

1) * Intersection of 2 linked list:

head1 to

hi.add(node1) node1.next = null node1

traverse 2nd linked list

if (!hi.add(node2))

return node2;

node2 = node2.next;

return null.

2) * Detect cycle in LL:

fast = head.next, slow = head.

while (fast != null && fast.next != null)

if (fast == slow) true;

slow = slow.next.

fast = fast.next.next

return false.

3) * Reverse Node in k-group

initialize Add dummy node at start

cur, prev, next
with dummy count total node including dummy

while (count >= k)

cur = prev.next

next = cur.next

for (i = 1; i < k)

{ cur.next = ~~prev~~.next

next.next = prev.next;

prev.next = next;

next = cur.next

}

prev = cur;

count -= k.

return dummy.next;

4) Check if singly linked list is palindrome.

Enter all elements into stack

Iterate over LL and pop an element

If same continue
else return false

TC: $O(n)$

SC: $O(n)$

2nd: find mid of LL
reverse the second half
and then compare the first half & 2nd half

TC: $O(n)$

SC: $O(1)$

5) Detect cycle in LL and return the start node of cycle.

fast = head, slow = head

while (fast != null && fast.next != null)

} slow = slow.next;

fast = fast.next.next;

if (slow == fast)

{ fast = head;

while (fast != slow) {

fast = fast.next;

slow = slow.next;

}

return slow;

return null

TC: $O(n)$

SC: $O(1)$

8 flatten a ll

5 → 10 → 15 → 20

↓

6 7

↓

1 9

↓

12

output = 5 6 7 9
 11 12 15 20

flatten (Node root)

```
if (root == null or root.next == null) return root;  
root.next = flatten(root.next)  
root = merge (root, root.next)  
return root.
```

merge (Node a, Node b)

```
if (a == null) return b;  
if (b == null) return a;
```

Node result;

```
if (a.data < b.data) {
```

result = a; a = a.next

(a == null, b != null) result.next = b; merge (a.bottom, b)

{ if (a == null) a = null

the result = t; t = a

result.next = merge (a, b.bottom);

} bottom = t; t = null

return result;

TC: O(n) SC: O(1)

first work = right

7 Rotate a ll by k times to right:

rotate (ListNode head)

{ ptr = null;

temp = head;

Acceptor 2nd last while (temp.next != null) {

Node

ptr = temp; temp = temp.next;

}

```

ptr.next = null;
temp = next = head;
head = temp;
return temp;
}

```

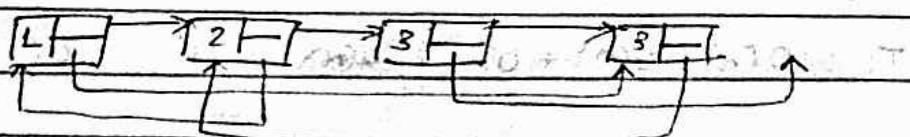
for handling large k values

if count node is LL

and perform $k = k \% \text{count}$;

8 * copy list with ~~deep~~^{random} pointer:

①



odd nodes between.



itr = head, front = head;

while (itr != null)

{ front = itr.next;

Now c = new Node(itr.val);

itr.next = c;

c.next = front;

itr = ~~front~~ front;

}

② point the random values.

itr = head

while (itr != null)

if (itr.random != null)

itr.next.random = itr.random.next;

itr = itr.next.next;

}

(3) make original list intact and changes the new list;

Note $d = \text{newNode}()$

$\text{itr} = \text{head}$, $\text{start} = d$;

while ($\text{itr} \neq \text{null}$) {

$\text{front} = \text{itr}.\text{next}.\text{next}$

 copy $d.\text{next} = \text{itr}.\text{next}$;

$\text{itr}.\text{next} = \text{front}$;

$d = d.\text{next}$;

$\text{itr} = \text{front}$;

return $\text{start}.\text{next}$;

TC: $O(nl + O(n) + O(n)) = O(n^2)$ SC = $O(1)$

g)

3Sum: return triplets such that they are at different indices

int sum = 0,

ArrayList<Integer> res = new ArrayList<Integer>();

Arrays.sort(nums);

for (int i=0; i < n-2) {

 if (i==0 || (i>0 && nums[i] != nums[i-1])) {

 int lo = i+1, hi = nums.length-1, sum = 0 - nums[i];

 while (lo < hi) {

 if (nums[lo]+nums[hi] == -sum) {

 ArrayList<Integer> l = new ArrayList<Integer>();

 l.add(nums[i]), l.add(nums[lo]), l.add(nums[hi]);

 res.add(l);

 while (lo < hi && nums[lo] == nums[lo+1]) lo++;

 while (lo < hi && nums[hi] == nums[hi-1]) hi--;

 if (lo < hi && nums[lo]+nums[hi] < sum) lo++;

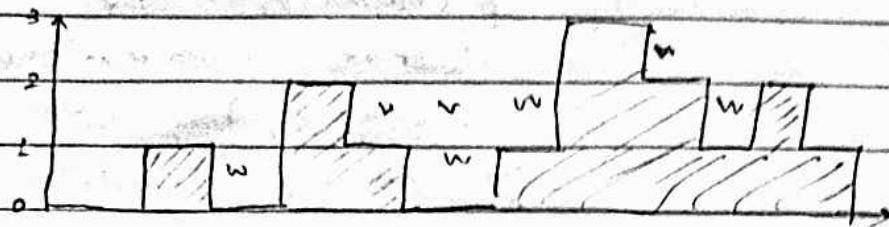
 else hi--;

 }

TC: $O(N^2)$ O(N)

10) Trap Rain Water Compute how much water it can trap:

Input arr: [0 1 0 2 1 0 1 5 2 1 2,]



```
int res = 0
int n = arr.length
int left = 0, right = n-1
int lmax = 0, rmax = 0
while (left <= right) {
    if (arr[left] <= arr[right]) {
        if (lmax < arr[left]) lmax = arr[left]
        res += lmax - arr[left]
        left++
    } else {
        if (rmax < arr[right]) rmax = arr[right]
        res += rmax - arr[right]
        right--
    }
}
return res;
TC: O(N) SC: O(1)
```

11) Remove duplicate from sorted array:

2 pointer :

```
i = 0
for (j = 1; j < arr.length; j++) {
    if (arr[i] != arr[j])
        i++; arr[i] = arr[j];
}
return i+1;
TC: O(N) SC: O(1)
```

12) Max consecutive ones input: binary val.

```
int ones = 0, max = 0;  
for (int i=0; i<nums.length; i++)  
{ if (nums[i] == 1)  
    { max = Math.max(ones, max);  
    ones = 0; }  
else ones++;  
}  
return Math.max(max, ones);
```

TC: O(n) SC: O(1)

Greedy Algo:

13) N meeting in one room:

```
class Pair {  
    int s, e;  
    public Pair(int s, int e) {  
        this.s = s, this.e = e;  
    }  
}
```

```
maxMeeting (int start[], int end[], int n) {
```

```
    int res = 0;
```

```
    Pair arr[] = new Pair[n];
```

```
    Arrays.sort(arr, new Comparator<Pair>() {
```

```
        public int compare(Pair p1, Pair p2) {
```

```
            return p1.e - p2.e;
```

```
    };
```

```
    int least = 0;
```

```
    for (int i=0; i<n; i++) {
```

```

if (arr[i].s > last) {
    res++; last = arr[i].e;
}
}
return res;
}

```

TC: $O(n)$ for inserting in ds.

$O(n \log n)$ for sorting

$O(n)$ for checking

$\therefore O(n \log n)$ SC: $O(n)$

iii) Min platforms: Given arrival & departure time of train find min platform required.

→ Arrays.sort(arr); Arrays.sort(dep);

platform = 1, result = 1

i = 1, j = 0

while (i < n && j < n) {

if (arr[i] <= dep[j]) {

platform++; i++;

else if (arr[i] > dep[j]) {

platform--; j++;

result = Math.max(result, platform);

}

return result;

TC: $O(n \log n)$ SC: $O(1)$

15 Job scheduling problem:

given the job id, deadline, profit we need to maximize the profit.

Sort jobs in decreasing order of profit

Arrays.sort(arr, (a, b) → b.profit - a.profit);

find max deadline

result [] = new int [max-deadline];

initialize the array element with -1

countJob = 0, jobProfit = 0

for (int i=0; i < n; i++) {

for (j = arr[i].deadline; j > 0; j--) {

if (result [j] == -1) {

result [j] = i;

profit += result [arr[i].profit];

countJ++;

break;

}

TC : $O(n \log n)$ sorting + $O(N \cdot M)$ for calculation

SC : $O(M)$ for array result;

16) Fractional Knapsack:

class Item { } contains value and weight.

Arrays.sort (arr, & new Comparator <Item> () {

public int compare (Item a, Item b) {

double r₁ = (double) a.value / (double) a.weight;

double r₂ = (double) b.value / (double) b.weight;

if (r₂ < r₁) return 1;

else if (r₂ > r₁) return -1;

else return 0; }

}

} ;

int finalWt = 0;

double profit = 0;

```

for (int i=0; i<n; i++) {
    if (finalW + arr[i].weight <= w) {
        finalW += arr[i].weight;
        profit += arr[i].value;
    }
}

```

the {

int remain = w - finalW;

profit += (double) arr[i].value / (double) arr[i].weight * remain;

break;

}

return profit

TC : $O(n \log n)$ + $O(n)$ $\therefore O(n \log n + n)$

SC : $O(1)$

17) find minimum number of coins:

greedy approach.

```

for (int i=n-1; i>=0; i--) {
    {
        while (coins[i] <= v)

```

$v -= coins[i];$

min++;

}

return min;

TC : $O(v)$ SC : $O(1)$

DP approach:

```

int table[V][V] = new int[V][V];
table[0][0] = 0;
for (int i=1; i<=V; i++) {
    table[i][0] = Integer.MAX_VALUE;
}
for (int i=1; i<=V; i++) {
    for (int j=1; j<=V; j++) {
        if (coins[i][j] <= V) {
            sub = table[i - coins[i][j]];
            if (sub != Integer.MAX_VALUE && sub + 1 < table[i][j]) {
                table[i][j] = sub + 1;
            }
        }
    }
}
if (table[V][V] == Integer.MAX_VALUE) return 0;
return table[V][V];

```

TC: $O(V^2)$, SC: $O(V)$

• Recursion

18) Substitution

$$\text{if } \{ \text{in} = \{2, 3\} \}$$

$$\text{out} = \{0, 2, 3, 5\}$$

sol:

```

fun (int ind, Array arr, Array ans, sum) {
    if (ind == arr.length) {
        ans.add(sum) return;
    }
}

```

```
fun(ind+1, arr, ans, sum + arr.get(ind))  
fun(ind+1, arr, ans, sum);
```

{

TC: $O(2^n)$ SC: $O(2^n)$

192 Subset 2: Should not include duplicate in ans.

```
void function(int ind, int arr[], ArrayList<Integer> sub,  
ArrayList<List<Integer>> ans){  
    ans.add(new ArrayList<>(sub));  
    for (int i=ind; i<num.length; i++) {  
        if (i!=ind && num[i-1]==num[i])  
            continue;  
        sub.add(num[i]);  
        function(ind+1, num, sub, ans);  
        sub.remove(sub.size()-1);  
    }  
}
```

TC: $O(2^n)$ for generating subsets $O(k)$ for inserting : $O(2^n \cdot k)$
SC: $O(2^{n-k})$

* Bubble sort:

```
for (i=0; i<n; i++) → pass
```

```
{ for (j=0; j<n-i-1; j++)
```

```
    if (arr[j] > arr[j+1])
```

```
        swap
```

{

TC: $O(n^2)$ SC: $O(1)$

* Improved B-sort

```
for(int i=0; i<n; i++)  
{ for(j=0; j<n-i-1; j++)  
    { if(arr[j] > arr[j+1])  
        { swap  
         flag = true;  
        }  
    if(flag != true) break;  
}
```

* Insertion sort :

```
for(i=1; i<n; i++)  
{ temp = arr[i];  
j = i-1;  
while (j>=0 && arr[j]>temp)  
{ arr[j+1] = arr[j];  
j = j-1;
```

{ arr[j+1] = temp }

TC: WC: $O(n^2)$ BC: $O(n)$

SC: $O(1)$

* Selection sort:

```
for(i=0; i<n-1; i++)  
{ min = i;  
for(j=i+1; j<n; j++)  
{ min = j; if(arr[j] < arr[min])  
{ min = j;  
}}
```

if ($\min \neq i$) { swap($\text{arr}[i], \text{arr}[\min]$); }

TC: $O(n^2)$

SC: $O(1)$

- * Quick sort : decide pivot and elements on left are smaller. elements on right are greater.
WC: $O(n^2)$
BC: $O(n \log n)$

```
int partition (lb, ub, arr[]) {  
    pivot = arr[lb];  
    start = lb, end = ub;  
    while (start < end) {  
        while (arr[start] <= pivot) start++;  
        while (arr[end] > pivot) end--;  
        if (start < end) swap (arr, start, end);  
    }  
    swap (arr, lb, end);  
    return end;  
}
```

```
quicksort (lb, ub, arr[]) {  
    if (lb < ub) {  
        int loc = partition (lb, ub, arr);  
        quicksort (lb, loc - 1, arr);  
        quicksort (loc + 1, ub, arr);  
    }  
}
```

- * Merge Sort :

$$\text{left} = l$$

$$l = \frac{e}{2} + 5$$

$$r = 4$$

$$7 \ 2 \ 1 \ 5 \ 6 \ 4$$

$$9 \ 2 \ 1 \ 5 \ 6 \ 7$$

$$1 \ 2 \ 14 \ 5 \ 6 \ 7$$

$$P=4$$

$$l = \frac{e}{2} + 3$$

$$r = \frac{e}{2} + 2$$

3rd smallest
 $m = 4$

$$4 \ 2 \ 1 \ 5$$

$$5 \ 2 \ 1 \ 7$$

$$11 \ 2 \ 5 \ 7$$

$$\begin{bmatrix} L & 2 \\ [2, 1, 3] \\ [3, 2, 1] \end{bmatrix}$$

$$(0, 2)$$

$$(4, 3)$$

Page No.:

merge (arr, l, m, r)

$$n_1 = m - l + 1$$

$$n_2 = r - m$$

$$\text{arr}[m:n_1] \quad \text{arr}_2[m:n_2]$$

$$i=0, i < n_1$$

$$\text{arr}[i] = \text{arr}[l+i];$$

$$i=0, i < n_2$$

$$\text{arr}_2[j] = \text{arr}[m+1+j]$$

$$i=0, j=0, k=l$$

while ($i < n_1$ and $j < n_2$)

$$\text{if } (\text{arr}[i] \leq \text{arr}_2[j])$$

$$\text{arr}[k] = \text{arr}[i], i++$$

$$\text{else } \text{arr}[k] = \text{arr}_2[j], j++$$

$$k++$$

}

while ($i < n_1$) $\text{arr}[k] = \text{arr}[i], i++$

while ($j < n_2$) $\text{arr}[k] = \text{arr}_2[j], j++$

$\text{sort}()$

$\text{if } (l < r)$

$$mid = (l+r)/2$$

$\text{sort}(\text{arr}, l, mid)$

$\text{sort}(\text{arr}, mid+1, r)$

$\text{merge}(\text{arr}, l, m, r);$

20) Combination sum : Input = [2, 3, 6, 7] tar = 7
out = [[2 2 3] [7]]

```
helper(ind, arr[i], target, sub, ans)
{
    if (ind == arr.length)
        if (target == 0)
            ans.add(new ArrayList<T>(sub));
        return;
}
```

```
if (arr[ind] <= target)
    sub.add(arr[ind]);
```

```
helper(ind+1, arr, target - arr[ind], sub, ans)
```

```
sub.remove(sub.size() - 1)
```

```
helper(ind+1, arr, target, sub, ans);
```

TC: $O(2^{n+k})$ + target $k = \text{avg length of arr}$

SC: $O(k^x)$ $x = \text{no. of combination}$

21) Combination sum2: Unique combinations:

in = [2, 3, 2, 1, 2] tar = 5

out = [[5], [1, 2, 2]]

Arrays.sort(arr);

helper(0, tar, arr, subList, ans);

return ans;

```
helper(int ind, int tar, int[] arr, List<T> sub, List<T> ans){
```

```
if (tar == 0)
    ans
```

```
sub.add(sub); return;
```

```

for(int i=ind; i<arr.length; i++)
    if (i > ind && arr[i] == arr[i-1]) continue;
    if (arr[i] > tar) break;
    sub.add(arr[i]);
    helper(i+1, tar-arr[i], arr, sub, ans);
    sub.remove(sub.size()-1);
}

```

TC: $O(2^n \cdot k)$ SC: $O(k^k)$

22) Palindrome Partition: $\text{in} = \text{aab}$

$\text{out} = [[\text{a}, \text{a}, \text{b}], [\text{aa}, \text{b}]]$

helper(int ind, String s, List sub, List ans)

```

if (ind == s.length())
    ans.add(new ArrayList(s));
return;

```

for (int i=ind; i<s.length(); i++)

if (isPalindrome(s, ind, i))

sub.add(s.substring(ind, i+1));

helper(ind+1, s, sub, ans);

sub.remove(sub.size()-1);

}

isPalindrome (String s, int start, end) {

while (start <= end) {

if (s.charAt(start++) != s.charAt(end--)) return false;

8

return true; }

TC: $O(2^n * k^*(n/k))$ \approx^n for substring $k = \text{avg length}$
SC: $O(k * n)$

2) Permutation sequence:

In $n=3$ $k=3$
out = 3rd permutation in {123, ... , 321}
= 213

calculate total permutation for $n=3$

fact = 1

```
for (int i=1; i<n; i++)  
{ fact = fact * i;  
num.add(i);  
num.add(i);
```

1 due to 0 indexed.

