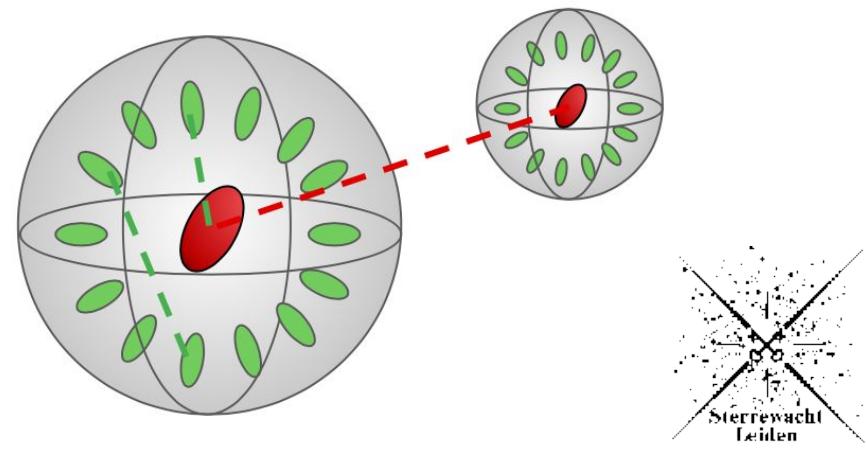


# THE HALO MODEL AS A VERSATILE TOOL TO PREDICT INTRINSIC ALIGNMENTS

MARIA CRISTINA FORTUNA  
Leiden Observatory

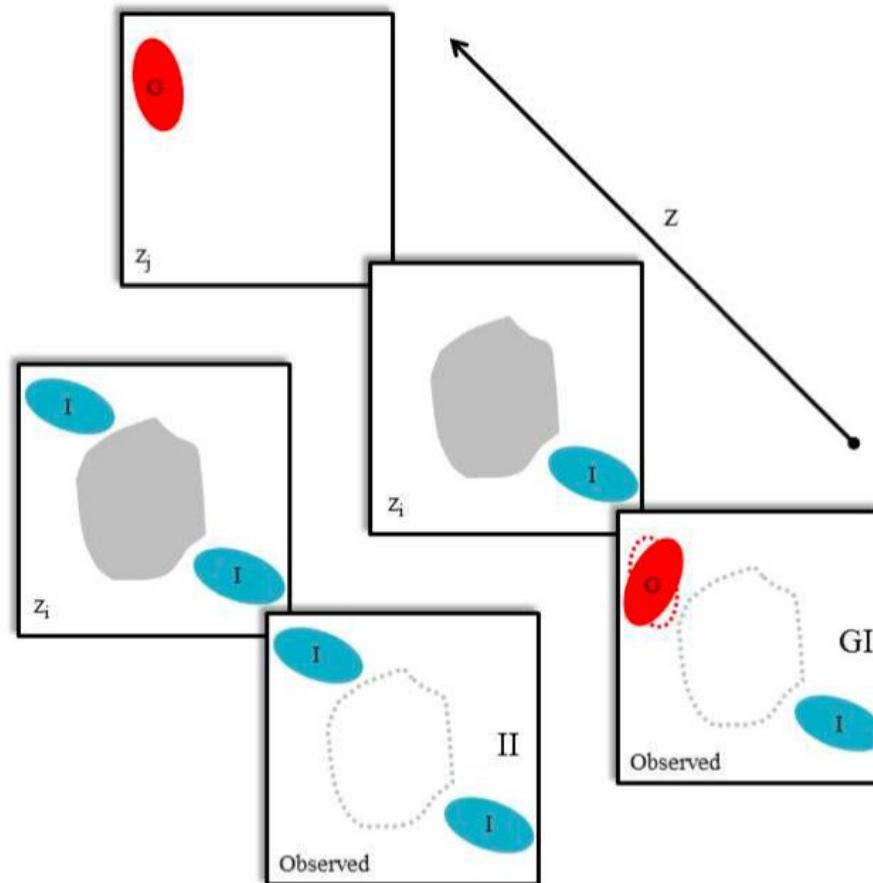
arXiv:2003.02700

GCCL SEMINAR, March 20, 2020



# INTRINSIC ALIGNMENT : AN INTRODUCTION

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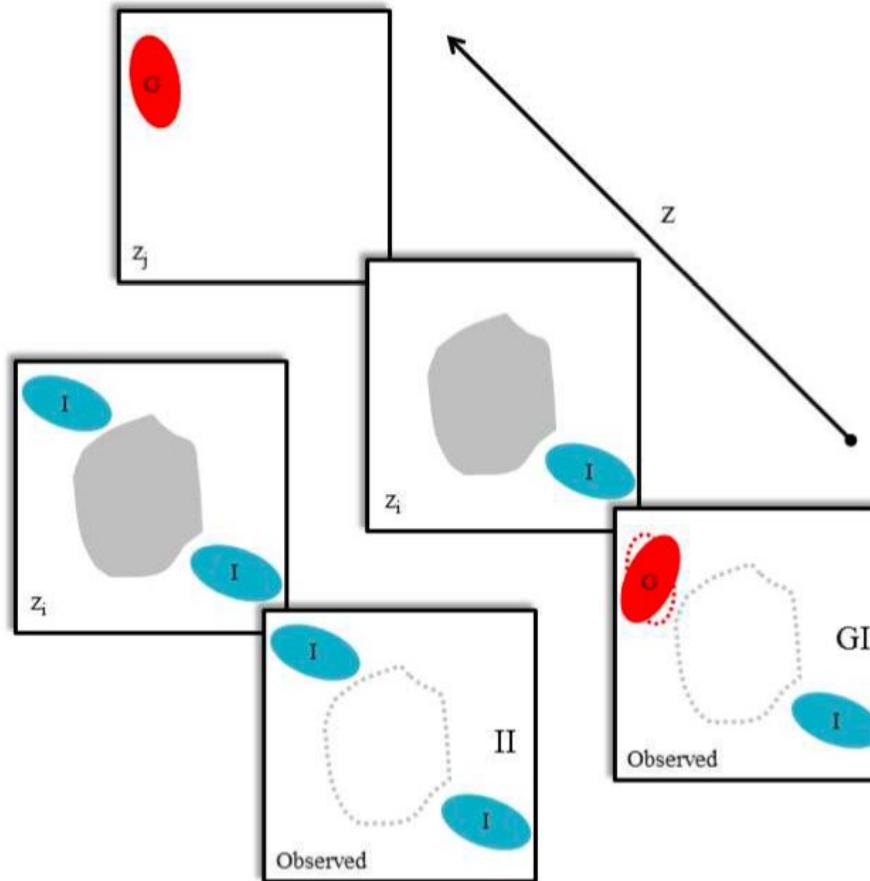
Troxel & Ishak 2015

# INTRINSIC ALIGNMENT : NOMENCLATURE

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## INTRINSIC- INTRINSIC (II)

close pair of galaxies tend to coherently align due to the effect of the same tidal field

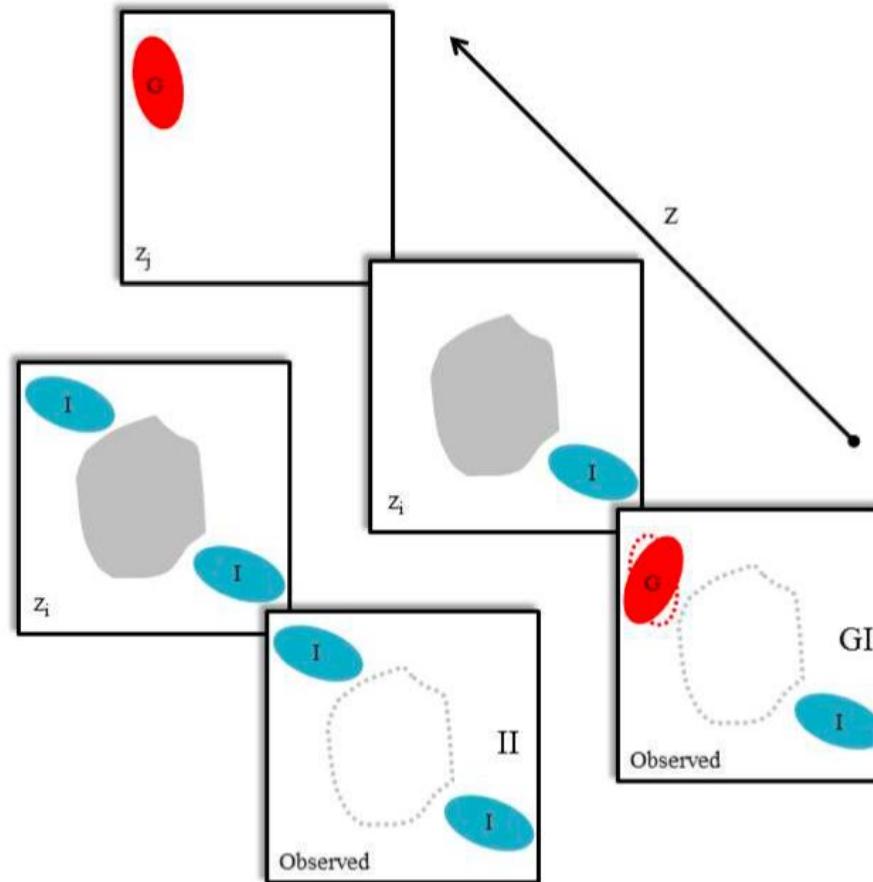


Troxel & Ishak 2015

# INTRINSIC ALIGNMENT : NOMENCLATURE

## INTRINSIC- INTRINSIC (II)

close pair of galaxies tend to coherently align due to the effect of the same tidal field



## MATTER- INTRINSIC (GI)

the same matter overdensity simultaneously lenses one galaxy from the background and align one galaxy in the foreground

