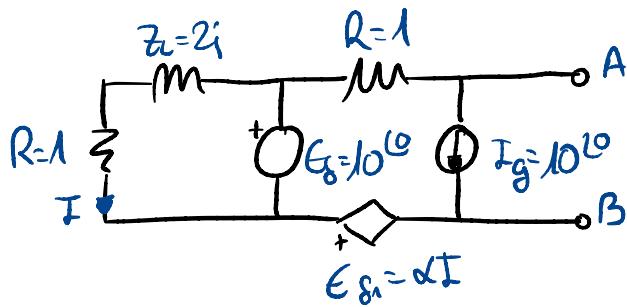
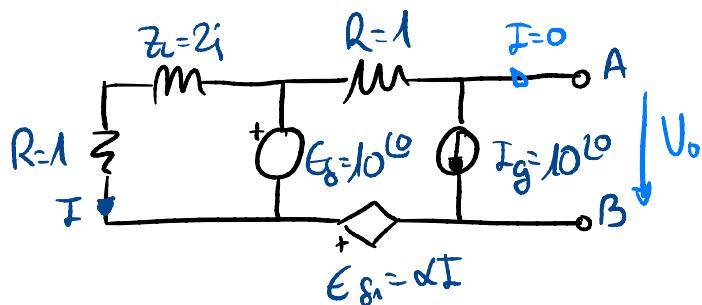


Problema 1



Thevenin
Norton

Tensión circuito abierto

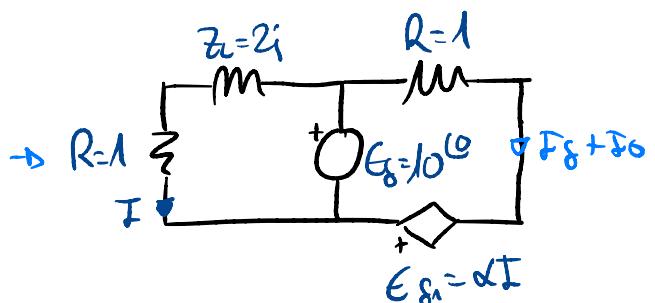
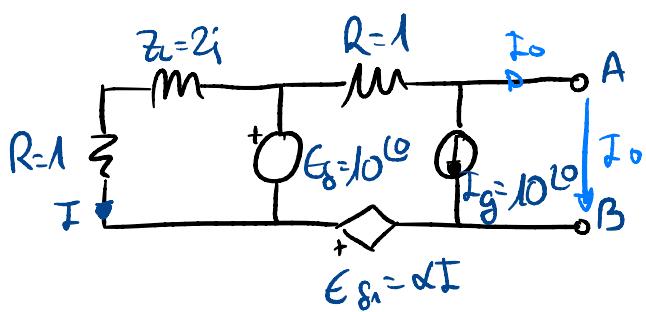


$$E_{g1} + E_g = I_g R + U_o \rightarrow U_o = E_{g1} + E_g - I_g R = \alpha I + 10^{10} - 10^{10} \cdot 1 = \alpha I$$

$$E_g = I (R + Z_L) \rightarrow I = \frac{E_g}{R + Z_L} = \frac{10^{10}}{1 + j2} = \frac{10(1-j2)}{1^2 + 2^2} = \frac{10(1-j2)}{5} = 2(1-j2)$$

$$U_o = \alpha \cdot 2(1-j2)$$

Corriente cortocircuito



$$E_g + E_{g1} = (I_g + I_o) R \rightarrow I_o = \frac{E_g + E_{g1} - I_g R}{R} = \frac{10^{10} + \alpha I - 10^{10} \cdot 1}{1} = \alpha I$$

