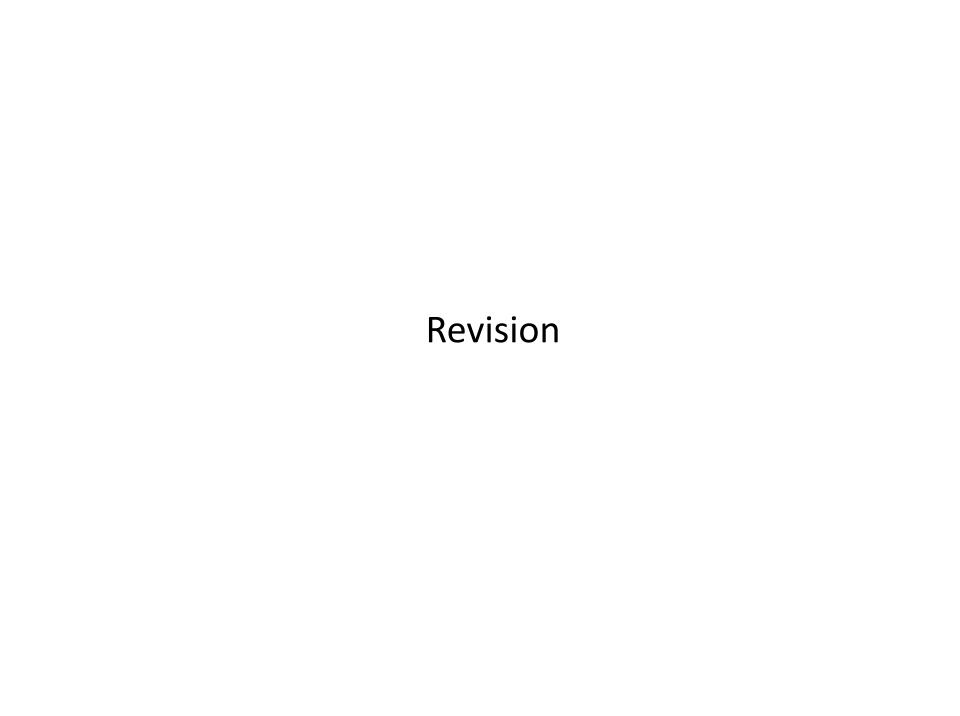
CS5222 Computer Networks and Internets Tutorial 10 (Week 11)

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Slides based on book *Computer Networking: A Top-Down Approach.*



Distance vector algorithm

key idea:

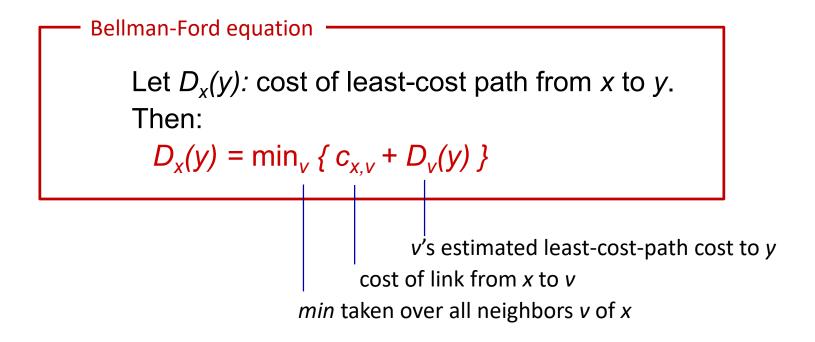
- from time-to-time, each node sends its own distance vector estimate to neighbors
- when x receives new DV estimate from any neighbor, it updates its own DV using B-F equation:

$$D_x(y) \leftarrow \min_{v} \{c_{x,v} + D_v(y)\}$$
 for each node $y \in N$

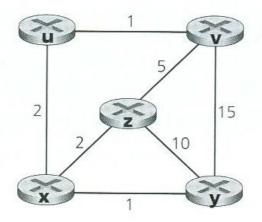
• under natural conditions, the estimate $D_x(y)$ converges to the actual least cost $d_x(y)$