R = fact

String ans = "";

```
for (while (true))  
ans += " " + num.get(R/fact);  
num.remove(R/fact);  
if (num.size() == 0) { break; }  
R = R % fact;  
fact = fact / num.size();  
return ans.
```

TC: $O(n^2)$. SC: $O(n)$

3) Print all permutation of string/array:

helper (nums, ans, 0)

helper (num[], ans, ind)

if (ind == num.length) {

ArrayList a = new ArrayList

```
for (int i=0; i<num.length(); i++) {  
    a.add(num[i]);  
    if (a.size() == n) return true;  
}
```

```
for (i=ind; i<num.length(); i++) {  
    swap (num, i, ind);  
    helper (num, ans, ind+1);  
    swap (num, i, ind);  
}
```

TC: $O(N! \times N)$ SC: $O(1)$

25) N-Queen:

check if Queen in left row, left upper diag &

left lower diag

function validate (board, row, col)

if (dr == row & dc == col)

while (row >= 0 & col >= 0)

{ if (board[row][col] == 'Q') return false;

row-- col--

if (row < 0 || col < 0) break;

→ col = dc; row = dr;

while (col >= 0) {

if (board[row][col] == 'Q') return false;

col--

}

row = dr - col - dc

while (row < board.length() && col >= 0) {

if (board[row][col] == 'Q') return false;

if (row > col + 1)

return true;

```

o ton
// for converting board[i] to string
list<string> construct(board) {
    for (int i=0; i<board.length(); i++) {
        string s = new String(board[i]);
        ans.add(s);
    }
    return ans;
}

```

// board a char 2 d array initialized by :-

```

dfs(0, board, ans)
dfs(int col, board, ans) {
    if (col == board.length()) {
        ans.add(construct(board));
        return;
    }
    for (int i=0; i<board.length(); i++) {
        board[i][col] = 'q';  $\rightarrow$  if(validate(board, i, col))
        dfs(col+1, board, ans)
        board[i][col] = '.';
    }
}

```

TC: $O(N! * N)$

SC: $O(N^2)$

26) Sudoku Solver 9*9 :

isValid(board, row, col, char c) {

// check rows, cols and 3x3 box for same number

for (int i=0; i<9; i++) {

if (board[i][col] == c) return false

if (board[row][i] == c) return false

if (board[3*(row/3) + i/3][3*(col/3) + i%3] == c)

return false

}

return true.

```

solve (board) {
    for (i=0; i<9; i++) {
        for (j=0; j<9; j++) {
            if (board[i][j] == '.') {
                for (char c='1'; c<='9'; c++) {
                    if (isValid(board, i, j, c)) {
                        board[i][j] = c;
                        if (solve(board)) return true;
                        else {
                            board[i][j] = '.';
                        }
                    }
                }
            }
        }
    }
    return false;
}

```

return true;

$T_C : O(9^9)$

$S_C : O(1)$

- 2) M-coloring: given graph[][] , number of color , vertices
 to find if graph can be colored using the colors provided.

int color[] = new int[v];

solve (graph, color, 0, m, n)

```

solve(graph, color, node, m, n)
    if (node == n) return true
    for (i=1; i<=m; i++)
        { if (isSafe(graph, color, i, node)
            { color[node] = i;
            if (solve(graph, color, node+1, m, n)) return
                true;
            color[node] = 0;
        }
    return false;
}

isSafe(graph, color, col, node)
    { for (i=0; i<graph.length; i++)
        if (graph[node][i] && color[i]==col)
            return false;
    return true;
}

```

$Tc: O(N^m)$ $Sc: O(N)$

28) Rat in maze: find all possible solution to $(0 \times 1 \times n - 1)$
 ans: RODNR and RDRURD

// dir = DLRU depending on this make di and dj

$$di[] = \{1, 0, 0, -1\}$$

$$dj[] = \{0, -1, 1, 0\}$$

visit[] = boolean[n][n]

if ($m \times j < 0$) helper(0, 0, m, n, ans, "", visitd, di, dj)

```

helper(int i, int j, int m, int n, ans, move, visited, dir)
    if (i == n || j == n - 1) ans.add(move); return;
    string dir = "DLRU";
    for (int ind = 0; ind < 4; ind++)
    {
        int i1 = i + dir[ind], nextj = j + dir[ind];
        if (nextj >= 0 && nextj <= n - 1 && nexti <= m - 1 && nextj <= nexti)
            if (visited[i1][nextj] == false && m[i1][nextj] == 1)
                {
                    visited[i1][nextj] = true;
                    helper(nexti, nextj, m, n, ans, move + dir.charAt(ind), visited, di, dj);
                    visited[i1][nextj] = false;
                }
    }
    TC: O(4^n * m^n)
    SC: O(m^n)

```

29) Word break: input: god is now no where here
~~god is now where now here.~~

O/P: god is no where no where

~~god is no where now here.~~

god is now now no where

~~god is now now here.~~

1) Create a list and add dict element to it for
 2) front retrieval

helper(0, s, ms, s.length())

helper(int ind, &, ms, size) {

if (ind == size) { ArrayList temp = new ArrayList();
 temp.add(""); return temp; }

ArrayList<String> sub.

ArrayList<String> complete
word = "";

for (i=ind; i<size; i++) {

 word += s.charAt(i);

 if (!hs.contains(word)) continue;

 sub = helper(i+1, s, hs, size)

 for (j=0; j<sub.size(); j++) {

 if (sub.get(j).length() == 0) {

 String temp = word;

 temp += (" " + sub.get(j));

 temp += sub.get(j);

 sub.set(j, temp);

}

 else { sub.set(j, word); }

 }

 for (j=0; j<size(); j++) {

 complete.add(sub.get(j));

 return complete;

{

T : O ~~B~~ $O(N^*(2^{N-1}))$

S : O $(N^*(2^{N-1}))$

20) Newton-Raphson method: nth root of M.

n = 3 m = 27 ans 5.000000

double error = 1e-7, diff = 1e-8, xv = 2;

while (diff > error) {

 xv1 = ($\text{math.pow}(xv, n) - (n-1+m) / (\text{math.pow}(xv, n-1) \times n)$);

 diff = Math.abs(xv - xv1);

$xv = xv_1;$

}

return $xv;$

TC: $O(\log(m) + \log(N))$; SC: $O(1)$.

SC: $O(1)$. (Because $(\log m) + (\log n) = O(1)$.)

51) Median sorted ~~Array~~: 1 8 5 9 2 4 6 3 7 5

MATRIX

2 6 9
3 6 8

choose \approx middle

final (ArrayList A) {

row = (A.size()); col = A.get(0).size();

min = Integer.MAX_VALUE, max = Integer.MIN_VALUE

// find min and max in ArrayList

for (i=0; i<row; i++) {

min = Math.min(min, A.get(i).get(0));

max = Math.max(max, A.get(i).get(col-1));

{ } - (i) by def. b/c. after ==

req = (row+col)/2, ans = 0; number

while (~~less~~ \leq min <= max)

} mid = (min+max)/2;

count = 0;

for (i=0; i<row; i++) {

count += binarySearch(A.get(i), mid);

f count > req { ans = mid; break; }

if (count < req) { min = mid+1; }

else { max = mid; }

{ }

{ }

} return ans;

Binary Search (ArrayList<Integer> a, int val)

{

 if (a.get(0) > val) return 0;

 low = 0, high = a.size() - 1, mid = 0;

 while (low <= mid < high) {

 if (mid = (low + high) / 2;

 if (a.get(mid) > val) h = mid - 1

 else low = mid + 1

}

 return low;

}

TC:

SC:

32) Single element in sorted array: $O(\log n)$ every element is ~~except 1 element~~
~~is unique~~
 $O(n)$ solution is
xor all elements \neq one is odd element

BS:

 low = 0 high = n - 2

 while (low <= high)

 mid = (low + high) / 2

 if (mid % 2 == 0) {

 if (nums[mid] != nums[mid + 1]) {

 high = mid - 1; }

 else { low = mid + 1; }

}

 else {

 if (nums[mid] == nums[mid + 1]) high = mid - 1

 else low = mid + 1;

}

 } return nums[low];

TC: $O(\log n)$ SC: $O(1)$

23) Search in Rotated Sorted array:

```
start = 0, end = nums.length - 1;  
while (start <= end) {  
    mid = start + (end - start) / 2;  
    if (nums[mid] == target) return mid;  
    else if (nums[mid] > nums[start]) {  
        if (target < nums[mid] && target >= nums[start])  
            end = mid - 1;  
        else start = mid + 1;  
    } else if (nums[mid] < nums[start]) {  
        if (target <= nums[start] && target >= nums[mid]) start = mid;  
        else end = mid - 1;  
    }  
    start++;  
}  
return -1;
```

TC: $O(\log N)$, CSC: $O(1)$.

s = n = right, o = search

(right \rightarrow wall) status

if (right > wall) = true

? (o == search) false

? (left <= wall) true

? (left <= wall) = true

? (left <= wall) = false

else if (left <= wall) (left <= search && search <= right)

? (left <= wall) = true

51) Median of 2 sorted arrays: (No extra space)

median(a[], b[])

{ // make the smallest array as a.

if (a.length > b.length) median(b, a);

n = a.length, m = b.length.

low = 0, high = n

while (low <= high)

mid = (low + high) / 2

part = (m+n+1) / 2 - mid

if (part > m) {

low = mid+1;

continue;

{ leftmax = ^{MIN}MAX-VALUE rightmin = MAX-VALUE

if (mid > 0) leftmax = Math.max(leftmax, a[mid-1]);

if (mid < part) ^{leftmax}rightmin = Math.min(^{leftmax}rightmin, b[part-1]);

if (mid < n) ~~leftmax~~ = Math.min(~~leftmax~~, a[mid]);
rightmin =

if (part < m) rightmin = Math.min(rightmin, b[part]);

if (leftmax <= rightmin) {

if ((m+n)%2 == 1) return leftmax;

else return rightmin; (leftmax + rightmin)/2.0;

}

if (a[mid] < leftmax) low = mid+1;

else high = mid-1;

}

return -1;

}

T.C: O(~~sqrt~~ log(n,m)) S.P.: O(1)

35) Kth element in sorted Array:

```
Kth (arr1, arr2, len1, len2, k)
{
    if ((len1 + len2) &lt; k || k < 1) return -1;
    if (len1 > len2) Kth (arr2, arr1, len2, len1, k);
    if (k == 1) return min (arr1[0], arr2[0]);
    if (len1 == 0) return arr2[k-1];
}
```

```
int i = min (len1, k/2)
```

```
j = min (len2, k/2)
```

```
if (arr1[i-1] > arr2[j-1])
```

```
{ temp[] = Arrays.copyOfRange (arr2, j, len2)
```

```
return Kth (arr1, temp, len1, len2-j; k-j)
```

```
temp[] = Arrays.copyOfRange (arr1, i, len1)
```

```
return Kth (temp, arr2, len1-i, len2, k-i);
```

TC : $\log(k)$ SC : $\log(k)$

36) Allocate Minimum number of Pages:

$A = [12, 84, 67, 90]$ $B = 2$

OPT = 113 (minimum of min pages allocated)

books (A, B)

```
{ if (A.size < B) return -1;
```

```
low = A.get(0), high = 0; > (12, 67, 90)
```

```
for (int a: A) {
```

```
    high += a;
```

```
    low = min (low, a); }
```

ans = -1

while (low <= high) {

```
    mid = (low+high)/2;
```

```
    if (isPossible (A, mid, B)) { ans = mid; high = mid - 1; }
```

```

use f. low = mid + 1;    // 2.5.3.1
f
return m;
}

broken ispossible(A, pages, *); {
int sum=0, cnt=0;
for (i=0; i<A.size(); i++) {
if (sum + A.get(i) > pages) {
cnt++;
sum = A.get(i);
if (sum > pages) return false;
}
sum += A.get(i);
}
if (cnt < students) return true;
else return false;
}

```

37 Aggressive cows: $\{1, 2, 3, 4, 5\}$ and $n = 3$
 $\{1, 2, 8, 4, 9\}$, cows = 3.

assign cows such that min distance between them
is maximum. Arrays

low = 1 high = $a.get(a.size() - 1) - a.get(0)$.
array.sort(a);

while (low <= high) {
mid = (low + high) / 2;
if (ispossible(a, n, mid, cows)) ans = Math.max(cows, mid);
low = mid + 1;
else high = mid - 1;
}

isPossible (a, m, mindiff, curr)

int cnt = 1

lastplaced = a.get(0).

for (i=1; i<m; i++) {

if (lastplaced > a.get(i) - lastplaced >= mindiff
cnt++;

lastplaced = ~~lastplaced~~, a.get(i);

if (cnt == curr) return true

}

return false.

Tc: O(N log M)

38) Quick Select Algorithm:

kth smallest or kth largest element.

kth largest \rightarrow

$l = 0$: $r = \text{length} - 1$, kth

while (~~true~~) {

idx = partition (arr, l, r);

if (idx == k-1)

kth = arr[idx]

break;

if (idx < k-1)

~~l = idx + 1~~

~~r = idx - 1~~

return idx.

partition (arr, ~~left~~, left, right)

pivot = arr[l]

$l = left \leftarrow left + 1$ $r = right$

while ($arr[l] <= pivot \text{ and } l < r$)

{ if ($arr[r] < pivot \text{ and } arr[l] > pivot$) {

 temp = arr[l]

 arr[l] = arr[r]

 arr[r] = temp

 l++ ; r-- ;

 if ($arr[l] >= pivot$) l++ ;

 if ($arr[r] <= pivot$) r-- ;

}

temp = arr[left]

arr[left] = arr[r] ; arr[r] = temp

arr[r] = temp

return r;

() with O(n) time complexity

$T(n) = O(n) \approx SC : O(1)$ space complexity

39) Max/Min Heap Implementation in GFG.

