Исследование функции:

 $J(x) = 150 * sum_{(i = 2)^{(5)}}(x_{(i)} - i * x_{(1)})^4 + (x_{(1)-1})^2 ---> min$ 

С ограничением:

 $g1(x) = sum_{(i = 1)^{(5)}(i * x(i)^{2}) \le 224$ 

Начальная точка равна X0(0.1; 1.5; 0.4; 1.2; 0.3), eps = 0.000001

Таблица решений F(x) в зависимости от изменения радиуса R от 224 до 223 с шагом 0.01, где значение точки минимума равно x ( $x_0$ ,  $x_1$ ,  $x_2$ ,  $x_3$ ,  $x_4$ ):

R	x_0	x_1	x_2	x_3	x_4	F(x)
224.00	I 0.995081	l 1.982971	1 2.976088	1 3.969526	l 4.963434	I 3.07716e-05
223.99	0.995062	l 1.982947	1 2.976027	1 3.969453	1 4.963348	l 3.0945e-05
223.98	0.995045	l 1.982923	l 2.975974	1 3.969385	1 4.963263	l 3.11126e-05
223.97	0.995030	l 1.982895	1 2.975926	1 3.969322	l 4.963182	l 3.12709e-05
223.96	l 0.995016	l 1.982867	l 2.975880	1 3.969259	1 4.963099	l 3.14298e-05
223.95	0.995002	l 1.982838	1 2.975835	l 3.969198	1 4.963020	l 3.1585e-05
223.94	0.994989					l 3.17393e-05
223.93	l 0.994975	l 1.982777			1 4.962864	l 3.18934e-05
223.92	0.994962	l 1.982746	1 2.975698	l 3.969017	l 4.962787	l 3.20473e-05
223.91	0.994949	l 1.982715	l 2.975652	1 3.968956	l 4.962710	l 3.22019e-05
223.90	l 0.994936			1 3.968896	1 4.962635	
223.89	0.994923	l 1.982652	1 2.975560	1 3.968835	l 4.962557	
223.88	0.994948	l 1.982699	l 2.975644	1 3.968945	1 4.962697	l 3.22317e-05
223.87	0.994935	l 1.982666	1 2.975598	1 3.968884	1 4.962622	l 3.23851e-05
223.86	l 0.994921	l 1.982637	l 2.975551	1 3.968822	l 4.962541	l 3.25463e-05
223.85	l 0.994907	l 1.982605	1 2.975505	l 3.968761	l 4.962464	l 3.27017e-05
223.84	l 0.994894	l 1.982574	l 2.975459	1 3.968700	1 4.962386	l 3.28607e-05
223.83	0.994880	l 1.982544	l 2.975412	1 3.968638		
223.82	l 0.994866	l 1.982514	l 2.975366	1 3.968576	1 4.962225	l 3.31834e-05
223.81	0.994853	l 1.982484	1 2.975320			l 3.33445e-05
223.80	0.994839	l 1.982454	1 2.975273	1 3.968454		l 3.35061e-05
223.79	0.994826	l 1.982425	l 2.975226	1 3.968393	l 4.961986	l 3.3667e-05
223.78	l 0.994814	l 1.982382	l 2.975182	1 3.968333	I 4.961919	l 3.38163e-05
223.77	0.994802	l 1.982343	l 2.975139	1 3.968274	l 4.961849	l 3.39673e-05
223.76	l 0.994789	l 1.982308	1 2.975095	1 3.968214	l 4.961773	l 3.41248e-05
223.75	0.994775	l 1.982276	1 2.975049	l 3.968153	l 4.961694	l 3.42878e-05
223.74	0.994762	l 1.982245	1 2.975003	1 3.968092	l 4.961615	l 3.44511e-05
223.73	0.994748	l 1.982213	1 2.974956	l 3.968031	l 4.961537	l 3.46134e-05
223.72	0.994735	l 1.982180	l 2.974910	l 3.967971	l 4.961460	l 3.47743e-05
223.71	0.994722	l 1.982141	l 2.974867	l 3.967912	l 4.961386	l 3.49324e-05
223.70	0.994796	l 1.982356	1 2.974909	1 3.968372	l 4.961850	l 3.40015e-05
223.69	0.994750	l 1.982659	l 2.975182	l 3.968001	l 4.961511 l	3.44664e-05
223.68	0.994748	l 1.982384	1 2.975299	l 3.968135	l 4.961361	l 3.45337e-05
223.67	l 0.994708	l 1.982249	1 2.975209	1 3.967995	l 4.961090	l 3.50206e-05
223.66	0.994693	l 1.982213	l 2.975136	l 3.967921	1 4.961012	l 3.52082e-05
223.65	0.994688	l 1.982194	l 2.975131	1 3.967902	1 4.960979	l 3.52662e-05
223.64	0.994690	l 1.982203	l 2.975137	l 3.967901	1 4.960992	l 3.5248e-05
223.63	0.994695	l 1.982310	l 2.975170	1 3.967897	4.961022	l 3.51792e-05
223.62	l 0.994704	l 1.982288	l 2.974717	1 3.967960	4.961230	l 3.51069e-05
223.61	0.994879	l 1.983717	1 2.976800	1 3.969387	l 4.961384	l 3.28683e-05
223.60	l 0.995021	l 1.983557	l 2.976701	1 3.969752	l 4.962556	3.12184e-05
223.59	0.994772	l 1.982756	l 2.975519	1 3.968277	l 4.961423	l 3.41866e-05
223.58	0.994877	l 1.983174	1 2.976011	3.968723	4.962004	3.29084e-05
223.57	l 0.994591	l 1.982559	l 2.974077	1 3.968589	l 4.960237	l 3.61649e-05
223.56	0.994817	l 1.983519	1 2.976504	1 3.969055	l 4.961052	l 3.36306e-05
223.55	l 0.994608	l 1.982032	l 2.974703	l 3.967419	l 4.960623	l 3.62836e-05

