	* Prerequisites In this assignment you will implement the Naive Bayes Classifier. Before starting this assignment, make sure you understand the concepts discussed in the videos in Week 2 about Naive Bayes. You can also find it useful to read Chapter 1 of the textbook. Also, make sure that you are familiar with the numpy.ndarray class of python's numpy library and that you are able to answer the following questions: Let's assume a is a numpy array. What is an array's shape (e.g., what is the meaning of a.shape)? What is numpy's reshaping operation? How much computational over-head would it induce? What is numpy's transpose operation, and how it is different from reshaping? Does it cause computation overhead? What is the meaning of the commands a.reshape(-1, 1) and a.reshape(-1)? Would happens to the variable a after we call b = a.reshape(-1)? Does any of the attributes of a change? How do assignments in python and numpy work in general? Does the b=a statement use copying by value? Or is it copying by reference?
	 Would the answer to the previous question change depending on whether a scalar value? You can answer all of these questions by Reading numpy's documentation from https://numpy.org/doc/stable/. Making trials using dummy variables. *Assignment Summary The UC Irvine machine learning data repository hosts a famous dataset, the Pima Indians dataset, on whether a patient has diabetes originally owned by the National Institute of Diabetes and Digestive and Kidney Diseases and donated by Vincent Sigillito. You can find it at https://www.kaggle.com/uciml/pima-indians-diabetes-database/data. This data has a set of attributes of patients, and a categorical variable telling whether the patient is diabetic or not. For several attributes in this data set, a value of 0 may indicate a missing value of the variable. It has a total of 768 data-points. Part 1-A) First, you will build a simple naive Bayes classifier to classify this data set. We will use 20% of the data for evaluation and the other 80% for training. You should use a normal distribution to model each of the class-conditional distributions. Report the accuracy of the classifier on the 20% evaluation data, where accuracy is the number of correct predictions as a fraction of total predictions.
	 Part 1-B) Next, you will adjust your code so that, for attributes 3 (Diastolic blood pressure), 4 (Triceps skin fold thickness), 6 (Body mass index), and 8 (Age), it regards a value of 0 as a missing value when estimating the class-conditional distributions, and the posterior. Report the accuracy of the classifier on the 20% that was held out for evaluation. Part 1-C) Last, you will have some experience with SVMLight, an off-the-shelf implementation of Support Vector Machines or SVMs. For now, you don't need to understand much about SVM's, we will explore them in more depth in the following exercises. You will install SVMLight, which you can find at http://svmlight.joachims.org, to train and evaluate an SVM to classify this data. You should NOT substitute NA values for zeros for attributes 3, 4, 6, and 8. Report the accuracy of the classifier on the held out 20% Data Description The UC Irvine's Machine Learning Data Repository Department hosts a Kaggle Competition with famous collection of data on whether a patient has diabetes (the Pima Indians dataset), originally owned by the National Institute of Diabetes and Digestive and Kidney Diseases and donated by Vincent Sigillito.
	You can find this data at https://www.kaggle.com/uciml/pima-indians-diabetes-database/data. The Kaggle website offers valuable visualizations of the original data dimensions in its dashboard. It is quite insightful to take the time and make sense of the data using their dashboard before applying any method to the data. O.2 Information Summary Input/Output: This data has a set of attributes of patients, and a categorical variable telling whether the patient is diabetic or not. Missing Data: For several attributes in this data set, a value of 0 may indicate a missing value of the variable. Final Goal: We want to build a classifier that can predict whether a patient has diabetes or not. To do this, we will train multiple kinds of models, and will be handing the missing data with different approaches for each method (i.e., some methods will ignore their existence, while others may do something about the missing data).
<pre>In [1]: In [2]: Out[2]:</pre>	<pre>%matplotlib inline import pandas as pd import numpy as np import seaborn as sns import matplotlib.pyplot as plt from aml_utils import test_case_checker df = pd.read_csv('/BasicClassification-lib/diabetes.csv') df.head() Pregnancies Glucose BloodPressure SkinThickness Insulin BMI DiabetesPedigreeFunction Age Outcome 0 6 148 72 35 0 33.6</pre>
In [3]:	 First, we will shuffle the data completely, and forget about the order in the original csv file. The training and evaluation dataframes will be named train_df and eval_df, respectively. We will also create the 2-d numpy array train_features whose number of rows is the number of training samples, and the number of columns is 8 (i.e., the number of features). We will define eval_features in a similar fashion We would also create the 1-d numpy arrays train_labels and eval_labels which contain the training and evaluation labels, respectively.
