

678. Valid Parenthesis String

Date	
Page No.	

e.g. → "()"

O/P → True

e.g. → "(*)"-

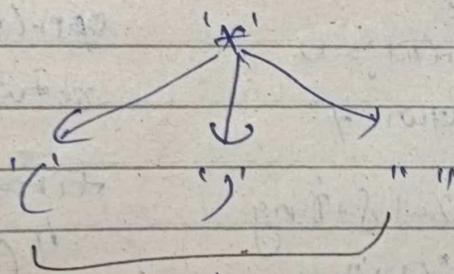
O/P → True

e.g. → "(*)"

O/P → True:

Approach - 1: DP

Note: On the place of '*' you can put '(' or ')' or '''.
i.e.



↳ There are three core options

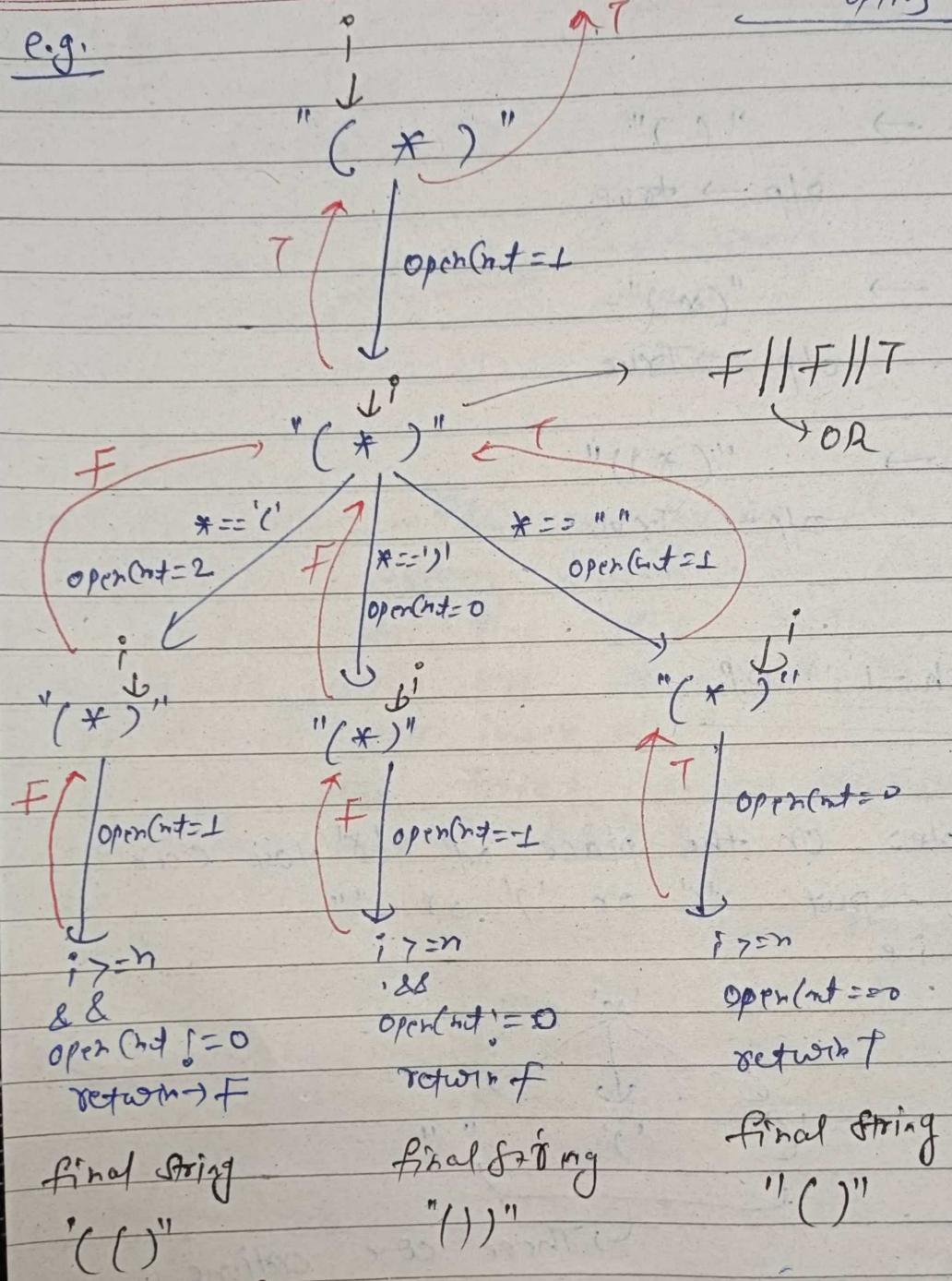
available i.e. you can apply recursion & DP also.

$$T.C. = 3^n$$

Date / /
Page No.

