

# Machine Learning Toolkit



# What is Machine Learning?

Learning = Improving with experience at some task

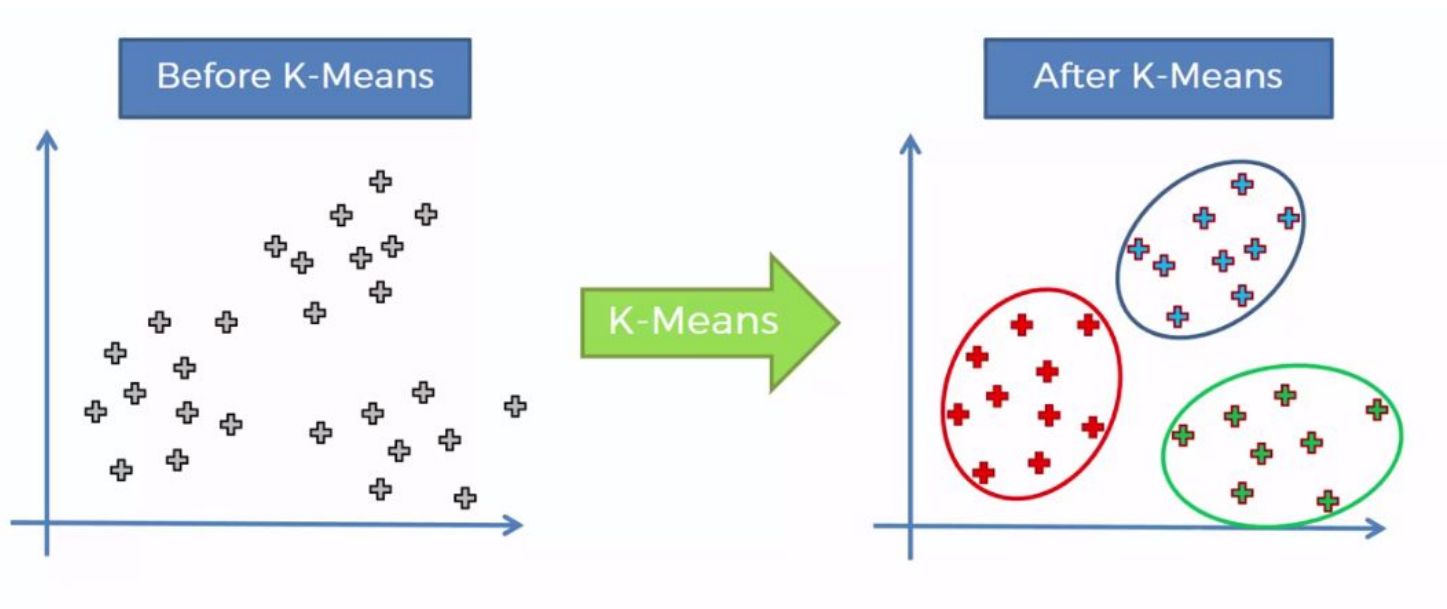
- Improve at task T
- With respect to performance measure P
- Based on experience E

## Why is it cool now?

- Tons of data with advent of internet
- Increased computational power
- Progress in algorithms and related theory
- Support and interest from industries

