Algorithm 1 Insertion Sort(Non-increasing order)

```
1 for j = 2 to A.length

2 key = A[j];

3 i = j - 1;

4 while (j > 0 and A[i] < key)

5 A[i + 1] = A[i];

6 i - -;

7 A[i + 1] = key;
```

Algorithm 2 Linear search

Input: A sequence of n numbers A and a constant v

Output: Index i;

1 for
$$i = 1$$
 to $A.length$

$$2 \qquad \quad \mathbf{if} \ A[i] == v$$

3 return
$$i$$
;

4 return NIL;

$$T(n) = \begin{cases} 1 & \text{if } n = 1, \\ T(n-1) + n - 1 & \text{if } n > 1. \end{cases}$$

Algorithm 3 Binary adding algorithm

Input: A sequence of n numbers A and a sequence of n numbers B

Output: A sequence of n+1 numbers $C = [c_1, c_2, ..., c_{n+1}];$

- 1 **for** i = 1 **to** n
- 2 C[i] = (A[i] + B[i] + carry)%2;
- 3 carry = (A[i] + B[i] + carry)/2
- 4 C[i+1] = carry;

Algorithm 4 Selection Sort

Input: A sequence of n numbers unsorted array A;

Output: Sorted array A;

- 1 **for** i = 1 **to** n 1
- 2 min = i;
- 3 **for** j = i + 1 **to** n
- 4 if A[j] < A[min]
- 5 min = j;
- 6 A[i] = temp;
- 7 A[i] = A[min];
- 8 A[min] = A[i];

$\overline{\textbf{Algorithm 5} \operatorname{Merge}(A, p, q, r)}$

```
1 n_1 = q - p + 1;
2 \quad n_2 = r - q;
3 Let L[1..n_1] and R[1..n_2] be new arrays
4 for i = 1 to n_1
        L[i] = A[p+i-1];
 5
   for j = 1 to n_2
    R[j] = A[q+i];
 7
8 i = 1;
9 j = 1;
10 k = p;
    while i < n_1 and j < n_2
11
        if L[i] \leq R[j]
12
             A[k] = L[i];
13
14
              i + +;
15
         else
             A[k] = R[j];
16
             j + +;
17
         k + +;
18
19
    if j == n_2
         for m = k to r
20
             A[m] = L[i];
21
22
             i + +;
```

$\overline{ {\bf Algorithm~6~BinarySearch(A, target)} }$

```
1 low = 1;
    high = A.length;
 2
    \mathbf{while}\ low <= high
          mid = (low + high)/2;
 4
          \mathbf{if}\ A[mid] == target
 5
               \mathbf{return}\ mid;
 6
          \mathbf{if}\ A[mid] > target
 7
                high=mid-1;\\
 8
 9
          else
               low = mid + 1;
10
    return -1;
11
```