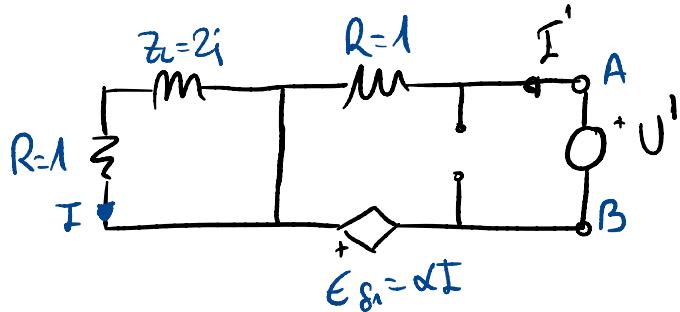
$$E_g = I (Z_L + R) \rightarrow I = \frac{E_g}{Z_L + R} = \frac{10^{10}}{1+j2} = 2(1-j2)$$

$$I_o = \alpha \cdot 2(1-j2)$$

Resistencia equivalente (R_{eq})

$$U_0 = I_0 R_{eq} \rightarrow R_{eq} = \frac{U_0}{I_0} = \frac{\alpha \Sigma}{\alpha \Sigma} = 1$$

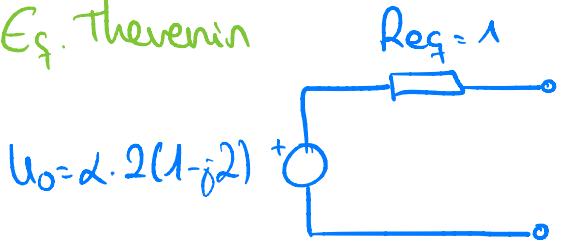
O circuito perde 5%



$$0 = I(R + Z_L) \rightarrow I = 0 \rightarrow E_{S1} = 0$$

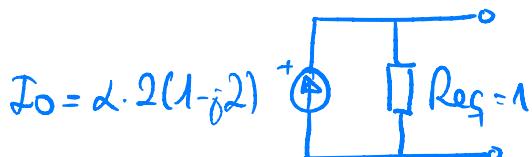
$$R_{eq} = 1$$

Eg. Thévenin

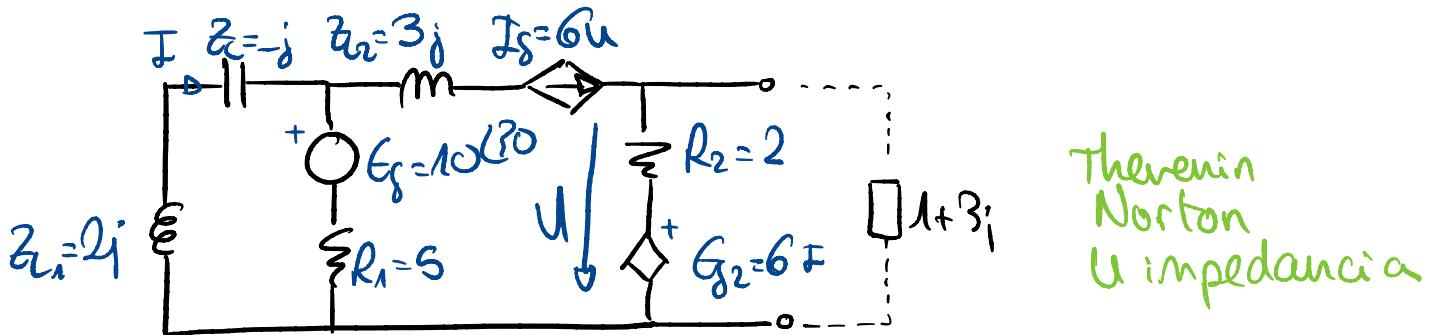


$$U_0 = \alpha \cdot 2(1 - j2)$$

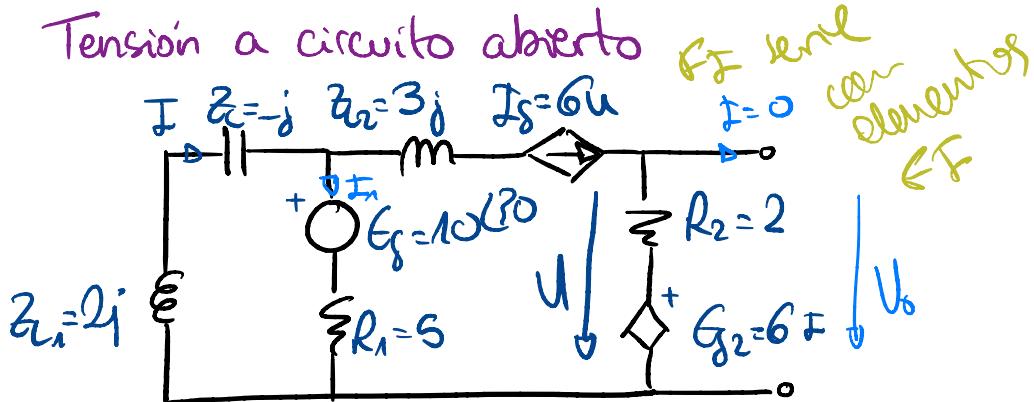
Eg. Norton



Problema 2



Tensión a circuito abierto



