

# Multimedia Systems

## Media Representation: Image

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# What is image/picture?

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- A 2D signal
  - $X \times Y$  pixels after sampling
  - Captured by CCD/CMOS
- Each pixel has a color
- Color itself is a multi-dimensional vector, unless for black/white (0/1) or grayscale (scalar)



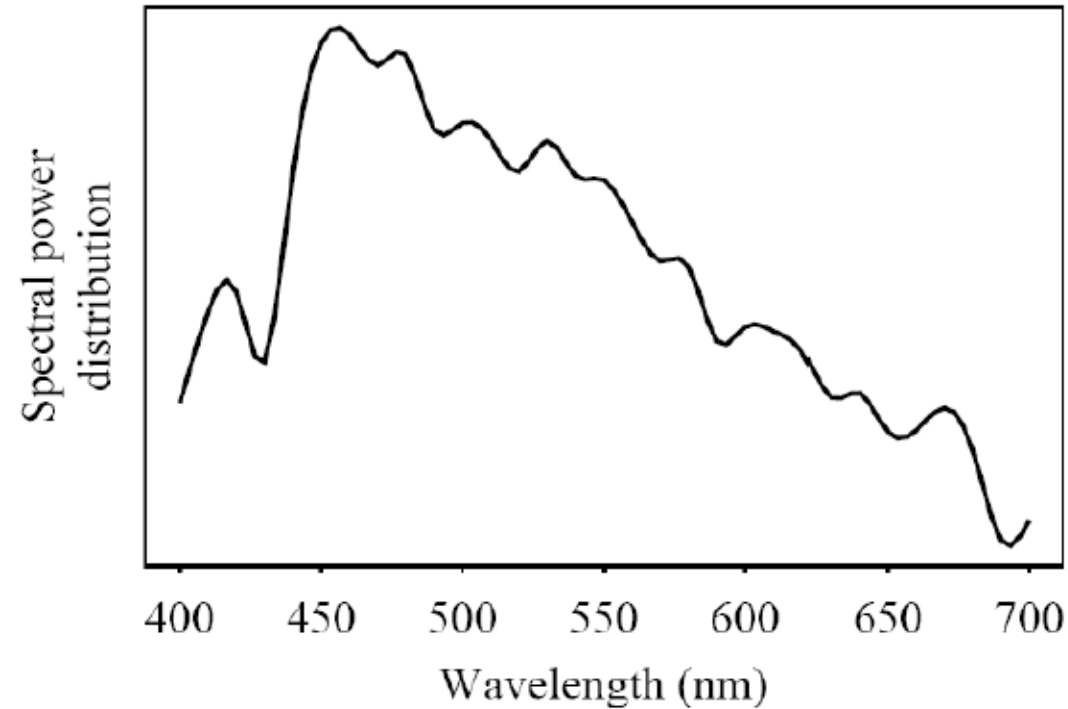
# Color Science

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- Light and Spectra
  - Light is an electromagnetic wave. Its color is characterized by the wavelength content of the light.
  - Laser light consists of a single wavelength
  - Short wavelengths produce a blue sensation, long wavelengths produce a red one.
  - Most light sources produce contributions over many wavelengths
  - However, humans cannot detect all light, just contributions that fall in the “visible wavelengths”
  - Electromagnetic waves in the range 400 nm to 700 nm are **visible light**.

# Color Science

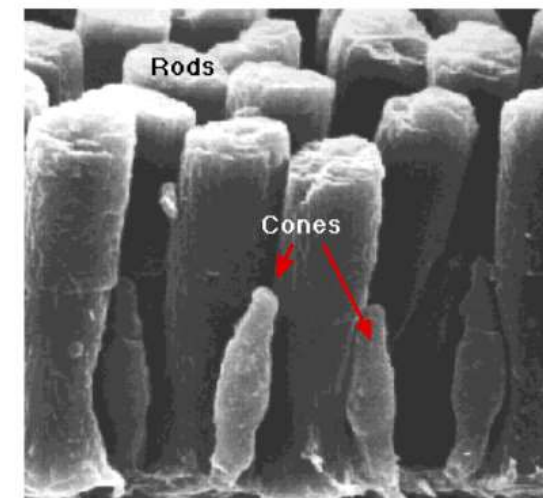
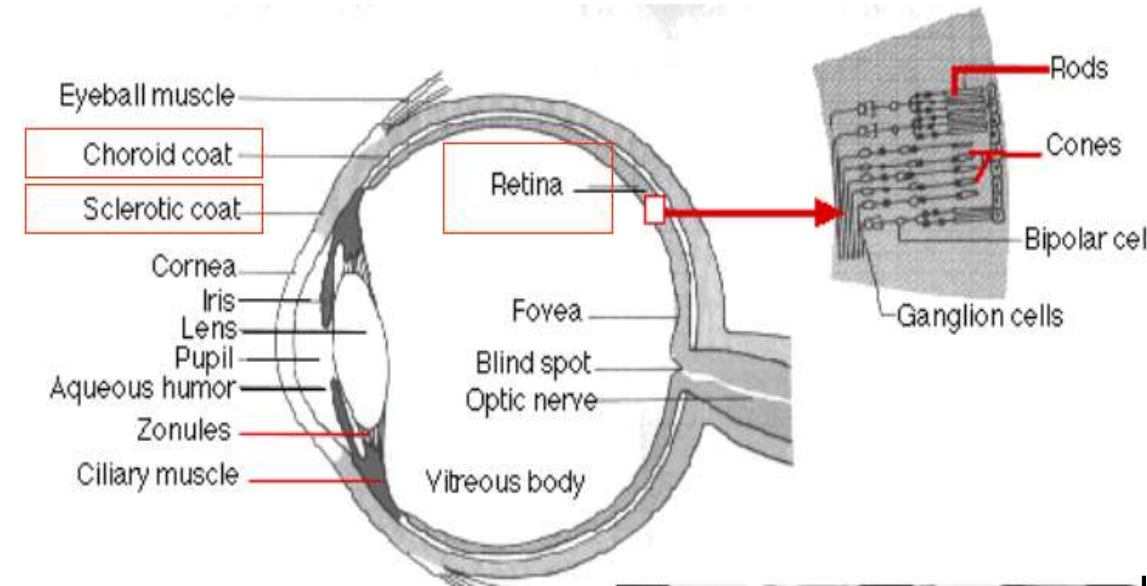
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Spectral power distribution of daylight

