

R Wizardry Final Project

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In my job with the Department of Environment for the Government of Nunavut, we help collect and analyze fisheries data to monitor and promote sustainable fisheries. Our division is tasked with developing the fishery industry in Nunavut in hopes of creating a source of income and food security for remote communities. To ensure that a waterbody's fish populations are healthy and able to support a new commercial fishery or continue to support an existing one, we need to know a bit about the fish populations themselves. This document demonstrates various analyses in R that can be used to explore fisheries data in this context. I use a dataset from two lakes found on Baffin Island, Nunavut, called PG008 and PG027.

This 'technique tutorial' is by no means revolutionary nor is it terribly sophisticated. These are basic techniques in R that can be used by any budding fisheries scientist to visualize and better understand their data.

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```
library(dplyr) #for mutate  
  
# You will need to install the FSA package before you begin  
  
library(FSA) #for mapvalues, catchCurve, fact2num, Summarize, vbFuns, vbStarts  
, residPlot
```

```
library(ggplot2) #for ggplot, qplot
```

First, make sure the R environment is cleared then load the dataset

```
rm(list=ls(all=T))  
char = read.csv("~/Desktop/R/Final project/CharData.csv")
```

Next, organize the dataset a bit to make it more manageable

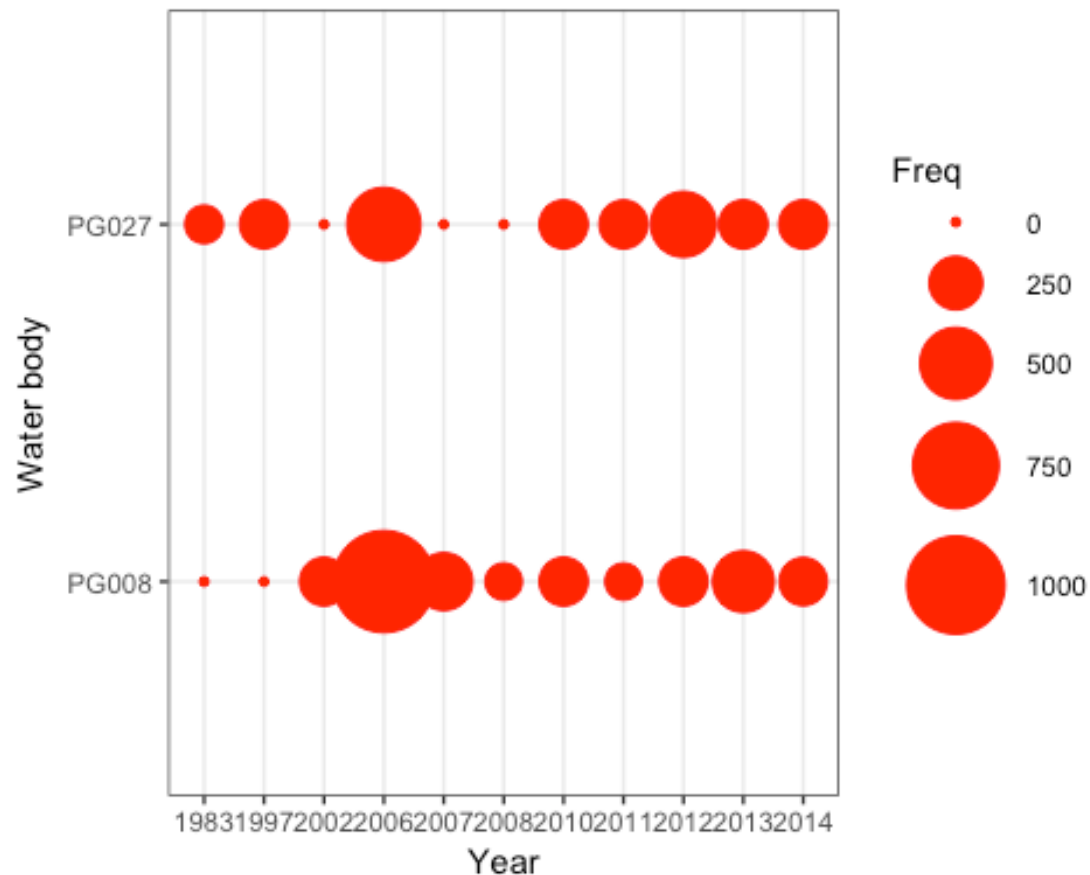
```
char = mutate(char, fyear=factor(year)) # year was an integer but it should be  
made into a factor variable  
char = as.data.frame(char)  
char = select(char, locWB, water.type, fl, wt, sex, mat, age, fyear) # get rid  
of columns not needed or not relevant to the analyses you'll be doing  
  
# rename some variables  
char = mutate(char, new_sex=mapvalues(sex, from=c("M", "F", "U"), to=c("male", "female", "unknown")))  
char = mutate(char, new_mat = mapvalues(mat, from = c(" M", "I", "M", "na", "R", "R", "S", "U"), to = c("mature", "immature", "mature", "na", "ripe", "running ripe", "spent", "unknown")))  
# change some of the variables you'll be using into numeric variables, as necessary.  
char = transform(char, fl = as.numeric(fl), wt = as.numeric(wt), age = as.numeric(age))
```

Now that the data is a little bit more tidy than it was, we will look at some summaries of the data.

1. Summarizing the number of fish caught per year

Here, we'll look at the percentage of fish caught from each waterbody, by year.

```
by.year = xtabs(~fyear + locWB, data = char)  
by.year = as.data.frame(by.year)  
# make a plot to visualize the data  
g = ggplot(data = by.year) + geom_point(aes(x=fyear, y=locWB, size = Freq), color = 2) + theme_bw() + xlab("Year") + ylab("Water body")  
g + scale_size_continuous(range = c(1,15))
```



2. The maturity stages

Now, let's summarize the maturity stages of fish caught by the fish's sex, by year and by waterbody

```
# first, get rid of na and unknown sex and maturity values
char.2 = subset(char, new_mat != "na")
char.2 = subset(char.2, new_mat != "unknown")
char.2 = subset(char.2, new_sex != "na")
char.2 = subset(char.2, new_sex != "unknown")
char.2 = droplevels(char.2)
levels(char.2$new_sex) # you can see the unwanted levels are dropped

## [1] "female" "male"

# now make a table
ftable(xtabs(~locWB+year+new_sex+new_mat,data = char.2))
```

```
##          new_mat mature immature ripe running ripe spent
## locWB fyear new_sex
## PG008 2002 female          0         2    20          0      0
##          male          0         2    24          0      0
##          2007 female          0         1    25          0      0
##          male          0         1    23          0      0
##          2010 female        62        18     5          0      0
##          male        22        33    59          0      0
##          2011 female          0         0     0          0      0
##          male          0         0     0          0      0
##          2012 female          0         0     0          0      0
##          male          0         0     0          0      0
##          2013 female        64        21    10          0      0
##          male        33        29    42          0      0
##          2014 female          0        52    47          0      2
##          male          0        36    52          0      3
## PG027 2002 female          0         0     0          0      0
##          male          0         0     0          0      0
##          2007 female          0         0     0          0      0
##          male          0         0     0          0      0
##          2010 female          1         9    51          0      0
##          male        65        27    40          0      0
##          2011 female        25        13     2          0     30
##          male        71        30    15          0      5
##          2012 female          0        17    33          1     31
##          male          9        20    48          0     35
##          2013 female          0        22    42          0      0
##          male          0        34   100          1      0
##          2014 female        32         3    13          0     25
##          male        60        26    35          0      5
```

Use the table to look at the data and see if there is anything that interests you about certain maturity stages. If so, you can do further statistical analyses

3. The length-weight relationship

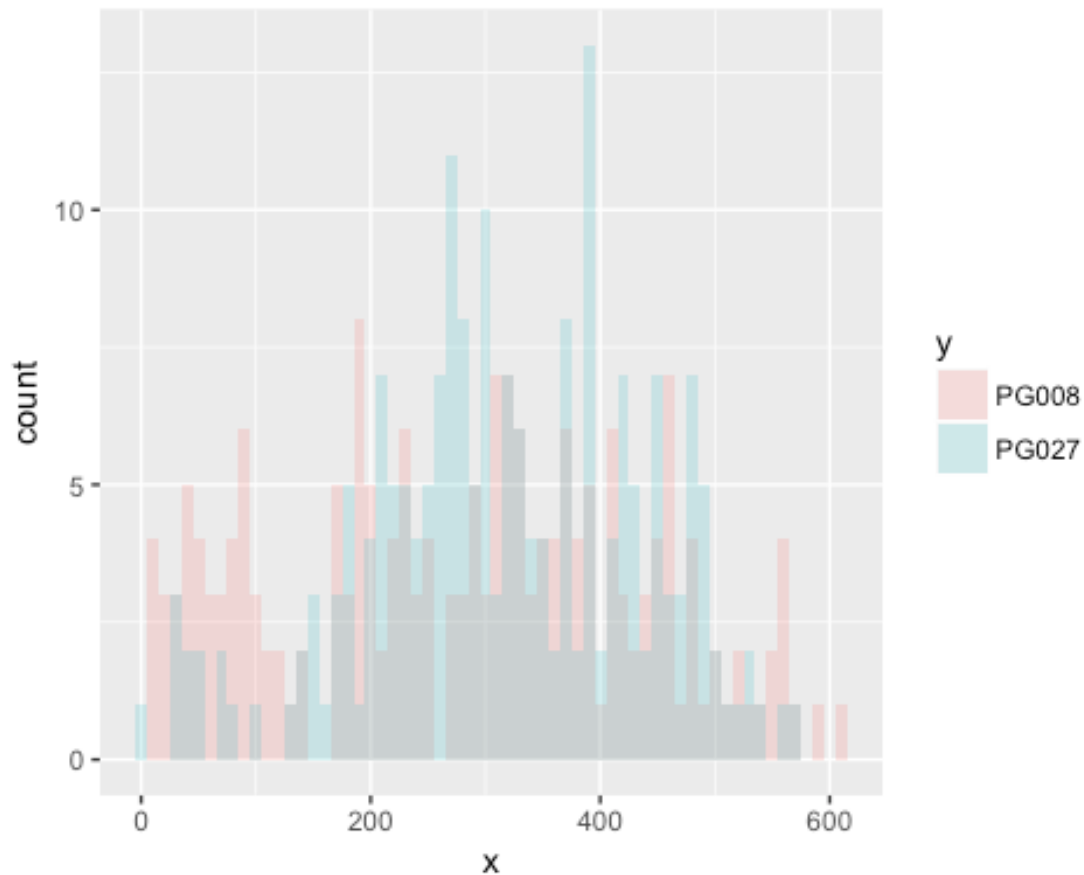
Next, let's summarize the length-weight relationship of fish. Let's use the year 2014 as an example

```
lw = filterD(char, fyear=="2014") # filter out only the year you're interested in
lw = select(lw, fl, wt, locWB, new_sex) # select the variables you want to work with
lw = lw[lw$fl != 0,] # omit observations with 0 length
```

