## Parallel AC Circuits

→ we introduce <u>conductance</u> G, <u>susceptance</u> B, and <u>admittance</u> Y.

• 
$$G = \frac{1}{R}$$
 conductance, in Siemens (S)

Ex: Calculate G.

• 
$$B_L = \frac{1}{X_L}$$
 inductive susceptance, in Siemens (S)

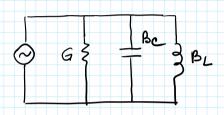
Ex: Calculate B.

• 
$$B_C = \frac{1}{X_C}$$
 capacitive susceptance, in Siemens (S)

Ex: Calculate B.

• 
$$Y = G + j(B_C - B_L) = \frac{1}{Z}$$
, in Siemens (S)

Ex: Calculate Y for the circuit below. Use the previous components.



#### **Power in AC Circuits**

- Case 1 Purely Resistive Circuits
  - In a circuit that only contains only resistive components, the dissipated power is found using the same relations we used explored earlier in this course:

$$P_{Ave} = I_{RMS} V_{RMS}$$

$$P_{Ave} = I_{RMS}^2 R$$

$$P_{Ave} = \frac{V_{RMS}^2}{R}$$

- Case 2 RC, RL, and RLC Circuits
  - o Recall that reactive components (capacitors, and inductors) do not dissipate power like resistors do, but rather they only store energy and release energy again
  - In a circuit that contains a combination of resistance and reactive components, power is only dissipated by the resistive component

$$P_{Ave} = I_{RMS} V_{RMS} (\cos \theta)$$

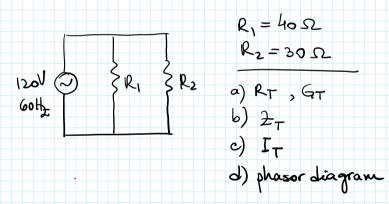
Where  $(\theta)$  is the circuit angle

The expression power can also be written in a form that is common to the electrical power industry

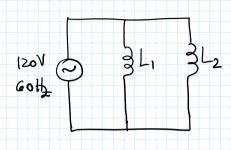
$$P_{Ave} = I_{RMS} V_{RMS} (pf)$$

Where (pf) is the power factor equal to  $\cos \theta$ 

### Resistors in Parallel



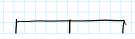
## Inductors in Parallel



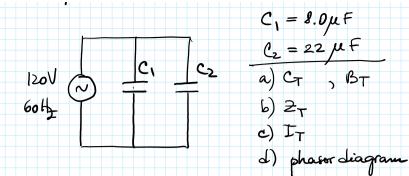
$$L_1 = 0.2 H$$
 $L_2 = 0.5 H$ 

- a) L<sub>T</sub>
  b) X<sub>LT</sub>, b<sub>T</sub>
  c) Z<sub>T</sub>
  d) I<sub>T</sub>

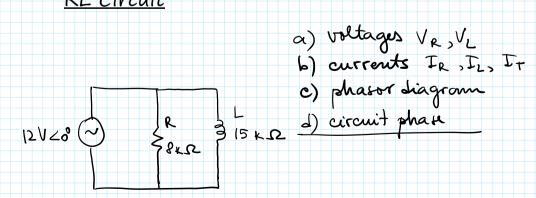
  - e) phasor Liagram



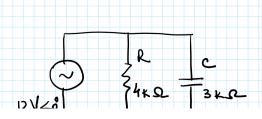
$$C_1 = 8.0 \mu F$$



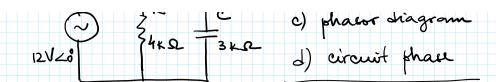
# RL Circuit



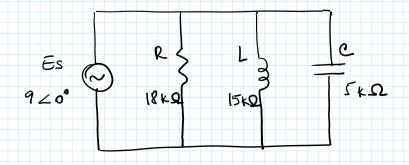
# RC Circuit



- a) voltages Vs, Ve, Vc
- 6) currents IR, Ic, IT c) phaeor diagram
- 1) circuit that



# RLC Circuit



- a) voltages
- b) currents
- c) phasor diagram d) admittance diagram
- e) circuit phase