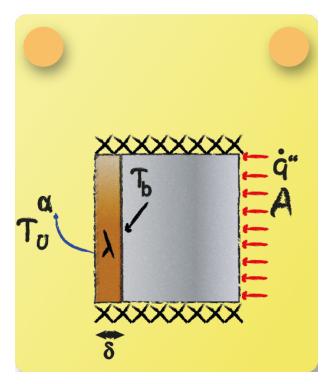
Energy Balance: Task 10



Derive an equation to determine a specific heat flux \dot{q}'' to keep a certain constant temperature $T_{\rm b}$

Axial heat flux can be expressed in multiple ways:

- 1. Induced heat flux at the right boundary
- 2. Conductive heat flux within the left section
- 3. Convective heat flux at the left boundary
 To obtain equations for conductive and convective
 fluxes an auxilliary temperature T is introduced which

fluxes, an auxilliary temperature $T_{\rm a}$ is introduced, which represents a further unknown. By those expressions, two equations can be formed:

$$\begin{split} \dot{q}''A &= A\lambda \frac{T_{\rm b}-T_{\rm a}}{\delta} \\ \dot{q}''A &= A\alpha (T_{\rm a}-T_{\rm u}) \end{split}$$



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Cancelling out T_a one obtains an equation to determine \dot{q}'' that may be formulated as one of the three following equations:

$$\dot{q}'' = \alpha (T_{\rm b} - \frac{\dot{q}''\delta}{\lambda} - T_{\rm u})$$

$$\dot{q}'' = \frac{\lambda}{\delta} (T_{\rm b} - T_{\rm u} - \frac{\dot{q}''}{\alpha})$$

$$\dot{q}'' = \frac{T_{\rm b} - T_{\rm u}}{\frac{1}{\alpha} + \frac{\delta}{\lambda}}$$

The easiest way to derive the latter arrangement after all is to express the heat flux via heat resistances such that no additional temperature $T_{\rm a}$ is needed:

$$\dot{Q} = \frac{\Delta T}{W_{\text{conductive}} + W_{\text{convective}}}$$