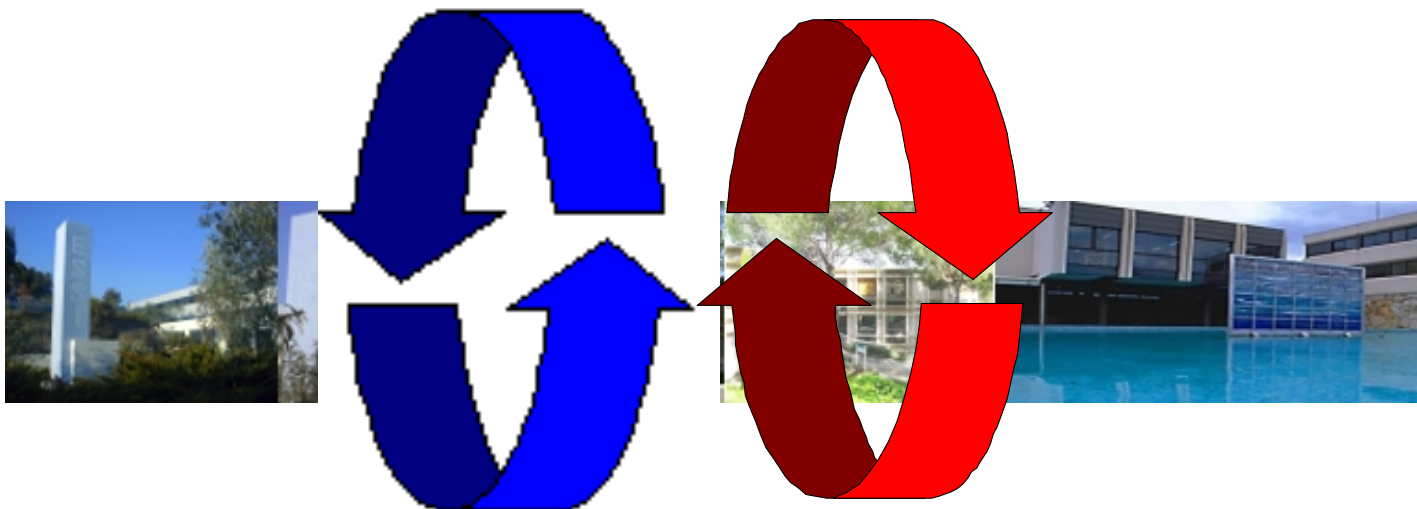


# Modélisation des processus

[riveill@unice.fr](mailto:riveill@unice.fr)

<http://www.i3s.unice.fr/~riveill>

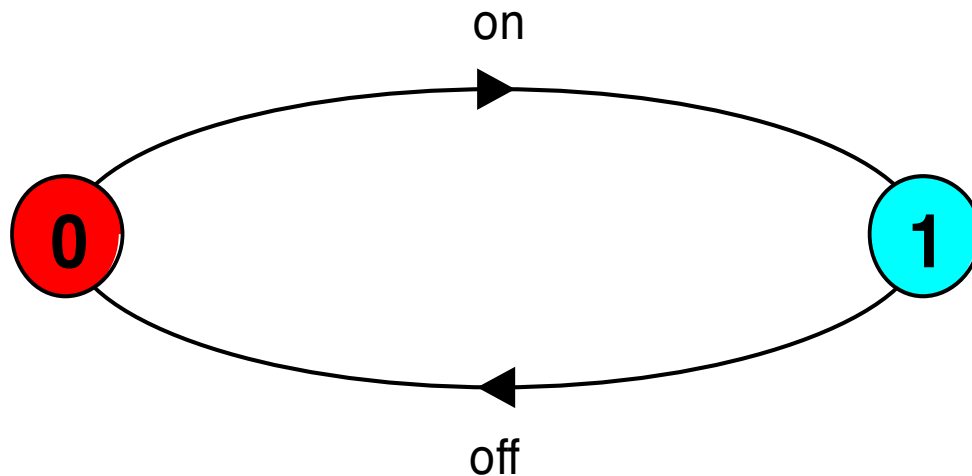




# Step 1 : modeling sequential processes

# Modeling processes

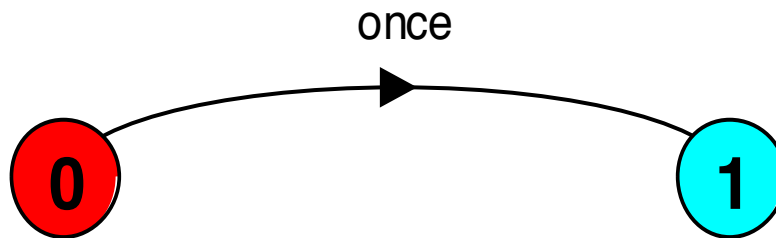
- A process is the execution of a sequential program. It is modeled as a finite state machine which transits from state to state by executing a sequence of atomic actions.
- A light switch **LTS**