4) Maximum sum combination:

Given $A = [2, 3], B = [4, 5], C = 2 \Rightarrow \text{ans} = [8, 7]$

Priority Queue <Integer> pq = new Priority Queue();

Collections.sort(A, Collections.reverseOrder());

Collections.sort(B, Collections.reverseOrder());

for (i=0; i< A.size(); i++)

{ for (j=0; j< B.size(); j++)

{ sum = A.get(i) + B.get(j)

if (pq.size < C) pq.add(sum)

else if (sum > pq.peek()) { pq.poll();

 sum = pq.peek();

 sum = pq.poll();

}

```
ArrayList<Integer> ans = new ArrayList<(pq)>
Collections.sort(ans, Collections.reverseOrder())
return ans;
```

41 find median from datastream:

```
addnum(num) {
    if (maxheap.isEmpty() || maxheap.peek() >= num) {
        maxheap.add(num)
    } else minheap.add(num);
    if (maxheap.size() >= minheap.size() + 1)
        minheap.add(maxheap.poll());
    else if (maxheap.size() < minheap.size())
        maxheap.add(minheap.poll());
}
findMedian() {
    if (maxheap.size() == minheap.size()) return
        (maxheap.peek() + minheap.peek()) / 2.0;
    else return maxheap.peek();
```

42 Merge k sorted arrays

// create a min heap and add all elements to it

// remove one element and add to the ans until minheap is not empty,

TC: $O(N \cdot K + K^2)$

// create a class with 3 elements

// first, second, third.

using PQComp implements Comparator<Pair> {

```

int compare(Pair p1, Pair p2) {
    if (p1.first < p2.first) return -1
    else if (p1.first == p2.first) return 0
    else return 1
}

```

```

PriorityQueue minH = new PriorityQueue(new PgComp());
for (i=0; i<k; i++) {
    minH.add( karray[i].get(i) );
}
while (!minH.isEmpty()) {
    Pair curr = minH.poll();
    int i = curr.second;
    j = curr.third;
    result.add(curr.first);
    if (j+1 < karray.get(i).size) {
        minH.add( new Pair(karray.get(i).get(j+1), i, j+1));
    }
}
return result;

```

TC: $O(k \cdot N \cdot \log(k))$

43) Top K frequent elements.

in: [1, 1, 1, 2, 2, 3] k=2

ans = [1, 2]

```

HashMap<Integer, Integer> map = new HashMap();
for (i=0; i<a.length; i++) {
    map.put(a[i], map.getOrDefault(a[i], 0) + 1);
}

```

```

Priority Queue pq = new Priority Queue ((a, b) → map.get(a)
                                         map.get(b));
for(i=0; i < a.length; i++) {
    for (int k : map.keySet()) {
        pq.offer(k);
        if (pq.size() > k) pq.poll();
    }
    int ans[] = new int [m];
    for(i=k-1; i >= 0; i--) {
        ans[i] = pq.poll();
    }
    return ans;
}

```

Stack:

44) Nearest Smaller Element:

In - A = [4, 5, 2, 10, 8]

Ans = [-1, 4, -1, 2, 2]

```

ArrayList<Integer> result = new ArrayList();
Stack<Integer> st = new Stack();
for(i=0; i < A.length; i++) {
    while (!st.isEmpty() && A.peek() >= A.get(i)) st.pop();
    if (st.isEmpty()) result.add(-1);
    else result.add(st.peek());
    st.push(A.get(i));
}
return result;

```

45) LRU implementation: (Double LL & Hashmap)

class Node {

Node next, prev;

int key, val;

```
Node (int k, int v) {key = k; val = v;}
```

```
}
```

```
private Node head = new Node(0, 0), tail = new Node(0, 0)
```

```
HashMap<Integer, Node> map;
```

```
capacity
```

```
inner(Node n)
```

```
{ map.put(n.key, n);
```

```
n.next = head.next
```

```
n.next.prev = n
```

```
head.next = n
```

```
n.prev = head
```

```
}
```

```
remove (Node n)
```

```
{ map.remove(n.key)
```

```
n.prev.next = n.next; n.next.prev = n.prev
```

```
get (key)
```

```
{ if (map.containsKey(key)) {
```

```
Node n = map.get(key);
```

```
remove (n)
```

```
insert (n)
```

```
return n.value; }
```

```
}
```

```
else return -1;
```

```
}
```

```
put (key, val)
```

```
{ if (map.containsKey(key)) remove (map.get(key));
```

```
if (map.size == cap) remove (tail.prev)
```

```
insert (new Node (key, val)); }
```

```
}
```

46) Implement stack using array.

47) Implement stack using array.

48) Implement stack using Queue (1).

while adding element to queue
run a for loop from 0 to queue.size-1
and add the elements by removing the
first element.

TC $O(n)$ sc $O(N)$

49) Implement Queue using 2 stacks.

```
push (O(1))  
stack in, out;  
push (x);  
in.push(x);  
pop();  
while (!in.isEmpty())  
    out.push(in.pop());  
return out.pop();
```

TC : O(1) sc: O(2N)

50) Valid parentheses: In & "C" } or "[" or "]" or "["

```
for (char c : s.toCharArray ())
```

```
    if (c == 'C' || c == '}' || c == ']') st.push(c);
```

```
else {
```

```
    if (st.isEmpty() || return false;
```

char ch = st.pop();

if ((ch == 'a' && c == 't') || (ch == 'f' && c == 'f') ||
(ch == 'l' && c == 'l')) continue;

else return false;

}

TC: O(n) SC: O(n)

ii) Next greater element : (to the right)

in = [4, 5, 5] out = [5, 5, 4]

ans[i-1] = -1

st.push(ans[i-1])

for (i=n-2; i>=0; i--)

 while (!st.isEmpty() && st.top() <= ans[i]) st.pop();

 if (!st.isEmpty()) ans[i] = st.top();

 else ans[i] = -1;

 st.push(ans[i])

Same Quick Array is Circular:

A = [5, 10, 6, 2, 1, 2, 6, 7, 2, 9]

ans = [-1, -1, 6, 2, 6, 7, 9, 2, 9, 10]

for (i = 2*n-1; i >= 0; i--)

 while (!st.isEmpty() && st.top() <= ans[i % n]) st.pop();

 if (i % n) { ans[i] = -1; if (st.isEmpty()) ans[i] = st.top();
 else ans[i] = st.top();}

 st.push(ans[i])

{ when we

TC: O(N) SC: O(N)

52) Sorting a Stack (recursion)

```
sort(st) {
    if(st.isEmpty()) return;
    top = st.pop();
    sort(st); //removing the element and emptying stack.
    stackSort(st, top);
}

stackSort(st, curr) {
    if(st.isEmpty() || st.peek() < curr)
        st.push(curr) return;
    top = st.pop();
    stackSort(st, curr); //sorting and putting min.
    st.push(top);
}
TC: O(N!) (N!) SC: O(N)
```

53. LRU: DLL Hash Map:

```
class DLLNode {
    int key, value, frequency;
    DLLNode prev, next;
    DLLNode (k,v) {
        key = k;
        value = v;
        frequency = 1;
        prev = null;
        next = null;
    }
}
```

```
class DoublyLinkedList {
```

```
    int listsize;
```

```
    DLLNode head, tail;
```

```
    DoublyLinkedList() {
```

```
        head = tail = new DLLNode(0, 0);
```

```
        tail.next = head; head.prev = tail;
```

```
        listsize = 0;
```

```
}
```

```
    void addNode(DLLNode n) {
```

```
        n.next = head.next;
```

```
        n.prev = head;
```

```
        head.next = n;
```

```
        n.next.prev = n; listsize++;
```

```
}
```

```
    void removeNode(DLLNode d) {
```

```
        d.next.prev = d.prev; d.prev.next = d.next;
```

```
        d.prev.next = d.next; d.next.prev = d.prev;
```

```
        listsize--;
```

```
}
```

// two class one is Node and other is DoublyLL.

// LRU class has 3 int variable capacity = cap, maxSize = 0, minF = 1

```
Map<Integer, DLLNode> cache = new HashMap();
```

```
Map<Integer, DoublyLinkedList> frequencyList = new HashMap();
```

```
updateList(DLLNode node) {
```

```
    DoublyLinkedList list = frequencyList.get(node.frequency);
```

```
    list.removeNode(node);
```

```
    if (node.frequency == minFrequency && list.listsize == 0)
```

```
        minFrequency++;
```

```
node.frequency++;
DoublyLinkedList newList = frequencyList.getOrDefault(node.frequency,
    new DoublyLinkedList());
newList.addNode(node);
```

```
frequencyList.put(node.frequency, newList);
```

{

```
get(int key) {
```

```
if (!cache.containsKey(key)) return -1;
```

```
DLLNode n = cache.get(key);
```

```
updateList(n);
```

```
return n.value;
```

}

```
put(key, val) {
```

```
if (capacity == 0) return;
```

```
if (cache.containsKey(key)) {
```

```
DLLNode n = cache.get(key);
```

```
n.value = value; n.left = n.right; n.right = null;
```

```
updateList(n);
```

}

```
use {
```

```
useSize++;
```

```
if (useSize > capacity) {
```

```
DoublyLinkedList list = frequencyList.get(minFrequency)
```

```
list.remove(list.tail.prev, key);
```

```
list.removeNodeFromFrequencyList(list.tail.prev);
```

```
useSize--;
```

}

```
minFrequency = 1;
```

```
DoublyLinkedList list = frequencyList.getOrDefault(minFrequency, new Doubly
```

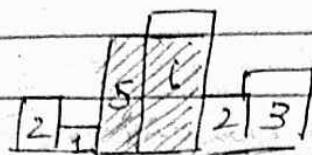
```
DLLNode n = new DLLNode(key, val);
```

```
list.addNode(n);
```

```
cache.put(key, n);
```

```
frequencyList.put(minFrequency, list);
```

54. Largest Rectangle in Histogram:



```
stack<int> st = new Stack<T>();
```

```
int leftsmall[] = new int[heights.length];
```

```
int rightsmall[] = new int[heights.length];
```

```
for (i=0; i<heights.length; i++) {
```

```
    while (!st.isEmpty() && heights[st.peek()] >= heights[i]) st.pop();
```

```
    if (st.isEmpty()) leftsmall[i] = 0;
```

```
    else leftsmall[i] = st.peek() + 1;
```

```
    st.push(i);
```

```
} // Then Empty the stack:
```

```
for (i=heights.length-1; i>=0; i--) {
```

```
    while (!st.isEmpty() && heights[st.peek()] >= heights[i]) st.pop();
```

```
    if (st.isEmpty()) rightsmall[i] = n - 1;
```

```
    else rightsmall[i] = st.peek() - 1;
```

```
    st.push(i);
```

```
}
```

```
// (rightsmall[i] - leftsmall[i] + 1) * heights[i]
```

```
for (i=0; i<n; i++) {
```

```
    max = Math.max(max, (rightsmall[i] - leftsmall[i] + 1) * heights[i]);
```

```
return max;
```

```
Tc = O(N) + O(N) + O(N) + O(N) + O(N)
```

```
Sc = O(3N)
```

55) Sliding Window Max:

IN = [1 3 1 -3 5 3 6 7] K = 3

OUT = [3, 3, 5, 5, 6, 7]

Deque <Integer> d = new ArrayDeque();

int ans[] = new int[nums.length - k + 1];

r = 0;

for (i = 0; i < n; i++)

{ while (d.isEmpty() || d.peek() == i - k) d.poll();

while (!d.isEmpty() && nums[d.peekLast()] < nums[i])

d.pollLast();

dequer(i);

if (i >= k - 1) { ans[r++ - 1] = d.peek(); }

return ans;

TC: O(N) SC: O(K)

56) Min Stack:

TC: O(1)

Stack <long> st, min;

push(val)

{ if (st.isEmpty()) st.push(val), min = val;

else {

if (val < min) { st.push(2 * val - min), min = val; }

else { st.push(val); }

}

pop()

if (st.isEmpty()) return;

long val = st.pop();

```
if (val < min) min = val + min - val;
```

```
} top() {
```

```
long val = st.pop();
```

```
if (val < min) { return min.intValue(); }
```

```
else return st.pop().intValue();
```

```
}
```

```
getMin() {
```

```
long return min.intValue();
```

```
for (int i = 0; i < row; i++)
```

5+ Min time to rotten all oranges \rightarrow

R	N	N
N	N	
N	N	

ans 4.

```
for (int i = 0; i < row) {
```

```
for (j = 0; j < col) {
```

```
if (grid[i][j] == 0) total++; new
```

```
if (grid[i][j] == 2) q.offer(new int[]{i, j});
```

```
}
```

$dy[3] = \{0, 0, 1, -1\}$ $dx[3] = \{1, -1, 0, 0\}$

```
while (!q.isEmpty()) {
```

```
size = q.size();
```

```
cnt += size;
```

```
while (size-- > 0) {
```

```
int arr[] = q.poll();
```

```
for (i = 0; i < 4) {
```

$x = dx[i] + arr[0]$ $y = dy[i] + arr[1]$

```
if ( $x < 0 || y < 0 || x >= row || y >= col || grid[x][y] \neq 1$ )
```

continue;

```
grid[x][y] = 2
```

```
q.offer(new int[] {x, y});
```

```

    if(g.size() != 0) min +=;
}
return total == cnt ? min : -1;
TC O(n*n)*4 SC = O(n*n)

```

58) StockSpan:

↳ last day's where stock was low then current day.

in = [100, 80, 60, 70, 60, 75, 85] ans = [1, 1, 1, 2, 1, 4, 6]

stack<int> st;

day = 0

next(price)

```

if (day == 0) { st.push(new int[2]{price, 0}); }
day++;
return?

```

while (!st.isEmpty() && st.peek()[0] <= price) { st.pop(); }

if (st.isEmpty()) { ans = day + 1; }

else { ans = day - st.peek()[1]; }

st.push(new int[2]{price, day});

day++;

return ans;

TC: O(N)

59) Maximum of Min for every window size:

in = [8 3 4 2 4] out = [4 3 3 2 2]

// Create an ans array of length n and assign Integer.MIN

// Count the prev small for each element if st.empty

// the assign 1

// Count next small for each element if st.empty assign

```
for (i=0; i<n) {
```

```
    knw = mat[i] - prev[i] - 1
```

```
    ans[i+1] = Math.max(ans[i], arr[i]);
```

```
}
```

// some iterations are not filled

```
for (i=n-2; i>=0)
```

```
{ ans[i] = Math.max(ans[i], ans[i+1]);
```

```
}
```

```
T: O(N) SC: O(N)
```

80) Celebrity problem: find celebrity (a person known to all and who knows no one)

```
i = 2
```

```
out = L
```

```
know(0, 1) = T know(1, 2) = F know(2, 1) = T
```

```
know(0, 2) = T know(1, 0) = F know(2, 0) = T.
```

Push all ids on \rightarrow stack.

```
while (st.size > 1) {
```

```
a = st.pop(), b = st.pop();
```

```
if (knows(a, b)) st.push(b);
```

```
else st.push(a)
```

```
}
```

```
celeb = st.pop();
```

```
boolean knows = false knownBy = true;
```

```
for (i=0; i<n; i++) {
```

```
    if (i != celeb && knows(celeb, i)) knows = true; knownBy = false;
```

```
    for (j=i+1; j<n) { if (j != celeb && !knows(i, celeb)) knownBy = false;
```

```
        break;
```

```
    if (!knownBy && knownBy) return celeb;
```

```
return -1;
```

```
TC: O(N) SC: O(1)
```

two pointers can be used
start id = 0 and end id = n-1

// while (start < end)

if (knows (start, end)) start++
else { st. end--;

but is same as previous

Web = start;

TC = O(N) SC = O(1)

String:

61) Reverse words in string (remove unexpected spaces)

i = s.length() - 1

while (i >= 0) {

 while (i >= 0 && s.charAt(i) == ' ') i--;

 int j = i;

 if (j >= 0) {

 while (j >= 0 && s.charAt(j) != ' ') j--;

 ans += s.substring(i+1, j+1);

 ans += " ";

}

 return ans.substring(0, ans.length() - 1);

TC : O(N) SC = O(1)

62) longest palindromic substring (if two with max return
the one at start).

in = ababc out = aba.

expandDiameter (str, left, right)

{ start = left end = right

 while (left >= 0 and end < str.length()) { if (str.charAt(left) == str.charAt(end))

 start--; end++;

 str.charAt(end))

return (end - start - 1);

}

start = 0, end = 0

for (i=0 to str.length();)

{ dn1 = expandDistance(str, i, i); // even length

dn2 = expandDistance(str, i, i+1); // odd length

dn = max(dn1, dn2);

if (dn > end - start + 1) {

start = i - (dn-1)/2;

end = i + dn/2;

} return str.substring(start, end+1);

}

TC = O(N²)

SC: O(1)

63 a) Roman to Integer :- IN = IX OUT = 9

for (i = s.length() - 1; i >= 0) {

ch = s.charAt(i);

if (ch == 'I') ans += 1;

else if (ch == 'V') ans += 5

else if (ch == 'X') ans += 10

else if (ch == 'L') ans += 50

else if (ch == 'C') ans += 100

else if (ch == 'D') ans += 500

else if (ch == 'M') ans += 1000

else

if (i == s.length() - 1) {

if (s.charAt(i+1) == 'V' || s.charAt(i+1) == 'X' || s.charAt(i+1) == 'L' || s.charAt(i+1) == 'C')

ch == 'I') ans -= 2;

else if (s.charAt(i+1) == 'L' || s.charAt(i+1) == 'C' || s.charAt(i+1) == 'X' || s.charAt(i+1) == 'V')

```

else if ((s.charAt(i+1) == 'D' || s.charAt(i+1) == 'M') && s.charAt(i) == 'C')
    ans -= 200;
}
return ans;
}