# Human Visual System

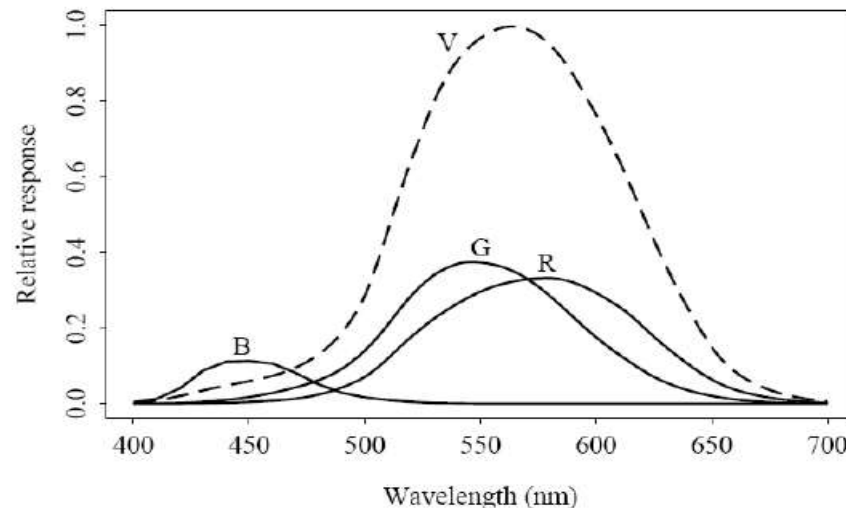
- Sclerotic coat
  - Includes cornea
- Choroid coat
  - Includes iris, pupil
- Retina: contains light receptors
  - Rods
  - Cones that absorb red light (long-wavelength)
  - Cones that absorb green light
  - Cones that absorb blue light (short wl)



# Spectral Sensitivity of the Eye

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- The eye is most sensitive to light in the **middle** of the visible spectrum.
- The **sensitivity of our receptors** is also a function of wavelength.
- The rod sensitivity curve looks like the **luminous-efficiency** function  $V(\lambda)$  but is shifted to the red end of the spectrum.



# Spectral Sensitivity of the Eye

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- These **spectral sensitivity functions** are usually denoted by letters other than “R,G,B”; here let’s use a vector function  $q(\lambda)$ , with components

$$q(\lambda) = (q_R(\lambda), q_G(\lambda), q_B(\lambda))^T$$

- The response in each color channel in the eye is proportional to the **number of neurons firing**.
- A laser light at wavelength  $\lambda$  would result in a certain number of neurons firing.

# Spectral Sensitivity of the Eye

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- An SPD is a combination of single frequency lights (like “lasers”), so we add up the cone responses for all wavelengths, weighted by the eye’s relative response at that wavelength.

$$R = \int E(\lambda) q_R(\lambda) d\lambda$$

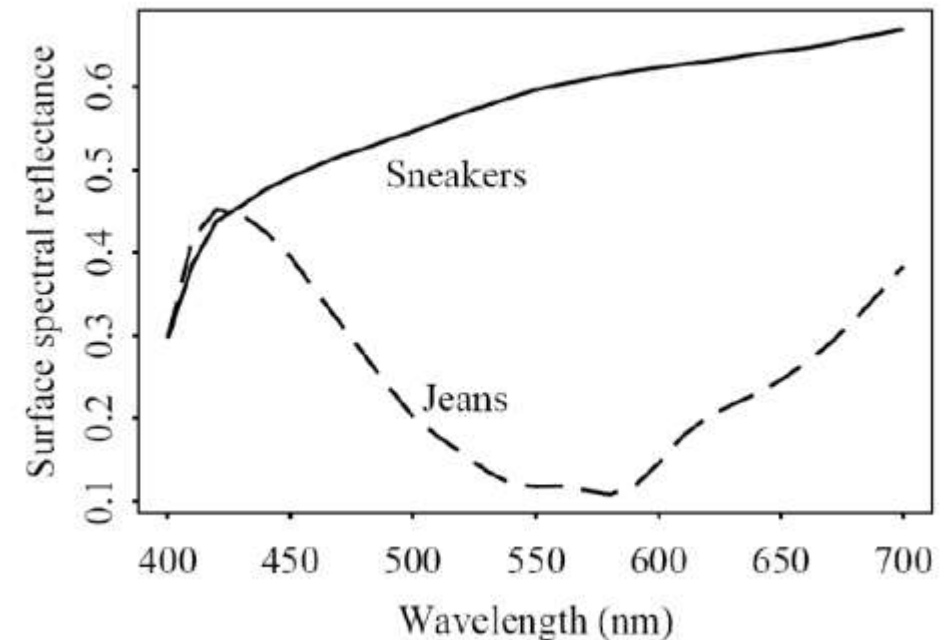
$$G = \int E(\lambda) q_G(\lambda) d\lambda$$