```

# first, make a dataframe for the length data
len = data.frame(x = lw$fl, y = lw$locWB, na.rm = TRUE)
# plot it
ggplot(len, aes(x=x, fill=y)) + geom_histogram(alpha=0.2, position="identity",
binwidth = 10)

```

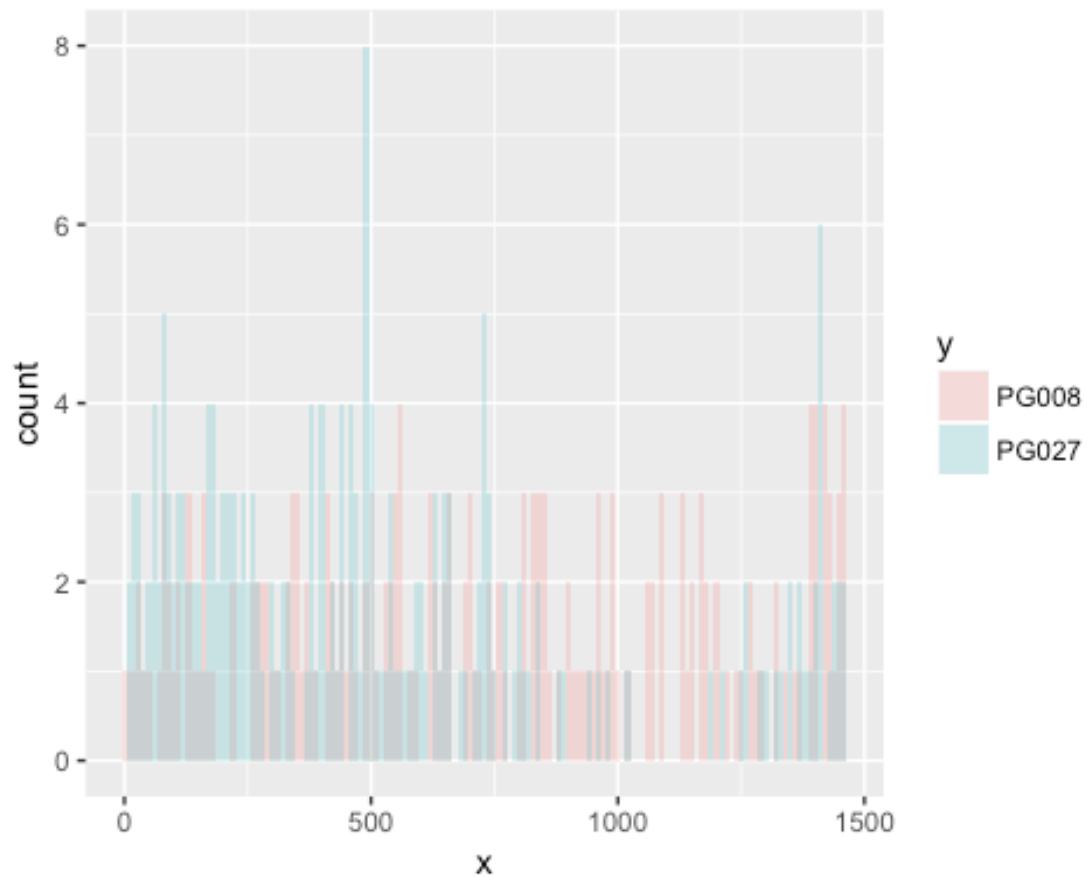


notice that there seems to be more medium length fish in PG027 compared to PG008 which has a more even distribution of lengths

```

# next, make a dataframe for weight data
weight = data.frame(x = lw$wt, y = lw$locWB, na.rm = TRUE)
# plot it
ggplot(weight, aes(x=x, fill=y)) + geom_histogram(alpha=0.2, position="identity",
binwidth = 10)

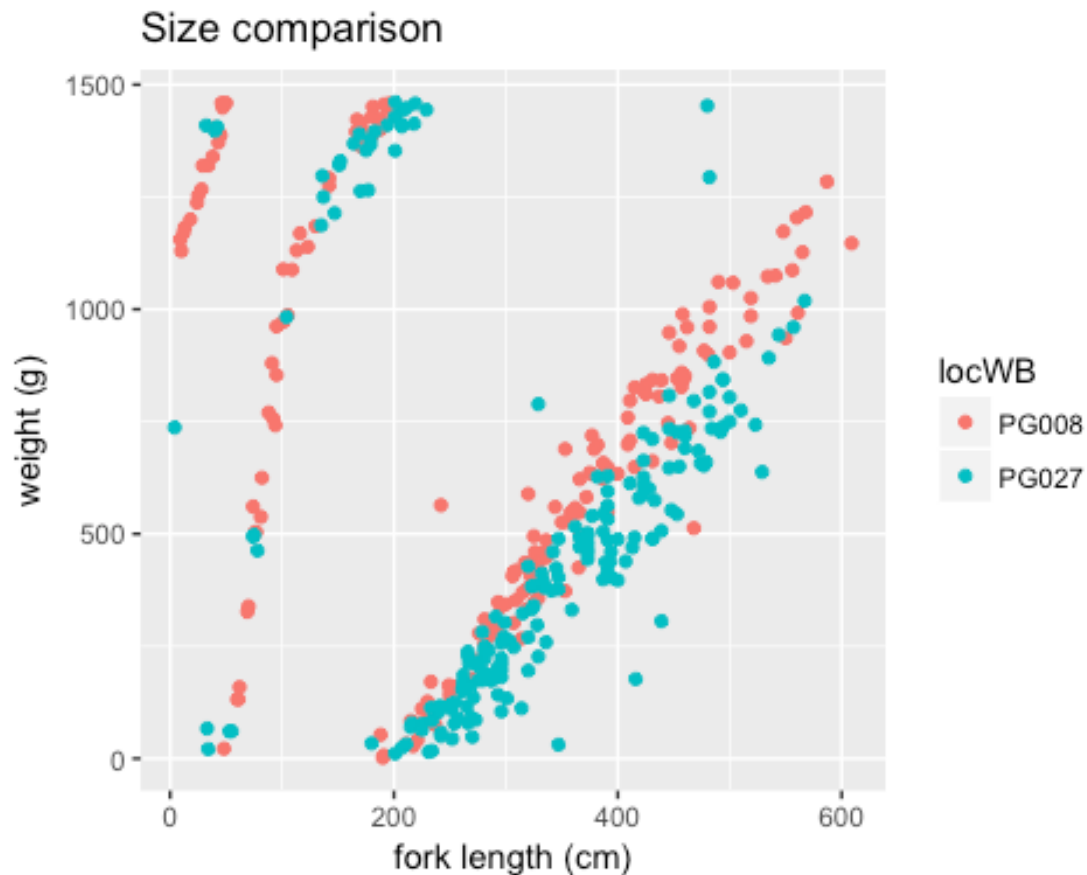
```



notice that there seems to be fewer heavy fish in PG027 compared to PG008

Now compare sizes between the two Lakes

```
qplot(fl, wt, data = lw, colour = locWB, xlab = "fork length (cm)", ylab = "weight (g)", main = "Size comparison")
```

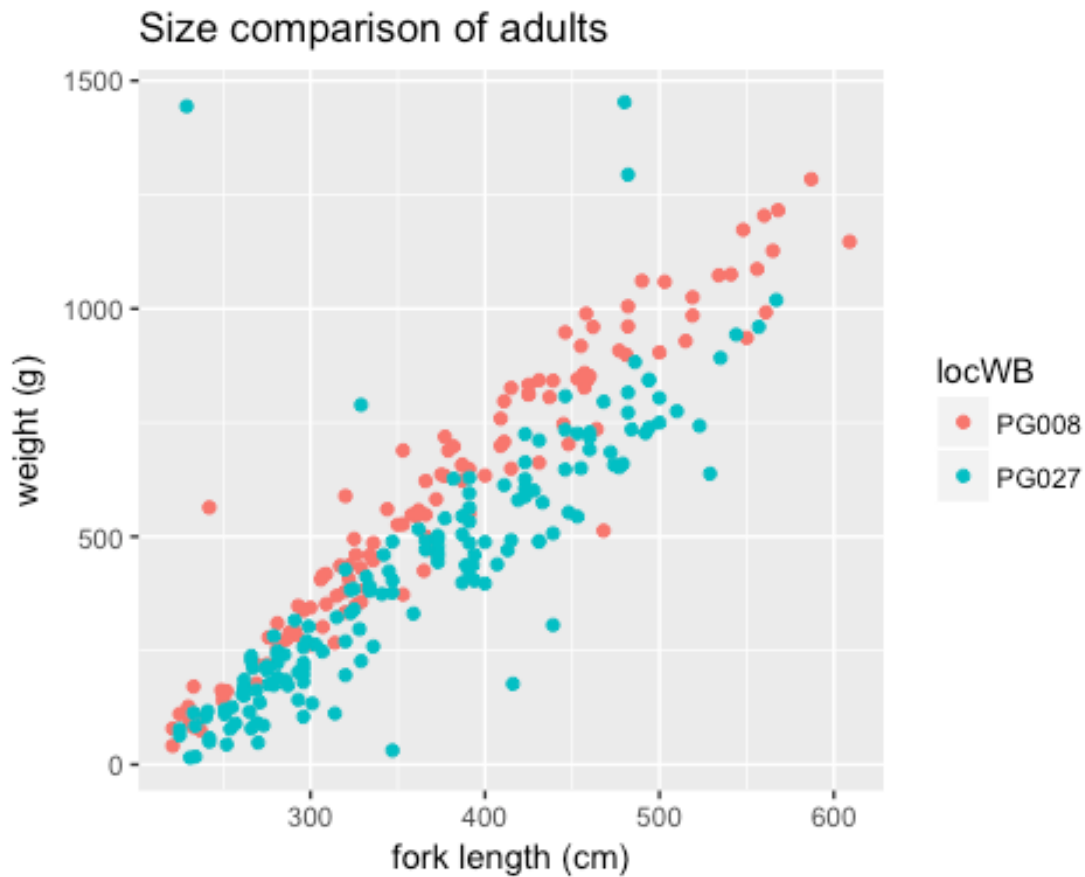


can see what looks like 3 different size classes in each lake. These either represent juveniles, 'teens', and adults in the population or, alternatively, a combination of juveniles and 'dwarf' adults.

Let's view data for the 'adult' size class only. Since there's no age data for 2014 we'll have to 'eyeball' it to determine which size likely counts as 'regular' adults

```
adults = lw[lw$f1 > 220,]
```

```
qplot(f1, wt, data = adults, colour = locWB, xlab = "fork length (cm)", ylab = "weight (g)", main = "Size comparison of adults")
```



```
# see how well length and weight are correlated in each Lake
```

```
pg08 = filterD(adults, locWB=="PG008")
```

```
pg027 = filterD(adults, locWB=="PG027")
```

```
with(pg08, cor(fl, wt))
```

```
## [1] 0.962219
```

```
# In PG008, the correlation between length and weight in the adults size class  
is 0.962219
```

