

## Estimate Metal to Air HTC in iso320 Full Nipple (one side open)

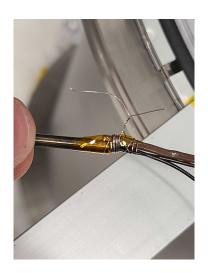
| ⇔ Status | Done                             |
|----------|----------------------------------|
| Project  | Meat Fiber Bundle Mounting Block |
| ▶ Tags   |                                  |

Goal: Estimate Heater Cart Heat transfer coefficient to air in inside non-capped chamber. Use this as a reference to see if we can Heat up mounting block.

EQ:  $P=uA\Delta T$  u = Heat Transfer coefficient  $(\frac{W}{m^2K})$ , A = Area  $(m^2)$ ,  $\Delta T$  = Temperature difference from environment (T2 - T1) (K)

**Experiment Setup:** 







Surface area of Heater Cartage =  $2\pi rh$  = 2pi\*(3.175/2 mm) \* (25.4 mm) = 253mm^2 = 2.53e-4 m ^2 Initial room Temperature T1 = 26 C = 299.15K

| Trial # | T1 Environment<br>Temperature (K) | T2 Heater Cart<br>Temperature (K) | Voltage /<br>Current | Power (W) | u = P / A*dT (W<br>/ m^2 K) |
|---------|-----------------------------------|-----------------------------------|----------------------|-----------|-----------------------------|
| Trial 1 | 299.15                            | 384.15                            | 5.72V / 0.23A        | 1.32      | 61.38                       |

| Trial 2 | 299.15 | 455.15 | 7.99V / 0.32A | 2.56 | 74.40 |
|---------|--------|--------|---------------|------|-------|
| Trial 3 | 299.15 | 347.15 | 4V / 0.16A    | 0.64 | 52.70 |

## **Using HTC Data from Above**

Goal: If we heat our current mounting block design to +100C from room temperature, what's is the power required to achieve this with our estimated heat transfer coefficient to air?

Current Mounting Block surface Area = 0.01243 m^2

T2 = 100C over room temp, 130C = 403.15 K

T1 = Room Temp at 26C = 299.15K

Heater transfer coefficient =  $(61.38 + 74.40 + 52.70) / 2 = 62.83 \text{ W} / \text{m}^2 \text{ K}$ 

P =  $(62.83 \frac{W}{m^2 K})*(0.01243 m^2) * (403.15 K - 299.15 K)$ 

Result = 81.22 W

## Then also taking into account black body radiation from our object into the environment:

 $P=A\sigma\epsilon(T^4-T_o^4)$ , Where A is the surface Area,  $\sigma$  =5.67e-8  $\frac{W}{m^2K^4}$  Stefan–Boltzmann constant,  $\epsilon$  = Emissivity (assumed worst case of 1 & 0.5), T = Temperature of object, T\_o = Temperature of environment.

$$P = (0.01243 \text{m}^2)*(5.67 \text{e} - 8\frac{W}{m^2 K^4})*(1)*(403.15^4 - 299.15^4)$$

Result = 12.97 W

## Total Required for our mount just being exposed to air (no other thermal connections) = 94.2W $\approx$ 100W

Our Carts are rated for 25W each. Not enough wattage with current setup/

- Solutions
  - Decrease Mounting Block Surface Area
  - Increase Heater Cart Wattage
  - Enclose Heat