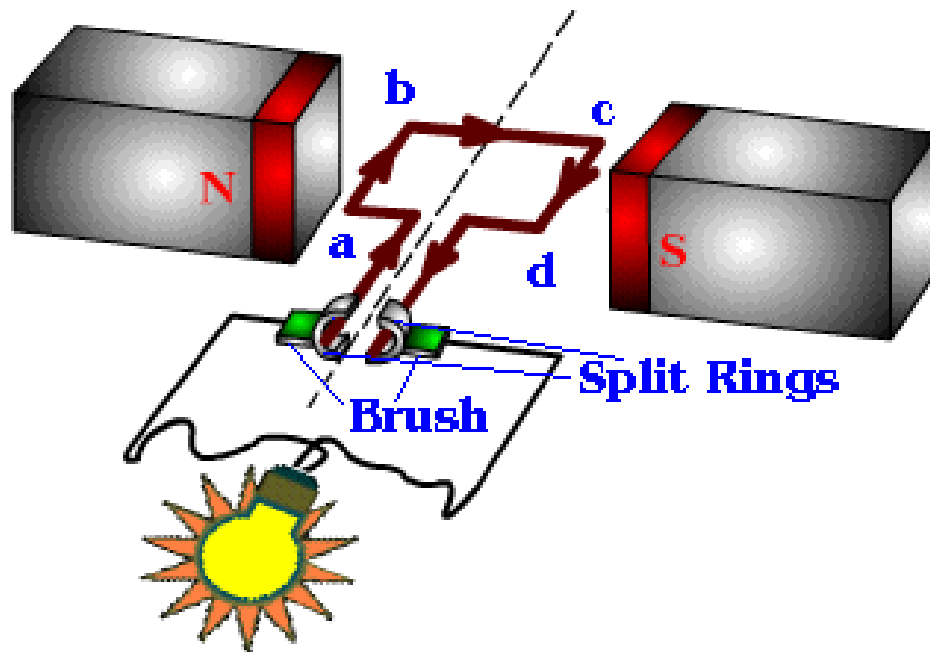


# Electrical Machines

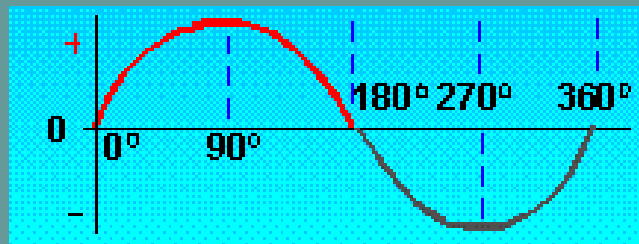
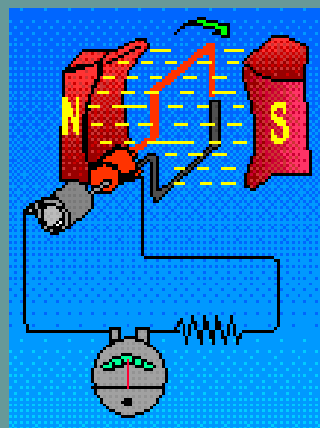
EEE 363