$$B = \int E(\lambda) q_B(\lambda) d\lambda$$



# Image Formation

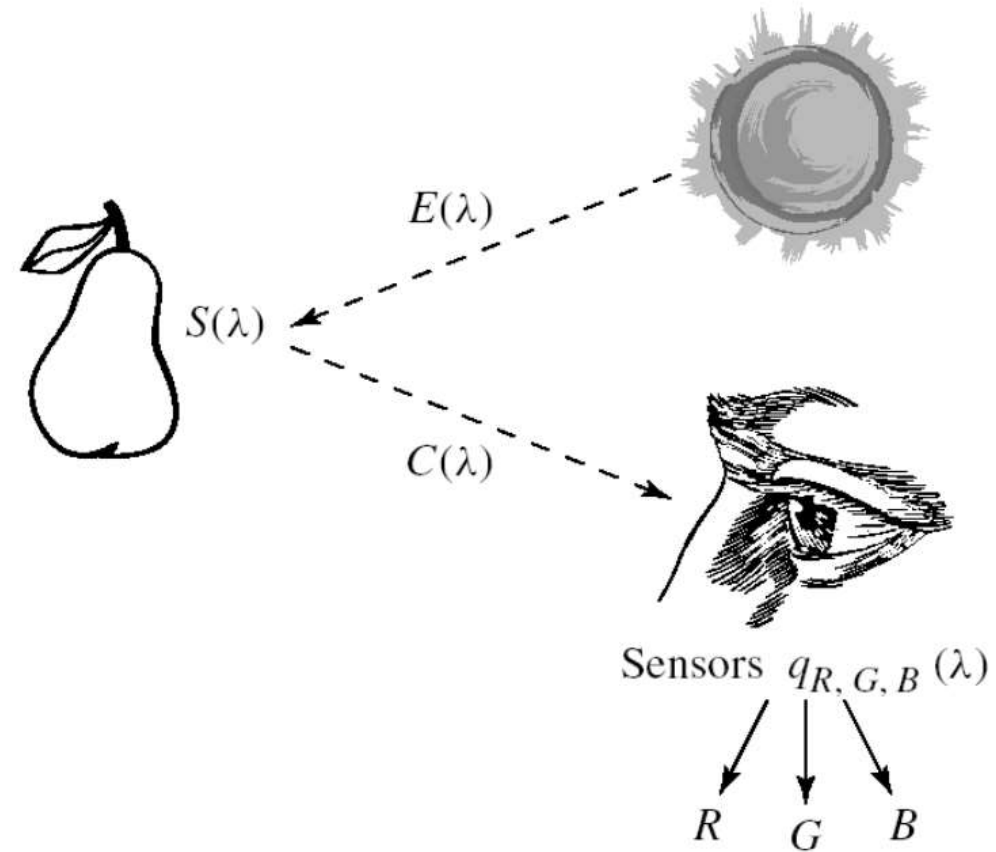
- Surfaces reflect different amounts of light at different wavelengths, and dark surfaces reflect less energy than light surfaces.
- Fig shows the surface spectral reflectance from orange sneakers and faded blue jeans. The reflectance function is denoted  $S(\lambda)$ .



# Image Formation Model

- Light from the **illuminant with SPD  $E(\lambda)$**  impinges on a surface, with surface **spectral reflectance function  $S(\lambda)$** , is reflected, and then is filtered by the **eye's cone functions  $q(\lambda)$** .
- The function  $C(\lambda)$  is called the color signal and consists of the product of  $E(\lambda)$ , the illuminant, times  $S(\lambda)$ , the reflectance:

$$C(\lambda) = E(\lambda) S(\lambda).$$



# Image Formation Model

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- The equations that take into account the image formation model are:

$$R = \int E(\lambda) S(\lambda) q_R(\lambda) d\lambda$$

$$G = \int E(\lambda) S(\lambda) q_G(\lambda) d\lambda$$

$$B = \int E(\lambda) S(\lambda) q_B(\lambda) d\lambda$$

# Camera Systems

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- Camera systems are made in a similar fashion; a studio quality camera has **three signals** produced at each pixel location (corresponding to a retinal position).
- **Analog signals** are converted to digital, truncated to integers, and stored. If the precision used is 8-bit, then the maximum value for any of ***R*, *G*, *B*** is 255, and the minimum is 0.
- However, the light entering the eye of the computer user is that which is emitted by the screen—the screen is essentially a self-luminous source. Therefore we need to know the light  $E(\lambda)$  entering the eye.

# Gamma Correction

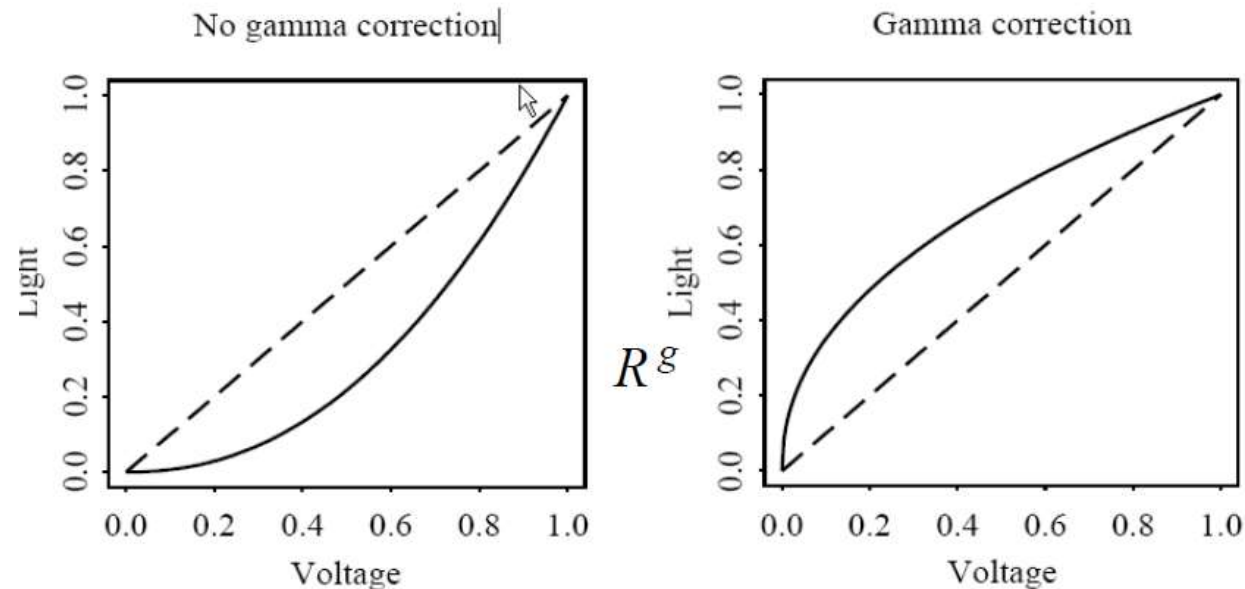
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- The light emitted is in fact roughly proportional to the voltage *raised to a power*, this power is called **gamma**, with symbol  $\gamma$ .
- Thus, if the file value in the red channel is  $R$ , the screen emits light proportional to  $R^\gamma$ , with SPD equal to that of the red phosphor paint on the screen that is the target of the red channel electron gun. The value of gamma is around 2.2.
- It is customary to append a prime to signals that are **gamma corrected** by raising to the power  $(1/\gamma)$  before transmission. Thus we arrive at **linear signals**:

