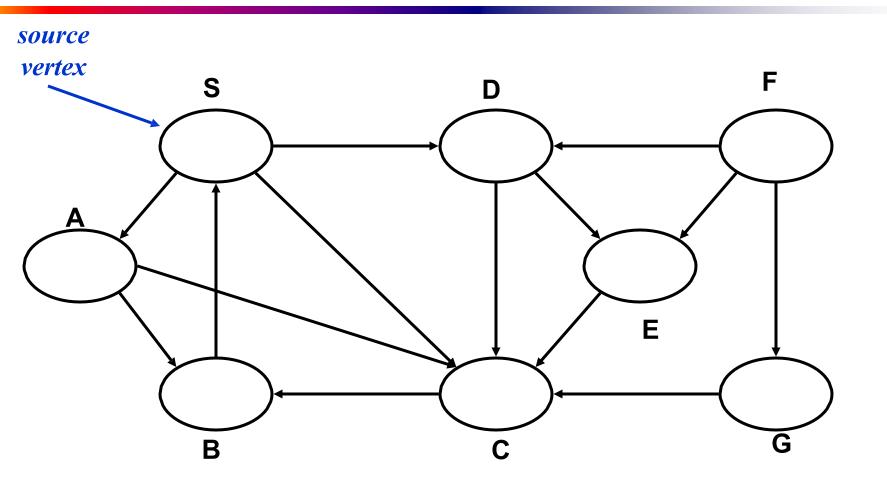
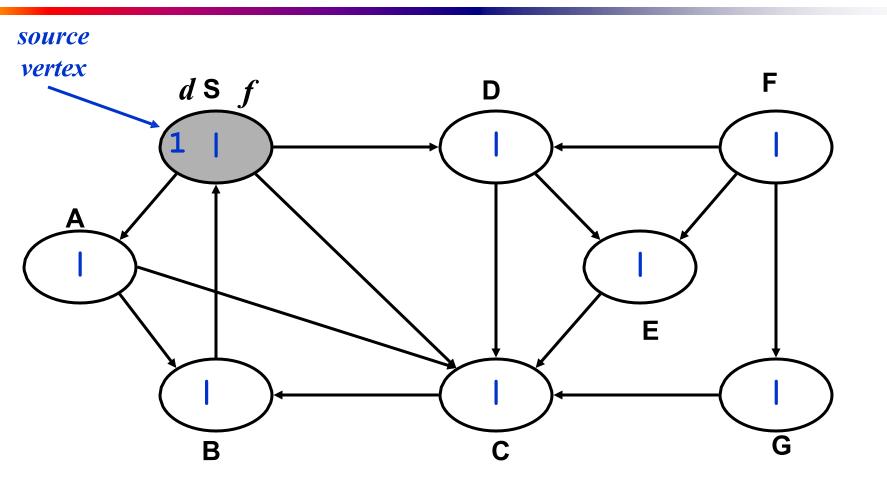
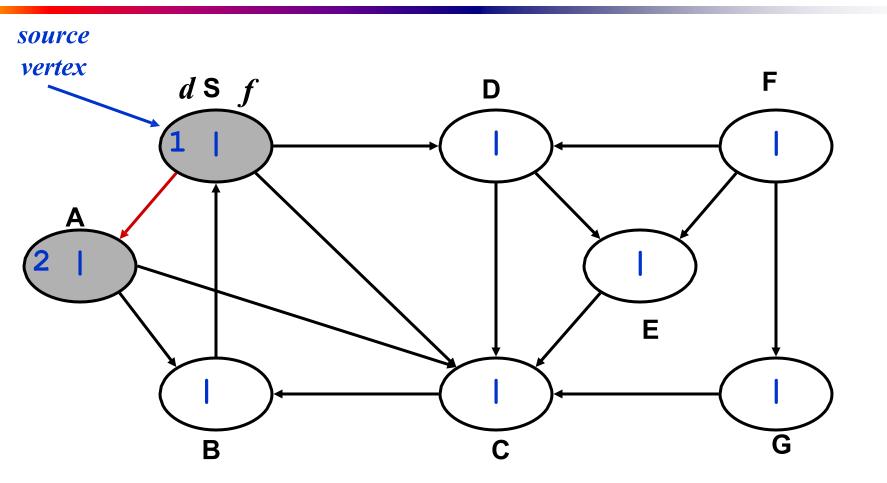
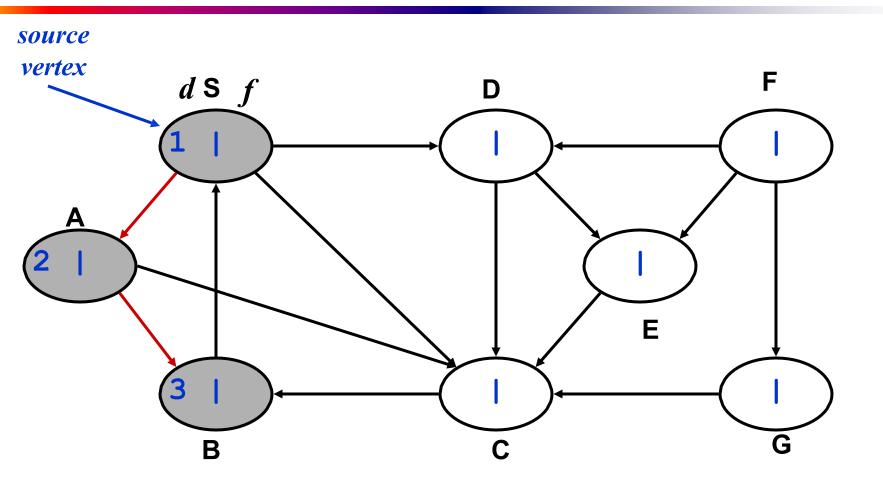
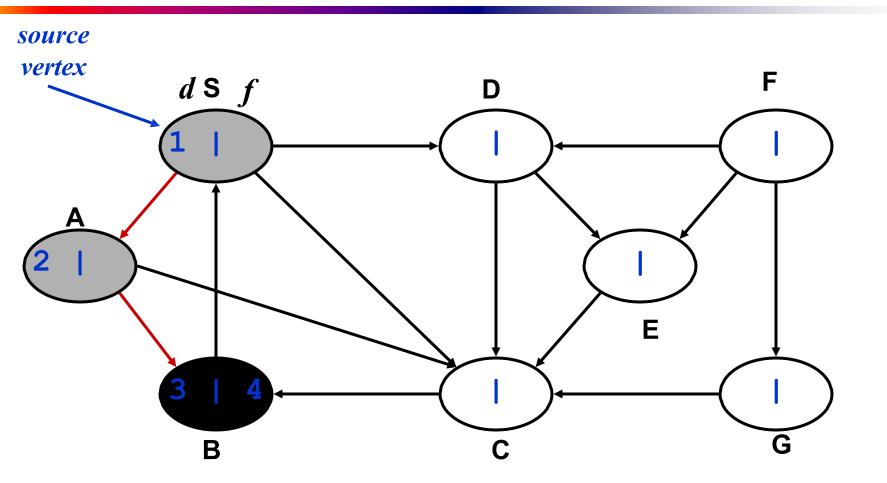
DFS

