```
\begin{array}{l} p = \\ \ell^{e_A} \ell^{e_B} \\ f \pm \\ \ell_A \\ \ell_B \\ p \\ \ell^{e_A} \approx \\ \ell^{e_B} \\ \ell^{e_A}_A \approx \\ \ell^{e_B}_B \\ \ell^{e_A}_A \ell^{e_B}_B \\ \ell^{e_A}_A \ell^{e_B}_B \\ f = \\ \ell^{e_A}_A \ell^{e_B}_B \\ f = \\ \ell^{e_A}_A \ell^{e_B}_B \\ f = \\ \ell^{e_A}_A \ell^{e_B}_B \\ f + \\ f = \\ f = \\ \ell^{e_A}_A \ell^{e_B}_B \\ f + \\ f = \\ E \\ F_{p^2} \\ (p \mp 1)^2 = \\ (\ell^{e_A}_A \ell^{e_B}_B \\ f = \\ f = \\ \ell^{e_A}_A \ell^{e_B}_B \\ f = \\ f = \\ \ell^{e_A}_A \ell^{e_B}_B \\ \ell^{e_A}_A \ell^{e_B}_
              E(F_p) \subseteq (F_p \times F_p) \cup \{\infty\}
           p^2+
E(F_p)
              \#E(F_p) \le p^2 + 1
              \#E(F_p) - 1 \le p^2
        p = \ell_A^{e_A} \ell_B^{e_B} \! \cdot \! f \! + \! 1p = \ell_A^{e_A} \ell_B^{e_B} \! \cdot \! f \! - \! 1
        p^2 = (\ell_A^{e_A} \ell_B^{e_B} \cdot f)^2 + 2(\ell_A^{e_A} \ell_B^{e_B} \cdot f) + 1p^2 = (\ell_A^{e_A} \ell_B^{e_B} \cdot f)^2 - 2(\ell_A^{e_A} \ell_B^{e_B} \cdot f) - 1
              (p^2 \pm 1)^2 = (\ell_A^{e_A} \ell_B^{e_B} \cdot f)^2 \pm 2\ell_A^{e_A} \ell_B^{e_B} \cdot f
        \begin{array}{l} (\ell_A^{e_A}\ell_B^{e_B} \cdot \\ f) = \\ p \\ p^2 \mp 2p \mp 1 = (\ell_A^{e_A}\ell_B^{e_B} \cdot f)^2 \end{array}
              (p\mp 1)^2 = (\ell_A^{e_A} \ell_B^{e_B} \cdot f)^2
      (p\mp 1)^2 = (\ell_A^{e_A} \ell_B^{e_B} \cdot f)^2 
 E_0[\ell_A^{e_A}] 
 P\in_R E_0(F_{p^2}) 
 (\ell_B^{e_B} \cdot f)^2 
 \ell_A^{e_B} 
 \ell_A^{e_A} 
 \ell_A^{e_B} 
 \ell_A^{e_A} 
 \ell_A^{
```