

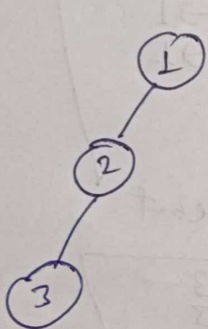
Que. Can you construct a unique Binary Tree with following?

(a) Preorder & postorder

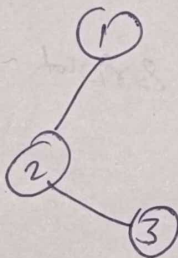
ex

pre-order $\rightarrow 1\ 2\ 3$

post-order $\rightarrow 3\ 2\ 1$



pre-order $\rightarrow 1\ 2\ 3$
post-order $\rightarrow 3\ 2\ 1$



pre-order $\rightarrow 1\ 2\ 3$
post-order $\rightarrow 3\ 2\ 1$

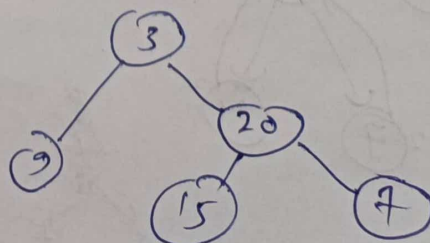
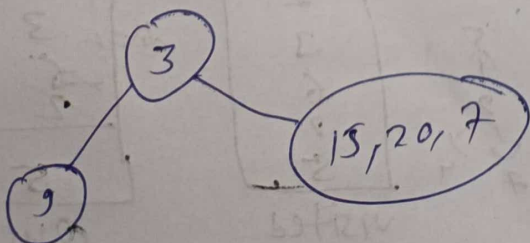
from preorder & postorder you can't construct a unique BT.

(b) Inorder & Preorder

Yes

Inorder = $[2, 3, 15, 20, 7]$

preorder = $[3, 2, 20, 15, 7]$



② Inorder & Postorder Yes

Construct a Binary Tree from in & pre order Traversal

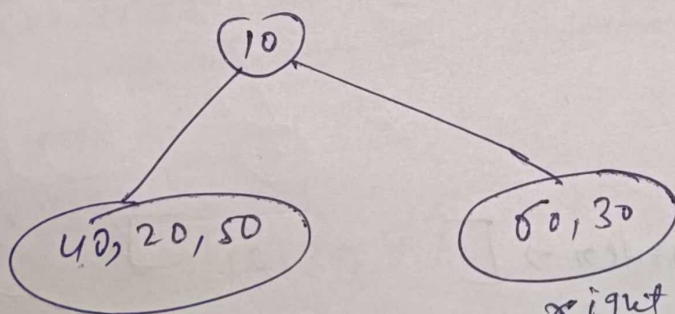
(Left root right)

Inorder $\rightarrow [40 \ 20 \ 50 \ 10 \ 60 \ 30]$

preorder $\rightarrow [10 \ 20 \ 40 \ 50 \ 30 \ 60]$

(root left right)

↑
root of
the tree



left subtree

inorder $\rightarrow [40, 20, 50]$

preorder $\rightarrow [20, 40, 50]$

↓
Now we have same problem
like we are given in &
pre order & we have to
generate a BT.