Troxel & Ishak 2015

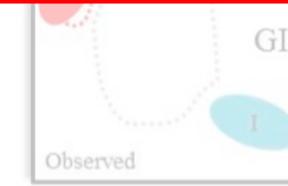
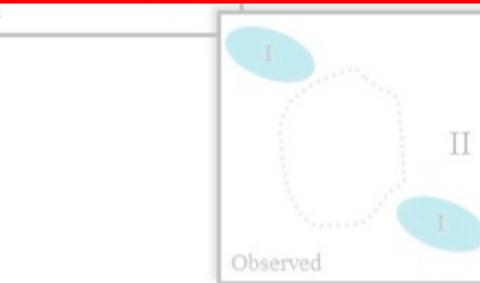
# INTRINSIC ALIGNMENT : NOMENCLATURE

The diagram illustrates the decomposition of observed alignment into two components: GG (Galaxy-Galaxy) and GI (Galaxy-Intrinsic). A red box highlights the equation for the observed alignment.

$$\underbrace{\langle \epsilon_i \epsilon_j \rangle}_{\text{observed}} = \underbrace{\langle \gamma_i \gamma_j \rangle}_{\text{GG}} + \underbrace{\langle \epsilon_i^s \epsilon_j^s \rangle}_{\text{II}} + \underbrace{\langle \gamma_i \epsilon_j^s \rangle}_{\text{GI}} + \underbrace{\langle \epsilon_i^s \gamma_j \rangle}_{\text{GI}}$$

MATTER-INTRINSIC (GI)

galaxies tend to coherently align due to the effect of the same tidal field



align one galaxy in the foreground

Troxel & Ishak 2015

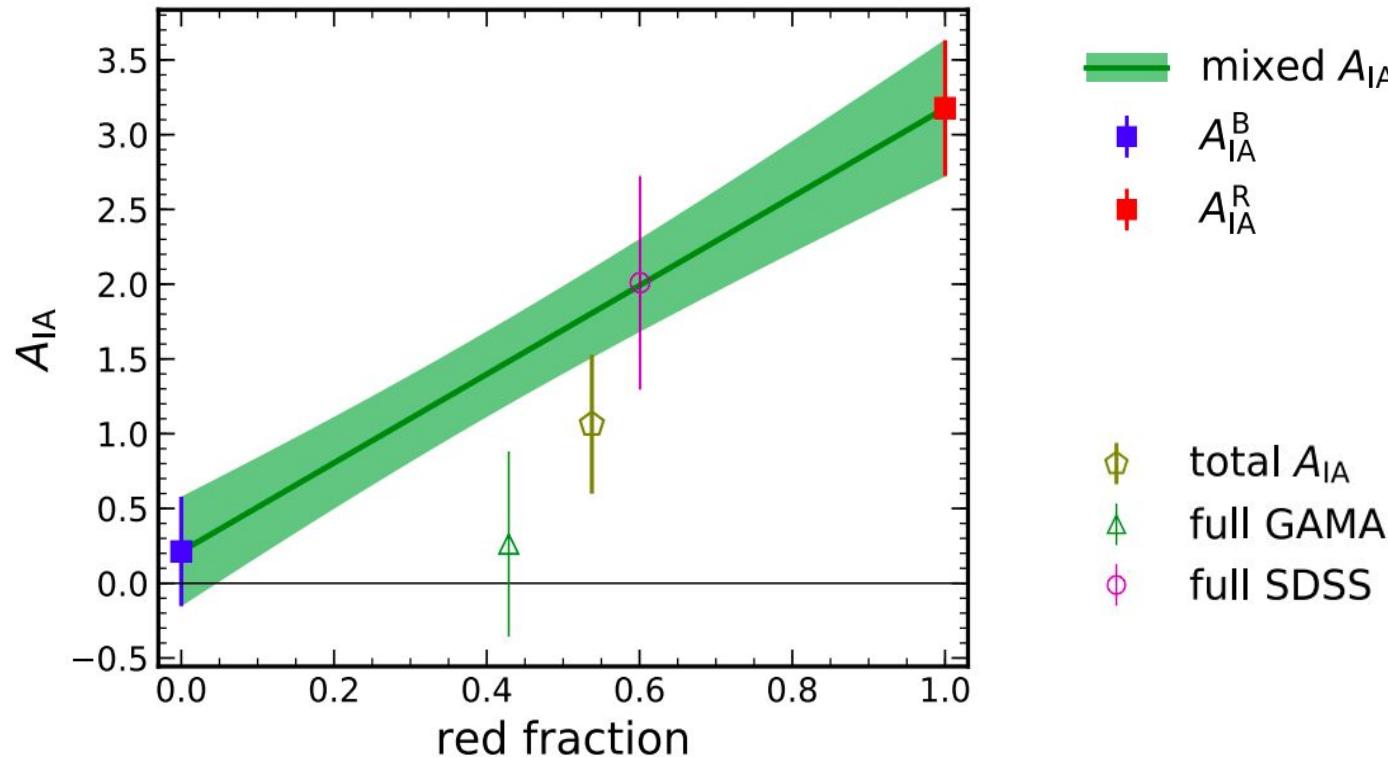
# INTRINSIC ALIGNMENT : MEASURING THE SIGNAL

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$$G \leftarrow g$$

- We cannot directly measure the GI term
- We measure the projected correlation between galaxy shapes and galaxy positions, using galaxies as tracers of the underlying matter distribution
- A number of studies have found a significant signal for red (bright) galaxies
- No significant detection of blue galaxy alignment
- IA galaxy studies typically use galaxy samples which are not representative of cosmic shear surveys

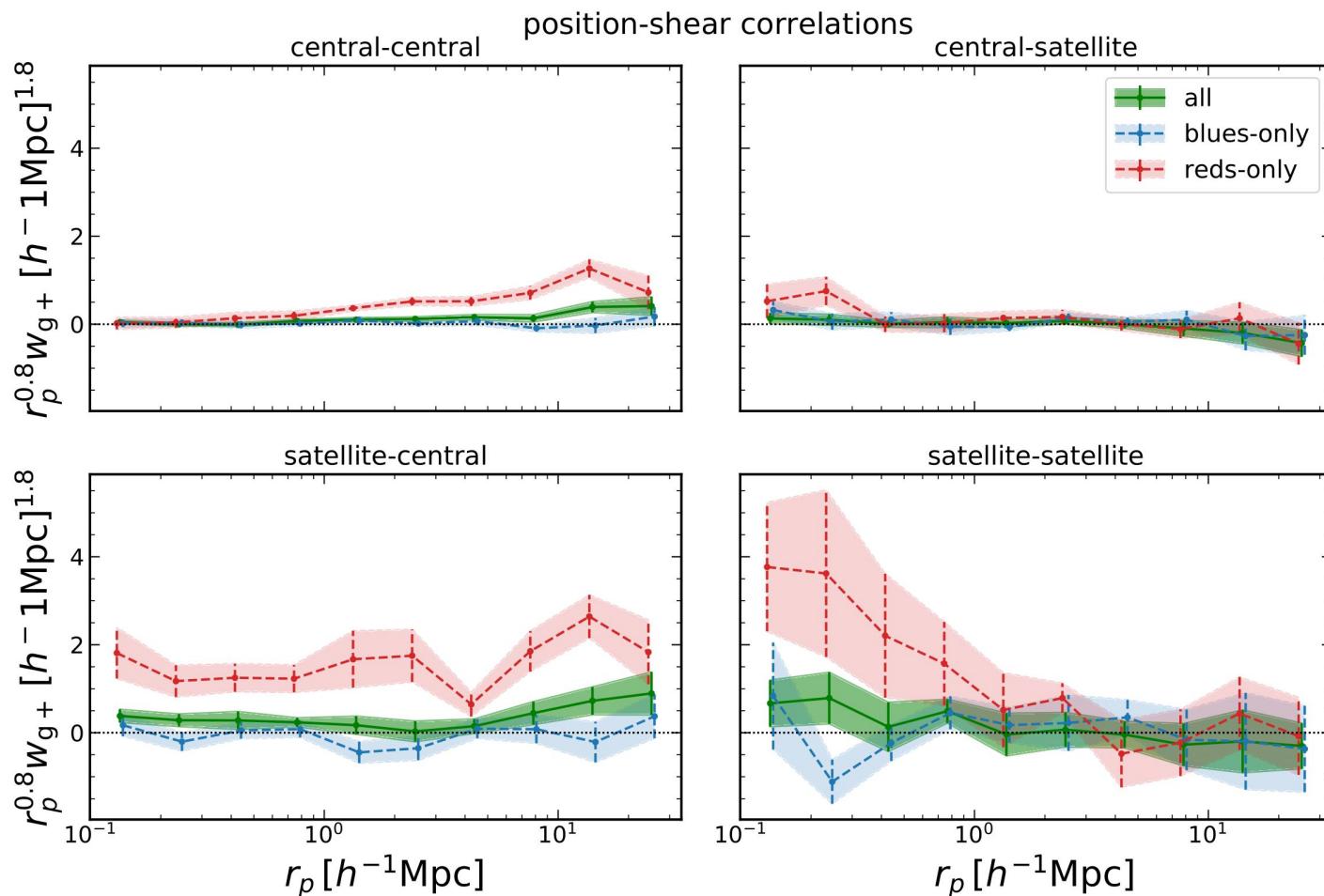
# HOW SATELLITE GALAXIES COMPLICATE THE PICTURE



$$A_{\text{IA}} = A_{\text{IA}}^{\text{R}} f_{\text{red}} + A_{\text{IA}}^{\text{B}} (1 - f_{\text{red}})$$

