INVESTIGATING THE HEALTH EFFECT OF MULTI-POLLUTANT EXPOSURE USING A TIME SERIES APPROACH

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AIR POLLUTION

▶ The air we breath includes a complex mixture of thousands of pollutants; solid or liquid particles as well as gases.

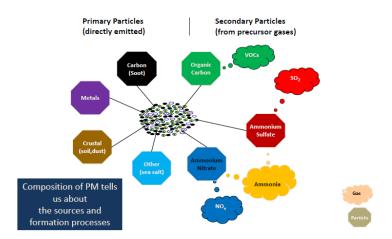


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HEALTH EFFECTS OF POLLUTED AIR: SOME ESTIMATES

- ▶ IARC (2013): Outdoor air pollution is carcinogenic to humans;
- ▶ WHO/Europe (2006): Outdoor PM causes a reduction in life expectancy of average population by approximately a year in Europe;
- ▶ WHO (2016): Outdoor PM_{2.5} causes more than 3 million deaths per year worldwide; 92% of the world's population lives in places where air quality levels exceed WHO limits.



SHORT-TERM VS LONG-TERM EFFECTS

- ▶ Air pollution effects on health can be **short** or **long** term;
- ▶ Short term considers the day-to-day variation in air pollution and evaluate the association with the day-to-day variation in health:
 - typically air pollution data from monitoring stations (one or more);
 - important to account for seasonality and meteorological variables;
 - statistical modelling usually in a time-series framework.
- ▶ Long term considers (yearly) averages of air pollution concentration and counts of outcomes (at individual level or) over small areas:
 - typically air pollution data from exposure models (deterministic or more recently statistical);
 - ► important to account for area level confounders (e.g. population and area characteristics);
 - statistical approach is usually ecological regression.

FROM A SINGLE TO A MULTI-POLLUTANT APPROACH

- ► The quantification of the impact of air pollution on population health has been historically undertaken through a **single pollutant approach**;
- ► This is mainly due to:
 - measurement and source complexities which have limited the development of statistically robust multi-pollutant models;
 - regulatory strategies of air quality management which have addressed a single pollutant at a time.

However, the air we breathe is a mixture and:

- ► It is unlikely that all parts of the air pollution mix are equally harmful;
- ▶ It is clear that the effect estimates can be affected by correlation, measurement error and exposure misclassification (locally varying vs regional pollutants).

Therefore, we need new/revised statistical methods and approaches for a multi-pollutant approach (e.g. Coull and Park (2015) and Molitor et al. (2016)).

IN THIS TALK

1. Describe a multi-pollutant hierarchical model which jointly estimate pollutant concentration and their link with health.

2. Time series of mortality count for cardiovascular diseases and pollutant concentration (six pollutants) for 2011-2012 in Greater London.

MULTI-POLLUTANT APPROACH SO FAR

- ▶ Air quality indexes (Daily Air Quality Index in the UK)
 - \rightarrow typically used by governments;
 - \rightarrow easy to build and to communicate to the public.
- ▶ Bayesian Kernel Machine Regression (Bobb et al. 2015)
 - \rightarrow the pollutants are included in the model through a smooth function represented using a kernel;
 - \rightarrow authors found that Gaussian kernel outperformed linear and ridge regression kernels.
- ▶ Dirichlet process mixture model (profile regression, (Molitor et al. 2010))
 - \rightarrow days are clustered based on their concentration profiles;
 - \rightarrow concentration and health outcome are modelled jointly.

ANOTHER WAY FORWARD

We propose the use of a hierarchical Bayesian time-series approach which is formed by two linked components:

- ▶ A **pollutant component** which estimates the true 'latent' concentration values;
- ▶ A health component which links the estimated concentration to the health outcome;
- ► The two components are jointly modelled;
- ▶ The modelling framework allows to estimate a health effect for each pollutant.

DATA DESCRIPTION

- ▶ Daily measurements of five regulated pollutants and the number of particles present in any given volume of air (PCN) available from a monitoring site in North Kensington for 2011-2012.
- ▶ Daily count of mortality for cardio-vascular disease (ICD-10, Chapter I) available for the same period.

