# TEAM DEAD TEMPLATES

mhtkrag

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# TEAM DEAD

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### 1 data-structures

#### 1.1 dsu

```
struct DSU {
 vector<int> parent, siz;
 void init(int n) {
   parent.resize(n);
   siz.resize(n);
   for (int i = 0; i < n; i++) {</pre>
     parent[i] = i;
     siz[i] = 1;
   }
 }
 int find(int x) {
   if (x == parent[x]) return x;
   return parent[x] = find(parent[x]);
 void merge(int x, int y) {
   x = find(x);
   y = find(y);
   if (x == y) return;
   if (siz[x] < siz[y]) swap(x, y);</pre>
   parent[y] = x;
   siz[x] += siz[y];
 }
 int size(int x) { return siz[find(x)]; }
 bool same(int x, int y) { return find(x) == find(y); }
}
```

### 1.2 lazy-segment-tree

```
template <typename node_type, typename tag_type>
struct lazy_segtree {
 vector<node_type> tree;
 vector<tag_type> lazy;
 int n;
 template <typename Iter>
 void init(Iter first, Iter last, int nn = -1) {
   if (n == -1) n = distance(first, last);
   tree.resize(4 * n);
   lazy.resize(4 * n);
   build_tree(0, 0, n - 1, first);
 node_type query(int ql, int qr) { return query(0, 0,
      n - 1, ql, qr); }
 void update(int ql, int qr, tag_type const &val) {
   update(0, 0, n - 1, ql, qr, val);
 }
private:
 template <typename Iter>
 void build_tree(int id, int tl, int tr, Iter first) {
   if (tl == tr) {
     tree[id].init(tl, tr, *(first + tl));
     lazy[id].init(tl, tr);
     return;
   int tm = (tl + tr) / 2;
   build_tree(2 * id + 1, tl, tm, first);
   build_tree(2 * id + 2, tm + 1, tr, first);
   tree[id] = node_type::merge(tree[2 * id + 1],
       tree[2 * id + 2]);
   lazy[id].init(tl, tr);
```

```
void push(int id, int tl, int tr) {
   if (tl != tr) {
     int tm = (tl + tr) / 2;
     tree[2 * id + 1].apply(tl, tm, lazy[id]);
     lazy[2 * id + 1].merge(lazy[id]);
     tree[2 * id + 2].apply(tm + 1, tr, lazy[id]);
     lazy[2 * id + 2].merge(lazy[id]);
   lazy[id].reset();
 node_type query(int id, int tl, int tr, int ql, int
   if (tl > qr || ql > tr) return node_type::phi();
   if (ql <= tl && tr <= qr) return tree[id];</pre>
   push(id, tl, tr);
   int tm = (tl + tr) / 2;
   return node_type::merge(query(2 * id + 1, tl, tm,
        ql, qr),
                          query(2 * id + 2, tm + 1, tr,
                              ql, qr));
 void update(int id, int tl, int tr, int ql, int qr,
      tag_type const &val) {
   if (tl > qr || ql > tr) return;
   if (ql <= tl && tr <= qr) {</pre>
     tree[id].apply(t1, tr, val);
     lazy[id].merge(val);
     return;
   push(id, tl, tr);
   int tm = (tl + tr) / 2;
   update(2 * id + 1, tl, tm, ql, qr, val);
   update(2 * id + 2, tm + 1, tr, ql, qr, val);
   tree[id] = node_type::merge(tree[2 * id + 1],
        tree[2 * id + 2]);
 }
};
struct tag {
 ll inc;
 void reset() { inc = 0; }
 void merge(tag const &other) { inc += other.inc; }
 void init(int tl, int tr) {}
};
struct node {
 static node phi() { return {OLL}; }
  static node merge(node const &a, node const &b) {
      return {a.data + b.data}; }
 11 data:
  void apply(ll tl, ll tr, tag const &t) { data += (tr
      - tl + 1) * t.inc; }
 template <typename T>
 void init(ll tl, ll tr, T &ddata) {
   this->data = ddata;
 }
};
```