```
with(pg027, cor(fl, wt))
```

```
## [1] 0.8213275
```

```
# In PG027, the correlation between length and weight is 0.8213275
```

```
# we can conclude that the weight-length relationship is stronger in PG008 than  
in PG027
```


4. The weight-time relationship

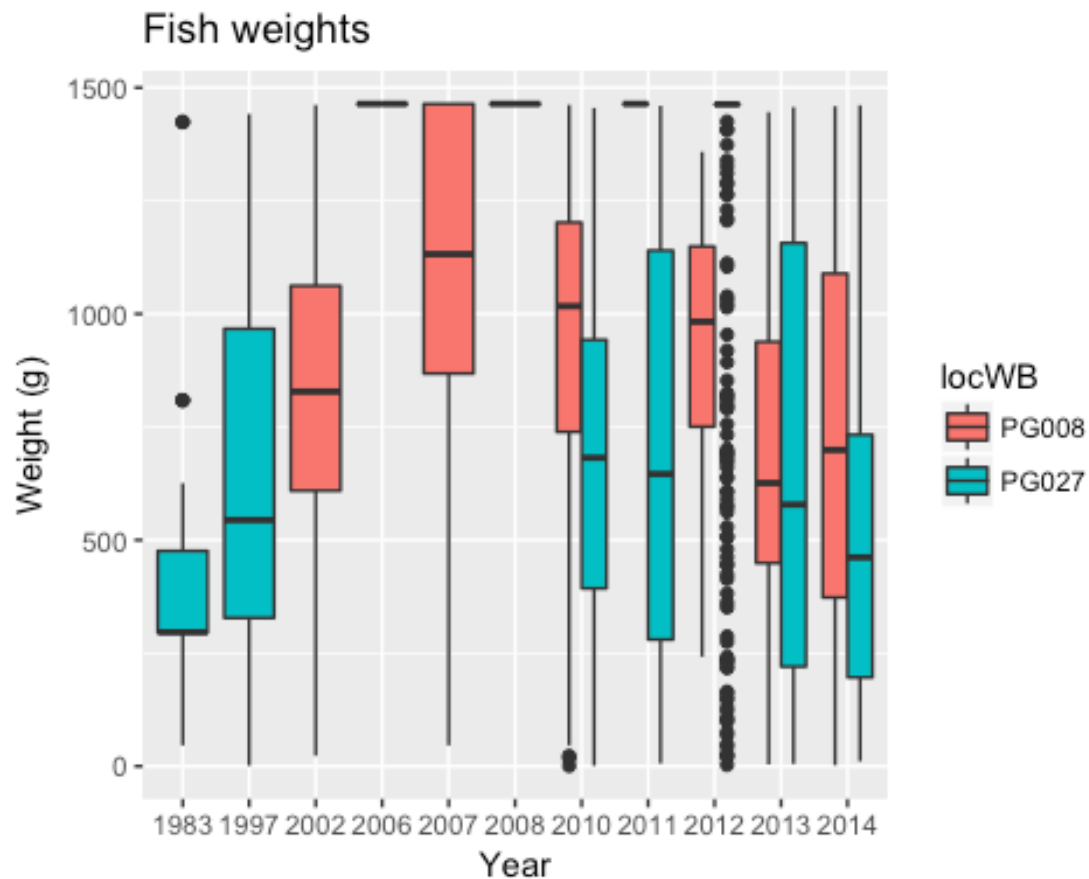
Let's test to see if the mean weight of the fish differed between locations over the years

```
Summarize(wt~locWB,data=char)
```

```
##   locWB    n nvalid    mean      sd min  Q1 median   Q3  max percZero
## 1 PG008 2724  2724 1147.9394 406.7917  1 868  1464 1464 1464      0
## 2 PG027 2045  2045  970.9814 528.5456  1 460  1245 1464 1464      0
```

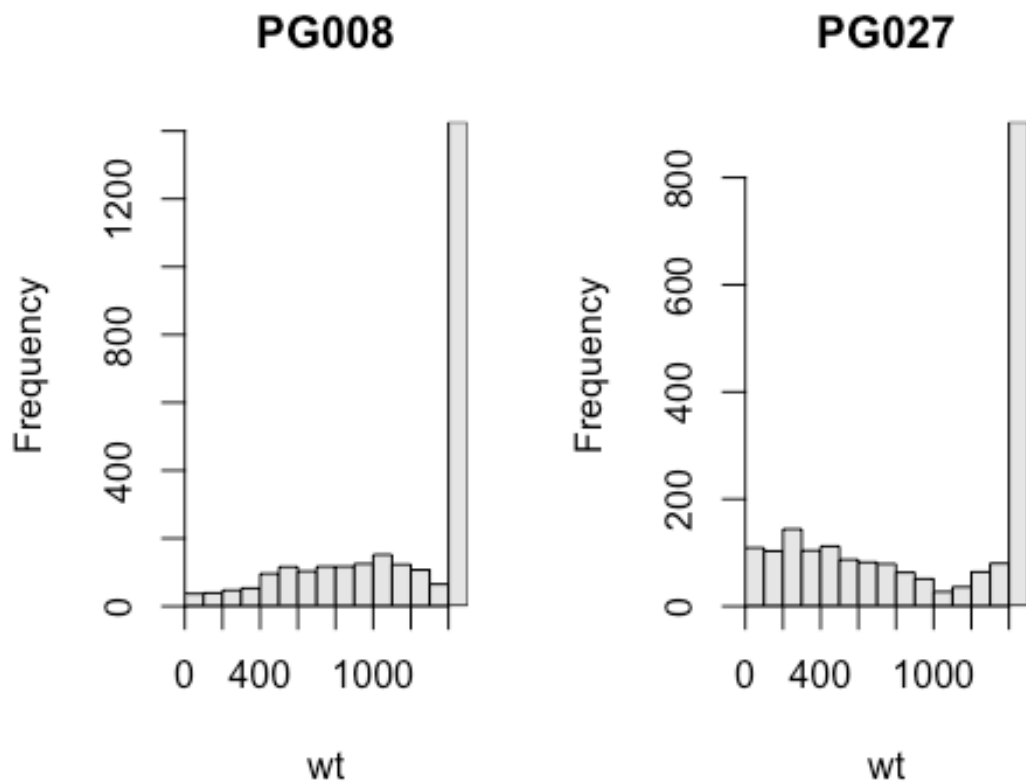
from the table we can see that the mean weights differ between lakes but we can't tell if the difference is significant

```
ggplot(char, aes(x= fyear, y = wt, fill = locWB)) +
  geom_boxplot( ) +
  ggtitle("Fish weights")+
  xlab("Year")+
  ylab("Weight (g)")
```



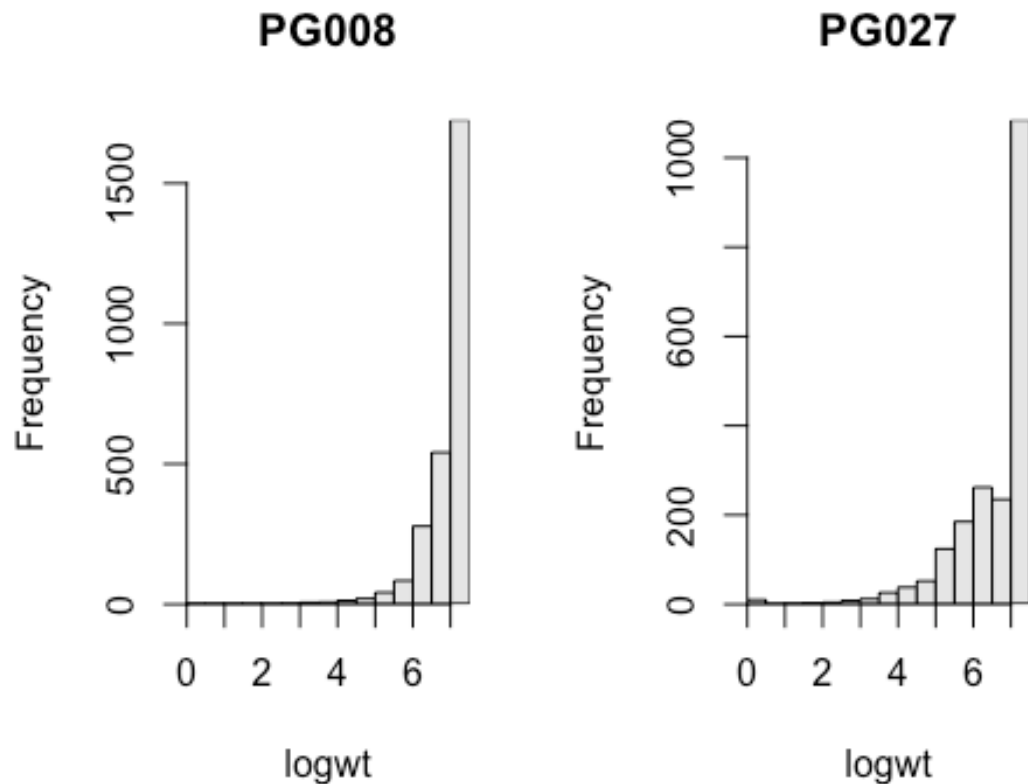
The plot also suggests that PG008 has heavier fish

```
# Before moving ahead, though, check to see that the data is normally distributed  
hist(wt~locWB,data=char,same.ylim=FALSE)
```



```
# data does not look normal. We should log-transform it.
```

```
char.log = mutate(char,logwt=log(wt), logfl=log(f1))  
hist(logwt~locWB,data=char.log,same.ylim=FALSE)
```



this looks a bit better

Use anova to see which variables influence the weight of the fish

```
anova(lm(formula = logwt ~ locWB * logfl, data = char.log))
```

```
## Analysis of Variance Table
```

```
##
```

```
## Response: logwt
```

```
##          Df Sum Sq Mean Sq  F value    Pr(>F)
## locWB      1  153.5  153.506  227.8850 < 2e-16 ***
## logfl      1  204.5  204.514  303.6086 < 2e-16 ***
## locWB:logfl 1    3.8    3.789    5.6252 0.01774 *
## Residuals 4765 3209.8    0.674
```

```
## ---
```

```
## Signif. codes:  0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1
```

The Location and Length have a significant effect on the weight of the fish, as well as their interaction.

5. The sex-size relationship

Let's see if sex has an effect on the size of the fish

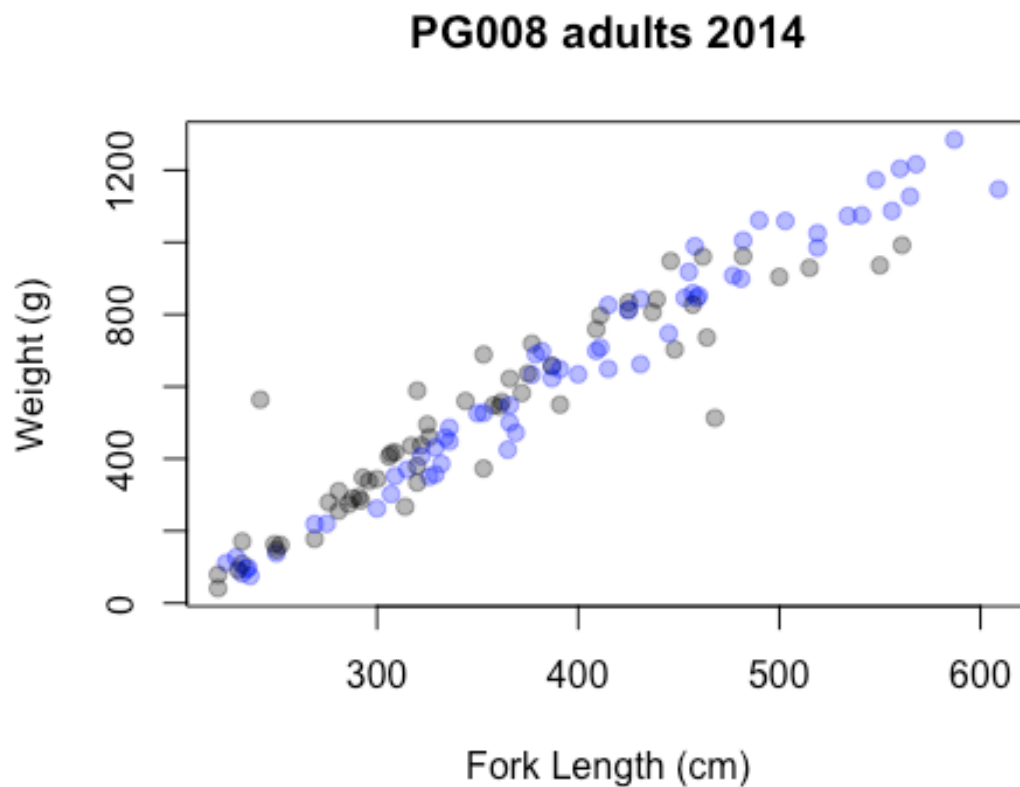
#using the 'adults' dataset for 2014 (pg08 and pg027)

visualize the relationship with a plot

