# Form Factors for LFV Higgs Decays in the DLRSM Model

#### 0.0.1 Diagram ni\_GL

$$A_{L}(\text{ni\_GL}) = \frac{\sqrt{2}im_{l_{a}}m_{l_{b}}^{2}m_{n_{i}}\left(Q_{Lai}T_{RLib} + \overline{Q_{Lbi}}T_{RLia}\right)B_{0}^{(1)}(m_{l_{a}},m_{n_{i}},m_{W_{1}})}{8\pi^{2}k_{1}^{3}\left(m_{l_{a}}^{2} - m_{l_{b}}^{2}\right)} + \frac{\sqrt{2}im_{l_{a}}m_{l_{b}}^{2}\left(-Q_{Lai}\overline{Q_{Lbi}}m_{l_{a}}^{2} - Q_{Lai}\overline{Q_{Lbi}}m_{l_{a}}^{2}\right)B_{0}^{(1)}(m_{l_{a}},m_{n_{i}},m_{W_{1}})}{(1)} + \frac{\sqrt{2}im_{l_{a}}m_{l_{b}}\left(-Q_{Lai}\overline{Q_{Lbi}}m_{l_{a}}^{2} - T_{RLib}\overline{T_{RLia}}\right)B_{1}^{(1)}(m_{l_{a}},m_{n_{i}},m_{W_{1}})}{8\pi^{2}k_{1}^{3}\left(m_{l_{a}}^{2} - m_{l_{b}}^{2}\right)} + \frac{\sqrt{2}im_{l_{b}}m_{n_{i}}\left(Q_{Lai}T_{RLib}m_{n_{i}}\right)B_{1}^{(1)}(m_{l_{a}},m_{n_{i}},m_{W_{1}})}{(2)} + \frac{\sqrt{2}im_{l_{b}}m_{l_{b}}\left(-Q_{Lai}\overline{Q_{Lbi}}m_{l_{b}}\right)B_{1}^{(1)}(m_{l_{a}},m_{n_{i}},m_{W_{1}})}{(2)} + \frac{\sqrt{2}im_{l_{b}}m_{l_{b}}\left(-Q_{Lai}\overline{Q_{Lbi}}m_{l_{b}}\right)B_{1}^{(1)}(m_{l_{a}},m_{n_{i}},m_{W_{1}})}{(2)} + \frac{\sqrt{2}im_{l_{b}}m_{l_{b}}\left(-Q_{Lai}\overline{Q_{Lbi}}m_{l_{b}}\right)B_{1}^{(1)}(m_{l_{a}},m_{n_{i}},m_{W_{1}})}{(2)} + \frac{\sqrt{2}im_{l_{b}}m_{l_{b}}\left(-Q_{Lai}\overline{Q_{Lbi}}m_{l_{b}}\right)B_{1}^{(1)}(m_{l_{a}},m_{n_{i}},m_{W_{1}})}{(2)} + \frac{\sqrt{2}im_{l_{b}}m_{l_{b}}\left(-Q_{Lai}\overline{Q_{Lbi}}m_{l_{b}}\right)B_{1}^{(1)}(m_{l_{a}},m_{n_{i}},m_{w_{i}},m_{w_{i}})}{(2)} + \frac{\sqrt{2}im_{l_{b}}m_{l_{b}}\left(-Q_{Lai}\overline{Q_{Lbi}}m_{l_{b}}\right)B_{1}^{(1)}(m_{l_{a}},m_{n_{i}},m_{w_{i}},m_{w_{i}})}{(2)} + \frac{\sqrt{2}im_{l_{b}}m_{l_{b}}\left(-Q_{Lai}\overline{Q_{Lbi}}m_{l_{b}}\right)B_{1}^{(1)}(m_{l_{b}},m_{n_{i}},m_{w_{i}},m_{w_{i}})}{(2)} + \frac{\sqrt{2}im_{l_{b}}m_{l_{b}}\left(-Q_{Lai}\overline{Q_{Lbi}}m_{l_{b}}\right)B_{1}^{(1)}(m_{l_{b}},m_{n_{i}},m_{w_{i}},m_{w_{i}})}{(2)} + \frac{\sqrt{2}im_{l_{b}}m_{l_{b}}\left(-Q_{Lai}\overline{Q_{Lai}}\overline{Q_{Lai}}\right)B_{1}^{(1)}(m_{l_{b}},m_{h_{i}},m_{h_{i}},m_{h_{i}},m_{h_{i}})}{(2)} + \frac{\sqrt{2}im_{l_{b}}m_{l_{b}}\left(-Q_{Lai}\overline{Q_{Lai}}\overline{Q_{Lai}}\right)B_{1}^{(1)}(m_{l_{b}},m_{h_{i}},m_{h_{i}},m_{h_{i}},m_{h_{i}})}{(2)} + \frac{\sqrt{2}im_{l_{b}}m_{h_{i}}\left(-Q_{Lai}\overline{Q_{Lai}}\overline{Q_{Lai}}\right)B_{1}^{(1)}(m_{l_{b}},m_{h_{i}},m_{h_{i}},m_{h_{i}},m_{h_{i}})}{(2)} + \frac{\sqrt{2}im_{l_{b}}m_{h_{i}}\left(-Q_{Lai}\overline{Q_{Lai}}\overline{Q_{Lai}}\right)B_{1}^{(1)}(m_{l_{b}},m_{h_{i}},m_{h_{i}})}{(2)} + \frac{\sqrt{2}im_{h_{i}}m_{h_{i}}\left(-Q_{Lai$$