# 1.3 segment-tree

```
template <typename T, typename CombineT>
struct SegmentTree {
  vector<T> tree;
  CombineT combine;
  T defaultValue;
  ll n;
```

```
void init(ll n, T val) {
   tree.resize(4 * n);
   this -> n = n;
   defaultValue = val;
   build_tree(1, 0, n - 1);
 template <typename Itr>
 void init(Itr begin, Itr end) {
   n = distance(begin, end);
   tree.resize(4 * n);
   build_tree(1, 0, n - 1, begin);
 }
 void build_tree(ll id, ll tl, ll tr) {
   if (tl == tr) {
     tree[id] = defaultValue;
     return;
   11 tm = (t1 + tr) / 2;
   build_tree(id * 2, tl, tm);
   build_tree(id * 2 + 1, tm + 1, tr);
   tree[id] = combine(tree[id * 2], tree[id * 2 + 1]);
 }
 template <typename Itr>
 void build_tree(ll id, ll tl, ll tr, Itr begin) {
   if (tl == tr) {
     tree[id] = *(begin + tl);
     return:
   11 tm = (tl + tr) / 2;
   build_tree(id * 2, tl, tm, begin);
   build_tree(id * 2 + 1, tm + 1, tr, begin);
   tree[id] = combine(tree[id * 2], tree[id * 2 + 1]);
 }
 T query(ll id, ll tl, ll tr, ll ql, ll qr) {
   if (ql > tr || tl > qr) return defaultValue;
   if (ql <= tl && tr <= qr) return tree[id];</pre>
   11 tm = (t1 + tr) / 2;
   return combine(query(id * 2, tl, tm, ql, qr),
                 query(id * 2 + 1, tm + 1, tr, ql, qr));
 T query(11 1, 11 r) { return query(1, 0, n - 1, 1,
      r); }
 void update(ll id, ll tl, ll tr, ll p, T x) {
   if (tl == tr) {
     tree[id] = x;
     return;
   11 tm = (t1 + tr) / 2;
   if (p <= tm)
     update(id * 2, tl, tm, p, x);
     update(id * 2 + 1, tm + 1, tr, p, x);
   tree[id] = combine(tree[id * 2], tree[id * 2 + 1]);
 void update(ll p, T x) { update(1, 0, n - 1, p, x); }
};
```

# 1.4 sparse-table

```
struct min_op {
 11 operator()(11 a, 11 b) { return min(a, b); }
};
struct max_op {
 11 operator()(11 a, 11 b) { return max(a, b); }
};
struct gcd_op {
 11 operator()(11 a, 11 b) { return __gcd(a, b); }
template <typename OperationT>
struct sparse_table {
 vector<vector<ll>> m;
 OperationT op;
 template <typename Itr>
 void init(Itr begin, Itr end) {
   11 sz = end - begin;
   11 lg = 63 - __builtin_clzll(sz);
   m.assign(sz, vector<ll>(lg + 1));
   for (11 j = 0; j <= lg; ++j) {</pre>
     ll len = (1 << j);
     for (ll i = 0; i + len - 1 < sz; ++i) {</pre>
       if (len == 1) {
         m[i][j] = *(begin + i);
       } else {
         m[i][j] = op(m[i][j-1], m[i+(1 << (j-1)])
             1))][j - 1]);
   }
 }
 11 query(11 L, 11 R) {
   11 j = 63 - \_builtin\_clzll((R - L + 1));
   return op(m[L][j], m[R + 1 - (1 << j)][j]);
 }
};
```

# 2 misc

# 2.1 bitwise-tricks

```
// iterating over subsets
for (int x = mask;; x = (x - 1) & mask) {
   // Code here...
   if (x == 0) break;
}
```

#### 2.2 cppt

```
#include <bits/stdc++.h>
using namespace std;
#define all(x) begin(x), end(x)
#define OUT(T) cout << "Case #" << T << ": "
#ifndef _DEBUG
#define endl '\n'
#endif
#ifdef _DEBUG
void dbg_out() { cerr << endl; }
template <typename Head, typename... Tail>
void dbg_out(Head H, Tail... T) {
   cerr << ' ' ' << H;</pre>
```

```
dbg_out(T...);
}
#define dbg(...) cerr << "(" << #__VA_ARGS__ << "):",</pre>
    dbg_out(__VA_ARGS__)
#else
#define dbg(...)
#endif
#define ckmin(x, y) x = min((x), (y))
#define ckmax(x, y) x = max((x), (y))
// clang-format off
template <typename T> ostream &operator<<(ostream &out,</pre>
    const vector<T> &v) { for (const auto &x : v) out
    << x << ' '; return out; }
template <typename T> istream &operator>>(istream &in,
    vector<T> &v) { for (auto &x : v) in >> x; return
// clang-format on
using ll = long long;
using lld = long double;
using pll = pair<ll, 11>;
using pii = pair<int, int>;
void solve(ll _t) {}
int main() {
 ios_base::sync_with_stdio(false), cin.tie(NULL);
 11 T = 1;
 cin >> T;
 for (ll t = 1; t <= T; ++t) solve(t);</pre>
```