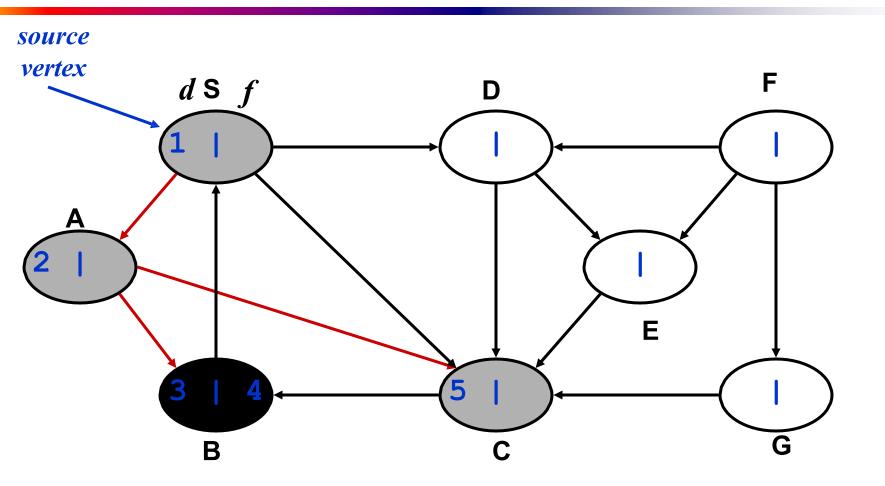


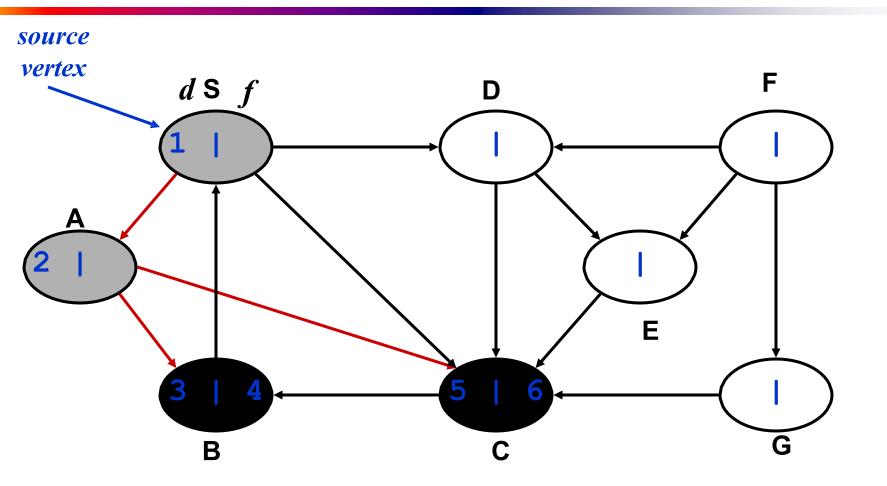


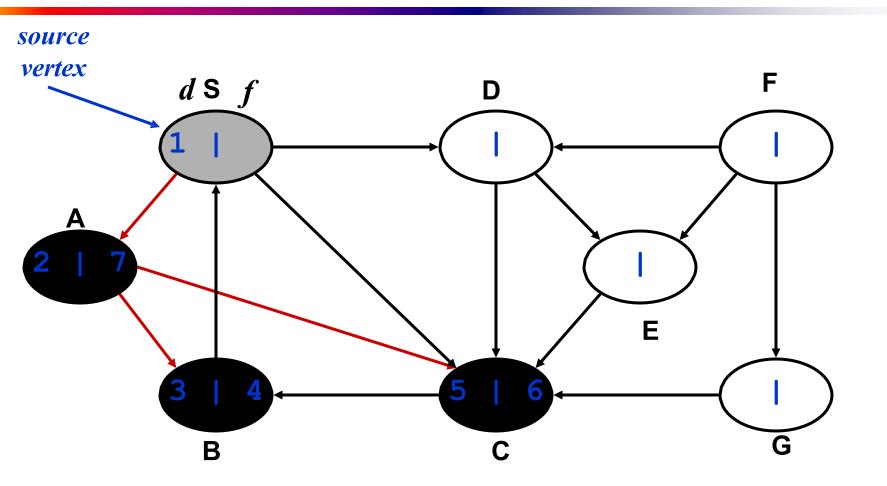


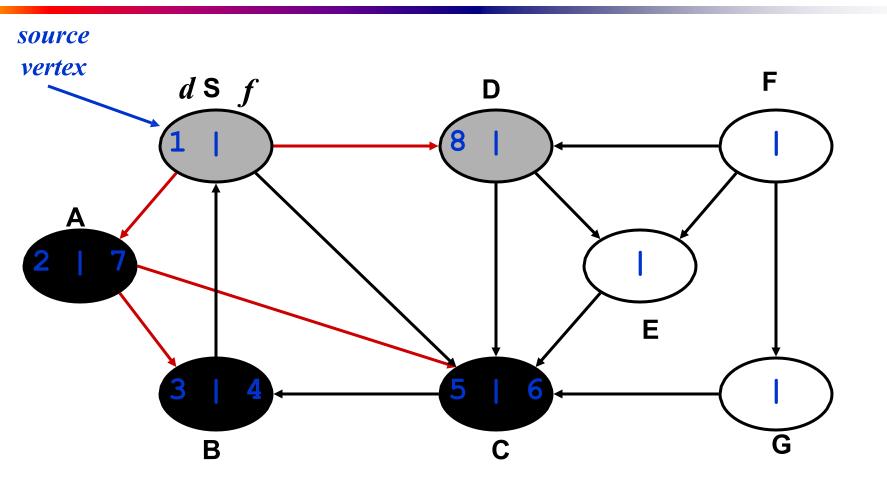