Out[4]: In [5]: Out[5]:	<pre>0 1 85 66 29 0 26.6</pre>
<pre>In [6]: Out[6]: In [7]:</pre>	train_features.shape, train_labels.shape, eval_features.shape, eval_labels.shape ((614, 8), (614,), (154, 8), (154,)) O.2 Pre-processing The Data Some of the columns exhibit missing values. We will use a Naive Bayes Classifier later that will treat such missing values in a special way. To be specific, for attribute 3 (Diastolic blood pressure), attribute 4 (Triceps skin fold thickness), attribute 6 (Body mass index), and attribute 8 (Age), we should regard a value of 0 as a missing value. Therefore, we will be creating the train_featues_with_nans and eval_features_with_nans numpy arrays to be just like their train_features and eval_features counter-parts, but with the zero-values in such columns replaced with nans. train_df_with_nans = train_df.copy(deep=True) eval_df_with_nans = eval_df.copy(deep=True)
In [8]:	for col_with_nans in ['BloodPressure', 'SkinThickness', 'BMI', 'Age']: train_df_with_nans[col_with_nans] = train_df_with_nans[col_with_nans].replace(0, neval_df_with_nans[col_with_nans] = eval_df_with_nans[col_with_nans].replace(0, np train_features_with_nans = train_df_with_nans.loc[:, train_df_with_nans.columns != 'On eval_features_with_nans = eval_df_with_nans.loc[:, eval_df_with_nans.columns != 'Outcol print('Here are the training rows with at least one missing values.') print('') print('You can see that such incomplete data points constitute a substantial part of the print('') nan_training_data = train_df_with_nans[train_df_with_nans.isna().any(axis=1)] nan_training_data Here are the training rows with at least one missing values. You can see that such incomplete data points constitute a substantial part of the dat a. Pregnancies Glucose BloodPressure SkinThickness Insulin BMI DiabetesPedigreeFunction Age Outcol 1 8 183 64.0 NaN 0 23.3 0.672 32 4 5 116 74.0 NaN 0 25.6 0.201 30
	5 10 115 NaN NaN 0 35.3 0.134 29 7 8 125 96.0 NaN 0 NaN 0.232 54 8 4 110 92.0 NaN 0 37.6 0.191 30
	$\left[\log p(y) + \sum_{j} \log p(x^{(j)} y)\right]$ is the largest" However, we first need to define the probabilistic models of the prior $p(y)$ and the class-conditional feature distributions $p(x^{(j)} y)$ using the training data. • Modelling the prior $p(y)$: We fit a Bernoulli distribution to the Outcome variable of train_df . • Modelling the class-conditional feature distributions $p(x^{(j)} y)$: We fit Gaussian distributions, and infer the Gaussian mean and variance parameters from train_df . Task 1 Write a function log_prior that takes a numpy array train_labels as input, and outputs the following vector as a column numpy array (i.e., with shape $(2,1)$). $\log p_y = \begin{bmatrix} \log p(y=0) \\ \log p(y=1) \end{bmatrix}$ Try and avoid the utilization of loops as much as possible. No loops are necessary. Hint: Make sure all the array shapes are what you need and expect. You can reshape any numpy array
In [9]:	<pre>without any tangible computational over-head. #Method for to get the output column numpy arry with the shape (2,1). #Parameter: #train_labels : numpy.ndarray #A numpy array #Returns: #A column numpy array with required shape (2,1) def log_prior(train_labels): # for Getting the numbr of elements in input numpy arrays no_train = train_labels.size # to get the First one that is get log p(y = 0) log_py00 = np.log(train_labels[train_labels == 0].size / no_train) # for Second one that is to get log p(y = 1) log_py11 = np.log(train_labels[train_labels == 1].size / no_train) # Creating the matrix and reshaping it to (2, 1) log_py = np.array([log_py00, log_py11]).reshape((2, 1)) # Assert thr shapes of given matrix which is identical to 2x1 assert log_py.shape == (2, 1)</pre>
<pre>In [10]: In [11]: In [12]: Out[12]:</pre>	<pre># Performing sanity checks on your implementation some_labels = np.array([0, 1, 0, 1, 0, 0, 1, 1, 0, 0, 1, 1, 1, 1, 0, 0, 1, 1, 1, 1]) some_log_py = log_prior(some_labels) assert np.array_equal(some_log_py.round(3), np.array([[-0.916], [-0.511]])) # Checking against the pre-computed test database test_results = test_case_checker(log_prior, task_id=1) assert test_results['passed'], test_results['message']</pre>
In [13]:	Task 2 Write a function <code>cc_mean_ignore_missing</code> that takes the numpy arrays <code>train_features</code> and <code>train_labels</code> as input, and outputs the following matrix with the shape $(8,2)$, where 8 is the number of features. $\mu_y = \begin{bmatrix} \mathbb{E}[x^{(0)} y=0] & \mathbb{E}[x^{(0)} y=1] \\ \mathbb{E}[x^{(1)} y=0] & \mathbb{E}[x^{(1)} y=1] \\ \dots & \dots \\ \mathbb{E}[x^{(7)} y=0] & \mathbb{E}[x^{(7)} y=1] \end{bmatrix}$ Some points regarding this task: • The <code>train_features</code> numpy array has a shape of <code>(N,8)</code> where <code>N</code> is the number of training data points, and 8 is the number of the features. • The <code>train_labels</code> numpy array has a shape of <code>(N,)</code> . • You can assume that <code>train_features</code> has no missing elements in this task. • Try and avoid the utilization of loops as much as possible. No loops are necessary.