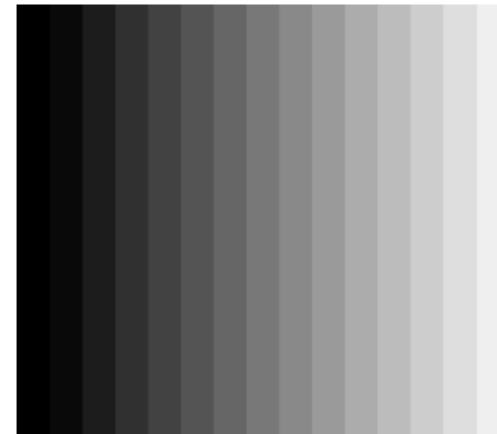
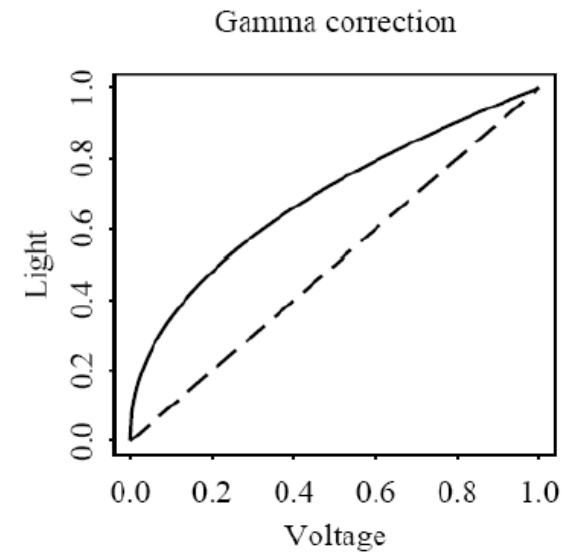
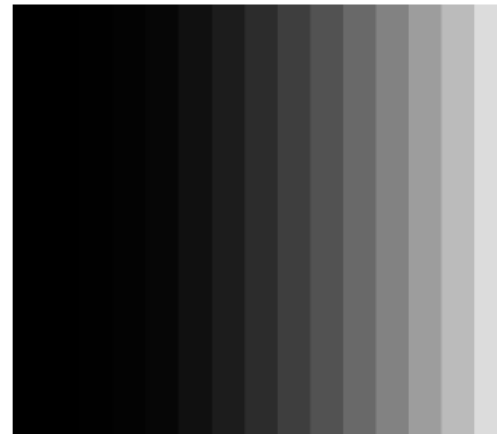
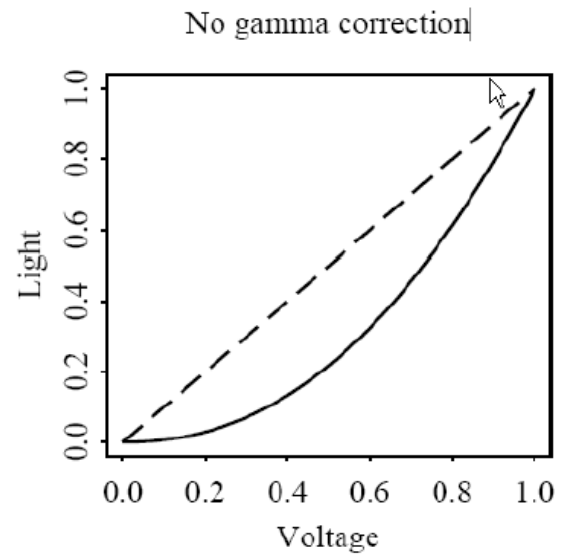
$$R \rightarrow R' = R^{1/\gamma} \Rightarrow (R')^\gamma \rightarrow R$$

# Gamma Correction

- **Left:** light output from CRT with no gamma-correction applied. -- Darker values are displayed too dark.
- **Right:** pre-correcting signals by applying the power law



# Gamma Correction



# Gamma Correction

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- A more careful definition of gamma recognizes that a simple power law would result in an infinite derivative at zero voltage — makes constructing a circuit to accomplish gamma correction difficult to devise in analog.

In practice a more general transform, such as

$R \rightarrow R' = a \times R^{1/\gamma} + b$  is used, along with special care at the origin:

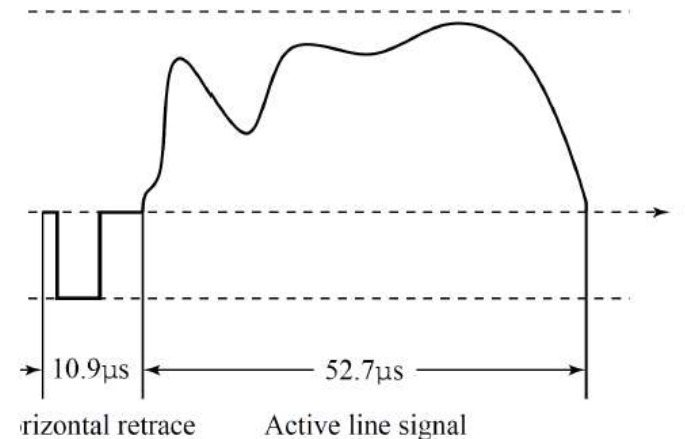
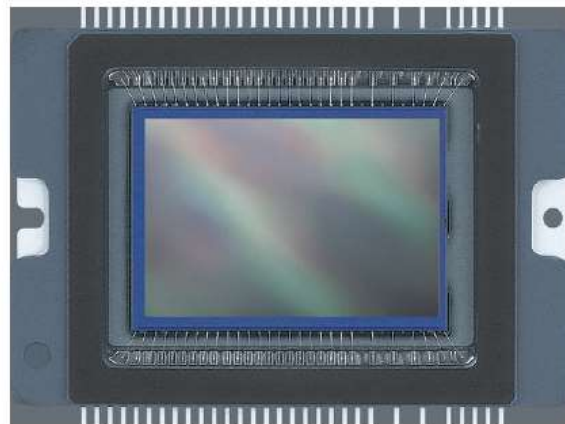
$$V_{\text{out}} = \begin{cases} 4.5 \times V_{\text{in}}, & V_{\text{in}} < 0.018 \\ 1.099 \times (V_{\text{in}}^{0.45} - 0.099), & V_{\text{in}} \geq 0.018 \end{cases}$$