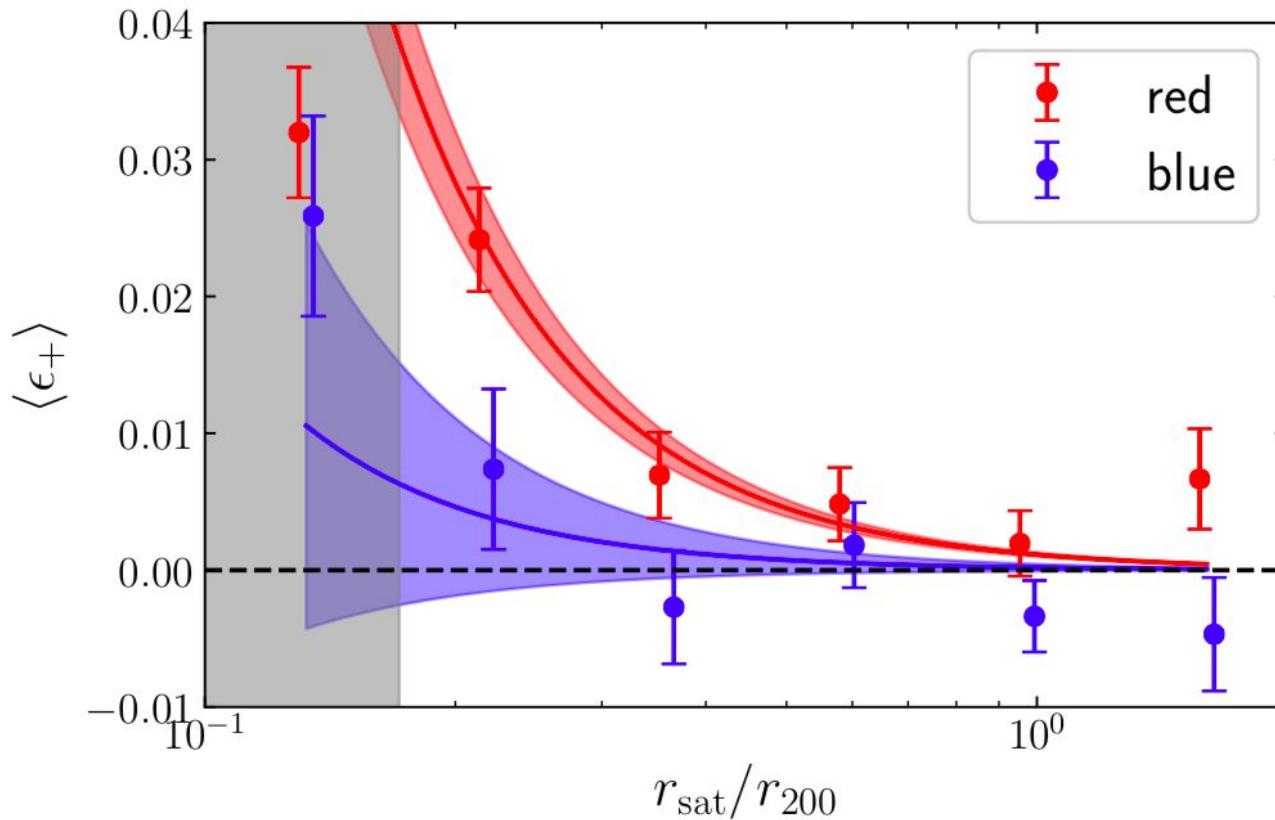
Johnston et al. 2019

# HOW SATELLITE GALAXIES COMPLICATE THE PICTURE



Johnston et al. 2019

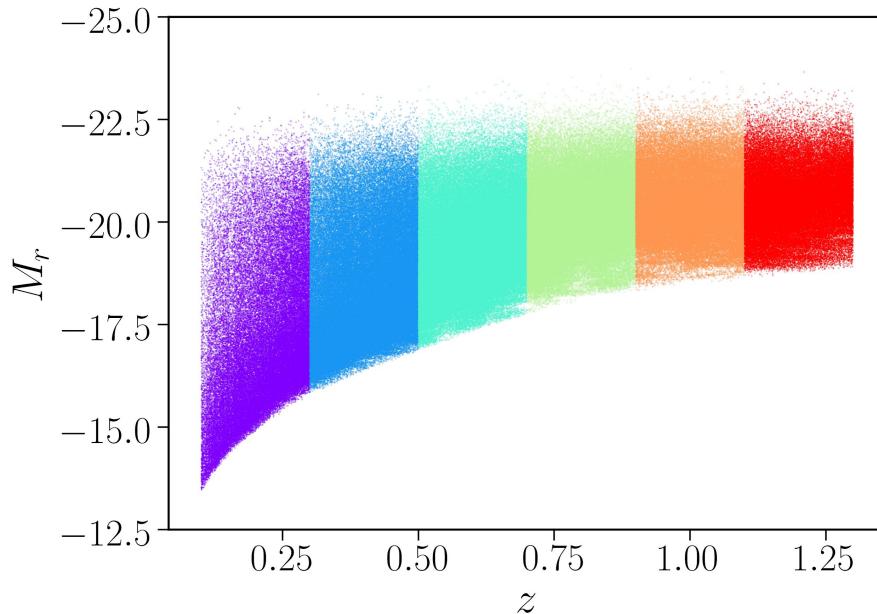
# HOW SATELLITE GALAXIES COMPLICATE THE PICTURE



Georgiou et al. 2019b

# COSMIC SHEAR AND IA SAMPLE DEPENDENCE

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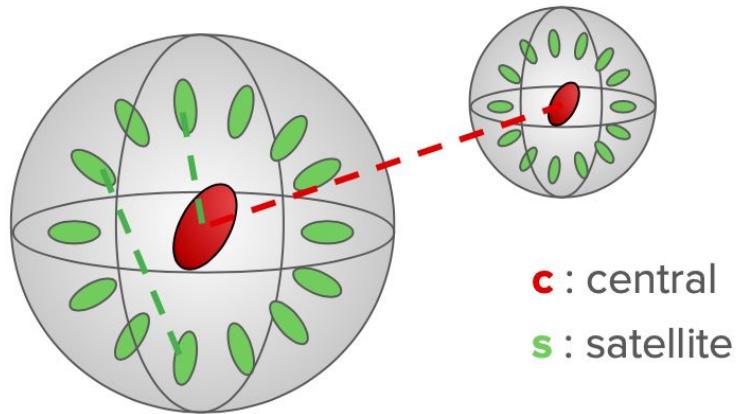
We make use of MICE simulations, selecting galaxies that resemble a Stage III (KiDS-like) survey:

- $\sim 1000 \text{ deg}^2$
- $r < 24$
- $0.1 < z < 1.2$
- 6 redshift bins

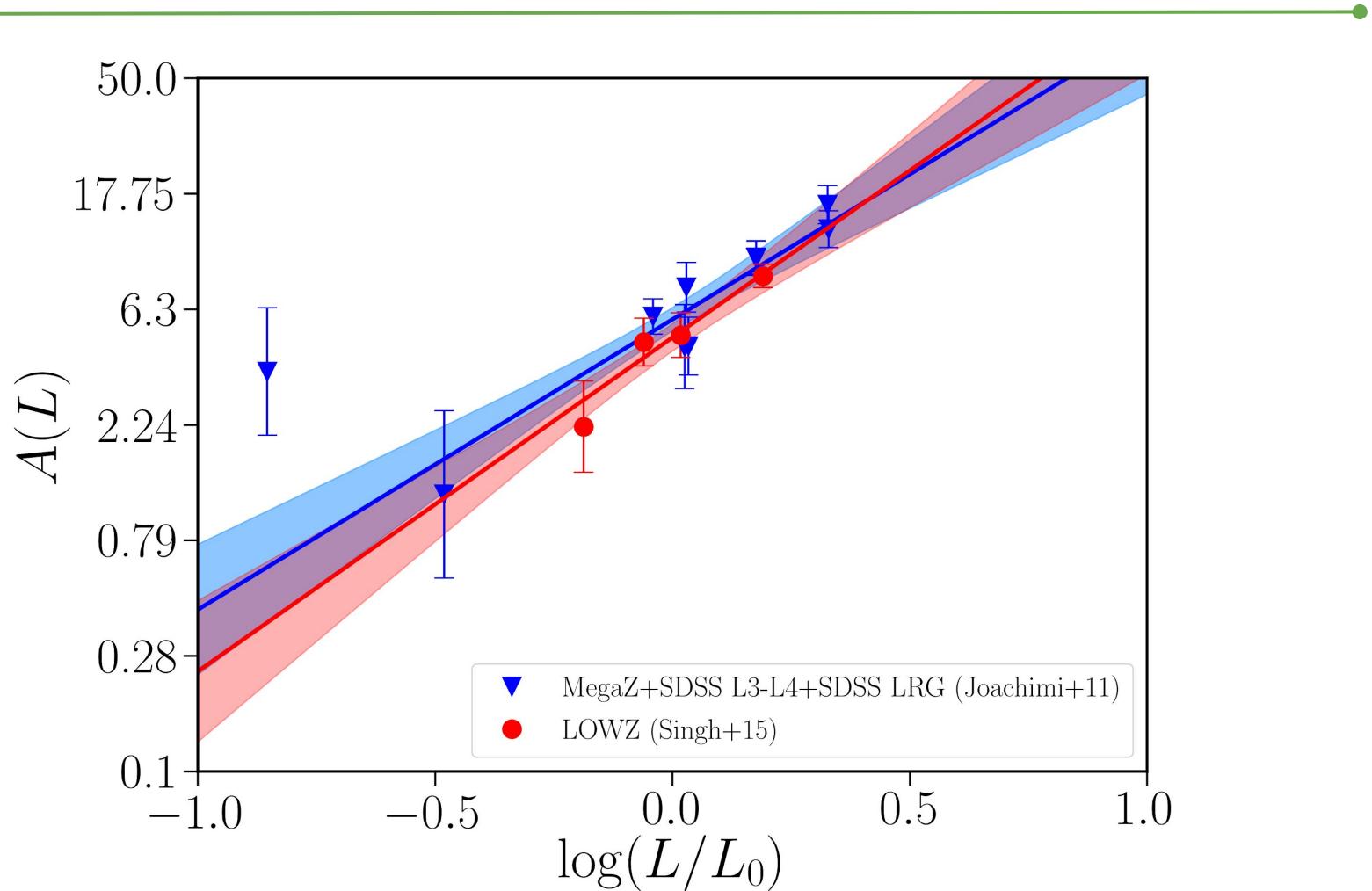
We simulate a cosmic shear survey to explore how the IA sample dependence propagates to the full lensing signal

