

Openvins feature initialization

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In code ov-core/src/feat/FeatureInitializer.cpp:

```
bool FeatureInitializer::single_triangulation(Feat *feat,
std::unordered_map<size_t, std::unordered_map<double, ClonePose>> &clones(CAM) {
    int total_meas = 0;
    size_t anchor_most_meas = 0;
    size_t most_meas = 0;
    for (auto const & pair : feat->timesteps) {
        total_meas += (int) pair.second.size();
        if (pair.second.size() > most_meas) {
            anchor_most_meas = pair.first;
            most_meas = pair.second.size();
        }
    }
}
```

In feature.h, there's a variable

`std::unordered_map<size_t, std::vector<double>> timestamps;`

`size_t` is the camera id, and `std::vector<double>` holds a

vector of timestamps correspond to observations.

In FeatureDatabase.h:

```
void update_feature(size_t id, double timestamp, size_t cam_id,
float u, float v, float u_n, float v_n) {
```

```
    std::unique_lock<std::mutex> lck(mtx);
    if (features_id_lookup.find(id) != features_id_lookup.end()) {
        Feature *feat = features_id_lookup[id];
        feat->uvs[cam_id].emplace_back(Eigen::Vector2f(u, v));
        feat->uvs_norm[cam_id].emplace_back(Eigen::Vector2f(u_n, v_n));
        feat->timestamps[cam_id].emplace_back(timestamp);
        return;
    }
}
```

`emplace_back` adds the value to the end of vector.

`update_feature` is used in Track/TrackKLT.cpp

```
void TrackKLT::feed_monocular(double timestamp, CV::Mat bImg, size_t cam_id) {
```

```
    for (size_t i = 0; i < good_left.size(); ++i) {
        Cv::Point2f npt_l = undistort_point(good_left.at(i).pt, cam_id);
        data_base->update_feature(good_ids_left.at(i), timestamp, cam_id,
```

```
        good_left.at(i).pt.x, good_left.at(i).pt.y,
        npt_l.x, npt_l.y);
    }
}
```

In ov-core/src/test-tracking.cpp

```
handle_stereo(double time0, double time1, CV::Mat img0, CV::Mat img1) {
```

`extractor` → feed_stereo(time0, img0, img1, 0, 1);

`extractor` → feed_monocular(time0, img0, 0);

`extractor` → feed_monocular(time0, img1, 1);

∴ `cam_id` means which camera, e.g. for monocular `cam_id` is 0,

for stereo `cam_id` is 0,1, and select the camera that has most observations across time to be anchor.

`Eigen::MatrixXd A = Eigen::MatrixXd::Zero(2 * total_meas, 3);`

`Eigen::MatrixXd b = Eigen::MatrixXd::Zero(2 * total_meas, 1);`

`size_t c = 0;`

`Clone Pose anchor_clone = clones.CAM.at(feat->anchor.cam_id).at(feat->anchor_clone.timestamp);`

`Eigen::Matrix<double, 3, 3> &R_GtoA = anchor_clone.Rot();`

`Eigen::Matrix<double, 3, 1> &p_AinG = anchor_clone.pos();`

`for (auto const & pair : feat->timesteps) {`

`for (size_t m = 0; m < feat->timesteps.at(pair.first).size(); ++m) {`

`Eigen::Matrix<double, 3, 3> &R_GtoCi = clones.CAM.at(pair.first).at(feat->timesteps.at(pair.first).at(m)).Rot();`

`Eigen::Matrix<double, 3, 1> &p_CinG = clones.CAM.at(pair.first).at(feat->timesteps.at(pair.first).at(m)).pos();`

`Eigen::Matrix<double, 3, 3> R_AtoCi;`

`R_AtoCi.noalias() = R_GtoCi * R_GtoA.transpose();`

`Eigen::Matrix<double, 3, 1> p_CinA;`

`p_CinA.noalias() = R_GtoA * (p_CinG - p_AinG);`

feature is triangulated in Anchor frame A, we can have the transformation from Ci:

$$\begin{aligned} C_i P_f &= A^T (P_f - A P_{C_i}) \\ A P_f &= A^T C_i P_f + A P_{C_i} \end{aligned} \quad (1)$$