In [14]:	<pre>N, d = train_features.shape # your code here x_when_zero = train_features[np.where(train_labels == 0)[0], :][:, [0,1,2,3,4,5,6,mean_zero = np.mean(x_when_zero,axis=0).reshape(-1,1) x_when_one = train_features[np.where(train_labels == 1)[0], :][:, [0,1,2,3,4,5,6,mean_one = np.mean(x_when_one,axis=0).reshape(-1,1) mu_y = np.hstack((mean_zero, mean_one)) assert mu_y.shape == (d, 2) return mu_y # Performing sanity checks on your implementation some_feats = np.array([[1., 85., 66., 29., 0., 26.6, 0.4, 31.],</pre>
In [15]: Out[15]:	assert np.array_equal(some_mu_y.round(2), np.array([[2.33, 4.],
	Write a function <code>cc_std_ignore_missing</code> that takes the numpy arrays <code>train_features</code> and <code>train_labels</code> as input, and outputs the following matrix with the shape $(8,2)$, where 8 is the number of features. $\sigma_y = \begin{bmatrix} \operatorname{std}[x^{(0)} y=0] & \operatorname{std}[x^{(0)} y=1] \\ \operatorname{std}[x^{(1)} y=0] & \operatorname{std}[x^{(1)} y=1] \\ \dots & \dots \\ \operatorname{std}[x^{(7)} y=0] & \operatorname{std}[x^{(7)} y=1] \end{bmatrix}$ Some points regarding this task: • The <code>train_features</code> numpy array has a shape of <code>(N,8)</code> where <code>N</code> is the number of training data points, and 8 is the number of the features. • The <code>train_labels</code> numpy array has a shape of <code>(N,0)</code> . • You can assume that <code>train_features</code> has no missing elements in this task. • Try and avoid the utilization of loops as much as possible. No loops are necessary.
In [16]: In [17]: In [18]:	<pre>der cc_std_ignore_missing(train_leatures, train_labels): N, d = train_features.shape #code start #code end raise NotImplementedError assert sigma_y.shape == (d, 2) return sigma_y # This cell is left empty as a seperator. You can leave this cell as it is, and you signal.</pre>
	<pre>assert np.array_equal(some_std_y.round(3), np.array([[1.886, 4.],</pre>
In [24]: In [25]:	<pre>8 9 assert sigma_y.shape == (d, 2) NotImplementedError: # This cell is left empty as a seperator. You can leave this cell as it is, and you si sigma_y = cc_std_ignore_missing(train_features, train_labels) sigma_y NotImplementedError Traceback (most recent call last) /tmp/ipykernel_60/1814702216.py in <module>> 1 sigma_y = cc_std_ignore_missing(train_features, train_labels) 2 sigma_y /tmp/ipykernel_60/1028123466.py in cc_std_ignore_missing(train_features, train_labels) 5 6 #code end> 7 raise NotImplementedError 8 9 assert sigma_y.shape == (d, 2) NotImplementedError:</module></pre>
	Task 4 Write a function log_prob that takes the numpy arrays train_features , μ_y , σ_y , and $\log p_y$ as input, and outputs the following matrix with the shape $(N,2)$
In [28]:	Important Note: Do not use third-party and non-standard implementations for computing $\log p(x_i^{(j)} y)$. Using functions that find the Gaussian PDF, and then taking their log is numerically unstable ; the Gaussian PDF values can easily become extremely small numbers that cannot be represented using floating point standards and thus would be stored as zero. Taking the log of a zero value will throw an error. On the other hand, it is unnecessary to compute and store $p(x_i^{(j)} y)$ in order to find $\log p(x_i^{(j)} y)$; you can write $\log p(x_i^{(j)} y)$ as a direct function of μ_y , σ_y and the features. This latter approach is numerically stable, and can be applied when the PDF values are much smaller than could be stored using the common standards.
