

## MODULE 3

Sampling is useful because:

- requires less time than collecting data on every item in a population
- saves money and resources
- analyzing a sample is more practical than analyzing an entire population.

Collecting a sample is faster, more practical and less expensive than collecting data on every member of the population.

### The Sampling Process steps:

1. Identify the target population
2. Select the sampling frame (list of all items in the target population)
3. Choose the sampling method
  - a. **Probability sampling**  
Uses random selection to generate a sample (best chance to get representative sample)
  - b. **Non-probability sampling**  
Based on convenience or personal preferences of the researcher
4. Determine the sample size
5. Collect the sample data

### Four Types of probability sampling method:

1. **Simple random sampling**  
Every member of a population is selected randomly and has an equal chance of being chosen
2. **Stratified random sampling**  
Divide a population into groups and randomly select some members from each group
3. **Cluster random sampling**  
Divide a population into clusters and randomly select certain clusters and include all members from the chosen clusters in the sample.
4. **Systematic random sampling**  
Put every member of a population into ordered sequence, then choose a random starting point in the sequence and select members for your sample at regular intervals.

**Sampling bias** occurs when a sample is not representative of the population as a whole.

Non-probability sampling useful to develop initial understanding, not draw conclusions or make predictions.

### Four types of non-probability sampling method:

1. **Convenient sampling**  
Choose members of a population that are easy to contact or reach
2. **Voluntary response sampling**  
Members of a population who volunteer to participate in a study
3. **Snowball sampling**  
Researcher recruits initial participants to be in a study and ask them to recruit other people to participate in the study

#### 4. Purposive sampling

The researcher often intentionally exclude certain groups from the sample to focus on a specific group who they think is the most relevant to their study

Point estimate uses a single value to estimate a population parameter.

**Sampling distribution** is a probability distribution of a sample statistic. The sample is taken and measured repeatedly to get an estimate of the population mean.

**Standard error** is the standard deviation of a sample statistic (in statistic). Less standard error that the sample mean is accurate estimate of the population mean.

$$\text{Standard error of the mean} = \frac{s}{\sqrt{n}}$$

Where: s = sample standard deviation, n = sample size

#### Central Limit Theorem

- States that the sampling distribution of the mean approaches a normal distribution as the sample size increases.
- The pattern is true even the population has skewed distribution,
- Used to estimate population parameters for data in economics, science, business, and other field.
- In general, sample size of 30 or more is considered sufficient.

Conditions to apply central limit theorem:

- **Randomization**  
Sample data must be selected randomly
- **Independence**  
Sample values must be independent of each other
- **Sample size**  
Sample size needs to be sufficiently large
- **Requirements for precision**  
The larger the sample size, the more closely the sampling distribution resembles normal distribution
- **The shape of the population**  
If the distribution is roughly bell-shaped and resembles normal distribution, the sampling distribution will close to normal distribution even with small sample size

**Population proportion** is the percentage of elements in a population that share a certain characteristic.

**Standard error** measures the variability of sample statistic. It shows how much is the sample statistic is likely to differ from the actual population proportion.

$$\text{Standard error of the proportion, } SE(\hat{p}) = \sqrt{\frac{\hat{p}(1 - \hat{p})}{n}}$$

Where:  $\hat{p}$  = population proportion, n = sample size