```

TC : O(N) SC : O(1)

7) Integer to roman :

divi[] = {1000, 900, 500, 400, 100, 90, 50, 40, 10, 9, 5, 4, 1}

String rom = {"M", "CM", "D", "CD", "C", "XC", "L", "XL", "X", "IX", "V", "IV", "I"};

for (i=0; i < divi.length; i++) {

if (num/divi[i] != 0) {

count = num/divi[i];

while (count-- > 0) {

ans += rom[i];

}

num = num % divi[i];

}

return ans;

TC : O(N) SC : O(1)

64) atoi

" -42 " ans = -42 int.

s.strip() // lead and trailing white space remove

for (i=0; i < s.length(); i++) {

ch = s.charAt(i);

if ((ch >= '0' && ch <= '9') || (ch == '+' || ch == '-') && i == 0)

{ s = s.substring(0, i); }

break;

```
if (1.length == 0 || (2.length == 1 && (3.charAt(0) == '+' ||  
3.charAt(0) == '-'))
```

```
    return 0;
```

```
    double d = Double.parseDouble(1);
```

```
    return -(int) Math.floor(d);
```

```
TG: O(N) SC: O(1)
```

by strtr:

min -> here we will find 1st occurrence of n in

```
return haystack.indexOf(needle);
```

```
first = needle.charAt(0)
```

```
if (haystack.length() < needle.length()) break;
```

```
    ind = -1, count = flag = 0;
```

```
    for (i=0; i<haystack.length() - needle.length(); )
```

```
        if (first == haystack.charAt(i))
```

```
            for (j=0; j<needle.length(); )
```

```
                if (needle.charAt(j) == haystack.charAt(i+j))
```

```
                    count++
```

```
                else break;
```

```
            if (count == needle.length()) { ind = i; flag = true; }
```

```
        count = 0;
```

```
        if (flag) break;
```

```
} return ind;
```

```
TG: O(N) SC: O(1)
```

(5) LCP (longest common prefix)

$st = ["flower", "flow", "fl"]$ ans = fl

if ($strs == \text{null}$ || $strs.length == 0$) return "";

int low = 0, high = ~~MAX-VALUE~~

for (String s : str) { high = Math.min (high, st.length); }

while (low <= high) {

mid = (low + high) / 2;

if (common(strs, mid)) ~~mid~~ low = mid + 1;

else ~~high~~ high = mid - 1;

}

return str[0].substring(0, (low + high) / 2);

common (String str[], mid)

String match = str[0].substring(0, mid);

for (i = 1; i < str.length; i) {

if (!str[i].startsWith(match)) return false

return true;

}

TC : O($S \log m$) SC : O(1)

(6) Repeated String Match:

a = abcd, b = cdabcdab

how many times a must be repeated to get b as a substring of a.

String tm = a

```

        npt = b.length/a.length;
        count = 1
        for(i=0; i< npt; i++) {
            if(a.contains(b)) return count;
            else {
                a += t[n];
                count++;
            }
        }
        return -1;
    }

```

* Rabin Karp (for finding pattern in string).

$m = \text{str.length}$ $n = \text{pat.length}$

prime = 31 mod = 998244353;

ArrayList<Long> primePower, h, ~~hArr~~

// add 0 in primePower for m times

primePower.add(0, (long) 1)

for(i=1; i<m) {

primePower.add(i, (primePower.get(i-1) * prime) % mod);

}

// add m+1 0 in h.

for(i=0; i<m) {

h.set(i+1, (h.get(i) + (at.charAt(i) - 'A' + 1) * primeNo.get(i)) % mod);

}

long hashP = 0;

for(i=0; i<n) {

hashP = (hashP + (pat.charAt(i) - 'A' + 1) * primeNo.get(i)) % mod;

```

ArrayList<Integer> occurrences;
for (int i = 0; i + m - 1 < n; i++) {
    long curr = (h.get(m + i) + mod - h.get(i)) % mod;
    if (curr == result * primeNth.get(i) % mod) {
        occurrences.add(i);
    }
}
return occurrences;

```

T_i: O(m+n) ≈ O(M)

6x) Z-algorithm: to find all occurrences of pattern in a string.

```

concat = pat + "$" + str;
arr[i] = new arr[int(concat.length)];
left = 0 right = 0
for (i=1; i<n; i++) {
    if (i > right) {
        left = right = i;
        while (right < n && concat.charAt(right-left) == concat.charAt(right))
            right++;
        arr[i] = right - left
        right--;
    }
    else {
        k = i - left;
        if (arr[k] < right - i + 1) {
            arr[i] = arr[k];
        }
        else {
            left = i;
            while (right < n && concat.charAt(right-left) == concat.charAt(right)) {
                right++;
            }
            arr[i] = right - left
            right--;
        }
    }
}
// get index using if(arr[i] == pat.length())
for (i=1; i<n; i++) { ind = i - pat.length() - 1; } }
```

TC: O(N+M) SC = O(N+M)

62 KMP : (finding pattern in string)

find lps (pat, str, lps[i]) {

i = 1, m = n, lps[0] = 0;

while (i < m) {

if (pat.charAt(i) == str.charAt(m)) {

m = m - 1;

lps[i] = m;

i = i + 1;

else {

if (m != 0) { m = str.charAt(m - 1); }

else { lps[i] = m; i = i + 1; }

i = 0, j = 0;

while (i < str.length() & j < lps.length) {

if (str.charAt(i) == pat.charAt(j)) { i++; j++; }

if (j == pat.length()) { ind = i - 1; j = lps[i - 1]; }

else if (i < str.length() & str.charAt(i) != pat.charAt(j)) {

if (j == 0) j = lps[0];

else { i++; }

TC: O(N+M) SC: O(M)

70) Minimum characters for Palindrome.

Count of min char that need to be added at front.

```

lps (str, lps[])
{
    i = 1, len = 0, lps[0] = 0
    while (i < str.length())
    {
        if (str.charAt(i) == str.charAt(len))
        {
            len++;
            lps[i] = len;
            i++;
        }
        else
        {
            if (len != 0)
                lps[i] = lps[len - 1];
            else
                lps[i] = 0;
            i++;
        }
    }
}
    
```

```

minChar(str)
{
    Stringbuilder sb = new Stringbuilder(str);
    sb = sb.reverse();
    lps[] = new int[c.length()]
    string c = str + "$" + sb.toString();
    lps(c, lps);
    return str.length() - lps[c.length() - 1];
}
    
```

TC: O(N) SC: O(N)

#1 check for Anagram : different words having same number of letters and same letters.

if (list1 == list2) out = true

```

if (str1.length != str2.length) return false
int NO_OF_ITER = 256
int hash[] = new int[NO_OF_ITER];
for (i=0; i<256; i++) {
    hash[i] = 0;
}
int i;
for (i=0; i<str1.length; i++) {
    hash[str1.charAt(i)]++;
    hash[str2.charAt(i)]--;
}
for (i=0; i<256; i++) {
    if (hash[i] != 0) { return false; }
}
return true;

```

TC: $O(N)$ SC: $O(1)$

$$72) \text{ Count & Day : } \begin{matrix} \text{eg } u = (1) - 11 \\ (2) = .21 \\ (3) = 1211 \end{matrix}$$

```

String ans = "L";
int iter = n-1;
while (iter-- > 0) {

```

curInd = 0,

temp = "";

```

ArrayList<Integer> content = new ArrayList<>();
while (curInd < ans.length()) {
    curChar = ans.charAt(curInd);
    charCount = 0

```

```

while (currInd < s.length && s.charAt(currInd) == currChar) {
    charCount++;
    currInd++;
}
temp += currChar;
count.add(charCount);
}

s = "";
for (i=0; i < count.size(); i++) {
    s += ('0' + count.get(i));
    s += temp.charAt(i);
}
return s;
}

```

TC: O(N²)

SC: O(m)

↳ length of final string

73) Compare Version numbers.

a) type

ArrayList<String> v1 = new ArrayList<String>(Arrays.asList(v1.split("\\.")))

Same for v2 ArrayList.

If add extra 0 to small array

while (v1.size() < v2.size()) v1.add("0");

while (v2.size() < v1.size()) v2.add("0");

for (i=0; i < v1.size(); i++) {

int rV1 = Integer.parseInt(v1.get(i));

rV2 = " " . (v2.get(i));

if (v1 < v2) return -1;

```

    if (v2 < v1) return 1;
}

```

```
return 0;
```

TC (ON) SC: O(2N)

b) Type 2: without ~~not~~ (illegal)

```
removeTrailingZero(String a) {
```

```
    p = a.length - 1;
```

```
    for (i = a.length - 1; i >= 1; i--) {
```

```
        if (a.charAt(i) == '0' & a.charAt(i - 1) == '.')
```

```
            p -= 2; }
```

```
    else break;
```

```
}
```

```
    return a.substring(0, p + 1);
```

```
}
```

a = removeTrailingZero(a)

b = removeTrailingZero(b)

start1 = 0, start2 = 0, end1 = 0, end2 = 0

```
while (true) {
```

```
    while (end1 < a.length && a.charAt(end1) != '.') end1++;
```

```
    while (end2 < b.length && b.charAt(end2) != '.') end2++;
```

```
    if (end1 > end2) return 1;
```

```
    else if (end1 < end2) return -1;
```

```
    for (i = start1; i < end1; i++) {
```

```
        if (a.charAt(i) > b.charAt(i)) return 1;
```

```
        else if (b.charAt(i) > a.charAt(i)) return -1;
```

```
}
```

```
    if (end1 == a.length && end2 == b.length) return 0;
```

```

if (end1 == a.length) return -1;
else if (end2 == b.length) return 1;
start1 = end1 start2 = end2
end1++, end2++;
    
```

TC: $O(N+M)$ SC: $O(1)$

Tree :

74) Inorder:

a) Recursive:

```

if (root != null) {
    inorder(root.left)
    arr.add(root.val)
    inorder(root.right)
}
return arr;
    
```

b) Iterative:

```

Stack<TreeNode> st = new Stack();
node = root
while (true) {
    if (node != null) {
        st.push(node)
        node = node.left;
    }
    else {
        if (st.isEmpty()) break;
        node = st.pop();
        arr.add(node.val);
        node = node.right
    }
}
return arr;
    
```

TC: $O(N)$ SC: $O(N)$

75. Preorder:

```
a) if (root != null) {  
    arr.add(root.val);  
    preorder(root.left);  
    preorder(root.right);  
}  
return arr.
```

b)

```
Stack<TreeNode> st = new Stack<>();  
if (root == null) return arr;  
st.push(root);  
while (!st.isEmpty()) {  
    temp = st.pop();  
    arr.add(temp.val);  
    if (temp.right != null) st.push(temp.right);  
    if (temp.left != null) st.push(temp.left);  
}  
return arr;
```

TC : O(N)

SC : O(N)

76) PostOrder

```
a) if (root != null) {  
    postOrder(root.left);  
    postOrder(root.right);  
    arr.add(root.val);  
}
```

return arr

b) Stack<TreeNode> st = new Stack();
 TreeNode cur = root;
 while (cur != null ^{|| lnt.isEmpty()}) {
 if (cur == null) { st.push(cur); cur = cur.left; }
 else {
 temp = st.pop().right;
 if (temp == null) {
 temp = st.pop();
 arr.add(temp.val);
 while (lnt.isEmpty() && temp == st.pop().right) {
 temp = st.pop();
 arr.add(temp.val);
 }
 }
 }
 }
 return arr;
}

TC: O(N) SC: O(N)

7) Morris Inorder (Threaded BT)

cur = root;

```
while (cur != null) {
  if (cur.left == null) {
    ans.add(cur.val);
    cur = cur.right;
  }
  else {
    cur = cur.left;
  }
}
```

TreeNode prev = cur.left;

while (prev.right != null && prev.right == cur) {
 prev = prev.right

}
if (prev.right == null) {

prev.right = cur;

cur = cur.left;

}

else {

prev.right = null

ans.add(cur.val)

cur = cur.right;

}

}

return ans;

TC: O(N) SC: O(1)

* Find all numbers less than n whose digit sum absolute diff 1

L

eg $n = 20$ ans = 10 12

Queue<long> q = new LinkedList<Long>();

q.add(1L);

while (!q.isEmpty) {

step = q.poll();

if ($\text{sum}(step) < n \text{ and } \text{sum}(step) \geq 10$) ans.add(step);

if ($\text{sum}(step) < 0 \text{ or } \text{sum}(step) > n$) continue;

pre = step;

lastD = step % 10

prev = $\frac{step - 10}{10} + (lastD - 1)$

prev = step - 10 + (lastD + 1)

```

if (lastD == 0) q.offer(p);
else if (lastD == 1) q.offer(p);
else { q.offer(p); q.offer(p); }

}

Collections.sort(ans);
return ans;
}
    
```

78) left view / Right view of a tree.

```

leftView (root, ans, d) {
    if (root == null) return;
    if (ans.size == depth) ans.add(root.val);
    leftView (root.left, ans, d+1);
    leftView (root.right, ans, d+1);
}
    
```

// for right

```

rightView (root.right, ans, d+1)
rightView (root.left, ans, d+1)
    
```

TC: O(N) SC: O(N)

79) Bottom View:

```

Queue<Node> q = new Queue();
Map<Integer, Integer> map = new TreeMap();
root.hd = 0
q.offer(root)

while (!q.isEmpty()) {
    Node t = q.poll();
    int hd = t.hd;
    map.put(hd, t.val);
}
    
```

```

if (t.left != null) { t.left.hd = hd - 1; map.put
    q.add(t.left);
}

if (t.right != null) { t.right.hd = hd + 1;
    q.add(t.right);
}

for (Map.Entry<Integer, Integer> m: map.entrySet()) {
    ans.add(m.getValue());
}

return ans;

```

TC: O(N) SC: O(N)

80) Top View:

```

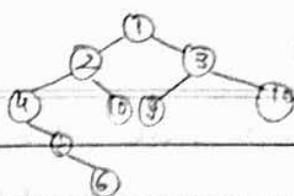
Pair q = new LinkedHashSet<>();
Map<Integer, Integer> map = new TreeMap<>();
q.add(new Pair(root, 0));
while (!q.isEmpty()) {
    Pair p = q.poll();
    Node t = q2[p.node];
    int l = p.l;
    if (!map.containsKey(l)) map.put(l, t.val);
    if (t.left != null) {
        q.offer(new Pair(t.left, l - 1));
    }
    if (t.right != null) {
        q.offer(new Pair(t.right, l + 1));
    }
}

```

return ans;

TC: O(N) SC: O(N)

8) Vertical order traversal



Ans: 4 2 5 1 3 10 6 3 10

class Tuple { Node n; int x, y; }

```

TreeMap<Integer, TreeMap<Integer, PriorityQueue<Integer>> map;
PriorityQueue<Tuple> q = new LinkedList<Tuples>;
q.offer(new Tuple(root, 0, 0));
while (!q.isEmpty()) {
    Tuple t = q.poll();
    Node n = t.n;
    int x = t.x, y = t.y;
    if (!map.containsKey(x)) map.put(x, new TreeMap<Integer, PriorityQueue<Integer>>());
    if (!map.get(x).containsKey(y)) map.get(x).put(y, new PriorityQueue<Integer>());
    map.get(x).get(y).offer(n.data);
    if (n.left != null) q.offer(new Tuple(n.left, x+1, y+1));
    if (n.right != null) q.offer(new Tuple(n.right, x+1, y+1));
}
for (TreeMap<Integer, PriorityQueue<Integer>> ys : map.values()) {
    list.add(new ArrayList<>());
    for (PriorityQueue<Integer> pq : ys.values()) {
        while (!pq.isEmpty()) {
            list.get(list.size()-1).add(pq.poll());
        }
    }
}
return list;
}
  
```

 $T: O(N \log N + \log N + \log N)$ $S: O(1^N)$

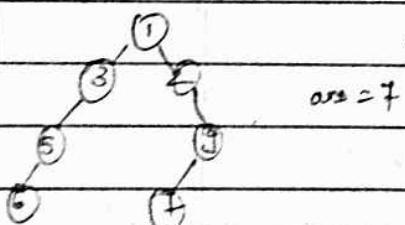
Q2) Path to given Node:

```
if (a == null) return;
helper(a, b, ans);
Collections.reverse(ans);
return ans;

helper (Node a, int b, ans) {
    if (a == null) return false;
    if (a.val == b) ans.add(a.val); return true;
    if (helper(a.left, b, ans) || helper(a.right, b, ans))
        ans.add(a.val);
    return true;
}
return false;
```

T(: O(N) Ic : O(1)

Q3) Max width of binary tree : (including null nodes between leftmost non-null & rightmost non-null node).



```
Queue<Pair> q = new LinkedList<>();
q.offer(new Pair(root, 0));
int max = 0;
while (!q.isEmpty()) {
    size = q.size();
    min = q.peek().num; // for handling overflow
    int left = right = 0;
    for (i=0; i<size; i++) {
        Pair p = q.poll();
        Node n = p.node;
        int num = p.num - min;
```

```

if (i == 0) first = num;
if (i == size - 1) last = num;
if (n.left != null) q.offer(new Pair(n.left, 2 * num + 1));
if (n.right != null) q.offer(new Pair(n.right, 2 * num + 2));
}
max = Math.max(max, right - left + 1);
}
return max;
}

TC: O(N)
SC: O(N)

```

84) Level order traversal :



```

if (root == null) return one;
Queue<Node> q = new LinkedList<>();
q.offer(root);
while (!q.isEmpty()) {
    size = q.size();
    sub = new ArrayList<>();
    for (i=0; i<size; i++) {
        Node n = q.poll();
        sub.add(n.val);
        if (n.left != null) q.offer(n.left);
        if (n.right != null) q.offer(n.right);
    }
    ans.add(new ArrayList(sub));
}
return ans;
}

TC: O(N)
SC: O(N)

```

85) Height of Binary tree:

Recursive:

```
{ if (root == null) return 0;
```

```
return Math.max (1 + maxDepth (root.left),
```

$H_{maxDepth}$

(root.right))

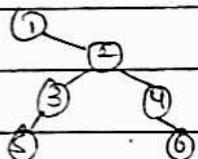
```
}
```

SC: $O(1) + O(N)$ $N = \text{height of tree}$

TC: $O(N)$.