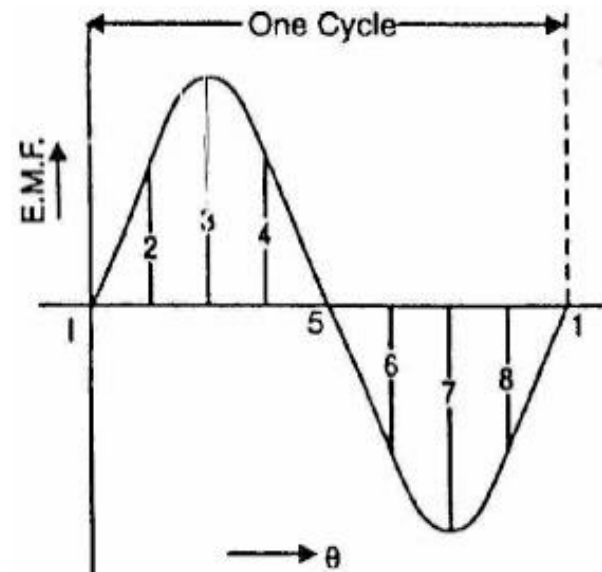
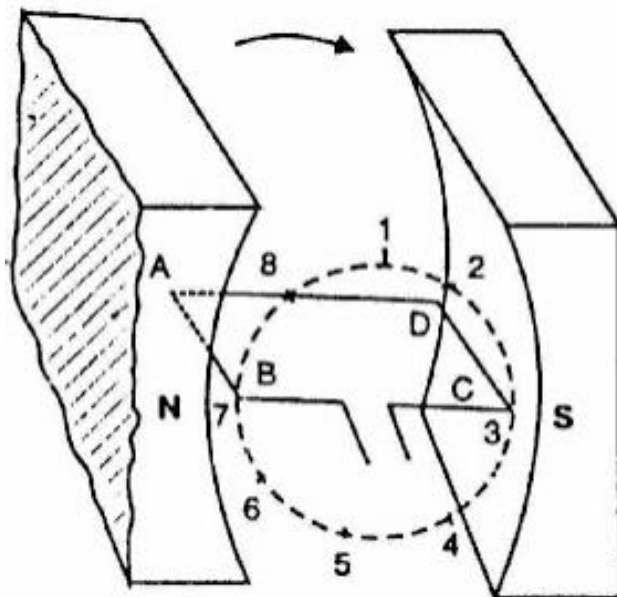
# DC Generator

Whenever a conductor cuts magnetic flux, dynamically induced e.m.f. is produced in it according to [Faraday's Laws of Electromagnetic Induction](#). This e.m.f. causes a current to flow if the conductor circuit is closed.



