Recursive Problems and Main Logic (Bangla)

### ■. Factorial (n!)

n! = n \* (n-1)!

Base case: 0! = 1

Python ■■■:■def factorial(n):■ if n == 0:■ return 1■ return n \* factorial(n - 1)

### ■. Fibonacci Series

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fib(n) = fib(n-1) + fib(n-2)

Base case: fib(0) = 0, fib(1) = 1

Python  $\blacksquare \blacksquare \blacksquare : \blacksquare def fib(n) : \blacksquare if n == 0 or n == 1 : \blacksquare return n \blacksquare return fib(n - 1) + fib(n - 2)$ 

# ■. Sum of Digits

sum(n) = n % 10 + sum(n // 10), Base case:  $n == 0 \Rightarrow return 0$ 

Python ■■■:■def sum\_of\_digits(n):■ if n == 0:■ return 0■ return n % 10 + sum\_of\_digits(n // 10)

### ■. Reverse a String

Python  $\blacksquare \blacksquare \blacksquare : \blacksquare def reverse(s) : \blacksquare if s == "": \blacksquare return "" \blacksquare return reverse(s[1:]) + s[0]$ 

# ■. Palindrome Check

Python ■■■:■def is\_palindrome(s):■ if len(s) <= 1:■ return True■ if s[0]!= s[-1]:■ return False■

■. Power of a Number

**THE REPORT :**  $a^b = a * a^(b-1)$ , Base case:  $b == 0 \Rightarrow \text{return } 1$ 

Python  $\blacksquare \blacksquare \blacksquare : \blacksquare def power(a, b) : \blacksquare if b == 0 : \blacksquare return 1 \blacksquare return a * power(a, b - 1)$ 

■. GCD (Greatest Common Divisor)

**EXECUTE:** Euclidean Algorithm **EXECUTE:** gcd(a, b) = gcd(b, a % b), Base case: gcd(a, 0) = a

Python ■■■:■def gcd(a, b):■ if b == 0:■ return a■ return gcd(b, a % b)

- 1. Base case ■■■ ■■■■■
- 2. Recursive case –