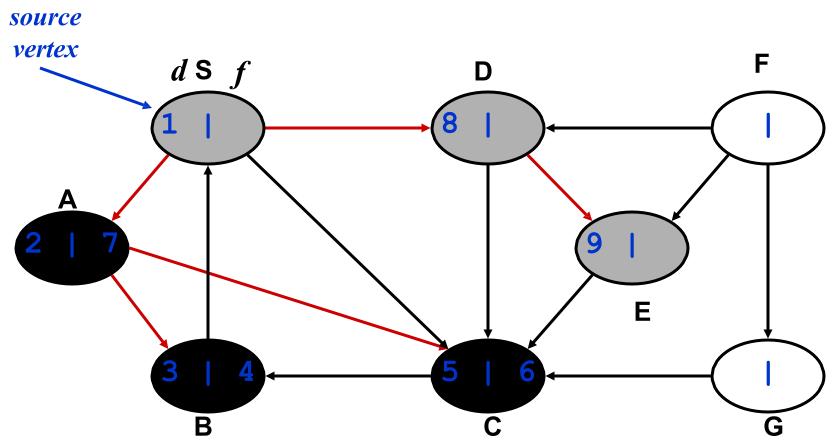




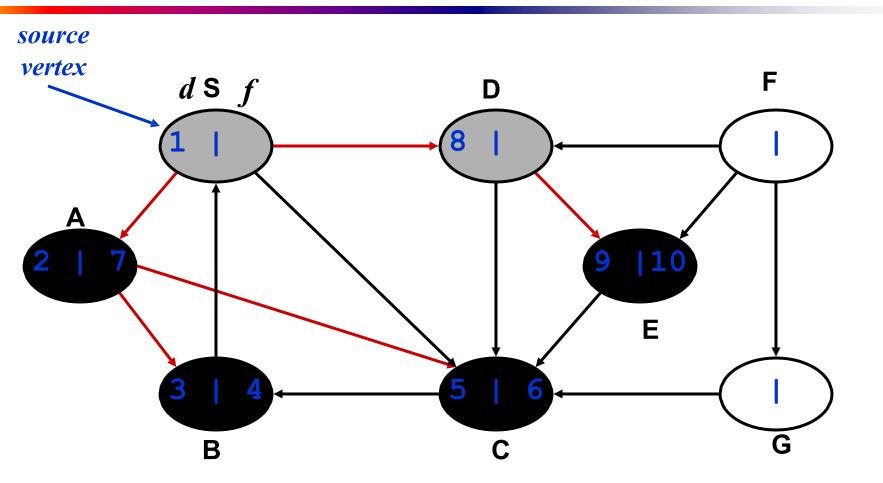


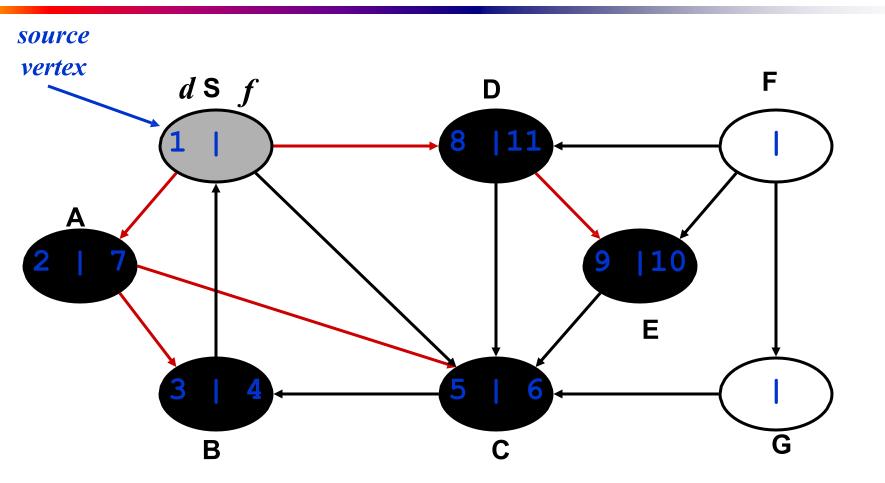


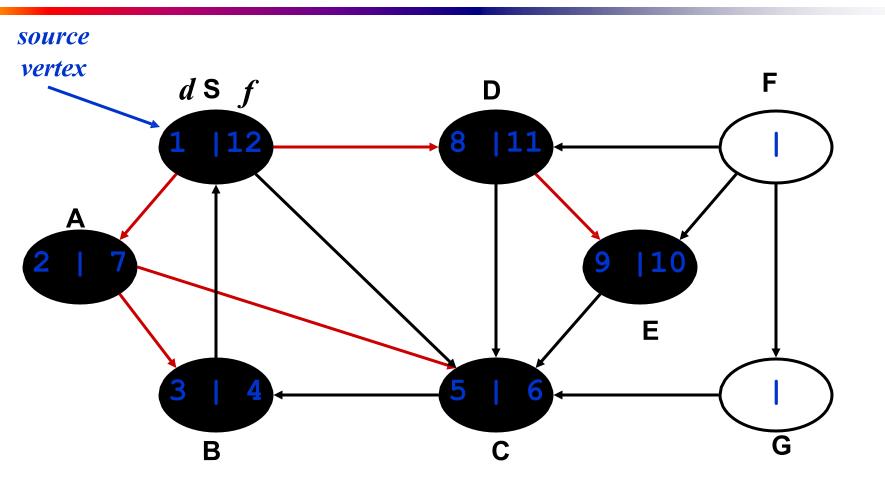