Distance vector algorithm

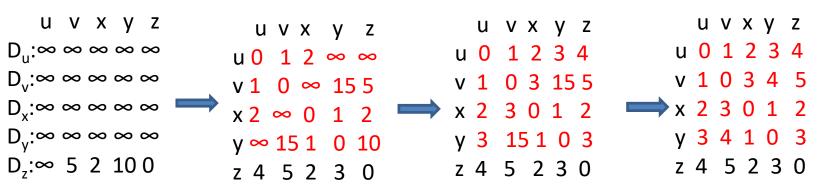
Based on *Bellman-Ford* (BF) equation:



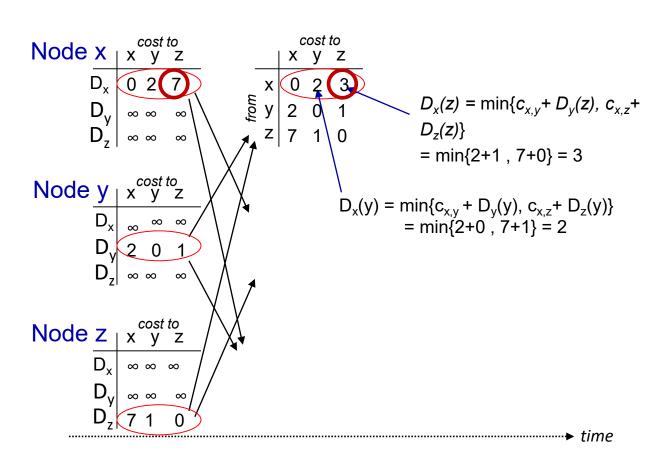
1. Consider the distance vector algorithm and show the distance vector entries at node z at each step of the algorithm.

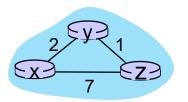


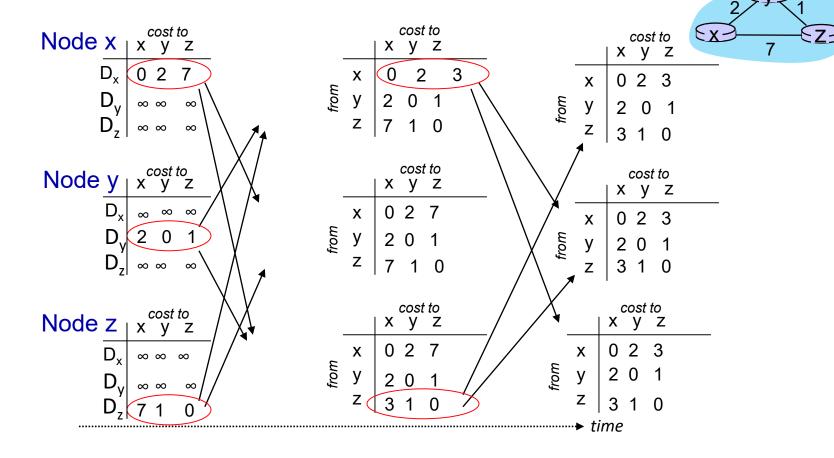
Initialization:



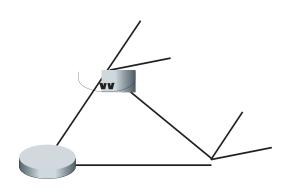
2. Consider the distance vector algorithm for the network below and show the distance vector entries of <u>each</u> node at each step of the algorithm.







3. Consider the network fragment shown below. x has only two attached neighbors, w and y. w has a minimum-cost path to destination u (not shown) of 5, and y has a minimum-cost path to u of 6. The complete paths from w and y to u (and between w and y) are not shown. All link costs in the network have strictly positive integer values. Give x's distance vector for destinations w, y, and u.



Answer:

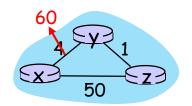
Given
$$D_{w}(u) = 5$$
, $D_{v}(u) = 6$,

$$D_{x}(w) = \min \{c_{x,w} + D_{w}(w), c_{x,y} + D_{y}(w)\} = \min \{2 + 0, 5 + 2\} = 2$$

$$D_{x}(y) = \min \{c_{x,w} + D_{w}(y), c_{x,y} + D_{y}(y)\} = \min \{2 + 2, 5 + 0\} = 4$$

$$D_{x}(u) = \min \{c_{x,w} + D_{w}(u), c_{x,y} + D_{y}(u)\} = \min \{2 + 5, 5 + 6\} = 7$$

4. [Difficult] Consider the network below. Suppose the link cost between x and y increases to 60. Recall that, in the lecture, we discussed that it will take a long time until the distance vector algorithm finally stabilizes (≥40 iterations) due to the count-to-infinity problem. Describe a modification of the distance vector algorithm that correctly computes the distance vectors and avoids the count-to-infinity problem in this specific scenario.