Options

e.g.



DP = ? → There are two changing variables.

\rightarrow (i) IDX

- (i) IDX
- (ii) Open Chkt.

solve $(idx, open_{nt}) \rightarrow$ This will
 give you that
 till idx (index) how many
 open parenthesis ('(') are present
 in the string.

for DP we know that there must
 be overlapping subproblems.

two or more
 sub problems should be
 same.

How how it is possible.

e.g.

$\text{open_cnt} = \emptyset$
 $\text{open_cnt} = 1$
 $\text{open_cnt} = 2$
 $\text{open_cnt} = 1$
 $\text{open_cnt} = 0$

suppose you are at $idx=4$

$\text{one way} \rightarrow * = " "$
 $\text{one way} \rightarrow * = " "$

String $\rightarrow " () ((*))"$

$\uparrow idx=4 \text{ open_cnt} = 0$

another way $\rightarrow * = '('$ & $* = ')'$

String $\rightarrow " (()) ((*))"$

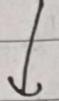
$\uparrow idx=4 \text{ open_cnt} = 0$

Teacher's Signature: _____

Overlapping Subproblem

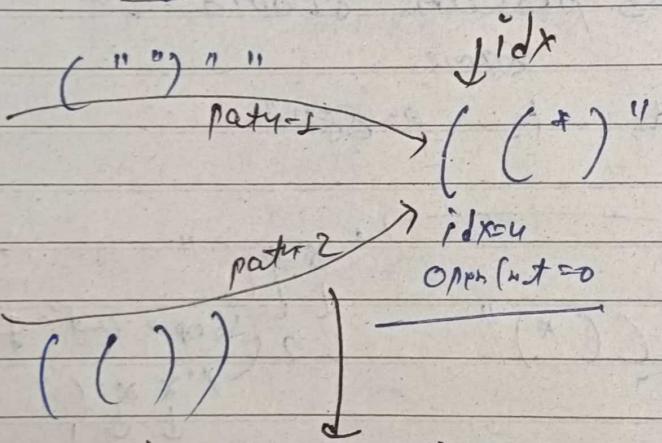
Note:-

" (*) * ((*)) "



At this idx you can reach
via two/more different path
like.

" (" ") " " (()) " "



in recursion you are going
for both the paths suppose from
path-1 your answer is \rightarrow false
then from path-2 your answer will
also false. but in recursion
you go for both the paths.

why? If we store the answer of
first calculated path-1 then
we can reuse for next answer
and not check for path-2.

for storing the answers memoization
will come in picture.

For memoization you take a
2D array.

Why 2D array bcz two
variables changing

idx & openSet

the maxm

idx \rightarrow 0 to n

openSet \rightarrow 0 to n

↳ when string contains obj
openSet

dp[n+1][n+1];

T.C. = $O(3^n)$ \rightarrow without
memoization

T.C. = $O(n \times n)$

S.C. = $O(n \times n)$

Memoization

Bottom - UP Approach

We have a 2D DP array of size

$$DP[n+1][n+1]$$

(In memoization we go &
fill the $DP[idx][open(ut)]$
& final answer stored in)

$DP[0][0]$ bcz we call

solve(\uparrow , \uparrow , S)
 idx open(ut)

So in Bottom Up you also have a
2D $DP[n+1][n+1]$ i.e. you have
to apply two for loops like
that