# LARGE SCALES

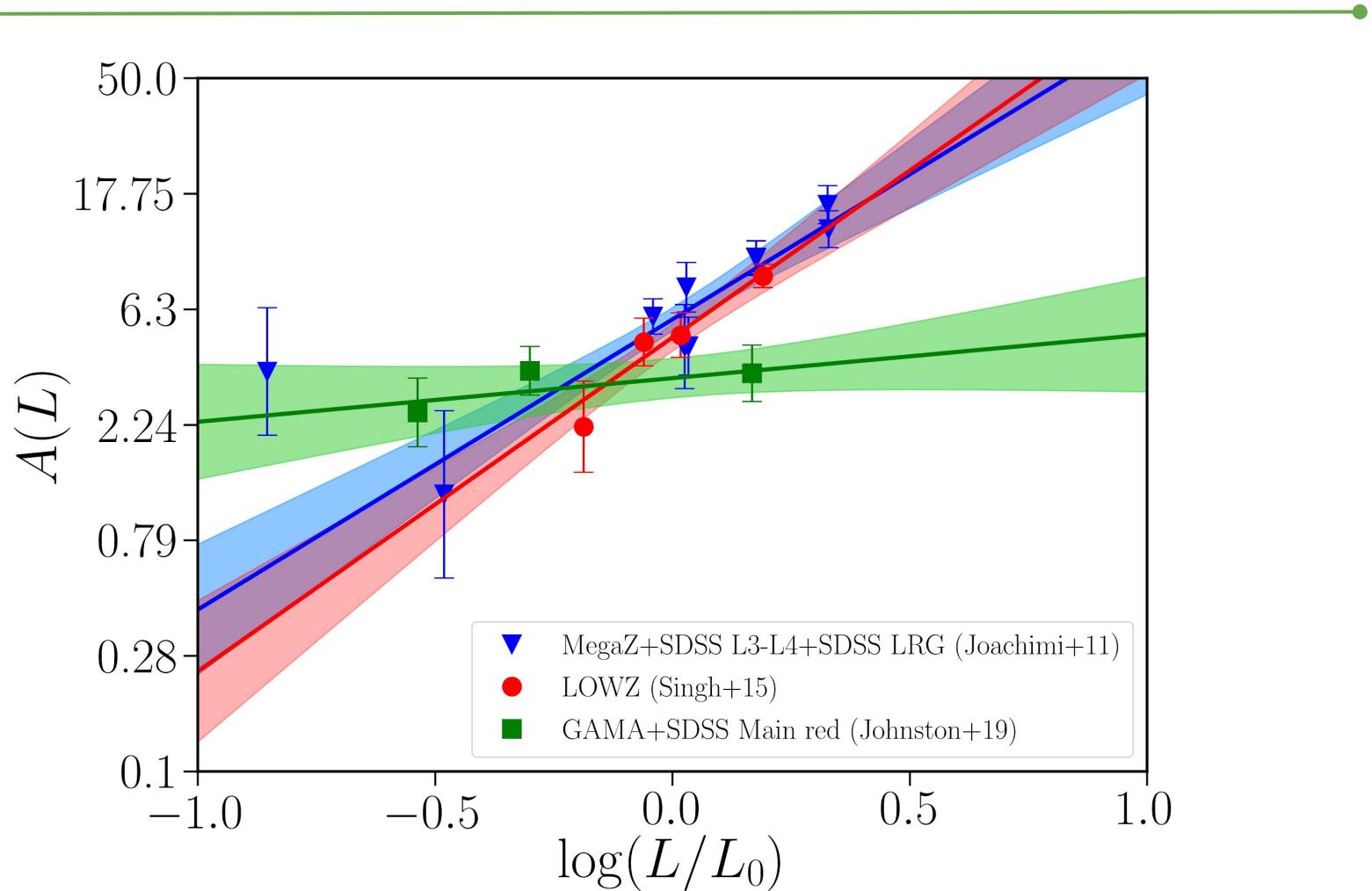
## (2-halo term)



# THE LUMINOSITY DEPENDENCE AT LARGE SCALES

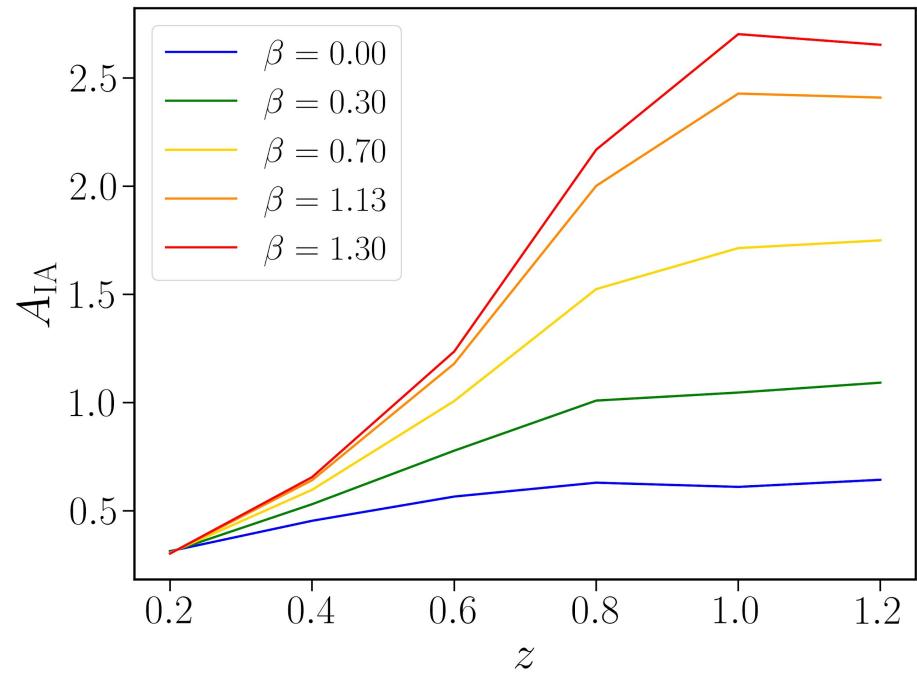
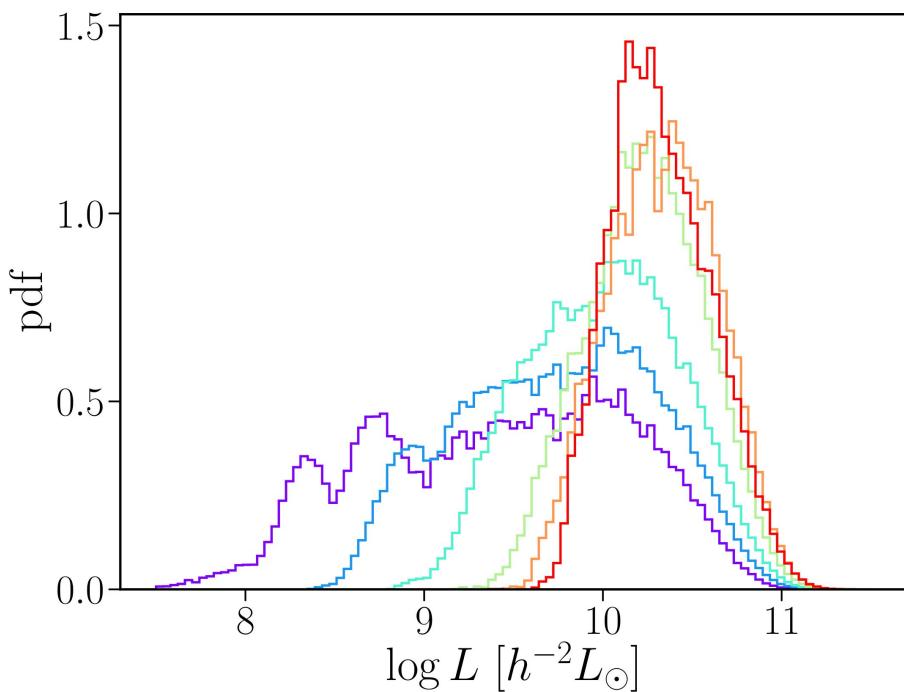


