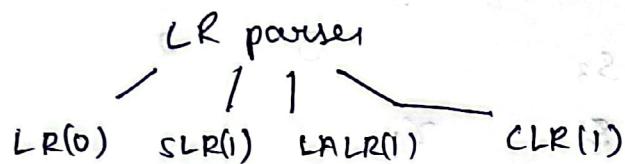


Compiler design

LR parser is one type of bottom up parsing used to parse large number of grammar.

L stand for left to right scanning of input

R stand for constructing Right most derivation. in reverse.



It requires stack, input output and parsing table.

Table contains action and go to part.

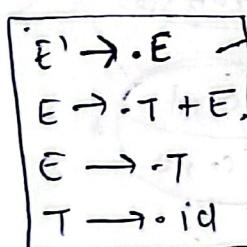
LR(0) parser

LR(0) canonical item

→ Augment

$$E \rightarrow T + E \quad | \quad T$$

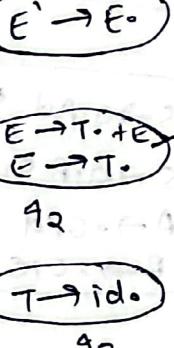
$$T \rightarrow id \cdot 3$$



g₀

Accepting state.

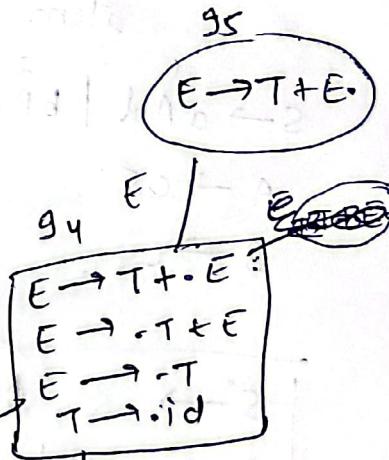
g₁



g₂



g₃



g₄

E

$$E \rightarrow T + E \cdot$$

Table

State	Action		Auto	
	id + \$.	E	T	
0	s ₃		1	2
1				
2	r ₂	r ₂	r ₂	
3	r ₃	r ₃	r ₃	
4	s ₃		5	2
5	r ₁	r ₁	r ₁	

Shift reduce conflict

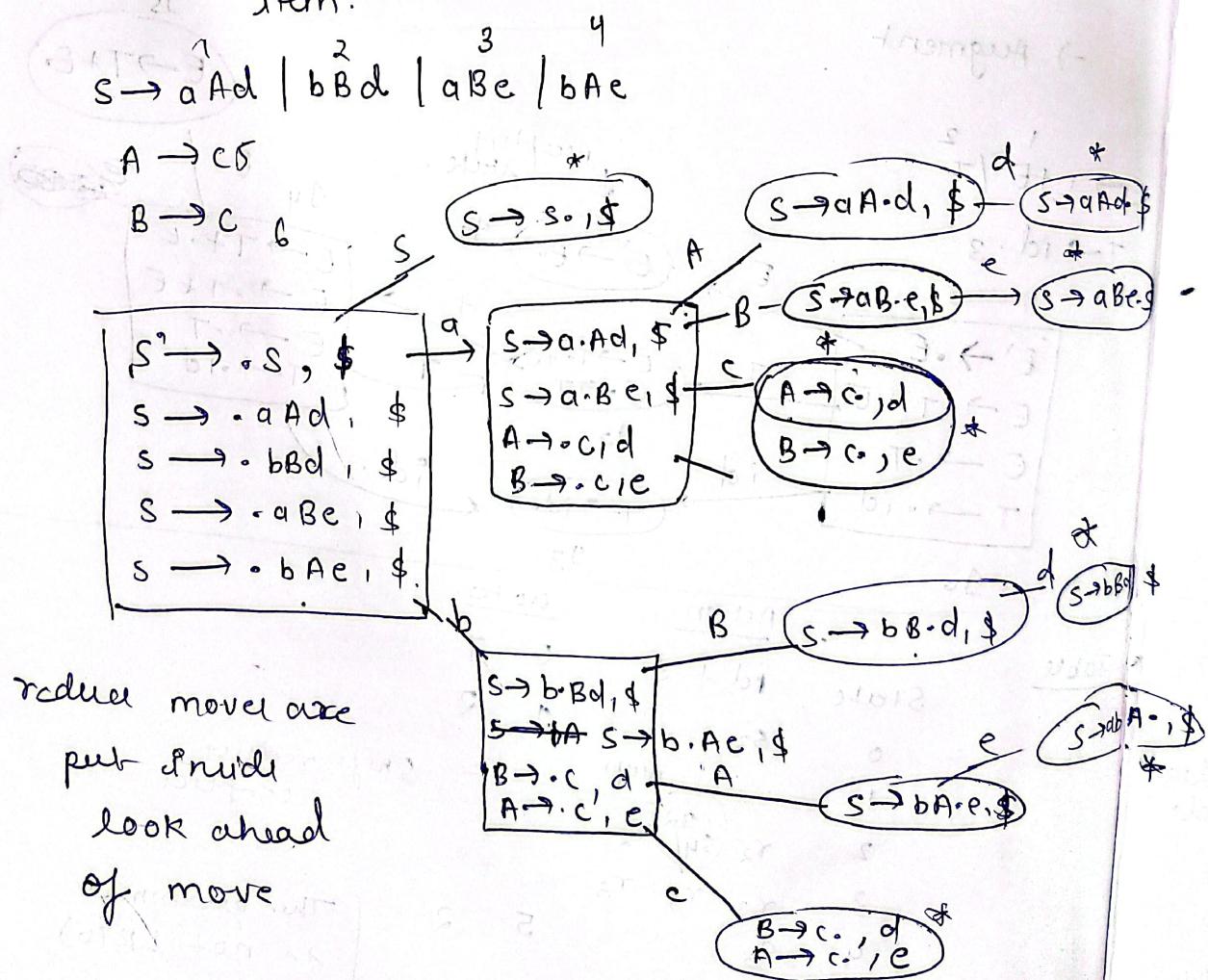
This grammar
is not LR(0)