Iterative: level order traversal.

86) Diameter of tree: longest path between any two node possibly root or not.



ans = 4.

$d[] = \text{int}[1]$;

height (root, d)

return $d[0]$;

height (root, d) {

if (root == null) return 0,

l = height (root.left, d);

r = height (root.right, d);

$d[0] = \text{Max}(d[0], l+r)$

return l + Math.max (l, r);

Q7) Check if balanced binary tree;

```

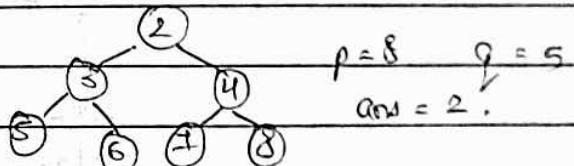
    {
        if (root == null) return true;
        return height(root) != -1;
    }

height (root)
    if (root == null) return 0;
    l = height (root.left);
    if (l == -1) return -1;
    r = height (root.right);
    if (r == -1) return -1;
    if (Math.abs (l-r) >= 2) return -1;
    return 1 + Math.max (l,r);
}

```

TC: O(N) SC: O(1)

88) Lowest Common Ancestor :



$$p = 8 \quad q = 5 \\ \text{and } = 2.$$

lca (root, p, q)

```

    {
        if (root == null || p == root || q == root) return root;
        l = lca (root.left, p, q);
        r = lca (root.right, p, q);
        if (l == null) return right;
        else if (right == null) return left;
        else return root;
    }

```

TC: O(N) SC: O(N) Aux space.

89) Check if two trees are identical or not:

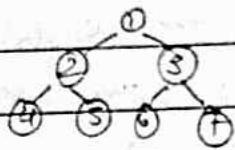
```

    {
        if (p == null && q == null) return true;
        if (p == null || q == null) return false;
        return p.val == q.val && fun(p.left, q.left) && fun(p.right, q.right);
    }

```

TC: $O(\min(M, N))$ SC: $O(\min(H_1, H_2))$

90) ZigZag Traversal:



ans: [1, 3, 2, 4, 5, 6, 7]

```
queue<TreeNode> q;
q.offer(root); flag = true;
while(!q.isEmpty()) {
    size = q.size();
    for(i=0; i<size; i++) {
        TreeNode n = q.poll();
        if(flag) ans.add(n.val);
        else ans.add(0, n.val);
        if(n.left != null) q.offer(n.left);
        if(n.right != null) q.offer(n.right);
    }
}
```

ans.add(ans),

flag = !flag

return ans

}

TC: $O(N)$ SC: $O(N)$

91) Boundary Traversal:

left(root, ans) {

if (root == null || (root.left == null && root.right == null))
 return;

ans.add(root.val)

if (root.left != null) left(root.left, ans)

else left(root.right, ans)

}

```
right (root, ans) {
```

```
if (root == null || (root.left == null and root.right == null))
```

```
    return true;
```

```
if (root.right != null) right (root.right, ans)
```

```
else right (root.left, ans) ans.add (root.val)
```

```
}
```

```
leaf (root, ans) {
```

```
if (root == null) return
```

```
if (root.left == null & root.right == null) ans.add (root.val)
```

```
return
```

```
leaf (root.left, ans)
```

```
leaf (root.right, ans)
```

```
}
```

```
node () {
```

```
if (root == null) return
```

```
ans.add (root.val)
```

```
left (root.left, ans)
```

```
leaf (root.left, ans)
```

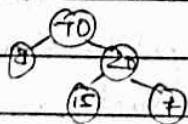
```
leaf (root.right, ans)
```

```
right (root.right, ans)
```

$O(N)$

$O(N)$

92) Path Sum:



$ans = 42$

```
int d[0] = ans { Integer.MIN_VALUE }
```

```
max (root, d)
```

```
return d[0];
```

```

max (root, d) {
    if (root == null) return 0;
    l = Math.max(max(root.left, d), 0)
    r = Math.max(max(root.right, d), 0);
    d[0] = Math.max(d[0], r+l+root.val);
    return Math.max(r, l)+root.val;
}

```

TC: O(N) SC: O(N)

33) Construct tree from Inorder & preorder traversal:-

build (ino, pre)

```

    {
        Map<int, int> m;
        for (i=1 to n)
            map.put(in[i], i);
    }

```

return construct (pre, 0, pre.length-1, in, 0, in.length-1, map);

}

construct (pre[i], startpre, endpre, in[i], startin, endin, map)

if (startpre > endpre || startin > endin) return null;

root = new TreeNode (pre[startpre])

ind = map.get (root.val);

numleft = ind - startin;

root.left = construct (pre, startpre+1, startpre+numleft, in, startin, ind-1, map);

root.right = construct (pre, startpre+numleft+1, endpre, in, ind+1, endin, map);

return root;

{ TC: O(N) SC: O(N) }

94) Construct Tree using inorder & postorder traversal

```

build(inorder, post) {
    return helper(postorder, 0, post.length - 1,
                 in, 0, in.length - 1)
}

helper(post, startp, endp, in, starti, endi) {
    if (startp > endp || starti > endi) return null;

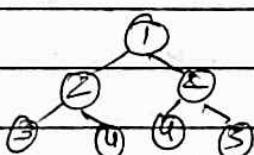
    TreeNode root = new TreeNode(post[endp]);
    for (i = starti; i <= endi; i++) {
        if (in[i] == root.val) {
            k = i; break;
        }
    }
    root.left = helper(post, startp, startp + k - starti - 1, in,
                       starti, k - 1);
    root.right = helper(post, startp + k - starti, endp - 1,
                        in, k + 1, endi);
    return root;
}

```

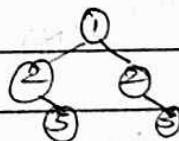
$T^C: O(N)$

$S^C: O(N)$

95) Symmetric tree :



ans = true



ans false

```
isSym(root) {
```

```
    if (root == null) return true;
```

```
    return helper(root.left, root.right);
```

```
}
```

```

    helper (r1, r2) {
        if (r1 == null || r2 == null) return r1 == r2;
        boolean l = r == false;
        if (r1.val == r2.val) {
            l = helper(r1.left, r2.right);
            r = helper(r1.right, r2.left);
        }
        return r & l;
    }

```

TC: $O(N)$ SC: $O(N)$

96) flatten binary tree to li : preorder
trans right left, root.

```

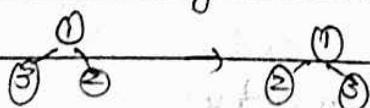
    pvt = null
    flatten(root) {
        if (root == null) return;
        flatten(root.right);
        flatten(root.left);
        root.right = pvt;
        root.left = null;
        pvt = root;
    }

```

$O(N)$

$O(N)$

97) Check binary tree is Mirror of itself :



```

    if (root == null) return;
    root = helper(root)

```

```
Node helper(root) {
```

```
    if (root == null) return null;
```

```
    Node temp = helper(root.left);
```

```
    root.left = helper(root.right);
```

```
    root.right = temp;
```

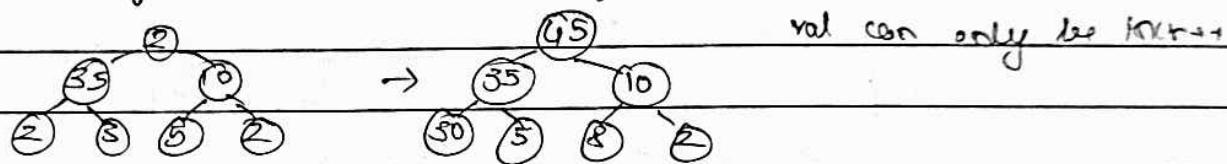
```
    return root;
```

```
}
```

TC: O(N) SC: O(1), (with recursive stack).

98) Children sum property:

val of a node = value of its children nodes



```
fun () {
```

```
    if (root == null || root.left == null || root.right == null)
```

```
        return;
```

```
    diff = root.val - (root.left != null ? root.left.val : 0) + (root.right != null ? root.right.val : 0);
```

```
    if (diff > 0) {
```

```
        if (root.left != null) root.left.val += diff
```

```
        else if (root.right != null) root.right.val += diff
```

```
}
```

```
    fun (root.left)
```

```
    fun (root.right)
```

```
    root.val val = (root.left != null ? root.left.val : 0) + (root.right != null ? root.right.val : 0);
```

```
{
```

TC: O(N)

SC: O(N)

Array :

99) Set Matrix zero:

if an ele is 0 set entire row and col as 0.

is Col =

is Col = false

for (i=0; i<row; i++) {

 if (mat[i][0] == 0) isCol = true;

 for (j=1; j<col; j++) {

 if (mat[i][j] == 0) {

 mat[i][0] = 0;

 mat[0][j] = 0;

}

}

 for (i=sow-i; i>=0; i--) {

 for (j=col-1; j>=1; j--) {

 if (mat[i][0] == 0 || mat[0][j] == 0) mat[i][j] = 0;

}

 if (isCol == true) {

 mat[i][0] = 0

}

}

TC: O(2 * (N * M)) SC: O(1)

100) Pascal triangle:

1
1 1

given a number
return first numRow of

1 2 1

Pascal triangle.

1 3 3 1

1 4 6 4 1

```

List<List<Int>> gen(int numRows) {
    List<List<Int>> list = new ArrayList<List<Int>>();
    for (int i=0; i<numRows; i++) {
        ArrayList<Int> l = new ArrayList<Int>();
        for (int j=0; j<=i; j++) {
            if (j==i || j==0) l.add(1);
            else {
                l.add(list.get(i-1).get(j-1) + list.get(i-1).
                    get(j));
            }
        }
        list.add(l);
    }
    return list;
}

TC: O(numRows2) SC: O(numRows2)

```

101) Next permutation : input = [1 2 3] out = [1 3 2]
 next should be lexicographical = [3 2 1] out = [1 2 3]
 initially greater :

```

i = arr.length - 2;
if find start
of increasing
seg.
while (i >= 0 && arr[i] >= arr[i+1]) i--;
if (i >= 0) {
    j = arr.length - 1;
    while (arr[j] <= arr[i]) j--;
    swap(arr, i, j);
}
reverse (arr, i+1, arr.length - 1);

```

102) Maximum Subarray (Kadane's Algorithm)

nums = [5, -1, 7] ans = 23

```

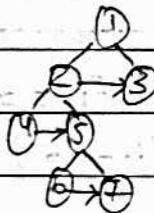
    } n = arr.length
    max = Integer.MIN_VALUE, sum = 0
    for (i=0; i<n; i++) {
        sum += arr[i]
        max = Math.max(max, sum);
        if (sum < 0) {
            sum = 0;
        }
    }
    return max;
}

```

O(N)

O(1)

103) Populate the next right pointer in each node



```

    } start = root
    while (start != null) {
        ptr = start
        prev = null
        start = null
        while (ptr != null) {
            if (ptr.left != null) {
                if (prev != null) {
                    prev.next = ptr.left;
                }
            }
            if (start == null) {
                start = ptr.left;
            }
            prev = ptr.left;
        }
    }
}

```

```

    if (ptr.right != null) {
        if (ptr != null) {
            ptr.next = ptr.right
        }
        if (start == null) {
            start = ptr.right
        }
        ptr = ptr.next;
    }
}

```

$O(n)$ $O(1)$

104) Search in BST :

```

while (root != null) {
    if (root.val == x) return root;
    else if (root.val > x) root = root.left;
    else root = root.right;
}
return null;

```

$O(n)$ - $O(1)$

105) Construct BST : given array in increasing order.

start = 0 end = arr.length - 1

bst(arr, start, end)

if (start > end) return null;

Node root = new Node(arr[(start + end) / 2]);

```

root.left = bst(arr, start, m-1);
root.right = bst(arr, start, m+1);
return root;
}
O(n) O(log(n));

```

105) Construct BST from preorder traversal:

```

root = new Node(prv[0]);
for(i=1; i < pr.length; i++) {
    construct(root, pr[i]);
}
return root;
}
construct(root, data) {
    if (root == null) {
        node = new Node(data);
        return node;
    }
    if (root.val > data) {
        root.left = construct(root.left, data);
    } else {
        root.right = construct(root.right, data);
    }
}

```

O(n²)

O(n²)

106) Check BT is a BST? partial BST left has val \leq root
right \geq root.

```

fun (root) {
    if (root == null) true;
    return helper (root, Long.MIN_VALUE, Long.MAX_VALUE);
}

helper (root, long min, long max) {
    if (root == null) return true;
    if (root.val < min || root.val >= max) return false;

    return helper (root.left, min, root.val) && helper (root.right, root.val, max);
}

```

$O(N)$ $O(1)$

107) Lowest common ancestor of BST:

```

d1 = p.val    d2 = q.val
cur = root
while (cur != null) {
    if (d1 > cur.val && d2 > cur.val) cur = cur.right
    else if (d1 < cur.val && d2 < cur.val) cur = cur.left
    else break;
}

return cur;

```

$O(N)$ $O(1)$

108) Inorder pre and successor of BST:

$key = 60$ and root given.

predecessor = ^{largest} smallest on LHS

successor = smallest on RHS

~~pre = -1~~ ~~succ = -1~~
while (~~pre > root.data != key~~) {

if (key > root.data) {

pre = root.data;

root = root.right;

}

else {

succ = root.data;

root = root.left;

}

leftsub = root.left;

while (leftsub != null) {

pre = ~~leftsub~~.leftsub.data;

leftsub = leftsub.right;

}

rightsub = root.right;

while (rightsub != null) {

succ = ~~rightsub~~.pre = rightsub.data;

rightsub = rightsub.left;

|

O(N) O(1)

109) Floor in BST : a key given, find greatest value less than equal to ~~bst.key~~.

pre = null;

while (root != null) {

if (root.data == val) return root.data;

else if (root.data > x) root = root.left;

```

else {
    prev = root;
    root = root.left;
}
return prev.data;
}
O(1)

```

- 110) Ceil in BST : given a key find smallest value greater than equal to key.

```

prev = null
while (root != null) {
    if (root.data == x) return x;
    else if (root.data > x) {
        prev = root;
        root = root.left;
    }
    else {
        root = root.right;
    }
}
return prev == null ? -1 : prev.data;

```

O(n) O(1)

- 111) Kth-smallest in BST :

```

count = 0, ans = 0
int kthSmallest(root, k) {
    search(root, k);
    return ans;
}