# THE LUMINOSITY DEPENDENCE AT LARGE SCALES



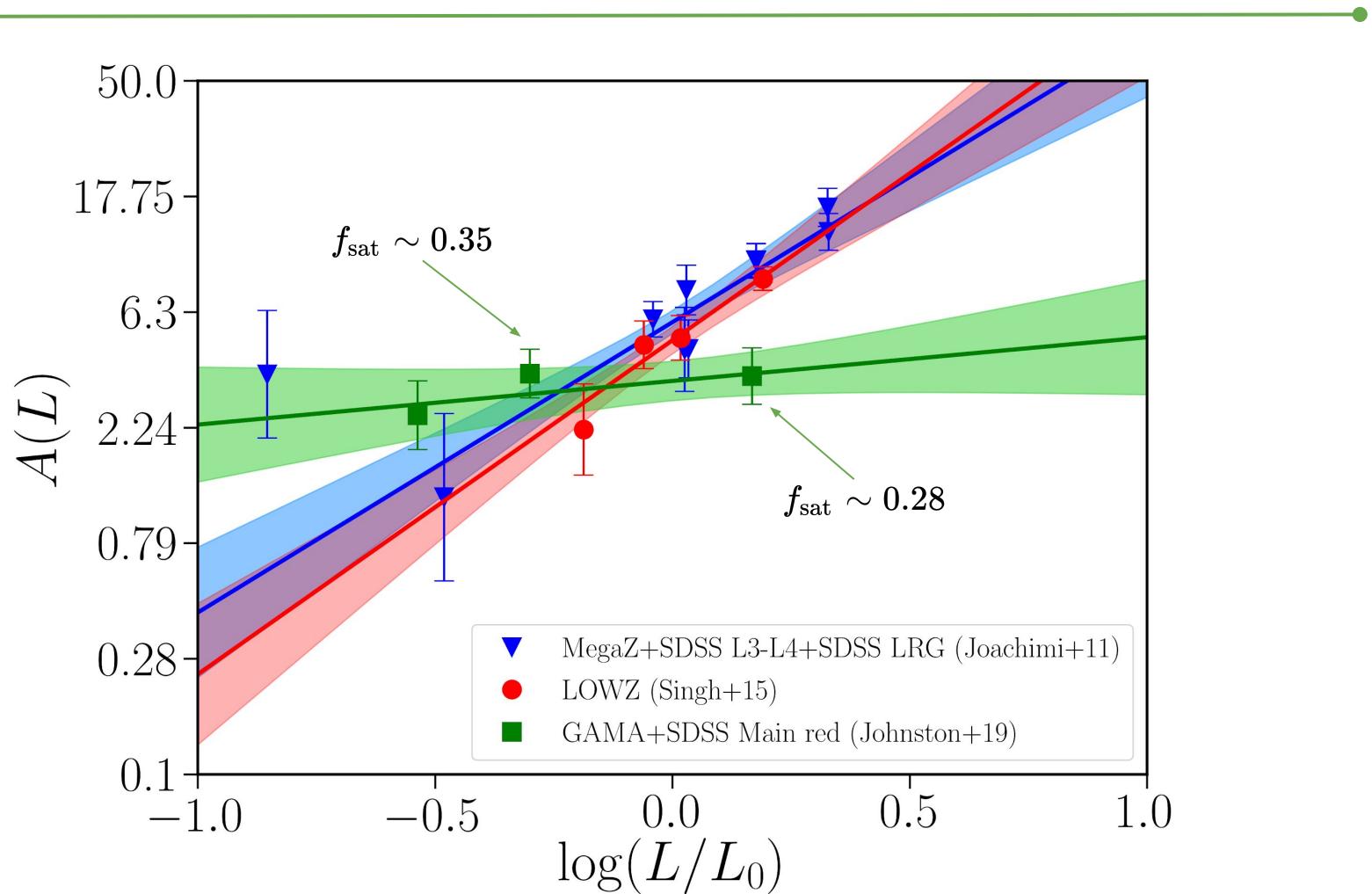
# SAMPLE DEPENDENCE OF THE SIGNAL

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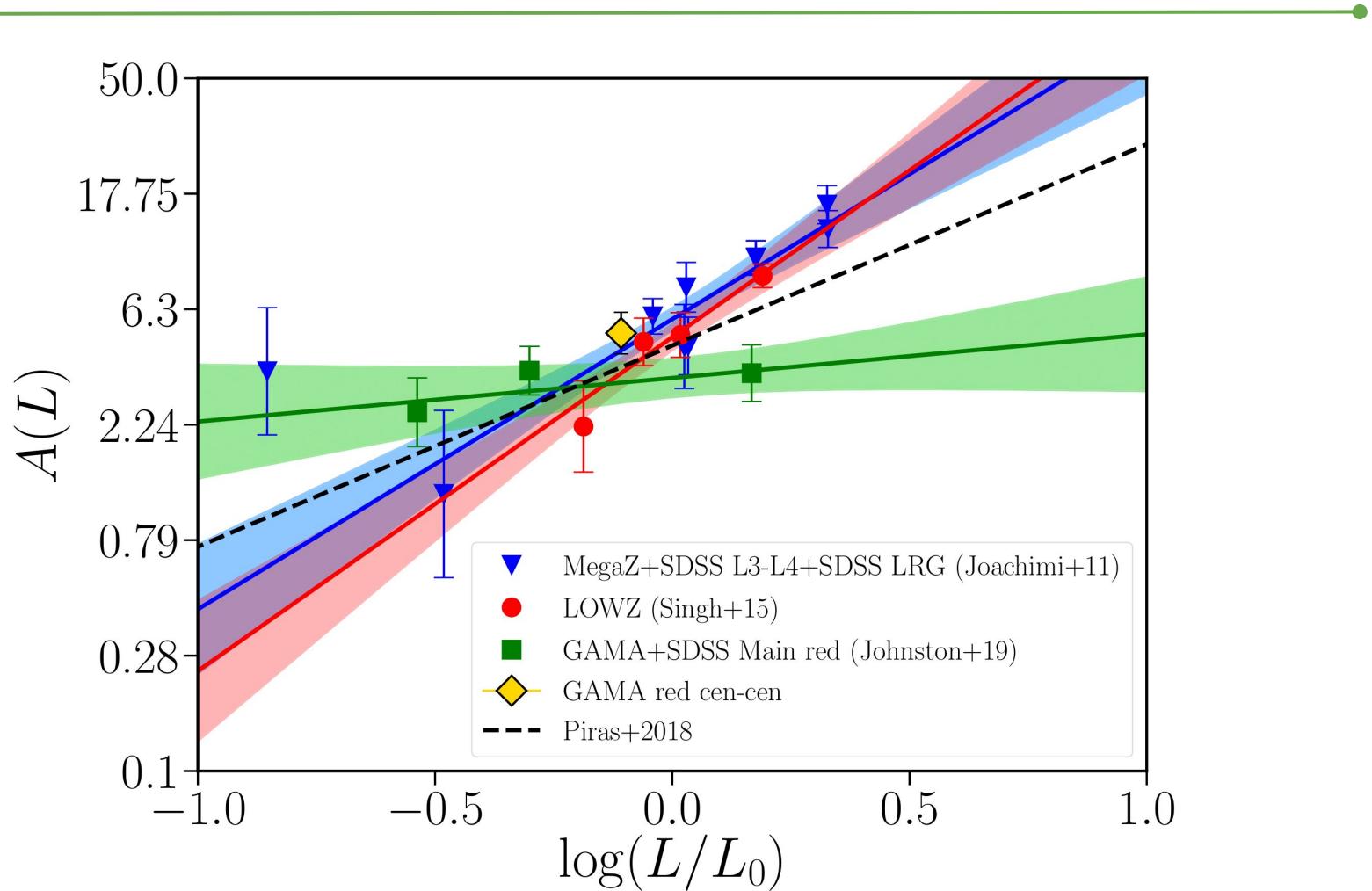


Galaxy luminosities vary between the z-bins and can imprint a different alignment signal in different tomographic bins

# THE LUMINOSITY DEPENDENCE AT LARGE SCALES



# THE LUMINOSITY DEPENDENCE AT LARGE SCALES



# 2-HALO POWER SPECTRA

---

Matter - Intrinsic:

$$P_{\delta I}^{2h}(k, z) = f_{cen}^{\text{red}}(z) \left\langle \left( \frac{L_{\text{cen}}^{\text{red}}}{L_0} \right)^{\beta} \right\rangle P_{\delta I}^{\text{red}}(k, z) + f_{cen}^{\text{blue}}(z) P_{\delta I}^{\text{blue}}(k, z)$$



The usual NLA model with the different best-fit amplitudes for the given sample

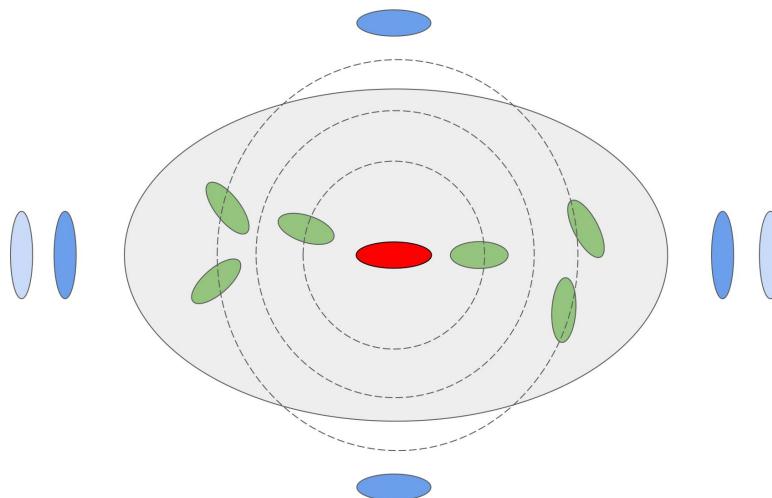
$$P_{\delta I}^{\text{LA}}(k, z) = A_{IA} C_1 \rho_c \frac{\Omega_m}{D(z)} P_{\delta}^{\text{lin}}$$

Intrinsic - Intrinsic:

$$P_{II}^{2h}(k, z) = (f_{cen}^{\text{red}}(z))^2 \left\langle \left( \frac{L_{\text{cen}}^{\text{red}}}{L_0} \right)^{2\beta} \right\rangle P_{II}^{\text{red}}(k, z) + (f_{cen}^{\text{blue}}(z))^2 P_{II}^{\text{blue}}(k, z)$$

# SMALL SCALES

(1-halo term)



# THE HALO MODEL FORMALISM FOR SATELLITE ALIGNMENT

---

We define the density-weighted shear per halo as (Schneider&Bridle 2010):

$$\tilde{\gamma}_{\text{1-halo}}^I(\mathbf{r}, M) = \bar{\gamma}^I(r, M) \sin \theta e^{2i\phi} N_g u(\mathbf{r}|M), \quad (1)$$

intrinsic shear      density-weighting  
(stick model)