SLR(1) parsing table

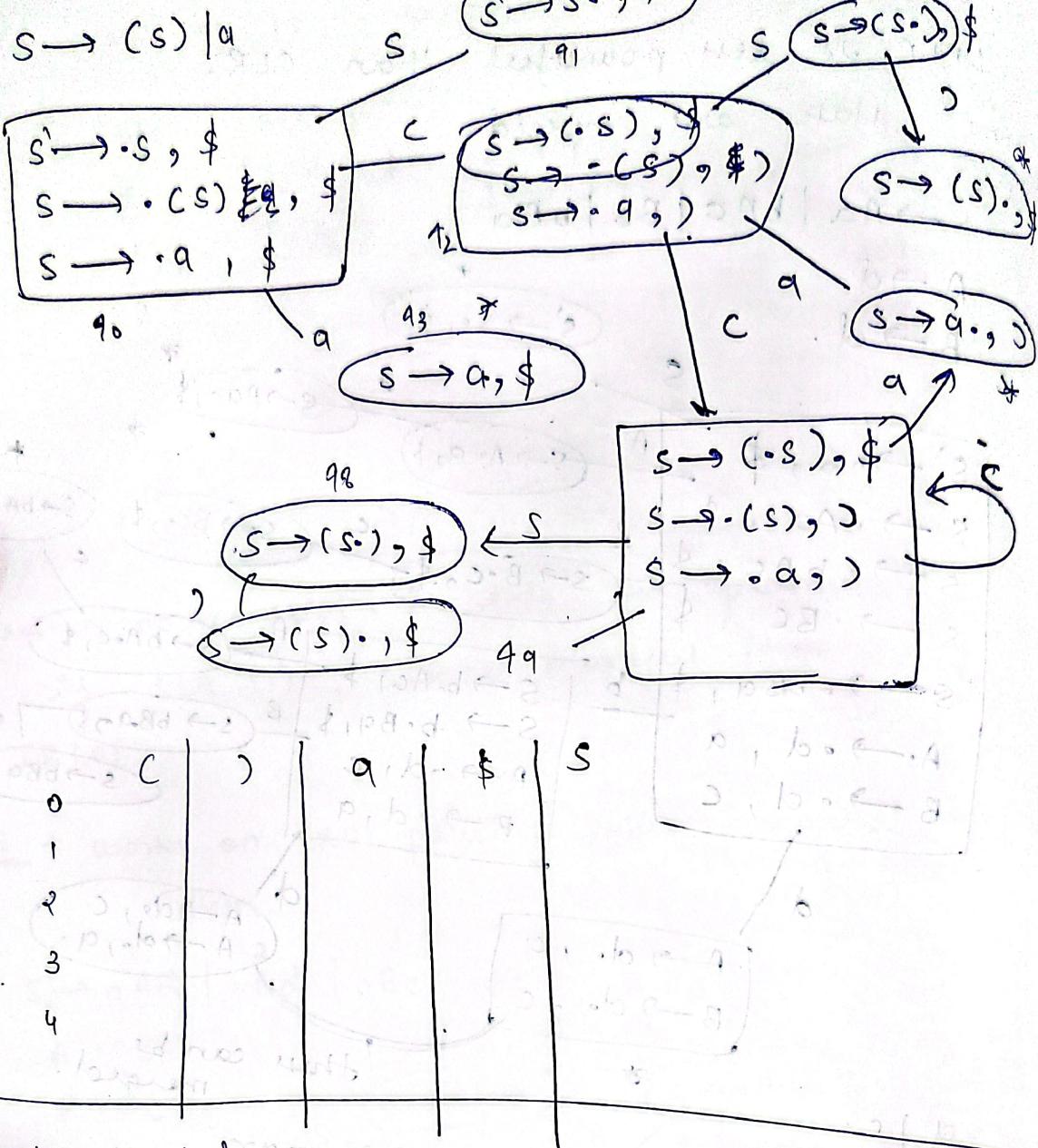
State	Action	Go	To	Reduction
0	id + \$	E	T	not permitted
1	S ₃	-1	2	the whole row but
2	S ₄	r ₂		imply
3	r ₃	r ₃		follow
4	S ₃	5	2	of left
5	\$	r ₁	r ₂ (row 2 col 2)	

There is no conflict in this the grammar is SLR(1), SLR is moreful than LR(0)

CLR - works on LR(1) parsing table. canonical item.



Question



Syntax directed translation:

Grammar + Semantic rules = SDT

Parse tree is evaluated in SDT

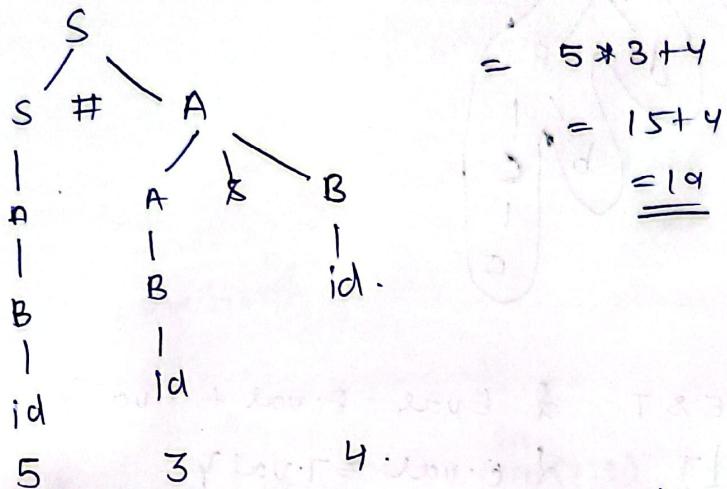
\$ PT → [SDT] Annotated tree.