```

```

search (root, k) {
    if root == null return;
    search (root.left, k);
    count++;
    if (count == k) ans = root.val;
    search (root.right, k);
}

```

$O(\min(k, N))$

$O(\min(k, N))$

112 Kth largest element in BST:

```

int ans = 0
fun (root, k) {
    arr[0] = {k};
    search (root, arr);
    return arr[0];
}
search (root, k) {
    if (root == null) return;
    search (root.right, arr);
    arr[0]--;
    if (arr[0] == 0) ans = root.val;
    search (root.left, arr);
}

```

$O(\min(k, N))$

$O(\min(k, N))$

113 Two sum 4: a target k return true if there exists two elements such that their sum == k.

```

    fun(root, k) {
        Hashset<Integer> ht = new HashSet<>();
        return inorder(root, k, ht);
    }

    inorder(root, k, ht) {
        if (root == null) return false;
        if (ht.contains(k - root.val)) return true;
        ht.add(root.val);
        return inorder(root.left, k, ht) ||
            inorder(root.right, k, ht);
    }
}

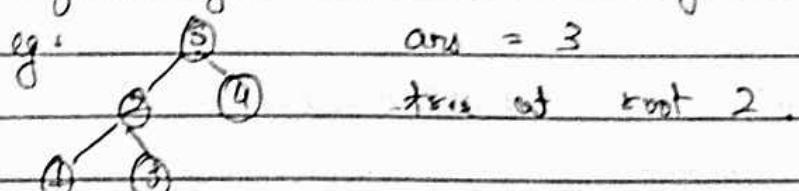
```

$O(n)$ $O(n)$

114) BST iterator:

- 1) Simple inorder traversal add elements in arraylist in ascending order, maintain pointer.
- 2) Maintain stack and fill all the elements from root to left when next() called pop the top element and check if top.right present if yes then ~~then~~ fill stack with the element and element in left leftMostInorder(). $O(1)$ Aug $O(n)$

115) size of largest BST in Binary tree:



class NodeVal {

 max, min, size;

 NodeVal (-max, -min, -size);

 max = -max, min = -min, size = -size

}

{

 return max(root).size;

NodeVal max (root) {

 if (root == null) {

 return new NodeVal (Integer.MIN_VALUE, Integer.MAX_VALUE, 0);

}

 NodeVal left = max(root.left);

 NodeVal right = max(root.right);

 if (left.max < root.val && root.val < right.min) {

 return new NodeVal (Math.max(left.max, root.val), Math.min(left.min, root.val), left.size + right.size + 1);

}

 return new NodeVal (Integer.MAX_VALUE, Integer.MIN_VALUE, left.size, right.size);

}

O(N)

O(N)

116) serialize and deserialize a binary tree.

```

serialize(TreeNode root) {
    if (root == null) return "";
    Queue<TreeNode> q;
    StringBuilder res;
    q.offer(root);
    while (!q.isEmpty()) {
        TreeNode n = q.poll();
        if (n == null) {
            res.append("n ");
            continue;
        }
        res.append(n.val + " ");
        q.offer(n.left);
        q.offer(n.right);
    }
    return res.toString();
}

deserialize(String data) {
    if (data == null || data.length() == 0) return null;
    Queue<TreeNode> q;
    String[] arr = data.split(" ");
    TreeNode n = new TreeNode(Integer.parseInt(arr[0]));
    q.offer(n);
    for (int i = 1; i < arr.length; i++) {
        TreeNode p = q.poll();
        if (!arr[i].equals("n")) {
            TreeNode left = new TreeNode(Integer.parseInt(arr[i]));
            p.left = left;
            q.offer(left);
        }
    }
}

```

```

if (!arr[i].equals("\n")) {
    TreeNode r = new TreeNode(Integer.parseInt(arr[i]));
    p.right = r;
    q.offer(r);
}
return n;
}
O(n) O(n)

```

Arrays:

112) sort, 0, 2, 2 [inplace]:
 in: [2, 0, 2, 1, 1, 0] out = [0 0 1 1 2 2]

```

low=0, high = len-1;
for (i=low; i<high; i++) {
    if (nums[i] == 2) {
        swap (nums, high, i);
        high--;
    }
    else if (nums[i] == 0) {
        swap (nums, low, i);
        i++;
        low++;
    }
}
i++;
O(n) O(1);

```

118) Stock Buy & Sell : Pick a buy price & a sell price ^{max profit} and
 $m = [4, 1, 5, 3, 6, 4]$ $mn = 6$

buy = prices[0];

max = Integer.MIN_VALUE.

for ($i=1$; $i < \text{prices.length}$; $i++$) {

if (buy > prices[i]) {

buy = prices[i];

}

max = Math.max(max, buy - prices[i]);

}

return max < 0 ? 0 : max;

}

O(n)

O(1)

119) Rotate Matrix 90°:

IMP

1	2	3	→	7	4	1
4	5	2		8	5	2
7	8	9		9	6	3

transpose (matrix)

reflect (matrix)

transpose (matrix) {

n = matrix.length;

for ($i=0$; $i < n$; $i++$) {

for ($j=i+1$; $j < n$; $j++$) {

temp = matrix[i][j]

matrix[i][j] = matrix[j][i]

matrix[j][i] = temp;

}

```

reflect (matrix) {
    n = matrix.length;
    for (i=0; i < n; i++) {
        for (j=0; j < n/2; j++) {
            temp = matrix[i][j];
            matrix[i][j] = matrix[i][n-j-1];
            matrix[i][n-j-1] = temp;
        }
    }
}

```

$O(N \cdot N + N \cdot N)$ $O(1)$

20) Merge Intervals:

eg: $[[1, 4], [2, 6], [8, 10], [15, 18]]$

out: $[[1, 6], [8, 10], [15, 18]]$

Collections.sort (Interval, (a, b) → a.get(0) - b.get(0))

ArrayList<List<Integer>> merge = ---;

```

for (i=0; i < interval.length; i++) {
    if (merge.isEmpty() || merge.get(merge.size() - 1).get(1) <
        interval.get(i).get(0)) {

```

ArrayList<Integer> v;

v.add(interval.get(i).get(0))

v.add(interval.get(i).get(1));

merge.add(v);

}

else {

merge.get(merge.size() - 1).set(1, Math.max(merge.get(merge.size() - 1).get(1), interval.get(i).get(1)));

}

return merge;

}

$$O(N \log N) + O(N) = O(N \log N)$$

 $O(N)$

- 121) Merge 2 arrays in increasing order : [in place]

$$arr_1 = [1, 2, 3, 0, 0, 0] \quad m = 3$$

$$arr_2 = [2, 5, 6] \quad n = 3$$

$$a_1 = m-1, \quad a_2 = n-1, \quad k = (m+n)-1;$$

while ($a_1 \geq 0 \text{ and } a_2 \geq 0$) {

if ($arr_1[a_1] > arr_2[a_2]$)

$num_1[k] = (arr_1[a_1] > arr_2[a_2]) ? arr_1[a_1-1] :$

$arr_2[a_2-1];$

$k--;$

}

while ($a_2 \geq 0$) {

$arr_2[k-1] = arr_2[a_2-1];$

}

}

$O(N) - O(1)$:

($\log n$) approach using gap method.

- 122) find duplicate in an array of $N+1$ integers.

find sum of first n natural numbers

find sum of arr element

take difference. $\leftarrow ans$

$O(n)$

$slow = arr[0], fast = arr[0];$

do {

$slow = arr[slow]$

$fast = arr[arr[fast]]$

{ while ($slow \neq fast$); }

fast = arr[0]

while (slow != fast) {

slow = arr[slow]

fast = arr[fast]

}

return slow;

{
O(n)

O(1)

128) Missing and Repeating number in an array.

[1, 3, 5, 4, 6]

ans [2, 6]

logic: take ele, make it ind, mark ind elem as -ve val,
if same ele appears the ind is repeating and
if a value is +ve the ~~ind~~ is missing

[1, 3, 5, 4, 6], [-1, 3, 5, 4, 6], [-1, 3, -5, 4, 6],
[-1, 3, -5, 4, -6], [-1, 3, -5, -4, -6], [-1, 3, -5, -4, -6] 6=4
as rep

for (int i=0; i<n; i++) {

if (arr.get(~~i+1~~ Math.abs(arr.get(i))-1) > 0) {

x = ~~abs~~(arr.get(i));

arr.set(x-1, -arr.get(x-1));

}

ans { r = ~~abs~~(arr.get(0)); }

}

for (i=0; i<n; i++) {

if (arr.get(i) > 0) { m = i+1; break; }

}

ans = {m, r}

return ans;

O(n) O(1)

(124) Count inversions :

Cond : 1) $i < j \Rightarrow arr[i] > arr[j]$ then inversion

$[2 \ 5 \ 1 \ 3 \ 4] = 4$

mergelort ($arr, 0, n-1$)

```

mergelort (arr, left, right) {
    long inv = 0;
    if (right > left) {
        inv = mergelort (
            mid = (left + right) / 2;
            inv += mergelort (arr, left, mid);
            inv += mergelort (arr, mid+1, right);
            inv += merge (arr, left, mid+1, right);
        }
        return inv;
    }
}

```

```

merge (arr, left, mid, right) {
    i = left, j = mid, k = 0;
    temp [ ] = new int [right - left + 1];
    long inv = 0;
}

```

```

while ((i < mid) && (j <= right)) {
    if (arr[i] <= arr[j]) {
        arr[k] = arr[i];
        i++;
        k++;
    }
}

```

```

else {
    inv += (mid - i);
    arr[k] = arr[j];
    k++;
    j++;
}

```

```

{
}
```

```

        while (i < mid) {
            temp arr[k] = arr[i]
            k++; i++;
        }

        while (j <= right) {
            temp [k] = arr[j]
            k++; j++;
        }

        for (i = left; i < right; i++) {
            arr[i] = temp[k];
        }

        return inv;
    }

```

$O(N + \log(N))$ $O(N)$

12) Search element in 2D Matrix:

1	3	5	7	9	11	13
10	11	16	20	21	22	23
23	30	34	60	61	62	63

ans = true

```

if (matrix.length == 0) return false;
lo = 0 hi = row * col - 1
while (lo <= hi) {
    if (mat[m] m = (low+high)/2
        if (mat[m/c][m%c] == tar) return true;
        else if (mat[m/c][m%c] < tar) { l = m+1;
            else { h = m-1; }
    }
}
return false;

```

$O(\log(mn))$ $O(1)$

12c) Pow(x, y) (Binary Exponential)

$$\text{eg: } x = 2.0000 \quad n = 10 \quad \text{ans} = 1024.0000$$

$$2) \quad x = 2.0000 \quad n = -2 \quad \text{ans} = \frac{1}{4} = 0.25$$

```

long nn = n;      ans = 1.0
if (nn < 0)    nn = nn * -1;
while (nn > 0) {
    if (nn % 2 == 1) {
        ans = ans * x;
    }
    nn--;
}
x = x * x;
nn = nn / 2;
if (n < 0) ans = 1 / ans;
return ans;

```

$\{$ $O(\log N)$ $O(1)$

12d) Find ele that appears more than $\lceil N/2 \rceil$ times.

(Moore's Voting algo)

[3 2 3 7] \Rightarrow 3

cond = 0

count = 0

for (num: nums) {

if (count == 0) cond = num;

if (num == cond) count ++;

else count --;

} $\{$ return cond;

? $O(N)$ $O(1)$

128) Majority element II: ele. having freq greater than $\lfloor N/3 \rfloor$
(there will be at max 2 elements)

```
num1 = -1, num2 = -1, col1 = 0, col2 = 0  
for (i=0; i < len; i++) {  
    if (num1 == arr[i]) { col1++; }  
    else if (num2 == arr[i]) col2++;  
    else if (col1 == 0) { num1 = arr[i]; col1 = 1; }  
    else if (col2 == 0) { num2 = arr[i]; col2 = 1; }  
    else { col1--; col2--; }  
}  
col1 = 0, col2 = 0  
for (i=0; i < len; i++) {  
    if (num1 == arr[i]) col1++;  
    else if (num2 == arr[i]) col2++;  
}  
if (col1 > n/3) ans.add(num1);  
if (col2 > n/3) ans.add(num2);  
return ans;
```

129) Count unique paths from top left to bottom right
right and down move allowed.

dp in : 2, 2 ans: 2
in : 3, 2 ans: 3

```
dp[1][] = new int[m+1][n+1];  
for (int row[] : dp) Arrays.fill(row, -1);  
return count(0, 0, m, n, dp);
```

Count (i, j, m, n, de)

if ($i == m - 1$ \wedge $j == n - 1$) return 1;

if ($i > m$ || $j > n$) return 0;

if (dp[i][j] != -1) return dp[i][j];

else return $dp[i][j] = \text{cover}(i+1, i, m, n, dp)$

+ count(i, j+1, m, dp)

一〇三

$$\underline{\Theta(n) \ O(n^m)}$$

Combinatoric logic: there are $m+n-2$ steps to reach the end. and we need exact $n-1$ or $m-1$ right and down moves respectively.

$$N = m+n-2$$

$$\gamma = m - 1 \cdot (\text{width}) + 1 \cdot n + 1 \cdot r$$

$$\gamma_{20} = 1$$

for ($i=1$; $i \leq r$; $i++$) {

$$r_u = r_u + (1 - r + i) / i;$$

return (int) res;

$$O\left(\min(p, m)\right)$$

130

Count inversion pairs:

a pair having 1) $i < j$ 2) $a[i] > 2 * a[j]$

$$\text{Eq. } \begin{array}{cccc} 1 & 8 & 2 & 3 \\ \hline 1 & 8 & 2 & 3 \end{array} \quad \text{at } s = 2$$

6.1 6.2

```
return mergeSort (num, 0, num.length - 1)
```

```
mergeSort (num, low, high) {
    if (low >= high) return 0;
    int mid = (low + high) / 2
    inv = mergeSort (num, low, mid)
    inv += mergeSort (num, mid + 1, high)
    inv += merge (num, low, mid, high);
    return inv;
}
```

```
merge (num, low, mid, high) {
    i = low, j = mid + 1, cnt = 0
    for (i = low; i <= mid; i++) {
        while (j <= high && arr[i] > (2 * (long) arr[j])) {
            j++;
        }
        cnt += j - (mid + 1);
    }
}
```

```
ArrayList<Integer> temp;
left = low, right = mid + 1
while (left <= mid && right <= high) {
    if (arr[left] <= arr[right])
        temp.add (arr[left++]);
    else
        temp.add (arr[right++]);
```

```
while (left <= mid) {
    temp.add (arr[left++]);
```

```
while (right <= high) {
    temp.add (arr[right++]);
```

```

for (i = low; i <= high; i++) {
    arr[i] = temp.get(i - low);
}
return arr;
}

```

$$O(N \log N) + O(N) + O(N)$$

131) 2-sum :

in: [2, 7, 11, 15] tar = 9

Map<Integer, Integer> mp;

for (i = 0; i < num.length; i++) {

if (mp.containsKey(target - num[i])) {

return int[] {i, mp.get(target - num[i])};

}

mp.put(num[i], i);

}

return int[] {0, 0};

}

$O(N) \times O(N)$

132) 4-sum :

ArrayList<List<Integer>> res;

if (nums == null || nums.length == 0) return res;

n = nums.length

Arrays.sort(nums);

for (i = 0; i < n; i++) {

for (j = i + 1; j < n; j++) {

$\text{tar} = \text{tar} - \text{num}[i] - \text{num}[j]$

$\text{front} = j + 1$

$\text{back} = n - 1$

while ($\text{front} < \text{back}$) {

if ($\text{num}[\text{front}] + \text{num}[\text{back}] < \text{tar}$) $\text{front}++$;

else if ($\text{num}[\text{front}] + \text{num}[\text{back}] > \text{tar}$) $\text{back}--$;

else {

List<Integer> ar = new ArrayList<>();

ar.add(i);

ar.add(j);

ar.add(front);

ar.add(back);

res.add(ar);

while ($\text{front} < \text{back}$ && $\text{num}[\text{front}] == \text{ar.get}(2)$)

$\text{front}++$

while ($\text{front} < \text{back}$ && $\text{num}[\text{back}] == \text{ar.get}(5)$)

$\text{back}--$

}

}

while ($j + 1 < n$ && $\text{num}[j + 1] == \text{num}[j]$) $j++$;

}

while ($i + 1 < n$ && $\text{num}[i + 1] == \text{num}[i]$) $i++$;

}

return res;

}

$O(n^3)$

$O(1)$

13) Consecutive sequence : $O(n)$

in : [100, 1, 200, 4, 8, 3] ans = 4 (1 2 3 4)

```

max = 0
HashMap<Integer> hs = new HashMap<>();
for (int i : nums) { hs.add(i); }
for (int n : nums) {
    if (hs.contains(n-1)) {
        curr = 1
        curr = n;
        while (hs.contains(curr+1)) {
            curr++;
            count++;
        }
        max = Math.max(max, curr);
    }
}
return max;
O(N) O(N)

```

134) length of longest subarray with zero.

