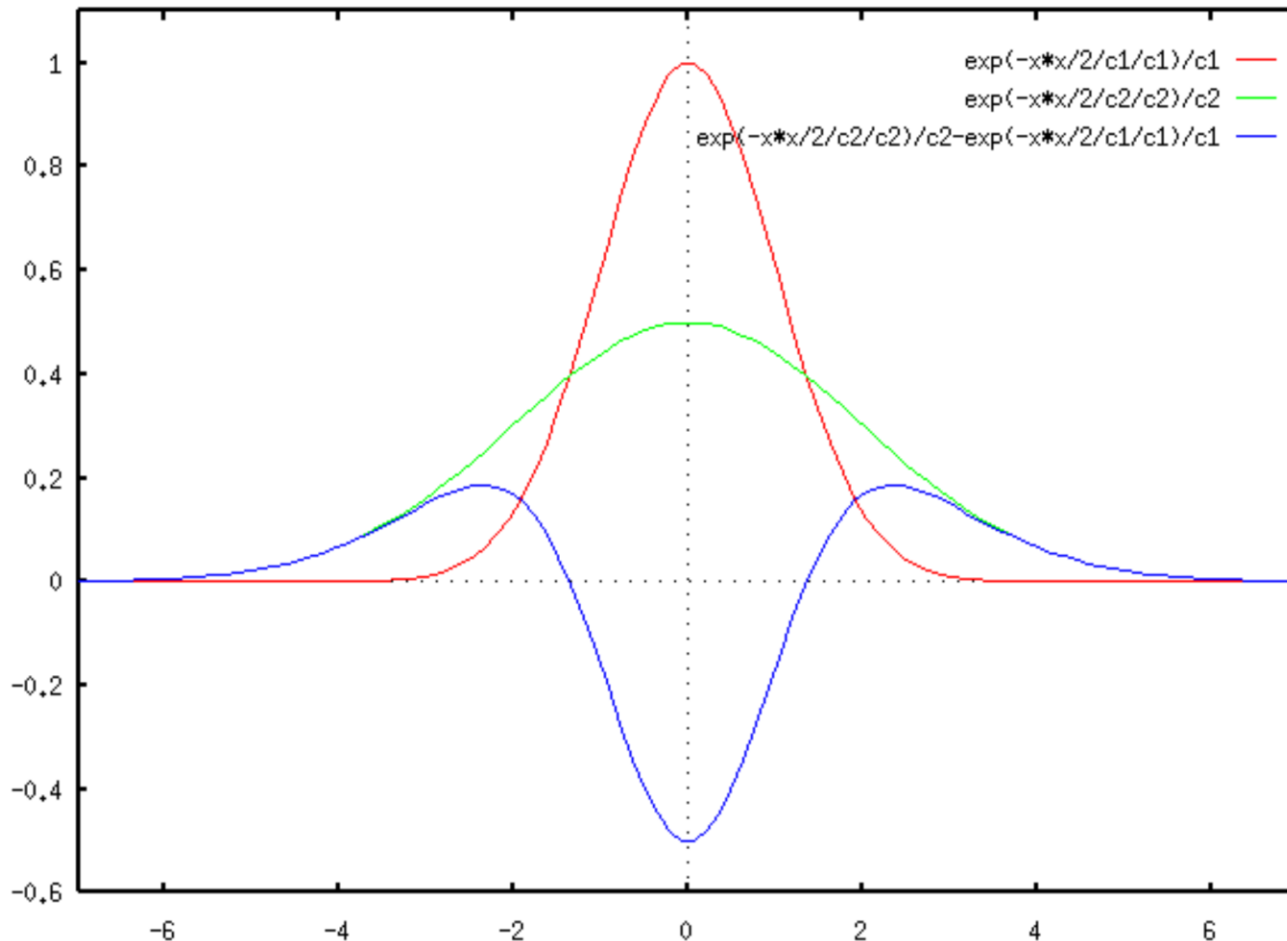


# LoG-DoG (Difference of Gaussian)

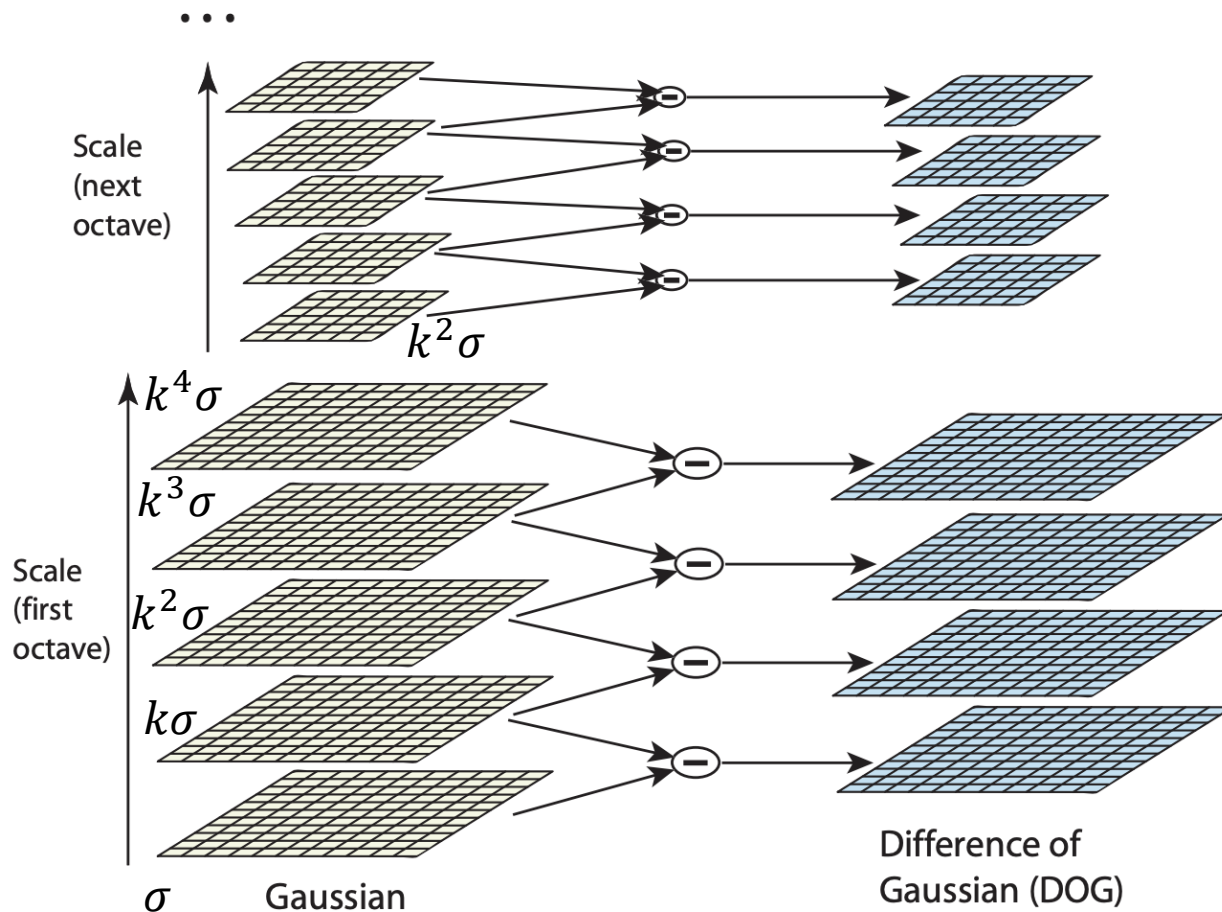


LoG can be approximated by a difference of two Gaussians (DoG) at different scales

# Scale Invariant Feature Transform

- Scale space peak selection
  - Potential locations for finding features
- Key point localization
  - Accurately locating the feature key points
- Orientation assignment
  - Assigning orientation to the key points
- Key point descriptor
  - Describing the key point as a high dimensional vector (128) (SIFT Descriptor )

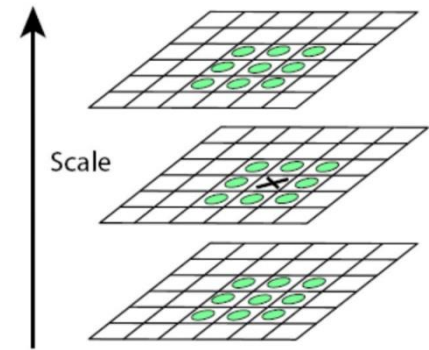
# Building the Scale Space



# Peak Detection

Compare a pixel (**X**) with 26 pixels in current and adjacent scales (**Green Circles**)

Select a pixel (**X**) if  
larger/smaller than all 26 pixels



# Assignment of the Orientation

For the rotation invariance, compute the **gradient magnitude and direction** at the scale of the keypoint.

$$m(x, y) = \sqrt{(L(x + 1, y) - L(x - 1, y))^2 + (L(x, y + 1) - L(x, y - 1))^2}$$

$$\theta(x, y) = \tan^{-1}((L(x, y + 1) - L(x, y - 1)) / (L(x + 1, y) - L(x - 1, y)))$$

