IBM Research

Evaluating and Routing LLMs Efficiently with Benchmarks

Mikhail Yurochkin

Evaluation of LLMs

Capability	Benchmark Higher is better	Description	Gemini Ultra
General	MMLU	Representation of questions in 57 subjects (incl. STEM, humanities, and others)	90.0% CoT@32*
Reasoning	Big-Bench Hard	Diverse set of challenging tasks requiring multi-step reasoning	83.6% 3-shot
	DROP	Reading comprehension (F1 Score)	82.4 Variable shots
	HellaSwag	Commonsense reasoning for everyday tasks	87.8% 10-shot*

IIM Benchmarks



BIG-bench



116 Scenarios

200+ Tasks



Open LLM Leaderboard

MMLU, HellaSwag, ... Results for 1000+ models!

tinyBenchmarks: evaluating LLMs with fewer examples

Felipe Maia Polo, Lucas Weber, Leshem Choshen, Yuekai Sun, Gongjun Xu, *Mikhail Yurochkin*

Open LLM Leaderboard

- MMLU: 14042 inputs
- HellaSwag: 10042 inputs
- Total: ~30k inputs, 6 scenarios

Main Ideas

Estimate performance of a new LLM using much smaller number of inputs

Identify inputs most helpful to quantify LLM abilities

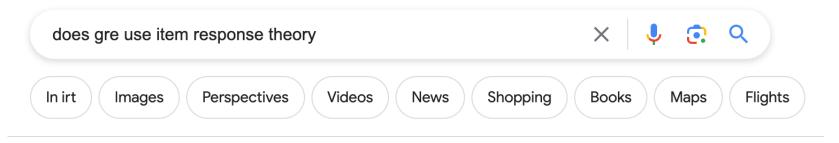


Demonstration

Colab LINK



Item Response Theory



About 2,720,000 results (0.39 seconds)

Today, all major educational tests, such as the Scholastic Aptitude Test (SAT) and Graduate Record Examination (GRE), are developed by using item response theory, because the methodology can significantly improve measurement accuracy and reliability while providing potentially significant reductions in assessment time ...

Item Response Theory

- Represent each example as a vector of required skills and each LLM as a vector of abilities
- LLM performs well on an example if its abilities match the required skills
- A small subset of examples is enough to "test" LLM abilities

Item Response Theory

$$p_{il} \triangleq \mathbb{P}(Y_{il} = 1 | \theta_l, \alpha_i, \beta_i) = \frac{1}{1 + \exp(-\alpha_i^{\mathsf{T}} \theta_l + \beta_i)}$$

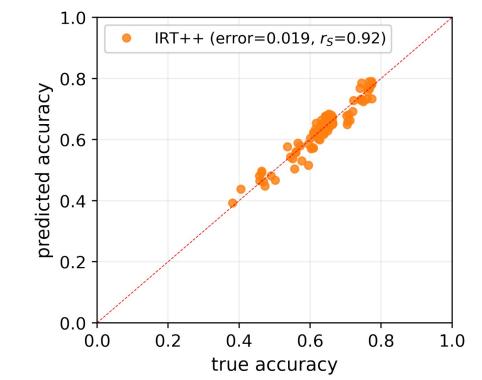
Required skills for Abilities of model l example i

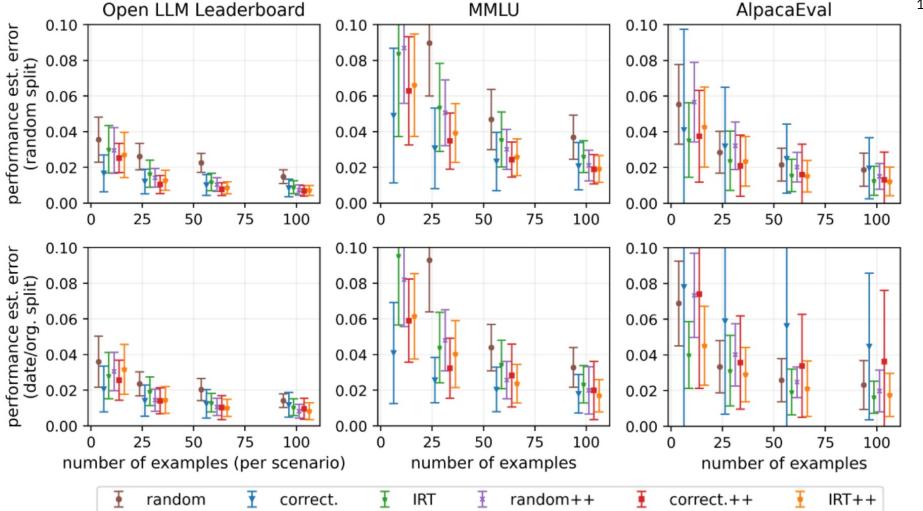
- 1. Cluster (α_i, β_i) to find a "tiny" subset of points to evaluate
- 2. Estimate θ_l for a new LLM using evaluations on the "tiny" subset
- 3. Predict correctness on the remaining examples
- 4. Combine observed and predicted correctness to estimate overall performance