Application -

- 1) Executing arithmetic expression
- 2) infix to postfix.
- 3) infix to prefix
- 4) binary to decimal
- 5) count no. of reduction
- 6) Syntax tree

- 7) generate intermediate code
- 8) type checking
- 9) store types into symbol table.

$S \rightarrow S \# A / A$ $\{ S.\text{val} = S.\text{val} + A.\text{val}, \}$
 $A \rightarrow A \& B / B$ $\{ A.\text{val} = A.\text{val} + B.\text{val}, \}$
 $B \rightarrow \text{id}$ $\{ B.\text{val} = \text{id}. \text{val}, \}$
 grammar
 find - $S \# 3 \& 4$ Rule



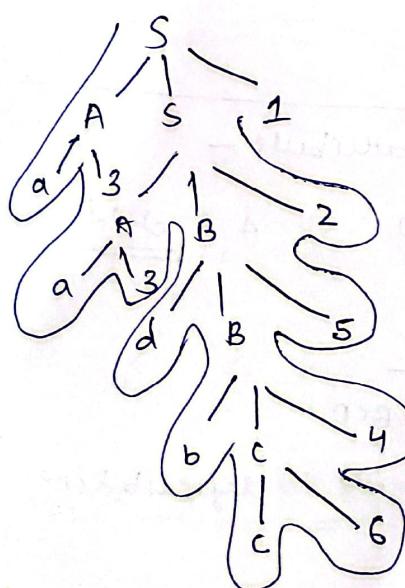
SDT evaluation

Top down.

$S \rightarrow AS$	$\{ \text{PNTf } (1) \}$	1	$E \rightarrow E + T$
$S \rightarrow AB$	$\{ \text{PJ } (2) \}$	2	$E \rightarrow T$
$A \rightarrow a$	$\{ \text{PJ } (3) \}$	3	$T \rightarrow T * F$
$B \rightarrow bC$	$\{ \text{PJ } (4) \}$	4	$T \rightarrow F$
$B \rightarrow dB$	$\{ \text{PJ } (5) \}$	5	$F \rightarrow \text{num.}$
$C \rightarrow c$	$\{ \text{PJ } (6) \}$	6	

$3 + 5 * 4 = 23$

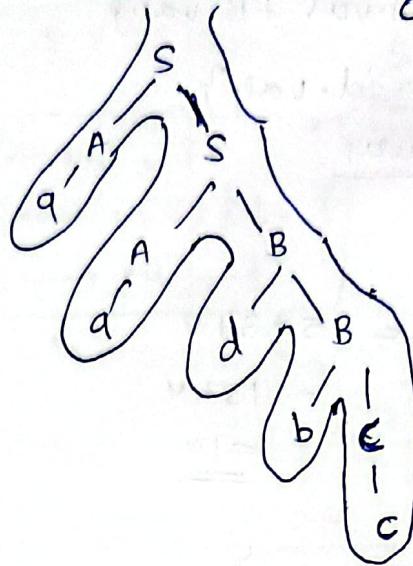
o/p: aadbc



o/p: 3364521

Bottom up

O/P: 3364.521



SDT

$E \rightarrow E * T$ & $\text{Eval} = E.\text{val} + T.\text{val}$

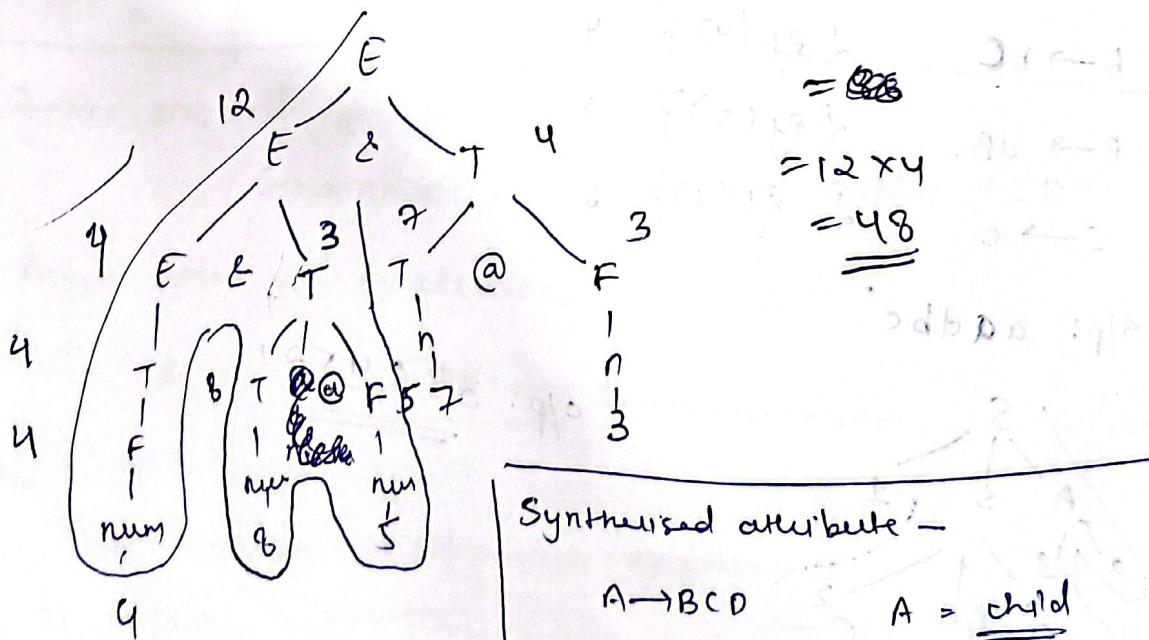
• IT { e.val = T.val }

$$t \rightarrow t @ f \quad \{ t \cdot \text{val} = i \cdot \text{val} + f \cdot \text{val} \}$$