$$L(x, y, \sigma) = G(x, y, \sigma) * I(x, y),$$

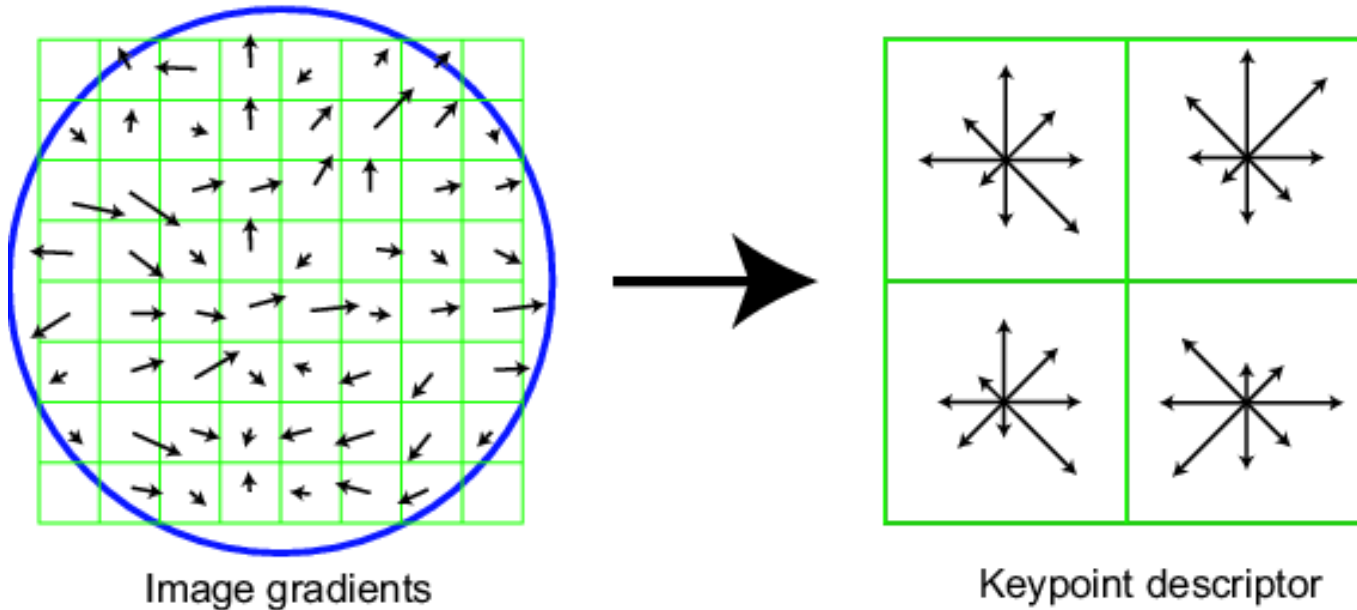
# Assignment of the Orientation

- An orientation histogram is formed from the **gradient orientations** of sample points within a region around the keypoint.
- The orientation histogram has **36** bins
- The samples added to the histogram is weighted by the **gradient magnitude**.
- The **dominate direction** is the peak in the histogram.

# SIFT descriptor

## Full version

- Divide the 16x16 window into a 4x4 grid of cells (2x2 case shown below)
- Compute an orientation histogram (8 bin) for each cell (relative orientation and magnitude)
- 16 cells \* 8 orientations = 128 dimensional descriptor



# Properties of SIFT

## Robust matching technique

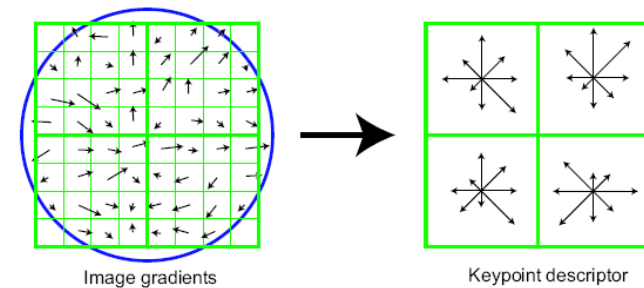
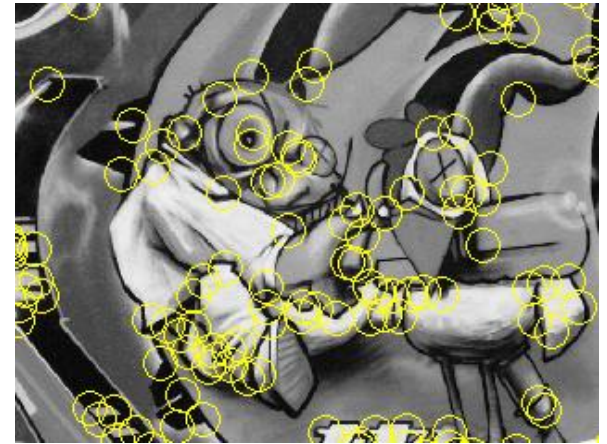
- Can handle changes in viewpoint
- Can handle significant changes in illumination
- Fast and efficient—can run in real time
- Lots of code available