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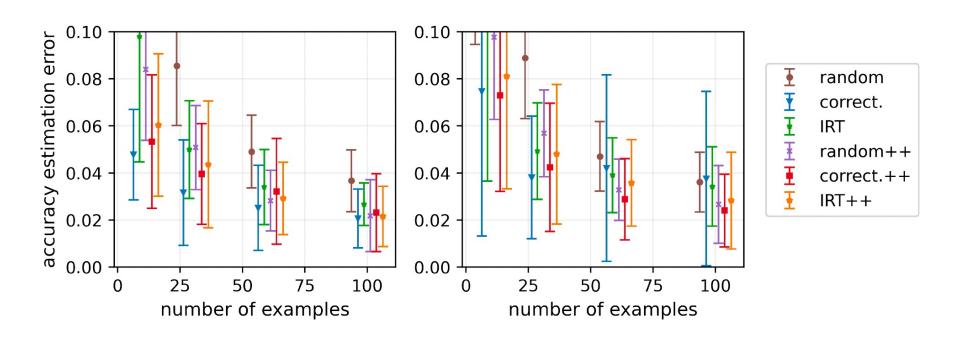
tinyMMLU = 100 examples

Saving 140x compute!





MMLU: Specialized Models





Demonstration

Colab LINK



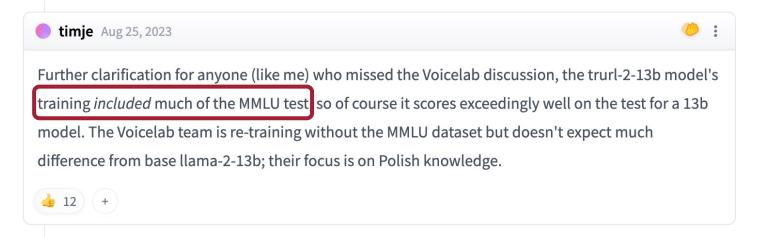
Limitation or a Feature?



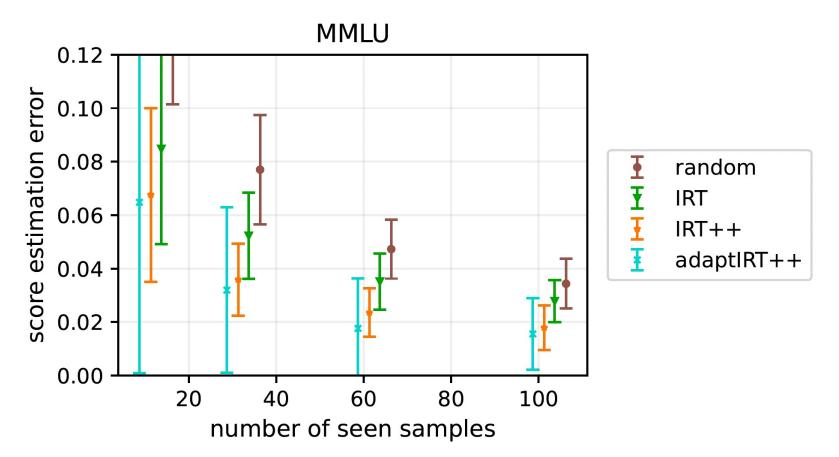
Mikhail Yurochkin 11:48 PM

I checked our method on a "flagged" model that has been confirmed to have MMLU in its train set.