# 0.0.2 Diagram $GL_ni$

$$A_{L}(\text{GL\_ni}) = \frac{\sqrt{2}im_{l_{a}}^{2}m_{l_{b}}m_{n_{i}}\left(-Q_{Lbi}T_{RLia} - \overline{Q_{Lai}T_{RLib}}\right)B_{0}^{(2)}(m_{l_{b}}, m_{n_{i}}, m_{W_{1}})}{8\pi^{2}k_{1}^{3}\left(m_{l_{a}}^{2} - m_{l_{b}}^{2}\right)} + \frac{\sqrt{2}im_{l_{a}}m_{l_{b}}^{2}\left(-Q_{Lbi}\overline{Q_{Lai}}m_{l_{b}}^{2} - Q_{Lbi}\overline{Q_{Lai}}m_{l_{b}}^{2}\right)B_{1}^{(2)}(m_{l_{b}}, m_{n_{i}}, m_{W_{1}})}{(4)} + \frac{\sqrt{2}im_{l_{a}}m_{l_{b}}\left(-Q_{Lbi}\overline{Q_{Lai}}m_{l_{b}}^{2} - T_{RLia}\overline{T_{RLib}}\right)B_{1}^{(2)}(m_{l_{b}}, m_{n_{i}}, m_{W_{1}})}{8\pi^{2}k_{1}^{3}\left(m_{l_{a}}^{2} - m_{l_{b}}^{2}\right)}$$

$$(5)$$

$$(6)$$

#### 0.0.3 Diagram ni\_GR

$$A_{L}(\text{ni\_GR}) = \frac{\sqrt{2}im_{l_{a}}^{2}m_{l_{b}}\left(-J_{ai}\overline{J_{bi}} - Q_{Rai}\overline{Q_{Rbi}}m_{l_{b}}^{2}\right)B_{1}^{(1)}(m_{l_{a}}, m_{n_{i}}, m_{W_{2}})}{8\pi^{2}k_{1}v_{R}^{2}\left(m_{l_{a}}^{2} - m_{l_{b}}^{2}\right)} + \frac{\sqrt{2}im_{l_{b}}m_{n_{i}}\left(J_{ai}\overline{Q_{Rbi}}m_{l_{b}}^{2} + Q_{Rai}\overline{Q_{Rbi}}m_{l_{b}}^{2}\right)B_{1}^{(1)}(m_{l_{a}}, m_{n_{i}}, m_{W_{2}})}{(7)} + \frac{\sqrt{2}im_{l_{a}}m_{l_{b}}^{2}\left(-J_{ai}\overline{J_{bi}} - Q_{Rai}\overline{Q_{Rbi}}\right)B_{1}^{(1)}(m_{l_{a}}, m_{n_{i}}, m_{W_{2}})}{8\pi^{2}k_{1}v_{R}^{2}\left(m_{l_{a}}^{2} - m_{l_{b}}^{2}\right)} + \frac{\sqrt{2}im_{l_{a}}m_{l_{b}}^{2}\left(-J_{ai}\overline{J_{bi}} - Q_{Rai}\overline{Q_{Rbi}}\right)B_{1}^{(1)}(m_{l_{a}}, m_{n_{i}}, m_{W_{2}})}{(8)} + \frac{\sqrt{2}im_{l_{a}}m_{l_{b}}^{2}\left(-J_{ai}\overline{J_{bi}} - Q_{Rai}\overline{Q_{Rbi}}\right)B_{1}^{2}(m_{l_{a}}, m_{n_{i}}, m_{W_{2}})}{(8)} + \frac{\sqrt{2}im_{l_{a}}m_{l_{b}}^{2}\left(-J_{ai}\overline{J_{bi}} - Q_{Rai}\overline{Q_{Rbi}}\right)B_{1}^{2}(m_{l_{a}}, m_{n_{i}}, m_{h_{i}}, m$$

#### 0.0.4 Diagram GR\_ni

$$A_{L}(\text{GR\_ni}) = \frac{\sqrt{2}im_{l_{a}}^{2}m_{l_{b}}\left(-J_{bi}\overline{J_{ai}} - Q_{Rbi}\overline{Q_{Rai}}m_{l_{b}}^{2}\right)B_{1}^{(2)}(m_{l_{b}},m_{n_{i}},m_{W_{2}})}{8\pi^{2}k_{1}v_{R}^{2}\left(m_{l_{a}}^{2} - m_{l_{b}}^{2}\right)} + \frac{\sqrt{2}im_{l_{a}}m_{n_{i}}\left(-J_{bi}\overline{Q_{Rai}}m_{l_{a}}^{2} - Q_{Rbi}\overline{J_{ai}}\right)B_{1}^{(2)}(m_{l_{b}},m_{n_{i}},m_{W_{2}})}{(10)} + \frac{\sqrt{2}im_{l_{a}}m_{l_{b}}\left(-J_{bi}\overline{Q_{Rai}} - Q_{Rbi}\overline{Q_{ai}}\right)B_{1}^{(2)}(m_{l_{b}},m_{n_{i}},m_{W_{2}})}{8\pi^{2}k_{1}v_{R}^{2}\left(m_{l_{a}}^{2} - m_{l_{b}}^{2}\right)} + \frac{\sqrt{2}im_{l_{a}}m_{l_{b}}^{2}\left(-J_{bi}\overline{J_{ai}} - Q_{Rbi}\overline{Q_{ai}}\right)B_{1}^{(2)}(m_{l_{b}},m_{n_{i}},m_{W_{2}})}{(11)} + \frac{\sqrt{2}im_{l_{a}}m_{l_{b}}^{2}\left(-J_{bi}\overline{J_{ai}} - Q_{Rbi}\overline{Q_{ai}}\right)B_{1}^{2}}{(12)}$$