- A sequence of actions or **trace**
  - $\text{on} \rightarrow \text{off} \rightarrow \text{on} \rightarrow \text{off} \rightarrow \text{on} \rightarrow \text{off} \rightarrow \dots$
- *Can finite state models produce infinite traces?*

# FSP - action prefix

- If  $x$  is an action and  $P$  a process then  $(x \rightarrow P)$  describes a process that initially engages in the action  $x$  and then behaves exactly as described by  $P$ .
- ONESHOT state machine (terminating process)
  - $\text{ONESHOT} = (\text{once} \rightarrow \text{STOP})$ .



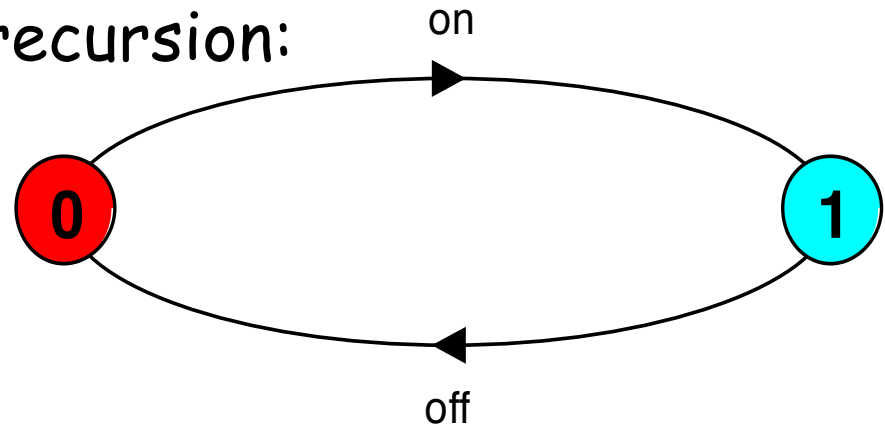
## Convention:

- actions begin with lowercase letters
- PROCESSES begin with uppercase letters

# FSP - action prefix & recursion (*infinite traces*)

- Repetitive behaviour uses recursion:

SWITCH = OFF,  
OFF = (on -> ON) ,  
ON = (off-> OFF) .



- Substituting to get a more succinct definition:

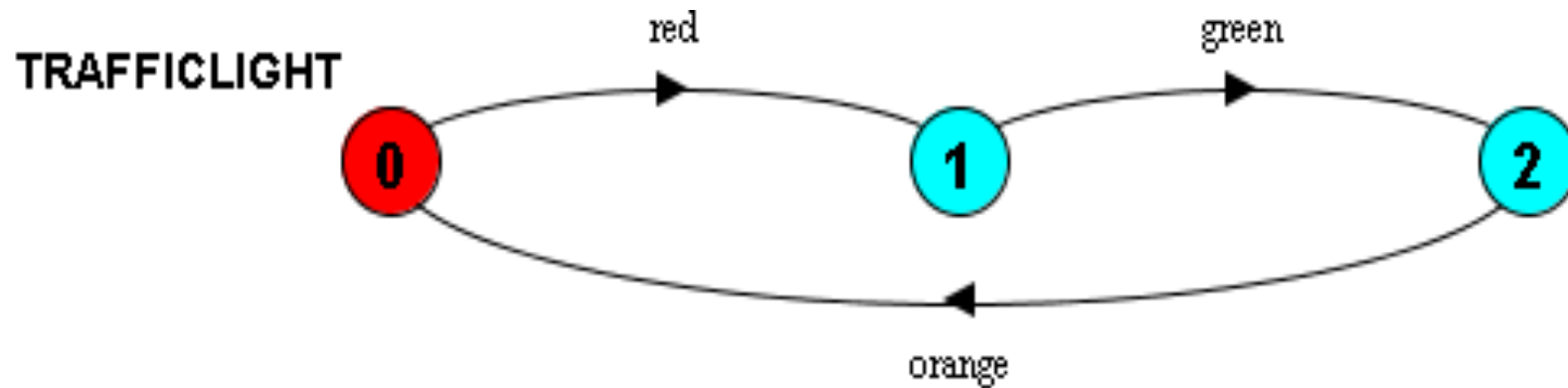
SWITCH = OFF,  
OFF = (on -> (off->OFF)) .