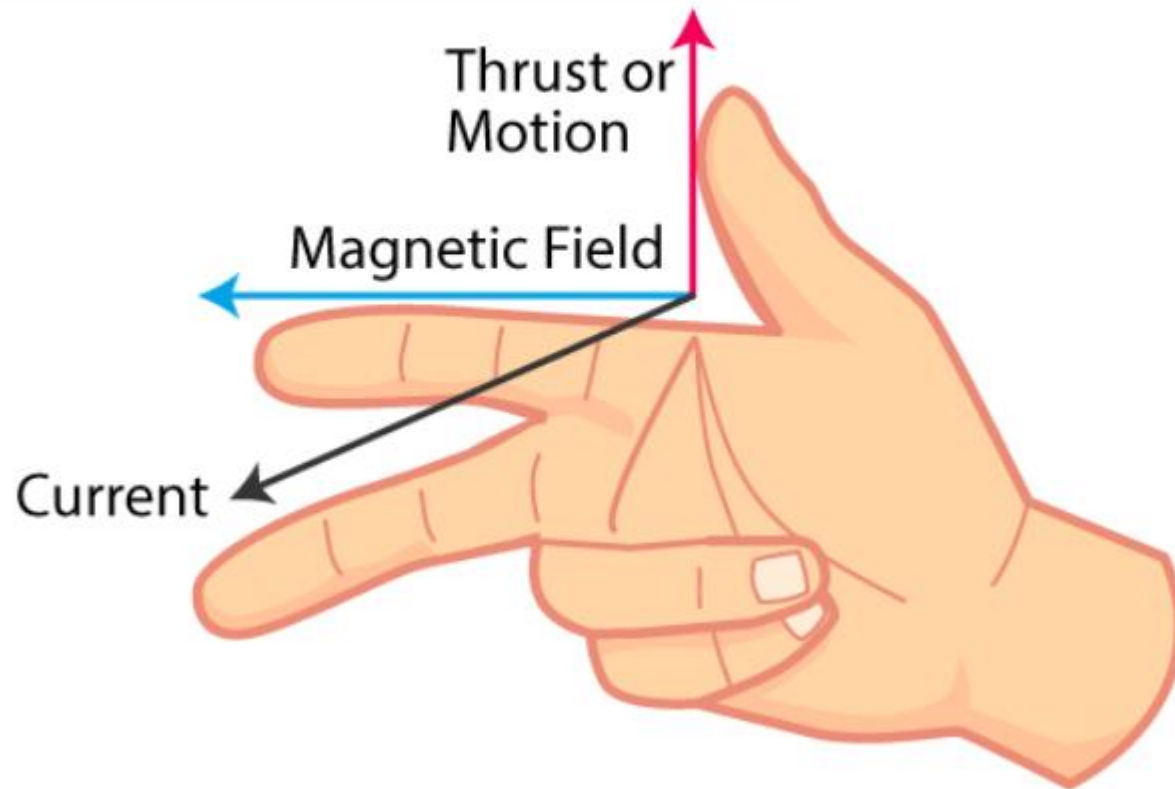
Fleming's Right Hand Rule



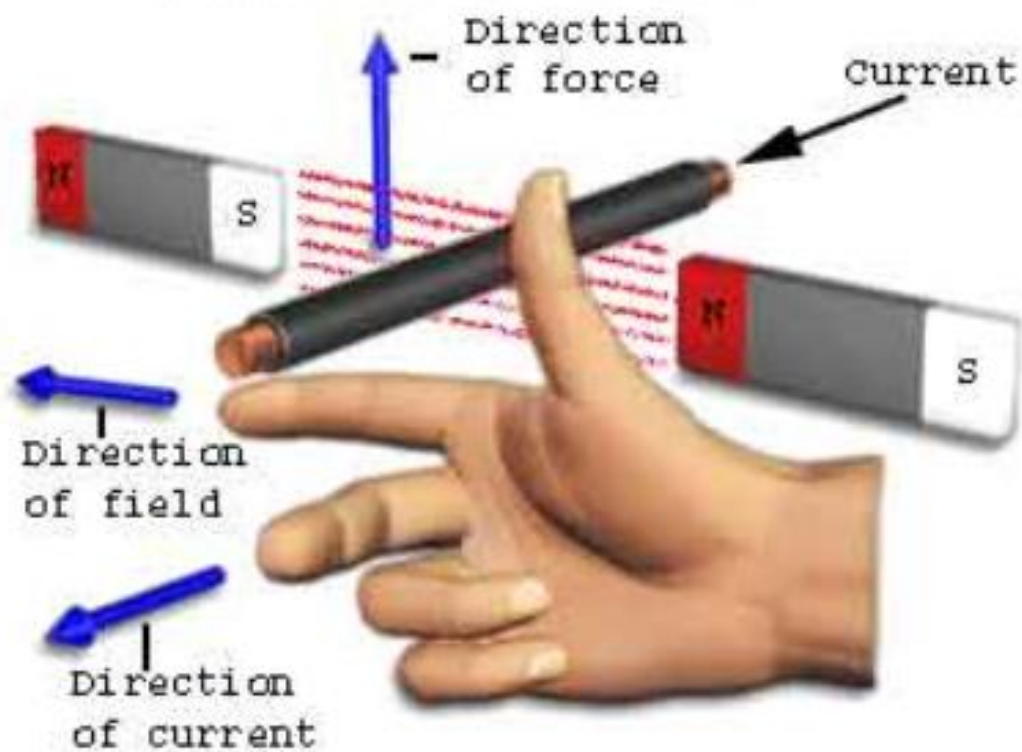


## Right hand rule

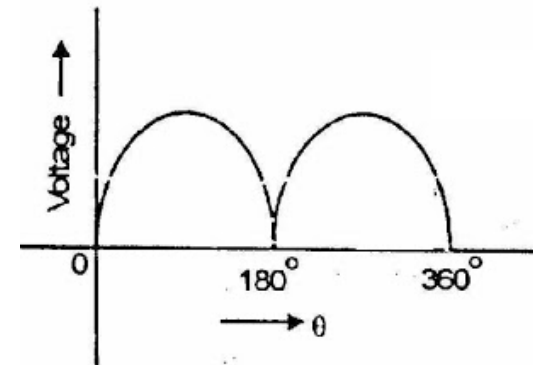
