

Example	Sky	Temp	Humidity	Wind	Water	Forecast	Enjoyment
1	Sunny	warm	Normal	Strong	warm	Same	Yes
2	Sunny	warm	High	Strong	warm	Same	Yes
3	Rainy	Cold	High	strong	warm	Change	Yes/No
4	Sunny	warm	High	strong	cool	change	Yes

Output:

In The attribute are [ 1 'Sunny' 'warm' 'normal' 'strong' 'warm' 'same' ]  
 [ 2 'sunny' 'warm' 'High' 'Strong' 'warm' 'Same' ]  
 [ 3 'Rainy' 'Cold' 'high' 'Strong' 'warm' 'Change' ] [ 4 'sunny' 'warm'  
 'high', 'Strong' 'cool' 'change' ]  
 In The target is : [ 'yes', 'yes', 'No', 'Yes' ]

The final hypothesis is :- [ '?' 'sunny' 'warm' '?' 'strong' '?' '?' ]

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Expt. Name. CANDIDATE ELIMINATION ALGORITHM Date: 11-12-2023

### AIM:

Implement & demonstrate the Candidate elimination algorithm to output for a description of the set of all training data example stored in a .csv file.

### Algorithm

- 1) For each training example  $d$ , do: if  $d$  is positive example
- 2). Remove for  $G$  any hypothesis  $h$  inconsistent with  $d$ .
- 3). For each hypothesis  $s$  in  $\mathcal{S}$  not consistent with  $d$
- 4). Remove  $s$  from  $\mathcal{S}$ .
- 5). Add to  $\mathcal{G}$  all minimal generalization of  $s$  consistent with  $d$  & having a generalization in  $G$ .
- 6). Remove from  $\mathcal{S}$  any hypothesis with a more specific  $h$  is  $s$ .
- 7). If  $d$  is negative example. Remove from  $\mathcal{S}$  any hypothesis  $h$  inconsistent with  $d$ .
- 8). Remove  $s$  from  $\mathcal{G}$ .
- 9). Add to  $\mathcal{G}$  all minimal Specification of  $s$  consistent with  $d$  & having a specialization in  $\mathcal{S}$ .

Instances are

[['sunny' 'warm' 'normal' 'strong' 'warm' 'same']  
[['sunny' 'warm' 'high' 'strong' 'warm' 'Same']]  
[['rainy' 'cold' 'high' 'strong' 'warm' 'change']]  
[['sunny' 'warm' 'high' 'strong' 'cool' 'change']]]

Target values are: ['Yes' 'Yes' 'No' 'Yes']

Initialization of Specific - h and general - h

Specific Boundary: ['sunny' 'warm' 'normal' 'strong' 'warm' 'same']

Generic Boundary: [['?' '?' '?' '?' '?' ?'], ['?' '?' '?' '?' '?' ?'], ['?' '?' '?' '?' '?' ?'],  
[?' ?' ?' ?' ?' ?'], [?' ?' ?' ?' ?' ?'], [?' ?' ?' ?' ?' ?']]

Instance I is ['sunny', 'warm', 'normal', 'strong', 'warm', 'same']

Instance is positive:

Specific Boundary after Instance ['sunny' 'warm' 'normal' 'strong'  
'warm' 'same']

Generic Boundary After ± Instances ['?' '?' ?' ?' ?' ?'] [?' ?' ?' ?' ?' ?']

[?' ?' ?' ?' ?' ?'] [?' ?' ?' ?' ?' ?'] [?' ?' ?' ?' ?' ?']  
[?' ?' ?' ?' ?' ?']



Illustrate the relationship between min and max regions with

Instance 2 is ['sunny', 'warm', 'high', 'strong', 'warm', 'same']

Instance is positive.

Specific Boundary after 2 instances ['sunny', 'warm', '?', 'high', 'strong', 'warm', 'same'] Instances in half right of boundary

Generic Boundary After 2 Instance ['?', '?', '?', '?', '?', '?']

[ '?', '?', '?', '?', '?', '?'] [ '?', '?', '?', '?', '?', '?'] [ '?', '?', '?', '?', '?', '?']

[ '?', '?', '?', '?', '?', '?'] [ '?', '?', '?', '?', '?', '?'] [ '?', '?', '?', '?', '?', '?']

Instance 3 is ['Rainy', 'cold', 'high', 'strong', 'warm', 'change']

Instance 3 is Negative after 2 instances in half right of boundary

Specific Boundary after 3 Instance ['sunny', 'warm', '?', 'strong', 'warm', 'same']

Generic Boundary after 3 Instances ['sunny', '?', '?', '?', '?', '?']