# 0.0.5 Diagram ni\_HR

$$A_{L}(\text{ni\_HR}) = \frac{\sqrt{2}im_{l_{a}}^{2}m_{l_{b}}\left(-K_{ai}\overline{K_{bi}} - Q_{Rai}\overline{Q_{Rbi}}m_{l_{b}}^{2}\right)B_{1}^{(1)}(m_{l_{a}}, m_{n_{i}}, m_{H_{R}^{+}})}{8\pi^{2}k_{1}^{3}\left(m_{l_{a}}^{2} - m_{l_{b}}^{2}\right)} + \frac{\sqrt{2}im_{l_{b}}m_{n_{i}}\left(K_{ai}\overline{Q_{Rbi}}m_{l_{b}}^{2} + Q_{Rai}\overline{K_{bi}}\right)B_{1}^{(1)}(m_{l_{a}}, m_{n_{i}}, m_{H_{R}^{+}})}{(13)}$$

$$A_{R}(\text{ni\_HR}) = \frac{\sqrt{2}im_{l_{a}}m_{l_{b}}^{2}m_{n_{i}}\left(K_{ai}\overline{Q_{Rbi}} + Q_{Rai}\overline{K_{bi}}\right)B_{0}^{(1)}(m_{l_{a}}, m_{n_{i}}, m_{H_{R}^{+}})}{8\pi^{2}k_{1}^{3}\left(m_{l_{a}}^{2} - m_{l_{b}}^{2}\right)} + \frac{\sqrt{2}im_{l_{a}}m_{l_{b}}^{2}\left(-K_{ai}\overline{K_{bi}} - Q_{Rai}\overline{K_{bi}}\right)B_{1}^{2}}{8\pi^{2}k_{1}^{3}\left(m_{l_{a}}^{2} - m_{l_{b}}^{2}\right)}$$

$$(14)$$

$$(15)$$

# 0.0.6 Diagram HR\_ni

$$A_{L}(\text{HR\_ni}) = \frac{\sqrt{2}im_{l_{a}}^{2}m_{l_{b}}\left(-K_{bi}\overline{K_{ai}} - Q_{Rbi}\overline{Q_{Rai}}m_{l_{b}}^{2}\right)B_{1}^{(2)}(m_{l_{b}},m_{n_{i}},m_{H_{R}^{+}})}{8\pi^{2}k_{1}^{3}\left(m_{l_{a}}^{2} - m_{l_{b}}^{2}\right)} + \frac{\sqrt{2}im_{l_{a}}m_{n_{i}}\left(-K_{bi}\overline{Q_{Rai}}m_{l_{a}}^{2} - R_{l_{a}}^{2}\right)B_{1}^{(2)}(m_{l_{b}},m_{n_{i}},m_{H_{R}^{+}})}{(16)} + \frac{\sqrt{2}im_{l_{a}}m_{l_{b}}\left(-K_{bi}\overline{K_{ai}} - Q_{Rbi}\overline{K_{ai}}\right)B_{1}^{(2)}(m_{l_{b}},m_{n_{i}},m_{H_{R}^{+}})}{8\pi^{2}k_{1}^{3}\left(m_{l_{a}}^{2} - m_{l_{b}}^{2}\right)} + \frac{\sqrt{2}im_{l_{a}}m_{l_{b}}^{2}\left(-K_{bi}\overline{K_{ai}} - Q_{Rbi}\overline{K_{ai}}\right)B_{1}^{(2)}(m_{l_{b}},m_{n_{i}},m_{H_{R}^{+}})}{(17)} + \frac{\sqrt{2}im_{l_{a}}m_{l_{b}}^{2}\left(-K_{bi}\overline{K_{ai}} - Q_{Rbi}\overline{K_{ai}}\right)B_{1}^{(2)}(m_{l_{b}},m_{n_{i}},m_{H_{R}^{+}})}{(17)} + \frac{\sqrt{2}im_{l_{a}}m_{l_{b}}\left(-K_{bi}\overline{K_{ai}} - Q_{Rbi}\overline{K_{ai}}\right)B_{1}^{(2)}(m_{l_{b}},m_{n_{i}},m_{H_{R}^{+}})}{(17)} + \frac{\sqrt{2}im_{l_{a}}m_{l_{b}}\left(-K_{bi}\overline{K_{ai}} - Q_{Rbi}\overline{K_{ai}}\right)B_{1}^{(2)}(m_{l_{b}},m_{n_{i}},m_{h_{i}},m_{h_{i}},m_{h_{i}})}{(17)} + \frac{\sqrt{2}im_{l_{a}}m_{l_{b}}\left(-K_{bi}\overline{K_{ai}} - Q_{Rbi}\overline{K_{ai}}\right)B_{1}^{(2)}(m_{l_{b}},m_{n_{i}},m_{h_{i}}$$

#### 0.0.7 Diagram ni\_W1

$$A_L(\text{ni\_W1}) = -\frac{\sqrt{2}iQ_{Lai}\overline{Q_{Lbi}}g^2m_{l_a}m_{l_b}^2B_1^{(1)}(m_{l_a}, m_{n_i}, m_{W_1})}{32\pi^2k_1\left(m_{l_a}^2 - m_{l_b}^2\right)}$$
(19)

$$A_{R}(\text{ni}_{-}W1) = -\frac{\sqrt{2}iQ_{Lai}\overline{Q_{Lbi}}g^{2}m_{l_{a}}^{2}m_{l_{b}}B_{1}^{(1)}(m_{l_{a}}, m_{n_{i}}, m_{W_{1}})}{32\pi^{2}k_{1}\left(m_{l_{a}}^{2} - m_{l_{b}}^{2}\right)}$$
(20)

#### 0.0.8 Diagram W1\_ni

$$A_L(W1_ni) = -\frac{\sqrt{2}iQ_{Lbi}\overline{Q_{Lai}}g^2m_{la}m_{lb}^2B_1^{(2)}(m_{lb}, m_{n_i}, m_{W_1})}{32\pi^2k_1\left(m_{la}^2 - m_{lb}^2\right)}$$
(22)

$$A_R(\text{W1\_ni}) = -\frac{\sqrt{2}iQ_{Lbi}\overline{Q_{Lai}}g^2m_{l_a}^2m_{l_b}B_1^{(2)}(m_{l_b}, m_{n_i}, m_{W_1})}{32\pi^2k_1\left(m_{l_a}^2 - m_{l_b}^2\right)}$$
(23)