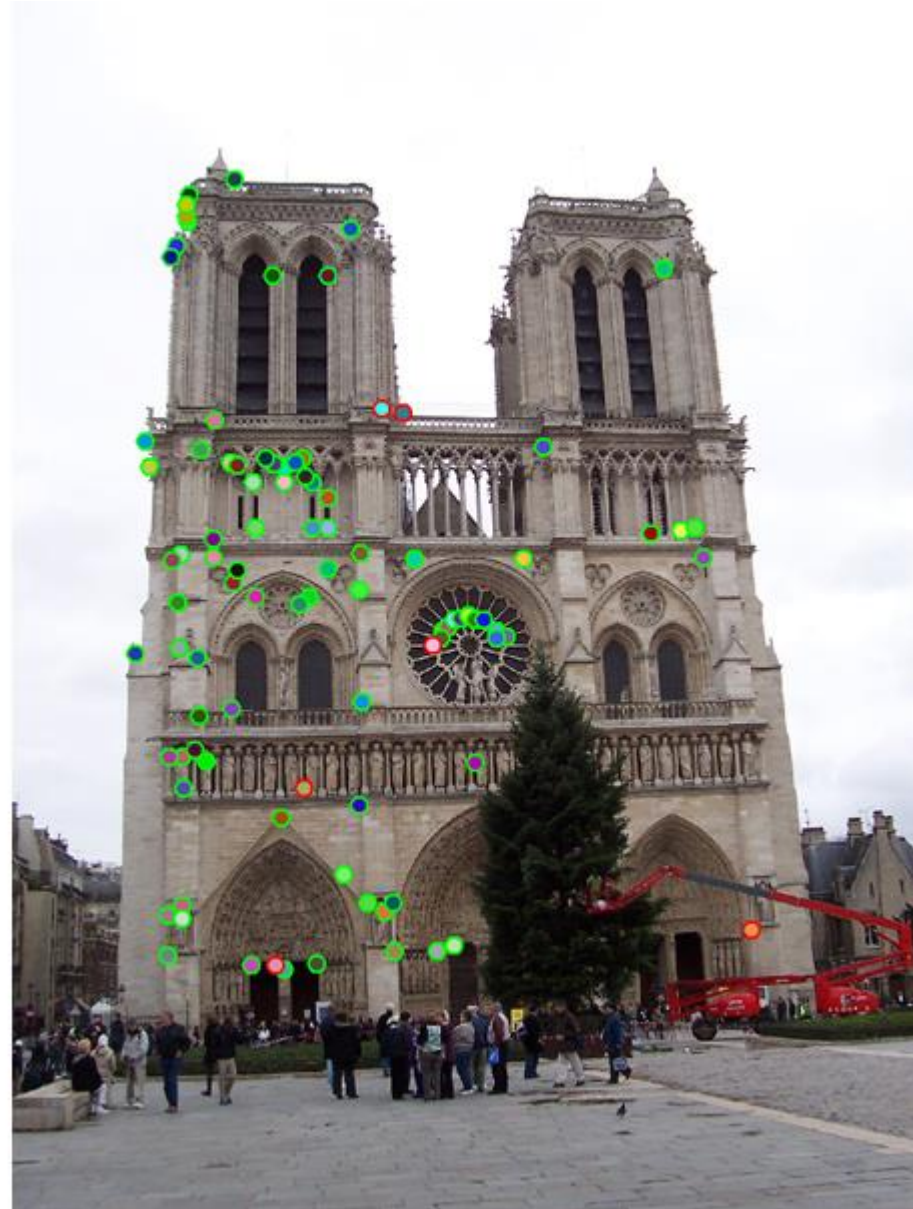
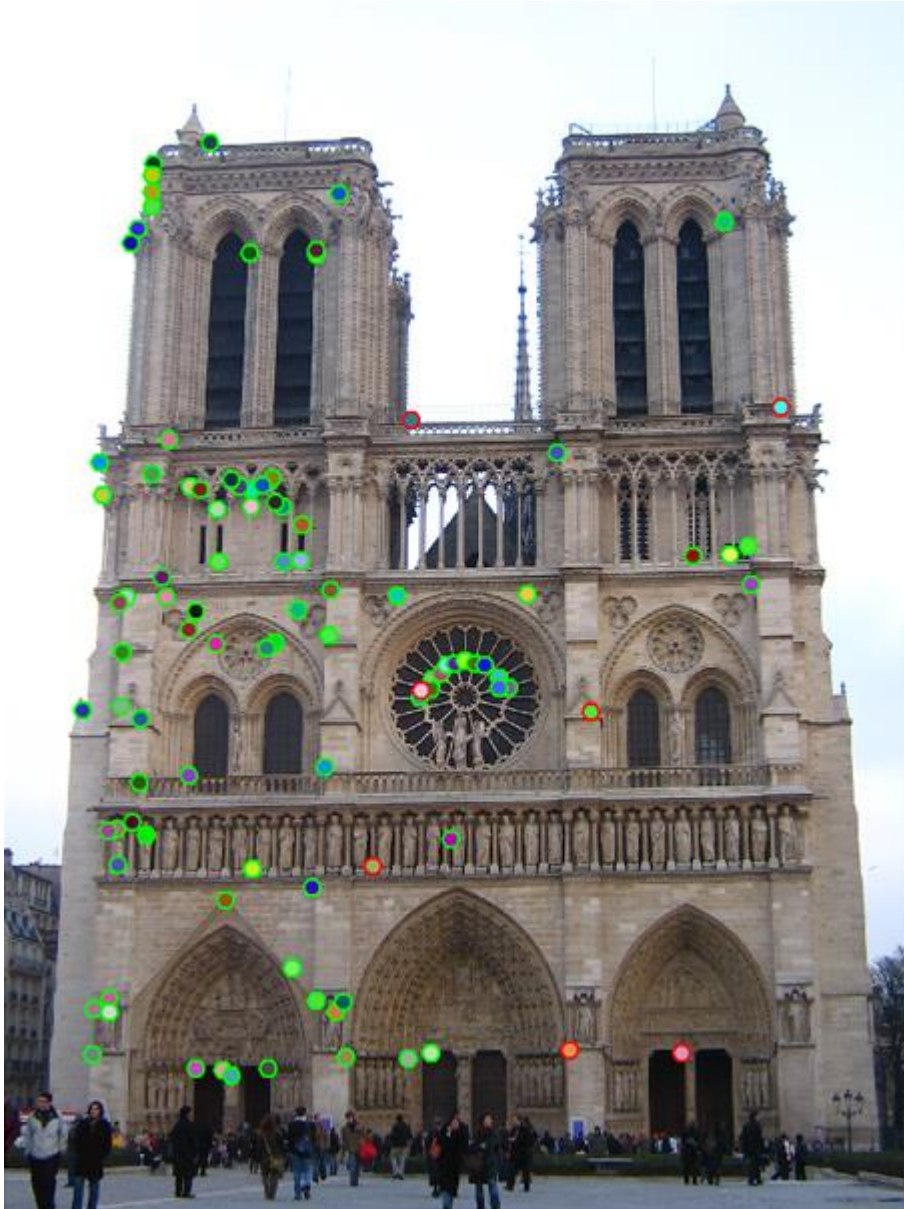


