power_sal);
    xlabel('\delta (deg)');
    ylabel('3 phase power(MW)');
    title('plot:power angle curve for salient pole syn mc');
    legend('reluct power','salient power')
end
grid;

```

Input data for salient pole synchronous machine:

power in MW = 48
 power factor = .8
 line voltage = 34.64
 xd in ohm = 13.5
 xq in ohm = 9.333

Result:

ef_mag = 3.0000e+004
 reg = 50.0032

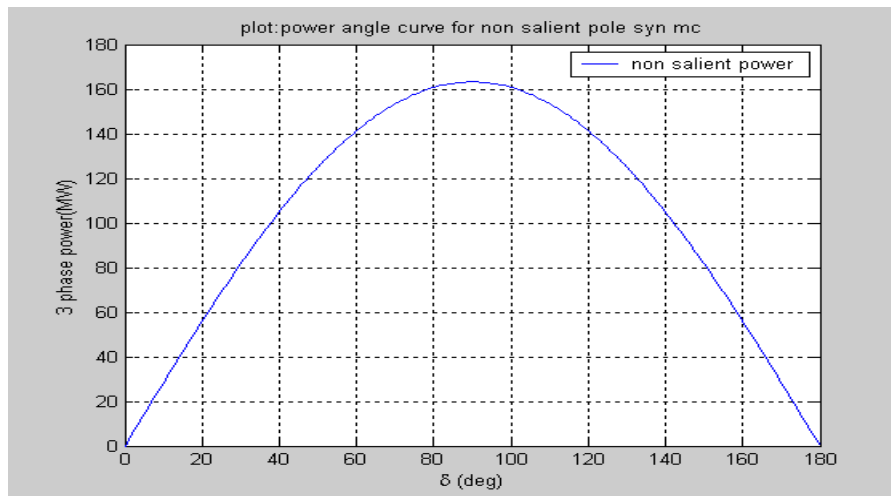
Input data for non salient pole synchronous machine:

power in MW = 48
 power factor = .8
 line voltage = 34.64
 xd in ohm = 10
 xq in ohm = 10

Result:

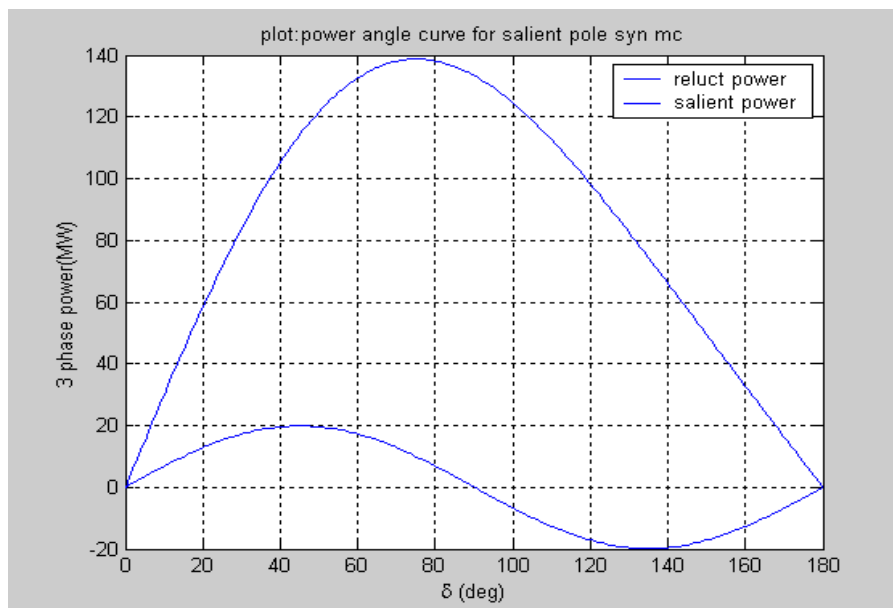
excitation_emf = 2.7203e+004

reg = 36.0171



graph-1

The above graph shows the power angle curve. The maximum power transfer occurs at $\delta = 90^\circ$. For values of $\delta > 90^\circ$, the power output of the machine reduces successively and finally the machine may stall. The system is stable only if the displacement angle δ is in the range from -90° to $+90^\circ$ in which the slope $dP/d\delta$ is positive.



graph-2

The graph-2 consists of a second harmonic component of power.

From the equation

$$P = V \cdot E / X_d \cdot \sin(\delta) + V^2 \cdot (X_d - X_q) / 2 \cdot X_d \cdot X_q \cdot \sin(2 \cdot \delta)$$

The first term is same as for non-salient pole machine with $X_d = X_q$. This constitutes the major part of the power transfer. The second term is quite small (10-20%) compared to the first term and known as reluctance power.

Expt.No-5

Determination of swing curve

Aim: To determine the Swing curve of a single machine connected to infinite bus

Apparatus required: PC loaded with MATLAB

Theory:

Transient stability limit : Transient stability limit of a two-machine system is defined as the maximum power that can be transmitted from one machine to the other without loss of synchronism for a specified, sudden, severe, unrepeatable shock.

The load angle or the torque angle δ depends upon the loading of the machine, larger the loading larger is the value of the torque angle. If some load is added or removed from the shaft of the synchronous machine the rotor will decelerate or accelerate respectively with respect to rotating magnetic field. The rotor swings with respect to the stator field. The equation describing the relative motion of the rotor with respect to the stator field as a function of time is known as swing equation. The swing equation is given below

$$M \frac{d^2\delta}{dt^2} = P_s - P_e$$

Where P_e is $P_m \sin \delta$

M is the angular momentum of the rotor

δ is the torque angle

P_s is the power input

P_e is the electromagnetic power output

In case ' δ ' increases indefinitely it indicates instability where as if it reaches a maximum and starts decreasing, it shows that the system will not lose stability since the oscillations will be damped out with time.

For the stability of the system $\frac{d\delta}{dt} = 0$

The system will be unstable if $\frac{d\delta}{dt} > 0$ for a sufficiently long time

Swing curve:

The solution of swing equation gives the relation between rotor angle ' δ ' as a function of time ' t '. The plot of ' δ ' versus ' t ' is called as swing curve. No analytical solution of this equation exists. However, techniques are available to obtain approximate solution of such differential equations by numerical methods and one must therefore resort to numerical computation techniques. Some of the commonly used numerical techniques for the solution of the swing equation are:

- Point by point method
- Euler's method
- Euler's modified method
- Runge-Kutta method, etc.

Note: In this program the swing equation is solved using Runge Kutta method

MATLAB PROGRAM:

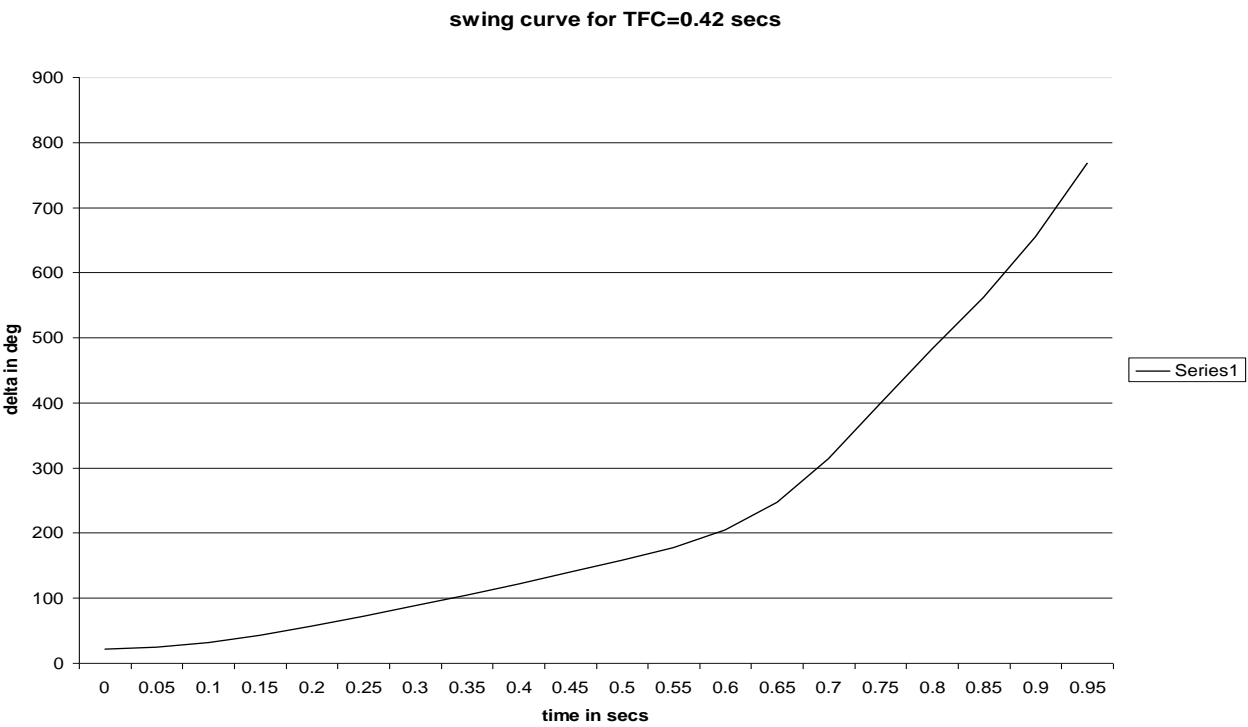
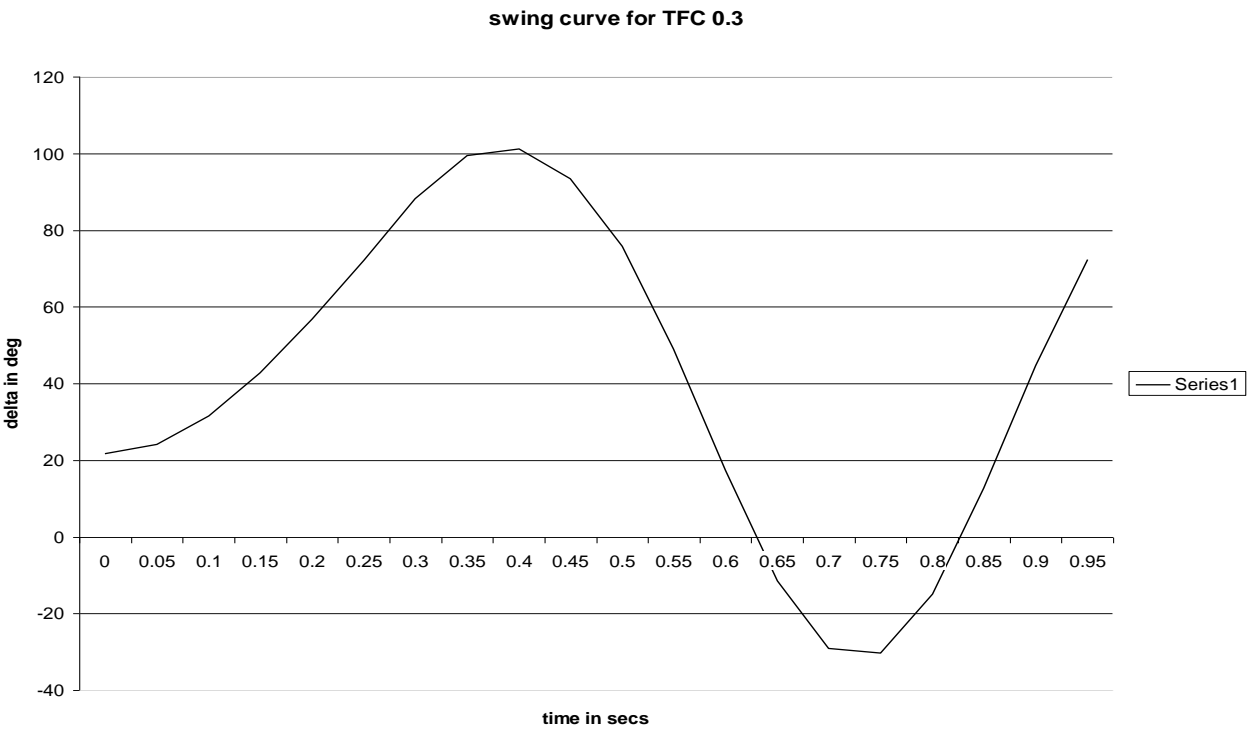
```