```
clr1 <- c("black","blue")
```

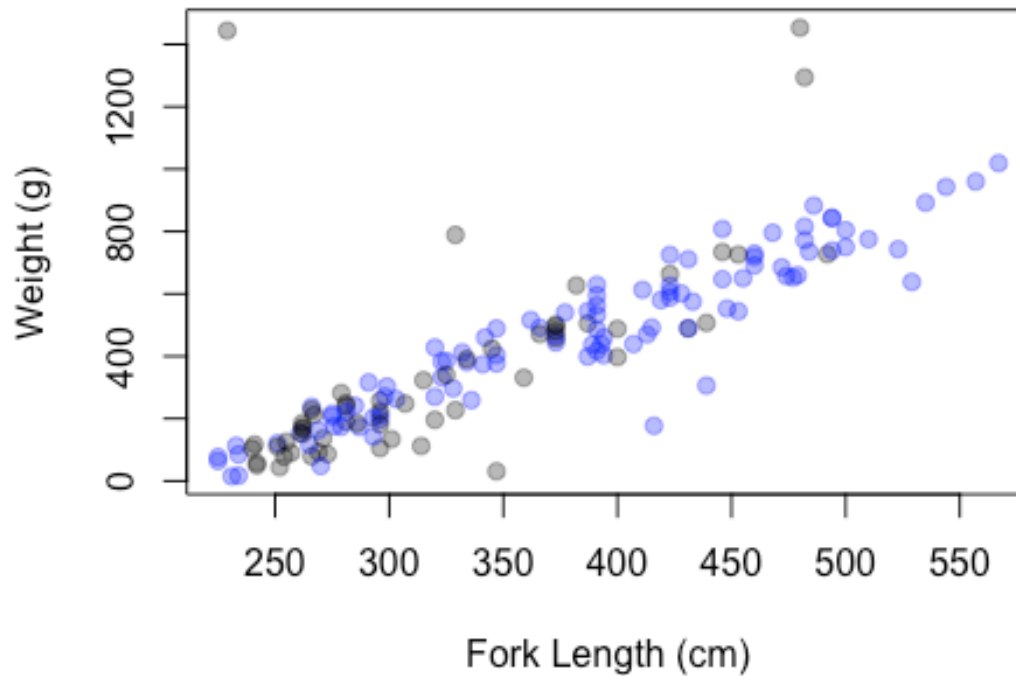
```
clr2 <- col2rgb(clr1,1/3)
```

```
plot(wt~fl,data=pg08,pch=19,col=clr2[new_sex],xlab="Fork Length (cm)",ylab="Weight (g)", main = "PG008 adults 2014")
```



```
plot(wt~fl,data=pg027,pch=19,col=clr2[new_sex],xlab="Fork Length (cm)",ylab="Weight (g)", main = "PG027 adults 2014")
```

PG027 adults 2014



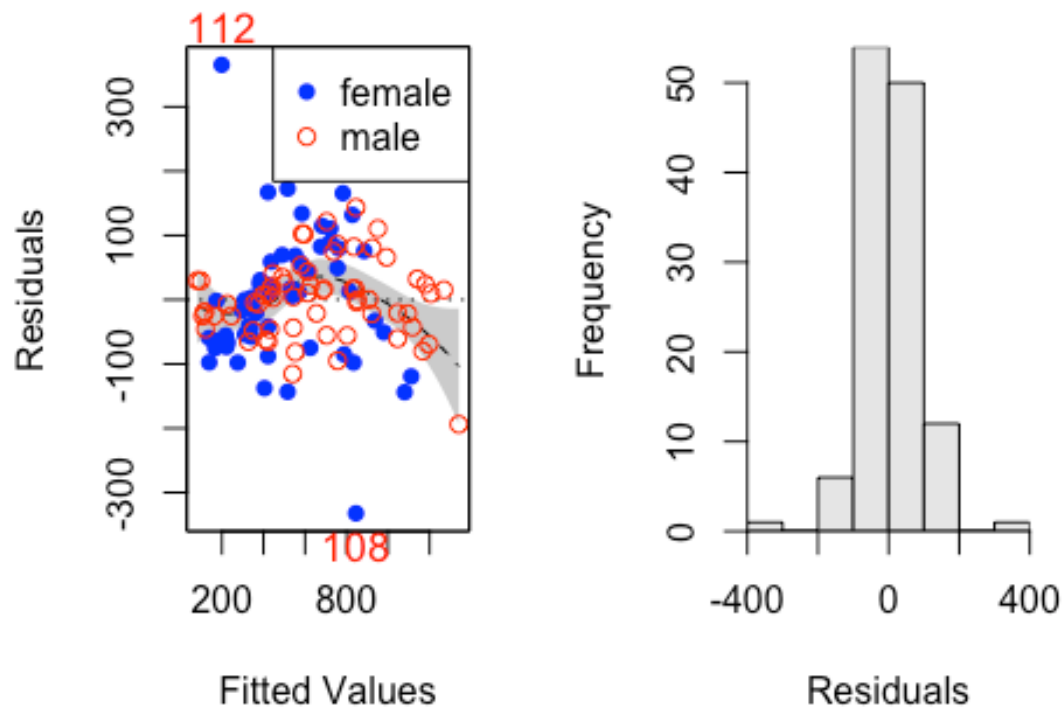
based on visual inspection, there doesn't seem to be a large effect of sex on the size of the fish from either lake in the year 2014

Find the residuals for the weight-length relationship by sex for each lake then perform an analysis of variance to see if the differences are significant

#For Lake PG008

```
reg1 = lm(wt~fl*new_sex,data=pg08)
```

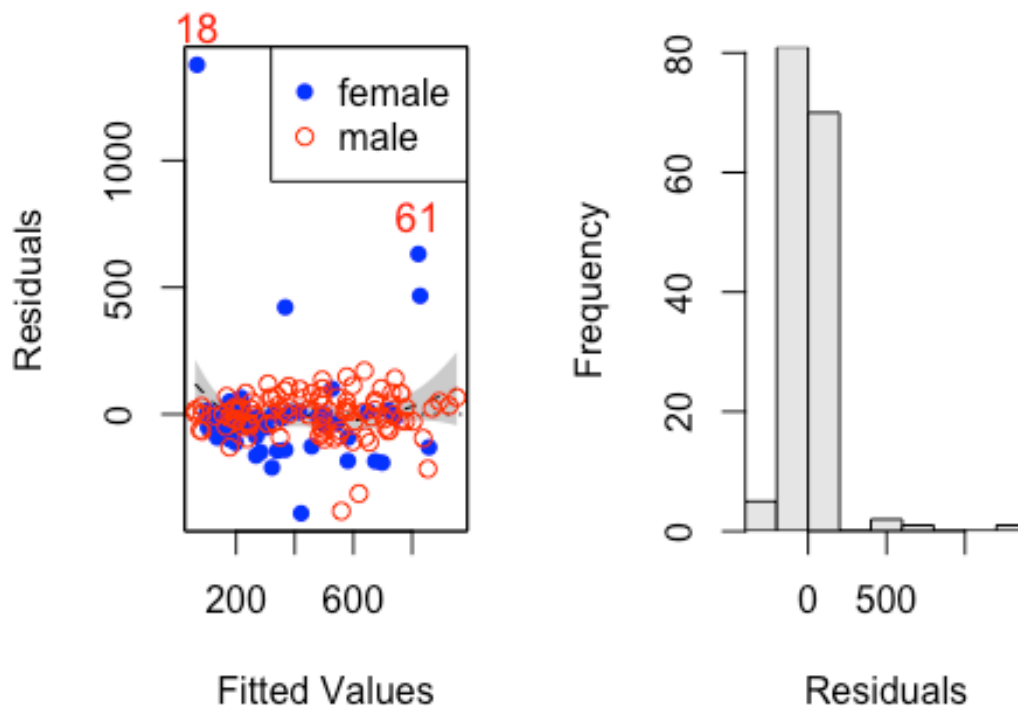
```
residPlot(reg1)
```



```
anova(reg1)

## Analysis of Variance Table
##
## Response: wt
##          Df    Sum Sq  Mean Sq    F value    Pr(>F)
## fl         1 11064828 11064828 1583.1286 < 2e-16 ***
## new_sex     1    1718    1718     0.2458 0.62096
## fl:new_sex  1    45545   45545     6.5164 0.01194 *
## Residuals 120   838706    6989
## ---
## Signif. codes:  0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1

#For Lake PG027
reg2 = lm(wt~fl*new_sex,data=pg027)
residPlot(reg2)
```



```
anova(reg2)
```

```
## Analysis of Variance Table
```

```
##
```

```
## Response: wt
```

```
##          Df Sum Sq Mean Sq  F value Pr(>F)
## fl          1 8345574 8345574  330.2655 <2e-16 ***
## new_sex      1   50859   50859    2.0127 0.1580
## fl:new_sex   1   33092   33092    1.3096 0.2542
## Residuals 156 3942008   25269
```

```
## ---
```

```
## Signif. codes:  0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1
```

From the anova, we can see that fork length is a significant contributor to the weight of the fish in both Lakes. Sex does not have a significant effect on the size of adults in Lake PG027 in the year 2014 but it did have a significant affect on weight in Lake PG008 when interacting with the fork length of the fish.

Maybe 2014 was just a weird year for char. Let's scale it up to the whole dataset to look at the effect of sex on size across years

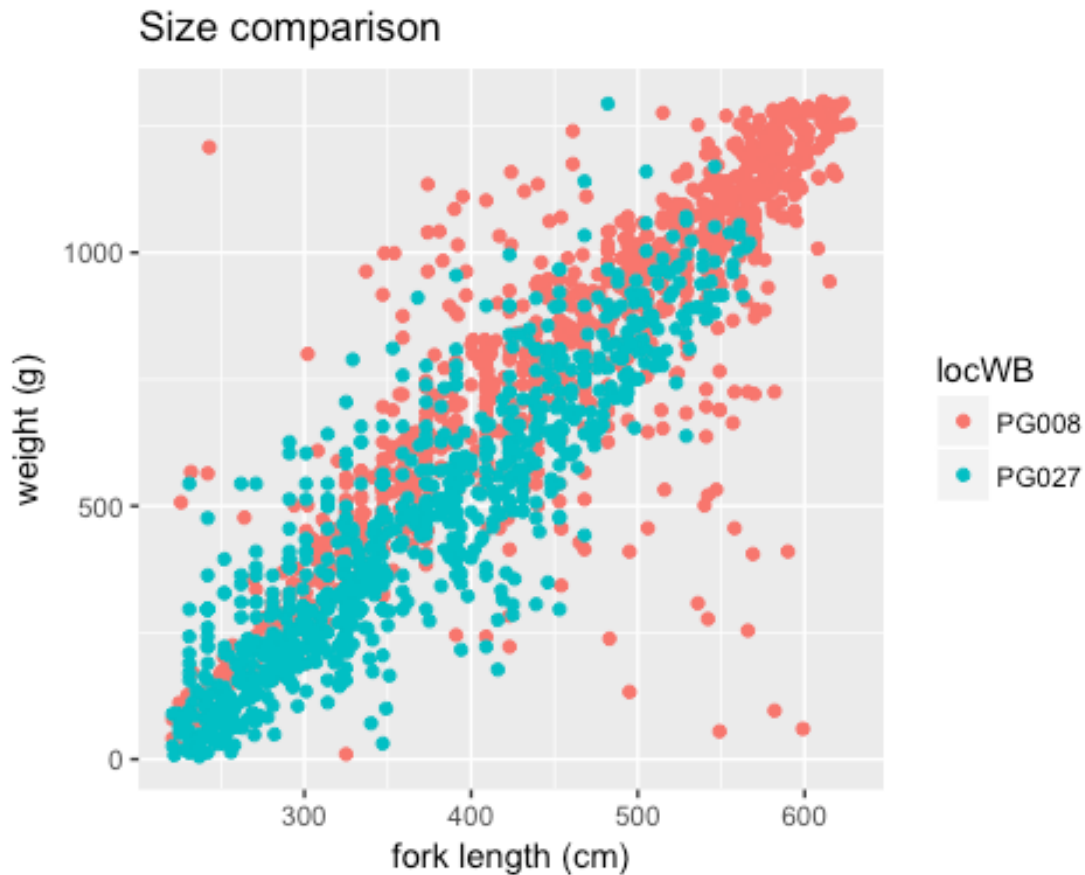
```
char.adults = select(char, fl, wt, locWB, fyear, new_sex)
```