|F | < t-val = Fval

$f \rightarrow \text{num}$ $\{ f.\text{val} = \text{num} \}$

41p: 428 @ 587 @ 3



Synthesised attribute -

$$A \rightarrow BCD \quad A = \underline{\text{child}}$$

Inherited -

$A \rightarrow BCD$

~~Parent & responsibility~~

Type of SOT

s-attributed

Based on synthesised

use bottom up
Parsing

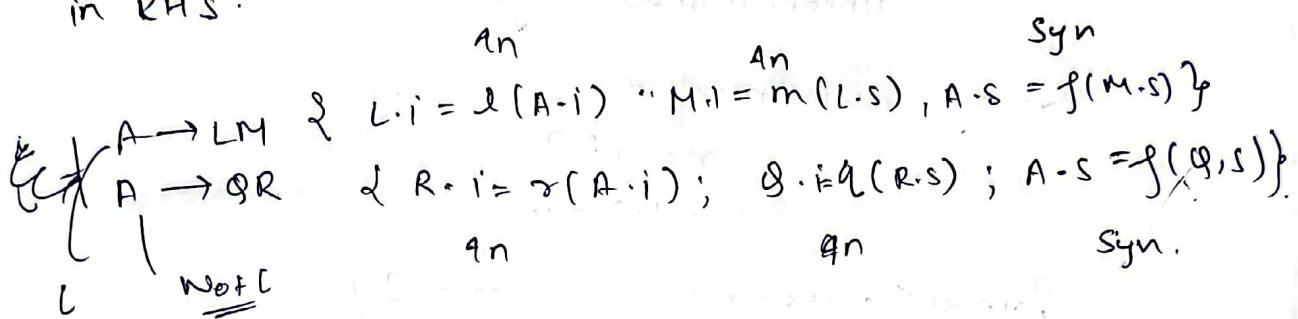
semantic rule
always written
in Rightmost position
in RHS.

I attributed

Based on synthesised
and inherited attribute

Top down pausing

semantic rule anywhere
in RHS



Intermediate code generation

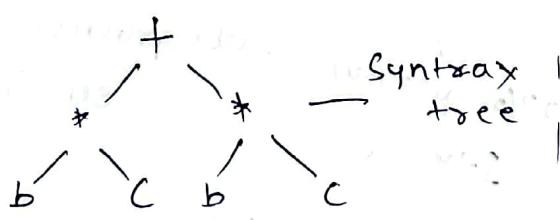
- machine independent
 - Abstract syntax tree
 - Directed Acyclic graph
 - Postfix
 - 3-address (Quadruple, Triple)

method to
generate
GCA

Intermediate code can work on different platform.

most famous - 3 address col.

$$(b * c) + (b * c)$$



postfix \rightarrow bc* bc* +



DAG representation

3 address

$$\begin{array}{l} x_1 = b * c \\ x_2 = b + c \\ x_3 = x_1 + x_2 \end{array} \quad \left. \begin{array}{l} \\ \\ \end{array} \right\} \text{max three address} \quad \underline{\underline{\text{address}}}$$

Various operation

Assignment - $n = n \oplus 2$ — ~~$\oplus 1$~~ $n = n + y$

$n = op\ y$ $n = +y \Rightarrow n = n + y$
 $n = y$ relation operator.

Jump - conditional - My n rdo 4 goto L 11(1154)
goto 1

Unconditional - goto L

Array assignment -

$$n = y \ell + 1$$

$$n(1) = y$$

Pointer arrangement = $n = 84$

$$n = *y$$

code optimisation

Platform dependent
technique

- peephole
 - instruction level parallelism
 - Data level parallelism
 - cache optimisation
 - Redundant resources

Platform independent

- loop optimization, tree
- ✓ loop jamming, reduction

loop unrolling

- constant folding
 - constant propagation
 - common

$$22/\pi \quad \sqrt{2} = 1.41$$

subexpansion

elimination.

$$a = b + c$$

$$x = b * c$$

loop optimization

1) code motion (frequency reduction)

$a = 100$

while ($a > 0$)

$x = x + 2;$

 if ($a - x == 0$)

 print ("x + a", a);

}

} Not changing can be shifted.

2) loop fusion

int i, a[100], b[100]

for (i=0; i<100; i++)

 a[i] = 1;

for (i=0; i<100; i++)

 b[i] = 2;



3) loop unrolling

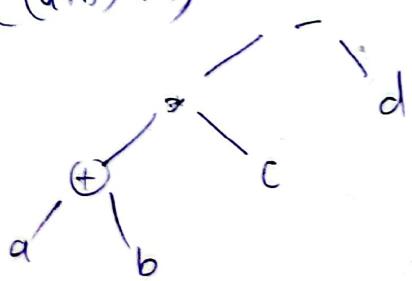
for (i=0; i<5; i++)
 printf("varun");

C

Pj()

Pj() 5 times

((a+b)*c)-d



infix - a+b*c-d

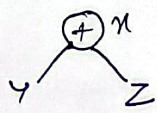
post - ab+c*d-

pre - -*+ab cd

DAG representation of basic blocks

- directed acyclic graphs
- determine common subexpression
- leaves are labelled by variable name or constant initial value subscripted with θ
- anterior node with θ
- internal node also represent result of expression.