(24)

#### 0.0.9 Diagram $ni_W2$

$$A_L(\text{ni\_W2}) = -\frac{\sqrt{2}iQ_{Rai}\overline{Q_{Rbi}}g^2m_{l_a}^2m_{l_b}B_1^{(1)}(m_{l_a}, m_{n_i}, m_{W_2})}{32\pi^2k_1\left(m_{l_a}^2 - m_{l_b}^2\right)}$$
(25)

$$A_{R}(\text{ni\_W2}) = -\frac{\sqrt{2}iQ_{Rai}\overline{Q_{Rbi}}g^{2}m_{l_{a}}m_{l_{b}}^{2}B_{1}^{(1)}(m_{l_{a}}, m_{n_{i}}, m_{W_{2}})}{32\pi^{2}k_{1}\left(m_{l_{a}}^{2} - m_{l_{b}}^{2}\right)}$$
(26)

(27)

#### 0.0.10 Diagram W2\_ni

$$A_L(\text{W2.ni}) = -\frac{\sqrt{2}iQ_{Rbi}\overline{Q_{Rai}}g^2m_{l_a}^2m_{l_b}B_1^{(2)}(m_{l_b}, m_{n_i}, m_{W_2})}{32\pi^2k_1\left(m_{l_a}^2 - m_{l_b}^2\right)} \tag{28}$$

$$A_{R}(\text{W2\_ni}) = -\frac{\sqrt{2}iQ_{Rbi}\overline{Q_{Rai}}g^{2}m_{l_{a}}m_{l_{b}}^{2}B_{1}^{(2)}(m_{l_{b}}, m_{n_{i}}, m_{W_{2}})}{32\pi^{2}k_{1}\left(m_{l_{a}}^{2} - m_{l_{b}}^{2}\right)}$$
(29)

#### 0.0.11 Diagram ni\_GLp\_GLm

$$A_{L}(\text{ni\_GLp\_GLm}) = \frac{iQ_{Lai}T_{RLib}m_{l_{a}}m_{n_{i}}\left(-\alpha_{13}^{2} + 4\lambda_{12}\rho_{1}\right)C_{0}(m_{H_{1}^{0}}, m_{l_{a}}, m_{l_{b}}, m_{n_{i}}, m_{W_{1}}, m_{W_{1}})}{8\pi^{2}\rho_{1}k_{1}} + \frac{iQ_{Lai}\overline{Q_{Lbi}}}{8\pi^{2}\rho_{1}k_{1}}$$

$$A_{R}(\text{ni\_GLp\_GLm}) = \frac{iQ_{Lai}\overline{Q_{Lbi}}m_{l_{a}}^{2}m_{l_{b}}\left(\alpha_{13}^{2} - 4\lambda_{12}\rho_{1}\right)C_{1}(m_{H_{1}^{0}}, m_{l_{a}}, m_{l_{b}}, m_{n_{i}}, m_{W_{1}}, m_{W_{1}})}{8\pi^{2}\rho_{1}k_{1}} + \frac{iT_{RLib}\overline{T_{RLia}}T_{Lia}}{(32)}$$

$$(33)$$

#### 0.0.12 Diagram ni\_GRp\_GRm

$$A_{L}(\text{ni\_GRp\_GRm}) = \frac{iJ_{ai}\overline{J_{bi}}k_{1}^{3}m_{l_{b}}\left(-\alpha_{13}^{2}+4\lambda_{12}\rho_{1}\right)C_{2}(m_{H_{1}^{0}},m_{l_{a}},m_{l_{b}},m_{n_{i}},m_{W_{2}},m_{W_{2}})}{8\pi^{2}\rho_{1}v_{R}^{4}} + \frac{iJ_{ai}\overline{Q_{Rbi}}k_{1}^{3}m_{l_{b}}m_{L_{2}}}{(34)}$$

$$A_{R}(\text{ni\_GRp\_GRm}) = \frac{iJ_{ai}\overline{J_{bi}}k_{1}^{3}m_{l_{a}}\left(\alpha_{13}^{2}-4\lambda_{12}\rho_{1}\right)C_{1}(m_{H_{1}^{0}},m_{l_{a}},m_{l_{b}},m_{n_{i}},m_{W_{2}},m_{W_{2}})}{8\pi^{2}\rho_{1}v_{R}^{4}} + \frac{iQ_{Rai}\overline{J_{bi}}k_{1}^{3}m_{l_{a}}m_{R_{2}}}{(35)}$$

$$(35)$$

$$(36)$$

#### 0.0.13 Diagram ni\_HRp\_HRm

$$A_L \text{(ni\_HRp\_HRm)} = \frac{iK_{ai}\overline{K_{bi}}m_{l_b}\left(-\alpha_{12}\alpha_{13}v_R^2 - \alpha_{13}\alpha_{23}k_1^2 + 2\alpha_{23}\rho_1k_1^2 + 2\rho_1v_R^2\left(\alpha_{23} + 2\lambda_{12}\right)\right)C_2(m_{H_1^0}, m_{l_a})}{8\pi^2\rho_1k_1v_R^2}$$

$$(37)$$

$$A_R \text{(ni\_HRp\_HRm)} = \frac{iK_{ai}\overline{K_{bi}}m_{l_a}\left(\alpha_{12}\alpha_{13}v_R^2 + \alpha_{13}\alpha_{23}k_1^2 - 2\alpha_{23}\rho_1k_1^2 - 2\rho_1v_R^2\left(\alpha_{23} + 2\lambda_{12}\right)\right)C_1(m_{H_1^0}, m_{l_a}, m_{l_a},$$