[ '?', 'warm', '?', '?', '?', '?'] [ '?', '?', '?', '?', '?', '?'] [ '?', '?', '?', '?', '?', '?']

[ '?', '?', '?', '?', '?', '?'] [ '?', '?', '?', '?', '?', '?'] [ '?', '?', '?', '?', '?', '?']

Instance 4 is ['sunny', 'warm', 'high', 'strong', 'cool', 'change']

Instance 4 positive.

Specific Boundary after 4 Instance is ['sunny', 'warm', '?', 'strong', '?', '?']

10. Remove from  $G$  any hypothesis having a more general hypothesis in  $G$ .

Source code:

```

import numpy as np
import pandas as pd

data = pd.read_csv("C:/Users/91991/Desktop/Sportnew.csv")
concepts = np.array(data.iloc[:, 0:-1])
print ("In Instances are: ", concepts)
target = np.array(data.iloc[:, -1])
print ("In Target Values are: ", target)

def learn(concepts, target):
    Specific_h = concepts[0].copy()
    print ("In Initialization of Specific-h and general-h")
    print ("In Specific Boundary: ", Specific_h)
    general_h = [[?] for i in range(len(Specific_h))] for i in
    range(len(Specific_h))]

    print ("In Generic Boundary: ", general_h)

    for r, h in enumerate(concepts):
        print ("In Instance", r+1, "is", h)
        if target[r] == "Yes":
            print ("Instance is positive")
            for x in range(len(Specific_h)):
                if h[x] != Specific_h[x]:

```

Aim:

To write a program to demonstrate the working of the decision tree base ID3 algorithm.

Algorithm:

Step 1: Declare the Target attribute is the attribute whose value is to be predicted by the tree. Attribute is a list of other attributes that may be tested by the learning decision tree. Example attribute are returned by a decision that correctly classifies the given examples.

Step 2:

Execute the function ID3 (Example, Target\_attribute, Attribute).

Step 3: Create a Root node for the tree. If all examples are positive. Return the single node tree root, with label = +. If all the examples are negative. Return the single node tree root, with label = -. If Attribute is empty. Return the single node tree root, with label = most common value of Target attribute in example.

Step 4:

Otherwise Begin

A ← the attribute from Attributes that best classifies examples. The decision attribute for Root ← A

for each positive value,  $v_i$  of A

Add a new tree branch below root, Corresponding to

the test  $A = v_i$

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Let Example  $v_i$ , be the subset of Examples, that have value  $v_i$  for A.

If Example  $v_i$ , is empty,

Then below their new branch add a leaf node with  
label = most common values of Target\_attribute in Examples.

else

below this new branch add the subtrees ID3 (eg:  $v_i$ , Target\_Attribute, Attribute {n})

End

Step 5:

~~Return Root:~~

Output : record that requires to predict will add at distance

Output : record that requires to predict will add at distance

Outlook

Overcast  $\rightarrow$  ['yes'] because most weather result elements of a cloudy day for outdoor activities to last longer

rain

wind

strong wind  $\rightarrow$  ['no'] some research says with strong wind weak  $\rightarrow$  ['yes'] (less activities)

sunny

humidity

high  $\rightarrow$  ['no']

normal  $\rightarrow$  ['yes']



AIM:

To build an Artificial Neural Network by implementing the back propagation algorithm and test the same using appropriate data sets.

ALGORITHM:

- 1). Create a feed forward network  $n_i$  inputs  $n_h$  hidden units,  $n_o$  output units
- 2). Initialize all network device to small random units
- 3). For each training sample, do propagate the input forward through the network input  $x$  to the network and compute output of every unit in network.
- 4) Propagate the errors backward through the network.  
for each network unit  $k$ .

Calculate  $\text{ptx}$  error  $\delta_k$

$$\delta_k \leftarrow O_k (1 - O_k) (t_k - O_k)$$

For each network unit  $h$ , calculate it error  $\delta_h$

$$\delta_h \leftarrow O_h (1 - O_h) \sum_{\text{K output}} w_{hk} \delta_k$$

- 5). Update each network weight  $w_{ji}$

$$w_{ji} \leftarrow w_{ji} + \Delta w_{ji}$$

where

$$\Delta w_{ji} = \eta f_j n_{ji}$$

Output:

Input :

[ [ 0.6666667 ] ]  
[ [ 0.33333333 0.55555556 ] ]  
[ [ ] 0.6666667 ] ]

Actual output

[ [ 0.92 ] ]  
[ [ 0.86 ] ]  
[ [ 0.89 ] ]

Predicted output:

[ [ 0.83933318 ] ]  
[ [ 0.82983658 ] ]  
[ [ 0.83570317 ] ]

AIM:

Write a program to implement the naive Bayesian classifier for a sample training data set stored as a .csv file. Compute the accuracies of the classifiers, considering few data sets.

