

$$4.(a) \quad y_{ijk} = \sum_{n=1}^{K_1} \sum_{l=1}^J \sum_{m=1}^I w(l, m, n, k) \cdot x_{l, m, n} + b_k$$

for each pixel, there're $(K_1 \cdot J \cdot I + 1)$

for each channel, there're $(I-2)(J-2)$ pixels, and K_2 channels.

$$\therefore \text{The total num of parameters} = (I-2)(J-2)K_2(K_1JI + 1)$$

$$= \frac{(I-2)(J-2)K_2 \cdot I \cdot J \cdot K_1 + (I-2)(J-2)K_2}{}$$

the number of multiplications = the number of w 's

$$\therefore \text{the number of multiplication} = \frac{(I-2)(J-2)K_2 \cdot I \cdot J \cdot K_1}{}$$

$$(b) \quad y_{i,j,k} = \sum_{n=1}^{K_1} \sum_{l=-1}^1 \sum_{m=-1}^1 h(l, m, n, k) \cdot x_{i-l, j-m, n} + b_k$$

for each layer, the parameters are the same.

$$\therefore \text{the number of each layer} = 3 \times 3 \times K_1 + 1 = 9K_1 + 1$$

$$\therefore \text{the total number} = K_2 \cdot (9K_1 + 1) = 9K_1K_2 + K_2$$

for each pixel, the multiplication = $3 \times 3 \times K_1 = 9K_1$

for each layer, there're $(I-2)(J-2)$ pixels multiplication num = $9(I-2)(J-2) \cdot K_1$

there're K_2 layers, so the total is:

$$\frac{9(I-2)(J-2)K_1K_2}{}$$

(c) For the networks in 4(a), each pixel takes part in the calculation of output's pixels, and has different parameters.

for the network in 4(b), the pixels share the same parameters, which decreases the number of parameters greatly. The ~~output~~ network computes the local features.