#### 0.0.14 Diagram ni\_W1p\_W1m

$$A_{L}(\text{ni\_W1p\_W1m}) = \frac{iQ_{Lai}\overline{Q_{Lbi}}g^{4}k_{1}m_{l_{a}}C_{1}(m_{H_{1}^{0}},m_{l_{a}},m_{l_{b}},m_{n_{i}},m_{W_{1}},m_{W_{1}})}{64\pi^{2}} \tag{40}$$
 
$$A_{R}(\text{ni\_W1p\_W1m}) = -\frac{iQ_{Lai}\overline{Q_{Lbi}}g^{4}k_{1}m_{l_{b}}C_{2}(m_{H_{1}^{0}},m_{l_{a}},m_{l_{b}},m_{n_{i}},m_{W_{1}},m_{W_{1}})}{64\pi^{2}} \tag{41}$$

# 0.0.15 Diagram $ni_W2p_W2m$

#### 0.0.16 Diagram ni\_GRp\_HRm

$$A_{L}(\text{ni\_GRp\_HRm}) = \frac{iK_{ai}\overline{J_{bi}}m_{l_{b}}\left(-\alpha_{13}\alpha_{23}k_{1}^{4} - \alpha_{13}k_{1}^{2}v_{R}^{2}\left(\alpha_{12} + \alpha_{13}\right) - 2\alpha_{23}\rho_{1}v_{R}^{4} + 2\rho_{1}k_{1}^{2}v_{R}^{2}\left(-\alpha_{23} + 4\lambda_{12}\right)\right)}{16\pi^{2}\rho_{1}k_{1}v_{R}^{4}}$$

$$(46)$$

$$A_{R}(\text{ni\_GRp\_HRm}) = \frac{iK_{ai}\overline{J_{bi}}m_{l_{a}}\left(\alpha_{13}\alpha_{23}k_{1}^{4} + \alpha_{13}k_{1}^{2}v_{R}^{2}\left(\alpha_{12} + \alpha_{13}\right) + 2\alpha_{23}\rho_{1}v_{R}^{4} + 2\rho_{1}k_{1}^{2}v_{R}^{2}\left(\alpha_{23} - 4\lambda_{12}\right)\right)C_{12}}{16\pi^{2}\rho_{1}k_{1}v_{R}^{4}}$$

$$(47)$$

$$(48)$$

#### 0.0.17 Diagram ni\_HRp\_GRm

$$A_{L}(\text{ni\_HRp\_GRm}) = \frac{iJ_{ai}\overline{K_{bi}}m_{l_{b}}\left(-\alpha_{13}\alpha_{23}k_{1}^{4} - \alpha_{13}k_{1}^{2}v_{R}^{2}\left(\alpha_{12} + \alpha_{13}\right) - 2\alpha_{23}\rho_{1}v_{R}^{4} + 2\rho_{1}k_{1}^{2}v_{R}^{2}\left(-\alpha_{23} + 4\lambda_{12}\right)\right)}{16\pi^{2}\rho_{1}k_{1}v_{R}^{4}}$$

$$(49)$$

$$A_{R}(\text{ni\_HRp\_GRm}) = \frac{iJ_{ai}\overline{K_{bi}}m_{l_{a}}\left(\alpha_{13}\alpha_{23}k_{1}^{4} + \alpha_{13}k_{1}^{2}v_{R}^{2}\left(\alpha_{12} + \alpha_{13}\right) + 2\alpha_{23}\rho_{1}v_{R}^{4} + 2\rho_{1}k_{1}^{2}v_{R}^{2}\left(\alpha_{23} - 4\lambda_{12}\right)\right)C_{1}}{16\pi^{2}\rho_{1}k_{1}v_{R}^{4}}$$

$$(50)$$

$$(51)$$

#### 0.0.18 Diagram ni\_W1p\_GLm

$$A_{L}(\text{ni\_W1p\_GLm}) = \frac{\sqrt{2}iQ_{Lai}\overline{Q_{Lbi}}g^{2}m_{l_{a}}\left(2\left(m_{H_{1}^{0}}\right)^{2} - 2m_{l_{a}}^{2} - m_{l_{b}}^{2}\right)C_{2}(m_{H_{1}^{0}},m_{l_{a}},m_{l_{b}},m_{n_{i}},m_{W_{1}},m_{W_{1}})}{64\pi^{2}k_{1}} - \frac{\sqrt{2}iQ_{Lai}\overline{Q_{Lbi}}g^{2}m_{l_{a}}^{2}m_{l_{b}}C_{1}(m_{H_{1}^{0}},m_{l_{a}},m_{l_{b}},m_{n_{i}},m_{W_{1}},m_{W_{1}})}{64\pi^{2}k_{1}} + \frac{\sqrt{2}i\overline{Q_{Lbi}}T_{RLia}g^{2}m_{l_{b}}m_{l_{b}}}{(53)} - \frac{\sqrt{2}iQ_{Lai}\overline{Q_{Lbi}}g^{2}m_{l_{a}}^{2}m_{l_{b}}C_{1}(m_{H_{1}^{0}},m_{l_{a}},m_{l_{b}},m_{n_{i}},m_{W_{1}},m_{W_{1}})}{(53)} + \frac{\sqrt{2}i\overline{Q_{Lbi}}T_{RLia}g^{2}m_{l_{b}}m_{l_{b}}}{(54)} - \frac{\sqrt{2}i\overline{Q_{Lbi}}T_{RLia}g^{2}m_{l_{b}}m_{l_{b}}m_{l_{b}}m_{l_{b}}}{(54)} - \frac{2}{2}m_{l_{b}}m_{l_{b}}m_{l_{b}}m_{l_{$$