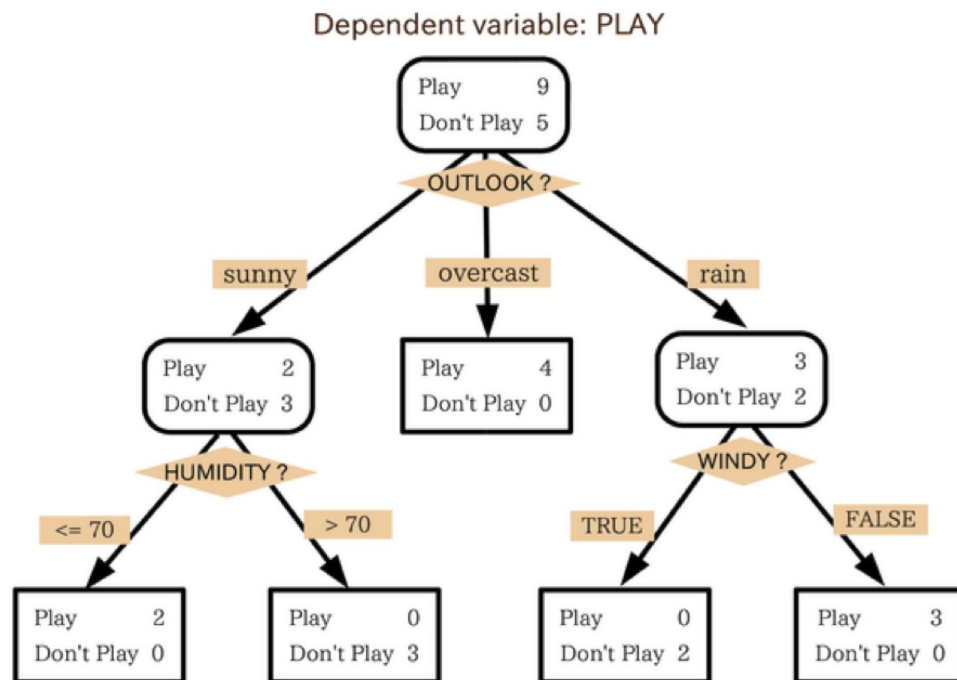
# Types of Learning

## Unsupervised Learning: K-means clustering example



# Types of Learning

## Supervised Learning: Decision Trees (Decision to play tennis)

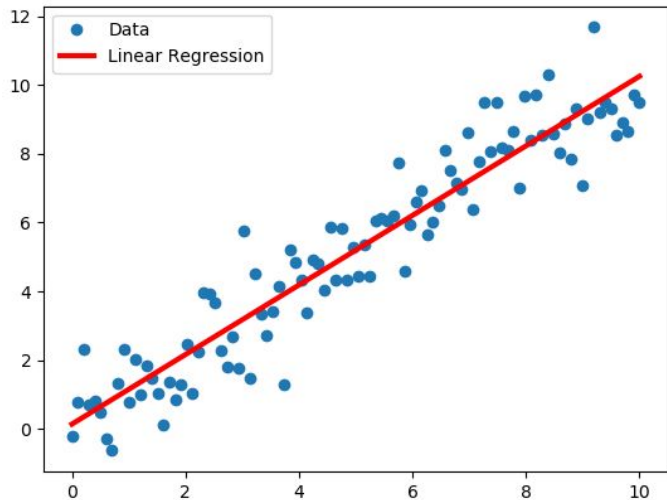


# Types of Machine Learning Tasks

- Regression: predict a real value.
- Classification: predict a class a data point belongs to.

# Linear Regression (Supervised)

- Predict height (y-axis) given age (x-axis)
- $(1/n)\sum(y - y')^2$  Mean Square Error.
  - $y$  is actual value (**label**)
  - $y'$  is value predicted by model
- $y' = w_0 + w_{\text{age}} * \text{age}$ 
  - $w_0, w_{\text{age}}$  are the **weights**
  - age is the only **feature**
- We minimize MSE to get the weights (**model**)



# Linear Regression (Examples & Instances)

Training Examples

Age	Weight
2	8
1	5
7	23
5	17

Testing Examples

Age	Weight
3	12
8	25

Prediction Instances

Age	Weight
4	?
6	?



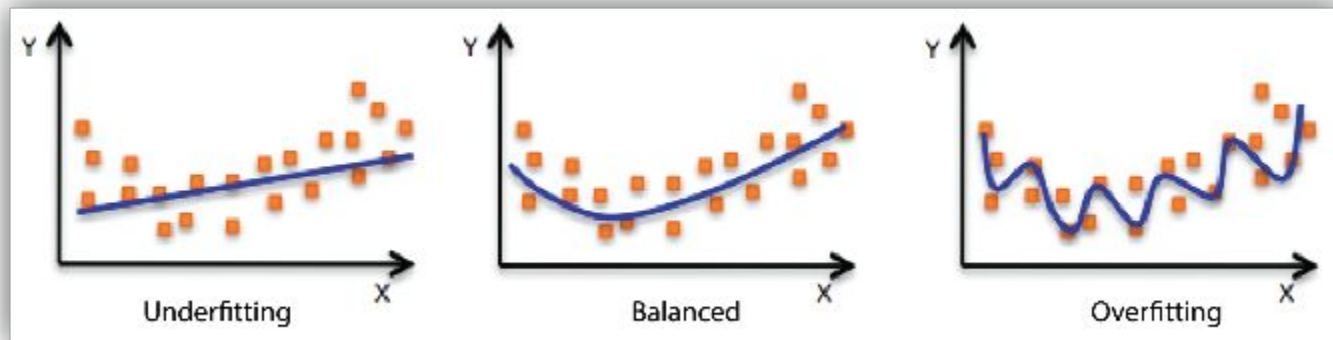
# Mean Square Error

- Two approaches to minimizing mean square error:
  - Analytically: set derivatives with respect to the weights to zero and solve the resulting equations
  - Gradient Descent:
    - Gradient is direction of steepest increase of a function
    - By going in opposite direction we reach the minima
    - Global minima requires function to be convex; MSE is convex