- And again:

SWITCH = (on->off->SWITCH) .

# TEST

- Model in FSP a traffic light  
 $\text{TRAFFICLIGHT} = (\text{red} \rightarrow \text{green} \rightarrow \text{orange} \rightarrow \text{TRAFFICLIGHT}) .$
- Design in LTS a traffic light



- What is the trace ?
  - $\text{red} \rightarrow \text{green} \rightarrow \text{orange} \rightarrow \text{red} \rightarrow \text{green} \dots$
- What is the alphabet ?
  - $\{\text{red}, \text{green}, \text{orange}\}$

# FSP - choice

- If  $x$  and  $y$  are actions then  $(x \rightarrow P \mid y \rightarrow Q)$  describes a process which initially engages in either of the actions  $x$  or  $y$ . After the first action has occurred, the subsequent behavior is described by  $P$  if the first action was  $x$  and  $Q$  if the first action was  $y$ .
- *Who or what makes the choice?*
- *Is there a difference between input and output actions?*

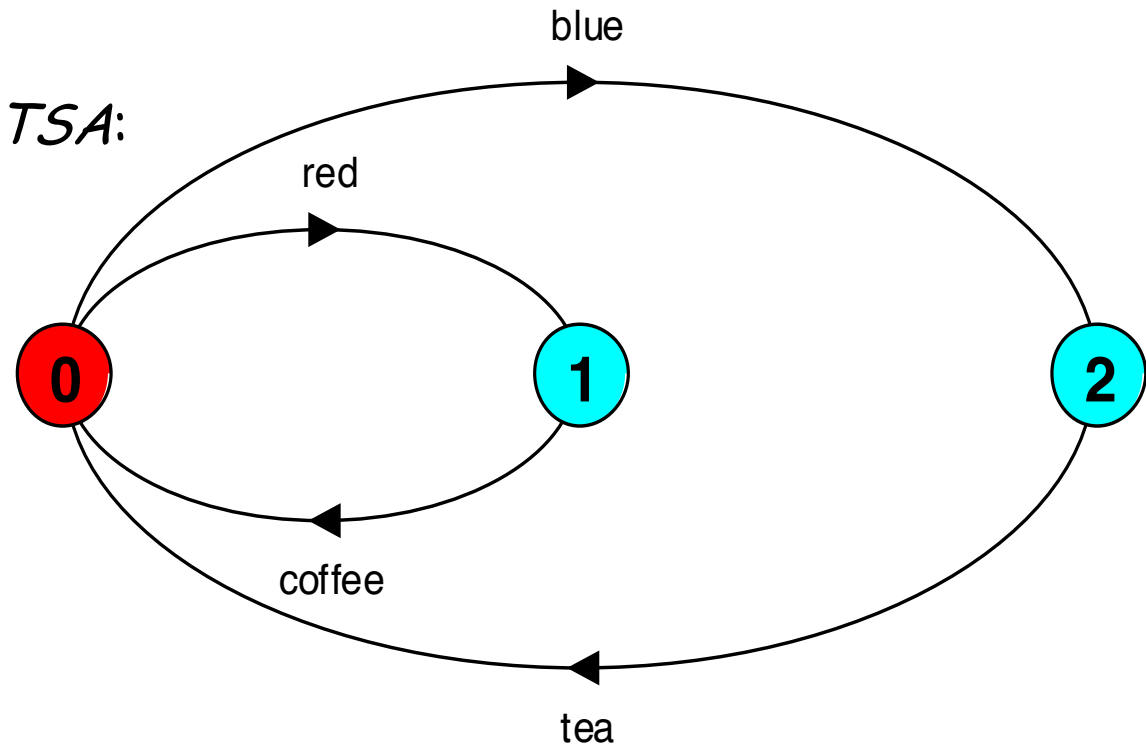


# FSP - choice

- FSP model of a drinks machine :

```
DRINKS = (red->coffee->DRINKS  
| blue->tea->DRINKS  
).
```

- LTS generated using *LTSA*:



- Possible traces?

```
red->coffee->blue->tea->blue->tea->
```

# Non-deterministic choice

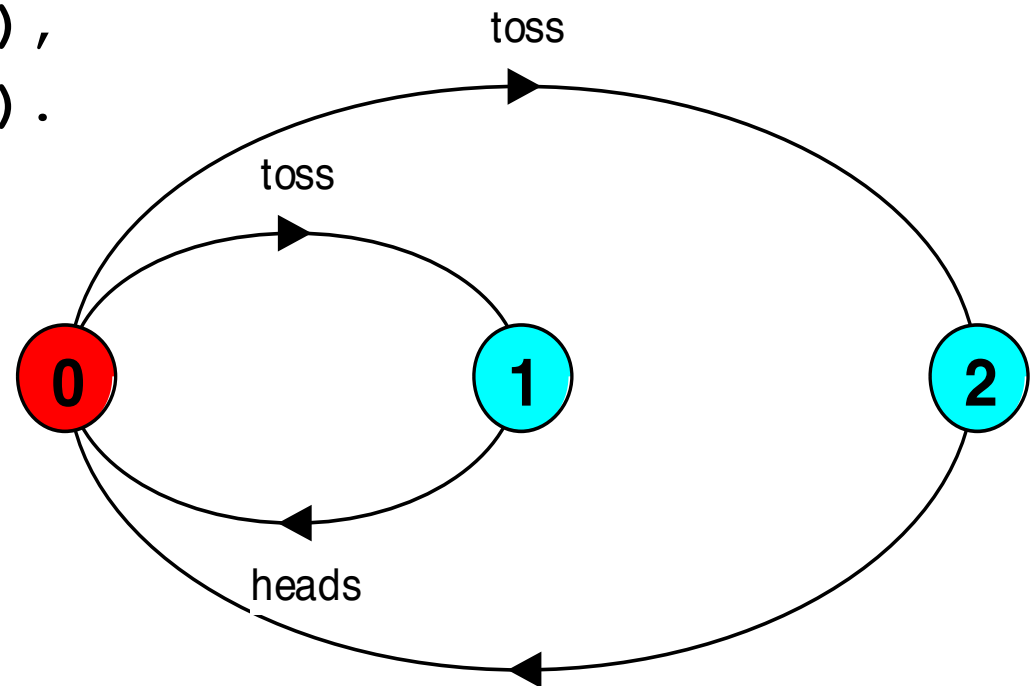
- Process  $(x \rightarrow P \mid x \rightarrow Q)$  describes a process which engages in  $x$  and then behaves as either  $P$  or  $Q$ .

`COIN = (toss->HEADS | toss->TAILS) ,`

`HEADS = (heads->COIN) ,`

`TAILS = (tails->COIN) .`

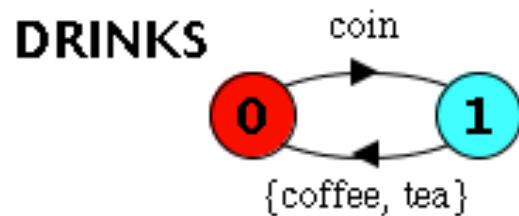
- Tossing a coin.



- Possible traces?
  - `toss->heads->toss->heads->toss->tails`

# TEST

- Model in FSP a random drinks machine  
 $\text{DRINKS} = (\text{coin} \rightarrow \{\text{coffee}, \text{tea}\} \rightarrow \text{DRINKS}) .$
- Design in LTS a drinks machine



- What is the trace ?
  - $\text{coin} \rightarrow \text{coffee} \rightarrow \text{coin} \rightarrow \text{coffee} \rightarrow \text{coin} \rightarrow \text{tea} \rightarrow \dots$
- What is the alphabet ?
  - $\{\text{coin}, \text{coffee}, \text{tea}\}$

# FSP - indexed processes and actions

- Single slot buffer that inputs a value in the range 0 to 3 and then outputs that value:

$\text{BUFF} = (\text{in}[i:0..3] \rightarrow \text{out}[i] \rightarrow \text{BUFF}) .$

- equivalent to

$\text{BUFF} = (\text{in}[0] \rightarrow \text{out}[0] \rightarrow \text{BUFF}$   
 $\quad | \text{in}[1] \rightarrow \text{out}[1] \rightarrow \text{BUFF}$   
 $\quad | \text{in}[2] \rightarrow \text{out}[2] \rightarrow \text{BUFF}$   
 $\quad | \text{in}[3] \rightarrow \text{out}[3] \rightarrow \text{BUFF}$   
 $\quad ) .$

indexed actions  
generate labels  
of the form  
*action.index*

- or using a **process parameter** with default value:

$\text{BUFF}(N=3) = (\text{in}[i:0..N] \rightarrow \text{out}[i] \rightarrow \text{BUFF}) .$

- Alphabet = {in.0, in.1, in.2, in.3,  
out.0, out.1, out.2, out.3}

# FSP - indexed processes and actions

- index expressions to model calculation:

`const N = 1`

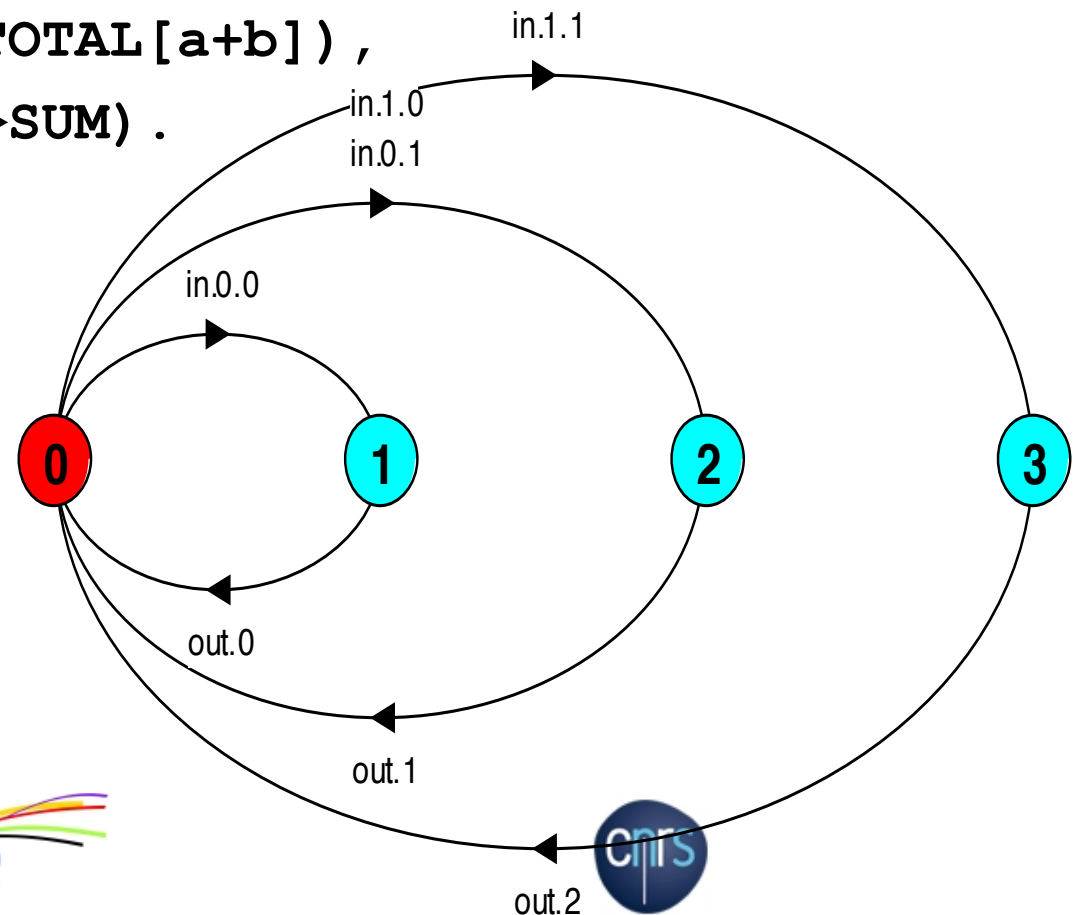
`range T = 0..N`

`range R = 0..2*N`

`SUM = (in[a:T][b:T]->TOTAL[a+b]) ,`

`TOTAL[s:R] = (out[s]->SUM) .`

Local indexed process definitions are equivalent to process definitions for each index value

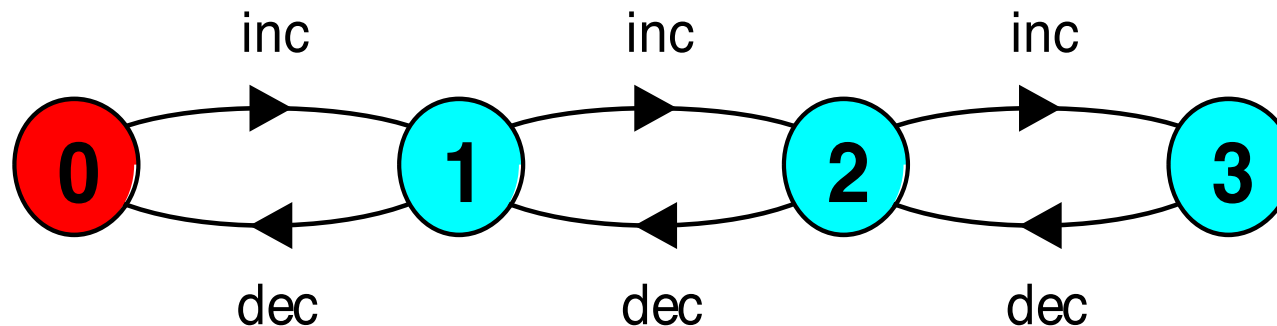


# FSP - guarded actions

- The choice ( $\text{when } B \ x \rightarrow P \mid y \rightarrow Q$ ) means that when the guard  $B$  is true then the actions  $x$  and  $y$  are both eligible to be chosen, otherwise if  $B$  is false then the action  $x$  cannot be chosen.