#### 2.3 ordered-set

# 3 number-theory

#### 3.1 modular-int

```
const ll MOD = 1e9 + 7;
ll binexp(ll a, ll b, ll p = MOD) {
  if (b < 0) return 0;
  ll res = 1;
  while (b > 0) {
    if (b & 1) b--, res = (res * a) % p;
    a = (a * a) % p;
    b >>= 1;
  }
  return res;
}

inline ll modinv(ll x, ll p = MOD) { return binexp(x, p - 2, p); }
template < ll mod>
```

```
struct mi_ {
 ll value;
 mi_() = default;
 mi_(ll x) : value(x % mod) {}
 mi_(const mi_ &m) : value(m.value % mod) {}
 mi_ &operator=(const mi_ &m) {
   value = m.value:
   return *this;
 ll inverse_value() const { return modinv(value, mod);
 mi_ &operator+=(const mi_ &m) {
   value = (value + m.value) % mod;
   return *this;
 mi_ &operator-=(const mi_ &m) {
   value = (mod + value - m.value) % mod;
   return *this;
 mi_ &operator*=(const mi_ &m) {
   value = (value * m.value) % mod;
   return *this;
 mi_ &operator/=(const mi_ &m) {
   value = (value * m.inverse_value()) % mod;
   return *this;
 mi_ &operator++() {
   value++;
   value %= mod;
   return *this;
 mi_ &operator--() {
   value--;
   value %= mod;
   return *this;
 }
 mi_ operator*(const mi_ &b) { return mi_(value *
      b.value): }
 mi_ operator*(ll b) { return mi_(value * b); }
 mi_ operator-(const mi_ &b) { return mi_(mod + value
      - b.value); }
 mi_ operator-(ll b) { return mi_(mod + value - b); }
 mi_ operator+(const mi_ &b) { return mi_(value +
      b.value); }
 mi_ operator+(ll b) { return mi_(value + b); }
 mi_ operator/(const mi_ &b) { return mi_(value *
      modinv(b.value, mod)); }
 mi_ operator/(ll b) { return mi_(value * modinv(b,
      mod)); }
};
template <11 mod>
ostream &operator<<(ostream &out, const mi_<mod> &m) {
 out << m.value % mod;
 return out;
template <11 mod>
istream &operator>>(istream &in, mi_<mod> &m) {
 11 x:
 in >> x:
 m.value = (x \% mod);
 return in;
using mi = mi_<MOD>;
vector<mi> factorial;
void init_factorial() {
 factorial.resize(1000005);
```

#### 3.2 sieve

```
struct sieve_t {
 sieve_t(int n, bool gen_primes = false, bool
      gen_sieve = false) {
   is_prime.assign(n + 1, true);
   is_prime[0] = is_prime[1] = false;
   for (int i = 2; i * i <= n; ++i) {</pre>
     for (int j = i * i; j <= n; j += i)
       is_prime[j] = false;
   if (gen_primes) {
     for (int i = 2; i <= n; ++i) {
       if (is_prime[i])
         primes.push_back(i);
     }
   }
   if (gen_sieve) {
     sieve.assign(n + 1, -1);
     for (int i = 2; i <= n; ++i) {</pre>
       if (is_prime[i]) {
         sieve[i] = i;
         if ((ll)i * i <= n) {</pre>
           for (int j = i * i; j <= n; j += i) {
             if (sieve[j] == -1)
               sieve[j] = i;
         }
       }
     }
 // requires gen_fact; works only upto sz;
 vector<int> fast_factorize(int k) {
   vector<int> res;
   while (k > 1) {
     11 p = sieve[k];
     res.push_back(p);
     k \neq p;
   }
   return res;
 // requies gen_primes; works upto sz*sz;
 vector<int> factorize(int k) {
   vector<int> res;
   for (int p : primes) {
     if (p * p > k)
       break;
     while (k % p == 0) {
       k \neq p;
       res.push_back(p);
   }
```

```
if (k > 1)
    res.push_back(k);
    return res;
}
vector<bool> is_prime;
vector<int> primes;
vector<int> sieve;
};
```