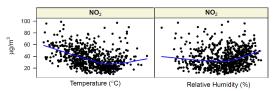
	Number	Percentiles					
	of Days	$10 ext{th}$	$25 \mathrm{th}$	$50 \mathrm{th}$	$75 \mathrm{th}$	90 th	IQR
Mortality	731	28	32	37	42	47	10
Meteorological data:							
Temperature (${}^{\circ}C$)	731	5.1	8.0	11.7	15.5	18.1	7.4
Relative Humidity (%)	731	61.6	69.6	78.0	84.2	88.5	14.5
Pollutants:							
$CO(mg/m^3)$	715	0.1	0.2	0.2	0.3	0.4	0.1
$NO_2 (\mu g/m^3)$	706	18.2	23.2	33.3	46.9	57.9	23.6
$O_3 (\mu g/m^3)$	695	11.4	24.3	39.1	51.1	64.9	26.8
$SO_2 (\mu g/m^3)$	717	0.0	0.4	1.8	2.6	3.6	2.2
$PM_{2.5} (\mu g/m^3)$	730	5.0	6.0	9.0	14.0	25.0	8.0
$PCN(p/mm^3)$	636	7.8	9.7	12.1	14.9	17.9	5.2

H2M: POLLUTANT COMPONENT

▶ We specify x_{pt} as the measured (standardised) concentration level of pollutant p (p = 1, ..., P = 6) on day t (t = 1, ..., T = 731) from the monitoring site:

$$x_{pt} \sim N(\mu_{pt}, \sigma_p^2)$$
 Measurement error model
$$\mu_{pt} = \gamma_{0p} + \sum_j \gamma_{jp} z_{jt} + \theta_{pt}$$
 True (latent) concentration model

 \triangleright **z**_t - meteorological variables:



⇒ Evidence of non-linear relationship with the pollutant levels - inclusion of linear and quadratic terms.

H2M: POLLUTANT COMPONENT - θ

▶ $\{\theta_{1t}, \dots, \theta_{Pt}\}$ accounts for the residual temporal effects and for the correlation among pollutants

$$(\theta_{1t}, ..., \theta_{Pt})^T \sim \text{MVN}\left((\theta_{1,t-\ell}, ..., \theta_{P,t-\ell})^T, \Sigma_P\right)$$

- \blacktriangleright $t-\ell$ provides the temporal lag of ℓ days for the t-th day;
- ▶ The diagonal of the covariance matrix of the errors Σ_P allows each pollutant to have a different amount of temporal dependence;
- ▶ The off-diagonals represent the temporal dependence between the pollutants.

H2M: HEALTH COMPONENT

▶ The second model component links the **true** concentration μ_{pt} to the health outcome

$$y_t \sim \operatorname{Poisson}(\lambda_t E)$$

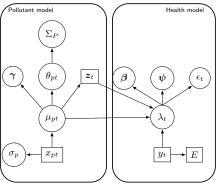
$$\log(\lambda_t) = \beta_0 + \sum_p \beta_p \mu_{p(t-1)} + \sum_i s(v_{ti}, \psi_i) + \delta_{I_t} + \epsilon_t$$

- \triangleright λ_t represents the relative risk of CVD death on day t compared to the average;
- we consider lag $\ell = 1$ (same as Atkinson et al., 2016);
- \triangleright β are the pollutant effects on CVD mortality;
- ightharpoonup is an overdispersion parameter;
- \triangleright $s(v_{ti}, \psi_i)$ is modelled through a low-rank thin plate spline:

$$s(v_{ti}, \psi_i) = \alpha_i v_{ti} + \sum_{k=1}^{K_i} b_{ki} |v_{ti} - \kappa_{ki}|^3$$

H2M: Graphical representation

- ▶ Pollutant and health components are jointly modelled
 - \Rightarrow Uncertainty on μ_{pt} is fed forward
 - \Rightarrow Information on the outcome y_t is fed back



- ▶ $\Sigma_P \sim \mathrm{IW}(D,d)$ with d=P
- Regression coefficients are $N(0, 10^5)$
- Measurement error so $\sigma_p \sim U(0, 100)$
- ► Coefficients for the basis functions: $b_{ki} \sim N(0, \sigma_{b_i}^2);$ $1/\sigma_{b_i}^2 \sim Ga(1, 0.01)$

SIMULATION STUDY: SETTING

We consider (i) 6 pollutants, (ii) 2000 days, (iii) degree of correlation among pollutants varying between -0.6 and 0.8.