$$m = y + z$$

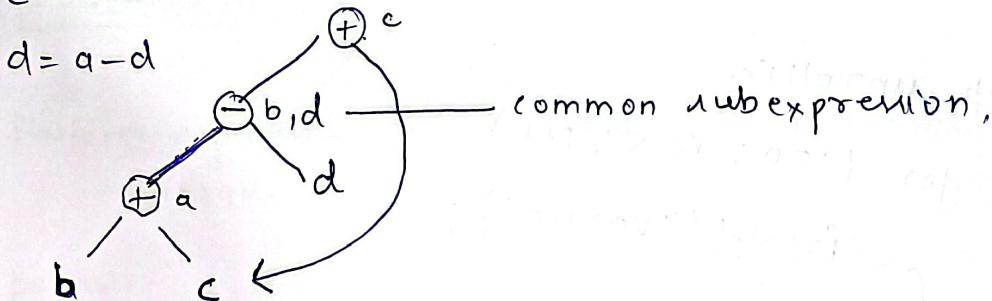


$$\text{Ex} - a = b + c$$

$$b = a - d$$

$$c = b + c$$

$$d = a - d$$



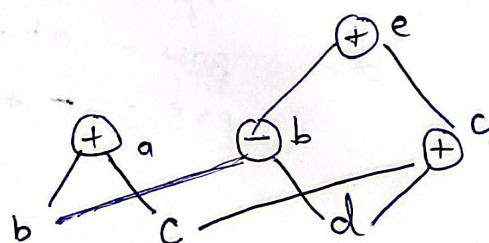
Ex

$$a = b + c$$

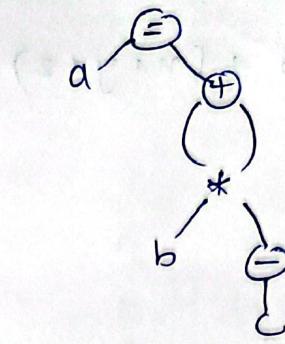
$$b = b - d$$

$$c = c + d$$

$$e = b + c$$



$$\text{Ex- } a = b * -c + b * -c$$



Quadruple ICA - arg1, arg2 | op, result

$$a = b * -c + b * -c$$

- 0 $f_1 = -c$
- 1 $f_2 = b * f_1$
- 2 $f_3 = -c$
- 3 $f_4 = b * f_3$
- 4 $f_5 = f_2 + f_4$
- 5 $a = f_5$

	op	arg1	arg2	result
0	un(-)	c		f_1
1	*	b	f_1	f_2
2	un(-)	c		f_3
3	*	b	f_3	f_4
4	+	f_2	f_4	f_5
5	assign	f_5		a.

triple - op, arg1, arg2.

	op	arg1	arg2
0	un(-)	c	
1	*	b	(0)
2	un(-)	c	
3	*	b	(2)
4	+	(1)	(3)
5	Assign	a	(4)

quad and triple

$$(n+y) * (y+2) + (n+y+2)$$

$$t_1 = n+y$$

$$t_2 = y+2$$

$$t_3 = t_1 * t_2$$

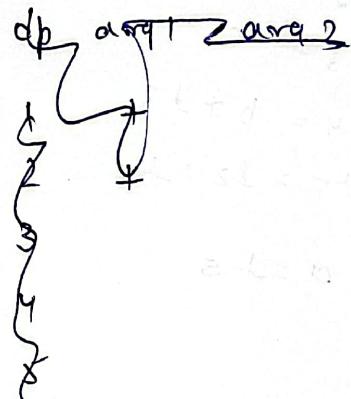
$$t_4 = t_1 + 2$$

$$t_5 = t_3 + t_4$$

quad

Op	arg1	arg2	result
0	+	n	t1
1	*	y	t2
2	*	t1	t3
3	+	t1	t4
4	+	t3	t5

triple



triple

Op	arg1	arg2
0	+	n
1	+	y
2	*	0
3	+	0
4	+	2

qca.

Q) int i

$$j=1$$

while (i < 10 do

if n > y then

$$i = n+y$$

else

$$i = y-x$$

$$i=1$$

2 if i < 10 goto (4)

3 goto(0)

4 if n > y goto (6)

5 goto(8)

6 i = n+y

7 goto(2)

8 $i = n - 4$
 9 goto (2)
 10 stop
 11

8- $c = 0$
 do
 {
 if ($a < b$)
 $n++$
 else
 $n--$
 $c++;$
 } while ($c < 5$);

1 $c = 0$
 2 if ($a < b$) goto (4)
 3 goto (7)
 4 $n = n + 1$
 5 $c = c + 1$
 6 goto (10)
 7 $m = n - 1$
 8 $c = c + 1$
 9 goto (10)
 10 if ($c < 5$) goto (2)
 11 goto (12)
 12 stop

more translation

1) Array reference in arithmetic

2) procedure call

3) case statement

1-D

2-D

width.

Address of $A[i] = B + w * (i - LB)$

$$B = 1100$$

$$LB = 0$$

$$w = 4$$

$$\begin{aligned}
 A[4] &= 1100 + 4 \times (4 - 0) \\
 &= \underline{\underline{1116}}
 \end{aligned}$$

$$= B + 4*i$$

```

int i
int a[10]
i=1;
while (i<10)
{
    if (a[i]==0)
        i=i+1
}
i=1
if (i<10) goto (4)
3 goto (8)
4 d1=4*i
5 a[d1]=0
6 i=i+1
7 goto(2)
8 stop
9
10

```

two dimension array

$A[m][n]$

row major representation
column major representation.