`COUNT (N=3) = COUNT[0],`

`COUNT[i:0..N] = (when(i<N) inc->COUNT[i+1]  
| when(i>0) dec->COUNT[i-1]  
) .`



# FSP - guarded actions

- A countdown timer which beeps after N ticks, or can be stopped.

`COUNTDOWN (N=3) = (start->COUNTDOWN[N]) ,`

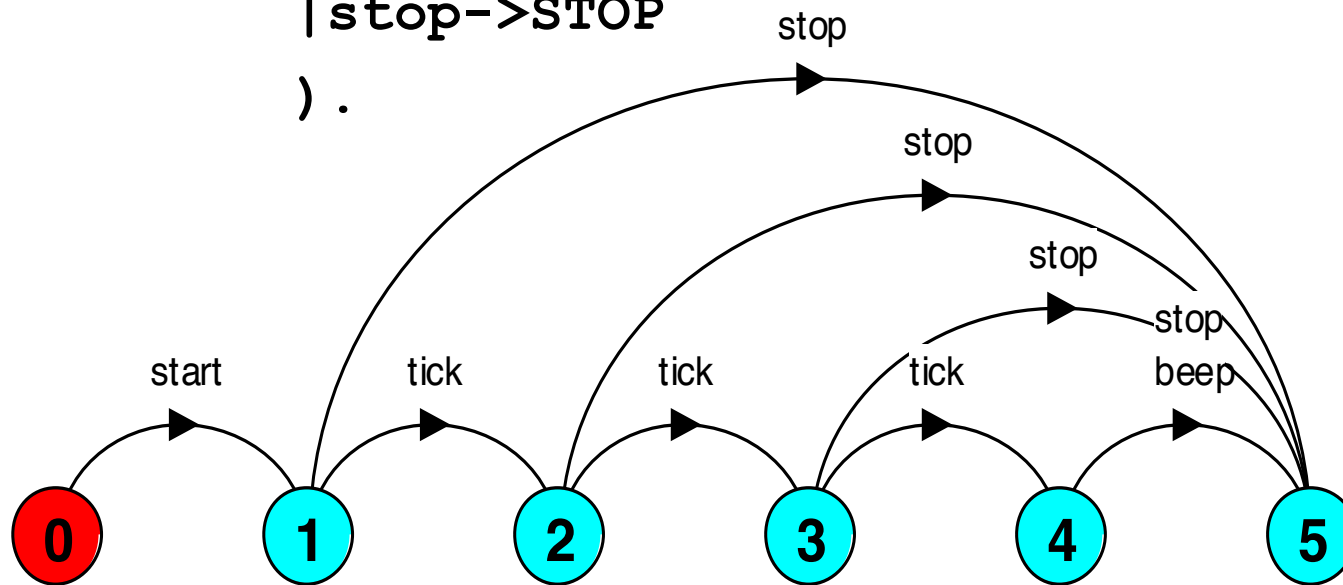
`COUNTDOWN[i:0..N] =`

`(when(i>0) tick->COUNTDOWN[i-1]`

`| when(i==0) beep->STOP`

`| stop->STOP`

`) .`



# FSP - process alphabets

- The alphabet of a process is the set of actions in which it can engage.
- Process alphabets are **implicitly** defined by the actions in the process definition.
- The alphabet of a process can be displayed using the LTSA alphabet window.

```
Process:  
    COUNTDOWN  
Alphabet:  
    { beep,  
      start,  
      stop,  
      tick  
    }
```



# FSP - process alphabet extension

- Alphabet extension can be used to extend the implicit alphabet of a process:

- implicit*

`WRITER = (write[1]->write[3]->WRITER) .`

- Alphabet of WRITER is the set {write.1, write.3}

- explicit*

`WRITER = (write[1]->write[3]->WRITER)  
+{write[0..3]} .`

- Alphabet of WRITER is the set {write[0..3]}

# FSP - process alphabet adjustment

- The implicit alphabet of a process can be **extended** and/or **reduced**, by two kinds of suffixes to a process description  $P$ :

- extension**             $P + \{ \dots \}$

- hiding**               $P \setminus \{ \dots \}$

- Examples:

**MEALS = (breakfast->lunch->dinner->MEALS) \ {lunch} .**

- Now “lunch” becomes an internal action, *tau*, not visible nor shared.
- You want to eat alone.