Algorithm:

Step 1: Convert the dataset into a frequency table

Step 2: Compute the 'prior' probability for each the class.

Step 3: Compute the probability of evidence

Step 4: Compute the probability of likelihood of evidence

Step 5: Substitute all the values into naive bayes

formula to get the probability.

$$P(Y|X) = \frac{P(X|Y) * P(Y)}{P(X)}$$

Step 6: The class with the highest posterior probability outcome of prediction.

Code:

```
import numpy as np
import matplotlib.pyplot as plt
import pandas as pd
import seaborn as sns
dataset = pd.read_csv("D:/NaiveBayes.csv")
```

## Output :-

Age	Salary	Purchased
19	19000	0
35	20000	0
26	43000	0
:	:	:
:	:	:
50	20,000	1
36	33,000	0
49	86,000	1

0.91



Unlabeled box

Expt. Name. Naive Bayesian Classifier Model - Calculate accuracy, precision & Recall for the dataset  
 Date: \_\_\_\_\_

AIM:

By assuming a set of documents that need to be classified, use the Naive Bayesian Classifier model to perform this task. Built-in Java classes / API can be used to write the program. Calculate the accuracy, precision and recall for your dataset.

Algorithm:

- Step 1: Convert the dataset into a frequency table
- Step 2: Compute the 'prior' probabilities for each of the class
- Step 3: Compute the probability of evidence.
- Step 4: Compute the probability of likelihood of evidence
- Step 5: Substitute all the values into the Naive Bayes formula to get the probability.

$$P(y/x) = \frac{P(x/y) * P(y)}{P(x)}$$

Step 6: The class with the highest posterior probability is the outcome of prediction.

Step 7: Compute the Accuracy for the given dataset

$$\text{Accuracy} = \frac{TN + TP}{TN + FP + TP + FN}$$

Step 8: Compute the precision

$$\text{precision} = \frac{TP}{TP + FP}$$

### Dataset :

Age	Salary	purchased
19	19000	0
35	20000	0
26	43000	0
:	:	:
50	20000	1
36	33000	0
49	36000	1

### Output :-

0.91

Accuracy Metrics :-

Accuracy = 0.91

Recall : 0.84375

Precision : 0.8709677419354839

Confusion Matrix:

[ [ 64 4 ] ]

[ [ 5 27 ] ]



Step 9: Compute the Recall

$$\text{Recall} = \frac{\text{TP}}{\text{TP} + \text{FN}}$$

Step 10: Compute the confusion Matrix.

		Negative	Positive
		True	False
Negative	Negative	Negative	positive
	positive	False	True
		Negative	positive

Code:

```
import numpy as np
import matplotlib.pyplot as plt
import pandas as pd
import seaborn as sns
dataset = pd.read_csv("Naive Bayes.csv")
```

x = dataset.iloc[:, [0, 1, 2]].values

y = dataset.iloc[:, 2].values

from sklearn.model\_selection import train\_test\_split

~~x\_train, x\_test, y\_train, y\_test = train\_test\_split(x, y, test\_size=0.2, random\_state=0)~~

from sklearn.preprocessing import StandardScaler

sc\_x = StandardScaler()

x\_train = sc\_x.fit\_transform(x\_train)

Expt. Name. Bayesian network model for medical data set Date:

AIM :-

Write a program to construct a Bayesian network considering medical data. Use this model to demonstrate the diagnosis of heart patients using standard Heart Disease dataset.

