	Name → Mond Natur Student 3d → 200 21595 Section → P Roll No → 14 Viniversity Roll → 2016 855
	DESIGN AND ANALYSIS OF ALGORITHM TUTORIAL-01.
	Asymptotic Notation: - asymptotic notations are the mathematical notations used to describe the complexity (runing time of an algorithm
(i)	Big-O: + Big o notation specifically describes worst ease scenario. It supresents the light upper bound running time complexity of an algorithm.
	f(n) ≤ c·g(n). ↑ n>no C>0
	Exx:> O(1), O(n), O(nlogn).
	tor (i=0; i <n; i++)="" sum="Sum+i;</th"></n;>
	the time complexity of above Example is O(n).
(<i>ii</i>)	Omega (-1):- omega Notation specifically desembe best case scenario. It supousents the tight lower bound sunning time of an algorithm.
	f(n)>, c.g(n) + n>no C>0



```
Example: 12(1), 12(logn).
```

void search (int sixe) & int Element, i; if (4' size == 1) & Print+ ("tound");

7 eturn;

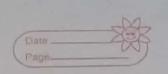
tor (i=0; ic size; i++)

if (arr (i) = element) & Printf ("found");

retusin;

Print+ (" No + tound")!

The Best Complexity of above Example is - 12 (1).



theta(a):- This Notation describes both tight upper bound of an bound and light lower bound of an algorithm. In second scenario the algorithm nat always sun on best and worst Cares, the algorithm lies between best and worst and can be supresent by 'R' Notation.

C, g(n) \(\left(n) \(\left(c)\) \(\left(c)\)

Ques. 10:- for the function n'R and on what is the asymptotic Relationship blw these function?

the value of c. and no. of which substienship held?

bas given nk and ch

Relationship between nk and C' is.

nk = O(cn) $nk \leq a(cn)$

+ n>, no Constant a>0

for no=1: 0=2

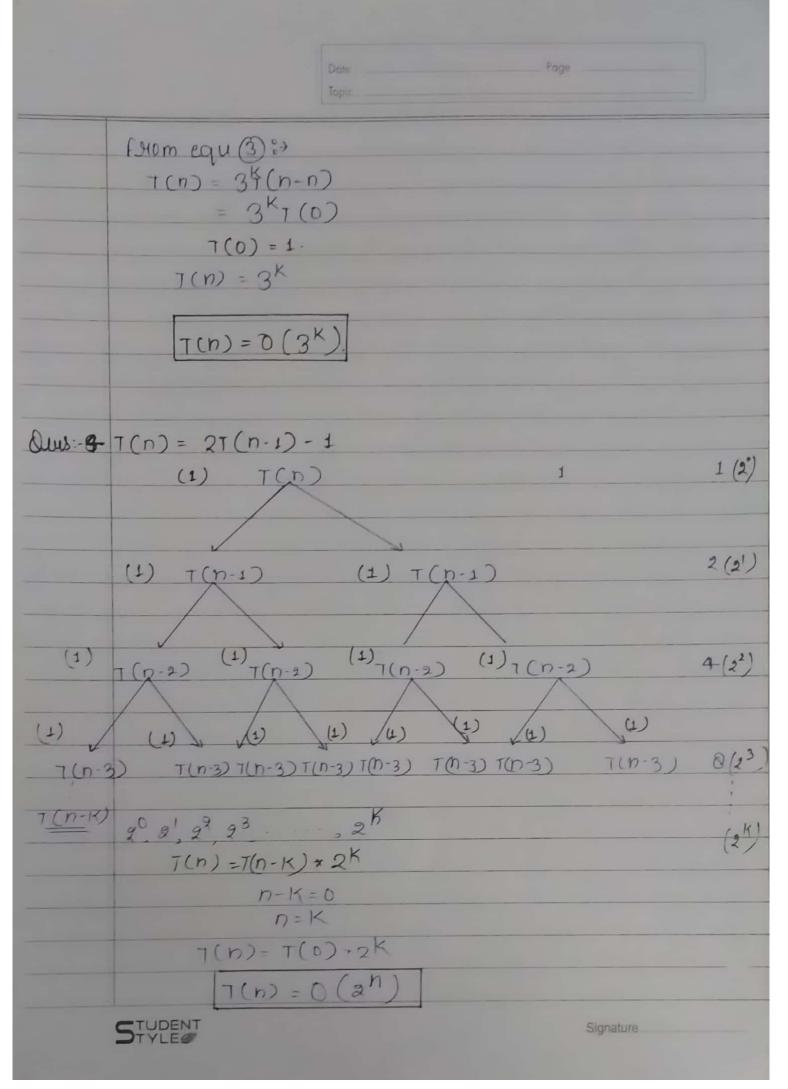
=> no=1 and c=2

Date :	Poge :