$$I_1 + I_s = I \rightarrow I_1 = I - I_s$$

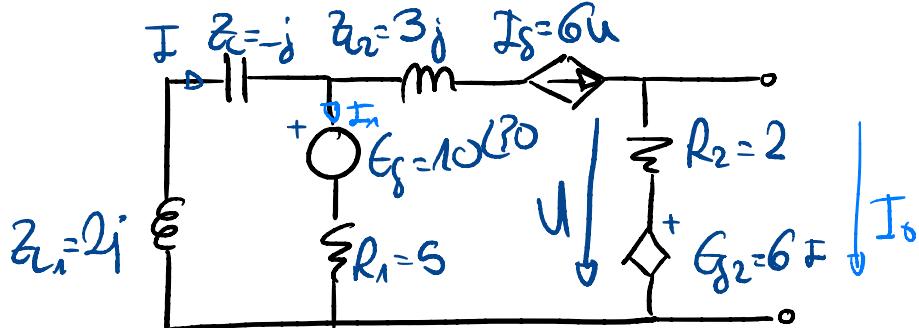
$$U_o = I_s R_2 + G_2 = 6U_o \cdot 2 + 6F = 12U_o + 6F \rightarrow I = \frac{-11U_o}{6}$$

$$-G_s = I(Z_C + Z_{in} + R_1) - I_s R_1 \rightarrow -10e^{j30} = \frac{-11U_o}{6}(-j + j2 + 5) - 6U_o 5$$

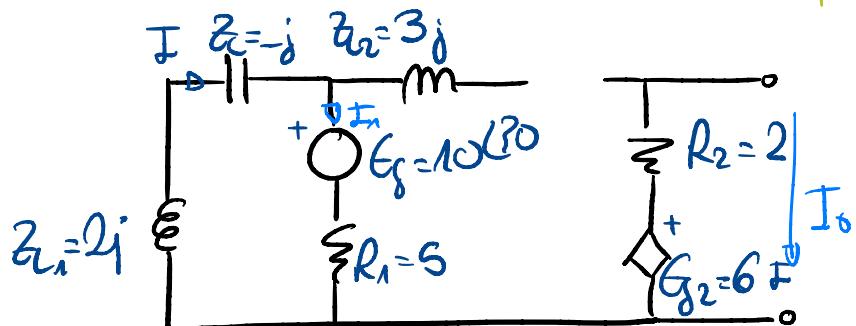
$$\rightarrow -60e^{j30} = -11U_o(5 + j) - 180U_o \rightarrow -60e^{j30} = (-235 - j11)U_o \rightarrow$$

$$\rightarrow U_o = \frac{60e^{j30}}{235.25712.68} = 0.255 \angle 27.32^\circ$$

Intensidad de cortocircuito I_0



Tenemos $U=0$ (por cortocircuitar)



$$E_{\delta 2} = I_0 R_2 \rightarrow I_0 = \frac{E_{\delta 2}}{R_2} = \frac{6\angle}{2} = 3\angle$$