# Summary

- Keypoint detection: repeatable and distinctive
  - Corners, blobs
  - Harris, LoG
- Descriptors: robust
  - spatial histograms of orientation
  - SIFT and variants are typically good for stitching and recognition



# Which features match?



# Feature matching

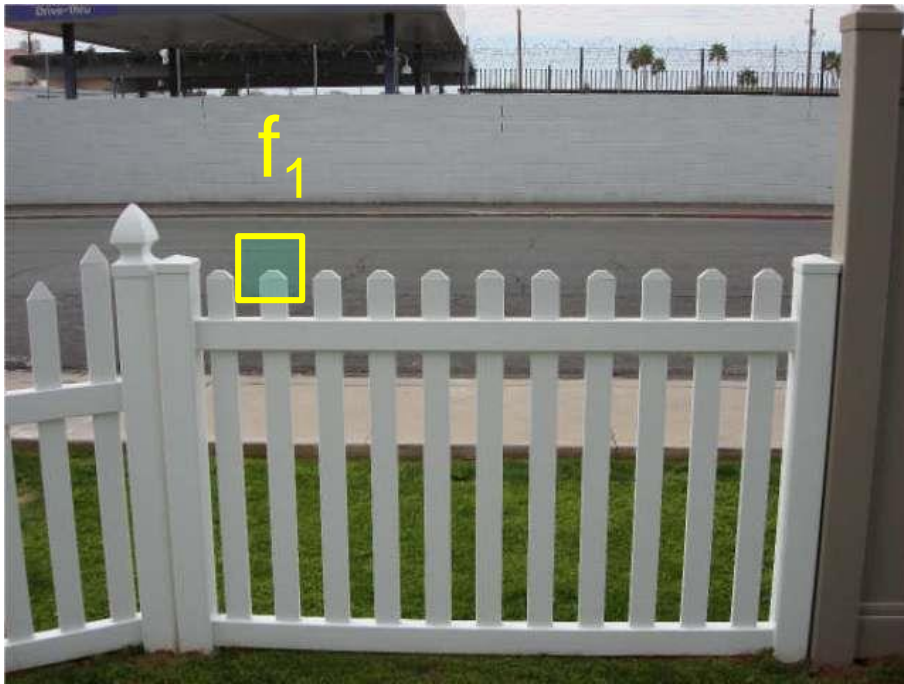
Given a feature in  $I_1$ , how to find the best match in  $I_2$ ?