In [29]:	# Performing sanity checks on your implementation some_feats = np.array([[1., 85., 66., 29., 0., 26.6, 0.4, 31.],
In []: In []:	<pre>5 6 #code end> 7 raise NotImplementedError 8 9 assert sigma_y.shape == (d, 2) NotImplementedError: # This cell is left empty as a seperator. You can leave this cell as it is, and you si log_p_x_y = log_prob(train_features, mu_y, sigma_y, log_py) log_p_x_y</pre> 1.1. Writing the Simple Naive Bayes Classifier
In []: In []:	train_pred = diabetes_classifier.predict(train_features) eval_pred = diabetes_classifier.predict(eval_features) train_acc = (train_pred==train_labels).mean() eval_acc = (eval_pred==eval_labels).mean() print(f'The training data accuracy of your trained model is {train_acc}') print(f'The evaluation data accuracy of your trained model is {eval_acc}') 1.2 Running an off-the-shelf implementation of Naive-Bayes For Comparison
	Part 2 (Building a Naive Bayes Classifier Considering Missing Entries) In this part, we will modify some of the parameter inference functions of the Naive Bayes classifier to make it able to ignore the NaN entries when inferring the Gaussian mean and stds. Task 5 Write a function cc_mean_consider_missing that • has exactly the same input and output types as the cc_mean_ignore_missing function, • and has similar functionality to cc_mean_ignore_missing except that it can handle and ignore the NaN entries when computing the class conditional means. You can borrow most of the code from your cc_mean_ignore_missing implementation, but you should make it compatible with the existence of NaN values in the features. Try and avoid the utilization of loops as much as possible. No loops are necessary. • Hint: You may find the np.nanmean function useful.
In []:	<pre>def cc_mean_consider_missing(train_features_with_nans, train_labels): N, d = train_features_with_nans.shape # your code here raise NotImplementedError assert not np.isnan(mu_y).any() assert mu_y.shape == (d, 2) # Performing sanity checks on your implementation some_feats = np.array([[1., 85., 66., 29., 0., 26.6, 0.4, 31.],</pre>
In []: In []:	[26.77, 33.2],
In []:	# your code here raise NotImplementedError assert not np.isnan(sigma_y).any() assert sigma_y.shape == (d, 2) return sigma_y # Performing sanity checks on your implementation some_feats = np.array([[1. , 85. , 66. , 29. , 0. , 26.6, 0.4, 31.],
In []:	<pre>some_feats[i,j] = np.nan some_std_y = cc_std_consider_missing(some_feats, some_labels) assert np.array_equal(some_std_y.round(2), np.array([[2. , 4.],</pre>
In []:	Handling
In []:	diabetes_classifier_nans = NBClassifierWithMissing(train_features_with_nans, train_lattrain_pred = diabetes_classifier_nans.predict(train_features_with_nans) eval_pred = diabetes_classifier_nans.predict(eval_features_with_nans) train_acc = (train_pred==train_labels).mean() eval_acc = (eval_pred==eval_labels).mean() print(f'The training data accuracy of your trained model is {train_acc}') print(f'The evaluation data accuracy of your trained model is {eval_acc}') 3. Running SVMlight In this section, we are going to investigate the support vector machine classification method. We will become familiar with this classification method in week 3. However, in this section, we are just going to observe how this method performs to set the stage for the third week. SVMlight (http://svmlight.joachims.org/) is a famous implementation of the SVM classifier.

	from sklearn.datasets import dump_svmlight_file(train_fea zero_base 3.2 Training SVMligh !chmod +x/BasicClassifica from subprocess import Popen process = Popen(["/BasicCl stdout, stderr = process.com	ed=False, comment=None, que ition-lib/svmlight/svm_lea it, PIPE assification-lib/svmlight municate()	rn		
	<pre>grint(stdout.decode("utf-8")) 3.3 Importing the SVM Model from svm2weight import get_svmlight_weights svm_weights, thresh = get_svmlight_weights('svm_model.txt', printOutput=False) def svmlight_classifier(train_features): return (train_features @ svm_weights - thresh).reshape(-1) >= 0.</pre>				
in []: in []:	<pre>eval_acc = (eval_pred==eval_ print(f'The training data ac print(f'The evaluation data</pre>	<pre>din_labels).mean() labels).mean() ccuracy of your trained mo accuracy of your trained</pre>	del is {train_a model is {eval_	acc}') _acc}')	
	TIM II OVM_MODEL ONG CIAINI				