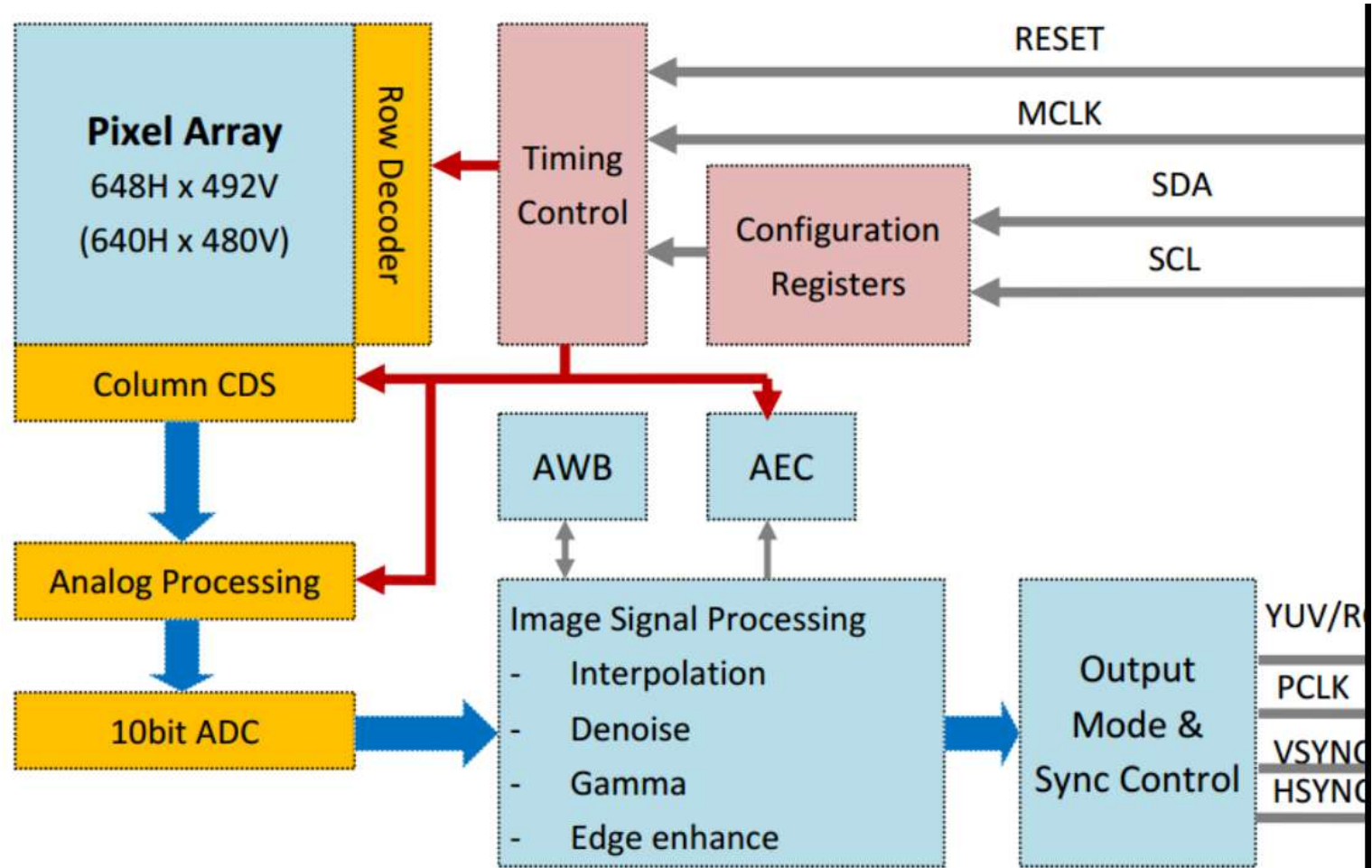
# Correction--Camera

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- CCD/CMOS are just sensor type.
- Usually 2d matrix array
- Scan through each point to produce electronical signal
- Digital camera has Analog to Digital conversion



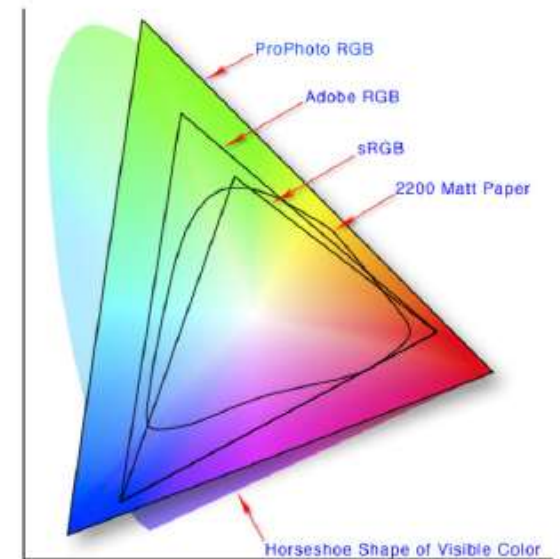
# Correction--Camera



# Color Space

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- All color can be created by mixing basic components.
- Different ways of choosing basic color components.
- RGB Color Space
  - R, G, B components.
  - Usually 8 bits per components:  $[0, \dots, 255]$ .
  - Widely used: BMP, TIFF, PPM ...
- RGBA Color Space
  - RGB with Alpha (for transparency)
  - Used by PNG format



# RGB Color Space

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- RGB components of an image are strongly correlated.