	0	1	2	3
0	8	6	3	2
1	4	5	9	1
2	6	3	2	4

8 6 3 2 4 5 9 1 6 3 2 4 row

8 4 6 6 5 3 3 9 2 2 1 4 column.

$$\begin{aligned}
 A[i][j] &= B + w * [N * (i - L_r) + (j - L_c)] \\
 &= B + w * [(i - L_r) + m * (j - L_c)]
 \end{aligned}$$

8
int i
int a[10][10]
j=0
while (i<10)

$\{ a[i][j] = 1;$
 $i++;$
 $\}$
 $i=0$
 $if (i < 10) goto (4)$
3 goto (8)
4 $d_1 = 4i + j$
5 $a[d_1] = 1$
6 $i = i + 1$
7 goto(2)
8 stop

$$\begin{aligned}
 &B + w * (10 * (i - 0) + i) \\
 &\stackrel{B=}{=} 4 * (10 * (i - 0) + i) \\
 &\stackrel{w=}{=} 4 * 4 * i
 \end{aligned}$$

call statement

1 with (ch)

2 case 1 : c = a + b
break;

case 2 : c = a - b
break;

}

```

1 if ch=1 : goto(3)
2 if ch=2 goto(5)
3 t=a+b
4 goto(7)
5 c=a-b
6 goto(7)
7 .stop
8
9
10

```

procedure call - $P(A_1, A_2, \dots, A_n)$

Param A_1

Param A_n

call P, n

void main()

1 int x, y;

xwap (&x, &y)

void xwap (int *a, int *b)

2 int i;

j = *b

*b = *a;

*a = i;

}

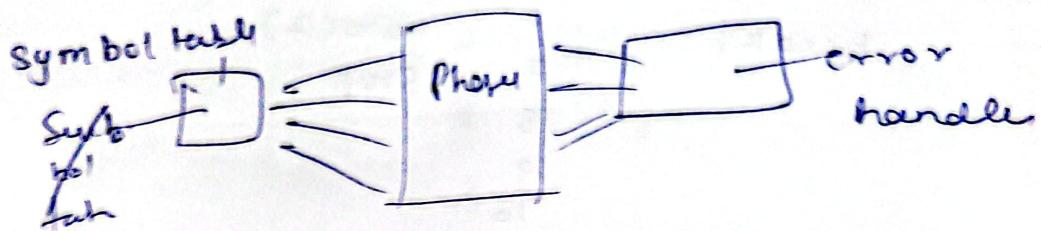
```

1 call main
2 Param &x
3 Param &y
4 call swap, 2
5 j = *b
6 *b = *a
7 *a = j
8 .stop
9
10

```

Symbol Table

It is a data structure created and maintained by compiler in order to store information about variable, function, class, object etc.



format to store -

i) data type, name, scope

address, other attributes.

e.g.

SN	Name	Type	attr.	Static int a float b
1	a	int	Static	
2	b	float		

Representation - fixed length

variable length.

Operation

insert insert(a, int)

lookup lookup(a)

delete delete(a)

Scope management local and global.

int val1,
void one()

{
 int a;
 int b;

{
 int c;
 int d;

}
int e
{
 int f;
 int g;

}
void two()
int n;
int y;

{
 int p;
 int q;
}
int r;

Implementation

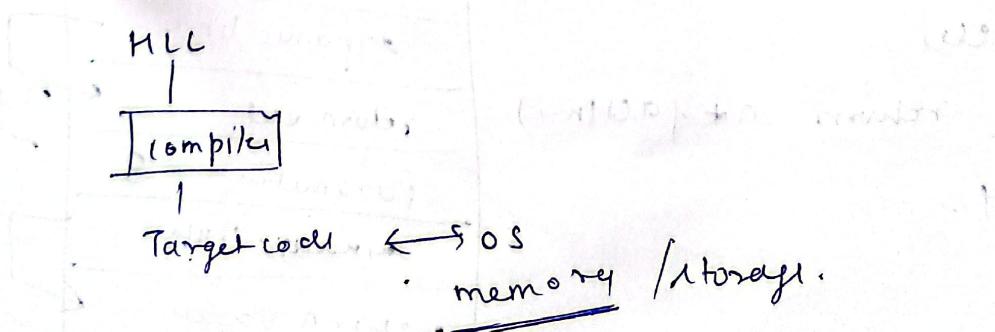
1) linear list - array -

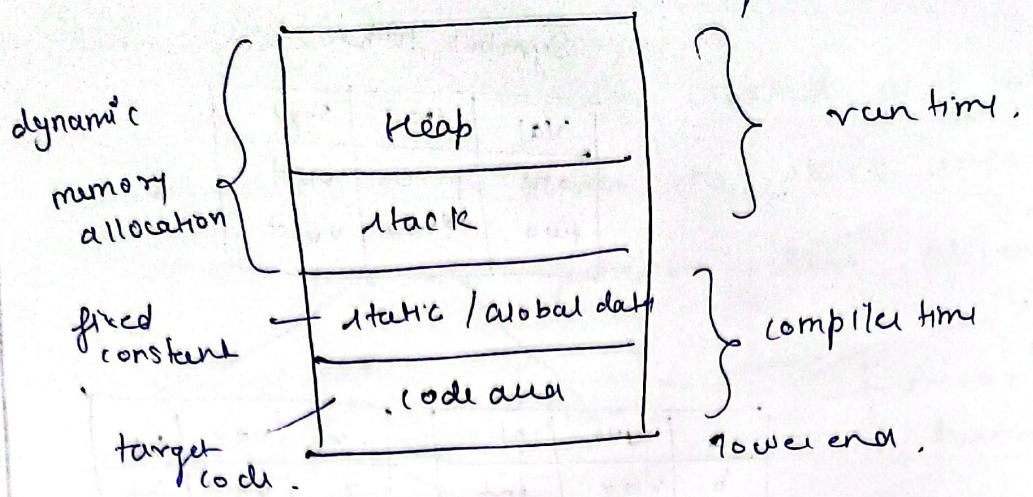
2) self organising list - linked list

3) Binary search tree.