1. Define distance function that compares two descriptors
2. Test all the features in  $I_2$ , find the one with min distance

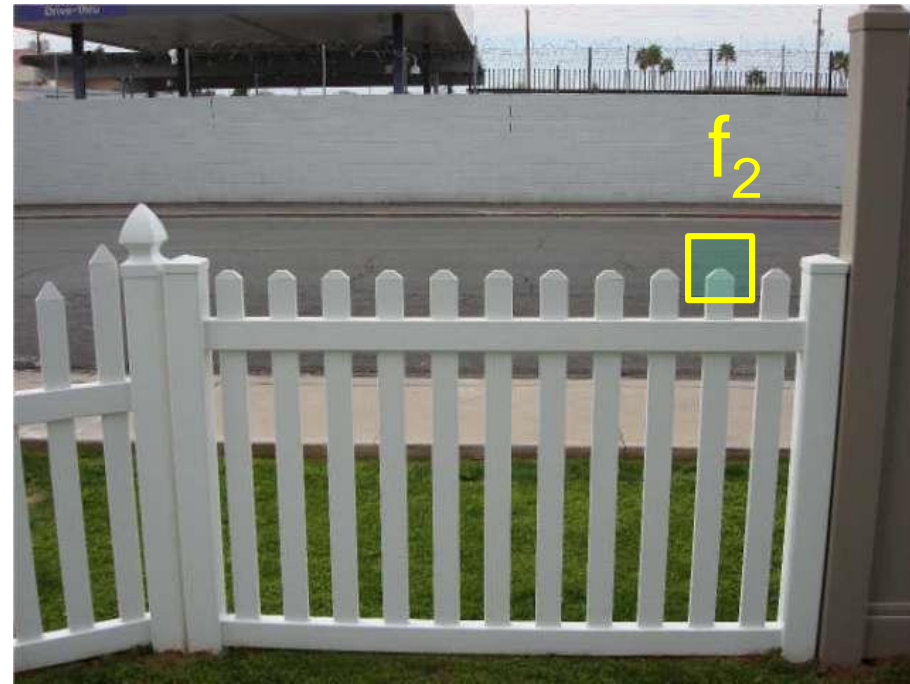
# Feature distance

How to define the difference between two features  $f_1, f_2$ ?

- Simple approach:  $L_2$  distance,  $||f_1 - f_2||$  (aka SSD)
- can give good scores to ambiguous (incorrect) matches