clc
clear all
tfc=input('enter fault clearing time=');
pi = 0.9;
e1=1.1;
e2=1.0;
m=0.016;
x0=0.45;
x1=1.25;
x2=0.55;
pm0=(e1*e2)/x0;
pm1=(e1*e2)/x1;
pm2=(e1*e2)/x2;
w=0;
d=asin(pi/pm0);
for t=0:0.05:1
    dg=d*180/3.1414;
    if(t<tfc)
        pm=pm1;
    else
        pm=pm2;
    end
    k1=w*.05;
    l1=(pi-pm*sin(d)).*0.05/m;
    k2=(w+.5*l1).*0.05;
    l2=(pi-pm*sin(d+.5*k1)).*0.05/m;
    k3=(w+.5*l2).*0.05;
    l3=(pi-pm*sin(d+.5*k2)).*0.05/m;
    k4=(w+l3).*0.05;
    l4=(pi-pm*sin(d+k3)).*0.05/m;
    del_d=(k1+2*k2+2*k3+k4)/6;
    del_w=(l1+2*l2+2*l3+l4)/6;
    d=d+del_d;
    w=w+del_w;
    fprintf('%8.3f \t %8.3f \n', t, dg);
end

```

Input data for swing curve:

Pi = 0.9;	e1=1.1;	e2=1.0
M=0.016		
X0=0.45 p.u;	X1=1.25 p.u;	X2=0.55 p.u



Result:

Expt.No-6 Jacobian Matrix Calculation

Aim: Formation of Jacobian for a system not exceeding 4 buses *(no PV buses) in polar coordinates

Apparatus required: PC loaded with MATLAB

Theory:

With the help of NR method, the above non – linear algebraic equations of power is transformed into a set of linear algebraic equations inter – relating the changes in power (that is error in power) with the change in real and reactive component of bus voltages with the help of jacobian matrix.

The Jacobian matrix gives the linearized relationship between small changes in voltage angle $\Delta \delta_i^{(k)}$ and voltage magnitude $\Delta |V_i|^{(k)}$ with the small changes in real and reactive power $\Delta P_i^{(k)}$ and $\Delta Q_i^{(k)}$. Elements of the jacobian matrix are the partial derivatives of

$$P_i = \sum_{j=1}^n |V_i| |V_j| |Y_{ij}| \cos(\theta_{ij} - \delta_i + \delta_j)$$

$$Q_i = - \sum_{j=1}^n |V_i| |V_j| |Y_{ij}| \sin(\theta_{ij} - \delta_i + \delta_j)$$

Evaluated at $\Delta \delta_i^{(k)}$ and $\Delta |V_i|^{(k)}$. In short it can be written as

MATLAB program:

```
clc
clear all
n=4
v=[1 1 1 1]
ybus=[70-90j -20+40j -50+50j 0+0j;-20+40j 43.08-55.39j 0+0j -23.077+15.39j;
-50+50j 0+0j 75-75j -25+25j;0+0j -23.077+15.39j -25+25j 48.077-40.39j]
for i=1:n
    for j=1:n
        y(i,j)=abs(ybus(i,j))
        yn(i,j)=angle(ybus(i,j))
        v(i)=abs(v(i))
        vn(i)=angle(v(i))
    end
end
J1=zeros(n,n)
J2=zeros(n,n)
J3=zeros(n,n)
J4=zeros(n,n)
i=2
while i<=n
    J2(i,i)=J2(i,i)+2*v(i)*y(i,i)*cos(yn(i,i))
    J4(i,i)=J4(i,i)-2*v(i)*y(i,i)*sin(yn(i,i))
```

```

for j=1:n
    if i==j
        continue;
    else
        J1(i,i)=J1(i,i)+v(i)*v(j)*y(i,j)*sin(yn(i,j)-vn(i)+vn(j))
        J1(i,j)=-1*v(i)*v(j)*y(i,j)*sin(yn(i,j)-vn(i)+vn(j))
        J2(i,i)=J2(i,i)+v(j)*y(i,j)*cos(yn(i,j)-vn(i)+vn(j))
        J2(i,j)=v(i)*y(i,j)*cos(yn(i,j)-vn(i)+vn(j))
        J3(i,i)=J3(i,i)+v(i)*v(j)*y(i,j)*cos(yn(i,j)-vn(i)+vn(j))
        J3(i,j)=-1*v(i)*v(j)*y(i,j)*cos(yn(i,j)-vn(i)+vn(j))
        J4(i,i)=J4(i,i)-v(j)*y(i,j)*sin(yn(i,j)-vn(i)+vn(j))
        J4(i,j)=-1*v(i)*y(i,j)*sin(yn(i,j)-vn(i)+vn(j))
    end
end
i=i+1
end
J11=J1(2:n,2:n)
J22=J2(2:n,2:n)
J33=J3(2:n,2:n)
J44=J4(2:n,2:n)
Jacobian=[J11 J22;J33 J44]

```

Output:

55.39	0.00	-15.39	43.08	0.00	-23.08
0.00	75.00	-25.00	0.00	75.00	-25.00
-15.39	-25.00	40.39	-23.08	-25.00	48.08
-43.08	0.00	23.08	55.39	0.00	-15.39
0.00	-75.00	25.00	0.00	75.00	-25.00
23.08	25.00	-48.08	-15.39	-25.00	40.39

Expt.No-7**MATLAB Program to Solve Load Flow Equations using Gauss-Seidel Method**

AIM: To find load flow solution of the given power system using Gauss-Seidel method theoretically for one iteration and obtain full solution using MATLAB. (only PQ buses)

Theory:

Load flow analysis is the study conducted to determine the steady state operating condition of the given system under given conditions. A large number of numerical algorithms have been developed and Gauss Seidel method is one of such algorithm.

Problem Formulation

The performance equation of the power system may be written of

$$[I \text{ bus}] = [Y \text{ bus}][V \text{ bus}] \quad (1)$$

Selecting one of the buses as the reference bus, we get (n-1) simultaneous equations. The bus loading equations can be written as

$$I_i = P_i - jQ_i / V_i^* \quad (i=1,2,3,\dots,n) \quad (2)$$

Where,

$$P_i = \operatorname{Re} \left[\sum_{k=1}^n V_i^* Y_{ik} V_k \right] \quad (3)$$

$$Q_i = -\operatorname{Im} \left[\sum_{k=1}^n V_i^* Y_{ik} V_k \right] \quad (4)$$

The bus voltage can be written in form of

$$V_i = (1.0/Y_{ii}) [I_i - \sum_{j=1, j \neq i}^n Y_{ij} V_j] \quad (5)$$

(i=1,2,...,n) & i ≠ slack bus

Substituting I_i in the expression for V_i , we get

$$V_{i \text{ new}} = (1.0/Y_{ii}) [P_i - jQ_i / V_{i0}^* - \sum_{j=1}^n Y_{ij} V_{j0}] \quad (6)$$

The latest available voltages are used in the above expression, we get

$$V_{i \text{ new}} = (1.0/Y_{ii}) [P_i - jQ_i / V_{i0}^* - \sum_{j=1}^n Y_{ij} V_j^n - \sum_{j=i+1}^n Y_{ij} V_{j0}] \quad (7)$$

The above equation is the required formula. This equation can be solved for voltages in interactive manner. During each iteration, we compute all the bus voltage and check for convergence is carried out by comparison with the voltages obtained at the end of previous iteration. After the solutions is obtained. The slack bus real and reactive powers, the reactive power generation at other generator buses and line flows can be calculated.

Algorithm:

Step1: Read the data such as line data, specified power, specified voltages, Q limits at the generator buses and tolerance for convergences

Step2: Compute Y-bus matrix.

Step3: Initialize all the bus voltages.

Step4: Iter=1

Step5: Consider $i=2$, where i' is the bus number.

Step6: check whether this is PV bus or PQ bus. If it is PQ bus goto step 8 otherwise go to next step.

Step7: Compute Q_i check for q limit violation. $Q_{Gi}=Q_i+Q_{Li}$.

If $Q_{Gi}>Q_i \text{ max}$, equate $Q_{Gi} = Q_{i \text{ max}}$. Then convert it into PQ bus.

If $Q_{Gi}<Q_i \text{ min}$, equate $Q_{Gi} = Q_i \text{ min}$. Then convert it into PQ bus.

Step8: Calculate the new value of the bus voltage using gauss seidal formula. $i=1 \text{ n}$

$$V_i = (1.0/Y_{ii}) [(P_i - j Q_i)/V_i^0 - \sum_{j=1} Y_{ij} V_j - \sum_{j=i+1} Y_{ij} V_j^0]$$

Adjust voltage magnitude of the bus to specify magnitude if Q limits are not violated.

Step9: If all buses are considered go to step 10 otherwise increments the bus no. $i=i+1$ and Go to step6.

Step10: Check for convergence. If there is no convergence goes to step 11 otherwise go to step12.

Step11: Update the bus voltage using the formula.

$$V_{i \text{ new}} = V_{i \text{ old}} + \alpha (V_{i \text{ new}} - V_{i \text{ old}}) \quad (i=1, 2, \dots, n) \quad i \neq \text{slackbus}, \alpha \text{ is the acceleration factor}=1.4$$

Step12: Calculate the slack bus power, Q at P-V buses real and reactive give flows real and reactance line losses and print all the results including all the bus voltages and all the bus angles.

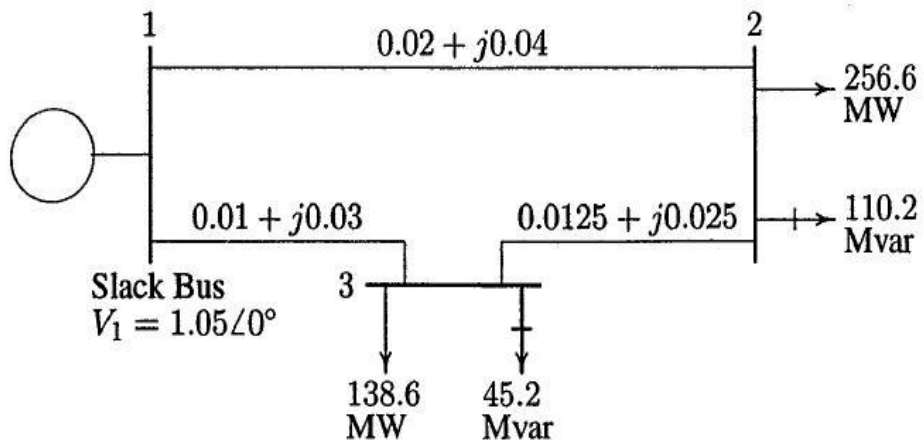
Step13: Stop.

Procedure:

1. Enter the command window of the MATLAB.
2. Create a new M – file by selecting File - New – M – File.
3. Type and save the program in the editor Window.
4. Execute the program by pressing Tools – Run.
5. View the results.

PROBLEM:

- a) The following figure shows the one-line diagram of a simple three-bus power system with generation at bus 1. The magnitude of voltage at bus 1 is adjusted to 1.05 per unit. The scheduled loads at buses 2 and 3 are as marked on the diagram. Line impedances are marked in per unit on a 100-MVA base and the line charging susceptances are neglected. Using the Gauss-Seidel method, determine the phasor values of the voltage at the load buses 2 and 3 (P-Q buses) accurate to four decimal places and obtain full solution using MATLAB.

**MATLAB PROGRAM:**