R



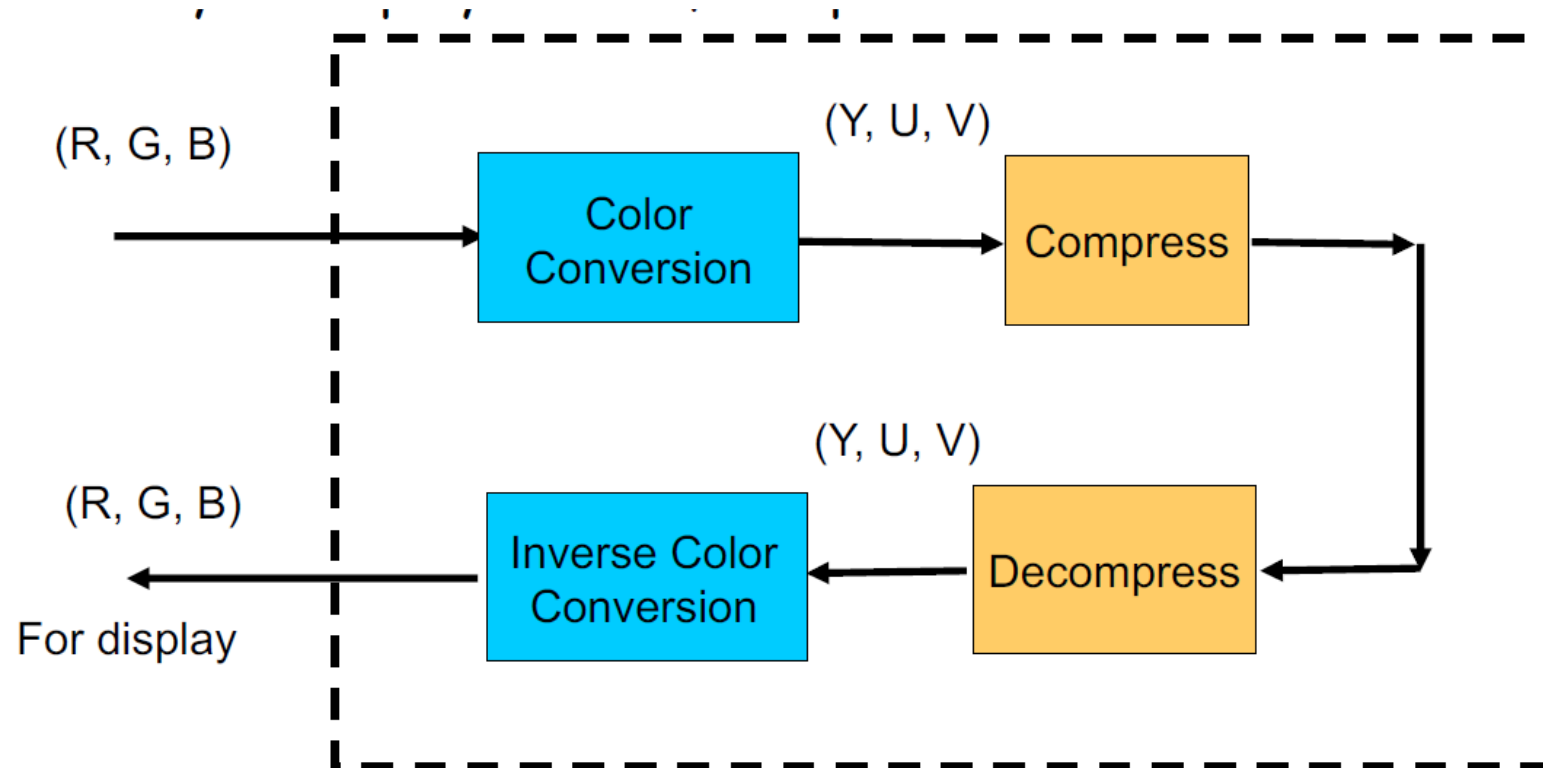
G



B

# Color Space: RGB to YUV

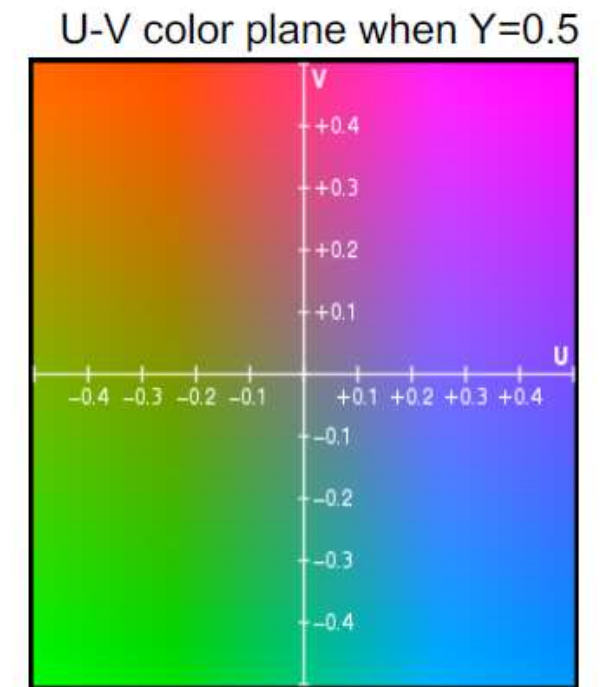
- Converting to other spaces
  - Why ? Display device, compression.