$I_1$



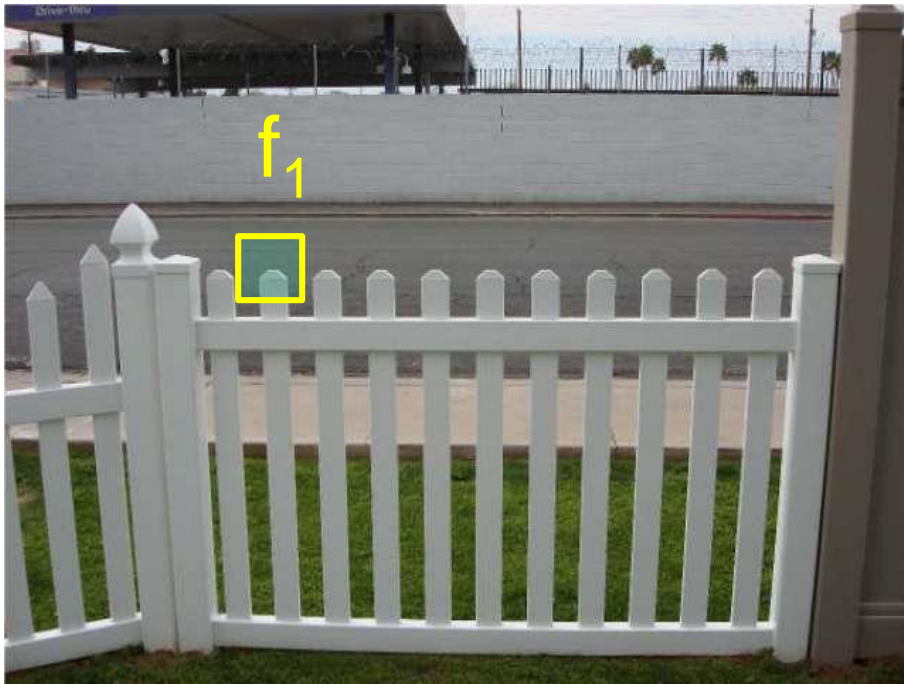
$I_2$



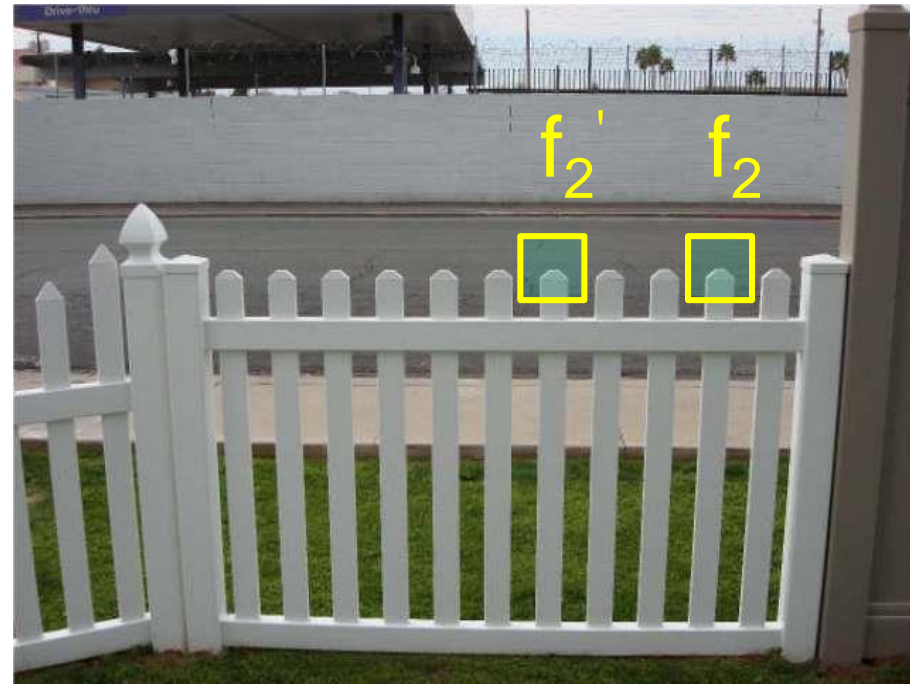
# Feature distance

How to define the difference between two features  $f_1, f_2$ ?

- Better approach: ratio distance =  $\|f_1 - f_2\| / \|f_1 - f_2'\|$ 
  - $f_2$  is best SSD match to  $f_1$  in  $I_2$
  - $f_2'$  is 2<sup>nd</sup> best SSD match to  $f_1$  in  $I_2$
  - gives large values for ambiguous matches