```

clc
clear all
n=3;
V=[1.05 1 1];
Y=[20-j*50    -10+j*20    -10+j*30
   -10+j*20    26-j*52     -16+j*32
   -10+j*30    -16+j*32    26-j*62]
P=[inf  -2.566  -1.386];
Q=[inf  -1.102  -0.452];
diff=10;
iter=1;
Vprev=V;
while (diff>0.00001 | iter==1),
abs(V);
abs(Vprev);
Vprev=V;
for i=2:n
sumyv=0;
for k=1:n,
if(i~=k)
sumyv=sumyv+Y(i,k)*V(k);
end
end
V(i)=(1/Y(i,i))*((P(i)-j*Q(i))/conj(V(i))-sumyv);
end
diff=max(abs(abs(V(2:n))-abs(Vprev(2:n))));
V
iter=iter+1
end

```

SOLUTION:

(a) Line impedances are converted to admittances

$$y_{12} = \frac{1}{0.02 + j0.04} = 10 - j20 \quad y_{13} = 10 - j30$$

$$y_{23} = 16 - j32$$

$$\text{YBUS} = \begin{bmatrix} 20-j*50 & -10+j*20 & -10+j*30 \\ -10+j*20 & 26-j*52 & -16+j*32 \\ -10+j*30 & -16+j*32 & 26-j*62 \end{bmatrix}$$

At the P-Q buses, the complex loads expressed in per units are

$$S_2^{sch} = -\frac{(256.6 + j110.2)}{100} = -2.566 - j1.102 \text{ pu}$$

$$S_3^{sch} = -\frac{(138.6 + j45.2)}{100} = -1.386 - j0.452 \text{ pu}$$

Starting from an initial estimate of

$$V_2^{(0)} = 1.0 + j0.0 \text{ and } V_3^{(0)} = 1.0 + j0.0,$$

$$\begin{aligned} V_2^{(1)} &= \frac{\frac{P_2^{sch} - jQ_2^{sch}}{V_2^{*(0)}} + y_{12}V_1 + y_{23}V_3^{(0)}}{y_{12} + y_{23}} \\ &= \frac{\frac{-2.566 + j1.102}{1.0 - j0} + (10 - j20)(1.05 + j0) + (16 - j32)(1.0 + j0)}{(26 - j52)} \\ &= 0.9825 - j0.0310 \end{aligned}$$

$$\begin{aligned} V_3^{(1)} &= \frac{\frac{P_3^{sch} - jQ_3^{sch}}{V_3^{*(0)}} + y_{13}V_1 + y_{23}V_2^{(1)}}{y_{13} + y_{23}} \\ &= \frac{\frac{-1.386 + j0.452}{1 - j0} + (10 - j30)(1.05 + j0) + (16 - j32)(0.9825 - j0.0310)}{(26 - j62)} \\ &= 1.0011 - j0.0353 \end{aligned}$$

The process is continued and a solution is converged with an accuracy of 1×10^{-5} per unit in six iterations as given below.

The final solution is

$$V_2 = 0.9800 - j0.0600 = 0.98183\angle -3.5035^\circ \text{ pu}$$

$$V_3 = 1.0000 - j0.0500 = 1.00125\angle -2.8624^\circ \text{ pu}$$

MATLAB OUTPUT:

Iter=1	V =	1.0500 + 0.0000i	0.9825 - 0.0310i	1.0011 - 0.0353i
Iter=2	V =	1.0500 + 0.0000i	0.9816 - 0.0520i	1.0008 - 0.0459i
iter =3	V =	1.0500 + 0.0000i	0.9808 - 0.0578i	1.0004 - 0.0488i
iter =4	V =	1.0500 + 0.0000i	0.9803 - 0.0594i	1.0002 - 0.0497i
iter =5	V =	1.0500 + 0.0000i	0.9801 - 0.0598i	1.0001 - 0.0499i
iter =6	V =	1.0500 + 0.0000i	0.9801 - 0.0599i	1.0000 - 0.0500i

Result:

Expt.No-8

Short circuit analysis for power system.

Aim: To determine fault currents and voltages in a single transmission line systems with star-delta transformers at a specified location for SLGF, DLGF.

Apparatus required: PC loaded with Mipower.

Theory:

Short circuit studies and hence the fault analysis are very important for the power system studies since they provide data such as voltages and currents during and after the various types of faults which are necessary in designing the protective schemes of the power system. There are different types of faults in a power system which can be broadly divided into symmetrical and unsymmetrical faults.

Symmetrical fault is the solid short circuit. This is an abnormal system behavior. Such conditions are caused in the system accidentally through insulation failure of equipment or flash over of lines initiated by a lightning stroke or through accidental faulty operation. The system must be protected against flow of heavy short circuit currents by disconnecting the faulty part of the system by means of circuit breaker operated by protective relaying.

The unsymmetrical faults require special tools like symmetrical components to analyze the unbalanced operation of the system. Though symmetrical faults are rare, this leads to most severe fault current flow against which the system must be protected.

Typical relative frequencies of occurrence of different kinds of faults in a power system in order of decreasing severity

Three phase fault	5%
Double line to ground fault (LLG)	10%
Double line fault (LL)	15%
Single line to ground fault (LG)	70%

Problem:

Data

Reactance of transmission lines = 0.3 p.u

Zero sequence reactance of transmission line = 0.25 p.u

Negative sequence reactance of generator = transient reactance of generator

Zero sequence reactance of generator = 0.1 p.u

Results of 3 phase fault

BUS DATA

NODE	STAT	ZONE	BUS-KV	NAME	VMAG-PU	VANG-DEG	PGEN-MW	QGEN-MR	PLOAD-MW	QLOAD-MR	QCOMP-MR
------	------	------	--------	------	---------	----------	---------	---------	----------	----------	----------

1	1	1	110.000	Bus1	1.0000	0.000	0.000	0.000	0.000	0.000	0.000
2	1	1	110.000	Bus2	1.0000	0.000	0.000	0.000	0.000	0.000	0.000

```

3  1  1 110.000  Bus3 1.0000  0.000  0.000  0.000
      0.000  0.000  0.000

```

TRANSMISSION LINE DATA

```

STAT CKTS FROM FROM    TO TO
      NODE NAME  NODE NAME  RP(P.U) XP(P.U) BP/2(PU)
      RZ(P.U) XZ(P.U) BZ/2(PU) FB-MVA TB-MVA
-----
3  1  1  Bus1  2  Bus2 0.00000 0.30000 0.00000
      0.00000 0.75000 0.00000 110 110
3  1  1  Bus1  3  Bus3 0.00000 0.30000 0.00000
      0.00000 0.75000 0.00000 110 110
3  1  2  Bus2  3  Bus3 0.00000 0.30000 0.00000
      0.00000 0.75000 0.00000 110 110

```

GENERATOR/MOTOR DATA

Classification Code :

0 : Generator

1 : Large Motor >1000 hp for <= 1800 rpm, >250 hp for 3600 rpm

2 : Medium Motor >= 50 hp

3 : Small Motor < 50 hp

```

FROM FROM      POSITIVE      NEGATIVE      ZERO      CLASS
NODE NAME  R(P.U) X(P.U.) R(P.U.) X(P.U.) R(P.U.) X(P.U.) CB-MVA STAT CODE
-----
1  Bus1 0.00000 0.30000 0.00000 0.30000 0.00000 0.10000 110 3 0
2  Bus2 0.00000 0.20000 0.00000 0.20000 0.00000 0.10000 110 3 0
3  Bus3 0.00000 0.25000 0.00000 0.25000 0.00000 0.10000 110 3 0

```

```

-----
FAULT AT BUS NUMBER 2 : NAME Bus2
CURRENT (AMPS/DEGREE)      FAULT MVA
SEQUENCE (1,2,0) PHASE (A,B,C) SEQUENCE (1,2,0) PHASE (A,B,C)
MAGNITUDE ANGLE MAGNITUDE ANGLE MAGNITUDE MAGNITUDE
-----
4455 -90.00 4455 -90.00 849 849
0 -90.00 4455 150.00 0 849
0 -90.00 4455 30.00 0 849

```

R/X RATIO OF THE SHORT CIRCUIT PATH : 0.0000

PEAK ASYMMETRICAL SHORT-CIRCUIT CURRENT : 12601 AMPS

PASCC = $k \times \sqrt{2} \times I_f$, $k = 2.0000$

POST FAULT BUS VOLTAGES