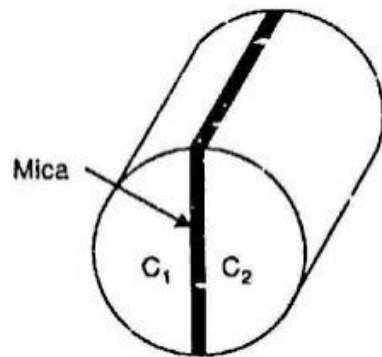
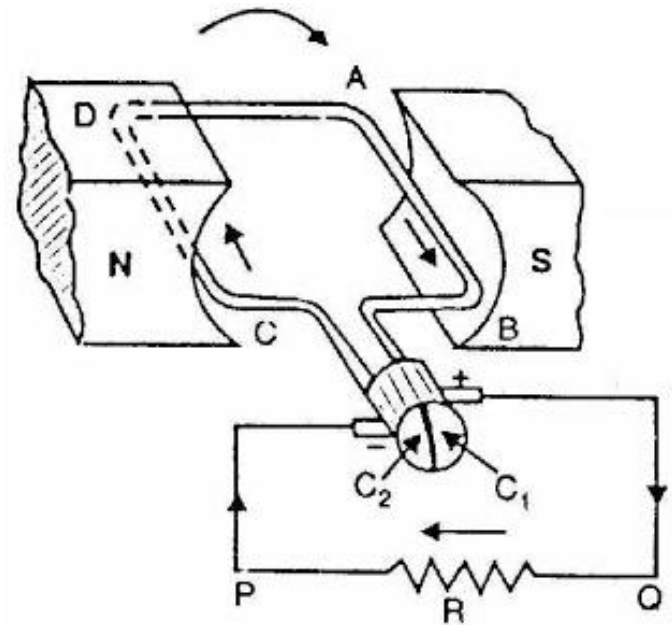
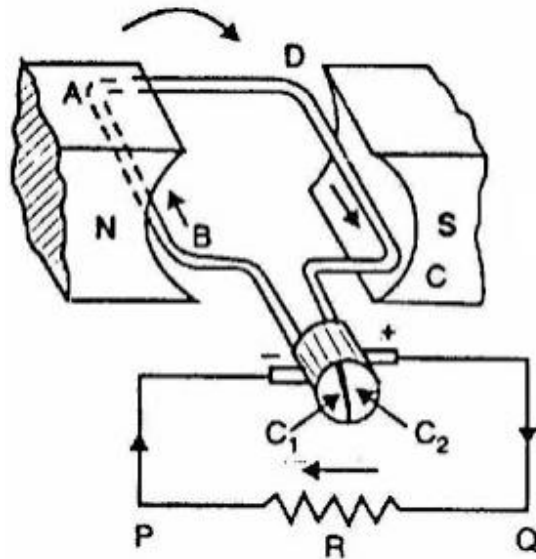
### FLEMING'S RIGHT HAND RULE