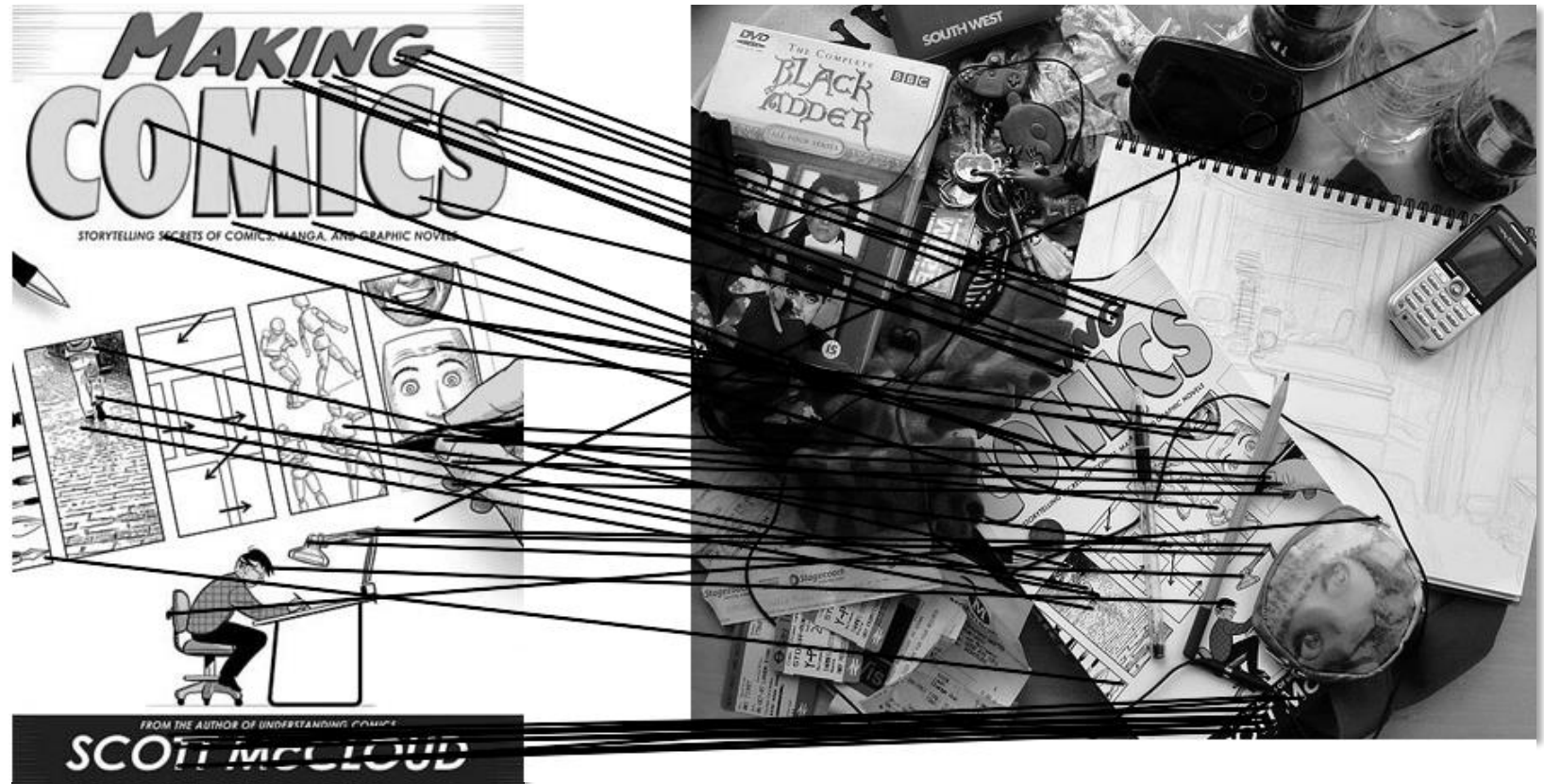


$I_1$



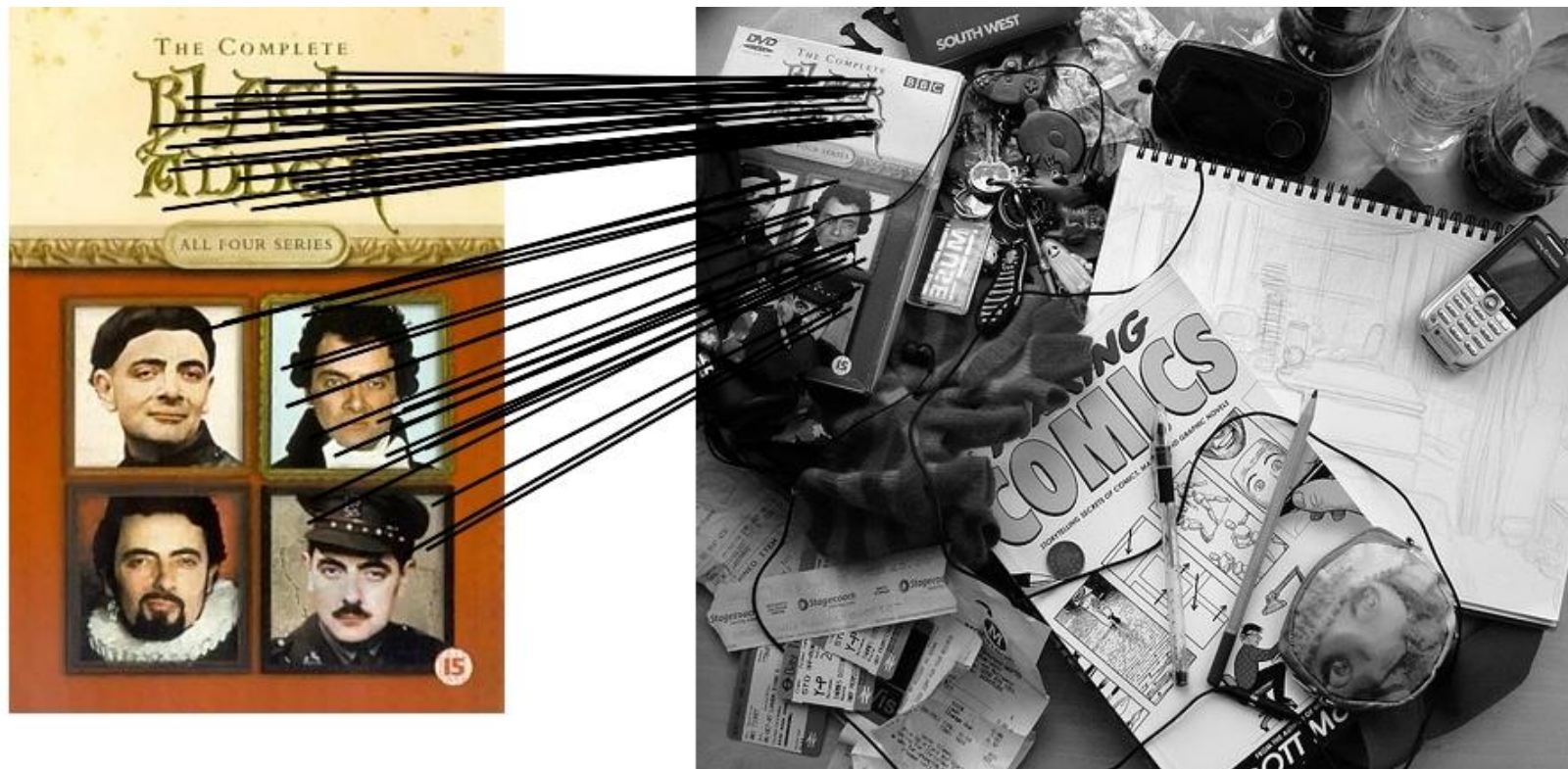
$I_2$

# Feature matching example



51 matches (thresholded by ratio score)

# Feature matching example



58 matches (thresholded by ratio score)