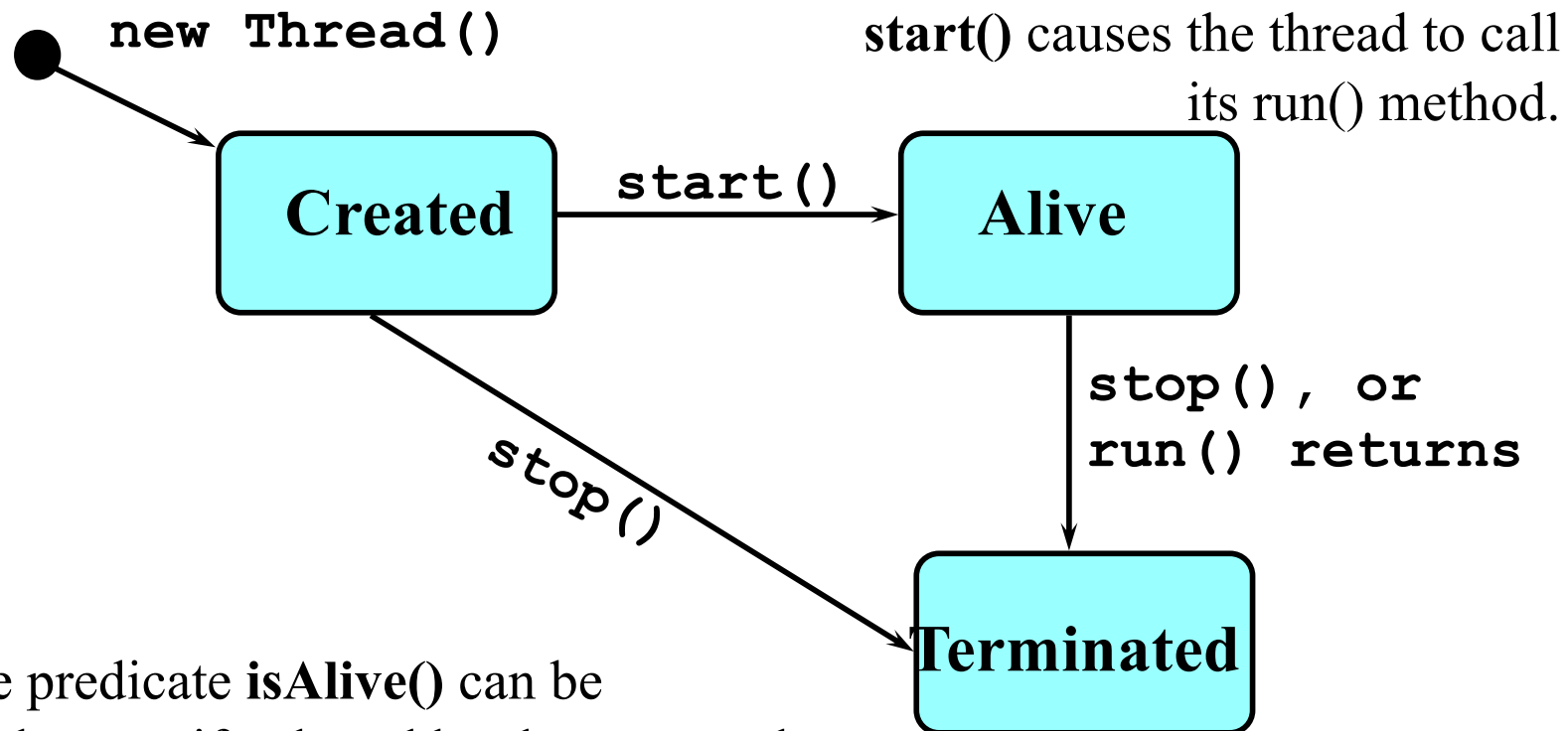
**LISTEN = ({latin, jazz, pop}->LISTEN)+{hiphop}.**

- You do not want to listen to hiphop, and block on hiphop actions.

