

ASSIGNMENT 2

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Normalization

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1) a.

order (order #, order-date, customer #, total-amount)

order-item (order #, item #, quantity-ordered, price-each,
total-price, obcount %)

R1 { order #, order-date }

R12 { customer #, total amount }

R11 { quantity-ordered, price-each, Total-^{price}~~amount~~ }

R21 { order #, item #, obcount % }

R31 { item #, obcount % }

R32 { order # }

2) a. R_X (doctor#, patient#, date, diagnosis, Treatment code, charge).

The ~~above~~ relation is not in BCNF.

$\{\text{doctor\#}, \text{patient\#}, \text{date}\} \rightarrow \{\text{diagnosis}, \text{treatment-code}, \text{charges}\}$

$\{\text{treatment_code}\} \rightarrow \{\text{charges}\}$

$R: \{\text{doctor\#}, \text{patient\#}, \text{date}, \text{diagnosis}, \text{treatment-code}\}$

$R_1: \{\text{treatment-code}, \text{charges}\}$

~~Cr.~~

$\{\text{doctor\#}, \text{patient\#}, \text{date}\} \rightarrow \{\text{diagnosis}, \text{treatment-code}, \text{charge}\}$

$\{\text{treatment_code}\} \rightarrow \{\text{charges}\}$

Both violate BCNF.

\therefore

R_X is decomposed into R_0 & R_1 .

~~Cr.~~

3) Q.

$R(A, B, C, D, E, F, G, H, I, J)$

Functional dependencies $\{AB \rightarrow C, A \rightarrow DE, B \rightarrow F, F \rightarrow GH, D \rightarrow IJ\}$

A minimal set of attributes whose closure includes all the attributes in R is a key.

Since the closure of $\{A, B\}^+ = R$

one key of R is $\{A, B\}$

Normalization of R into 2NF and 3NF.

1) Identify partial dependencies that violate 2NF.

$\{A\}$ & $\{B\}$ alone

$\{A\}^+ = \{A, D, E, I, J\}$ Hence $\{A\} \rightarrow \{D, E, I, J\}$

$\{A\}$ is a trivial dependency

$\{B\}^+ = \{B, F, G, H\}$ Hence $\{B\} \rightarrow \{F, G, H\}$

$\{B\}$ is a trivial dependency.

To normal into 2NF, we remove the attributes that are FD on part of the key $-(A \text{ or } B)$ from R and place them in separate relations R_1 and R_2

$R_1 = \{A, D, E, I, J\}$

$R_2 = \{A, B, C\}$

$R_2 = \{B, F, G, H\}$

The new keys for R_1, R_2, R_3 -

Transitive dependencies in R_1, R_2, R_3 .

The relation R_1 has the transitive dependency $\{A\} \rightarrow \{D\} \rightarrow \{i, j\}$
So we remove the transitively dependent attributes $\{i, j\}$
from R_1 into a relation R_{11} and copy the attributes D .
They are dependent on into R_{11} .

Remaining attributes are kept in a relation R_{12} .

Hence R_1 is decomposed into R_{11} and R_{12} .

$$R_{11} = \{D, i, j\}$$

$$R_{12} = \{A, D, E\}$$

relation R_2 is similarly decomposed into R_{21} and R_{22}
based on the transitive dependency $\{B\} \rightarrow \{F\} \rightarrow \{G, H\}$

$$R_{21} = \{F, G, H\}$$

$$R_{22} = \{B, F\}$$

The final set of relations in 3NF are $\{R_{11}, R_{12}, R_{21}, R_{22}, R_3\}$.

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Functional dependencies

$$\{AB \rightarrow C, BD \rightarrow EF, AD \rightarrow GH, A \rightarrow I, H \rightarrow J\}$$

$$\{A\}^+ \rightarrow \{A, I\}$$

$$\{B\}^+ \rightarrow \{B\}$$

$$\{C\}^+ \rightarrow \{C\}$$

$$\{D\}^+ \rightarrow \{D\}$$

$$\{E\}^+ \rightarrow \{E\}$$

$$\{F\}^+ \rightarrow \{F\}$$

$$\{G\}^+ \rightarrow \{G\}$$

$$\{H\}^+ \rightarrow \{H, J\}$$

$$\{I\}^+ \rightarrow \{I\}$$

$$\{J\}^+ \rightarrow \{J\}$$

none of the single attributes are key

closure: ~~attributes~~ pairs of attributes that possible keys.

$$\{A, B\}^+ \rightarrow \{A, B, C, I\}$$

$$\{B, D\}^+ \rightarrow \{B, D, E, F\}$$

$$\{A, D\}^+ \rightarrow \{A, D, G, H, I, J\}$$

none of these attributes are key but union of the these closure includes.

$$\{A, B, D\}^+ \rightarrow \{A, B, C, D, E, F, G, H, I, J\}$$

Hence $\{A, B, D\}$ is a key.

We have $R = \{A, B, C, D, E, F, G, H, I\}$

First level functional dependencies on key are.

$$\{A, B\} \rightarrow \{C, I\}$$

$$\{B, D\} \rightarrow \{E, F\}$$

$$\{A, D\} \rightarrow \{G, H, I, J\}$$

Hence R can be decomposed into R_1, R_2, R_3, R_4 .

$$R_1 = \{A, B, C, I\}$$

$$R_3 = \{A, D, G, H, I, J\}$$

$$R_2 = \{B, D, E, F\}$$

$$R_4 = \{A, B, D\}$$

Additionally partial dependencies exist in R_1 and R_3 because $\{A\} \rightarrow \{I\}$

Hence remove $\{I\}$ into R_5 .

resulting 2NF decomposition is.

$$\{R_1 = \{A, B, C\} \quad R_2 = \{B, D, E, F\} \quad R_3 = \{A, D, G, H, J\} \quad R_4 = \{A, B, D\} \quad R_5 = \{A, I\}$$

Transitive dependencies

only R_3 has transitive dependencies $\{A, D\} \rightarrow \{H\} \rightarrow \{J\}$

So decompose into R_{31} and R_{32} as follows.

$$R_{31} = \{H, J\}$$

$$R_{32} = \{A, D, G, H\}$$

The final set of 3NF relation is $\{R_1, R_2, R_{31}, R_{32}, R_4, R_5\}$

48).

a) manufacturer, serial-number \rightarrow model, batch, capacity, retailer.

b) model \rightarrow manufacturer.

c) manufacture, batch \rightarrow new model.

d) model \rightarrow capacity.

To decompose Disk-drive into 3NF.

R { serial-number, manufacturer, model, batch, capacity, Retailer }

R1 { serial-number, batch, capacity, Retailer }

R2 { manufacturer, model }

~~no~~ no trivial relation / ~~dependencies~~ dependencies.