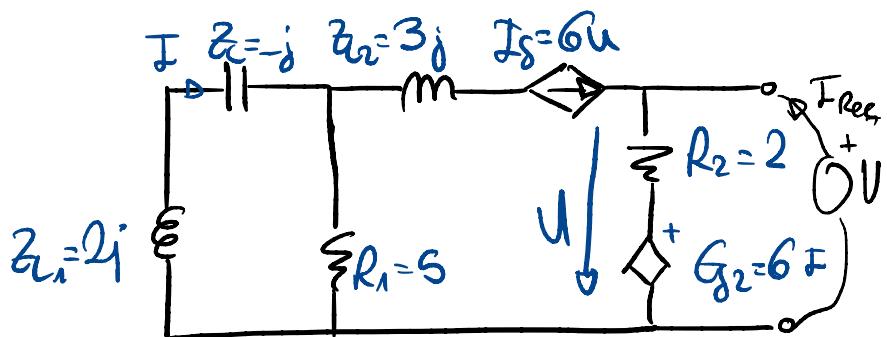
$$-G_f = I(R_1 + Z_c + Z_{\delta 1}) \rightarrow -10\angle 130^\circ = I(5 - j + j2) \rightarrow I = \frac{-10\angle 130^\circ}{5 + j} = \frac{-10\angle 130^\circ}{5.099\angle 11.3099^\circ}$$

$$= -1.9612 \angle 18.6901^\circ$$

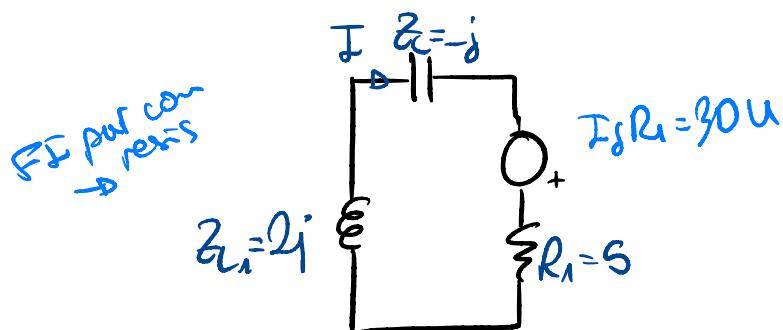
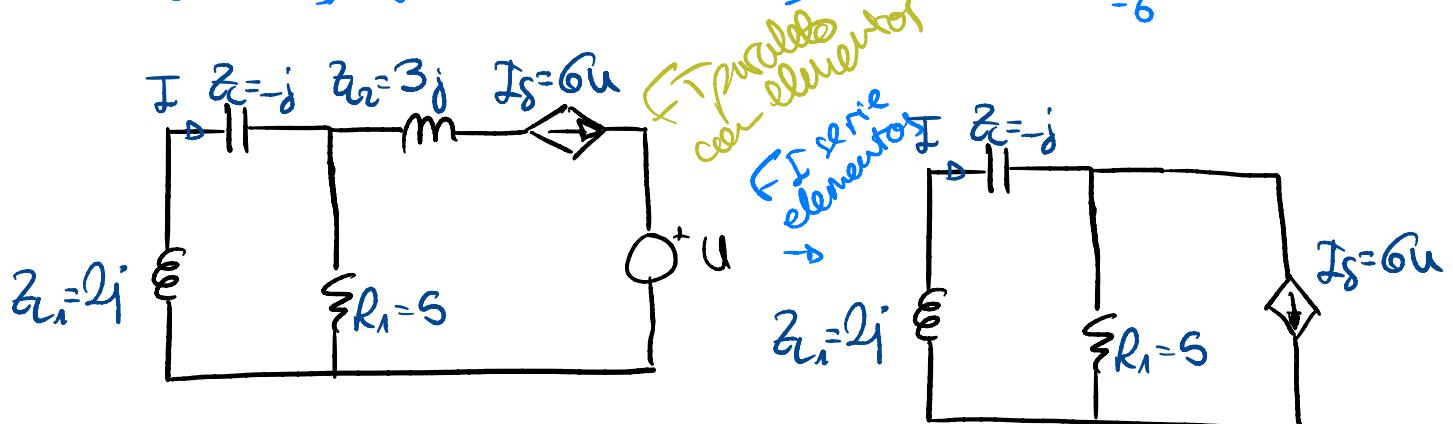
$$I_0 = 3I = 3(-1.9612 \angle 18.6901^\circ) = -5.8836 \angle 18.6901^\circ$$