- We make use of alphabet extensions in later lectures**

# thread life-cycle in Java

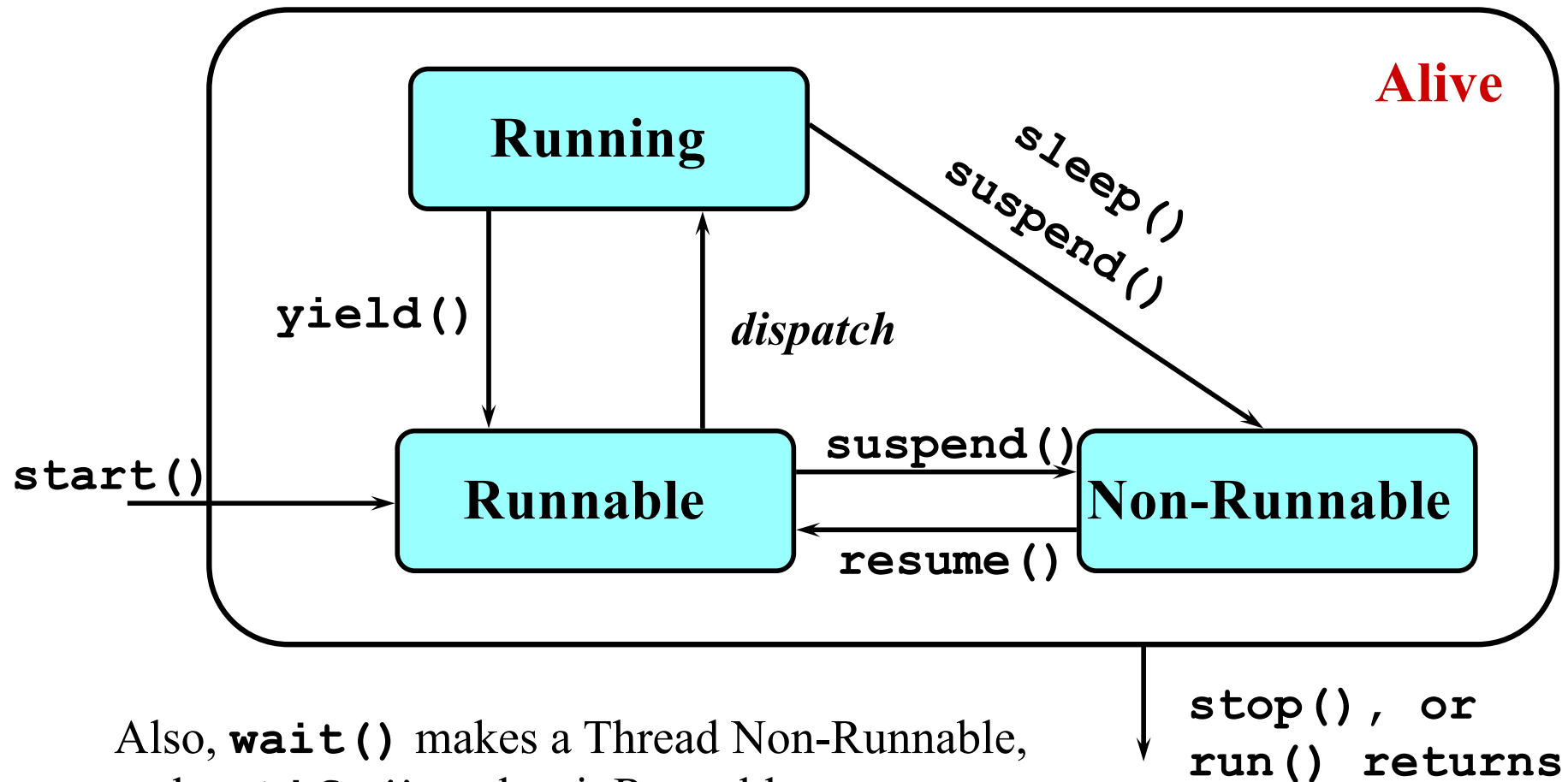
An overview of the life-cycle of a thread as state transitions:



The predicate `isAlive()` can be used to test if a thread has been started but not terminated. Once terminated, it cannot be restarted (cf. mortals).

# thread **alive** states in Java

Once started, an **alive** thread has a number of substates :



Also, **wait()** makes a Thread Non-Runnable,  
and **notify()** makes it Runnable  
(used in later chapters).

# Java thread lifecycle - an FSP specification

```
THREAD          = CREATED ,
CREATED         = (start          ->RUNNABLE
                  |stop           ->TERMINATED) ,
RUNNING         = ({suspend,sleep}->NON_RUNNABLE
                  |yield          ->RUNNABLE
                  |{stop,end}     ->TERMINATED
                  |run             ->RUNNING) ,
RUNNABLE        = (suspend        ->NON_RUNNABLE
                  |dispatch       ->RUNNING
                  |stop           ->TERMINATED) ,
NON_RUNNABLE    = (resume         ->RUNNABLE
                  |stop           ->TERMINATED) ,
TERMINATED      = STOP.
```

# Java thread lifecycle - an FSP specification