```
# restrict the dataset slightly to look at the 'normal' adults
```

```
char.adults = char.adults[char.adults$f1 > 220,]
```

```
char.adults = char.adults[char.adults$wt < 1300,]
```

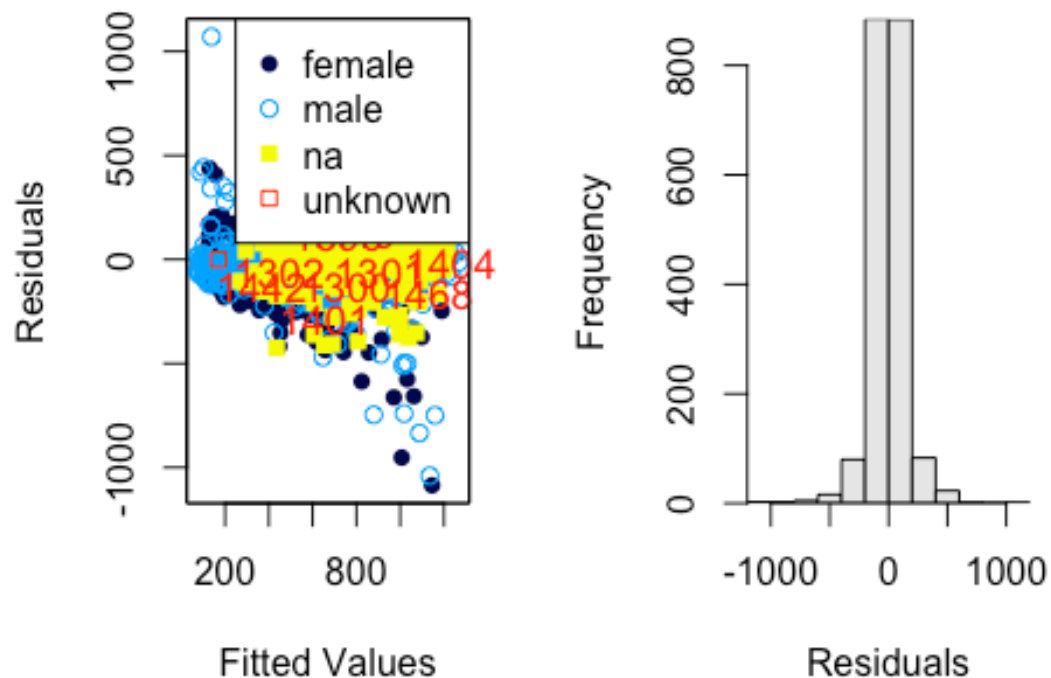
```
qplot(f1, wt, data = char.adults, colour = locWB, xlab = "fork length (cm)", ylab = "weight (g)", main = "Size comparison")
```



```
# Do the regression and analysis of variance
```

```
reg3 = lm(wt~f1*new_sex, data=char.adults)
```

```
residPlot(reg3)
```

```
anova(reg3)
```

```
## Analysis of Variance Table
```

```
##
```

```
## Response: wt
```

	Df	Sum Sq	Mean Sq	F value	Pr(>F)
fl	1	178552599	178552599	8231.1287	< 2.2e-16 ***
new_sex	3	95248	31749	1.4636	0.2225870
fl:new_sex	2	321864	160932	7.4188	0.0006167 ***
Residuals	1975	42842409	21692		

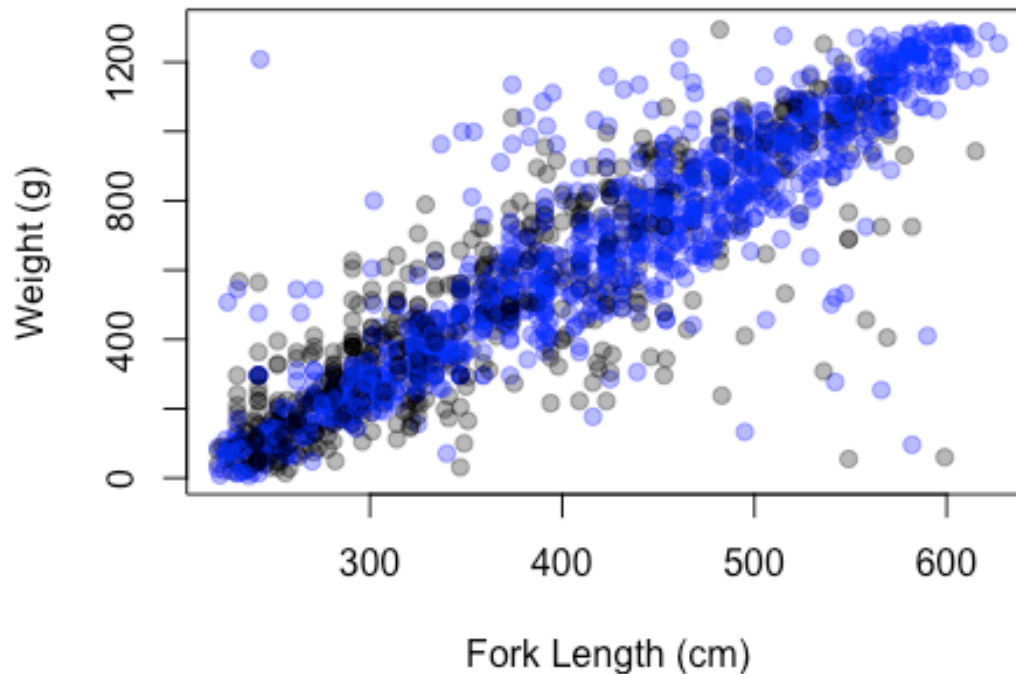
```
## ---
```

```
## Signif. codes:  0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1
```

The sex of the fish only has an effect on the weight of the fish when it is interacting with the fork length. Like in the analysis for 2014, the fork length has a significant effect on the fish's weight.

#make a plot to visualize the distribution of the sexes throughout the different sizes

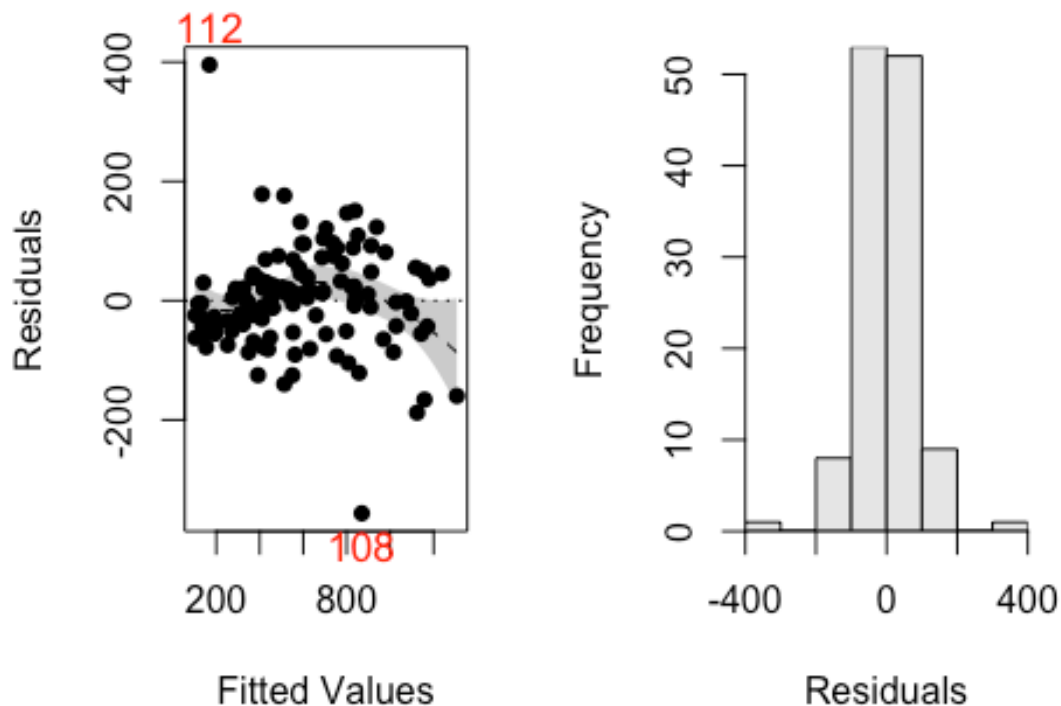
```
plot(wt~fl,data=char.adults,pch=19,col=clr2[new_sex],xlab="Fork Length (cm)",ylab="Weight (g)")
```



6. Revisiting the length-weight relationship with regression

Above (in #2) we performed a correlation test for the relationship between length and weight. We can also use a regression to model the linear relationship and to find out the R^2 value is for the weight-length relationship. Unlike a correlation, you can use a regression to make predictions about the data

```
# using the 'adults' dataset for 2014  
# do the linear regression  
lr1 = lm(wt~fl,data=pg08)  
residPlot(lr1)
```



```
summary(lm1)
```

```
##
## Call:
## lm(formula = wt ~ fl, data = pg08)
##
## Residuals:
##      Min       1Q   Median       3Q      Max
## -356.61  -51.15    0.25   42.26  395.24
##
## Coefficients:
##              Estimate Std. Error t value Pr(>|t|)
## (Intercept) -581.69923   30.86426  -18.85  <2e-16 ***
## fl           3.10109    0.07945   39.03  <2e-16 ***
## ---
## Signif. codes:  0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1
##
## Residual standard error: 85.22 on 122 degrees of freedom
## Multiple R-squared:  0.9259, Adjusted R-squared:  0.9253
## F-statistic: 1524 on 1 and 122 DF, p-value: < 2.2e-16
```

R² for PG008 is 0.9259. This suggests that length largely explains the variation in weight in these fish. This value is similar to the value we found for the correlation (0.962)

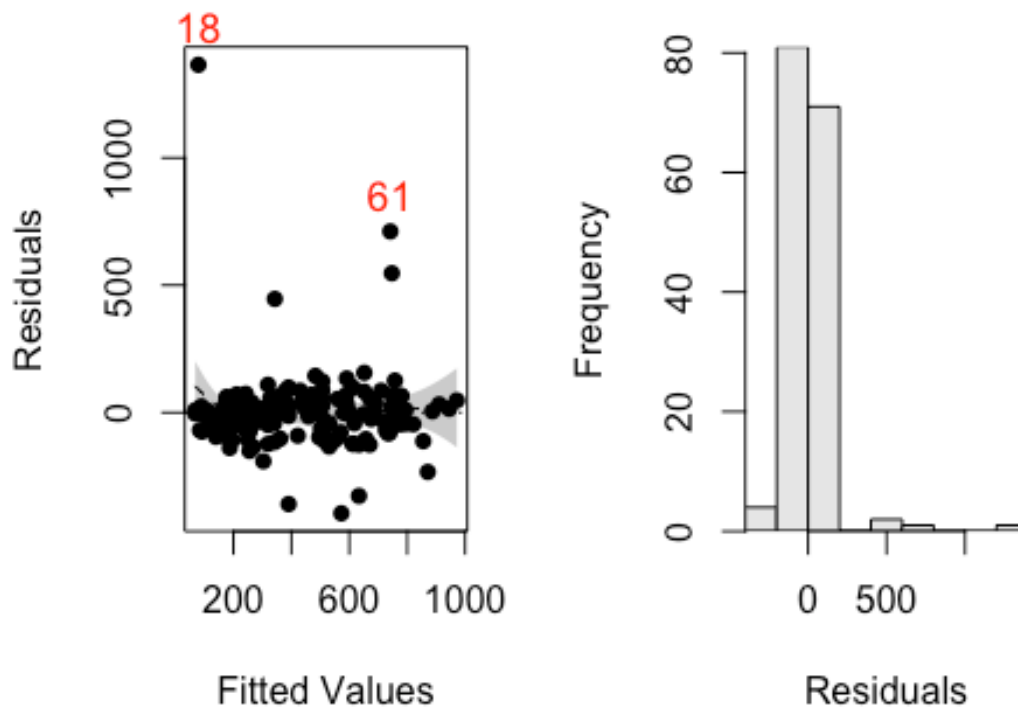
```
# make a table of parameter estimates for the length- weight relationship
cbind(ests=coef(lr1),confint(lr1))
```