#### 0.0.19 Diagram ni\_W2p\_GRm

$$A_{L}(\text{ni\_W2p\_GRm}) = \frac{\sqrt{2}iJ_{ai}\overline{Q_{Rbi}}g^{2}k_{1}m_{l_{b}}m_{n_{i}}\left(-\alpha_{13}+2\rho_{1}\right)C_{0}(m_{H_{1}^{0}},m_{l_{a}},m_{l_{b}},m_{n_{i}},m_{W_{2}},m_{W_{2}})}{128\pi^{2}\rho_{1}v_{R}^{2}} + \frac{\sqrt{2}iQ_{Rai}}{128\pi^{2}\rho_{1}v_{R}^{2}} + \frac{\sqrt{2}iQ_{Rai}\overline{Q_{Rbi}}g^{2}k_{1}m_{l_{a}}\left(\alpha_{13}-2\rho_{1}\right)B_{0}^{(12)}(m_{H_{1}^{0}},m_{W_{2}},m_{W_{2}})}{128\pi^{2}\rho_{1}v_{R}^{2}} + \frac{\sqrt{2}iQ_{Rai}\overline{Q_{Rbi}}g^{2}k_{1}m_{l_{a}}\left(\alpha_{13}-2\rho_{1}\right)B_{0}^{(12)}(m_{H_{1}^{0}},m_{W_{2}},m_{W_{2}})}{(56)} + \frac{\sqrt{2}iQ_{Rbi}\overline{Q_{Rbi}}g^{2}k_{1}m_{l_$$

# 0.0.20 Diagram ni\_W2p\_HRm

$$A_{L}(\text{ni\_W2p\_HRm}) = \frac{\sqrt{2}iK_{ai}\overline{Q_{Rbi}}g^{2}m_{l_{b}}m_{n_{i}}\left(\alpha_{13}k_{1}^{2} + 2\rho_{1}v_{R}^{2}\right)C_{0}(m_{H_{1}^{0}}, m_{l_{a}}, m_{l_{b}}, m_{n_{i}}, m_{W_{2}}, m_{H_{R}^{+}})}{128\pi^{2}\rho_{1}k_{1}v_{R}^{2}} + \frac{\sqrt{2}iQ_{R}^{2}}{(58)}$$

$$A_{R}(\text{ni\_W2p\_HRm}) = \frac{\sqrt{2}iQ_{Rai}\overline{Q_{Rbi}}g^{2}m_{l_{a}}\left(-\alpha_{13}k_{1}^{2} - 2\rho_{1}v_{R}^{2}\right)B_{0}^{(12)}(m_{H_{1}^{0}},m_{W_{2}},m_{H_{R}^{+}})}{128\pi^{2}\rho_{1}k_{1}v_{R}^{2}} + \frac{\sqrt{2}iQ_{Rai}\overline{Q_{Rbi}}g^{2}m_{l_{a}}}{(59)}$$

$$(60)$$

# 0.0.21 Diagram ni\_GLp\_W1m

$$A_{L}(\text{ni\_GLp\_W1m}) = -\frac{\sqrt{2}iQ_{Lai}T_{RLib}g^{2}m_{l_{a}}m_{n_{i}}C_{0}(m_{H_{1}^{0}}, m_{l_{a}}, m_{l_{b}}, m_{n_{i}}, m_{W_{1}}, m_{W_{1}})}{64\pi^{2}k_{1}} - \frac{\sqrt{2}iQ_{Lai}\overline{Q_{Lbi}}g^{2}m_{l_{a}}m_{l_{b}}}{(61)}$$

$$A_{R}(\text{ni\_GLp\_W1m}) = \frac{\sqrt{2}iQ_{Lai}\overline{Q_{Lbi}}g^{2}m_{l_{b}}\left(2\left(m_{H_{1}^{0}}\right)^{2} - m_{l_{a}}^{2} - 2m_{l_{b}}^{2}\right)C_{1}(m_{H_{1}^{0}}, m_{l_{a}}, m_{l_{b}}, m_{n_{i}}, m_{W_{1}}, m_{W_{1}})}{64\pi^{2}k_{1}} + \frac{1}{64\pi^{2}k_{1}}$$

#### 0.0.22 Diagram ni\_GRp\_W2m

$$A_{L}(\text{ni\_GRp\_W2m}) = \frac{\sqrt{2}iQ_{Rai}\overline{Q_{Rbi}}g^{2}k_{1}m_{l_{b}}\left(-\alpha_{13}+2\rho_{1}\right)B_{0}^{(12)}\left(m_{H_{1}^{0}},m_{W_{2}},m_{W_{2}}\right)}{128\pi^{2}\rho_{1}v_{R}^{2}} + \frac{\sqrt{2}iQ_{Rai}\overline{Q_{Rbi}}g^{2}k_{1}m_{l_{b}}}{(64)}$$

$$A_{R}(\text{ni\_GRp\_W2m}) = \frac{\sqrt{2}iQ_{Rai}\overline{J_{bi}}g^{2}k_{1}m_{l_{a}}m_{n_{i}}\left(\alpha_{13}-2\rho_{1}\right)C_{0}\left(m_{H_{1}^{0}},m_{l_{a}},m_{l_{b}},m_{n_{i}},m_{W_{2}},m_{W_{2}}\right)}{128\pi^{2}\rho_{1}v_{R}^{2}} + \frac{\sqrt{2}iQ_{Rai}\overline{Q_{Rai}}\overline{Q_{$$

#### 0.0.23 Diagram ni\_HRp\_W2m

$$A_{L}(\text{ni\_HRp\_W2m}) = \frac{\sqrt{2}iQ_{Rai}\overline{Q_{Rbi}}g^{2}m_{l_{b}}\left(\alpha_{13}k_{1}^{2} + 2\rho_{1}v_{R}^{2}\right)\left(2\left(m_{H_{1}^{0}}\right)^{2} - m_{l_{a}}^{2} - 2m_{l_{b}}^{2}\right)C_{1}(m_{H_{1}^{0}}, m_{l_{a}}, m_{l_{b}}, m_{l_{b$$

(69)

