

**ACO Based Optimization Systems for TSPs**

Use programming tools (Visual Studio .Net) and other development tools (third party components) to development an ACO optimization system for traveling salesman problem. Particularly, you may implement AS, ACS, AS\_rank, or Maxmin\_AS. It is your own choice.

Conduct necessary system requirement analysis before implementing your system, to figure out the requirements of data structured and user interfaces for solving the TSP. You are given a library (.dll) and a set of TSP benchmarks. The class lab will instruct you how to use the library to take advantages of accessing and displaying a TSP benchmark. The system should have basic yet friendly user interfaces for benchmark problem selections, ACO parameter settings, and stopping condition settings, etc.

**Travel Salesman Problems:**

A travel salesman need to visit  $n$  cities exactly once for each city. The planar Cartesian coordinates of the cities are given and the Euclidean distances between cities can be computed accordingly. TSP is therefore, to find a sequence of city visits that has the shortest length (including the distance from the lastly sequenced city back to the first one).

$n$  : number of cities

$(x_i, y_i)$  : Cartesian coordinates of city  $i$ ;  $i = 0, 1, \dots, n-1$

$D = [d_{ij}]_{n \times n}$

$d_{ij}$  : distance from city  $i$  to city  $j$

$d_{ij} = \sqrt{(x_i - x_j)^2 + (y_i - y_j)^2}$

$\mathbf{G} = [g_0 g_1 \dots g_{n-1}]$ ;  $0 \leq g_i \leq n-1$ ;  $i = 0, 1, \dots, n-1$ ;  $g_i \neq g_j, \forall i, j \in \{0, 1, \dots, n-1\} \wedge$

$\min f(\mathbf{G}) = d_{g_{n-1}g_0} + \sum_{i=0}^{n-2} d_{g_i g_{i+1}}$

The benchmarks for TSP are in extended file name “tsp”. Sample file:

NAME : att48  
 COMMENT : 48 capitals of the US  
 TYPE : TSP  
 DIMENSION : 48  
 EDGE\_WEIGHT\_TYPE : ATT  
 NODE\_COORD\_SECTION  
 1 6734 1453  
 2 2233 10  
 :  
 :

TSP Title  
 Comments  
 TSP type (must be TSP)  
 Number of Objects (here city number  $n$ )  
 From-to matrix type  
 Coordinates of Nodes (here cities)  
 Node 1 ID, x coordinate ( $x_0$ ), y coordinate ( $y_0$ )  
 Node 2 ID, x coordinate ( $x_1$ ), y coordinate ( $y_1$ )

:

48 3023 1942  
EOF

Node  $n$  ID, x coordinate ( $x_{n-1}$ ), y coordinate( $y_{n-1}$ )  
End of File token

The optimal solutions to TSP benchmarks are in extended file name “opt.tour”. Note that the node IDs start from 1 to  $n$ ; you must convert them to 0~ $n$ -1. Sample file:

NAME : att48  
NAME : att48.opt.tour  
COMMENT : Optimum solution for att48  
TYPE : TOUR  
DIMENSION : 48  
TOUR\_SECTION  
1  
8  
:  
:  
38  
-1  
EOF

TSP Title  
File Name  
Comments  
Solution type (must be TOUR)  
Number of Objects (here city number  $n$ )  
Section for optimal route  
Node ID at the 1<sup>st</sup> place of the sequence  
Node ID at the 2<sup>nd</sup> place of the sequence  
:  
:  
Node ID at the last place of the sequence  
Termination flag  
End of File token