This is necessary because we can only measure the IA signal at galaxy locations

and construct a continuous intrinsic shear density field by summing up the contribution from each individual halo:

$$\begin{aligned} \tilde{\gamma}_s^I(\mathbf{r}) &= \frac{1}{\bar{n}_g} \sum_i \gamma^I(\mathbf{r} - \mathbf{r}_i, M_i) N_{g,i} u(\mathbf{r} - \mathbf{r}_i, M_i) \\ &= \sum_i \int dM \int d^3r' \delta_D(M - M_i) \delta_D^{(3)}(\mathbf{r} - \mathbf{r}_i) \frac{N_{g,i}}{\bar{n}_g} \\ &\quad \times \gamma^I(\mathbf{r} - \mathbf{r}', M) u(\mathbf{r} - \mathbf{r}', M), \end{aligned}$$

Analogous to the matter density field, where instead of (1) you have the density profile inside the halo

# THE HALO MODEL FORMALISM FOR SATELLITE ALIGNMENT

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We can then correlate the shear with itself and the matter density field to find the relevant observables. In Fourier space we have:

$$P_{\delta\text{I}, \text{1h}}^s(\mathbf{k}, z) = \int dM n(M) \frac{M}{\bar{\rho}_m} f_s(z) \frac{\langle N_s | M \rangle}{\bar{n}_s(z)} |\hat{\gamma}_s^I(\mathbf{k}|M)| u(k, M)$$

Fourier transform of the weighted density shear

$$P_{\text{II}, \text{1h}}^{ss}(\mathbf{k}, z) = \int dM n(M) f_s^2(z) \frac{\langle N_s (N_s - 1) | M \rangle}{\bar{n}_s^2(z)} |\hat{\gamma}_s^I(\mathbf{k}|M)|^2$$

Schneider&Bridle 2010 demonstrated that the central-satellite term is subdominant, such that the only relevant terms are the

- II: satellite-satellite
- $\delta\text{l}$ : matter-satellite

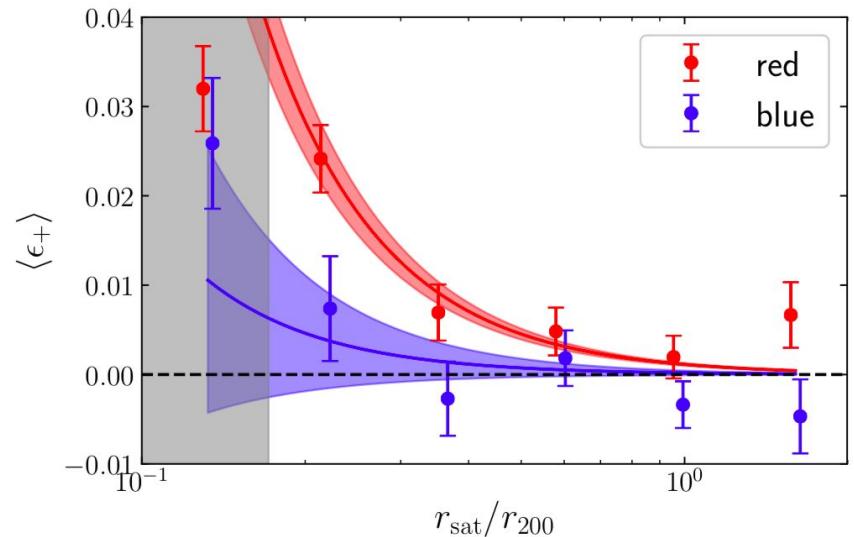
so we only include those two terms in our analysis.

# RADIAL DEPENDENT SATELLITE ALIGNMENT

$$\langle \epsilon_+ \rangle \mapsto \bar{\gamma}(r)$$

This is measured  
in projection

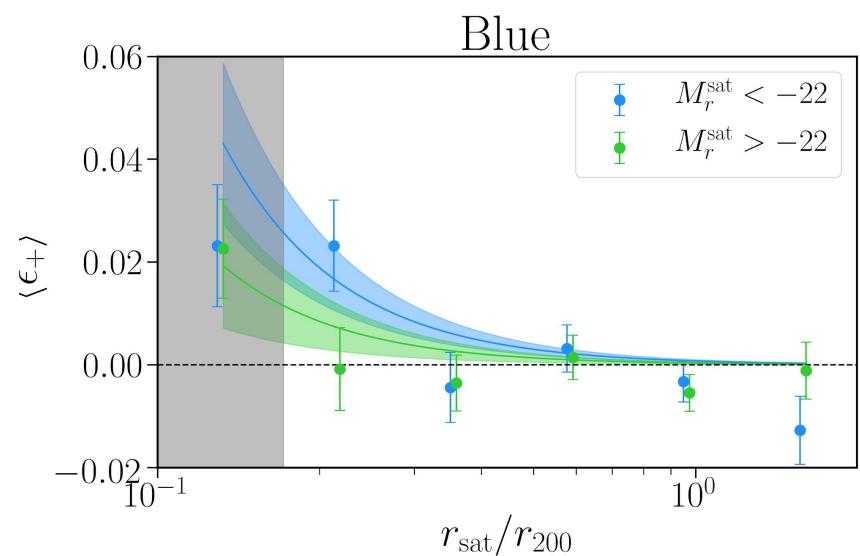
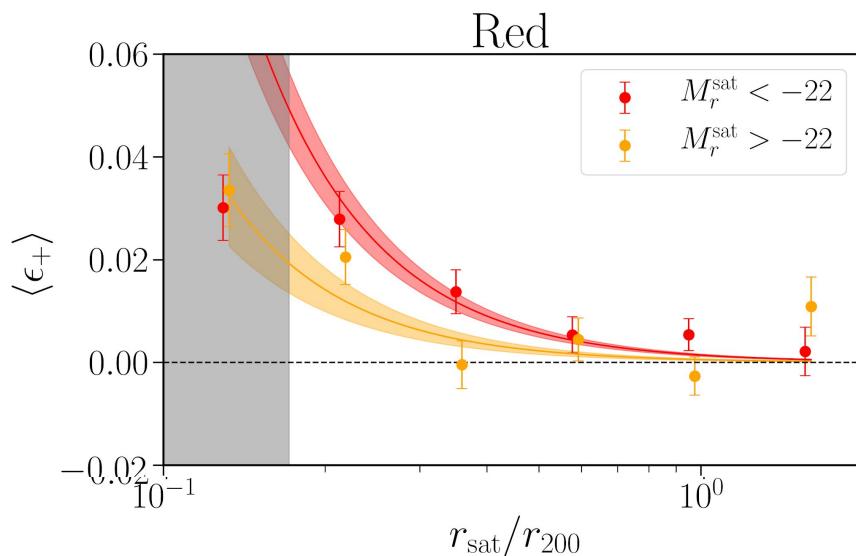
We want to  
express it in 3D



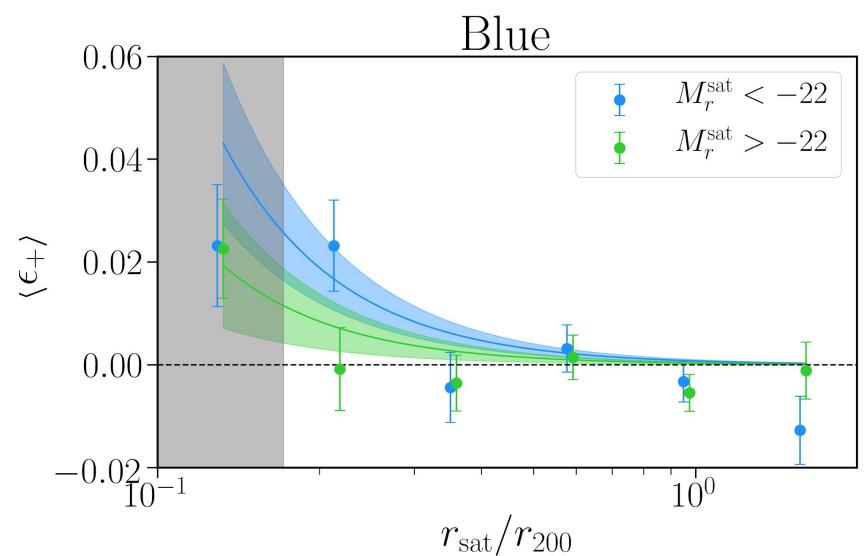
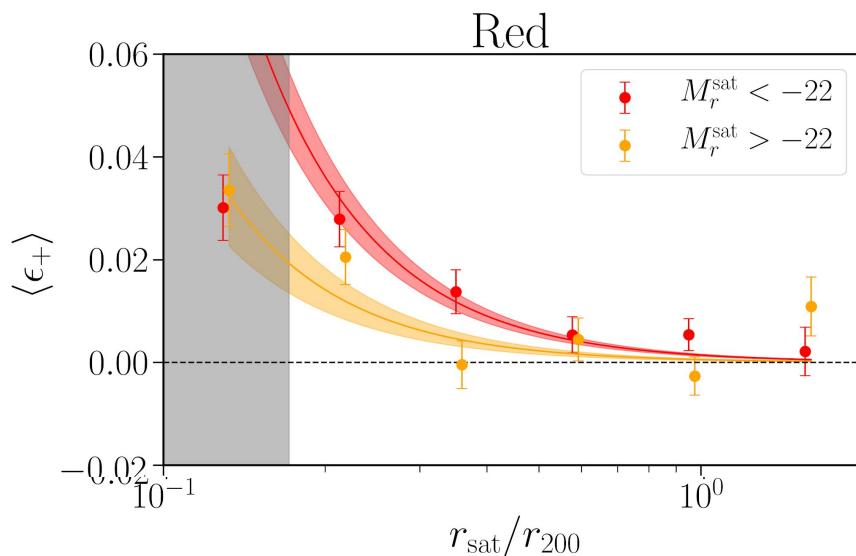
$$\bar{\gamma}(r) = \begin{cases} a_{1h} \left( \frac{0.06}{r_{\text{vir}}} \right)^b, & \text{if } r < 0.06 \text{ Mpc}/h \\ a_{1h} \left( \frac{r}{r_{\text{vir}}} \right)^b, & \text{if } r > 0.06 \text{ Mpc}/h \end{cases}$$