[9 -3 3 1 6 -5] $\text{ans} = 5$

```

HashMap<Integer, Integer> hm;
int maxi = 0, sum = 0;
for (i=0; i<arr.length; i++) {
    sum += arr[i];
    if (sum == 0) { maxi = i+1; }
    else {
        if (hm.contains(sum))
            maxi = Math.max(maxi, i-hm.get(sum));
        hm.put(sum, i);
    }
}
return maxi;
O(N) O(N)

```

135) Count no. of subarray with given xor k.

HashMap<Integer, Integer> hm;

cpx = 0, c = 0

for (i=0 ; i < arr.length ; i++) {

 cpx = cpx ^ arr[i];

 if (hm.containskey(cpx)) {

 c += hm.get(cpx);

 if (cpx == k) c++

 if (hm.containskey(cpx)) {

 hm.put(cpx, hm.get(cpx) + 1);

 else hm.put(cpx, 1);

}

return c;

}

O(N) O(N)

136) longest substring with no repeating character.

HashMap<Character, Integer> hm;

right = 0 left = 0

while (r < n) {

 if (hm.containskey(s.charAt(right)))

 left = Math.max(left,

 map.get(s.charAt(right) + 1));

 map.put(s.charAt(right), right);

 max = Math.max(max, right - left + 1);

 right++;

}

return max

O(N) O(N)

Linked List:137 Reverse a linked list:

```

curr = head
prev, next = null
while (curr != null) {
    next = curr.next;
    curr.next = prev;
    prev = curr;
    curr = next
}
return prev;
    
```

 $O(N)$ $O(1)$ 138) Find middle of linked list.

```

slow = head   fast = head
    
```

```

while (fast != null && fast.next != null) {
    slow = slow.next;
    fast = fast.next.next;
}
    
```

```

    }
return slow;
    
```

 $O(N)$ $O(1)$ (S9) Merge two sorted Array:

```

if (l1 == null) return l2;
if (l2 == null) return l1;
if (l1.val > l2.val) {
    l2.next = merge(l1, l2.next)
}
return l2;
    
```

use {

 l1.next = merge(l1.next, l2);

 return l1;

}

$O(n)$

$O(1)$

140) Remove kth node from back :-

ListNode s = new ListNode();

s.next = head;

ListNode slow = s, fast = s;

for (i=1; i<=k; i++) {

 fast = fast.next;

 for while (fast.next != null) {

 fast = fast.next;

 slow = slow.next;

 }

 slow.next = slow.next.next;

return start.next;

}

$O(n)$

$O(1)$

152) Add two numbers represented as LL:

ListNode d = new ListNode();

ListNode temp = d;

int carry = 0

while (l1 != null || l2 != null || carry \neq 1)

```

{ int sum=0
if (l1 != null) {
    sum += l1.val;
    l1 = l1.next;
}
if (l2 != null) {
    sum += l2.val;
    l2 = l2.next;
}
sum += carry
carry = sum/10
ListNode n = new ListNode(sum%10);
temp.next = n;
temp = temp.next;
}
return d.next;
}
O(max(n,m)) O(max(n,m)),

```

142) Delete give node in LL:

```

delete (+) {
if (+ == null) return;
t.num = t.next.num;
t.next = t.next.next;
return;
}
O(1) O(1)

```

Graph

Page No. :

143) Clone a graph :

clone (Node n) {

 HashMap<Integer, Node> hm = new HashMap<?>();

 if (n == null) { return null; }

 if (hm.containsKey(n.val)) { return hm.get(n.val); }

 Node clone = new Node (n.val);

 hm.put (n.val, clone);

 for (Node it : ~~clone~~.neighbour) {

 clone.neighbor.add (clonegraph(it));

}

 return clone;

}

144) DFS : (for connected and non connected component)

v = vertices e = edges

int vis[] = new int[v];

Arrays.fill (vis, 0)

for (i=0; i<v; i++) {

 if (vis[i] == 0) {

 dfs (vis, adj, i);

}

dfs (vis, adj, node) {

 vis[node] = 1;

 ans.add(node);

 for (int it : adj.get(node)) {

 if (vis[it] == 0) {

 dfs (vis, adj, it);

}

 } } } O(N+E), O(N+E) + O(N) + O(N)

145) BFS :

```

int vis[] = new int[v];      Arrays.fill(vis, 0);
Queue<Integer> q = new LinkedList<Integer>;
q.add(0);

vis[0] = 1;
while (!q.isEmpty()) {
    int n = q.poll();
    ans.add(n);

    for (int i : adj[n]) {
        if (vis[i] == 0) {
            vis[i] = 1;
            q.add(i);
        }
    }
}
return ans;
}

```

$O(N+E)$

146) Cycle in Undirected graph (BFS).

```

class Node {
    int f, s;
    Node (f, s) {
        f = f; s = s;
    }
}

```

```

boolean vis[] = new boolean[v];
Arrays.fill(vis, false);

```

```
for (int i = 0; i < N; i++) {
    if (visit[i] == false) {
        if (bfs(adj, vis, i)) return true;
    }
}
return false;
```

```
bfs (-----) {
    Queue<Node Integer> q, = .. + ;
    q.add(new Node(1, -1));
    vis[1] = true;
    while (!q.isEmpty()) {
        int n = q.peek();
        int par = q.peek().s;
```

```
for (int it : adj.get(n)) {
    if (visit[it] == false) {
        q.offer(new Node(it, n));
        visit[it] = true;
    }
}
```

```
else if (par != it) return true;
```

```
}
```

```
return false;
```

$O(N + E)$

$O(H + E) + O(N) + O(H)$

147) Cycle in Undirected graph (DFS).

```
boolean vis[] = new boolean[v];
```

```
Arrays.fill(vis, false);
```

```
for (i=0; i<v; i++) {
```

```
if (vis[i] == false) {
```

```
if (check(i, -1, vis, adj)) return true;
```

```
}
```

```
return false;
```

```
check ( node, par, vis[], ArrayList<ArrayList<>> adj ) {
```

```
vis[node] = true;
```

```
for (int i: adj.get(node)) {
```

```
if (vis[i] == false) {
```

```
if (check(i, node, vis, adj) == true)
```

```
return true;
```

```
}
```

```
else if (i != par) return true;
```

```
return false;
```

```
O(E)
```

```
O(N)
```

150) Cycle in directed graph (DFS) :

```
vis[] = new boolean [n+1];
```

```
dvis[] = new boolean [n+1];
```

```
Arrays.fill(vis, false);
```

```
for (i=0; i<n; i++) {
```

```
if (vis[i] == false) {
```

```
if (check(adj, vis, dvis, i)) return true;
```

```
}
```

```
return false;
```

```

check(Adj, vis, dvis, n) {
    vis[n] = true;
    dvis[n] = true;
    for (int i: adj.get(n)) {
        if (vis[i] == false) {
            if (check(Adj, vis, dvis, i)) return true;
        }
        else if (dvis[i] == true) return true;
    }
    else dvis[n] = false;
    return false;
}
O(V+E) O(V)

```

151) Topological sort (BFS) + (Cycle in DCgraph (BFS)).

```
int topo[] = new int[n];
```

```
int ind[] = new int[n]
```

```
for (i=0; i<n; i++) {
```

```
    for (int j: adj.get(i)) {
```

```
        ind[j]++;
    }
}
```

Queue <Integer> q =

```
for (i=0; i<n; i++) {
```

```
    if (ind[i] == 0) {
```

```
        q.add(i);
```

```
}
```

```
}
```

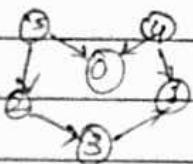
int = 0 ind =

```
while (!q.isEmpty()) {
```

```

n = q.size();
topo = stack +> top() = n;
cnt++;
for (it : adj.get(n)) {
    int nt = --;
    if (stack.size() == 0) q.offer(it);
}
if (cnt == N) return true;
return false;
}
}
O(N+E) O(N) + O(N)

```



ans: 4 5 2 0 3

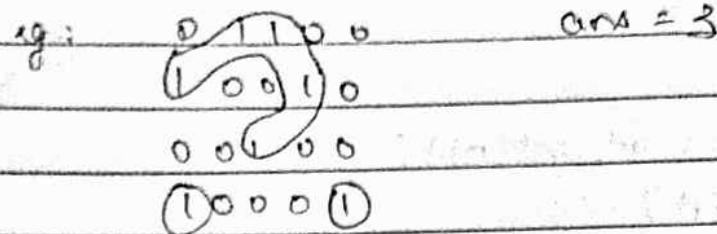
(52) Topo sort (DFS)

```

vis[] = new int[v];
Arrayfill(&vis, 0);
stack<int>;
for (i=0; i<v; i++) {
    if (vis[i]==0) dfs(adj, vis, st, i);
}
topo[] = new int[v];
for (i=0; i<v; i++) {
    topo[i] = st.pop();
}
return topo;
}
dfs() {
    vis[n] = 1;
    for (int i: adj.get(i)) {
        if (vis[i]==0) df1(adj, vis, st, i)
    }
    st.push(i);
}
O(N+E), O(N)+O(N)+O(N)

```

153) Count no. of islands: (8 dir. or 4 dir.)



|| visited array - null

```
vis[] = new int [mat.length] [mat[0].length];
for (i=0; i<mat.length; i++) {
    for (j=0; j<mat[0].length; j++) {
        if (mat[i][j] == 1) vis[i][j] = true;
        else vis[i][j] = false;
    }
}
```

count = 0;

```
for (i=0; i<n; i++) {
    for (j=0; j<n; j++) {
        if (mat[i][j] == 1 && vis[i][j] == false) {
            vis[i][j] = true;
            dfs (vis, mat, i, j);
            count++;
        }
    }
}
```

return count;

dfs (vis, mat, i, j) {

dx [] = {-1, +1, 0, 1, 1, 1, 0, -1};

dy [] = {0, 0, 1, 1, 0, -1, -1, -1};

```

for(k=0; k<s; k++) {
    x = i + dx[k], y = j + dy[k];
    if (x >= 0 && y >= 0 && x < mat.length &&
        y < mat[0].length && mat[x][y] == 1
        && vis[x][y] == false) {
        vis[x][y] = true;
        dfs(mat, vis, x, y);
    }
}
    }  

    O(N * M)   O(N * M)

```

154) Bipartite graph (BFS)

```

    { color[i] = new int[n];
        Arrays.fill(color, -1);
        for(i=0; i<n; i++) {
            if (color[i] == -1) {
                if (!bfsCheck(ady, color, i) == false)
                    return false;
            }
        }
    }

```

```

    return true;
}

bfsCheck(ady, color, node) {
    color[node] = 1;
    Queue<Integer> q;
    q.add(node);
    while (!q.isEmpty()) {
        n = q.poll();
        for (int i: ady.get(n)) {

```

```

        if (color[i] == -1) {
            color[i] = 1 - color[n];
            q.offer(i);
        }
        else if (color[i] == color[n]) return false;
    }
    return true;
}

O(N * M) O(N)

```

155) Bipartite (DFS)

color[] = new int[n];

Arrays.fill(color, -1);

for (i=0; i<n; i++) {

if (color[i] == -1) {

color[i] = 1; o = ()

if (!dfsCheck(graph, color, i)) return false;

return true;

dfsCheck(graph, color, node) {

for (int it: graph[node]) {

if (color[it] == -1) {

color[it] = 1 - color[node];

If (!dfs(graph, color, it)) return false;

else if (color[it] == color[node]) return false;

return true;

O(V+E) O(V)

156) Strongly Connected Component (Kosaraju's Algorithm)

- Steps:
- 1) topo sort
 - 2) transpose the edges
 - 3) rev topo sort.

```
vis[i] = new int[n];
```

```
for (i=0; i<n; i++) {
```

```
if (vis[i]==0) {
```

```
dfs(st, adj, vis, i);
```

```
}
```

```
{
```

```
ArrayList<ArrayList<Integer>> tran;
```

```
for (i=0; i<n; i++) {
```

```
vis[i]=0;
```

```
for (int it: adj.get(i)) {
```

```
tran.get(it).add(i);
```

```
}
```

```
{
```

```
List<List<Integer>> ans;
```

```
while (!st.isEmpty()) {
```

```
int node = st.pop();
```

```
if (vis[node]==0) { ArrayList<Integer> sub;
```

```
revDfs(tran, vis, sub, node);
```

```
ans.add(sub);
```

```
{
```

```
{
```

```
return ans;
```

```
dfs(stack, adj, vis, i) {
```

```
vis[i]=1;
```

```
for (int it: adj.get(i)) {
```

```

    if (vis[i] == 0) {
        dfs(nt, adj, vis, it)
    }
    st.push(i);
}

newdfs(trans, vis, node) {
    vis[node] = 1;
    sub.add(node);
    for (int it : trans.get(node)) {
        if (vis[it] == 0) {
            newdfs(trans, vis, sub, it);
        }
    }
}

```

$O(N+E)$

15) Dijkstra's SGP:

```
class Node implements Comparator<Node> {
```

```
    int v, wei;
```

```
    Node() {}
```

```
    Node(int v, int wei) {
```

```
        this.v = v;
        this.wei = wei;
    }
```

```
    int compare (Node n1, Node n2) {
```

```
        if (n1.wei > n2.wei) return 1;
```

```
        else if (n1.wei == n2.wei) return 0;
```

```
        else return -1;
    }
```

```
}
```

```

for (i=0; i< edges.length; i++) {
    adj.get(edges.get(i).get(0)).add(new Node(
        edges.get(i).get(1), edges.get(i).get(2));
    adj.get(edges.get(i).get(1)).add(new Node (
        edges.get(i).get(0), edges.get(i).get(2)));
}

dist[ ] = new int[v];
Arrays.fill(dist, Integer.MAX_VALUE);
dist[s] = 0;
PriorityQueue<Node> pq = new PriorityQueue<Node>(new
    Comparator<Node>() {
        public int compare(Node n1, Node n2) {
            return n1.wt - n2.wt;
        }
    });
pq.add(new Node(s, 0));
while (!pq.isEmpty()) {
    Node ver = pq.poll();
    int wei = pq.poll();
    pq.poll();
    for (int it : adj.get(ver)) {
        if (it.wt + dist[ver] < dist[it.v]) {
            dist[it.v] = it.wt + dist[ver];
            pq.add(new Node(it.v, it.wt + dist[ver]));
        }
    }
}
return dist;
}

```

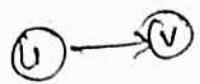
$O((N+E) \times \log N)$

15*) Bellman Ford (Negative Weight)

```

dist[ ] = new int[v];
Arrays.fill(dist, 10000000);
dist[src] = 0;

```



Distance = 1

Page No.

```

for (i=0; i<v; i++) {
    for (j=0; j<m; j++) {
        u = edges.get(j).get(0);
        v = edges.get(j).get(1);
        w = edges.get(j).get(2);

        if (dist[u] != 10000000 && dist[u] + w <
            dist[v])
            dist[v] = dist[u] + w;
    }
}

return dist; or return dist[dest];

```

to check negative cycle in graph.

```

for (j=0; j<m; j++) {
    u = edges.get(j).get(0);

```

```

    v = edges.get(j).get(1);

```

```

    w = edges.get(j).get(2);

```

```

    if (dist[u] + w < dist[v]) f

```

```

        flag = true;

```

```

        break;
    }
}

```

```

if (flag) Negative cycle.