# 0.0.24 Diagram GL\_ninj

$$A_{L}(\text{GL\_ninj}) = \frac{\sqrt{2}iQ_{Lai}T_{RLjb}m_{l_{a}}\left(-\Omega_{SRij}\alpha_{13}\epsilon^{2} + 2\overline{\Omega_{RLij}}\rho_{1}\right)B_{0}^{(12)}(m_{H_{1}^{0}}, m_{n_{i}}, m_{n_{j}})}{32\pi^{2}\rho_{1}k_{1}^{3}} + \frac{\sqrt{2}im_{l_{a}}m_{l_{b}}^{2}\left(\alpha_{13}\epsilon^{2} + 2\overline{\Omega_{RLij}}\rho_{1} - \alpha_{13}\overline{\Omega_{SRij}}\epsilon^{2}\right)B_{0}^{(12)}(m_{H_{1}^{0}}, m_{n_{i}}, m_{n_{j}})}{(70)} + \frac{\sqrt{2}im_{l_{a}}m_{l_{b}}\left(\alpha_{13}\epsilon^{2} + 2\overline{\Omega_{RLij}}\rho_{1} - \alpha_{13}\overline{\Omega_{SRij}}\epsilon^{2}\right)B_{0}^{(12)}(m_{H_{1}^{0}}, m_{n_{i}}, m_{n_{j}})}{32\pi^{2}\rho_{1}k_{1}^{3}} + \frac{\sqrt{2}im_{l_{a}}^{2}m_{l_{b}}\left(\alpha_{13}\epsilon^{2} + 2\overline{\Omega_{RLij}}\rho_{1} - \alpha_{13}\overline{\Omega_{SRij}}\epsilon^{2}\right)B_{0}^{(12)}(m_{H_{1}^{0}}, m_{n_{i}}, m_{n_{j}})}{(71)} + \frac{\sqrt{2}im_{l_{a}}^{2}m_{l_{b}}\left(\alpha_{13}\epsilon^{2} + 2\overline{\Omega_{RLij}}\rho_{1} - \alpha_{13}\overline{\Omega_{SRij}}\epsilon^{2}\right)B_{0}^{(12)}(m_{H_{1}^{0}}, m_{n_{i}}, m_{n_{j}})}{(71)} + \frac{\sqrt{2}im_{l_{a}}m_{l_{b}}\left(\alpha_{13}\epsilon^{2} + 2\overline{\Omega_{RLij}}\rho_{1} - \alpha_{13}\overline{\Omega_{SRij}}\epsilon^{2}\right)B_{0}^{(12)}(m_{H_{1}^{0}}, m_{n_{i}}, m_{n_{j}})}{(71)} + \frac{\sqrt{2}im_{l_{a}}m_{l_{b}}\left(\alpha_{13}\epsilon^{2} + 2\overline{\Omega_{RLij}}\rho_{1} - \alpha_{13}\overline{\Omega_{SRij}}\epsilon^{2}\right)B_{0}^{(12)}(m_{H_{1}^{0}}, m_{n_{i}}, m_{n_{j}})}{(71)} + \frac{\sqrt{2}im_{l_{a}}m_{l_{b}}\left(\alpha_{13}\epsilon^{2} + 2\overline{\Omega_{RLij}}\rho_{1} - \alpha_{13}\overline{\Omega_{SRij}}\epsilon^{2}\right)B_{0}^{(12)}(m_{H_{1}^{0}}, m_{n_{i}}, m_{n_{j}}, m_{n_{j}})}{(72)}$$

#### 0.0.25 Diagram GR\_ninj

$$A_{L}(\text{GR\_ninj}) = \frac{\sqrt{2}iJ_{ai}\overline{Q_{Rbj}}m_{l_{b}}\left(-\Omega_{SRij}\alpha_{13}\epsilon^{2} + 2\overline{\Omega_{RLij}}\rho_{1}\right)B_{0}^{(12)}(m_{H_{1}^{0}},m_{n_{i}},m_{n_{j}})}{32\pi^{2}\rho_{1}k_{1}v_{R}^{2}} + \frac{\sqrt{2}im_{l_{a}}^{2}m_{l_{b}}\left(\alpha_{13}\epsilon^{2}\right)J_{0}^{2}}{(73)}$$

$$A_{R}(\text{GR\_ninj}) = \frac{\sqrt{2}iQ_{Rai}\overline{J_{bj}}m_{l_{a}}\left(2\Omega_{RLij}\rho_{1} - \alpha_{13}\overline{\Omega_{SRij}}\epsilon^{2}\right)B_{0}^{(12)}(m_{H_{1}^{0}},m_{n_{i}},m_{n_{j}})}{32\pi^{2}\rho_{1}k_{1}v_{R}^{2}} + \frac{\sqrt{2}im_{l_{a}}m_{l_{b}}^{2}\left(\alpha_{13}\epsilon^{2}\right)J_{0}^{2}}{(74)}$$

$$(74)$$

$$(75)$$

# 0.0.26 Diagram HR\_ninj

$$A_{L}(\text{HR\_ninj}) = \frac{\sqrt{2}iK_{ai}\overline{Q_{Rbj}}m_{l_{b}}\left(-\Omega_{SRij}\alpha_{13}\epsilon^{2} + 2\overline{\Omega_{RLij}}\rho_{1}\right)B_{0}^{(12)}(m_{H_{1}^{0}},m_{n_{i}},m_{n_{j}})}{32\pi^{2}\rho_{1}k_{1}^{3}} + \frac{\sqrt{2}im_{l_{a}}^{2}m_{l_{b}}\left(\alpha_{13}\epsilon^{2}\left(R_{13}\epsilon^{2}\right)R_{13}^{2}\right)R_{13}^{2}}{(76)}$$