```
##               ests      2.5 %    97.5 %
## (Intercept) -581.699227 -642.798104 -520.60035
## fl           3.101089   2.943818   3.25836
```

```
# Repeat with adults from PG027
```

```
lr2 = lm(wt~fl,data=pg027)
```

```
residPlot(lr2)
```



```
summary(lr2)
```

```
##
## Call:
## lm(formula = wt ~ fl, data = pg027)
##
## Residuals:
##      Min       1Q   Median       3Q      Max
## -395.68  -62.75   -3.56   35.43  1365.31
##
## Coefficients:
##              Estimate Std. Error t value Pr(>|t|)
```

```
## (Intercept) -526.258      54.153   -9.718   <2e-16 ***
## fl          2.642        0.146   18.098   <2e-16 ***
## ---
## Signif. codes:  0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1
##
## Residual standard error: 159.6 on 158 degrees of freedom
## Multiple R-squared:  0.6746, Adjusted R-squared:  0.6725
## F-statistic: 327.5 on 1 and 158 DF,  p-value: < 2.2e-16

# R^2 for PG027 is 0.6746. This is much lower than the fish from Lake PG008. This value is quite different from the one we found for the correlation (0.821)
.
# In this example we can see how correlation and regression are quite different and careful consideration should be taken when deciding which one to use. See http://www.graphpad.com/support/faqid/1141/ for more info

# make a table of model parameters for the length-weight relationship. This table shows the 95% confidence intervals
cbind(ests=coef(lr2),confint(lr2))

##              ests      2.5 %      97.5 %
## (Intercept) -526.257797 -633.214154 -419.301441
## fl          2.641678    2.353378    2.929979
```

7. The size-age relationship

Determine the body size of the fish as a function of their age

```
qplot(age, fl, data = char, colour = locWB, xlab = "age", ylab = "fork length (cm)", main = "size at age")
```

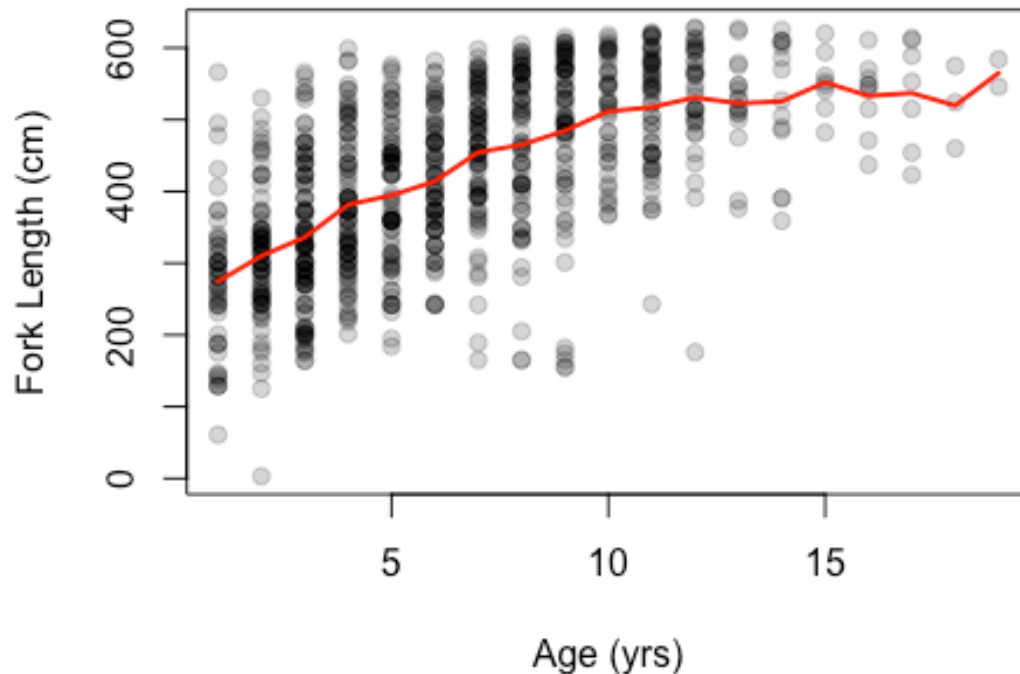


from this plot we can see how the age-length relationship is quite non-linear. To simplify things, let's restrict the age to under 20 because above that age the relationship gets pretty strange and might be due to an ecologically unique morphotype of char

```
char.norm = filterD(char,!is.na(fl),!is.na(age), age < 20)
sum <- Summarize(fl~age,data=char.norm,digits=1) #getting the mean length per each age
```

Warning: RHS variable was converted to a factor.

```
plot(fl~age,data=char.norm,pch=19,col=col2rgb(1,1/5),xlab="Age (yrs)",ylab="Fork Length (cm)") # plot of the lengths at each age
lines(mean~fact2num(age),data=sum,lwd=2,col="red") #plot the line that shows the mean length at each age
```



#because the relationship isn't linear, we will use a non-linear regression technique

#Set up a function using the von Bertalanffy growth equation to evaluate the body size of the fish as a function of age

`vonb = vbFuns("Typical", msg = TRUE)` *# msg=true let's you see what the test is doing and what the terms mean*

You have chosen the 'Typical', 'Traditional', or 'BevertonHolt' parameterization.

##

$E[L|t] = L_{inf} * (1 - \exp(-K * (t - t_0)))$

##

where L_{inf} = asymptotic mean length

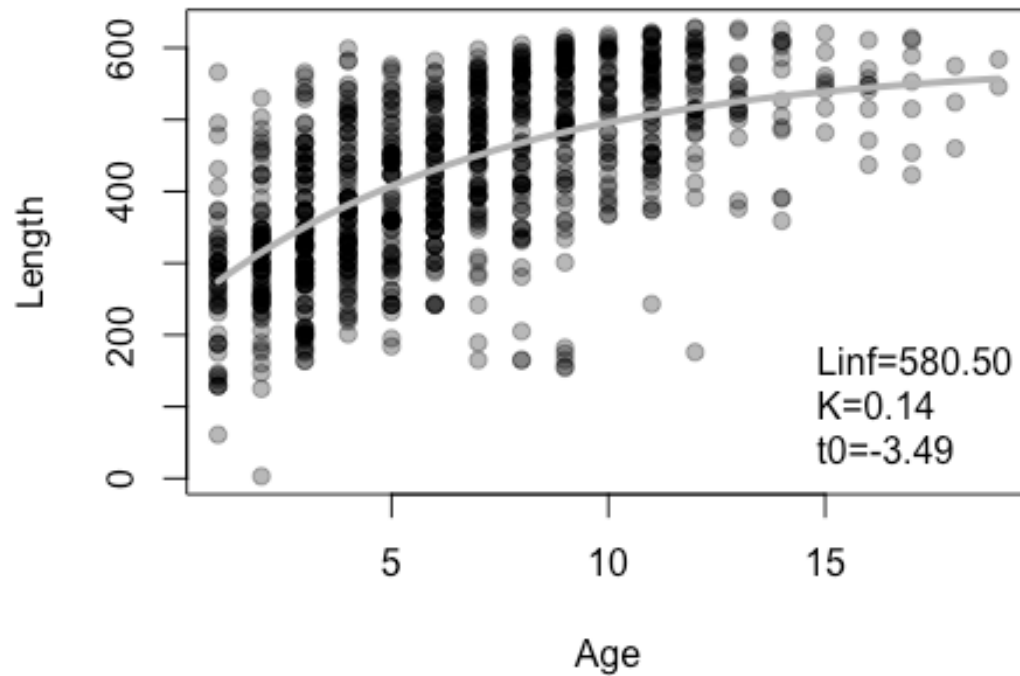
K = exponential rate of approach to L_{inf}

t_0 = the theoretical age when length = 0 (a modeling artifact)

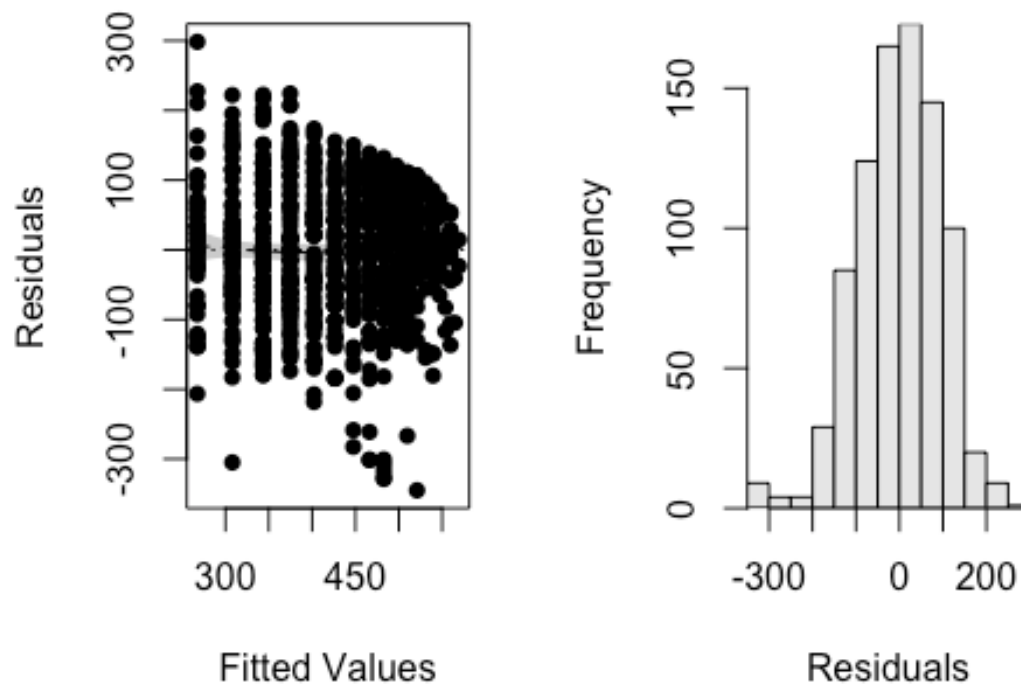
find the starting values for the test using a built in function in the FSA package

`start.vb = vbStarts(fl~age, data=char.norm, type="Typical", plot=TRUE)`

von B (Typical) STARTING VALUES