Impedancia equivalente

$$Z_{eq} = \frac{U_0}{I_0} = \frac{0.255 \angle 27.32^\circ}{-5.8836 \angle 18.6901^\circ} = -0.0433 \angle 8.6299^\circ$$



$$U - G_2 = (I_{\text{Req}} + I_S) R_2 \rightarrow U - 6I_S = (I_{\text{Req}} + 6U) 2 \rightarrow I = \frac{11U + 2I_{\text{Req}}}{-6}$$

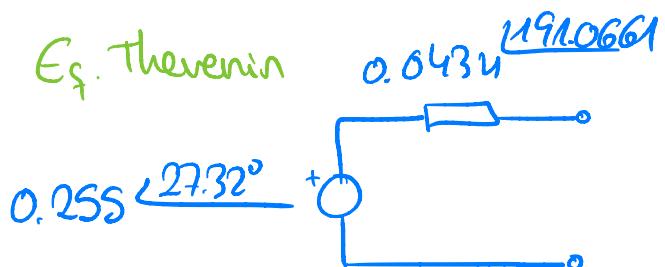


$$I_S R_1 = I (Z_L + Z_L + R_1) \rightarrow 30U = \frac{11U + 2I_{\text{Req}}}{-6} (-j + j2 + 5) \rightarrow$$

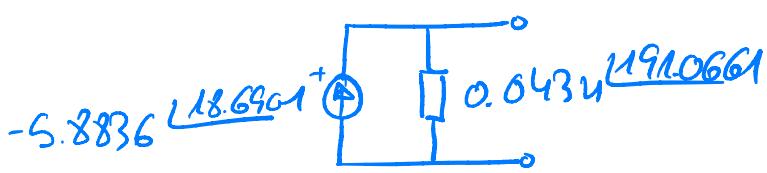
$$\rightarrow -180U = (11U + 2I_{\text{Req}})(5 + j) \rightarrow U(-180 - 55 - j) = 2I_{\text{Req}}(5 + j)$$

$$R_{\text{Req}} = \frac{U}{I_{\text{Req}}} \rightarrow R_{\text{Req}} = \frac{2(5 + j)}{-235 - j} = \frac{10.198 \angle 11.3099}{235 \angle -179.7562} = 0.043 \text{U} \quad 191.0661$$

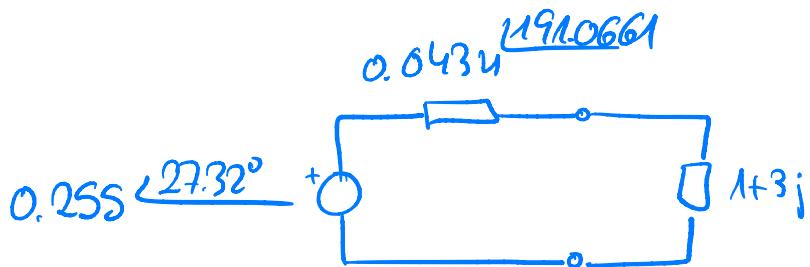
E_{g.} Thevenin



E_{g.} Norton



U_2



$$Z = 0.0434 \angle 191.0661^\circ + 1+3j = -0.0426 - j0.0083 + 1+j3 = \\ = 0.9574 + j2.9917 = 3.1412 \angle 72.2544^\circ$$

$$U_o = I_Z Z \rightarrow I_Z = \frac{U_o}{Z} = \frac{0.255 \angle 27.32^\circ}{3.1412 \angle 72.2544^\circ} = 0.0812 \angle -44.9344^\circ$$

$$U_2 = I_Z (1+3j) = 0.0812 \angle -44.9344^\circ \cdot 3.1623 \angle 21.5651^\circ = 0.2568 \angle 26.6307^\circ$$