# 4 strings

#### 4.1 kmp

```
#include <bits/stdc++.h>
using namespace std;
// pi[i] = longest proper prefix of s[0..i] which is
    alos a suffix;
// online algorithm;
vector<int> prefix_function(string const& s) {
 int n = s.length();
  vector<int> pi(n);
 for (int i = 1; i < n; ++i) {</pre>
   int j = pi[i - 1];
   while (j > 0 \&\& s[i] != s[j]) {
     j = pi[j - 1];
   if (s[i] == s[j]) j++;
   pi[i] = j;
// Applications:
// finding occurences: Concat 's # t' and check in
    where pi[i] = |S|
// counting prefixes;
vector<int> prefix_occurences(vector<int> const& pi,
    int n) {
  vector<int> ans(n + 1);
 for (int i = 0; i < n; i++) ans[pi[i]]++;</pre>
 for (int i = n - 1; i > 0; i--) ans[pi[i - 1]] +=
 for (int i = 0; i <= n; i++) ans[i]++;</pre>
 return ans;
// compression, if k = n - pi[n-1], divides n then 'k'
    is smallest
// unit to compress the string 's';
void compute_automaton(string s, vector<vector<int>>&
    aut) {
  s += '#';
  int n = s.size();
 vector<int> pi = prefix_function(s);
 aut.assign(n, vector<int>(26));
 for (int i = 0; i < n; i++) {</pre>
   for (int c = 0; c < 26; c++) {
     if (i > 0 && 'a' + c != s[i])
       aut[i][c] = aut[pi[i - 1]][c];
       aut[i][c] = i + ('a' + c == s[i]);
 }
```

TEAM DEAD 5 TREE

}

#### 5 tree

# 5.1 binary-lifting

```
struct binary_lift {
 vector<vector<ll>>> children;
 vector<ll> depth;
 const 11 LOG = 18;
 void init(vector<vector<ll>> &adj) {
   ll n = adj.size();
   depth.resize(n);
   children.assign(n, vector<ll>(LOG + 1));
   function<void(11, 11, 11)> dfs = [&](11 u, 11 p, 11
       d) {
     depth[u] = d;
     children[u][0] = p;
     for (ll i = 1; i <= LOG; ++i) {</pre>
       children[u][i] = children[children[u][i - 1]][i
           - 1];
     }
     for (ll v : adj[u]) {
       if (v != p)
         dfs(v, u, d + 1);
   }:
   dfs(0, 0, 0);
 ll lift_node(ll n, ll d) {
   for (ll i = LOG; i >= 0; --i) {
     if (d & (1 << i))
       n = children[n][i];
   }
   return n;
 ll lca(ll u, ll v) {
   if (depth[u] < depth[v])</pre>
     swap(u, v);
   u = lift_node(u, depth[u] - depth[v]);
   if (u == v)
     return u;
   for (11 i = LOG; i >= 0; --i) {
     if (children[u][i] != children[v][i]) {
       u = children[u][i];
       v = children[v][i];
   }
   return children[u][0];
 11 dist(11 u, 11 v) { return depth[u] + depth[v] - 2
      * depth[lca(u, v)]; }
```

# 5.2 euler-tour

```
struct euler_tour {
  vector<ll> in, out;
  ll timer = 0;
  void init(vector<vector<ll>>> &adj) {
    ll n = adj.size();
    in.resize(n);
    out.resize(n);
}
```

```
function<void(ll, ll)> dfs = [&](ll u, ll p) {
    in[u] = timer++;
    for (ll v : adj[u]) {
        if (v != p)
            dfs(v, u);
        }
        out[u] = timer++;
    };
    dfs(0, 0);
}
bool is_ancestor(ll u, ll v) { return in[u] <= in[v]
        && out[u] >= out[v]; }
};
```

# 5.3 tree-lifing

```
/*
* time complexity but uses only O(n) memory;
*/
struct tree_lifting {
 vector<int> dep, jmp, fa;
 int n;
 void add_leaf(int cur, int par) {
   fa[cur] = par;
   dep[cur] = 1 + dep[par];
   if (dep[par] - dep[jmp[par]] == dep[jmp[par]] -
       dep[jmp[jmp[par]]]) {
     jmp[cur] = jmp[jmp[par]];
   } else {
     jmp[cur] = par;
   }
 }
 void dfs(int cur, int par, vector<vector<int>> &adj) {
   add_leaf(cur, par);
   for (int it : adj[cur]) {
     if (it == par)
       continue;
     dfs(it, cur, adj);
   }
 void init(int nn) {
   dep.resize(nn), jmp.resize(nn), fa.resize(nn);
   this -> n = nn;
 int lift(int cur, int k) {
   int new_depth = max(dep[cur] - k, 0);
   while (dep[cur] > new_depth) {
     if (dep[jmp[cur]] >= new_depth)
      cur = jmp[cur];
     else
       cur = fa[cur];
   }
   return cur;
 int lca(int u, int v) {
   if (dep[u] > dep[v])
     swap(u, v);
   v = lift(v, dep[v] - dep[u]);
   while (u != v) {
     if (jmp[v] != jmp[u]) {
      u = jmp[u];
      v = jmp[v];
     } else {
      u = fa[u];
```

```
v = fa[v];
}
return u;
}
int dist(int u, int v) { return dep[u] + dep[v] - 2 *
    dep[lca(u, v)]; }
};
```