- 1. true pollutant concentration through $\mu_{pt} \sim N(\mu_{p(t-1)}, \Sigma_P)$
- 2. measured concentration through $x_{pt} \sim N(\mu_{pt}, 0.1)$
- 3. number of daily health events through a Poisson
- 4. β_p equal to -0.2, 0 or 0.2.

We generate:

5. Joint vs two-stage model

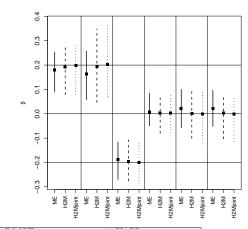
We estimate our H2M framework and compare it against a simpler model which include the pollutant concentration with measurement error (ME):

$$y_t \sim \text{Poisson}(\lambda_t E)$$

 $\log(\lambda_t) = \beta_0 + \sum_p \beta_p x_{p(t-1)} + \epsilon_t$

SIMULATION STUDY: RESULTS

- ▶ Bias and RMSE are substantially reduced for H2Ms;
- Coverage improves in H2Ms;
- ► Uncertainty is larger for H2Ms.



	Bias			RMSE			95% CI coverage		
	ME	Н2Мј	H2M	ME	Н2Мј	$_{ m H2M}$	ME	Н2Мј	H2M
$\begin{array}{c} \beta_1 \\ \beta_2 \\ \beta_3 \\ \beta_4 \\ \beta_5 \\ \beta_6 \end{array}$	-0.021 -0.036 0.013 0.008 0.021 0.022	-0.002 0.002 0.000 0.002 -0.001 -0.001	-0.007 -0.006 0.004 0.003 0.002 0.002	0.003 0.004 0.003 0.001 0.002 0.002	$\begin{array}{c} 0.002 \\ 0.004 \\ 0.002 \\ 0.001 \\ 0.002 \\ 0.002 \end{array}$	$\begin{array}{c} 0.002 \\ 0.005 \\ 0.004 \\ 0.002 \\ 0.002 \\ 0.002 \end{array}$	65 53 71 77 61 65	93 97 97 99 94 99	92 97 92 98 95 97

APPLICATION RESULTS: SINGLE VS MULTI-POLLUTANT MODEL

- ▶ Five pollutants (CO, NO₂, O₃, SO₂, PM_{2.5}) and particle number concentration (PCN);
- ▶ NO₂ and O₃ are the only pollutants to show evidence of an effect on health;
- ▶ In comparison in the single pollutant approach the effects are pushed towards 0.

			Multi-	-pollutant model	Single pollutant model		
Pollutant		IQR	% Inc	rease (95% CI)	% Increase (95% CI)		
CO	(mg/m^3)	0.10	-1.27	(-5.07, 2.54)	-1.74	(-4.01, 0.53)	
NO_2	$(\mu g/m^3)$	23.65	11.45	(4.18, 18.81)	-0.53	(-3.13, 2.11)	
O_3	$(\mu g/m^3)$	26.85	3.84	(0.48, 7.18)	2.71	(-0.09, 5.57)	
SO_2	$(\mu g/m^3)$	2.20	-2.13	(-7.04, 2.82)	-1.39	(-5.17, 2.48)	
PCNT	(p/mm^3)	5.18	-3.89	(-7.77, 0.22)	-0.52	(-3.74, 2.89)	
$PM_{2.5}$	$(\mu g/m^3)$	8.00	-1.37	(-3.77, 0.95)	-0.82	(-2.09, 0.46)	

DISCUSSION POINTS

- ▶ Modelling framework which allows to include more than one pollutant, accounting for their correlation;
 - \Rightarrow Can disclose combined effect which are not visible in a single-pollutant model.
- Uncertainty from the pollutant concentration estimates included in estimating the health effects; feedback from outcome is allowed:
 - \Rightarrow From the simulation study it seems this helps reduce the bias in the estimates.
- ▶ Consider 'total' pollutant concentration;
 - ⇒ Recent trends move from multi-pollutants to multi-components via *source apportionement*.

ACKNOWLEDGEMENTS

- Lauren Kanapka
- ▶ Monica Pirani
- ► Gary Fuller

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