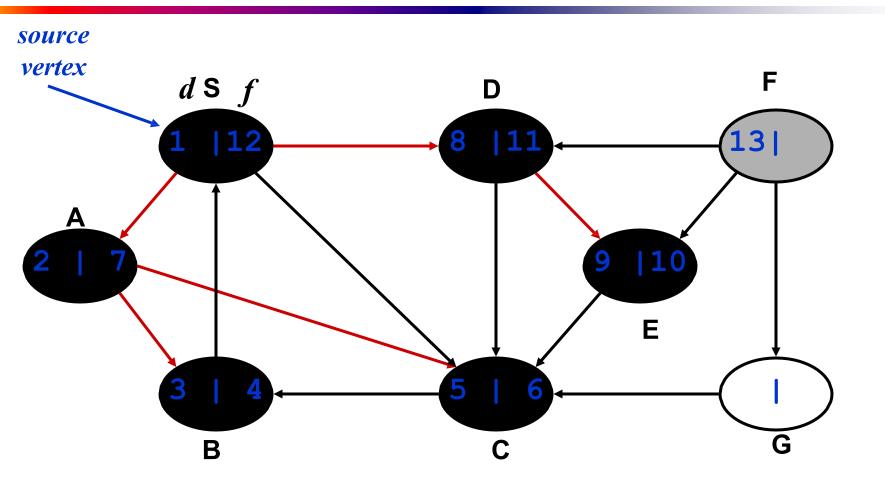


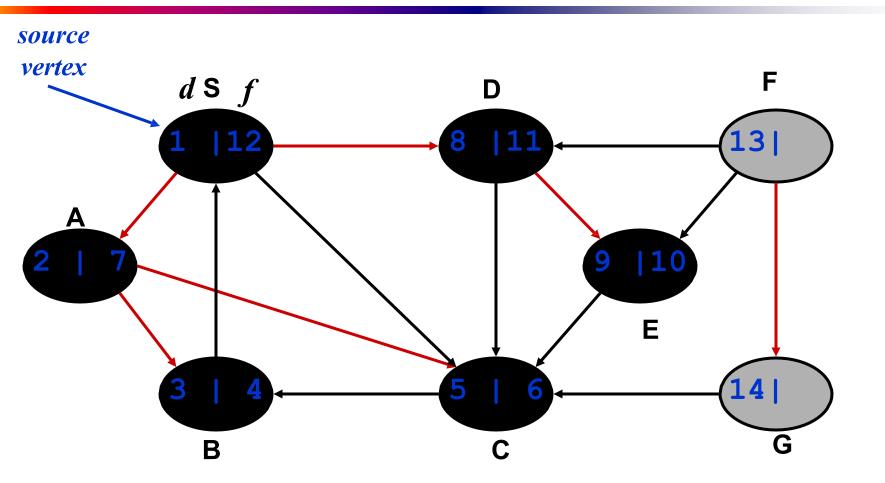
What is the structure of the grey vertices? What do they represent?