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223.54 | 0.994596 | 1.982000 | 2.974650 | 3.967362 | 4.960563 | 3.64295e-05
223.53 | 0.994472 | 1.981815 | 2.974119 | 3.966625 | 4.959948 | 3.80407e-05
223.52 | 0.994511 | 1.981909 | 2.974146 | 3.967155 | 4.960094 | 3.74028e-05
223.51 | 0.994481 | 1.982068 | 2.974509 | 3.967171 | 4.959956 | 3.73619e-05
223.50 | 0.994464 | 1.981827 | 2.974065 | 3.966521 | 4.959770 | 3.83604e-05
223.49 | 0.994672 | 1.982094 | 2.974875 | 3.967466 | 4.961312 | 3.53884e-05
223.48 | 0.994570 | 1.982013 | 2.974723 | 3.967413 | 4.960260 | 3.67109e-05
223.47 | 0.994718 | 1.982657 | 2.975141 | 3.968280 | 4.961004 | 3.48586e-05
223.46 | 0.994464 | 1.981719 | 2.973926 | 3.966794 | 4.959848 | 3.8133e-05
223.45 | 0.994742 | 1.983216 | 2.976042 | 3.968410 | 4.960886 | 3.44714e-05
223.44 | 0.994428 | 1.981719 | 2.974192 | 3.966742 | 4.959428 | 3.85498e-05
223.43 | 0.994718 | 1.983025 | 2.975730 | 3.968134 | 4.960911 | 3.47797e-05
223.42 | 0.994451 | 1.982063 | 2.973831 | 3.967160 | 4.959574 | 3.81574e-05
223.41 | 0.994605 | 1.982916 | 2.975719 | 3.967920 | 4.960025 | 3.60938e-05
223.40 | 0.994538 | 1.982373 | 2.974139 | 3.968064 | 4.959862 | 3.69607e-05
223.39 | 0.994636 | 1.982585 | 2.975114 | 3.967711 | 4.960555 | 3.58466e-05
223.38 | 0.994362 | 1.981429 | 2.973044 | 3.966615 | 4.959364 | 3.94025e-05
223.37 | 0.994366 | 1.981439 | 2.973740 | 3.966541 | 4.959127 | 3.93582e-05
223.36 | 0.994373 | 1.981612 | 2.973201 | 3.966823 | 4.959256 | 3.92392e-05
223.35 | 0.994264 | 1.981340 | 2.973752 | 3.966068 | 4.958396 | 4.06757e-05
223.34 | 0.994362 | 1.981880 | 2.973211 | 3.966550 | 4.959178 | 3.94774e-05
223.33 | 0.994284 | 1.981326 | 2.973424 | 3.966021 | 4.958720 | 4.04619e-05
223.32 | 0.994270 | 1.981293 | 2.973359 | 3.965967 | 4.958642 | 4.06424e-05
223.31 | 0.994272 | 1.981234 | 2.973455 | 3.965976 | 4.958632 | 4.06137e-05
223.30 | 0.994304 | 1.981403 | 2.973602 | 3.966106 | 4.958845 | 4.01327e-05
223.29 | 0.994258 | 1.981192 | 2.973367 | 3.965892 | 4.958577 | 4.08049e-05
223.28 | 0.994392 | 1.981512 | 2.973770 | 3.966508 | 4.959395 | 3.90266e-05
223.27 | 0.994340 | 1.981963 | 2.973890 | 3.966729 | 4.958623 | 3.96852e-05
223.26 | 0.994269 | 1.981518 | 2.973109 | 3.966208 | 4.958588 | 4.06006e-05
223.25 | 0.994319 | 1.981507 | 2.973412 | 3.966249 | 4.958919 | 3.99973e-05