```
# check that the residuals are normally distributed  
fit1 = nls(fl~vonb(age,Linf,K,t0),data=char.norm,start=start.vb) # Taking the  
relationship between the function just created and the length of the fish then  
finding their nonlinear least squares.  
residPlot(fit1)
```

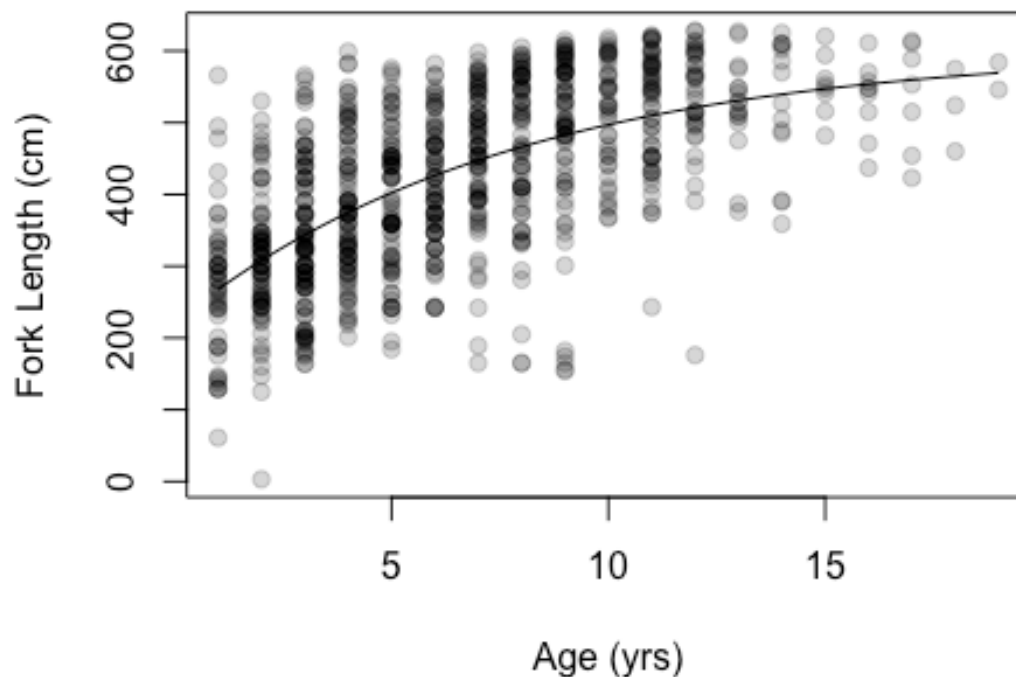



```
# get a summary
summary(fit1,correlation=TRUE)

##
## Formula: fl ~ vonb(age, Linf, K, t0)
##
## Parameters:
##      Estimate Std. Error t value Pr(>|t|)
## Linf 602.38092   29.83301  20.192 < 2e-16 ***
## K      0.12858    0.02281   5.638 2.33e-08 ***
## t0     -3.56713    0.69834  -5.108 4.01e-07 ***
## ---
## Signif. codes:  0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1
##
## Residual standard error: 94.75 on 865 degrees of freedom
##
## Correlation of Parameter Estimates:
##      Linf K
## K   -0.96
## t0  -0.84  0.95
##
## Number of iterations to convergence: 4
## Achieved convergence tolerance: 5.911e-06
```

The correlation is high (0.96), meaning the age and length are strongly related for fish younger than 20 years old

```
cf = coef(fit1) # save the coefficients to add to the plot
plot(fl~age,data=char.norm,pch=19,col=col2rgb(1,1/5),xlab="Age (yrs)",ylab="Fork Length (cm)")
curve(vonb(x,cf), add = TRUE) #add = true adds the line to the existing plot
```



8. Mortality rates

Often with fisheries data, you want to see how quickly fish are disappearing from a population to evaluate if a fishery is sustainable or not. Here we will be estimating annual mortality rates

We will compare mortality rates in Lake PG008 for the years 2007 and 2010 as an example.

```
mort2007 = filterD(char,water.type == "freshwater",fyear=="2007", locWB == "PG
```

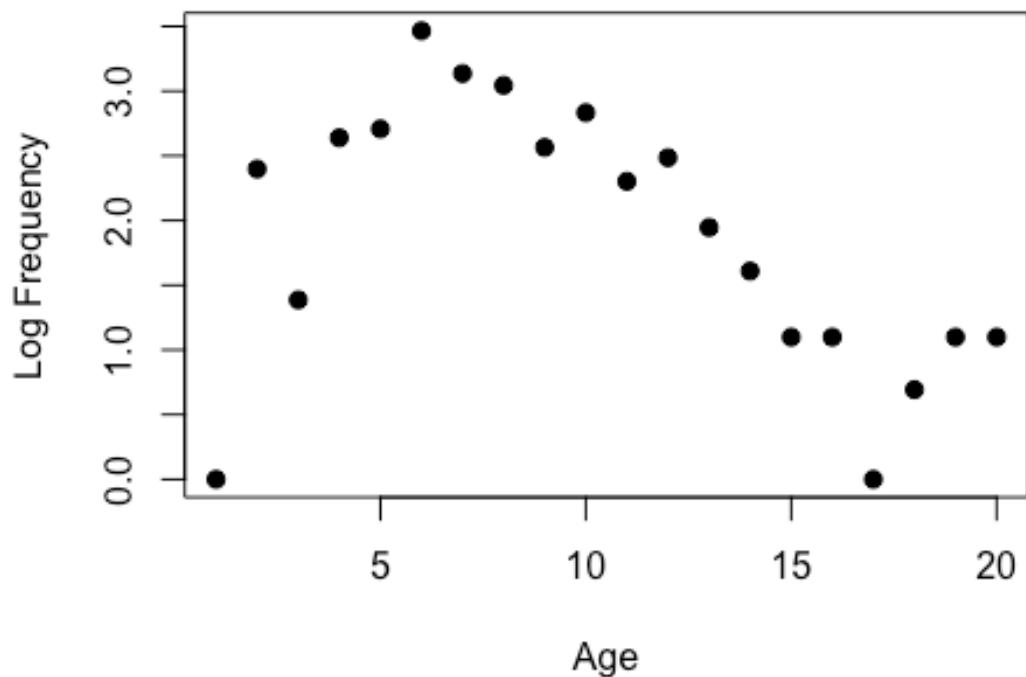
```

008", !is.na(f1),!is.na(age))

mort2007 = data.frame(xtabs(~age,data=mort2007)) # finding the frequency of ea
ch age
mort2007 = mutate(mort2007,age=as.numeric(age)) # make sure age is a numeric v
ariable

mort2007 = mutate(mort2007,logfreq=log(Freq)) # Log transform the data to make
it more normal
plot(logfreq ~ age, data = mort2007, xlab="Age",ylab="Log Frequency",pch=19)

```



visually inspect for the 'descending limb' to determin when the frequency of ages strats to decrease. It looks to be around age 6 for Lake PG008 in the year 2007

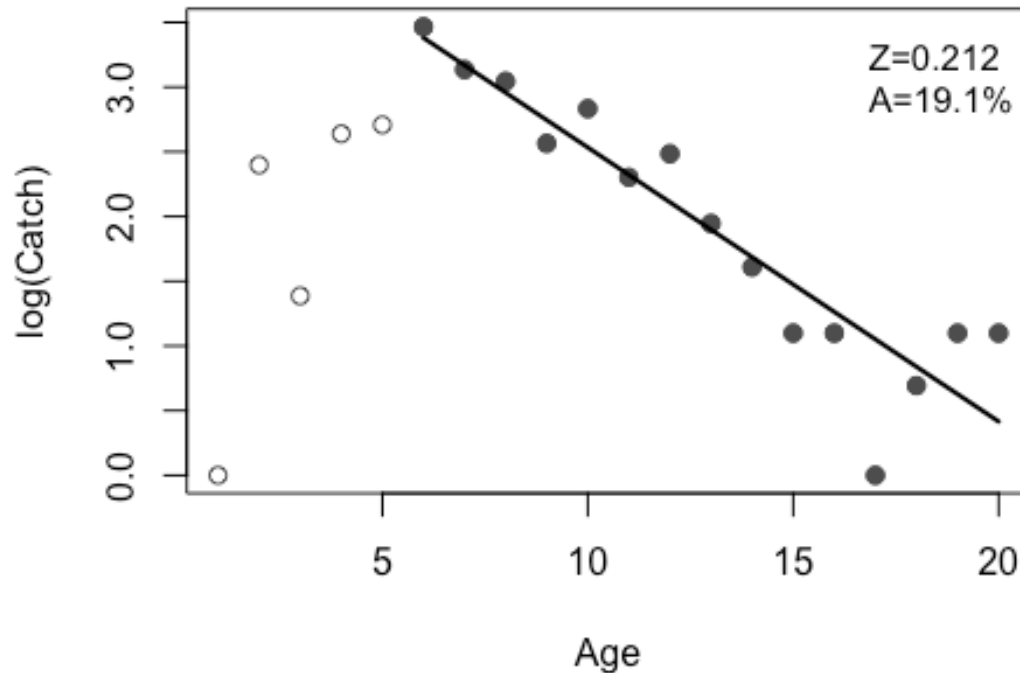
```

cc1 = catchCurve(Freq~age, data = mort2007, ages2use = 6:20) # using ages 6-20
to determine the mortality rate
summary(cc1)

##      Estimate Std. Error  t value      Pr(>|t|)
## Z   0.211768  0.02497372  8.479635 1.175436e-06
## A 19.084762          NA      NA      NA

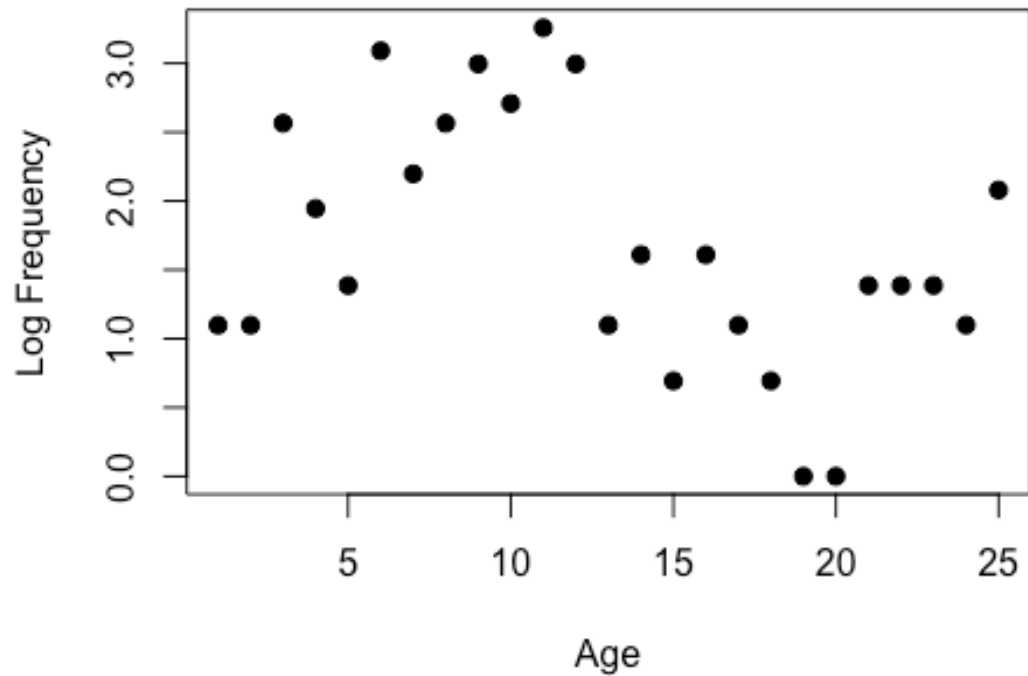
```

```
# summary shows the Z estimate which is the instantaneous mortality rate
# It also shows the A estimate which is the annual mortality rate, which for 2
# 007 is 19%
plot(cc1)
```