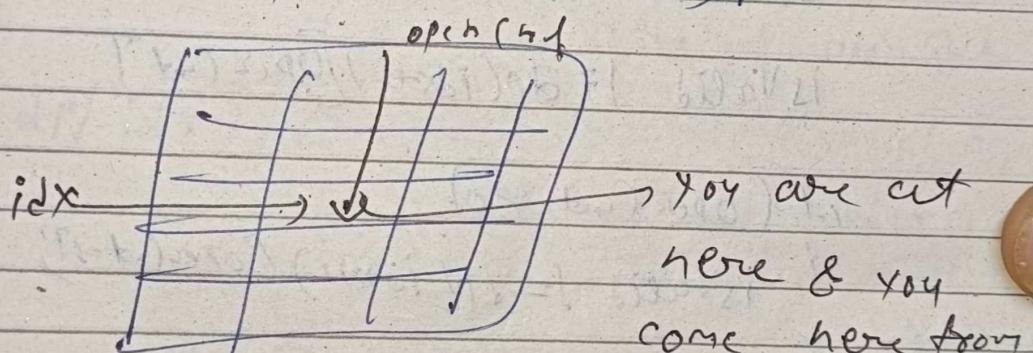
```
for (idx = 0 to n)
{
    for (open(ut) = 0 to n)
```

But when you saw in the memoization code you get back the answer of $\text{solve}(\text{idx}, \text{open}(n))$ you get from it.

$\text{solve}(\text{idx}+1, \text{open}(n) + 1)$ or

$\text{solve}(\text{idx}+1, \text{open}(n))$:

so like you have DP



but if you want to fill this you should have the answers of

$(\text{idx}+1, \text{open}(n)-1)$ or $(\text{idx}+1, \text{open}(n))$

or
 $(\text{idx}+1, \text{open}(n))$

So you can't get the answer

from $\text{idx}=0$ to

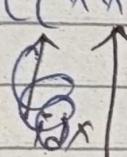
$\text{open}(n)=0$ to

The for loop of Open can't
change bcz you start traversing string starting from last, but open() of
To like this from last, but open() of
is still == 0

```
for(idx = n-1; idx >= 0; idx--)  
{  
    for(openCount = 0; openCount <= n; openCount++)  
    {  
        if(s[idx] == '*')  
        {  
            isValid1 = dp[idx+1][openCount]  
           isValid1 = dp[idx+1][openCount + 1]  
            if(openCount > 0)  
            {  
                isValid1 = dp[idx+1][openCount - 1];  
            }  
            else if(s[idx] == '(')  
            {  
                isValid1 = dp[idx+1][openCount + 1];  
            }  
            else if(openCount > 0)  
            {  
                dp[idx] (open) is invalid  
                returning dp[0] (0)
```

$dp[idx][open\ (cnt)] \rightarrow$ can be
True / False.

The meaning of
cnt is like

0 1 2 3 4 5 6 7 8 9 10 11 12
 "((*))((((* * *)))")

 idx, open(cnt)

Suppose that you
are at the
idx index in string,

→ There can be a
value of open(cnt).

$dp[idx][open\ (cnt)]$ का यह मतलब है

कि पार्टिंg idx index

का open cnt करना कि कि करना

idx से till (n-1) index का कि

string का valid string का बनाते
होंगी।

$dp[0][0] \rightarrow$ कम सिक्के के लिए initially
you have 0 open
parenthesis then form
0-th index to till (n-1) index
is this string can be valid
or not.

Approach-3

↳ our approach

Track the index of open & close.

Approach-4

left to right traversing in string
right to left

assumptions

left to right ' $*$ ' \rightarrow '('

right to left ' $*$ ' \rightarrow ')'

e.g. $\rightarrow "*(())(())"$

$$\text{OpenCount} = 1 + 1 + 1 - 1 - 1 + 1 + 1 = 3$$

$$\text{CloseCount} = - + 1 - 1 + 1 + 1 - 1 - 1 + 1 = 1$$

if any point of time

$\text{OpenCount} < 0 \rightarrow \text{return false}$

$\text{CloseCount} < 0 \rightarrow \text{true}$

openCint < 0

↳ it means string H^0

close parenthesis b $\overline{\text{Eg}}^0$

char E

even though you
are taking '*' as open-

closeCint > 0

Open parenthesis

$\overline{\text{Eg}}^0$ 54745 even

though you treating
'*' as close