Qus+2	For Ci=1 ton)
	q i=i+2}
	i+ 1, 2, 2, 2, 2, 2,, 2k.
	$2^{K} = n$
	take log both side. log 2K = logn
	2092 = 30911
	Klog2 = logn
	02
	K=O(logn).
0443	T(n) = 3T(n-1) n>0, otherwise 1.
	T(n) = 3T(n-1) — (1)
	T(n-1) = 3T(n-2)
	forom equ D:+
	T(n) = 3[3T(n-2)]
	$=3^{2}T(n-2)$ — (2)
	T(n-2) = 3T(n-3)
	From equ (2):>
111131	$T(n) = 3^2[3T(n-3)]$
	$=3^{3}r(n-3)$
	$T(n) = 3^{k}T(n-k)3$
	n-K=0
	n=K

STUDENT

Signature.....



```
Qus+5 int i=1 S=1:
      while (Sk=n) 3
         î++;
         S. Sti:
        Print + ("#");
      S (Value of S):>
      1, 3, 6, 10,
        (1+2) (1+2+3) (1+2+3+4)
                                      (1+2+3+ +K)
         Termination Condition.
         (1+2+3+--+K)=h
           K(K+1) = n
            K2+K=2h
             K2= n
              K= Jh
              T(n) = 0 (5n).
Quis+6.
      Void Function (int n) s
        ent i court=0.
         for (1=1: 1+12=n. 1++)
               Quit++
          STUDENT 7(m) = D(-Th)
```

Signature

Topic:	
Ous+7 Void fun (int n) {	
int i, j. K. count =0;	
far (1= n/2: ix = n; i++) { 100p 1.	
Rov (j=1; j <= n; j=j > 2:) { /00 p =	
Fur (K=1; K=n; K=K*2) & 100P3	
Cont++;	
)	
100P1:3	
i+ 1, 1, 1, 1, 2, 1, 13 1, 1K	
(, n	
K>n (terminate pro). K= 2	
K= h	
T(n)=O(h)	
for lops and loops we know time complexity	1.
t(n) = logn.	
O Company of the comp	
total time complexity.	
T(n) = n + logn + logn	
$T(n) = 0 (n \log^2 n)$	
STUDENT Signature	*******

Page

Date :	Page :
Topic :	

Que+8 fun (int n) {
$\hat{\mathcal{L}}_{F}(n==0)$
Jetwin.
For (i=1 to n)
fur (j=1 ton)
print+("#");
fun (n-3)
7.
$7(n) = (n-3) + O(n^2)$
$=T(n-3)+h^2$
$T(n-3) = T(n-6) + (h-3)^2$
From equ (D:)
$T(n) = T(n-6) + (n-3)^2 + n^2$
$T(h-6) = T(n-q) + (h-6)^{2}$
$T(n) = T(n-9) + (n-6)^{2} + (n-3)^{2} + n^{2}$
$T(n) = T(n-3K) + (n-(3K+3))^{2} [n-(3K-6)]^{2} + n^{2}$
n-3K=0
n=3K
K= 17/3
$T(n) = T(n-n) + 1^2 + 2^2 + 3^2 + n^2$
= T(0) + n(n+1)(n+2)
T(h) = h + h + h
$T(n) = O(n^3)$
STUDENT Signature

Date :	Page :
Topic :	

Quetg. Void Fun (int n) 5

}

$$T(n) = n + \frac{n}{2} + \frac{n}{3} + \frac{n}{4} + \cdots + \frac{n}{n}$$

$$= n \left(1 + \frac{10}{2} + \frac{1}{3} + \frac{1}{4} + \dots + \frac{1}{n} \right)$$

Jogn

T(n) = nlogn