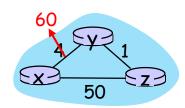
Recall: The Problematic Scenario

link cost changes:

- node detects local link cost change
- "bad news travels slow" count-to-infinity problem:
 - y sees its adjacent link to x with new cost 60, but z has said it has a path to x at cost of 5. So y computes "my new cost to x will be 6, via z"; notifies z that it has a new cost of 6 to x.
 - z learns that a path to x via y has new cost 6, so z computes "my new cost to x will be 7 via y", notifies y of its new cost of 7 to x.
 - y learns that a path to x via z has new cost 7, so y computes "my new cost to x will be 8 via y", notifies z of new cost of 8 to x.
 - z learns that path to x via y has new cost 8, so z computes "my new cost to x will be 9 via y", notifies y of new cost of 9 to x.

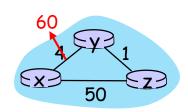
...

→ Takes a long time to stabilize!



Answer:

The technique to avoid the problem is called **poison reverse**:



Key Idea:

- If z routes through y to get to destination x, then z will "lie" to y that its cost to x is infinity, i.e., $D_z(x) = \infty$ (even though z knows that $D_z(x) = 5$.)
- Since y believes that z has no path to x, it follows that y will never attempt to route to x via z, as long as z continues to route to x via y.

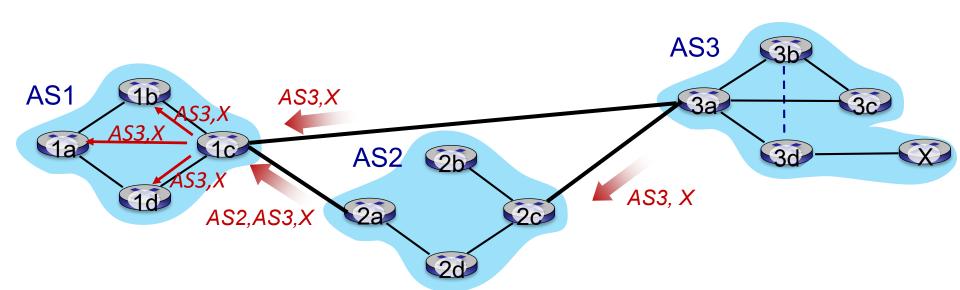
How does it solve our problem?

- Suppose z has advertised $D_z(x) = \infty$ to y.
- Time t0:
 - cost of (x,y) increases to 60.
 - y updates its vector and continues to route *directly* to x, although now at a higher cost of 60, i.e. $D_v(x) = 60$.
 - y informs z about its new DV.
- Time t1:
 - z receives y's update. z updates its own DV and now uses the *direct* link to x, i.e. $D_z(x) = 50$.
 - z informs y about its new DV. Note that z sends $D_z(x) = 50$ and no longer $D_z(x) = \infty$!
- Time t2:
 - y receives z's update. y computes $D_y(x) = 51$. Now y will "lie" to z that $D_y(x) = ∞$ because it routes through z. The algorithm stabilizes.

5. Describe how loops in paths can be detected in BGP.

Answer:

Since full AS path information is available from an AS to a destination in BGP, loop detection is simple – if a BGP peer receives a route that contains its own AS number in the AS path, then the use of that route would result in a loop.



 6. Though we have link state and distance vector routing algorithms for least cost paths finding, the end-to-end path in today's Internet may not be the path with the best end-to-end performance. What are the possible reasons?

Answer:

- **1. Intra-domain** routing protocols (i.e., iBGP) such as RIP and OSPF use the number of hops based or bandwidth-based cost metric, which does not necessarily correspond the end-to-end performance.
- 2. Inter-domain routing protocols (i.e., eBGP) are policy driven:
 - For example, an ISP may route traffic along a less efficiency path to avoid paying an upper-tier ISP.
 - Another example is that an ISP may not allow "transit" traffic to be routed through its network to avoid additional traffic overhead for which it does not generate any revenue.