```
# Do the same for Lake PG008 in 2010
mort2010 = filterD(char,water.type == "freshwater",fyear=="2010", locWB == "PG
008", !is.na(f1),!is.na(age))
mort2010 = data.frame(xtabs(~age,data=mort2010))
mort2010 = mutate(mort2010,age=as.numeric(age))

mort2010 = mutate(mort2010,logfreq=log(Freq))
plot(logfreq ~ age, data = mort2010, xlab="Age",ylab="Log Frequency",pch=19)
```



visually inspect for the 'descending limb', looks to be around age 12

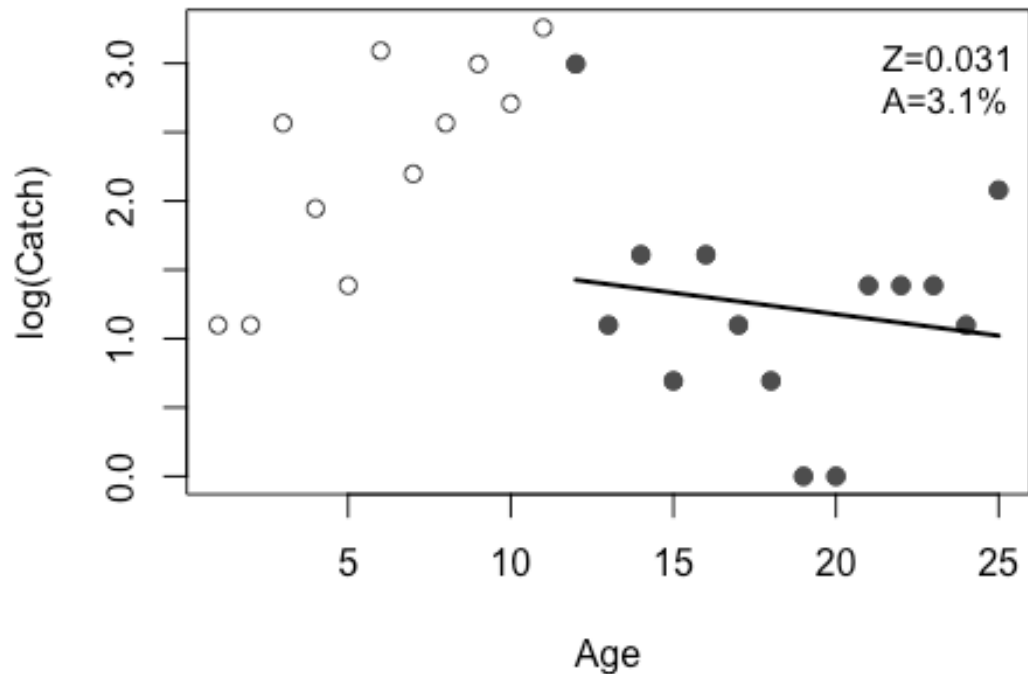
```
cc2 = catchCurve(Freq~age, data = mort2010, ages2use = 12:25)
summary(cc2)
```

```
##      Estimate Std. Error  t value Pr(>|t|)
## Z 0.03114889 0.05287816 0.589069 0.5667394
## A 3.06687573      NA      NA      NA
```

the instantaneous mortality rate is 0.03

the annual mortality rate is 3%

```
plot(cc2)
```



The mortality rate was much Lower in 2010 (3%) compared to 2007 (19%)

R Code

```

```{r}
library(dplyr)
library(FSA)
library(ggplot2)
...

```{r}
rm(list=ls(all=T))
char = read.csv("~/Desktop/R/Final project/CharData.csv")
...

```{r}
char = mutate(char,fyear=factor(year))
char = as.data.frame(char)
char = select(char,locWB, water.type, fl, wt, sex, mat, age, fyear)
char = mutate(char,new_sex=mapvalues(sex,from=c("M","F","U"),to=c("male","female","unknown")))
char = mutate(char, new_mat = mapvalues(mat, from = c(" M","I","M","na","R","RR","S", "U"), to = c("mature", "immature",
"mature", "na", "ripe", "running ripe", "spent", "unknown")))
char = transform(char, fl = as.numeric(fl), wt = as.numeric(wt), age = as.numeric(age))
...

```{r}
by.year = xtabs(~fyear + locWB,data = char)
by.year = as.data.frame(by.year)
g = ggplot(data = by.year) + geom_point(aes(x=fyear, y=locWB, size = Freq), color = 2) + theme_bw() + xlab("Year") +
ylab("Water body")
g + scale_size_continuous(range = c(1,15))

```

```

...
```{r}
char.2 = subset(char, new_mat != "na")
char.2 = subset(char.2, new_mat != "unknown")
char.2 = subset(char.2, new_sex != "na")
char.2 = subset(char.2, new_sex != "unknown")
char.2 = droplevels(char.2)
levels(char.2$new_sex) # you can see the unwanted levels are dropped
ftable(xtabs(~locWB+fyear+new_sex+new_mat,data = char.2))
...

```{r}
lw = filterD(char, fyear=="2014") # filter out only the year you're interested in
lw = select(lw,fl, wt, locWB, new_sex) # select the variables you want to work with
lw = lw[lw$fl != 0,] # omit observations with 0 length
len = data.frame(x = lw$fl, y = lw$locWB, na.rm = TRUE)
ggplot(len, aes(x=x, fill=y)) + geom_histogram(alpha=0.2, position="identity", binwidth = 10)
weight = data.frame(x = lw$wt, y = lw$locWB, na.rm = TRUE)
ggplot(weight, aes(x=x, fill=y)) + geom_histogram(alpha=0.2, position="identity", binwidth = 10)
qplot(fl, wt,data = lw, colour = locWB, xlab = "fork length (cm)", ylab = "weight (g)", main = "Size comparison")
adults = lw[lw$fl > 220,]
qplot(fl, wt,data = adults, colour = locWB, xlab = "fork length (cm)", ylab = "weight (g)", main = "Size comparison of adults")
pg08 = filterD(adults, locWB=="PG008")
pg027 = filterD(adults, locWB=="PG027")
with(pg08,cor(fl,wt))
with(pg027,cor(fl,wt))
...

```{r}
Summarize(wt~locWB,data=char)
ggplot(char, aes(x= fyear, y = wt, fill = locWB)) +
 geom_boxplot() +
 ggtitle("Fish weights")+
 xlab("Year")+
 ylab("Weight (g)")
hist(wt~locWB,data=char,same.ylim=FALSE)
char.log = mutate(char,logwt=log(wt), logfl=log(fl))
hist(logwt~locWB,data=char.log,same.ylim=FALSE)
anova(lm(formula = logwt ~ locWB * logfl, data = char.log))
...

```{r}
clr1 <- c("black","blue")
clr2 <- col2rgb(clr1,1/3)
plot(wt~fl,data=pg08,pch=19,col=clr2[new_sex],xlab="Fork Length (cm)",ylab="Weight (g)", main = "PG008 adults 2014")
plot(wt~fl,data=pg027,pch=19,col=clr2[new_sex],xlab="Fork Length (cm)",ylab="Weight (g)", main = "PG027 adults 2014")
reg1 = lm(wt~fl*new_sex,data=pg08)
residPlot(reg1)
anova(reg1)
reg2 = lm(wt~fl*new_sex,data=pg027)
residPlot(reg2)
anova(reg2)
char.adults = select(char,fl, wt, locWB, fyear, new_sex)
char.adults = char.adults[char.adults$fl > 220,]
char.adults = char.adults[char.adults$wt < 1300,]
qplot(fl, wt,data = char.adults, colour = locWB, xlab = "fork length (cm)", ylab = "weight (g)", main = "Size comparison")
reg3 = lm(wt~fl*new_sex,data=char.adults)
residPlot(reg3)
anova(reg3)
plot(wt~fl,data=char.adults,pch=19,col=clr2[new_sex],xlab="Fork Length (cm)",ylab="Weight (g)")
...

```{r}
lr1 = lm(wt~fl,data=pg08)
residPlot(lr1)

```

```

summary(lr1)
cbind(ests=coef(lr1),confint(lr1))
lr2 = lm(wt~fl,data=pg027)
residPlot(lr2)
summary(lr2)
cbind(ests=coef(lr2),confint(lr2))
```
```{r}
qplot(age, fl, data = char, colour = locWB, xlab = "age", ylab = "fork length (cm)", main = "size at age")
char.norm = filterD(char, !is.na(fl), !is.na(age), age < 20)
sum <- Summarize(fl~age, data=char.norm, digits=1)
plot(fl~age, data=char.norm, pch=19, col=col2rgb(1,1/5), xlab="Age (yrs)", ylab="Fork Length (cm)")
lines(mean~fact2num(age), data=sum, lwd=2, col="red")
vonb = vbFuns("Typical", msg = TRUE)
start.vb = vbStarts(fl~age, data=char.norm, type="Typical", plot=TRUE)
fit1 = nls(fl~vonb(age, Linf, K, t0), data=char.norm, start=start.vb)
residPlot(fit1)
summary(fit1, correlation=TRUE)
cf = coef(fit1)
plot(fl~age, data=char.norm, pch=19, col=col2rgb(1,1/5), xlab="Age (yrs)", ylab="Fork Length (cm)")
curve(vonb(x, cf), add = TRUE)
```
```{r}
mort2007 = filterD(char, water.type == "freshwater", fyear=="2007", locWB == "PG008", !is.na(fl), !is.na(age))
mort2007 = data.frame(xtabs(~age, data=mort2007))
mort2007 = mutate(mort2007, age=as.numeric(age))
mort2007 = mutate(mort2007, logfreq=log(Freq))
plot(logfreq ~ age, data = mort2007, xlab="Age", ylab="Log Frequency", pch=19)
cc1 = catchCurve(Freq~age, data = mort2007, ages2use = 6:20) #using ages 6-20 to determine the mortality rate
summary(cc1)
plot(cc1)
mort2010 = filterD(char, water.type == "freshwater", fyear=="2010", locWB == "PG008", !is.na(fl), !is.na(age))
mort2010 = data.frame(xtabs(~age, data=mort2010))
mort2010 = mutate(mort2010, age=as.numeric(age))
mort2010 = mutate(mort2010, logfreq=log(Freq))
plot(logfreq ~ age, data = mort2010, xlab="Age", ylab="Log Frequency", pch=19)
cc2 = catchCurve(Freq~age, data = mort2010, ages2use = 12:25)
summary(cc2)
plot(cc2)
```
```{r}
sessionInfo()
#R version 3.3.1 (2016-06-21)
#Platform: x86_64-apple-darwin13.4.0 (64-bit)
#Running under: OS X 10.9.5 (Mavericks)
#[1] en_CA.UTF-8/en_CA.UTF-8/en_CA.UTF-8/C/en_CA.UTF-8/en_CA.UTF-8
#attached base packages:
#[1] stats graphics grDevices utils datasets methods base
#other attached packages:
#[1] ggplot2_2.2.1 FSA_0.8.8 dplyr_0.5.0
#loaded via a namespace (and not attached):
[1] Rcpp_0.12.6 knitr_1.15.1 magrittr_1.5 splines_3.3.1 MASS_7.3-45
[6] munsell_0.4.3 lattice_0.20-33 colorspace_1.2-6 R6_2.1.2 minqa_1.2.4
[11] car_2.1-2 plyr_1.8.4 caTools_1.17.1 tools_3.3.1 parallel_3.3.1
[16] nnet_7.3-12 pbkrtest_0.4-6 grid_3.3.1 nlme_3.1-128 gtable_0.2.0
[21] mgcv_1.8-12 quantreg_5.26 plotrix_3.6-4 KernSmooth_2.23-15 DBI_0.4-1
[26] MatrixModels_0.4-1 gtools_3.5.0 lme4_1.1-12 lazyeval_0.2.0 assertthat_0.1
[31] digest_0.6.9 tibble_1.1 Matrix_1.2-6 nloptr_1.0.4 bitops_1.0-6
[36] labeling_0.3 gdata_2.17.0 gplots_3.0.1 scales_0.4.1 SparseM_1.7
```

```