# Loss(/Objective/Cost) Function And Maximum Likelihood

- MSE is a loss function we are trying to minimize
- Sometimes also referred to as the objective or cost function
- Likelihood:
  - Conditional probability:  $P(A|B)$  probability of A given B
  - As per Bayes' theorem:
    - $P(\text{model}|\text{data}) \propto P(\text{data}|\text{model}) * P(\text{model})$
  - Likelihood: what model maximizes the probability of the data seen?
- Maximum Likelihood Estimation: When minimizing MSE, we maximizing likelihood corresponding to likelihood.
- In general:
  - Likelihood  $\propto e^{-k(\text{Loss})}$

# Overfitting vs Underfitting

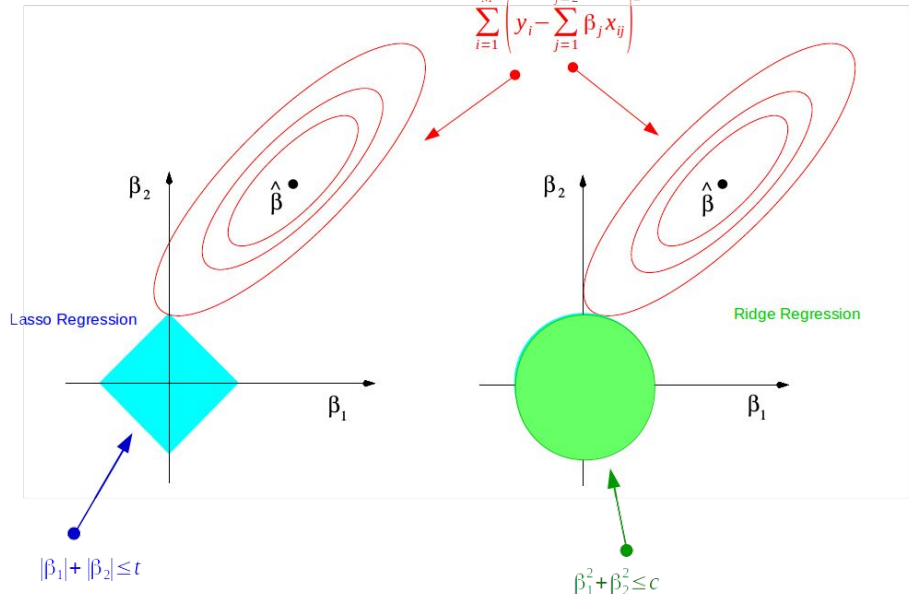


# Regularization

## Dimension Reduction of Feature Space with LASSO

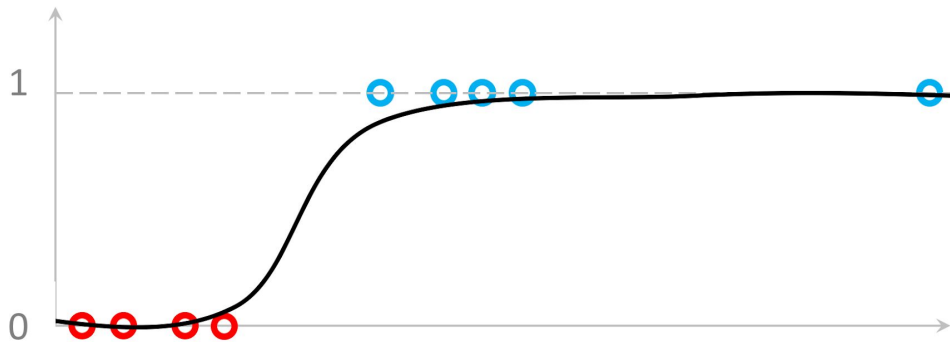
Linear Regression Cost function

$$\sum_{i=1}^M \left( y_i - \sum_{j=1}^2 \beta_j x_{ij} \right)^2$$



- Each contour here is a curve of constant error value (eg: MSE value).
- The shaded area is the constraint on the weights.
- The error can't be too small otherwise the constraint is not met.
- L1 (Lasso) causes some weights to drop off.
- L2 (Ridge) causes the weights to become smaller in general.

# Logistic Regression (Supervised, Classification)



- Logistic function gives values between 0 and 1. Can interpret as probability.
- Labels for training are 0 and 1, but the predictions are real values between 0 and 1.
- We use it so that we can do gradient descent on a continuous and differentiable function for a classification task.

# Logistic Regression (Contd.)

- Pretend we are trying to predict whether a child is malnourished.
- Logistic function:  $y = 1/(1 + e^{-J})$  where  $J = w_0 + w_{\text{age}} * \text{age} + w_{\text{weight}} * \text{weight}$
- Training Data:

Age	Weight	Malnourished (Label)
1	5	0
1	2	1
2	10	0
2	4	1