```

NUMBER NAME      SEQUENCE (1,2,0) PHASE (A,B,C)
      MAGNITUDE ANGLE MAGNITUDE ANGLE
-----
1  Bus1 0.512 0.00 0.512 0.00
      0.000 -90.00 0.512 -120.00
      0.000 -90.00 0.512 120.00
2  Bus2 0.000 0.00 0.000 0.00
      0.000 -90.00 0.000 -120.00
      0.000 -90.00 0.000 120.00
3  Bus3 0.535 -0.00 0.535 -0.00
      0.000 -90.00 0.535 -120.00

```

0.000 -90.00

0.535 120.00

FAULT CONTRIBUTION

FROM NODE NAME	FROM NODE NAME	TO TO NODE NAME	CURRENT (AMPS/DEGREE) SEQUENCE (1,2,0)	MVA PHASE (A,B,C)	MVA PHASE(A,B,C)
			MAGNITUDE ANGLE	MAGNITUDE ANGLE	MAGNITUDE

2	Bus2	1	Bus1	895 90.00	895 90.00	171
				0 -90.00	895 -30.00	171
				0 -90.00	895 -150.00	171
1	Bus1	3	Bus3	41 90.00	41 90.00	8
				0 -90.00	41 -30.00	8
				0 -90.00	41 -150.00	8
2	Bus2	3	Bus3	936 90.00	936 90.00	178
				0 -90.00	936 -30.00	178
				0 -90.00	936 -150.00	178

FAULT CONTRIBUTION FROM SHUNT CONNECTION

FROM NODE NAME	FROM NODE NAME	CURRENT (AMPS/DEGREE) SEQUENCE (1,2,0)	MVA PHASE (A,B,C)	MVA PHASE(A,B,C)
		MAGNITUDE ANGLE	MAGNITUDE ANGLE	MAGNITUDE

1	Bus1	854 90.00	854 90.00	163
		0 -90.00	854 -30.00	163
		0 -90.00	854 -150.00	163
2	Bus2	2624 90.00	2624 90.00	500
		0 -90.00	2624 -30.00	500
		0 -90.00	2624 -150.00	500
3	Bus3	976 90.00	976 90.00	186
		0 -90.00	976 -30.00	186
		0 -90.00	976 -150.00	186

Results of LLG fault

BUS DATA

NODE	STAT	ZONE	BUS-KV	NAME	VMAG-PU	VANG-DEG	PGEN-MW	QGEN-MR	PLOAD-MW	QLOAD-MR	QCOMP-MR
------	------	------	--------	------	---------	----------	---------	---------	----------	----------	----------

1	1	1	110.000	Bus1	1.0000	0.000	0.000	0.000	0.000	0.000	0.000
2	1	1	110.000	Bus2	1.0000	0.000	0.000	0.000	0.000	0.000	0.000
3	1	1	110.000	Bus3	1.0000	0.000	0.000	0.000	0.000	0.000	0.000

TRANSMISSION LINE DATA

STAT CKTS FROM FROM TO TO

NODE NAME	NODE NAME	RP(P.U)	XP(P.U)	BP/2(PU)	RZ(P.U)	XZ(P.U)	BZ/2(PU)	FB-MVA	TB-MVA
-----------	-----------	---------	---------	----------	---------	---------	----------	--------	--------

3	1	1	Bus1	2	Bus2	0.00000	0.30000	0.00000	
						0.00000	0.75000	0.00000	110 110
3	1	1	Bus1	3	Bus3	0.00000	0.30000	0.00000	
						0.00000	0.75000	0.00000	110 110
3	1	2	Bus2	3	Bus3	0.00000	0.30000	0.00000	
						0.00000	0.75000	0.00000	110 110

 GENERATOR/MOTOR DATA

Classification Code :

0 : Generator

1 : Large Motor >1000 hp for <= 1800 rpm, >250 hp for 3600 rpm

2 : Medium Motor >= 50 hp

3 : Small Motor < 50 hp

FROM	FROM	POSITIVE		NEGATIVE		ZERO		CLASS		
NODE	NAME	R(P.U.)	X(P.U.)	R(P.U.)	X(P.U.)	R(P.U.)	X(P.U.)	CB-MVA	STAT	CODE
1	Bus1	0.00000	0.30000	0.00000	0.30000	0.00000	0.10000	110	3	0
2	Bus2	0.00000	0.20000	0.00000	0.20000	0.00000	0.10000	110	3	0
3	Bus3	0.00000	0.25000	0.00000	0.25000	0.00000	0.10000	110	3	0

FAULT AT BUS NUMBER 2 : NAME Bus2					
CURRENT (AMPS/DEGREE)			FAULT MVA		
SEQUENCE (1,2,0)	PHASE (A,B,C)		SEQUENCE (1,2,0)	PHASE (A,B,C)	
MAGNITUDE	ANGLE	MAGNITUDE	ANGLE	MAGNITUDE	MAGNITUDE
3166	-90.00	0	-90.00	603	0
1289	90.00	4776	143.89	246	910
1876	90.00	4776	36.11	358	910

 POST FAULT BUS VOLTAGES

NUMBER	NAME	SEQUENCE (1,2,0)		PHASE (A,B,C)	
		MAGNITUDE	ANGLE	MAGNITUDE	ANGLE
1	Bus1	0.653	-0.00	0.828	-0.00
		0.141	-0.00	0.573	-129.33
		0.034	0.00	0.573	129.33
2	Bus2	0.289	-0.00	0.868	-0.00
		0.289	-0.00	0.000	-62.69
		0.289	0.00	0.000	64.14
3	Bus3	0.669	-0.00	0.838	-0.00
		0.135	-0.00	0.592	-128.47
		0.034	0.00	0.592	128.47

 FAULT CONTRIBUTION

FROM	FROM	TO TO		CURRENT (AMPS/DEGREE)		MVA	
NODE	NAME	NODE	NAME	SEQUENCE (1,2,0)	PHASE (A,B,C)	PHASE(A,B,C)	
				MAGNITUDE	ANGLE	MAGNITUDE	ANGLE
2	Bus2	1	Bus1	636	90.00	198	90.00
				259	-90.00	858	-25.35
				179	-90.00	858	-154.65
1	Bus1	3	Bus3	29	90.00	17	90.00
				12	-90.00	36	-13.67
				0	0.00	36	-166.33
2	Bus2	3	Bus3	665	90.00	215	90.00
				271	-90.00	893	-24.88
				179	-90.00	893	-155.12

 FAULT CONTRIBUTION FROM SHUNT CONNECTION

FROM	FROM	CURRENT (AMPS/DEGREE)		MVA	
NODE	NAME	SEQUENCE (1,2,0)	PHASE (A,B,C)	PHASE(A,B,C)	

		MAGNITUDE	ANGLE	MAGNITUDE	ANGLE	MAGNITUDE
1	Bus1	607	90.00	181	90.00	35
		247	-90.00	822	-25.86	157
		179	-90.00	822	-154.14	157
2	Bus2	1865	90.00	414	-90.00	79
		760	-90.00	3075	-42.35	586
		1519	-90.00	3075	-137.65	586
3	Bus3	694	90.00	233	90.00	44
		283	-90.00	929	-24.44	177
		179	-90.00	929	-155.56	177

Result of SLG fault**BUS DATA**

NODE STAT ZONE BUS-KV NAME VMAG-PU VANG-DEG PGEN-MW QGEN-MR
PLOAD-MW QLOAD-MR QCOMP-MR

1	1	1	110.000	Bus1	1.0000	0.000	0.000	0.000	0.000
					0.000	0.000	0.000		
2	1	1	110.000	Bus2	1.0000	0.000	0.000	0.000	0.000
					0.000	0.000	0.000		
3	1	1	110.000	Bus3	1.0000	0.000	0.000	0.000	0.000
					0.000	0.000	0.000		

TRANSMISSION LINE DATA**STAT CKTS FROM FROM TO TO**

NODE NAME NODE NAME RP(P.U) XP(P.U) BP/2(PU)
RZ(P.U) XZ(P.U) BZ/2(PU) FB-MVA TB-MVA

3	1	1	Bus1	2	Bus2	0.00000	0.30000	0.00000		
						0.00000	0.75000	0.00000	110	110
3	1	1	Bus1	3	Bus3	0.00000	0.30000	0.00000		
						0.00000	0.75000	0.00000	110	110
3	1	2	Bus2	3	Bus3	0.00000	0.30000	0.00000		
						0.00000	0.75000	0.00000	110	110

GENERATOR/MOTOR DATA

Classification Code :

0 : Generator

1 : Large Motor >1000 hp for <= 1800 rpm, >250 hp for 3600 rpm

2 : Medium Motor >= 50 hp

3 : Small Motor < 50 hp

FROM	FROM	POSITIVE	NEGATIVE	ZERO	CLASS			
NODE	NAME	R(P.U)	X(P.U.)	R(P.U.)	X(P.U.)	R(P.U.)	X(P.U.)	CB-MVA STAT CODE
1	Bus1	0.00000	0.30000	0.00000	0.30000	0.00000	0.10000	110 3 0
2	Bus2	0.00000	0.20000	0.00000	0.20000	0.00000	0.10000	110 3 0
3	Bus3	0.00000	0.25000	0.00000	0.25000	0.00000	0.10000	110 3 0

FAULT AT BUS NUMBER 2 : NAME Bus2

CURRENT (AMPS/DEGREE)				FAULT MVA	
SEQUENCE (1,2,0)		PHASE (A,B,C)		SEQUENCE (1,2,0)	
MAGNITUDE		ANGLE		MAGNITUDE	
-----		-----		-----	
1658	-90.00	4974	-90.00	316	948
1658	-90.00	0	0.00	316	0
1658	-90.00	0	0.00	316	0

POST FAULT BUS VOLTAGES

NUMBER NAME		SEQUENCE (1,2,0)		PHASE (A,B,C)	
MAGNITUDE		ANGLE		MAGNITUDE	
-----		-----		-----	
1	Bus1	0.818	0.00	0.970	-0.00
		0.182	0.00	0.765	-133.88
		0.030	-180.00	0.765	133.88
2	Bus2	0.628	0.00	0.000	-16.32
		0.372	-180.00	0.947	-113.89
		0.256	-180.00	0.947	113.89
3	Bus3	0.827	-0.00	0.624	0.00
		0.173	180.00	0.937	-112.40
		0.030	0.00	0.937	112.40

FAULT CONTRIBUTION

FROM FROM		TO TO		CURRENT (AMPS/DEGREE)		MVA	
NODE NAME		NODE NAME		SEQUENCE (1,2,0)		PHASE (A,B,C)	
MAGNITUDE		MAGNITUDE		ANGLE		MAGNITUDE	
-----		-----		-----		-----	
2	Bus2	1	Bus1	333	90.00	824	90.00
				333	90.00	175	-90.00
				158	90.00	175	-90.00
1	Bus1	3	Bus3	15	90.00	30	90.00
				15	90.00	15	-90.00
				0	-128.13	15	-90.00
2	Bus2	3	Bus3	348	90.00	854	90.00
				348	90.00	190	-90.00
				158	90.00	190	-90.00

FAULT CONTRIBUTION FROM SHUNT CONNECTION

FROM FROM		CURRENT (AMPS/DEGREE)		MVA	
NODE NAME		SEQUENCE (1,2,0)		PHASE (A,B,C)	
MAGNITUDE		ANGLE		MAGNITUDE	
-----		-----		-----	
1	Bus1	318	90.00	794	90.00
		318	90.00	160	-90.00
		158	90.00	160	-90.00
2	Bus2	977	90.00	3295	90.00
		977	90.00	366	90.00
		1342	90.00	366	90.00
3	Bus3	363	90.00	885	90.00
		363	90.00	205	-90.00
		158	90.00	205	-90.00

Result:

Expt.No-9**Load flow analysis for a 3bus system using Newton Raphson Method/Gauss seidel method**

Aim: Load flow analysis using Newton Raphson Method/Gauss seidel method.

Apparatus Required: P.C loaded with Mipower package.

Theory: Load flow solution is a solution of a network under steady state condition subjected to certain inequality constraints under which the system operates. These constraints can be in the form load nodal voltages, reactive power generation of the generators, the tap setting of the tap changing transformer under load conditions.

The load flow solution gives the nodal voltages and phase angles and hence the power injection at all the buses and power flows through interconnecting power channels (through transmission line). Load flow solution is essential for designing a new power system and for planning extension of the existing one for increased load demand. These analysis require the calculations numerous load flows under both normal and abnormal operating conditions. Load flow solution also gives the initial conditions of the systems in the transient behavior of the system is to be obtained.

Load flow solution for power network can be worked out both ways accordingly as it is operating under balanced and unbalanced conditions.

The following treatment will be for a system operating under balanced conditions. For such a system single phase representation is adequate. A load flow solution of the power system requires mainly the following steps.

- 1) formulation or network equation
- 2) Suitable mathematical technique for solution of the equation.
- 3) The load and hence the generation are continuously varying in a real power system. We will assume here that loads and hence generations are fixed at a particular value over a suitable period of time. Example (½ hr)

Bus classification

In a power system each bus or a node is associated with four quantities

- a) real power
- b) reactive power
- c) bus voltage magnitude
- d) phase angle of the voltage

In a load flow solution two out of four quantities are specified and remaining two are required to be obtained. Depending upon which quantities are specified buses are classified as

- 1) generator bus
- 2) slack bus
- 3) load bus

Generator bus (voltage controlled bus)

Any bus of the system at which voltage magnitude is kept constant is called voltage controlled bus. At each bus to which there is a generator connected, the megawatt generation can be controlled by adjusting the prime mover and the voltage magnitude can be controlled by adjusting the generator excitation. Therefore at each generator bus

we may properly specify P_{gi} and $|V_i|$. Thus at the bus i angle δ_i and Q_{gi} are the unknown quantities. Therefore it is also called as PV Bus.

Load bus (PQ bus)

At each non generator bus called bus both P_{gi} and Q_{gi} are zero and real power P_{di} and reactive power Q_{di} are drawn from the system by the load. The two unknown quantities are voltage magnitude and voltage angle (V and δ)

Slack bus

The losses remain unknown until the load flow solution is complete. It is for this reason generally one of the generator buses is made to take the additional real and reactive power to supply transmission losses that is why this bus is known as slack bus or swing bus. At this bus the voltage magnitude V and phase angle δ are specified where as P_{gi} and Q_{gi} are unknown. The voltage angle of the slack bus serves as a reference for the angles of all other bus voltages.

Techniques of solving load flow problems

The development of any method for the load flow studies on the digital computer requires the following main consideration

- 1) mathematical formulation of the load flow problem
- 2) application of numerical technique to solve these problems

The mathematical formulation of load flow problem is a system of non linear algebraic equations.

The non-linear algebraic equations can be solved by the solution techniques such as iterative methods

- 1) Gauss method
- 2) Gauss- Seidel method
- 3) Newton Raphson method

Gauss Seidel method