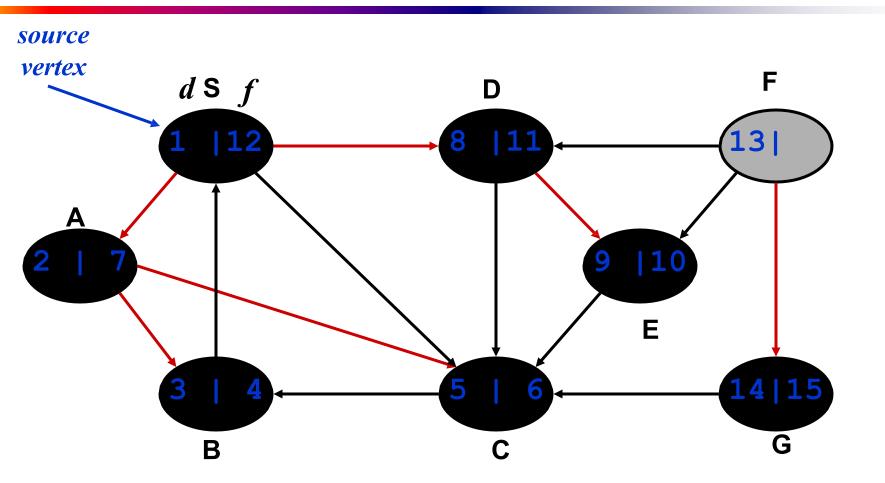


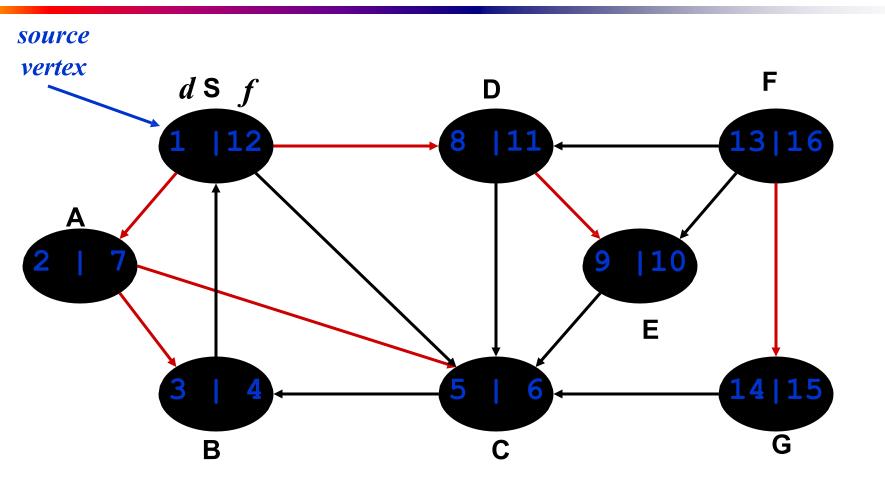




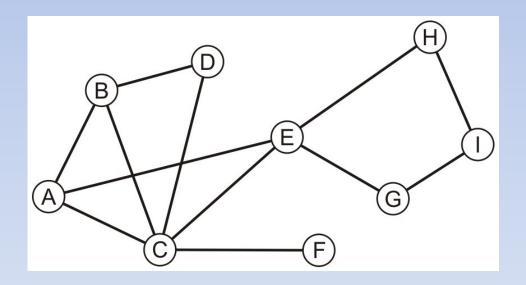






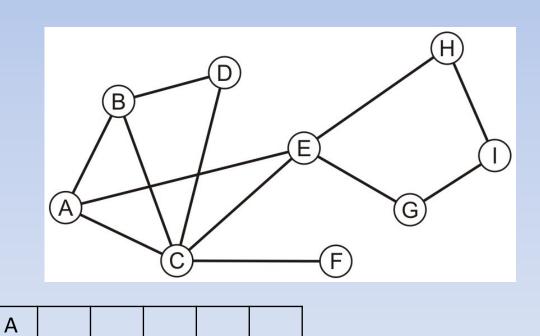


Consider this graph



Performing a breadth-first traversal

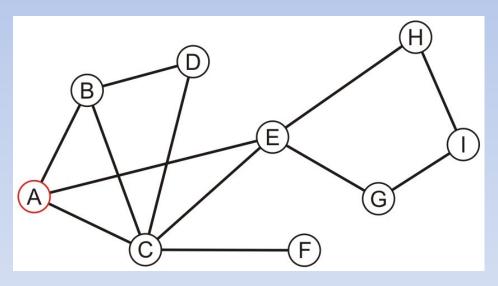
Push the first vertex onto the queue



Performing a breadth-first traversal

Pop A and push B, C and E

Α

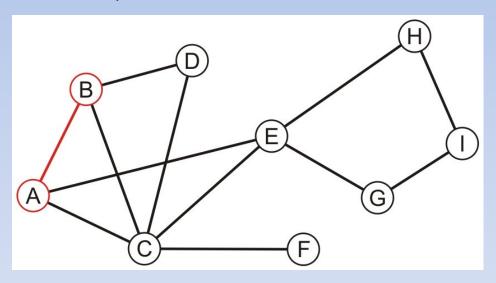


В	С	Е		

Performing a breadth-first traversal:

Pop B and push D

A, B

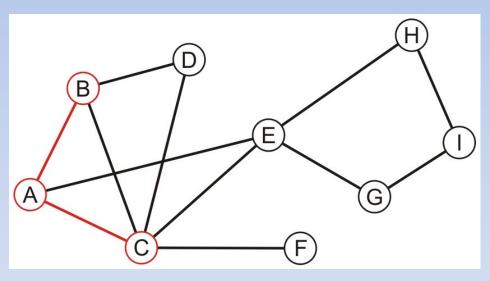


• - •