# THE FUNCTIONAL FORM FOR THE 1-HALO SHEAR

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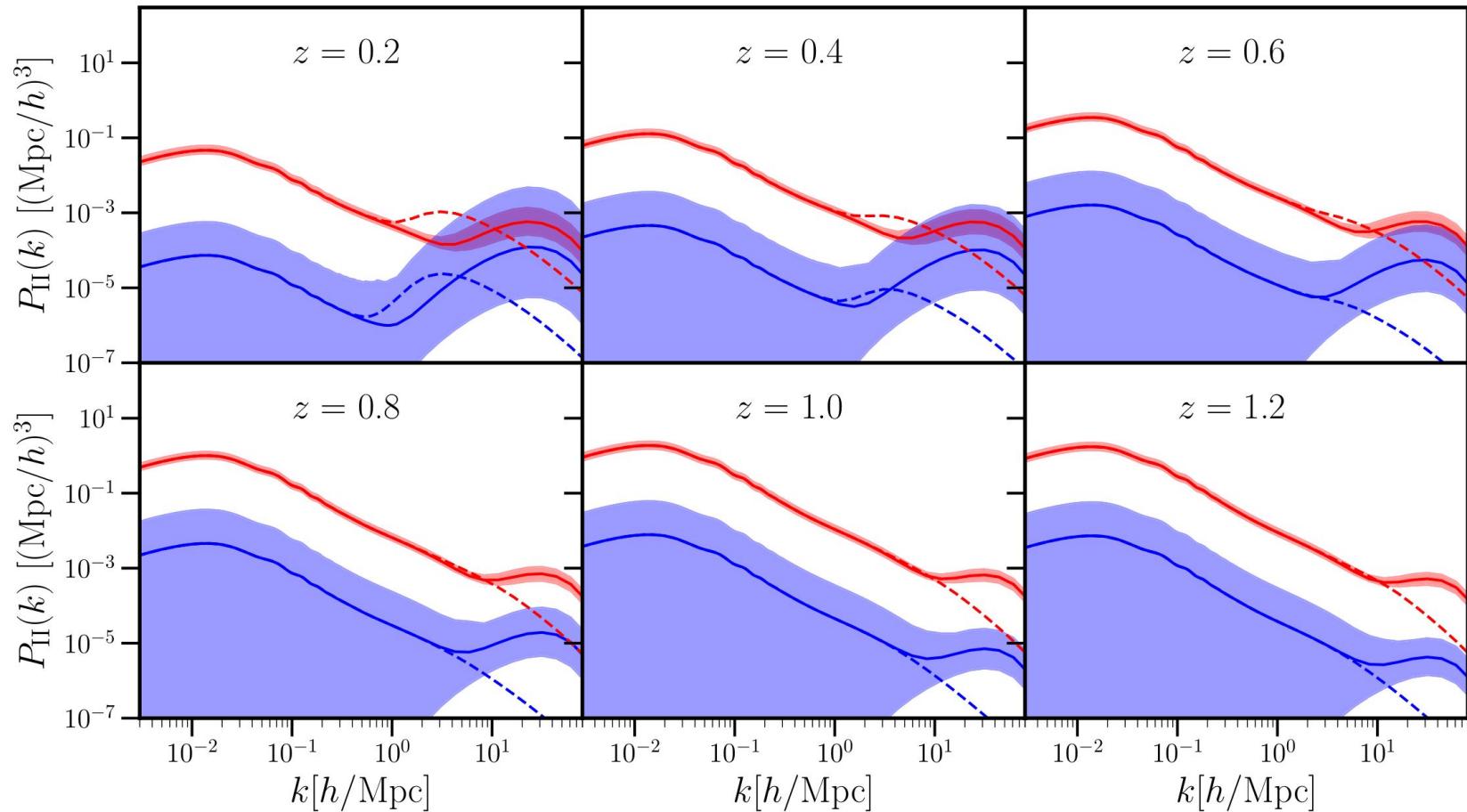
# THE FUNCTIONAL FORM FOR THE 1-HALO SHEAR



$$\bar{\gamma}_{\text{red/blue}}(r, L) = a_{1h} \left( \frac{L_{\text{red/blue}}}{L_0} \right)^\zeta \left( \frac{r_{\text{sat}}}{r_{\text{vir}}} \right)^b$$

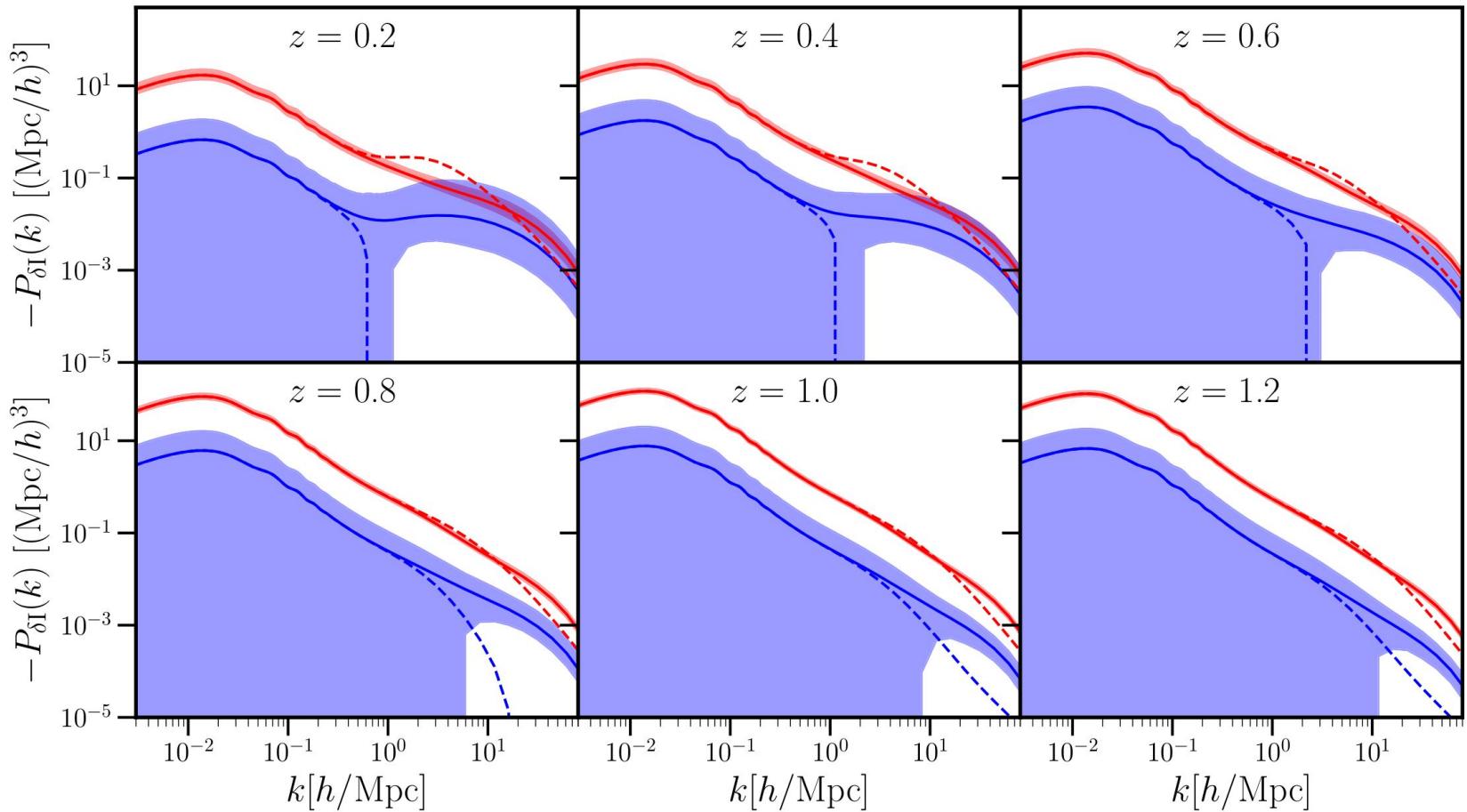
# THE INTRINSIC-INTRINSIC POWER SPECTRUM