in $\rightarrow [60, 30]$

pre $\rightarrow [30, 60]$

right subtree

Approach:- for every

recursive call we
get the root from
pre order &

left from inorder

right from inorder

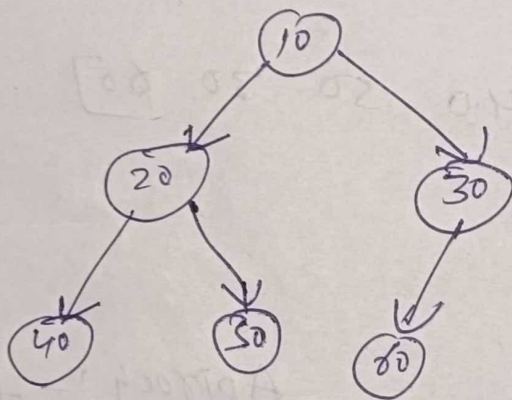
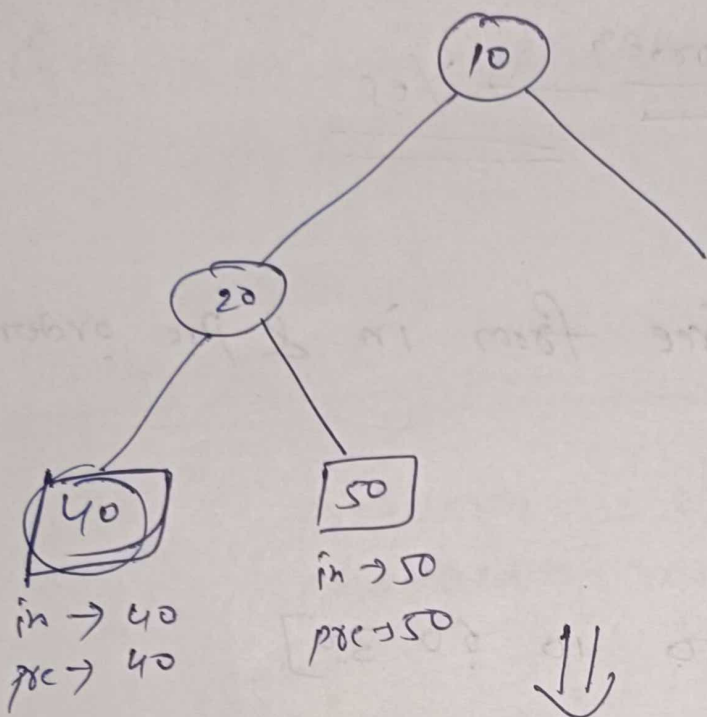
Now when we call

for left subtree then

we pass the inorder &

preorder for left subtree

also similarly for the
right subtree



How to code this

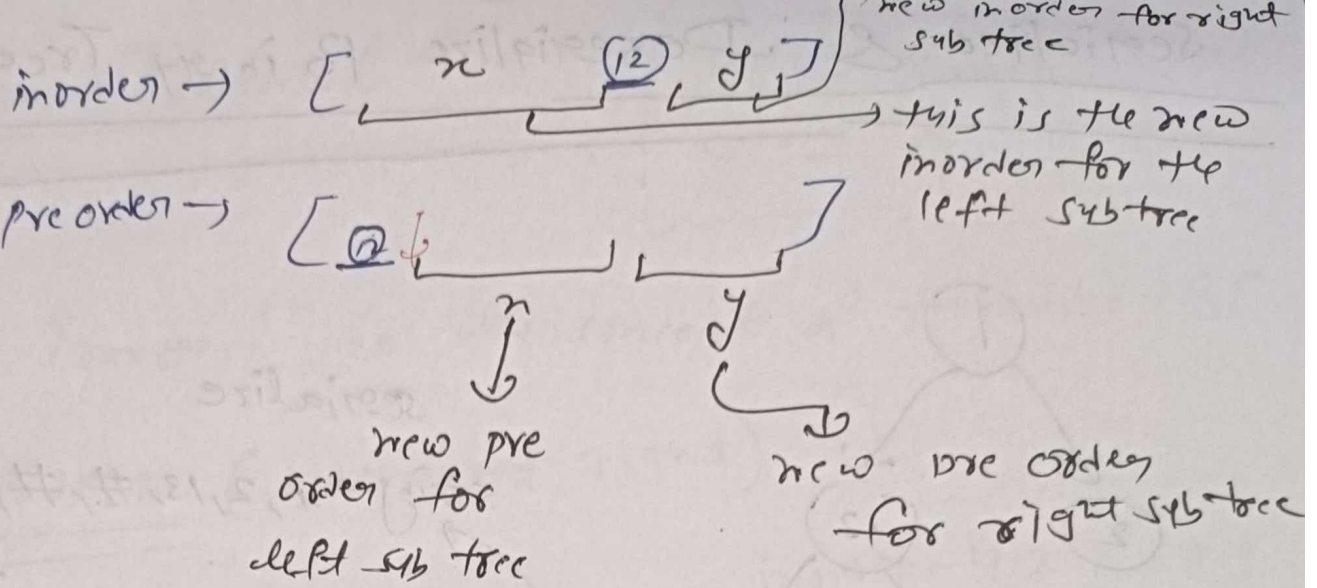
Step: 1

Hash this
(Val, idx)

inorder -> []

pre order -> [0]

