# Symbol Tables in JastAdd

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#### Review

- What is a symbol table used for?
  - Determining the origin and the properties of a given symbol

#### Review

- What goes in a symbol table?
  - Name
  - Definition site
  - Type
  - Other annotations/attributes

#### Attribute Grammars

 Introduced by Knuth as a way to specify programming language semantics

#### Attribute Grammars

- An attribute is a function from parse tree nodes to a domain of your choosing
- The value of an attribute at a given node is defined in terms of the values of attributes of neighbouring nodes in the parse tree

#### Synthetic Attributes

- Attributes that depend on values in the descendants of a node are called synthetic attributes
- Synthetic attributes pass information up the parse tree

#### Inherited Attributes

- Attributes that depend on values in the ancestors of a node are called inherited attributes
- Inherited attributes pass information down the parse tree

## Example

- From Knuth's original paper
- Suppose we want to determine a value for the binary number XX...X.X...X, where X is a single bit

#### Grammar

$$B \rightarrow 0$$
 $B \rightarrow I$ 
 $L \rightarrow B$ 
 $L \rightarrow LB$ 
 $N \rightarrow L$ 
 $N \rightarrow L$ 

## Approach I

- Use only synthetic attributes
- Each subtree is independent

## Approach I

$$B \rightarrow 0$$

$$v(B) = 0$$

$$B \rightarrow |$$

$$v(B) = I$$

$$L \rightarrow B$$

$$v(L) = v(B); I(L) = I$$

$$L_1 \rightarrow L_2B$$

$$v(L_1) = 2v(L_2) + v(B); I(L_1) = I(L_2) + I$$

$$N \rightarrow L$$

$$v(N) = v(L)$$

$$N \rightarrow L_1 \cdot L_2$$

$$v(N) \rightarrow v(L_1) + v(L_2)/2^{I(L_2)}$$

## Approach I

- Use inherited attributes to make things more intuitive (i.e. close to our mental model of how binary numbers work)
- e.g. the 'l' in '100' means '8'

$$B \rightarrow 0$$

$$B \rightarrow |$$

$$L \rightarrow B$$

$$L_1 \rightarrow L_2B$$

$$N \rightarrow L$$

$$N \rightarrow L_1 . L_2$$

$$v(B) = 0$$

$$v(B) = 2^{s(B)}$$

$$v(L) = v(B); I(L) = I(B); s(B) = s(L)$$

$$v(L_1) = v(L_2) + v(B); I(L_1) = I(L_2) + I;$$

$$s(L_2) = s(L_1) + I; s(B) = s(L_1)$$

$$v(N) = v(L); s(L) = 0$$

$$v(N) \rightarrow v(L_1) + v(L_2); s(L_1) = 0; s(L_2) = -I(L_2)$$

$$B \rightarrow 0$$

$$B \rightarrow |$$

$$L \rightarrow B$$

$$L_1 \rightarrow L_2B$$

$$N \rightarrow L$$

$$N \rightarrow L_1 \cdot L_2$$

$$v(B) = 0$$

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$$v(N) = v(L); s(L) = 0$$

$$v(N) \rightarrow v(L_1) + v(L_2); s(L_1) = 0; s(L_2) = -I(L_2)$$

$$B \rightarrow 0$$

$$B \rightarrow |$$

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$$N \rightarrow L_1 . L_2$$

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$$v(B) = 2^{s(B)}$$

$$v(L) = v(B); I(L) = I(B); s(B) = s(L)$$

$$v(L_1) = v(L_2) + v(B); I(L_1) = I(L_2) + I;$$

$$s(L_2) = s(L_1) + I; s(B) = s(L_1)$$

$$v(N) = v(L); s(L) = 0$$

$$v(N) \rightarrow v(L_1) + v(L_2); s(L_1) = 0; s(L_2) = -I(L_2)$$

#### Practical Concerns

 If information can move both up and down the parse tree, then it is possible to define attributes cyclically!

#### Practical Concerns

- If we restrict ourselves to certain combinations of attributes, then we can compute their values more efficiently
- Synthetic-only: single post-order pass
- Inherited-only: single pre-order pass
- LR-attributed: single LR-parsing pass (i.e. by the time a node is created, all values it depends on have already been computed).