4) Hash map / table

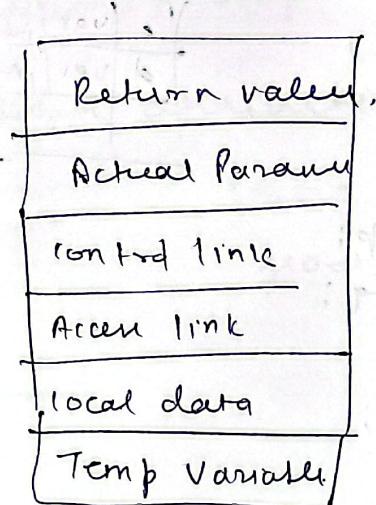
Runtime storage Administration





simple stack allocation Administration.

Activation record for each function.



Q - main()

{ int f

f= fact(3);

}

for (int n)

{

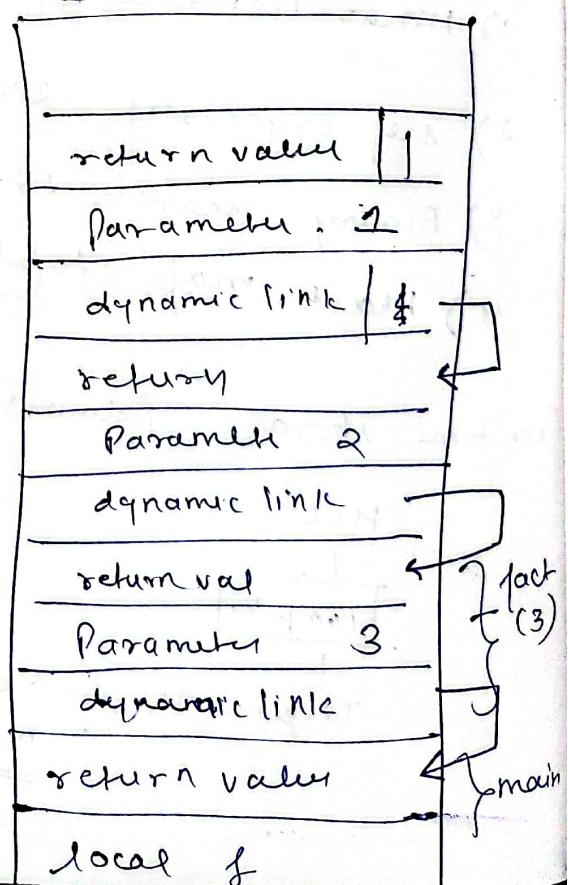
if (n==1)

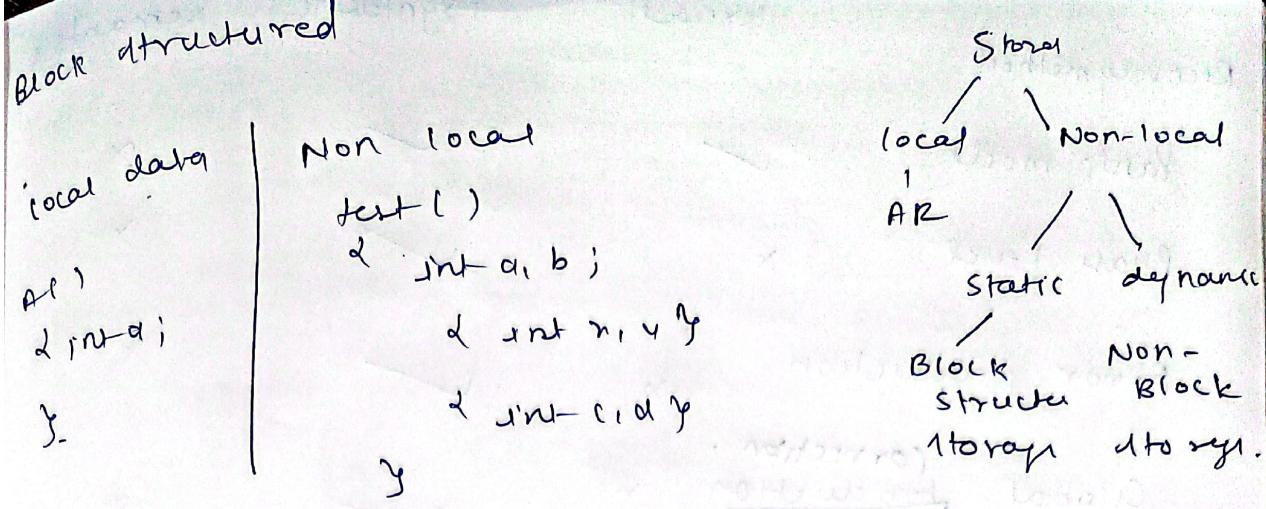
return;