every first
element of pre order
will be root of that
tree



T.C. = $O(N)$

S.C. = $O(N)$ + $O(N)$

\uparrow
map

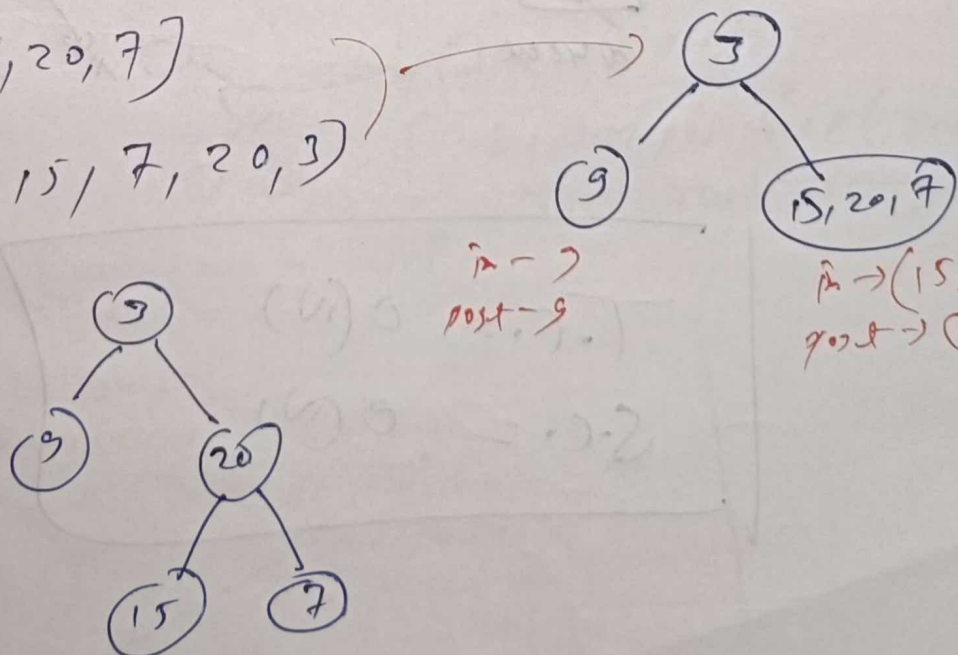
\uparrow
recursive stack

Construct BT from inorder & postorder

Same as previous

in \rightarrow (9, 3, 15, 20, 7)

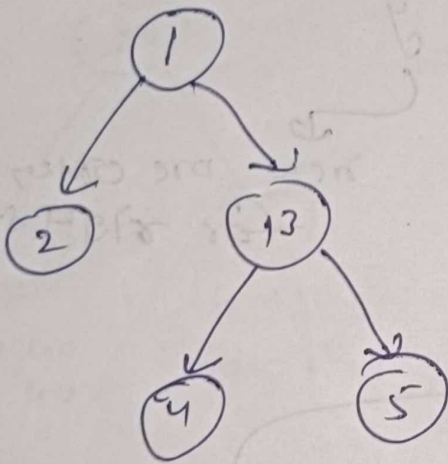
post \rightarrow [9, 15, 7, 20, 3]



in \rightarrow
post \rightarrow 9

in \rightarrow (15, 20, 7)
post \rightarrow (15, 7, 20)

Serialize & Deserialize Binary Tree



serialize

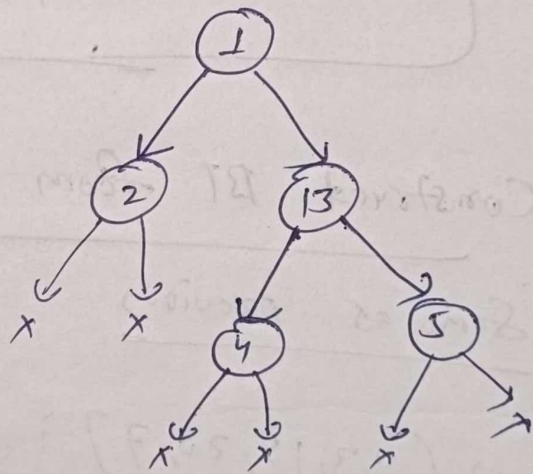
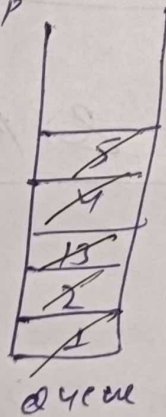
string $\rightarrow 1, 2, 13, \#, \#, 4, 5, \#, \#, \#, \#$

level order traversal.

Deserialize

string

o/p



$$T.C. = O(N)$$

$$S.C. = O(N)$$