# Other Color Spaces

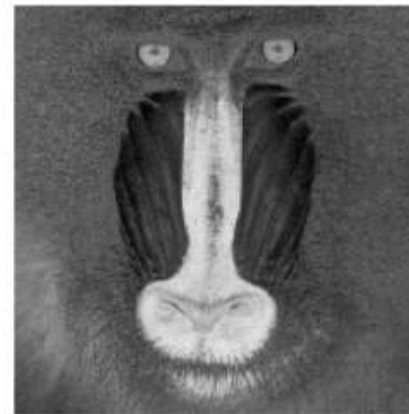
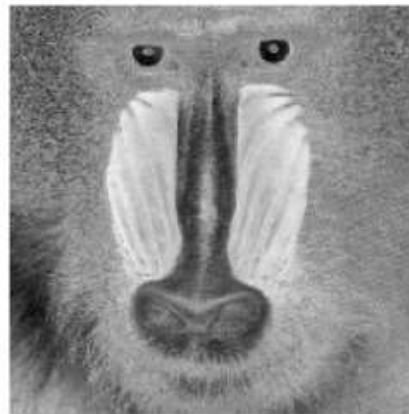
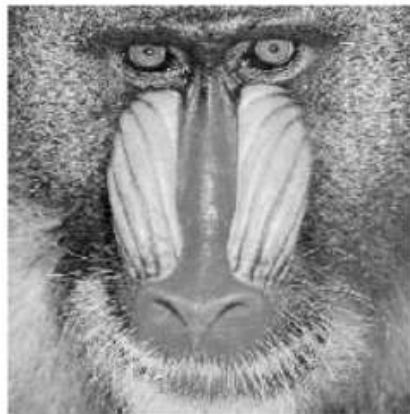
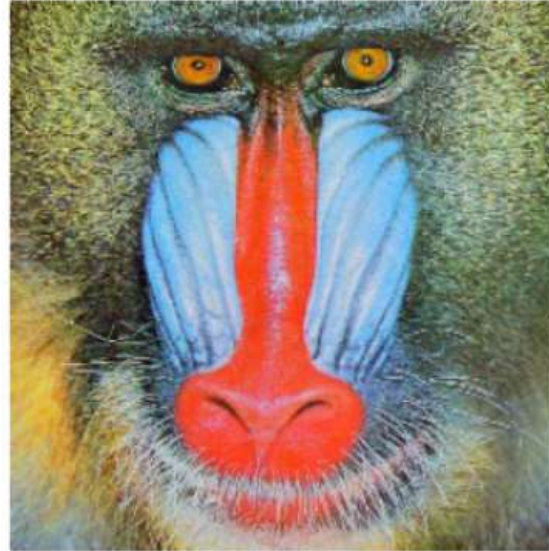
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- YUV color space (used by PAL TV system)
  - Y: Luminance component (brightness)
  - U, V: Chrominance components
    - the difference between a color and a reference
- YCrCb Space (used in image/video coding)
  - Derived from YUV
  - U,V shifted by 0.5
  - Components approximately uncorrelated



# YUV Decomposition

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# Color Space: YUV

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- YUV codes a luminance signal Y(brightness)
- **Chrominance:**
  - The difference between a color and a reference white at the same luminance i.e. U, V

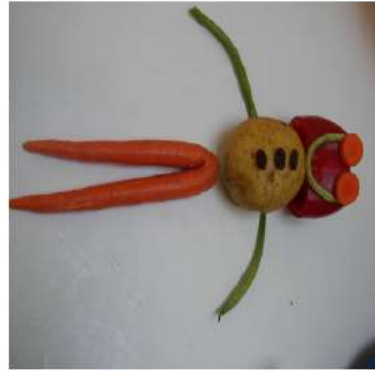
$$U = B' - Y', \quad V = R' - Y'$$

$$\begin{bmatrix} Y' \\ U \\ V \end{bmatrix} = \begin{bmatrix} 0.299 & 0.587 & 0.114 \\ -0.299 & -0.587 & 0.886 \\ 0.701 & -0.587 & -0.114 \end{bmatrix} \begin{bmatrix} R' \\ G' \\ B' \end{bmatrix}$$

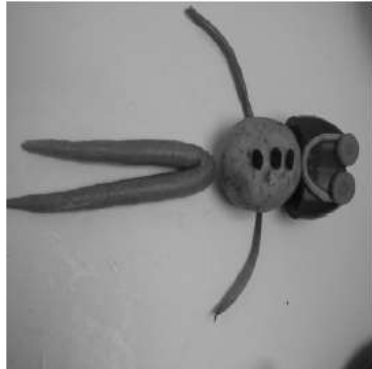


# Color Space: YUV

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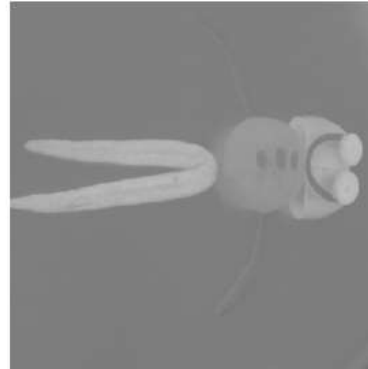
(a)



(b)



(c)



(d)

Y 'UV decomposition of color image. Top image (a) is original color image; (b) is Y '; (c,d) are (U, V)

# YCbCr Color Model

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- YUV is changed by scaling such that Cb is U, but with a coefficient of 0.5 multiplying B'.
- This makes the equations as follows:

$$\begin{aligned} C_b &= ((B' - Y')/1.772) + 0.5 \\ \text{Written out: } C_r &= ((R' - Y')/1.402) + 0.5 \end{aligned}$$

$$\begin{bmatrix} Y' \\ C_b \\ C_r \end{bmatrix} = \begin{bmatrix} 0.299 & 0.587 & 0.114 \\ -0.168736 & -0.331264 & 0.5 \\ 0.5 & -0.418688 & -0.081312 \end{bmatrix} \begin{bmatrix} R' \\ G' \\ B' \end{bmatrix} + \begin{bmatrix} 0 \\ 0.5 \\ 0.5 \end{bmatrix}$$

# YCbCr Color Model

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- In practice, the standard specifies 8-bit coding, with a maximum  $Y'$  value of only 219, and a minimum of +16. Cb and Cr have a range of  $\pm 112$  and offset of +128. If  $R'$ ,  $G'$ ,  $B'$  are floats in  $[0..+1]$ , then we obtain  $Y'$ , Cb, Cr in  $[0..255]$  via the transform:

$$\begin{bmatrix} Y' \\ C_b \\ C_r \end{bmatrix} = \begin{bmatrix} 65.481 & 128.553 & 24.966 \\ -37.797 & -74.203 & 112 \\ 112 & -93.786 & -18.214 \end{bmatrix} \begin{bmatrix} R' \\ G' \\ B' \end{bmatrix} + \begin{bmatrix} 16 \\ 128 \\ 128 \end{bmatrix}$$

- The YCbCr transform is used in JPEG image compression and MPEG video compression.