Algorithm:

1. Import the libraries and import the model for Bayesian model
2. print the Sample instances from the dataset
3. Calculate the posterior conditional probability distribution of each of the possible unobserved causes given the observed evidence
4. calculate probability of HeartDisease given evidence for resteg attributes
5. calculate probability of HeartDisease given evidence for cp attributes

Dataset: [SVMheart](#) [export](#) [svmheart](#).model

thalach old\_frestig gender cp chrtrestBps paccholit fbs restecg exang

thalach	old_frestig	gender	cp	chrtrestBps	paccholit	fbs	restecg	exang
150	2.3	63	1	1	145	233	1	2
108	1.5	67	1	(42.5 + 160, 160 + 286) / 2	160	286	0	0
129	2.6	67	4	120	229	61	2	1
187	3.5	87	1	3	130	250	0	0
172	1.4	41	0	(2 * 140 + 130 + 130) / 4	204.5	204.5	0	0

Model 2: [SVMheart](#) [export](#) [svmheart](#).model

1. Probability of Heart Disease given evidence = rest ecg

Heart disease (0)  $\phi(\text{heart disease})$   $= 0.1012$

heart disease (1)  $0.0000$

heart disease (2)  $0.2392$

heart disease (3)  $0.2015$

heart disease (4)  $0.4581$

2). Probability of Heart Disease given evidence = cp

heart disease  $\phi(\text{heart disease})$

heart disease (0)  $0.3610$

heart disease (1)  $0.2159$

heart disease (2)  $0.1373$

heart disease (3)  $0.1537$

heart disease (4)  $0.1321$

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Expt. Name. EM Algorithm & K-Means Algorithm.

Date:

AIM:

Apply EM algorithm to cluster a set of data set for clustering using K-Means algorithm. Compare the results of the two algorithm and comment on the quality of clustering. You can add Java / Python ML Library classes / API in the program.

ALGORITHM :

Step 1: Import the libraries & include the model for K-means and gaussian mixture

Step 2: Label the attributes

Step 3: Generate the colour map

Step 4: Calculate the accuracy & confusion matrix for K-Means

Step 5: Generate the scatter plot for gaussian mixture model

Step 6: Calculate the accuracy & confusion matrix for GMM.

### Output:

Below tables are standard to predicting I and II class  
The accuracy score of k-Mean is 0.242 and confusion

the confusion matrix of k-Mean is as follows

$$\begin{bmatrix} 0.50 & 0 \end{bmatrix}$$

(9) Confusion matrix for predicting I and II class

$$\begin{bmatrix} 48 & 0 \\ 2 & 14 \end{bmatrix}$$

The accuracy score of EM: 0.3666666664

The accuracy confusion matrix of EM:

$$\begin{bmatrix} 50 & 0 & 0 \end{bmatrix}$$

$$\begin{bmatrix} 0 & 5 & 45 \end{bmatrix}$$

$$\begin{bmatrix} 0 & 50 & 0 \end{bmatrix}$$



Statistical data used and analysis with all help

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Expt. Name. K - Nearest Neighbour.

Date: 10/7/22

### AIM:

Write a program to implement K-Nearest Neighbour algorithm to classify the iris data set. Print both correct and wrong predictions. Java/Python ML Library classes can be used for this problem.

### Algorithm:

1. Import the libraries & model for Nearest Neighbours.
2. Specify the name for the attributes.
3. Split the training & testing data from the dataset.
4. Specify neighbors count as 5
5. Calculate the confusion matrix, accuracy & classification report
6. Print the calculated values.

## OUTPUT:

	sepal length (cm)	sepal width (cm)	petal length (cm)	petal width (cm)
0	5.1	3.5	1.4	0.2
1	4.9	3.0	1.4	0.2
2	4.7	3.2	1.3	0.2
3	4.6	3.1	1.5	0.2
4	5.0	3.6	1.4	0.2

Original Label	Predicted Label	Correct / Wrong
0	0	Correct
0	0	Correct
0	0	Correct
1	1	Correct
2	2	Correct
0	0	Correct
2	2	Correct
0	0	Correct
2	2	Correct
1	1	Correct
2	2	Correct
0	0	Correct
2	2	Correct
1	1	Correct
2	2	Correct
0	0	Correct
2	2	Correct
1	1	Correct

Confusion Matrix:

$\begin{bmatrix} 4 & 0 & 0 \\ 0 & 3 & 0 \\ 0 & 0 & 5 \end{bmatrix}$

$\begin{bmatrix} 4 & 0 & 0 \\ 0 & 3 & 0 \\ 0 & 0 & 5 \end{bmatrix}$

	Precision	recall	f1-score	Support
Overall	1.00	1.00	1.00	7
1	1.00	1.00	1.00	3
2	1.00	1.00	1.00	5
accuracy				
	1.00		1.00	
macro avg	1.00	1.00	1.00	15
weighted avg	1.00	1.00	1.00	15

Accuracy of the classifier is 1.00