223.24 | 0.994132 | 1.981237 | 2.973308 | 3.965477 | 4.957584 | 4.24448e-05
223.23 | 0.994253 | 1.981325 | 2.973104 | 3.965928 | 4.958575 | 4.08845e-05
223.22 | 0.994247 | 1.981322 | 2.973117 | 3.965909 | 4.958523 | 4.09582e-05
223.21 | 0.994047 | 1.980941 | 2.972771 | 3.964816 | 4.957595 | 4.33254e-05
223.20 | 0.994122 | 1.980982 | 2.973125 | 3.965233 | 4.957717 | 4.26139e-05
223.19 | 0.994091 | 1.981198 | 2.972435 | 3.964700 | 4.957799 | 4.33035e-05
223.18 | 0.994206 | 1.981319 | 2.972839 | 3.965740 | 4.958275 | 4.15561e-05
223.17 | 0.994400 | 1.982084 | 2.974476 | 3.966989 | 4.958894 | 3.88608e-05
223.16 | 0.994016 | 1.980768 | 2.972764 | 3.964787 | 4.956891 | 4.43058e-05
223.15 | 0.994139 | 1.980978 | 2.973025 | 3.965251 | 4.957907 | 4.24054e-05
223.14 | 0.994150 | 1.981098 | 2.973124 | 3.965273 | 4.957987 | 4.22094e-05
223.13 | 0.994248 | 1.981599 | 2.973782 | 3.965822 | 4.958357 | 4.08591e-05
223.12 | 0.994053 | 1.980670 | 2.972552 | 3.964948 | 4.957436 | 4.35813e-05
223.11 | 0.994005 | 1.980682 | 2.972382 | 3.964764 | 4.957117 | 4.42355e-05
223.10 | 0.993984 | 1.980688 | 2.972310 | 3.964676 | 4.956981 | 4.45256e-05
223.09 | 0.993900 | 1.980576 | 2.972193 | 3.964026 | 4.956525 | 4.57873e-05
223.08 | 0.993933 | 1.980635 | 2.972412 | 3.964505 | 4.956550 | 4.52043e-05
223.07 | 0.993901 | 1.980506 | 2.972283 | 3.964339 | 4.956386 | 4.56628e-05
223.06 | 0.993887 | 1.980482 | 2.972215 | 3.964278 | 4.956312 | 4.5856e-05
223.05 | 0.993873 | 1.980452 | 2.972153 | 3.964213 | 4.956237 | 4.60514e-05
223.04 | 0.993859 | 1.980419 | 2.972092 | 3.964147 | 4.956162 | 4.62504e-05
223.03 | 0.993845 | 1.980386 | 2.972031 | 3.964081 | 4.956087 | 4.64491e-05
223.02 | 0.993831 | 1.980353 | 2.971970 | 3.964014 | 4.956011 | 4.665e-05
223.01 | 0.993817 | 1.980320 | 2.971910 | 3.963947 | 4.955935 | 4.68515e-05
223.00 | 0.993803 | 1.980287 | 2.971849 | 3.963880 | 4.955859 | 4.70537e-05
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Для исследования зависимости числа итераций была написана программа main.cpp, которая на каждом шаге, равному 0.01, считает значение точки минимума вида  $(x_0, x_1, x_2, x_3, x_4)$  и значение минимума функции F(x) в этой точке. По таблице видно, что минимум функции возрастает при уменьшении радиуса допустимой области G. Чем значение радиуса области больше, тем больше значение минимума функции F(x).