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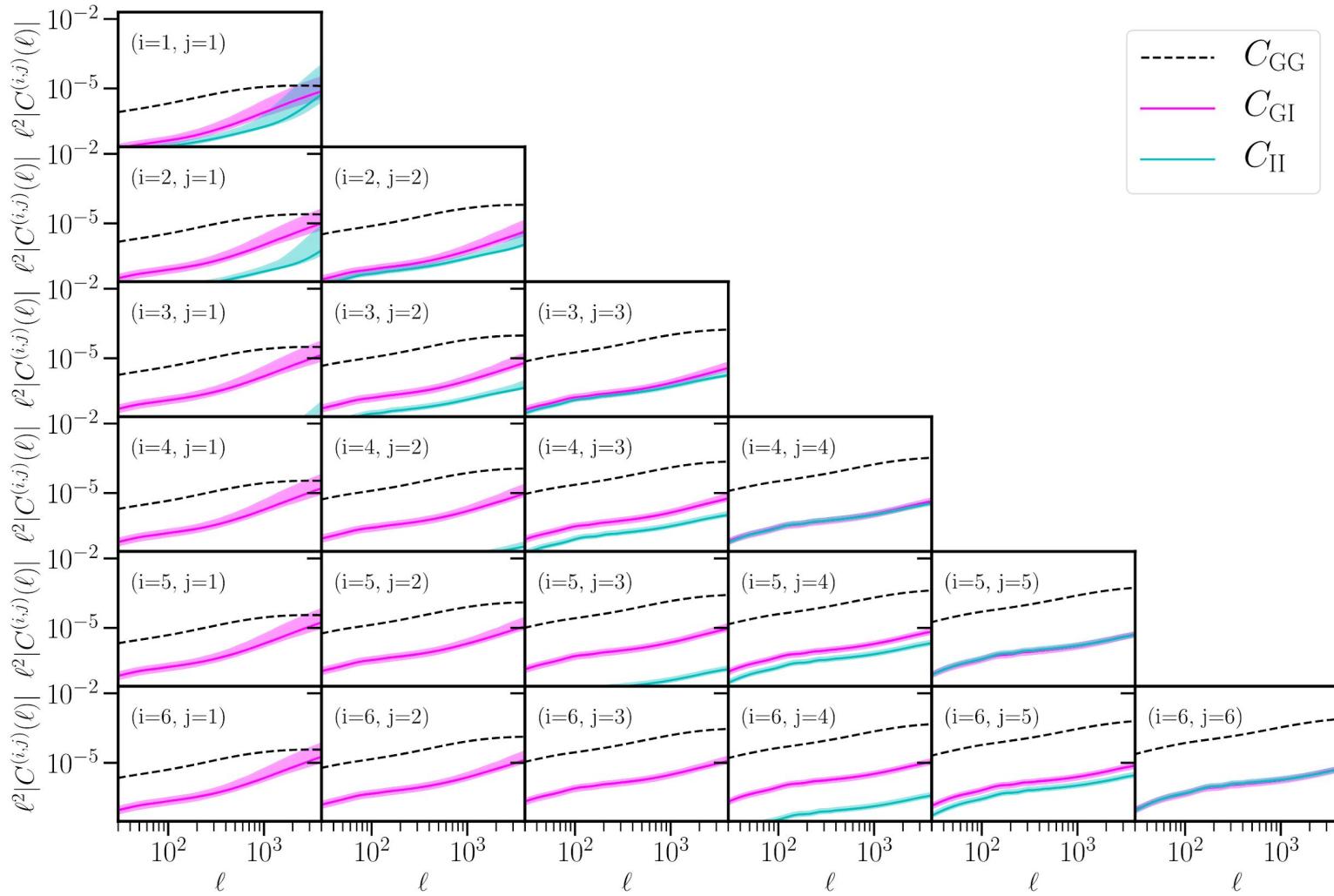


# THE MATTER-INTRINSIC POWER SPECTRUM

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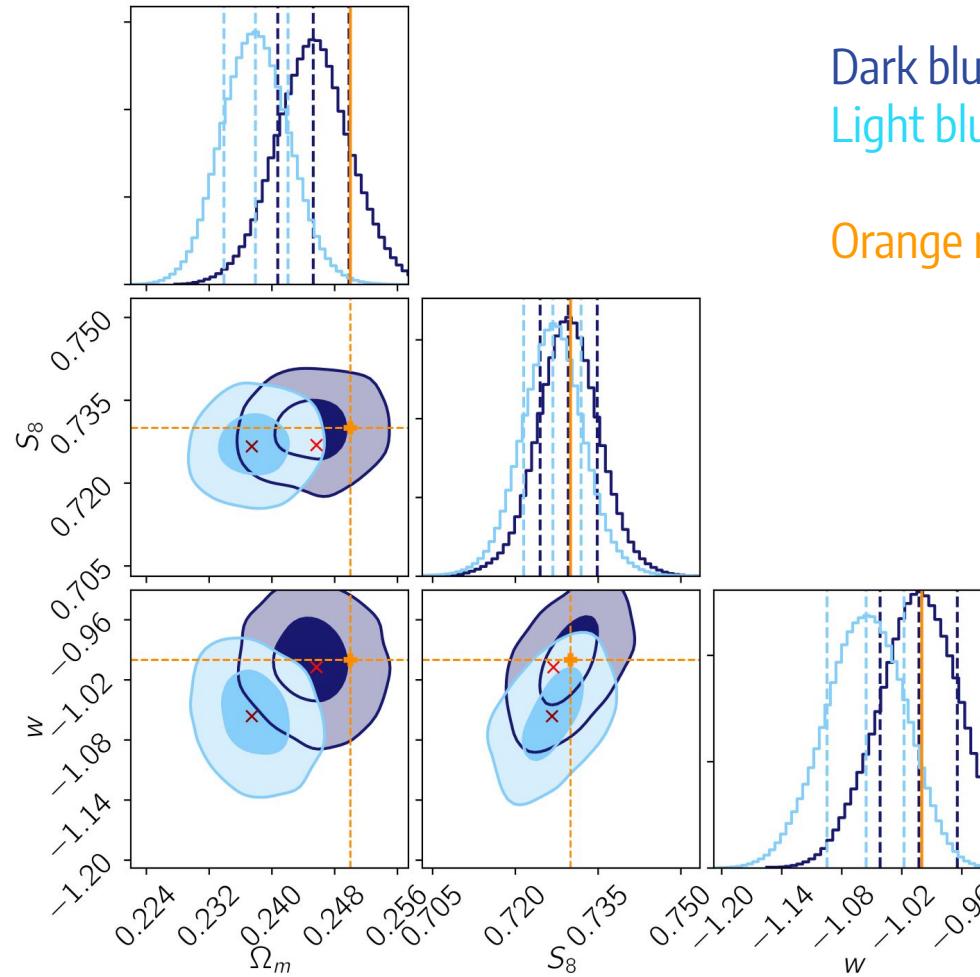


# IMPLICATIONS FOR COSMIC SHEAR

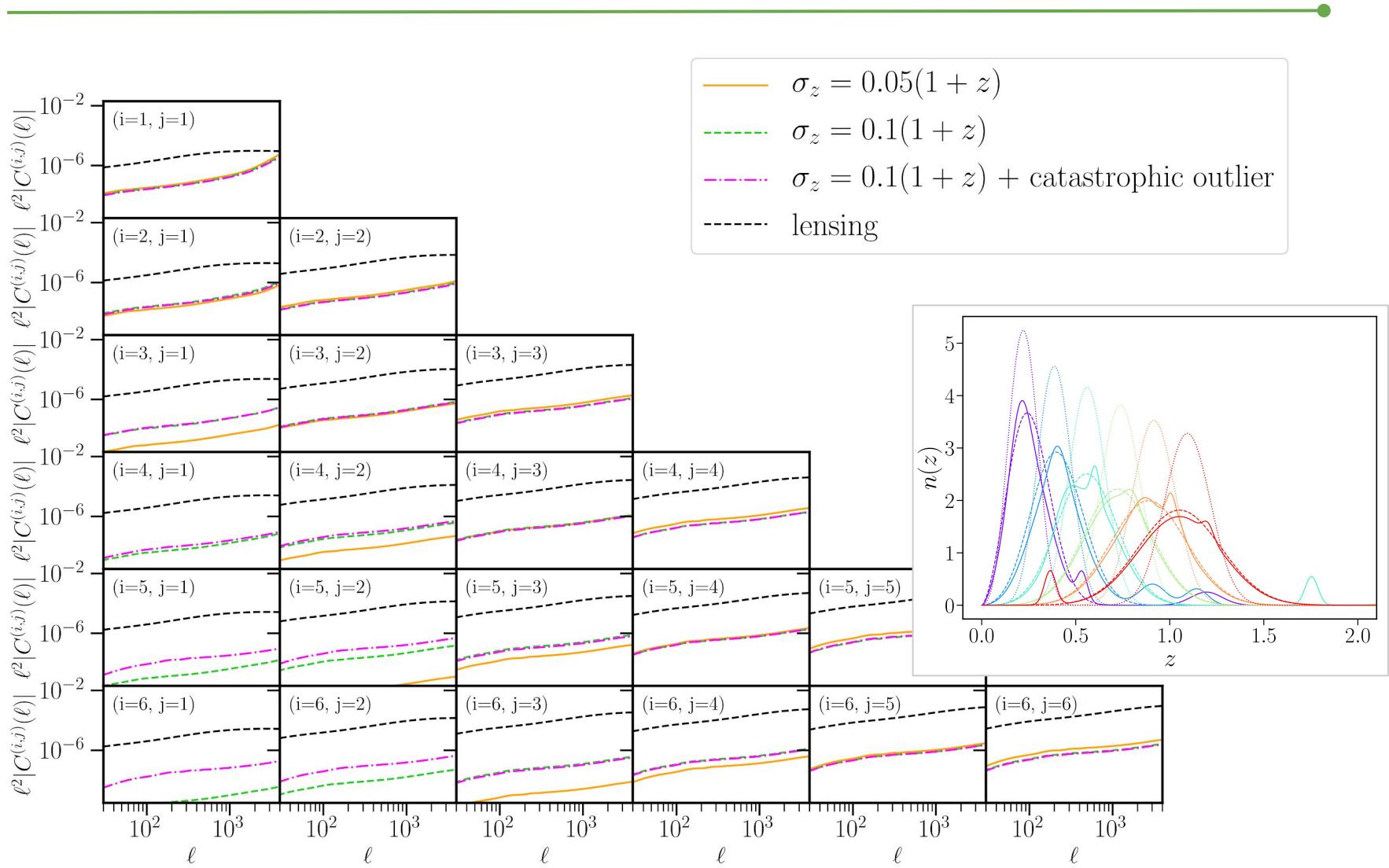


# IMPLICATIONS FOR COSMIC SHEAR - STAGE IV

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# THE ROLE OF THE $n(z)$



# IA - WHAT'S NEXT?

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- Our understanding of the intrinsic alignment is greatly increasing thanks to new observational studies
- We are now able to include the variety of IA signatures into a unified framework
  - provide priors
  - possibility to include other models at large and intermediate scales
  - joint fit for IA, lensing and clustering
- Future works should focus on understanding the faint-end of the IA, both for centrals and satellites
  - PAU survey
  - LRG alignment in KiDS-1000 -> stay tuned!
- Can we better constrain the blue galaxy alignment?

# THANKS

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