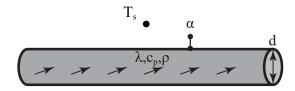
# **Exercise II.13** (Cooling of a copper rod $\star\star$ ):

A long copper rod is initially at a uniform temperature  $T_0$ . It is now exposed to an air stream at  $T_{\infty}$  with a heat transfer coefficient  $\alpha$ .



## Given parameters:

- Diameter of the copper rod: d = 2 cm
- Initial temperature:  $T_0 = 100$  °C
- Air stream temperature:  $T_{\infty} = 20$  °C
- Heat transfer coefficient:  $\alpha = 200 \text{ W/m}^2\text{K}$
- Thermal conductivity of copper:  $\lambda = 399 \text{ W/mK}$
- Specific heat capacity of copper:  $c_{\rm p} = 382~{\rm J/kgK}$
- Density of copper:  $\rho = 8930 \text{ kg/m}^3$

### Hints:

- Heat radiation can be neglected.
- Setup an energy balance.

#### Tasks:

- a) Determine how long will it take for the copper rod to cool to a temperature of  $T_1$  = 25 °C.
- b) Sketch the temperature profile over the course of time.

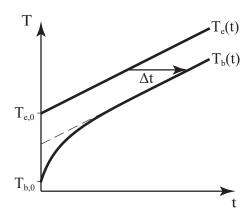






## Exercise II.14 (The temperature delay $\star\star$ ):

A body with a temperature of  $T_b$  is located within an environment with the linearly rising temperature  $T_e$  and heats up accordingly to the diagram below. As  $t \to \infty$ , the temperature of the body follows that of the environment with a constant time delay  $\Delta t$ .



### Given parameters:

_	Heat transfer	coofficient	of the body	
•	rreat transfer	соепистепи	or the body.	( )

• Mass of the body: 
$$m$$

• Heat capacity of the body: 
$$c_{
m p}$$

• Temperature of the environment: 
$$T_{\rm e}\left(t\right)$$

#### Hints:

- The temperature is uniform within the body
- The environment, and its temperature, are not affected by the body.
- Heat radiation can be neglected.
- Setup an energy balance.

#### Tasks:

a) Determine this delay  $\Delta t$ .