In this method the value of bus voltages calculated for any bus immediately replace the previous values in the next step while in case of gauss method the calculated bus voltage replace the earlier value only at the end of iteration. Due to this Gauss Siedel method converges faster than that of Gauss method. This method solves the power flow equation in rectangular co-ordinates until the differences in the bus voltages from one iteration another are sufficiently small.

Newton Raphson method

It's a powerful method of solving non-linear algebraic equation. It works faster and is sure to converge in most of the cases as compared to the GS method. It is indeed a practical method of load flow solution of large power networks. Its only drawback is the large requirement of computer memory. Convergence can be considerably speeded up by performing the first iteration through the GS method and using the values so obtained for starting the NR iterations.

This method solves the polar form of the power flow equations until δp and δq mismatches, at all buses fall within the tolerance.

Fast Decoupled NR method

When solving large scale power transmission systems strategy for improving computational efficiency and reducing computer storage requirements is the decoupled load flow method. Incorporation of approximations of the decoupled method into the jacobian matrix makes the elements of the sub matrices J_{12} and J_{21} zero.

Therefore the modified jacobian now consists of the sub matrices J11 and J22. However J11 and J22 are still interdependent. The complications in solving J11 and J12 can be overcome by introducing further simplifications which are justified by the physics of transmission line power flow. Such a method is called as fast decoupled method.

Problem 1:

Each line has a series impedance of $0.02 + j0.08$ pu. Total shunt admittance of $j0.02$ pu. The specified quantities of the line buses are tabulated below on 100MVA base.

BUS	Real load demand	Reactive Load demand	Real Power Gen Pg	Reactive Power Gen Qg	Voltage specification
1	2 pu	1 pu	Unspecified	Unspecified	1.04 \angle 0 slack bus
2	0 pu	0	0.5	1	Unspecified
3	1.5 pu	0.6 pu	0	Qg3=? (0-1.5pu)	1.04(pv)

Output:

Base case:

BUS VOLTAGES AND POWERS

NODE NO.	FROM NAME	V-MAG P.U.	ANGLE DEGREE	MW GEN	MVAR GEN	MW LOAD	MVAR LOAD	MVAR COMP
----------	-----------	------------	--------------	--------	----------	---------	-----------	-----------

1	BUS1	1.0400	0.00	303.155	20.934	200.000	100.000	0.000
2	BUS2	1.0819	-1.38	50.000	100.001	0.000	0.000	0.000 #>
3	BUS3	1.0400	-3.75	0.000	45.023	150.000	60.000	0.000

NUMBER OF BUSES EXCEEDING MINIMUM VOLTAGE LIMIT (@ MARK) : 0
 NUMBER OF BUSES EXCEEDING MAXIMUM VOLTAGE LIMIT (# MARK) : 1
 NUMBER OF GENERATORS EXCEEDING MINIMUM Q LIMIT (< MARK) : 0
 NUMBER OF GENERATORS EXCEEDING MAXIMUM Q LIMIT (> MARK) : 1

LINE FLOWS AND LINE LOSSES

SLNO	CS	FROM FROM NODE NAME	TO TO NODE NAME	FORWARD MW	FORWARD MVAR	LOSS MW	LOSS MVAR	% LOADING
------	----	---------------------	-----------------	------------	--------------	---------	-----------	-----------

1	1	1	BUS1 2 BUS2	19.157	-59.886	0.7073	0.5771	58.4\$
2	1	1	BUS1 3 BUS3	83.998	-19.180	1.3652	3.2978	82.8#
3	1	2	BUS2 3 BUS3	68.451	39.538	1.0838	2.0832	73.1\$

RESULTS :

LINE 1 OPEN:

BUS VOLTAGES AND POWERS

NODE NO.	FROM NAME	V-MAG P.U.	ANGLE DEGREE	MW GEN	MVAR GEN	MW LOAD	MVAR LOAD	MVAR COMP
----------	-----------	------------	--------------	--------	----------	---------	-----------	-----------

1	BUS1	1.0400	0.00	304.154	72.093	200.000	100.000	0.000
2	BUS2	1.1249	-3.72	50.000	100.000	0.000	0.000	0.000 #>
3	BUS3	1.0441	-4.68	0.000	-0.000	150.000	60.000	0.000 <

SLNO	CS	FROM	FROM	TO	TO	FORWARD	LOSS	%
		NODE	NAME	NODE	NAME	MW	MVAR	LOADING
1	1	BUS1	2	BUS2	LINE IS OPEN			
2	1	1	BUS1	3	BUS3	104.155	-27.907	2.1390 6.3843 103.7@
3	1	2	BUS2	3	BUS3	50.000	100.000	2.0161 5.7088 99.4#

Problem 2(5 bus system)**Bus Data:**

BUS NO	BUS VOLTAGE		GENERATION		LOAD		TYPE OF BUS
	MAGNITUDE	PHASE ANGLE	REAL	REACTIVE	REAL	REACTIVE	
1	-	-	0.0	0.0	0.45	0.15	PQ
2	-	-	0.0	0.0	0.4	0.05	PQ
3	-	-	0.0	0.0	0.6	0.1	PQ
4	1.047	-	0.4	0.3	0.2	0.1	PV
5	1.06	00					SLACK

LINE PARAMATERS:

LINE NO	BUS P	CODE Q	LINE PARAMETERS		
			RPU	XPU	B2PU
1	5	4	0.02	0.06	0.03
2	5	1	0.08	0.24	0.025
3	4	1	0.06	0.18	0.02
4	4	2	0.06	0.18	0.02
5	4	3	0.04	0.12	0.015
6	1	2	0.01	0.03	0.01
7	2	3	0.08	0.24	0.025

RESULTS**BASE CASE****BUS VOLTAGES AND POWERS**

NODE NO.	FROM NAME	V-MAG	ANGLE	P.U.	DEGREE	GEN	GEN	LOAD	LOAD	MVAR	MVAR	COMP
1	BUS1	1.0243	-5.00	0.000	0.000	0.000	45.000	15.000	0.000			
2	BUS2	1.0237	-5.33	0.000	0.000	0.000	40.000	5.000	0.000			
3	BUS3	1.0181	-6.15	0.000	0.000	0.000	60.000	10.000	0.000			
4	BUS4	1.0476	-2.81	40.000	30.312	20.000	10.000	0.000				
5	BUS5	1.0600	0.00	129.579	-7.759	0.000	0.000	0.000	#<			

LINE FLOWS AND LINE LOSSES

SLNO	CS	FROM	FROM	TO	TO	FORWARD	LOSS	%
		NODE	NAME	NODE	NAME	MW	MVAR	LOADING
1	1	4	BUS4	5	BUS5	-87.449	6.430 1.4109 -2.4306	84.2#
2	1	5	BUS5	1	BUS1	40.719	1.102 1.1914 -1.8578	38.4^
3	1	4	BUS4	1	BUS1	24.695	3.564 0.3516 -3.2387	24.7&
4	1	4	BUS4	2	BUS2	27.938	2.974 0.4413 -2.9669	27.5^
5	1	4	BUS4	3	BUS3	54.824	7.344 1.1250 0.1739	52.8\$

6	1	1	BUS1	2	BUS2	18.874	-5.231	0.0356	-1.9903	19.1&
7	1	2	BUS2	3	BUS3	6.332	-2.294	0.0307	-5.1192	6.8&

RESULTS**LINE 1-2 REMOVED**

NODE NO.	FROM NAME	V-MAG P.U.	ANGLE DEGREE		MW GEN	MVAR GEN	MW LOAD	MVAR LOAD	MVAR COMP
----------	-----------	------------	--------------	--	--------	----------	---------	-----------	-----------

1	Bus1	1.0264	-4.01	0.000	0.000	45.000	15.000	0.000	
2	Bus2	1.0190	-6.89	0.000	0.000	40.000	5.000	0.000	
3	Bus3	1.0162	-6.84	0.000	0.000	60.000	10.000	0.000	
4	Bus4	1.0476	-3.07	40.000	34.706	20.000	10.000	0.000	
5	Bus5	1.0600	0.00	129.926	-8.978	0.000	0.000	0.000	#<

LINE FLOWS AND LINE LOSSES

SLNO	CS	FROM NODE	FROM NAME	TO NODE	TO NAME	FORWARD MW	FORWARD MVAR	LOSS MW	LOSS MVAR	% LOADING
------	----	-----------	-----------	---------	---------	------------	--------------	---------	-----------	-----------

1	1	4	Bus4	5	Bus5	-94.908	9.349	1.6706	-1.6513	91.7#
2	1	5	Bus5	1	Bus1	33.347	2.023	0.8084	-3.0176	31.5^
3	1	4	Bus4	1	Bus1	12.585	6.023	0.1235	-3.9314	15.5&
4	1	4	Bus4	2	Bus2	40.966	2.098	0.9276	-1.4890	39.2^
5	1	4	Bus4	3	Bus3	61.364	7.235	1.4012	1.0084	59.0\$
6	1		Bus1	2	Bus2	LINE IS OPEN				
7	1	2	Bus2	3	Bus3	0.038	-1.408	0.0011	-5.1744	3.7&

Result:

Expt.No-10**Optimal generator scheduling for thermal power plants**

Aim: To determine the optimal generator scheduling for thermal power plants using Mipower package

Apparatus required: PC loaded with Mipower.

Theory: For a power plant the total cost of operation includes fuel, maintenance, and labor costs, but we will assume that changes in output are relatively small, so that fuel cost is the only important one.

If we let **P** stand for the power output in megawatts (MW) and **C** be the fuel cost, then Fig. shows a typical curve of cost versus power output.

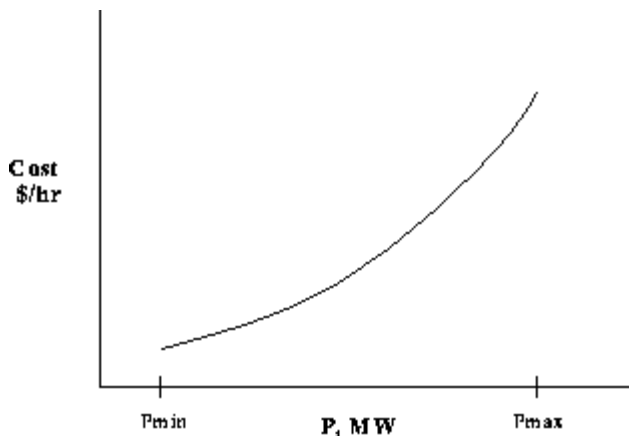


Figure: Typical Fuel-Cost curve for a single power plant

It is seen that the cost curve is increasing and concave upward. In practice, a quadratic polynomial is often used to fit fuel-cost data. There are minimum and maximum values of **P**, **Pmax** and **Pmin**, corresponding to feasible limits of operation of the plant. The need for an upper limit should be clear; a given plant can't produce more power than it is designed for. The lower limit usually comes from thermodynamic and/or practical considerations, *e.g.* the fuel burning rate has to be above a certain value or the flame goes out.

Problem:

Given the cost equation and loss co-efficient of different units in a plant.

Determination of economic generation using the available software package for given total load demand in MW with and without B co-efficient.

For 3 machine system:**Cost equations are:**

$$C_1 = 0.05P_1^2 + 20P_1 + 800 \text{ Rs./MWh} \quad 0 < P_1 < 150$$

$$C_2 = 0.06P_2^2 + 15P_2 + 1000 \text{ Rs./MWh} \quad 0 < P_2 < 150$$

$$C_3 = 0.07P_3^2 + 18P_3 + 900 \text{ Rs./MWh} \quad 0 < P_3 < 200$$

$$B_{11} = 0.0005 \quad B_{22} = 0.0004 \quad B_{33} = 0.0005$$

$$B_{12}=B_{21}=0.00005 \quad B_{23}=B_{32}=0.00018$$

$$B_{13}=B_{31}=0.0002 \text{ MW}^{-1}$$

For 2 machine system:

Cost equations are:

$$C_1=0.015P_1^2 + 16P_1+50 \text{ Rs./MWh} \quad 0 < P_1 < 150$$

$$C_2=0.025P_2^2 + 12P_2+30 \text{ Rs./MWh} \quad 0 < P_2 < 100$$

$$B_{11}=0.005 \quad B_{22}=0.002 \quad B_{33}=0.0005$$

$$B_{12}=B_{21}=0.0012 \text{ MW}^{-1}$$

Results:

Total Demand – 150MW, No of generators 2 (neglecting transmission loss)

Iter count 20 Lambda 17.500002 Total gen 150.000061

Total loss 0.000000

Total load 150.000000 Delta power 0.000061

Final Cost of generation at Generator 1 = 887.501134 Rs for 50.000065 MW

Final Cost of generation at Generator 2 = 1480.000004 Rs for 100.000000 MW

Final Total generation cost is Rs 2367.501221

Total Demand – 200MW, No of generators - 3 (by considering transmission losses)

Iter count 35 Lambda 29.060001 Total gen 210.748566

Total loss 10.786809

Total load 200.000000 Delta power -0.038243

Final Cost of generation at Generator 1 = 2261.151622 Rs for 63.102703 MW

Final Cost of generation at Generator 2 = 2830.295597 Rs for 89.778786 MW

Final Cost of generation at Generator 3 = 2176.009584 Rs for 57.867088 MW

Final Total generation cost is Rs 7267.457031

Result:

Expt.No-11

Z-BUS BUILDING ALGORITHM

Aim: Formation of Z-bus, using Z-bus build Algorithm without mutual.

Theory: It is a step-by-step programmable technique which proceeds branch by branch. It has the advantage that any modification of the network does not require complete rebuilding of Z_{BUS} •

Consider that Z_{BUS} has been formulated upto a certain stage and another branch is now added. Then

$$Z_{BUS} \text{ (old)} \xrightarrow{Z_b = \text{branch impedance}} Z_{BUS} \text{ (new)}$$

Upon adding a new branch, one of the following situations is presented.

1. Z_b is added from a new bus to the reference bus (i.e. a new branch is added and the dimension of Z_{BUS} goes up by one). This is *type-1 modification*.
2. Z_b is added from a new bus to an old bus (i.e., a new branch is added and the dimension of Z_{BUS} goes up by one). This is *type-2 modification*.
3. Z_b connects an old bus to the reference branch (i.e., a new loop is formed but the dimension of Z_{BUS} does not change). This is *type-3 modification*.
4. Z_b connects two old buses (i.e., new loop is formed but the dimension of Z_{BUS} does not change). This is *type-4 modification*.
5. Z_b connects two new buses (Z_{BUS} remains unaffected in this case). This situation can be avoided by suitable numbering of buses and from now onwards will be ignored.

Notation: i, j —old buses; r —reference bus; k —new bus.

Procedure:

1. Enter the command window of the MATLAB.
2. Create a new M – file by selecting File - New – M – File
3. Type and save the program in the editor window.
4. Execute the program by pressing Tools – Run.
5. View the results.

Expected Result:

Type = 1

Zbus =[0.2500]

Type = 2

Zbus = [0.2500 0.2500; 0.2500 0.3500]

Type = 2

Zbus =[0.2500 0.2500 0.2500; 0.2500 0.3500 0.2500; 0.2500 0.2500 0.3500]

Zbus =[0.1458 0.1042 0.1458; 0.1042 0.1458 0.1042; 0.1458 0.1042 0.2458]

Zbus = [0.1397 0.1103 0.1250; 0.1103 0.1397 0.1250; 0.1250 0.1250 0.1750]

PROGRAM:

```

%Zprim=[Element no.  from  to  Value]
clc
clear all
Z= [ 1 1 0 0.25
     2 2 1 0.1
     3 3 1 0.1
     4 2 0 0.25
     5 2 3 0.1];
[m n]= size(Z);
Zbus=[ ] ;
%Let Zbus be a null matrix to begin with
currentbusno=0;
for count = 1:m,
    [rows cols]=size(Zbus);
    fb=Z(count,2);
    tb=Z(count,3);
    value=Z(count,4);
    newbus=max(fb,tb);
    ref=min(fb,tb);
% Type 1 Modification
    if newbus > currentbusno & ref==0
        Type=1
        Zbus=[Zbus zeros(rows,1);
              zeros(1,cols) value]
        currentbusno=newbus;
        continue
    end
% Type 2 Modification
    if newbus > currentbusno & ref~=0
        Type=2
        Zbus=[Zbus  Zbus(:,ref);
              Zbus(ref,:) value+Zbus(ref,ref)]
        currentbusno=newbus;
        continue
    end
% Type 3 Modification
    if newbus <= currentbusno & ref==0
        Zbus=Zbus-1/(Zbus(newbus,newbus)+value)*Zbus(:,newbus)*Zbus(newbus,:)
        continue
    end
% Type 4 Modification
    if newbus <= currentbusno & ref~=0
        Zbus=Zbus-1/(value+Zbus(fb,fb)+Zbus(tb,tb)- 2*Zbus(fb,tb))*((Zbus(:,fb)-Zbus(:,tb))*((Zbus(fb,:)-
        Zbus(tb,:))))
        continue
    end
end
end
end

```


A.1 SINUSOIDAL VOLTAGES AND CURRENTS

Aim: To determine sinusoidal voltages and currents

Apparatus: MATLAB

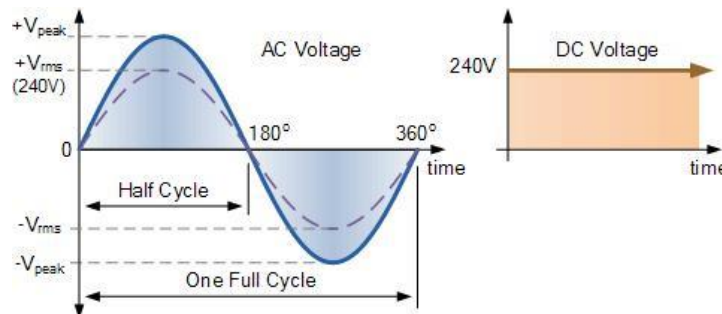
Theory : The RMS Voltage of an AC Waveform

The RMS value is the square root of the mean (average) value of the squared function of the instantaneous values. The symbols used for defining an RMS value are V_{RMS} or I_{RMS} .

The term RMS, refers to time-varying sinusoidal voltages, currents or complex waveforms where the magnitude of the waveform changes over time and is not used in DC circuit analysis or calculations where the magnitude is always constant. When used to compare the equivalent RMS voltage value of an alternating sinusoidal waveform that supplies the same electrical power to a given load as an equivalent DC circuit, the RMS value is called the “effective value” and is presented as: V_{eff} or I_{eff} .

In other words, the effective value is an equivalent DC value which tells you how many volts or amps of DC that a time-varying sinusoidal waveform is equal to in terms of its ability to produce the same power. For example, the domestic mains supply in the United Kingdom is 240Vac. This value is assumed to indicate an effective value of “240 Volts RMS”. This means then that the sinusoidal RMS voltage from the wall sockets of a UK home is capable of producing the same average positive power as 240 volts of steady DC voltage as shown below.

RMS Voltage Equivalent



Circuit diagram:

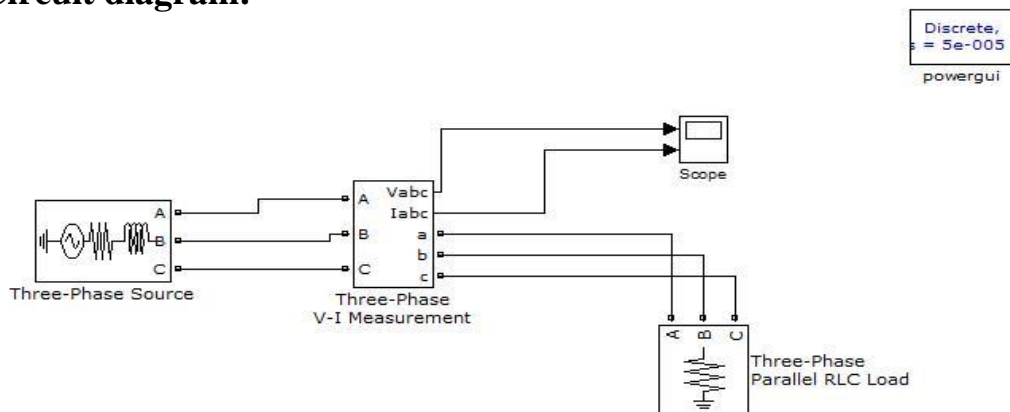
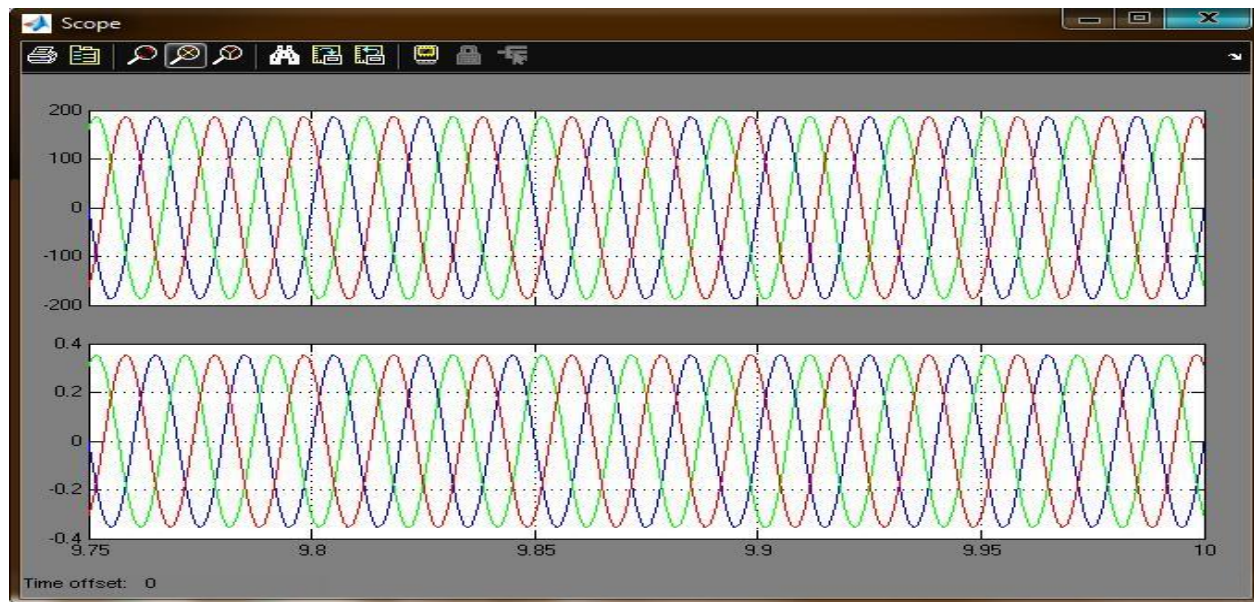


Fig: Simulink model for voltage and current measurement

Procedure:

1. Open Matlab-->Simulink--> File ---> New---> Model
2. Open Simulink Library and browse the components
3. Connect the components as per circuit diagram
4. Set the desired voltage and required frequency
5. Simulate the circuit using MATLAB
6. Plot the waveforms.

Graph:**Result:**

A.2 UNSYMMETRICAL FAULT ANALYSIS

Aim: To analyse unsymmetrical fault

Apparatus: MATLAB

Theory:

Single Line-to-Ground Fault: The single line-to-ground fault is usually referred as “short circuit” fault and occurs when one conductor falls to ground or makes contact with the neutral wire. The general representation of a single line-to-ground fault is shown in Figure 3.10 where F is the fault point with impedances Z_f . Figure 3.11 shows the sequences network diagram. Phase a is usually assumed to be the faulted phase, this is for simplicity in the fault analysis calculations.

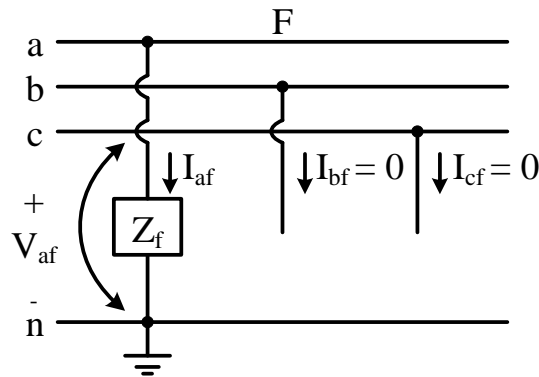


Figure 3.10 General representation of a single line-to-ground fault.

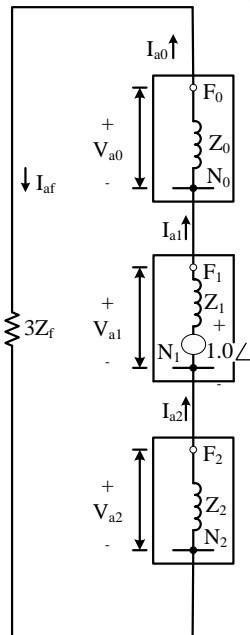


Figure 3.11 Sequence network diagram of a single line-to-ground fault.

Since the zero-, positive-, and negative-sequence currents are equal as it can be observed in Figure 3.11. Therefore,

$$I_{a0} = I_{a1} = I_{a2} = \frac{1.0 \angle 0^\circ}{Z_0 + Z_1 + Z_2 + 3Z_f} \quad (3.48)$$

Since

$$\begin{bmatrix} I_{af} \\ I_{bf} \\ I_{cf} \end{bmatrix} = \begin{bmatrix} 1 & 1 & 1 \\ 1 & a^2 & a \\ 1 & a & a^2 \end{bmatrix} \begin{bmatrix} I_{a0} \\ I_{a1} \\ I_{a2} \end{bmatrix} \quad (3.49)$$

Solving Equation the fault current for phase a is

$$I_{af} = I_{a0} + I_{a1} + I_{a2} \quad (3.50)$$

it can also be

$$I_{af} = 3I_{a0} = 3I_{a1} = 3I_{a2} \quad (3.51)$$

From Figure 3.10 it can be observed that,

$$V_{af} = Z_f I_{af} \quad (3.52)$$

The voltage at faulted phase a can be obtained by substituting Equation 3.49 into Equation 3.52. Therefore,

$$V_{af} = 3Z_f I_{a1} \quad (3.53)$$

$$\text{but, } V_{af} = V_{a0} + V_{a1} + V_{a2} \quad (3.54)$$

$$\text{therefore, } V_{a0} + V_{a1} + V_{a2} = 3Z_f I_{a1} \quad (3.55)$$

With the results obtained for sequence currents, the sequence voltages can be obtained from

$$\begin{bmatrix} V_{a0} \\ V_{b1} \\ V_{c2} \end{bmatrix} = \begin{bmatrix} 0 \\ 1.0 \angle 0^\circ \\ 0 \end{bmatrix} - \begin{bmatrix} 1 & 1 & 1 \\ 1 & a^2 & a \\ 1 & a & a^2 \end{bmatrix} \begin{bmatrix} I_{a0} \\ I_{a1} \\ I_{a2} \end{bmatrix} \quad (3.56)$$

By solving Equation

$$\begin{aligned} V_{a0} &= -Z_0 I_{a0} \\ V_{a1} &= 1.0 - Z_1 I_{a1} \\ V_{a2} &= -Z_2 I_{a2} \end{aligned} \quad (3.57)$$

If the single line-to-ground fault occurs on phase b or c, the voltages can be found by the relation that exists to the known phase voltage components,

$$\begin{bmatrix} V_{af} \\ V_{bf} \\ V_{cf} \end{bmatrix} = \begin{bmatrix} 1 & 1 & 1 \\ 1 & a^2 & a \\ 1 & a & a^2 \end{bmatrix} \begin{bmatrix} V_{a0} \\ V_{a1} \\ V_{a2} \end{bmatrix} \quad (3.58)$$

as

$$\begin{aligned} V_{bf} &= V_{a0} + a^2 V_{a1} + a V_{a2} \\ V_{cf} &= V_{a0} + a V_{a1} + a^2 V_{a2} \end{aligned} \quad (3.59)$$

Line-to-Line Fault: A line-to-line fault may take place either on an overhead and/or underground transmission system and occurs when two conductors are short-circuited. One of the characteristic of this type of fault is that its fault impedance magnitude could vary over a wide range making very hard to predict its upper and lower limits. It is when the fault impedance is zero that the highest asymmetry at the line-to-line fault occurs.

The general representation of a line-to-line fault is shown in Figure 3.12 where F is the fault point with impedances Z_f . Figure 3.13 shows the sequence network diagram. Phase b and c are usually assumed to be the faulted phases; this is for simplicity in the fault analysis calculations.

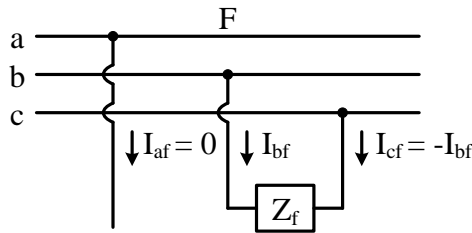


Figure 3.12 Sequence network diagram of a line-to-line fault.

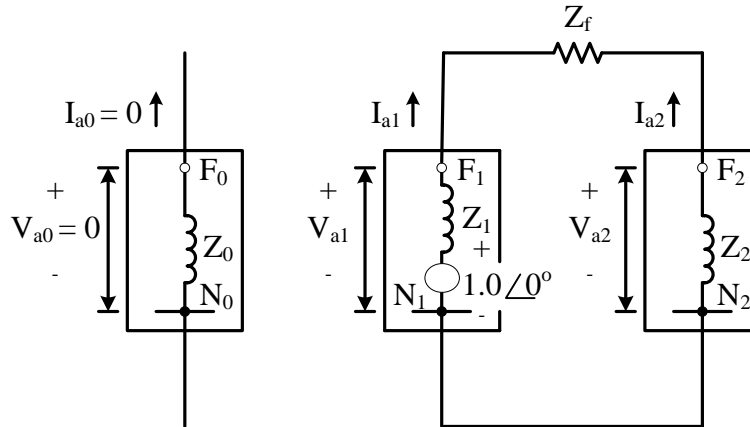


Figure 3.13 Sequence network diagram of a single line-to-ground fault.

From Figure 3.13 it can be noticed that