Performing a breadth-first traversal:

Pop C and push F

A, B, C

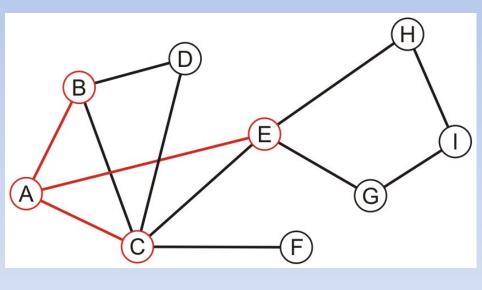


Е	D	F		

Performing a breadth-first traversal:

- Pop E and push G and H

A, B, C, E

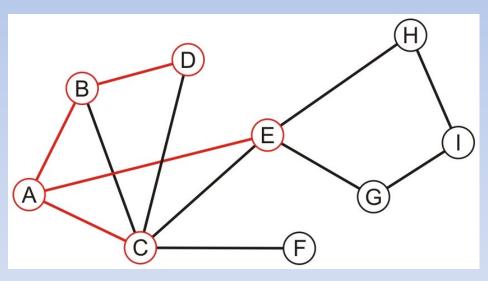


D	F	G	Н		
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Performing a breadth-first traversal:

- Pop D

A, B, C, E, D

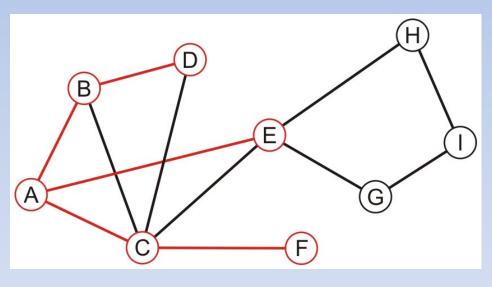


F	G	Н		
	1			

Performing a breadth-first traversal:

- Pop F

A, B, C, E, D, F



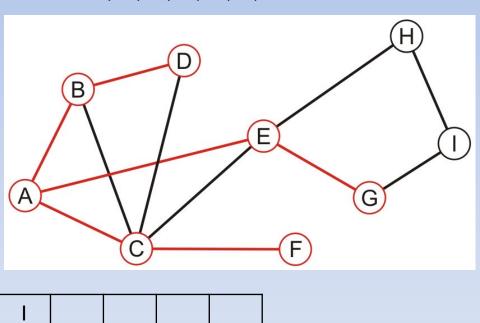
G	Н		

Performing a breadth-first traversal:

- Pop G and push I

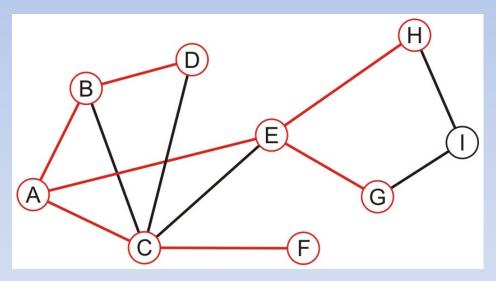
Н

A, B, C, E, D, F, G



Performing a breadth-first traversal:

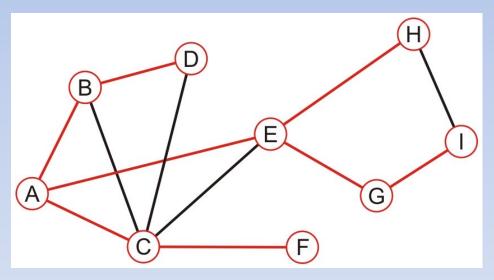
- Pop H



Performing a breadth-first traversal:

- Pop I

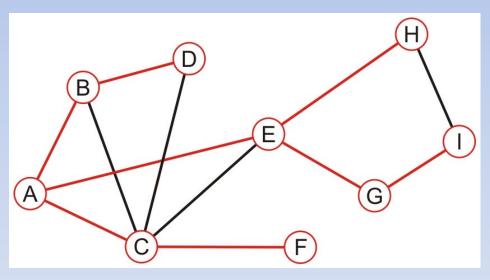
A, B, C, E, D, F, G, H, I



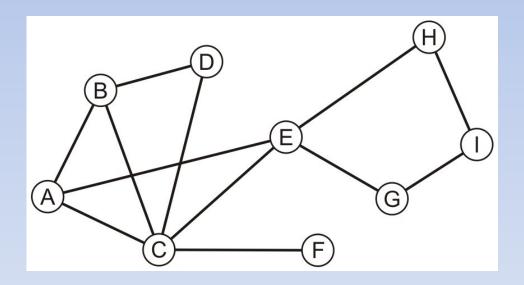
Performing a breadth-first traversal:

- The queue is empty: we are finished

A, B, C, E, D, F, G, H, I



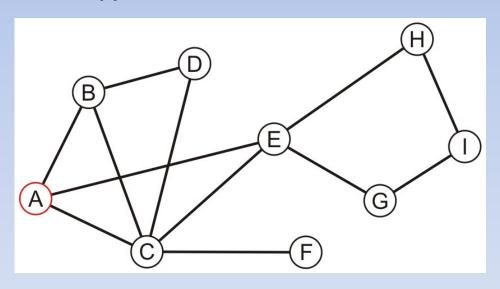
Perform a recursive depth-first traversal on this same graph



Performing a recursive depth-first traversal:

Visit the first node

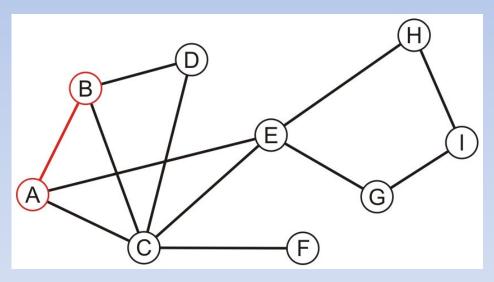
Α



Performing a recursive depth-first traversal:

- A has an unvisited neighbor

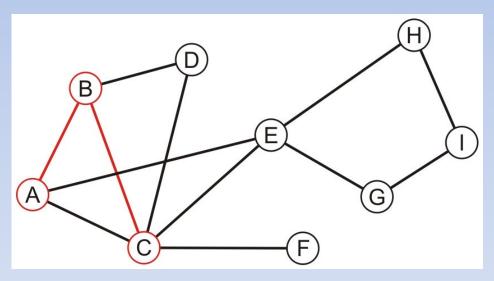
A, B



Performing a recursive depth-first traversal:

- B has an unvisited neighbor

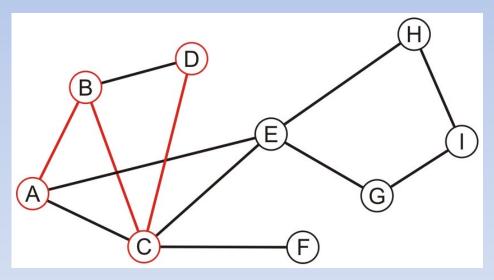
A, B, C



Performing a recursive depth-first traversal:

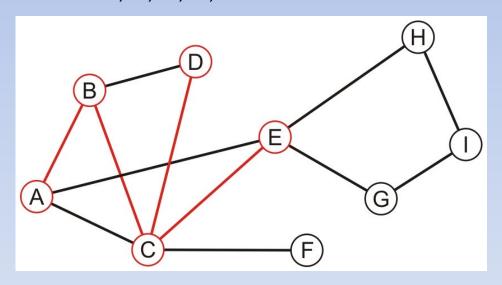
- C has an unvisited neighbor

A, B, C, D



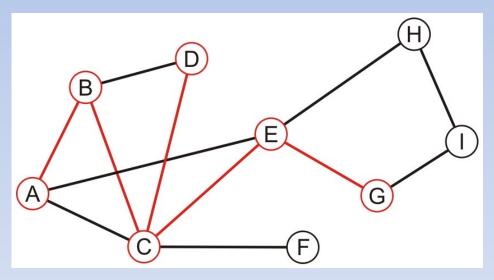
Performing a recursive depth-first traversal:

D has no unvisited neighbors, so we return to C
A, B, C, D, E



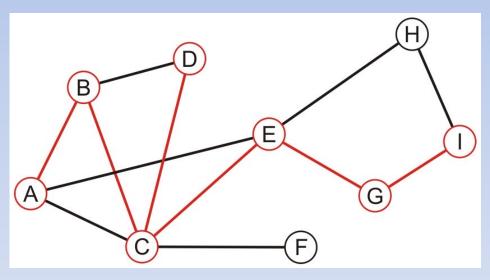
Performing a recursive depth-first traversal:

- E has an unvisited neighbor



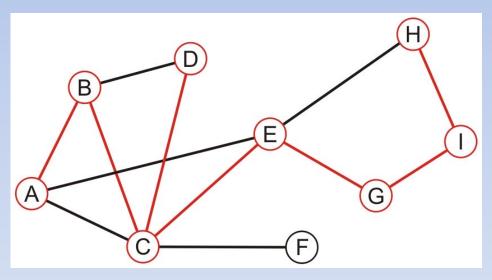
Performing a recursive depth-first traversal:

F has an unvisited neighbor



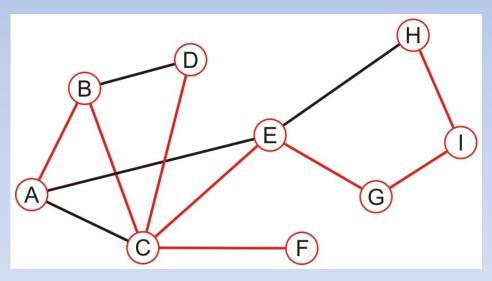
Performing a recursive depth-first traversal:

- H has an unvisited neighbor



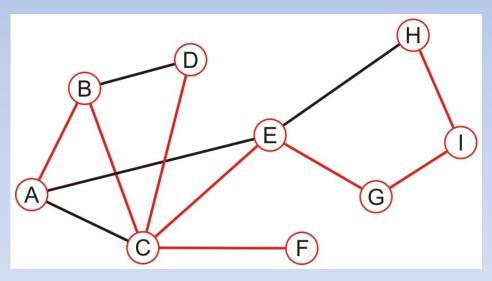
Performing a recursive depth-first traversal:

We recurse back to C which has an unvisited neighbour
A, B, C, D, E, G, I, H, F



Performing a recursive depth-first traversal:

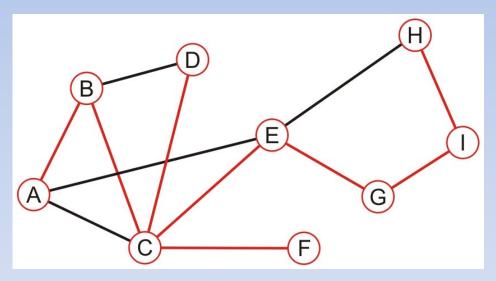
We recurse finding that no other nodes have unvisited neighbours
A, B, C, D, E, G, I, H, F



Comparison

Performing a recursive depth-first traversal:

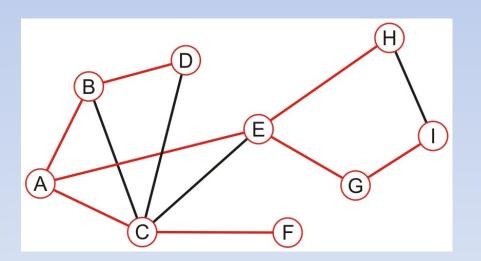
We recurse finding that no other nodes have unvisited neighbours
A, B, C, D, E, G, I, H, F



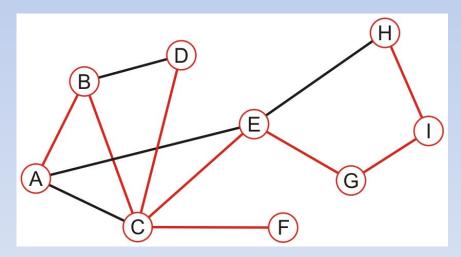
Comparison

The order in which vertices can be traversed differ greatly

A, B, C, E, D, F, G, H, I



A, B, C, D, E, G, I, H, F



Applications

Applications of tree traversals include:

- Determining connectiveness and finding connected sub-graphs
- Determining the path length from one vertex to all others
- Testing if a graph is bipartite
- Determining maximum flow
- Cheney's algorithm for garbage collection