Model: open-llm-leaderboard/details_Aspik101__trurl-2-13b-pl-instruct_unload
- True accuracy: 0.787
- Predicted accuracy based on anchor points (IRT): 0.756
- Predicted accuracy based on p-IRT: 0.716
- Predicted accuracy based on gp-IRT (IRT++): 0.721



MMLU: Choosing samples adaptively



Benchmarking Prompts

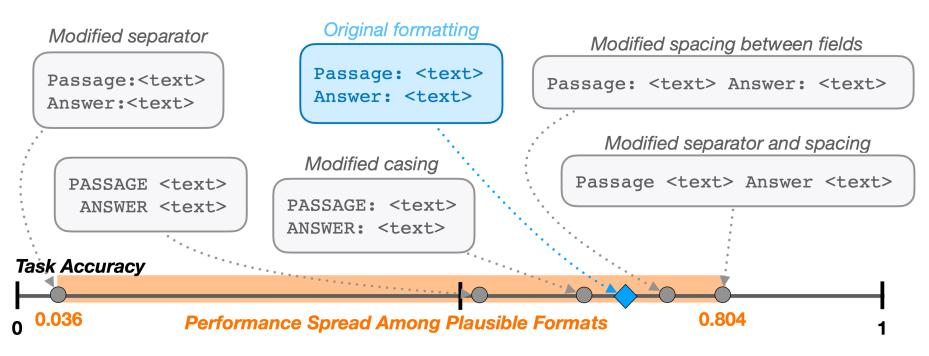
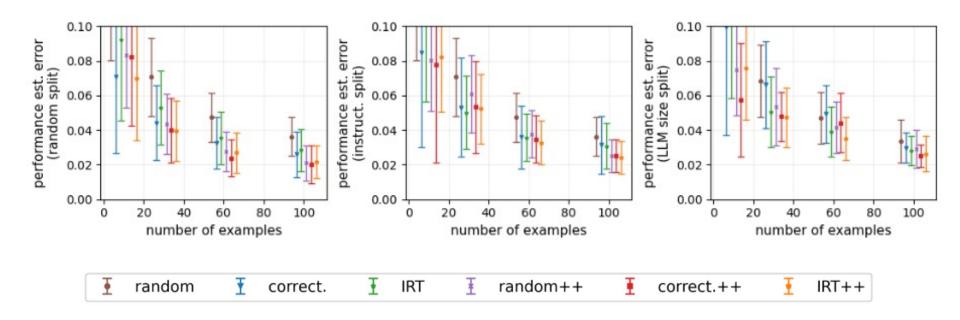
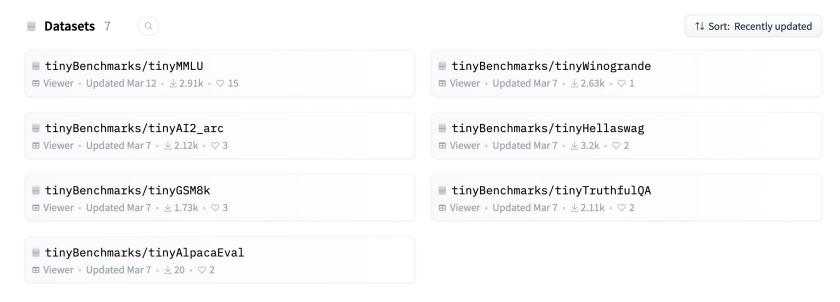


Image is from "Quantifying Language Models' Sensitivity to Spurious Features in Prompt Design or: How I learned to start worrying about prompt formatting" (Sclar et al., 2023)

Benchmarking Prompts



tinyBenchmarks on Hugging Face



~15k downloads last month



Questions?

LLM Routing with Benchmark Datasets

Tal Shnitzer*, Anthony Ou*, Mírian Silva, Kate Soule, Yuekai Sun, Justin Solomon, Neil Thompson, *Mikhail Yurochkin*

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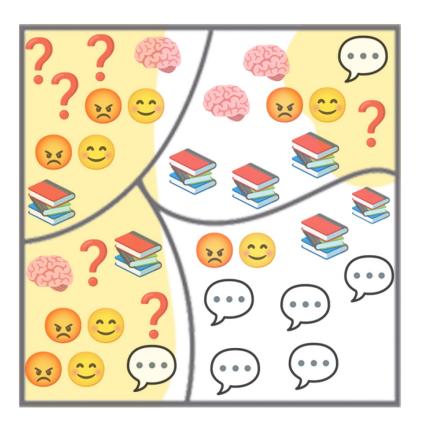
Main Ideas

Use LLM Benchmark evaluations to Learn their Strengths: simple classification problem