$$A_{R}(\text{HR\_ninj}) = \frac{\sqrt{2}iQ_{Rai}\overline{K_{bj}}m_{l_{a}}\left(2\Omega_{RLij}\rho_{1} - \alpha_{13}\overline{\Omega_{SRij}}\epsilon^{2}\right)B_{0}^{(12)}(m_{H_{1}^{0}}, m_{n_{i}}, m_{n_{j}})}{32\pi^{2}\rho_{1}k_{1}^{3}} + \frac{\sqrt{2}im_{l_{a}}m_{l_{b}}^{2}\left(\alpha_{13}\epsilon^{2}\left(-H_{1}^{0}\right)\right)B_{0}^{(12)}(m_{H_{1}^{0}}, m_{n_{i}}, m_{n_{j}})}{(77)}$$

$$(78)$$

# 0.0.27 Diagram W1\_ninj

$$A_{L}(\text{W1\_ninj}) = \frac{\sqrt{2}iQ_{Lai}\overline{Q_{Lbj}}g^{2}m_{l_{a}}m_{n_{j}}\left(-\Omega_{SRij}\alpha_{13}\epsilon^{2} + 2\overline{\Omega_{RLij}}\rho_{1}\right)C_{0}(m_{H_{1}^{0}},m_{l_{a}},m_{l_{b}},m_{W_{1}},m_{n_{i}},m_{n_{j}})}{128\pi^{2}\rho_{1}k_{1}} + \frac{1}{2}R_{Lai}\overline{Q_{Lbj}}g^{2}m_{l_{b}}m_{n_{i}}\left(2\Omega_{RLij}\rho_{1} - \alpha_{13}\overline{\Omega_{SRij}}\epsilon^{2}\right)C_{0}(m_{H_{1}^{0}},m_{l_{a}},m_{l_{b}},m_{W_{1}},m_{n_{i}},m_{n_{j}})}{128\pi^{2}\rho_{1}k_{1}} + \frac{\sqrt{2}R_{Lai}\overline{Q_{Lbj}}g^{2}m_{l_{b}}m_{n_{i}}\left(2\Omega_{RLij}\rho_{1} - \alpha_{13}\overline{\Omega_{SRij}}\epsilon^{2}\right)C_{0}(m_{H_{1}^{0}},m_{l_{a}},m_{l_{b}},m_{W_{1}},m_{n_{i}},m_{n_{j}})}{(80)} + \frac{\sqrt{2}R_{Lai}\overline{Q_{Lbj}}g^{2}m_{l_{b}}m_{n_{i}}\left(2\Omega_{RLij}\rho_{1} - \alpha_{13}\overline{\Omega_{SRij}}\epsilon^{2}\right)C_{0}(m_{H_{1}^{0}},m_{l_{a}},m_{l_{b}},m_{W_{1}},m_{n_{i}},m_{n_{j}})}{(80)} + \frac{\sqrt{2}R_{Lai}\overline{Q_{Lbj}}g^{2}m_{l_{b}}m_{n_{i}}\left(2\Omega_{RLij}\rho_{1} - \alpha_{13}\overline{\Omega_{SRij}}\epsilon^{2}\right)C_{0}(m_{H_{1}^{0}},m_{l_{a}},m_{l_{b}},m_{W_{1}},m_{n_{i}},m_{n_{j}})}{(80)} + \frac{\sqrt{2}R_{Lai}\overline{Q_{Lbj}}g^{2}m_{l_{b}}m_{n_{i}}\left(2\Omega_{RLij}\rho_{1} - \alpha_{13}\overline{\Omega_{SRij}}\epsilon^{2}\right)C_{0}(m_{H_{1}^{0}},m_{l_{a}},m_{l_{b}},m_{W_{1}},m_{n_{i}},m_{n_{i}},m_{n_{i}},m_{n_{i}})}{(80)} + \frac{\sqrt{2}R_{Lai}\overline{Q_{Lbj}}g^{2}m_{l_{b}}m_{n_{i}}\left(2\Omega_{RLij}\rho_{1} - \alpha_{13}\overline{\Omega_{SRij}}\epsilon^{2}\right)C_{0}(m_{H_{1}^{0}},m_{l_{a}},m_{l_{b}},$$

# 0.0.28 Diagram W2\_ninj

$$A_{L}(\text{W2\_ninj}) = \frac{\sqrt{2}iQ_{Rai}\overline{Q_{Rbj}}g^{2}m_{l_{b}}m_{n_{i}}\left(-\Omega_{SRij}\alpha_{13}\epsilon^{2} + 2\overline{\Omega_{RLij}}\rho_{1}\right)C_{0}(m_{H_{1}^{0}},m_{l_{a}},m_{l_{b}},m_{W_{2}},m_{n_{i}},m_{n_{j}})}{128\pi^{2}\rho_{1}k_{1}} + \frac{1}{2}\left(82\right)$$

$$A_{R}(\text{W2\_ninj}) = \frac{\sqrt{2}iQ_{Rai}\overline{Q_{Rbj}}g^{2}m_{l_{a}}m_{n_{j}}\left(2\Omega_{RLij}\rho_{1} - \alpha_{13}\overline{\Omega_{SRij}}\epsilon^{2}\right)C_{0}(m_{H_{1}^{0}},m_{l_{a}},m_{l_{b}},m_{W_{2}},m_{n_{i}},m_{n_{j}})}{128\pi^{2}\rho_{1}k_{1}} + \frac{\sqrt{2}iQ_{Rai}\overline{Q_{Rbj}}g^{2}m_{l_{a}}m_{l_{a}}m_{l_{b}}\left(2\Omega_{Rbj}\overline{Q_{Rbj}}g^{2}\right)C_{0}(m_{H_{1}^{0}},m_{l_{a}},m_{l_{b}},m_{l_{b}},m_{l_{b}},m_{l_{b}},m_{l_{b}},m_{l_{b}})}{128\pi^{2}\rho_{1}k_{1}}$$

(84)