# RGB vs YCbCr

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- Most information is in Y channel (brightness)
  - Cb and Cr are small → easier for compression
- Human eyes are not sensitive to color error
  - Don't need high resolution for color component



R



G



B



Y



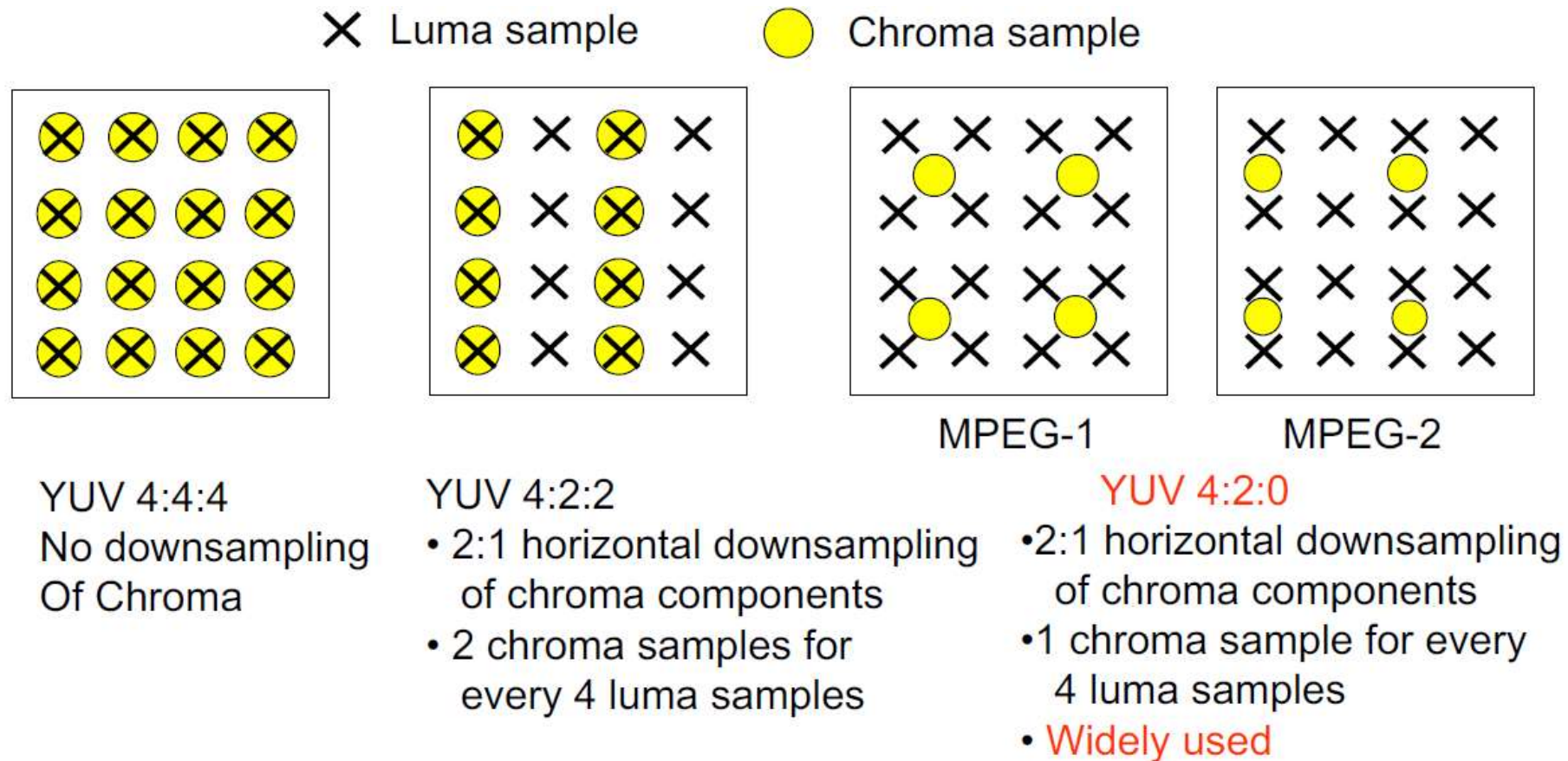
Cb



Cr

# Color Space: Down-sampling

- Down-sampling color components to improve compression



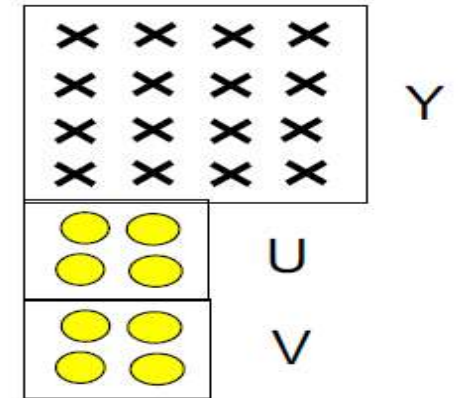
# Raw YUV Data File Format

In YUV 4:2:0, number of U and V samples are 1/4 of the Y samples

YUV samples are stored separately:

Image: YYYY.....Y UU...U VV...V  
(row by row in each channel)

Video: YUV of frame 1, YUV of frame 2, .....



**CIF** (Common Intermediate format):

- 352 x 288 pixels for Y, 176 x 144 pixels for U, V

**QCIF** (Quarter CIF): 176 x 144 pixels for Y, 88 x 72 pixels for U, V  
CIF, and QCIF formats are widely used for video conference



Y: 176 x 144



U: 88 x 72



V: 88 x 72