

MBMT Tiebreaker Round – Weierstrass

March 9, 2025

**DO NOT BEGIN UNTIL YOU ARE
INSTRUCTED TO DO SO.**

This round consists of **3** questions. You will have **15** minutes to complete the round.

For each of the 3 problems, you may submit an answer up to **3 times, whenever you want**, as long as it is during the round. **Only the last submission to each problem will be counted.**

In order to submit an answer, write your answer on the paper slip with the corresponding problem number. Then, fold the slip in half and place it on the grader's desk behind you.

Your placement will be determined first by the number of problems you solve and then by time of last correct counted submission to break any remaining ties. Please write your answers in a reasonably simplified form.

1. The numbers a, b, c, d, e, f, g, h , and i are the numbers 1, 2, 3, 4, 5, 6, 7, 8, and 9, not necessarily in that order. Given that $a + b = 16$, $\frac{c}{d} = 4$, and $e + f + g = 8$, find hi .
2. A fair coin is flipped repeatedly. What is the probability the sequence HTH appears before the sequence HHH?
3. Evaluate $\sum_{i=1}^{256} \gcd(256, i)$.