else

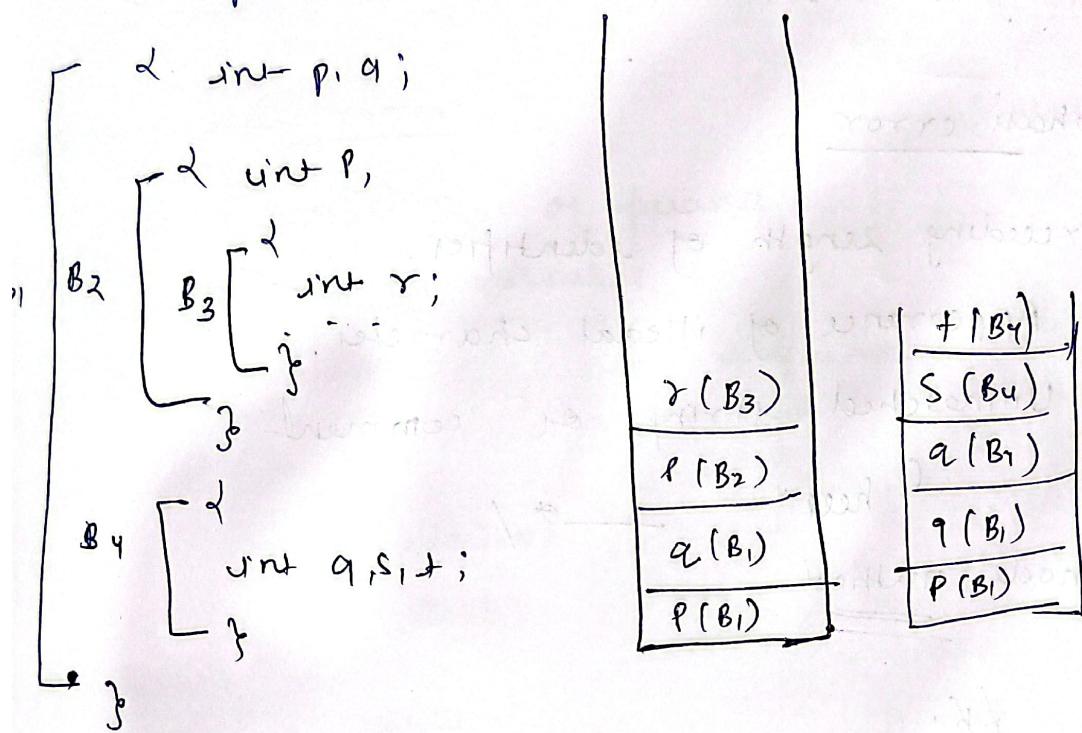
return n*fact(n-1);

}





e.g. `accept test()`



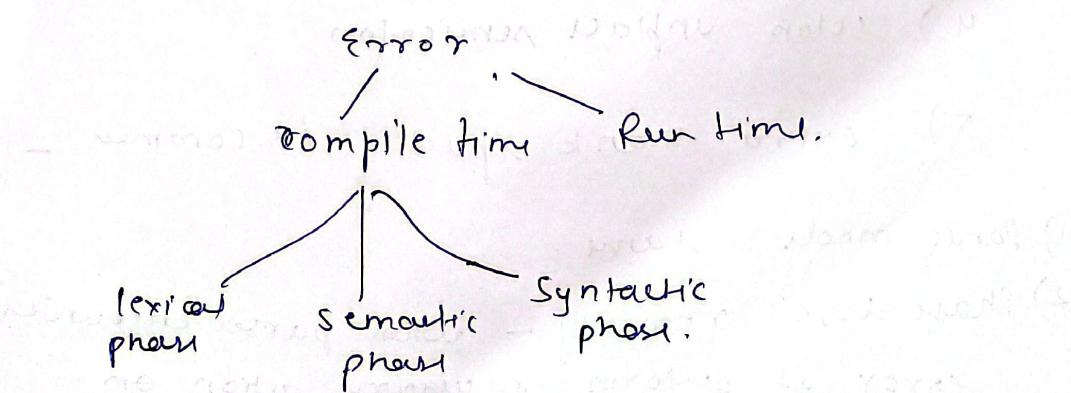
Error detection and recovery

connected with all phases -

function - error detection

error reporting

error recovery.



Lexical Syntactic Semantic

Recovery method

Panic mode

✓

✓

✗

Phase level

✗

✓

✗

Error production

✗

✓

✗

Global ^{correction}
production

✗

✓

✗

using symbol table

✗

✗

✓

Lexical phase error

- i) exceeding length of identifier.
- ii) appearance of illegal character.
- iii) Unmatched string or comment

(

(here)

— * /

Panic mode method

pp;

Syntactic phase error —

- 1) missing parenthesis.
 - 2) missing operator.
 - 3) misspelled keyword.
 - 4) colon in place of semicolon
 - 5) Extra blank space. /* comment _ /
- 1) Panic mode - name .
 - 2) Phase level recovery - when parser encounters error it performs necessary action on

Error production - Add extra grammar

and matches augmented grammar and parse input

global correction - parser, examine whole

program and try to find closest match for it which is error free it

is not practically implemented.

Semantic phase error -

i) incompatible type of operand

ii) Undeclared variable

iii) Not matching actual argument with formal argument.

int a[10] & b;

a = b;

Recovery

Symbol Table -

remaining input and parser rest input

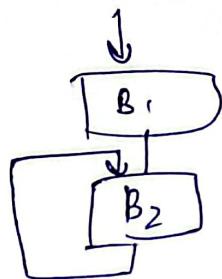
Basic block

```

begin
prod=0
i=1
do
begin
    prod = prod + a[i] * b[i]
    i = i + 1
end
while (i <= 20)
end

```

first statement
 goto ()
condition



flow graph.

Common sub exp.

$$\begin{array}{l}
 t_{11} = 4 * i \\
 n = a[t_{11}] \\
 t_{12} = 4 * i \\
 \hline
 \end{array}
 \Rightarrow
 \begin{array}{l}
 t_{11} = 4 * i \\
 n = a[t_{11}] \\
 a[t_{11}] = 4 \\
 a[t_{12}] = 4
 \end{array}$$

Copy propagation

$$\begin{array}{l}
 n = t_3 \\
 a[t_2] = t_5 \\
 a[t_4] = n
 \end{array}
 \leftarrow$$

goto B2

dead code elimination

$$\begin{array}{l}
 a[t_2] = t_5 \\
 a[t_4] = n
 \end{array}$$

$$\text{constant folding} - \pi r^2 = 3.14 * r * r$$