$$\begin{aligned} I_{af} &= 0 \\ I_{bf} &= -I_{cf} \\ V_{bc} &= Z_f I_{bf} \end{aligned} \quad (3.60)$$

And the sequence currents can be obtained as

$$I_{a0} = 0 \quad (3.61)$$

$$I_{a1} = -I_{a2} = \frac{1.0 \angle 0^\circ}{Z_1 + Z_2 + Z_f} \quad (3.62)$$

If $Z_f = 0$,

$$I_{a1} = -I_{a2} = \frac{1.0 \angle 0^\circ}{Z_1 + Z_2} \quad (3.63)$$

The fault currents for phase b and c can be obtained by substituting Equations 3.61 and 3.62 into Equation 3.49

$$I_{bf} = -I_{cf} = \sqrt{3} I_{a1} \angle -90^\circ \quad (3.64)$$

The sequence voltages can be found similarly by substituting Equations 3.61 and 3.62 into Equation 3.56

$$\begin{aligned}
 V_{a0} &= 0 \\
 V_{a1} &= 1.0 - Z_1 I_{a1} \\
 V_{a2} &= -Z_2 I_{a2} = Z_2 I_{a1}
 \end{aligned} \tag{3.65}$$

Also substituting Equation 3.65 into Equation 3.58

$$\begin{aligned}
 V_{af} &= V_{a1} + V_{a2} = 1.0 + I_{a1}(Z_2 - Z_1) \\
 V_{bf} &= a^2 V_{a1} + a V_{a2} = a^2 + I_{a1}(a Z_2 - a^2 Z_1) \\
 V_{cf} &= a V_{a1} + a^2 V_{a2} = a + I_{a1}(a^2 Z_2 - a Z_1)
 \end{aligned} \tag{3.66}$$

Finally, the line-to-line voltages for a line-to-line fault can be expressed as

$$\begin{aligned}
 V_{ab} &= V_{af} - V_{bf} \\
 V_{bc} &= V_{bf} - V_{cf} \\
 V_{ca} &= V_{cf} - V_{af}
 \end{aligned} \tag{3.67}$$

Double Line-to-Ground Fault: A double line-to-ground fault represents a serious event that causes a significant asymmetry in a three-phase symmetrical system and it may spread into a three-phase fault when not clear in appropriate time. The major problem when analyzing this type of fault is the assumption of the fault impedance Z_f , and the value of the impedance towards the ground Z_g .

The general representation of a double line-to-ground fault is shown in Figure 3.14 where F is the fault point with impedances Z_f and the impedance from line to ground Z_g . Figure 3.15 shows the sequences network diagram. Phase b and c are assumed to be the faulted phases, this is for simplicity in the fault analysis calculations.

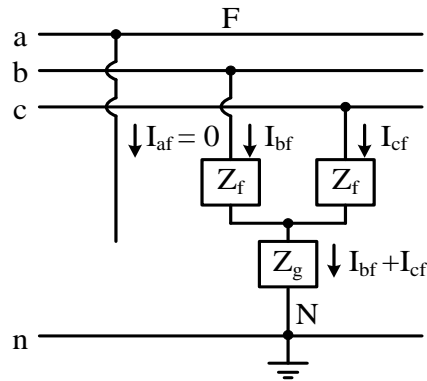


Figure 3.14 General representation of a double line-to-ground fault.

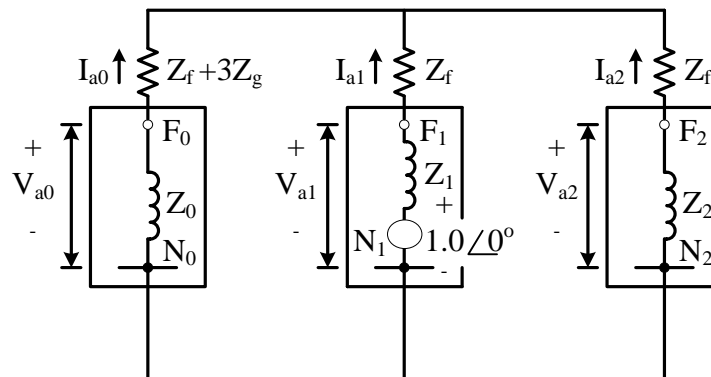


Figure 3.15 Sequence network diagram of a double line-to-ground fault.

From Figure 3.15 it can be observed that

$$\begin{aligned} I_{af} &= 0 \\ V_{bf} &= (Z_f + Z_g)I_{bf} + Z_g I_{cf} \\ V_{cf} &= (Z_f + Z_g)I_{cf} + Z_g I_{bf} \end{aligned} \quad (3.68)$$

Based on Figure 3.15, the positive-sequence currents can be found as

$$\begin{aligned} I_{a1} &= \frac{1.0 \angle 0^\circ}{(Z_1 + Z_f) + \frac{(Z_2 + Z_f)(Z_0 + Z_f + 3Z_g)}{(Z_2 + Z_f) + (Z_0 + Z_f + 3Z_g)}} \\ I_{a2} &= -\left[\frac{(Z_0 + Z_f + 3Z_g)}{(Z_2 + Z_f) + (Z_0 + Z_f + 3Z_g)}\right] I_{a1} \\ I_{a0} &= -\left[\frac{(Z_2 + Z_f)}{(Z_2 + Z_f) + (Z_0 + Z_f + 3Z_g)}\right] I_{a1} \end{aligned} \quad (3.69)$$

An alternative method is,

$$\begin{aligned} I_{af} &= 0 = I_{a0} + I_{a1} + I_{a2} \\ I_{a0} &= -(I_{a1} + I_{a2}) \end{aligned} \quad (3.70)$$

If Z_f and Z_g are both equal to zero, then the positive-, negative-, and zero-sequences can be obtained from

$$\begin{aligned} I_{a1} &= \frac{1.0 \angle 0^\circ}{(Z_1) + \frac{(Z_2)(Z_0)}{(Z_2 + Z_0)}} \\ I_{a2} &= -\left[\frac{(Z_0)}{(Z_2 + Z_0)}\right] I_{a1} \\ I_{a0} &= -\left[\frac{(Z_2)}{(Z_2 + Z_0)}\right] I_{a1} \end{aligned} \quad (3.71)$$

From Figure 3.14 the current for phase a is

$$I_{af} = 0 \quad (3.72)$$

Now, substituting Equations 3.71 into Equation 3.49 to obtain phase b and c fault currents

$$\begin{aligned} I_{bf} &= I_{a0} + a^2 I_{a1} + a I_{a2} \\ I_{cf} &= I_{a0} + a I_{a1} + a^2 I_{a2} \end{aligned} \quad (3.73)$$

The total fault current flowing into the neutral is

$$I_n = 3I_{a0} = I_{bf} + I_{cf} \quad (3.74)$$

And the sequence voltages can be obtained by using Equation 3.51

$$\begin{aligned} V_{0a} &= -Z_0 I_{a0} \\ V_{a1} &= 1.0 - Z_1 I_{a1} \\ V_{a2} &= -Z_2 I_{a2} \end{aligned} \quad (3.75)$$

The phase voltages are equal to

$$\begin{aligned} V_{af} &= V_{a0} + V_{a1} + V_{a2} \\ V_{bf} &= V_{a0} + a^2 V_{a1} + a V_{a2} \\ V_{cf} &= V_{a0} + a V_{a1} + a^2 V_{a2} \end{aligned} \quad (3.76)$$

The line-to-line voltages can be obtained from

$$V_{ab} = V_{af} - V_{bf}$$

$$V_{bc} = V_{bf} - V_{cf}$$

$$V_{ca} = V_{cf} - V_{af}$$

(3.77)

If $Z_f = 0$ and $Z_g = 0$ then the sequence voltages become, and the positive-sequence current is found by using Equation 3.71.

$$V_{a0} = V_{a1} = V_{a2} = 1.0 - Z_1 I_{a1}$$

(3.78)

Now the negative- and zero-sequence currents can be obtained from

$$I_{a2} = -\frac{V_{a2}}{Z_2}$$

(3.79)

$$I_{a0} = -\frac{V_{a0}}{Z_0}$$

The resultant phase voltages from the relationship given in Equation 3.78 can be expressed as

$$V_{af} = V_{a0} + V_{a1} + V_{a2} = 3V_{a1}$$

(3.80)

$$V_{bf} = V_{cf} = 0$$

And the line-to-line voltages are

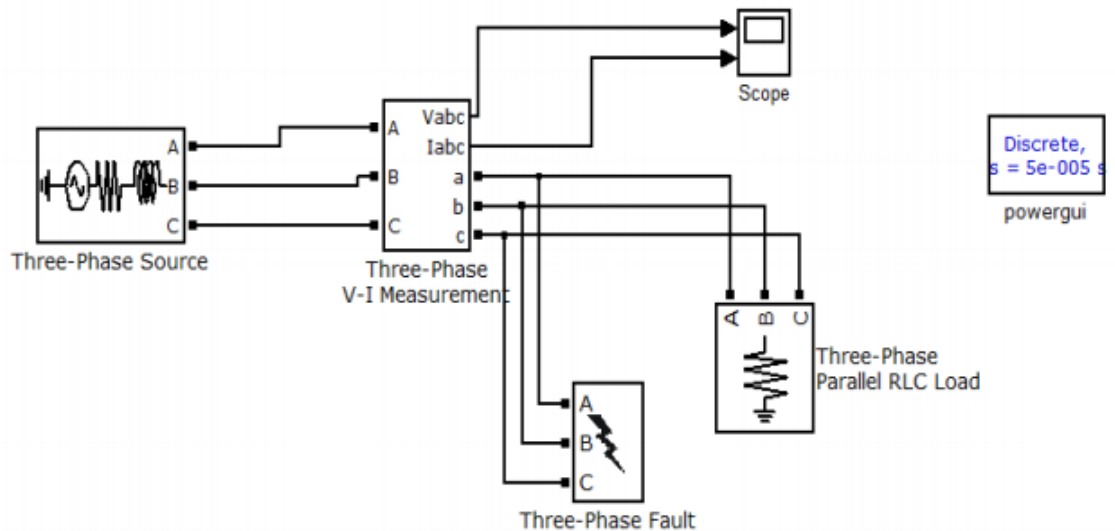
$$V_{abf} = V_{af} - V_{bf} = V_{af}$$

$$V_{bcf} = V_{bf} - V_{cf} = 0$$

$$V_{caf} = V_{cf} - V_{af} = -V_{af}$$

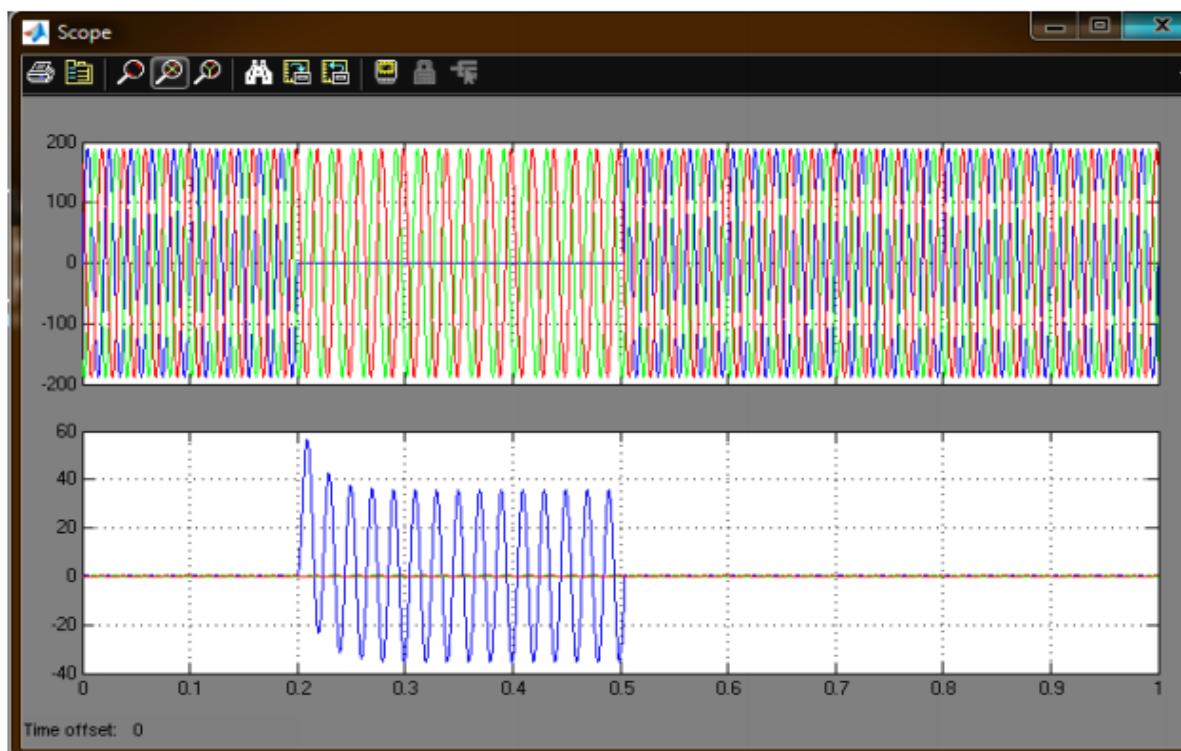
(3.81)

Circuit Diagram:



Procedure:

1. Open Matlab-->Simulink--> File ---> New---> Model
2. Open Simulink Library and browse the components
3. Connect the components as per circuit diagram
4. Set the desired voltage and required frequency
5. Simulate the circuit using MATLAB 6. Plot the waveforms

Graph:**Result:**

A.3 Introduction to MATLAB and its basic commands

1. Introduction to MATLAB:

MATLAB is a widely used numerical computation package. It serves both as a simple calculator and as a sophisticated tool for making long complicated calculations and plot graphs of different functions depending upon requirement. Models of dynamic systems can be built easily using SIMULINK.

Some Benefits of MATLAB are:

Simple to use

Fast computations are possible

Wide working range

Solution of matrix of any order

Desired operations are performed in matrices Different

Programming languages can be used Simulation is possible

To start using MATLAB/SIMULINK, open editor to create an m-file or an .mdl Simulink model in Simulink window. Always save using file names without breaks in words.

Some very important functions performed by MATLAB are:

Matrix computations

Vector Analysis

Differential Equations

computations Integration

Computer language programming

Simulation

2-D & 3-D Plotting

2. Basic Commands:

Some basic MATLAB commands are given as follows. Type these at the command prompt to verify.

Addition: $A+B$ Subtraction: $A-B$ Multiplication: $A*B$

Division: A/B Power: A^B Power of individual element: $A.^B$

Range : $A:B$ Square-Root: $A=\text{sqrt}(B)$ where A & B are any arbitrary integers

3. Basic Matrix Operations:

This is a demonstration of some aspects of the MATLAB language.

Execute the commands in MATLAB and print out the results.

Creating a Vector:

Let's create a simple vector with 9 elements called a.