#### JastAdd

- An attribute grammar system for Java
- Primarily used for creating extensible compilers
- Primarily the work of Torbjörn Ekman (Oxford) & Görel Hedin (Lund)

#### JastAdd

- Where does it fit?
  - You create a lexer and parser as usual (e.g. using flex and bison)
  - 2. You specify an AST structure in JastAdd
  - 3. You build the AST in the actions of your grammar
  - 4. You decorate the AST with attributes

# Abstract Syntax

 Since attributes are so interwoven with the abstract syntax, you have to use the abstract syntax specification language provided by JastAdd to create your AST classes

## Example

```
abstract Expr;
```

AddExpr: Expr::= LHS:Expr RHS:Expr;

IDExpr : Expr ::= <Name>;

NumExpr : Expr ::= <Value:int>;

#### Attributes

 Attributes are defined in separate files (aspects) but are ultimately inserted into the generated AST node classes

## Synthetic Attributes

- syn ReturnType NodeType.Attribute();
- eq NodeType.Attribute() = value;

#### Inherited Attributes

- inh ReturnType NodeType.Attribute();
- eq ParentNodeType.getChild().Attribute()= value;

Evaluated in the context of the parent node

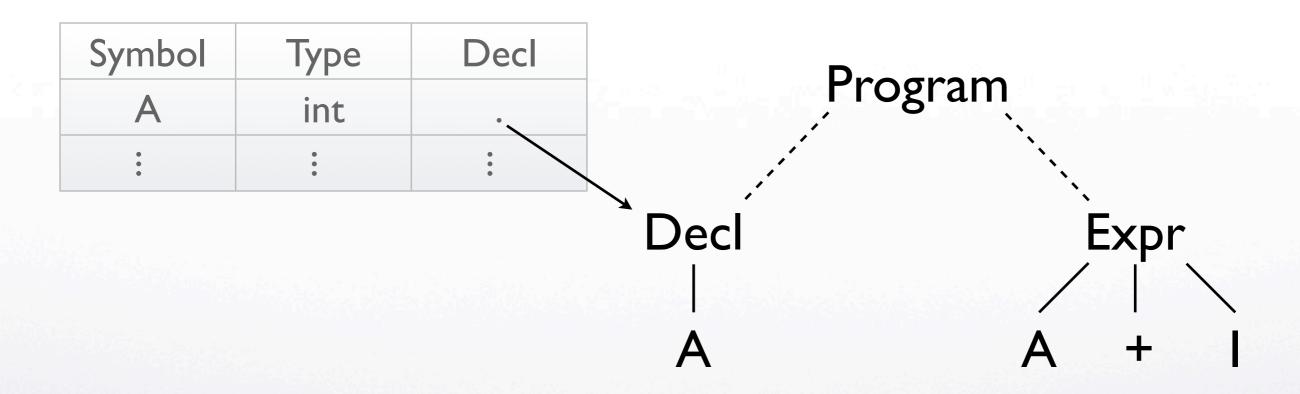
#### Extra Features

- Reference attributes
- Parameterized attributes
- Broadcast inherited attributes

## JastAdd Symbol Tables

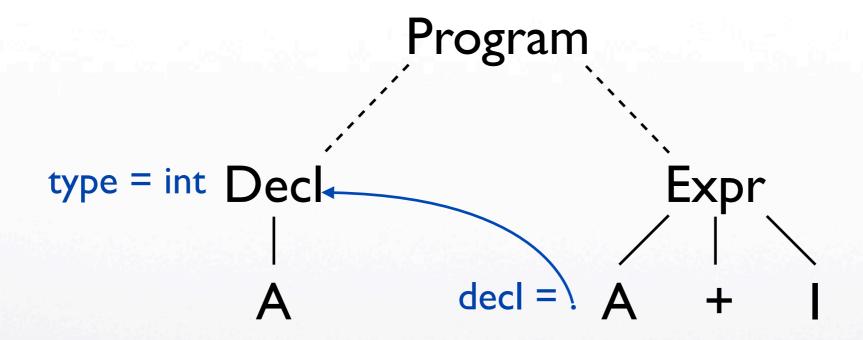
 Instead of building a separate symbol table, just decorate the parse tree nodes

### Example - Table



Lookup: table.lookup("A") returns a record

#### Example - Attributes



Lookup: A.getDecl() returns a Decl node

- Synthetic attributes push declarations up to root node
- Inherited attributes push declarations down to use nodes

#### Listing Declarations:

```
syn Set<Decl> ASTNode.listDecls();
eq ASTNode.listDecls() {
    Set<Decl> decls = new HashSet<Decl>();
    for(int i = 0; i < getNumChild(); i++) {
        decls.addAll(getChild(i).listDecls());
    }
    return decls;
}
eq Decl.listDecls() = Collections.singleton(this);</pre>
```

#### Declaration Lookup:

```
syn Decl Program.lookupDecl(String name) {
   for(Decl d : listDecls()) {
      if(d.getName().equals(name)) {
        return d;
      }
   }
   return null;
}
```

Lookup propagation:

```
inh Decl IDExpr.lookupDecl(String name);
eq Parent.getIDExpr().lookupDecl(String name) = lookupDecl(name);
```

Meta-Variable: substitute names of nodes with IDExpr children

Link to Decl:

syn Decl IDExpr.getDecl() = lookupDecl(getName());

## Advantages

- Modularity
- Extensibility
- Laziness

## Disadvantages

- Definition of structure is less centralized
- May require more computation

#### Sources

- D. Knuth, Semantics of context-free languages, Math. Sys. Theory, 2: I (1968), 127–145.
- http://jastadd.org/