

A = Initial

E = Goal

consistent = Estimate is always \leq estimated distance $h^*(N)$ = optimal path from N to goal

From any neighboring

admissible =

vertex to the goal

$$0 \leq h(N) \leq h^*(N)$$

+ the cost of reaching neighbor

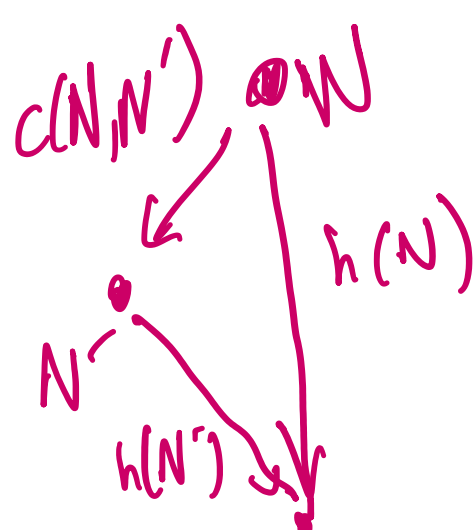
consistent

 $N' = \text{child of } N$

1)
$$h(N) \leq c(N, N') + h(N')$$

2) Goal

$$h(G) = 0$$



a)

$$A = h(N) = 105 \leq (1 + 100) + (2 + 1) \quad \times \rightarrow \text{inconsistent}$$

$$B = h(N) = 100 \leq 1 + 90 \quad \times \rightarrow \text{inconsistent}$$

$$C = h(N) = 1 \leq 2 + 90 \quad \checkmark \rightarrow \text{consistent}$$

$$D = h(N) = 90 \leq 100 + 0 \quad \checkmark \rightarrow \text{consistent}$$

b)
$$A^* = f(N) = g(N) + h(N)$$

 $g(N)$ = init to N $h(N)$ = cost from N to goal Node

$$A, f = g(N) + h(N) = 0 + 105 = 105$$

$$B, f = (0 + 1) + 100 = 101$$

$$C = (0 + 2) + 1 = 3$$

$$D, f = (1 + 1) + 90 = 92$$

$$D, f = (2 + 2) + 90 = 94$$

$$E, f = (2 + 100) + 0 = 102$$

$$E, f = (4 + 100) + 0 = 104$$

d)

$$A = h(N) = 105 \leq (1 + 101) + (2 + 101) \quad \checkmark \rightarrow \text{consistent}$$

$$B = h(N) = 101 \leq 1 + 100 \quad \checkmark \rightarrow \text{consistent}$$

$$C = h(N) = 101 \leq 2 + 100 \quad \checkmark \rightarrow \text{consistent}$$

$$D = h(N) = 100 \leq 100 + 0 \quad \checkmark \rightarrow \text{consistent}$$

$$A, f = 0 + 105 = 105$$

$$B, f = (0 + 1) + 101 = 102$$

$$C, f = (0 + 2) + 101 = 103$$

$$D, f = (1 + 1) + 100 = 102$$

$$D, f = (2 + 2) + 100 = 104$$

$$E, f = (2 + 100) + 0 = 102$$

$$E, f = (4 + 100) + 0 = 104$$