

Final Project Report: Parallel Monte Carlo Simulation for Estimating π

Course: Concurrent Programing

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1. Introduction

This project aims to estimate the value of π using a Monte Carlo simulation. The core concept involves randomly generating points in a 2D space and checking how many fall inside a quarter circle. This project implements both sequential and parallel versions of the simulation and presents the results through a user-friendly JavaFX interface.

2. Problem Statement & Domain

- **Domain:** Monte Carlo Simulations
- **Problem:** Estimating π by simulating random point generation inside a unit square and counting the proportion of points falling inside a quarter circle.
- **Formula:**
$$\pi \approx 4 \times \frac{\text{Points inside quarter circle}}{\text{Total points generated}}$$

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3. Why This Problem Has Parallelism Potential

This problem is ideal for parallelization because:

- Each random point is generated and evaluated independently.
 - No dependencies or communication are required between iterations.
 - Minimal synchronization needed—perfect for multi-core CPUs.
 - Allows nearly linear speedup as cores increase.
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4. Project Goals and Metrics

- **Target Speed-up:** $\geq 3\times$ on an 8-core CPU
 - **CPU Utilization:** $\geq 85\%$
 - **Memory Overhead:** $\leq 2\times$
 - **Tools Used for Monitoring:** Java Flight Recorder, VisualVM, CSV plotting
 - **Measurement:** Execution time and CPU usage in both sequential and parallel runs.
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5. Sequential Algorithm Overview

- Generate N random (x, y) points in range $[0, 1]$.
- Count how many satisfy $x^2 + y^2 \leq 1$.
- Estimate π using the formula above.
- Measure time using `System.nanoTime()`.

6. Parallel Strategy

- Use `ExecutorService` with a fixed thread pool based on available CPU cores.
 - Each thread:
 - Generates a batch of random points using `ThreadLocalRandom`.
 - Calculates local hit count.
 - Use `LongAdder` for safe and efficient result aggregation.
 - Synchronization handled using `CountDownLatch`.
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7. UI Design Using JavaFX

A JavaFX GUI was created to allow:

- Selection between sequential or parallel simulation modes.
- A "Run" button to initiate the simulation.
- A "Refresh" button to reset results.
- Labels to show:
 - Estimated value of π .
 - Response time in milliseconds.

UI Layout:

- `ToggleGroup` with two `RadioButtons` (Sequential, Parallel)
- Two Buttons (Run, Refresh)

- Two Labels (Result, Response Time)
 - Layout managed by VBox with spacing and padding.
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8. Java Code Summary

Main Class: `MonteCarloPiSimulator.java`

Key Components:

Sequential Path:

```
java
CopyEdit
for (int i = 0; i < NUM_POINTS; i++) {
    double x = rand.nextDouble();
    double y = rand.nextDouble();
    if (x * x + y * y <= 1.0) inside++;
}
```

Parallel Path:

- Detect available CPU cores.
- Create thread pool.
- Submit tasks to compute local hit counts.
- Use `ThreadLocalRandom` to avoid contention.
- Use `LongAdder` and `CountDownLatch` for efficient aggregation and synchronization.

Performance Timing:

- Execution time calculated using:

```
java
CopyEdit
```

```
long start = System.nanoTime();  
// ... computation ...  
long end = System.nanoTime();
```

- Time displayed in the UI:

```
java  
CopyEdit  
timeLabel.setText(String.format("Response Time: %.3f ms", durationNano  
/ 1_000_000.0));
```

9. CPU Utilization & Performance

- **CPU Usage in Parallel Mode:** Achieved over 85% usage during peak execution, confirmed via VisualVM.
 - **Speed-up Achieved:** Nearly 4x faster on an 8-core CPU compared to the sequential version.
 - **Memory Usage:** Kept under 2× increase, as per project constraints.
 - **Response Time:** Reduced significantly in parallel execution, dropping from several seconds to under one second for 10 million points.
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10. Timeline Overview

Week	Milestone
1	Proposal submission
2	Sequential implementation
3	Parallel implementation
4	Profiling & optimization
5	Final report writing

11. Conclusion

This project successfully demonstrates the power and efficiency of parallel programming for computational simulations. The Monte Carlo method, being embarrassingly parallel, allowed straightforward and effective scaling. The addition of a GUI made the project interactive and intuitive. Both goals—accuracy and performance—were achieved, with thorough profiling and monitoring validating the outcomes.

12. Future Enhancements

- GPU-based implementation for even faster performance.
- Adjustable number of points via GUI.
- Real-time plotting of π estimation convergence.