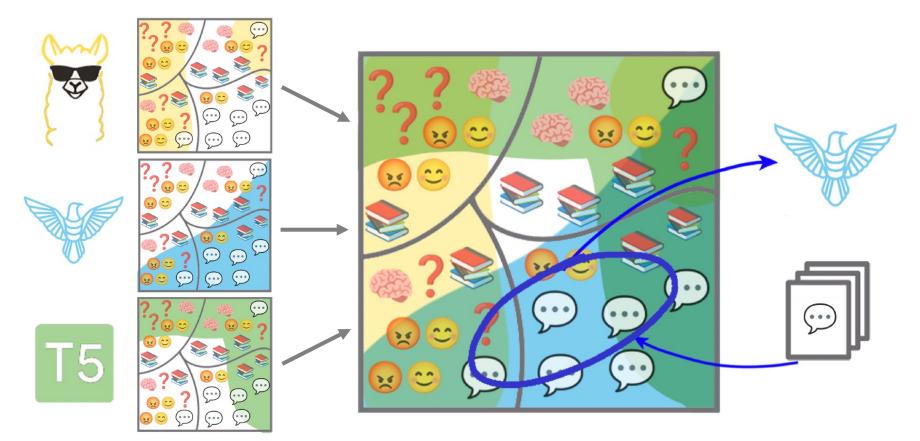
Choose LLM for a New Task using "Correctness Predictors"

Learning "correctness" of LLMs





LLM Routing



Relation to OOD Generalization

- New tasks are likely to differ from Benchmark Datasets
- If we can predict correctness of LLMs OOD accurately, we are good to go!



• But it is hard...





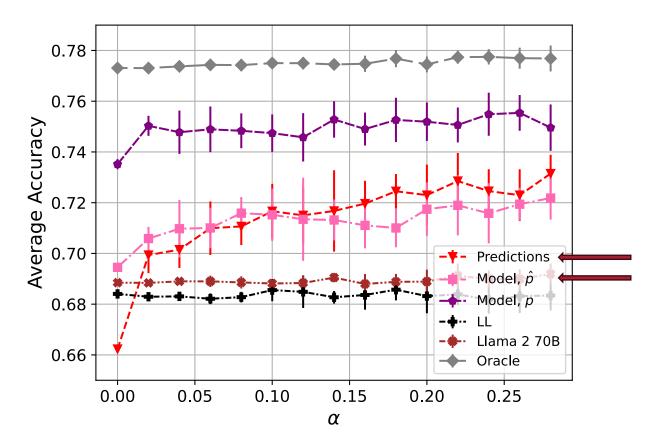
Modeling Correctness

- Correctness predictor for an LLM $\bar{g}: Input \ Text \to \{0,1\}$
- Correctness of an LLM $y: Input \ Text \rightarrow \{0, 1\}$
- Standard goal: achieve high accuracy $\sum_{i} \mathcal{I}(\bar{g}(x_i) = y(x_i))$
- LLM routing: estimate $\sum_i y(x_i)$ for a new task d'

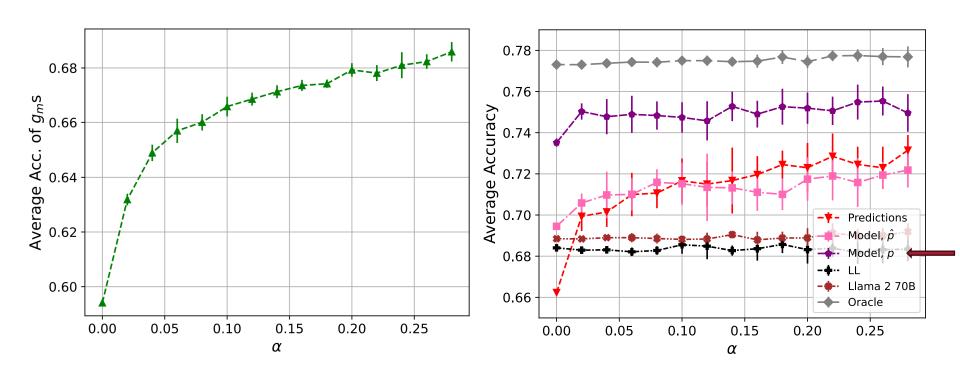
$$y(x)|x,d' = \begin{cases} \bar{g}(x) & \text{with probability } p(d') \\ 1-\bar{g}(x) & \text{with probability } 1-p(d'), \end{cases}$$

where p(d') is accuracy of \bar{g} on d'.

LLM Routing outperforms largest model (Llama 2 70B) using fewer (~40B-50B) parameters on average

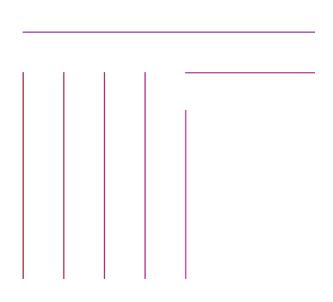


Making decisions OOD with Imperfect Predictors



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Thank You!





Questions?