`Eigen::Matrix<double, 3, 1> b_i;`

`b_i <-> feat->uvs_norm.at(pair.first).at(m)(0), feat->uvs_norm.at(pair.first).at(m)(1);`

`b_i = b_i / b_i.norm();`

`Eigen::Matrix<double, 2, 3> B_prep = Eigen::Matrix<double, 2, 3>::Zero();`

`B_prep <-> b_i(2, 0), 0, b_i(0, 0), b_i(2, 0), -b_i(1, 0);`

`A.block(2 * c, 0, 2, 3) = B_prep;`

`b.block(2 * c, 0, 2, 1).noalias() = B_prep * p_CinA;`

`c++;`

}

The user can indicate with the `noalias()` function that there

is no aliasing in Eigen, as follows:

`matB.noalias() = matA * matA.`

This allows Eigen to evaluate the matrix product `matA * matA`

directly into `matB`.

`Eigen::block`: block of size (p, q) starting at (i, j).

`matrix.block(i, j, p, q)`

The measurement in current frame is unknown bearing θ_b and

depth z_f , we can map the feature in current frame via

$$C_i P_f = Z_f b_f = \begin{bmatrix} u_n \\ v_n \end{bmatrix}$$

where u_n, v_n are undistorted normalized coordinates.

The bearing can be warped into the anchor frame by

substituting eq. (1):

$$A P_f = A^T C_i P_f + A P_{C_i}$$

$$= A^T Z_f b_f + A P_{C_i}$$

$$= Z_f A P_f + A P_{C_i}$$

To remove the need to estimate the extra degree of freedom of depth Z_f , we define

$$A_{n_1} = \begin{bmatrix} -A_{bf}(3) & D & A_{bf}(1) \end{bmatrix}^T$$

$$A_{n_2} = \begin{bmatrix} 0 & A_{bf}(3) & -A_{bf}(2) \end{bmatrix}^T$$

these are perpendicular with vector A_{bf} , ∴

$$A_{n_1}^T A_{bf} = 0$$

$$A_{n_2}^T A_{bf} = 0$$

We can then multiply the eqs to form two eqs only depend on

3 dof unknown $A P_f$:

$$\begin{bmatrix} A_{n_1}^T \\ A_{n_2}^T \end{bmatrix} A P_f = \underbrace{\begin{bmatrix} A_{n_1}^T \\ A_{n_2}^T \end{bmatrix} Z_f b_f}_{\text{zero}} + \begin{bmatrix} A_{n_1}^T \\ A_{n_2}^T \end{bmatrix} A P_{C_i}$$

$$\begin{bmatrix} A_{n_1}^T \\ A_{n_2}^T \end{bmatrix} A P_f = \begin{bmatrix} A_{n_1}^T \\ A_{n_2}^T \end{bmatrix} A P_{C_i}$$

By stacking all measurements: B_{perp} in code

$$\begin{bmatrix} \vdots \\ A_{n_1}^T \\ A_{n_2}^T \\ \vdots \end{bmatrix} A P_f = \begin{bmatrix} \vdots \\ A_{n_1}^T \\ A_{n_2}^T \\ \vdots \end{bmatrix} A P_{C_i}$$

$$A \nearrow \begin{bmatrix} \vdots \\ A_{n_1}^T \\ A_{n_2}^T \\ \vdots \end{bmatrix} A P_f = \begin{bmatrix} \vdots \\ A_{n_1}^T \\ A_{n_2}^T \\ \vdots \end{bmatrix} A P_{C_i}$$

$$\uparrow \text{unknown} \nearrow \begin{bmatrix} \vdots \\ A_{n_1}^T \\ A_{n_2}^T \\ \vdots \end{bmatrix} b$$

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