```

$O(N+E)$

$O(N)$

159

All pair shortest path (Floyd-Warshall's)
 (contains negative edges)

$\text{INF} = \text{infinite}$.

```

for (k=0; k<n; k++) {
    for (i=0; i<n; i++) {
        for (j=0; j<n; j++) {
            if (mat[i][j][k] == -1 || mat[k][j] == -1)
                continue;
            else if (mat[i][j][k] == -1) {
                mat[i][j][j] = mat[i][k] + mat[k][j];
            }
            else if (mat[i][j][k] > mat[i][j] +
                     mat[k][j])
                mat[i][j][j] = mat[i][j][k] + mat[k][j];
        }
    }
}
return mat; or return mat[src][dst];
  
```

$O(V^3)$

$O(V^2)$

160)

Prim's MST:

```

class Node implements Comparator<Node> {
    int v, w;
    Node() {}
    Node(int _v, int _w) { v = _v; w = _w; }
    int compare(Node n1, Node n2) {
        if (n1.w < n2.w) return -1;
        else if (n1.w == n2.w) return 0;
        else return 1;
    }
}
  
```

```

    for (i=0; i<m; i++) {
        adj.get().int u = edges.get(i).get(0);
        v = edges.get(i).get(1);
        w = edges.get(i).get(2);
        adj.get(u).add(new Node(v, w));
        adj.get(v).add(new Node(u, w));
    }
}

```

Priority Queue <Node> pq = new Priority Queue (new Node());
 key [] = new int [v]; // cost of that vertex.
 parent [] = new int [v]; // parent of a vertex.
 mst [] = new boolean [v]; // for tracking a vertex

Arrays.fill(key, 100000000);

Arrays.fill(parent, -1);

Arrays.fill(mst, false);

key [0] = 0

pmst [0] = true; \times

pq.add(new Node(0, 0));

while (!pq.isEmpty()) {

v = pq.peek();

w = pq.peek();

~~for pq.poll();~~

mst [v] = true;

for (Node n : adj.get(v)) {

if (mst [n.v] == false & key [n.v] > n.w) {

parent [n.v] = v;

key [n.v] = n.w

pq.offer(new Node(n.v, key [n.v]));

}

$O(N \log N)$ $O(N)$.

161) Kruskal's MST :

```

union (u, v, parent, rank) {
    u = findParent (u, parent);
    v = findParent (v, parent);
    if (rank [v] < rank [u]) {
        parent [v] = u;
    }
    else if (rank [u] < rank [v]) {
        parent [u] = v;
    }
    else {
        parent [u] = v;
        rank [v]++;
    }
}
  
```

findParent (u, parent) {

if (u == parent[u]) return u;

return parent[u] = findParent (parent[u], parent);

```

for (i=0; i<n; i++) { parent[i] = i; rank[i] = 0; }
  
```

for (Node n : adj) {

if (findParent (n.getU(), parent) != findParent (n.getV(), parent))

```

    mst.add (n);
  
```

union (n.getU(), n.getV(), parent, rank);

mstCost += n.w;

```

}
  
```

$$O(E \log E) + O(E^* 4^* \alpha)$$

$O(N)$

Dynamic Programming :

Q2) Max product subarray :

Ex: $[2, -5, -2, -4, 8]$ ans = 24
 sol: $-2 * -4 = 8 * 3 = 24$

{ max = num[0];

curMax = 1, curMin = 1.

for ($i=0; i < n; i++$) {

temp = curMax * num[i];

curMax = Math.max(num[i], Math.max(temp, curMin * num[i]));

curMin = Math.min(num[i], Math.min(temp, curMin * num[i]));

max = Math.max(max, Math.max(curMin, curMax));

}
 return max;

}

$O(N)$

$O(1)$

Another sol. traverse array from left dir and whenever prod == 0 prod = 1

Q3) Longest Increasing subsequence:

i) $O(N^2)$ $O(N)$

dp[] = new int[n]

Arrays.fill(dp, 1);

for ($i=1; i < n; i++$) {

for ($j=0; j < i; j++$) {

Date: / / Page No. :

```

if (arr[i] < arr[i])
dp[i] = Math.max(dp[i], dp[i]+1);
}

for (i=0; i<n; i++) {
    max = Math.max(max, dp[i]);
}
return max;

```

2) Binary Search.

```
int lower_bound (arr, start, end, ele) {
```

```
    while (start < end) {
```

```
        int mid = start + (end - start)/2;
```

```
        if (ele > arr[mid]) {
```

```
            low = mid+1;
```

```
} else high = mid;
```

```
return low;
```

```
}
```

```
{ int temp [] = new int[n]; ans = 0;
```

```
for (i=0; i<n; i++) {
```

```
    int ind = lower_bound (&temp, 0, ans, arr[i]);
```

```
    temp [ind] = arr[i];
```

```
    if (ind == ans) ans++;
```

```
}
```

```
return ans;
```

```
}
```

$O(N \log N)$ $O(N)$:

164) LCS :

```
dp[n][m] = new int[n+1][m+1];
```

```
for (i=0; i<n; i++) dp[i][0] = 0
```

```
for (i=0; i<=m; i++) dp[0][i] = 0
```

```
for (i=1; i<=n; i++) {
```

```
    for (j=1; j<=m; j++) {
```

```
        if (s.charAt(i-1) == t.charAt(j-1)) {
```

```
            dp[i][j] = dp[i-1][j-1] + 1;
```

```
}
```

```
        else dp[i][j] = Math.max(dp[i-1][j], Math.  
                                max(dp[i-1][j-1], dp[i][j-1]));
```

```
}
```

```
return dp[n][m];
```

$O(N \times M)$

$O(N \times M)$

165) 0|1 Knapsack :

$n=4$ $w=5$

val = [5 4 8 6]

ans = 15

w = [1 2 4 5]

Memoization:

```
dp[] [] = new int[n] [w+1]
```

```
for (i=0; i<n; i++)
```

```
    for (int row : dp) Arrays.fill(row, -1)
```

```
return helper (val, weight, n-1, w, dp);
```

```
helper (val, weight, index, w, dp) {
```

```

if (ind == 0) {
    if (wei[0] <= w) return val[0];
    return 0;
}

if (dp[ind][w] != -1) return dp[ind][w];

int notTake = helper(val, wei, ind-1, w, dp);
int take = 0;
if (wei[ind] <= w) take = val[ind] + helper(val, wei, ind-1, w-wei[ind], dp);
return dp[ind][w] = max(take, notTake);
}

```

TC: $O(N \cdot PW)$ SC: $O(N \cdot W) + O(N)$

\rightarrow ^{task space} recursion.

BV

Tabulation:

 $dp[0][j] = \text{new_int}[n][w+1]$
 $\text{for } (\text{int row} : \text{dp}) \text{ Arrays.fill(row, 0);}$
 $\text{for } (\text{int i} = \text{wei}[0]; i \leq w; i++) \text{ dp}[0][i] = \text{val}[0];$
 $\text{for } (i=1; i < n; i++) \{$
 $\text{for } (j=w; w <= w; w++) \{$
 $\text{notTake} = \text{dp}[i-1][w];$
 $\text{take} = 0;$
 $\text{if } (w <= w)$
 $\text{if } (\text{wei}[i] <= w) \{$
 $\text{take} = \text{val}[i] + \text{dp}[i-1][j - \text{wei}[i]]; \}$

```

dp[i][j] = Max(take, notTake);
}
return dp[n-1][m];
}
O(N * W) O(N * W)

```

166) Edit Distance : ins = 1 edit = 1 del = 1
 horse ros = 3

Memo :

```

} return
if(ind1 < 0) ind1+1;
if(ind2 < 0) return ind1+1;
if(dp[ind1][ind2] != -1) return dp[ind1][ind2];

```

if(str1.charAt(ind1) == str2.charAt(ind2))

return dp[ind1][ind2] = 0 + helper(str1, str2, ind1-1, ind2-1);

else dp[ind1][ind2] = 1 + min(helper(1, 1, ind1-1,

helper(1, 1, ind1-1, ind2), helper(1, 1, ind1, ind2-1));

}

O(N * M), O(N * M) + O(N * M)

Tabul :

dp[] = new int[N+1][M+1];

for (i=0; i<=N; i++) dp[i][0] = i;

for (j=0; j<=M; j++) dp[0][j] = j;

```

for (i=1; i<N; i++) {
    for (j=1; j<M; j++) {
        if (str1.charAt(i) == str2.charAt(j-1))
            dp[i][j] = 0 + dp[i-1][j-1];
    }
}
    
```

the {

$$dp[i][j] = 1 + \min(dp[i-1][j-1], \min(dp[i-1][j], dp[i][j-1]));$$

}

}

return dp[N][M];

$O(N \cdot M)$

$O(N \cdot M)$

167) Max sum increasing subsequence :

eg: 9 1 2 8 and 11

Memoization :

for (i=0; i<n; i++) max = max(max, arr[i])

dp[] = new int[n][max+1];

for (int row[] : dp) Arrays.fill(row, -1);

return helper(arr, 0, 0, dp)

helper(arr, ind, prev, dp)

if (ind == arr.length) return 0;

if (dp[ind][prev] == -1) return dp[ind][prev];

notake = 0 + helper(arr, ind+1, prev, dp);

if (prev < arr[ind]) {

take = arr[ind] + helper(arr, ind+1, arr[ind], dp);

}

return $\text{dp}[\text{ind}][\text{prev}] = \max(\text{opt take}, \text{notake});$

SC: $O(N \cdot M) + O(N)$ TC: $O(N \cdot M)$

10	1	4	8	2	1	4	8	2
0	1	5	13	3	1	7	115	3

Tabulation:

$\text{dp}[] = \text{new int}[n];$

$\text{omax} = \text{MIN_VALUE}.$

for ($i=0; i < n; i++$) {

$\text{max} = -1$

 for ($j=0; j < i; j++$) {

 if ($\text{arr}[j] < \text{arr}[i]$) {

 if ($\text{max} < \text{dp}[j]$) $\text{max} = \text{dp}[j];$

}

$\text{dp}[i] = \max(\text{arr}[i], \text{max} + \text{arr}[i]);$

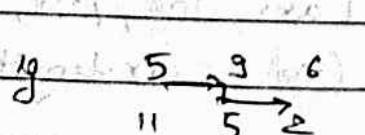
$\text{omax} = \max(\text{omax}, \text{dp}[i]);$

}

return $\text{omax};$

}

TC: $O(N \cdot M) + O(N)$

(Q8) Min Path Sum:  ans = 21

memo:

$\text{dp}[\text{I}][\text{J}] = \text{new int}[\text{grid.length}][\text{grid[0].length}]$

for (int row1 : dp) Arrays.fill(row1, -1);

return helper(grid, grid.length - 1, grid[0].length - 1, dp);

```

        helper(grid, i, i, dp) {
    if (i == 0 || i == n) return grid[0][0];
    if (i < 0 || j < 0) return (int) Math.pow(10, 9);
    if (dp[i][j] != -1) return dp[i][j];
    int left = grid[i][j] + helper(grid, i, j - 1, dp);
    int right = grid[i][j] + helper(grid, i - 1, j, dp);
    int up = min(left, right);
    dp[i][j] = min(left, right);
}
O(NM) O(NM) + O(N+J) + O(N-I))

```

Tabulation :

```

dp[i][j] = new int[grid.length][grid[0].length];
for (i = 0; i < n; i++) {
    for (j = 0; j < m; j++) {
        if (i == 0 && j == 0) dp[i][j] = grid[0][0];
        else {
            up = grid[i][j];
            if (i > 0) up += dp[i - 1][j];
            else up += 1e9;
            left = grid[i][j];
            if (j > 0) left += dp[i][j - 1];
            else left += 1e9;
            dp[i][j] = min(left, up);
        }
    }
}
return dp[n - 1][m - 1];

```

O(N*M)

O(N*M)

169) Coin change : Count ways in which change can be provided using given denomination.

[1 2 5], $T = 4$ for $ans = 4$ (1111, 112, 22, 13)

Memo :

```

dp[ ][ ] = new int [d.length] [v+1];
for (int i[] : dp) Arrays.fill (i, -1);
return helper (d, d.length-1, v, dp);
helper (d, ind, v, dp) {
    if (ind == 0) {
        if (v % d[0] == 0) return 1;
        else return 0;
    }
    if (dp[ind][v] != -1) return dp[ind][v];
    notTake = helper (d, ind-1, v, dp);
    if (d[ind] <= v) {
        take = helper (d, ind, v-d[ind], dp);
    }
    return dp[ind][v] = (notTake + take);
}
 $O(n \cdot m)$   $O(n \cdot m) + O(n)$ 

```

Total :

```

for (int i[] : dp) Arrays.fill (i, 0);
for (i=0; i<=v; i++) {
    if (v % d[i] == 0) dp[0][i] = 1;
}
for (ind=1; ind < n; ind++) {
    for (j=0; j<=v; j++) {

```

```

not = dp[ind-1][j];
if (arr[ind] <= j) {
    take = dp[ind][j - arr[ind]];
}
dp[ind][j] = (take + not);
}
return dp[n-1][v];

```

 $O(N^2M)$ $O(N^2M)$

170) Subset sum:

eg: 6 1 2 1 ~~arr~~-k = 4 ans = true.

Memo :

dp[][] = new Boolean[n][k+1];

for (Boolean row[] : dp) Arrays.fill(row, null);
helper(arr, n-1, k, dp)

helper(arr, ind, k, dp)

if ($k == 0$) return true;if ($ind == \cancel{arr.length}$) return arr[~~ind~~] == ~~target~~;if ($dp[ind][k] != -1$) return dp[ind][k];

notTaken = helper(arr, ind-1, k, dp);

take = false

if ($arr[ind] \leq k$) {

take = helper(arr, ind-1, k - arr[ind], dp);

{

return $\text{dp}[\text{ind}][\text{k}] = \text{take} \ || \ \text{notTake};$

$O(N^k)$

$O(N \cdot k) + O(N)$

Tab :

Arrays fill (row, false);

for ($i=0$; $i < n$; $i++$) {

$\text{dp}[i][0] = \text{true};$

}

if ($\text{arr}[i] \leq \text{target}$) $\text{dp}[i][\text{arr}[i]] = \text{true}.$

for ($\text{int ind} = 1$; $\text{ind} < n$; $\text{ind}+1$) {

for ($\text{int tar} = 1$; $\text{tar} \leq k$; $\text{tar}+1$) {

not = $\text{dp}[\text{ind}][\text{tar}]$

if take = false then $\text{take} = \text{true}$

if ($\text{arr}[\text{ind}] \leq \text{tar}$) {

take = $\text{dp}[\text{ind}-1][\text{tar} - \text{arr}[\text{ind}]];$

$\text{dp}[\text{ind}][\text{tar}] = \text{take} \ || \ \text{not};$

}

return $\text{dp}[n][k];$

$O(N^k)$

$O(N \cdot k)$

17) cutting rod (max val)

arr [2 5 7 8 10] $n = 5$

index index means piece piece $\leftarrow n$

Memo : $dp[rs][r] = \text{new_int} dp[n][n+1];$
 $\text{for } (\text{row } r : \text{dp}) \text{ Arrays.fill}(\text{row}, -1);$
 $\text{return helper}(\text{arr}, n, n+1, \text{dp});$

```
helper (price[], int ind, int n, dp[]) {
    if (ind == 0) {
        return price[0] * n;
    }
    if (dp[ind][n] != -1) return dp[ind][n];
    notTake = helper(arr, ind+1, n, dp);
    take = 0
    rod = ind+1
    if (rod <= n) {
        arr[ind] +
        take = helper(arr, ind, n-rod, dp)
    }
    return dp[ind][n] = Math.max(take, notTake);
}
```

$O(N^2M)$ $O(N^2N) + O(N)$

Stat :

same dp array and initialization

$\text{for } (i=0; i<=n; i++) \text{ dp}[0][i] = \text{arr}[0]*i;$

```
for (ind=1; ind<n; ind++) {
    for (j=0; j<=n; j++) {
        notTake = dp[ind-1][j]
        take = 0
        rod = ind+1
        if (rod <= j) {
            take = arr[rod] * j + dp[ind][j-rod];
        }
    }
}
```

```

dp[i] = 
    dp[findSj] = Math.Max (take, notTake);
}

return dp[n-1][n];
}
O(N^2) or O(N)

```

For example consider $i=1$ Fall(k, b) \Rightarrow
 left or right evaluated = repetition
 right = 100
 left = 100
 So consider $\{left, right\}$ \Rightarrow
 left or right evaluated = set

(left for evaluation) - Fall(k, b)
 (right for evaluation) - Fall(k, b)

addition for more ab initio
 Right side of equation \Rightarrow Fall(k, b)

Now consider $i=1$ Fall(k, b)
 left = 100
 right = 100
 So consider $\{left, right\}$ \Rightarrow
 left or right evaluated = set

Fall(k, b) \Rightarrow Fall(k, b)