```
a = [1 2 3 4 6 4 3 4 5]
```

```
a =
```

```
1      2      3      4      6      4      3      4      5
```

Now let's add 2 to each element of our vector, a, and store the result in a new vector. Notice how MATLAB requires no special handling of vector or matrix math.

Adding an element to a Vector:

```
b = a + 2
```

```
b =
```

```
3      4      5      6      8      6      5      6      7
```

Plots and Graphs:

Creating graphs in MATLAB is as easy as one command. Let's plot the result of our vector addition with grid lines.

```
plot(b)
```

```
grid on
```

MATLAB can make other graph types as well, with axis labels.

```
bar(b)
```

```
xlabel('Sample #')
```

```
ylabel('Pounds')
```

MATLAB can use symbols in plots as well. Here is an example using stars to mark the points. MATLAB offers a variety of other symbols and line types.

```
plot(b, '*')
```

```
axis([0 10 0 10])
```

Creating a matrix:

One area in which MATLAB excels is matrix computation. Creating a matrix is as easy as making a vector, using semicolons (;) to separate the rows of a matrix.

```
A = [1 2 0; 2 5 -1; 4 10 -1]
```

```
A =
```

```
1      2      0
2      5     -1
4     10     -1
```

Adding a new Row:

```
A(4,:)=[7 8 9]
```

```
ans =
```

```
1      2      0
2      5     -1
4     10     -1
7      8      9
```

Adding a new Column:

```
A(:,4)=[7 8 9]
```

```
ans =
```

```
1      2      0      7
```

$$\begin{bmatrix} 2 & 5 & -1 & 8 \\ 4 & 10 & -1 & 9 \end{bmatrix}$$

Transpose:

We can easily find the transpose of the matrix A.

$$A = [1 \ 2 \ 0; 2 \ 5 \ -1; 4 \ 10 \ -1]$$

A' =

$$\begin{bmatrix} 1 & 2 & 4 \\ 2 & 5 & 10 \\ 0 & -1 & -1 \end{bmatrix}$$

Matrix Multiplication:

Now let's multiply these two matrices together. Note again that MATLAB doesn't require you to deal with matrices as a collection of numbers. MATLAB knows when you are dealing with matrices and adjusts your calculations accordingly.

$$A = [1 \ 1 \ 1; 2 \ 2 \ 2; 3 \ 3 \ 3]$$

$$B = [4 \ 4 \ 4; 5 \ 5 \ 5; 6 \ 6 \ 6]$$

$$C = A * B$$

C =

$$\begin{bmatrix} 15 & 15 & 15 \\ 30 & 30 & 30 \\ 45 & 45 & 45 \end{bmatrix}$$

Instead of doing a matrix multiply, we can multiply the corresponding elements of two matrices or vectors using the '.*' operator.

$$C = A .* B$$

C =

$$\begin{bmatrix} 4 & 4 & 4 \\ 10 & 10 & 10 \\ 18 & 18 & 18 \end{bmatrix}$$

Inverse:

Let's find the inverse of a matrix

$$A = [1 \ 2 \ 0; 2 \ 5 \ -1; 4 \ 10 \ -1]$$

$$X = \text{inv}(A)$$

X =

$$\begin{bmatrix} 5 & 2 & -2 \\ -2 & -1 & 1 \\ 0 & -2 & 1 \end{bmatrix}$$

... and then illustrate the fact that a matrix times its inverse is the identity matrix.

$$I = \text{inv}(A) * A$$

I =

$$\begin{bmatrix} 1 & 0 & 0 \\ 0 & 1 & 0 \\ 0 & 0 & 1 \end{bmatrix}$$