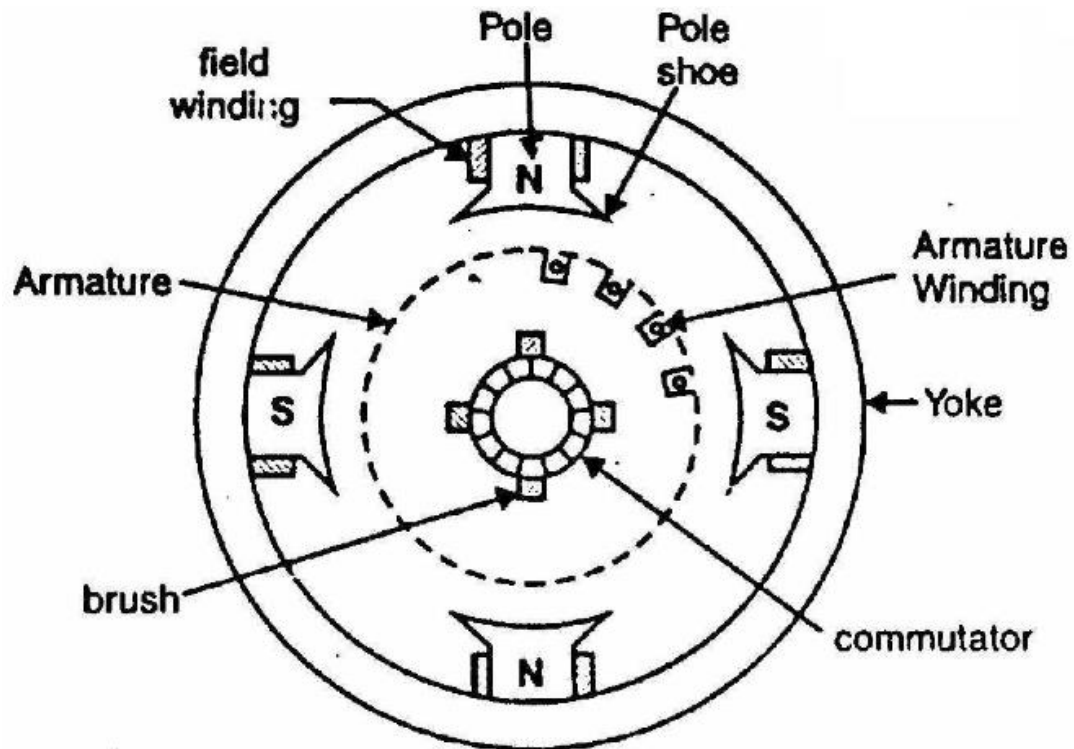
# Fleming's Right Hand Rule



# Commutator

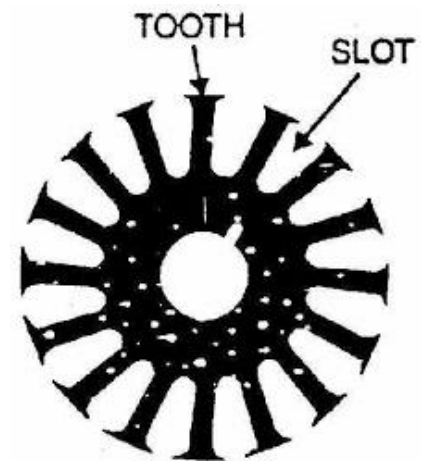
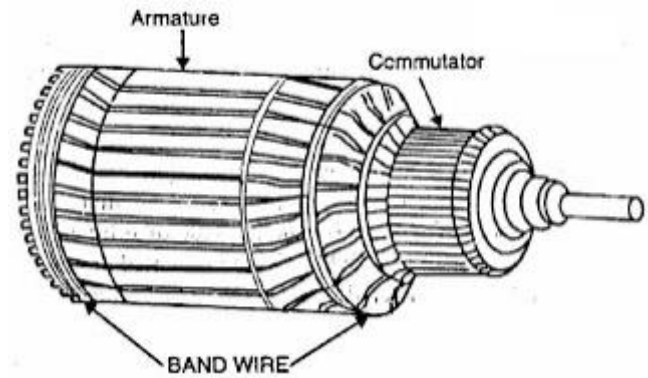
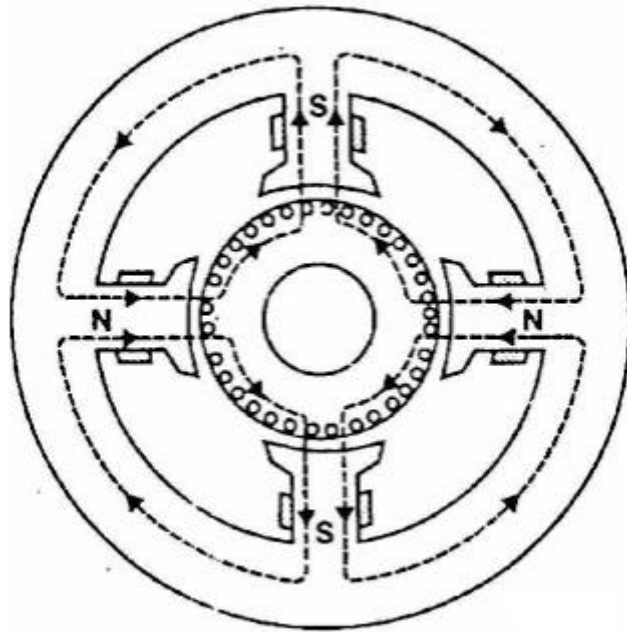


# Constructions

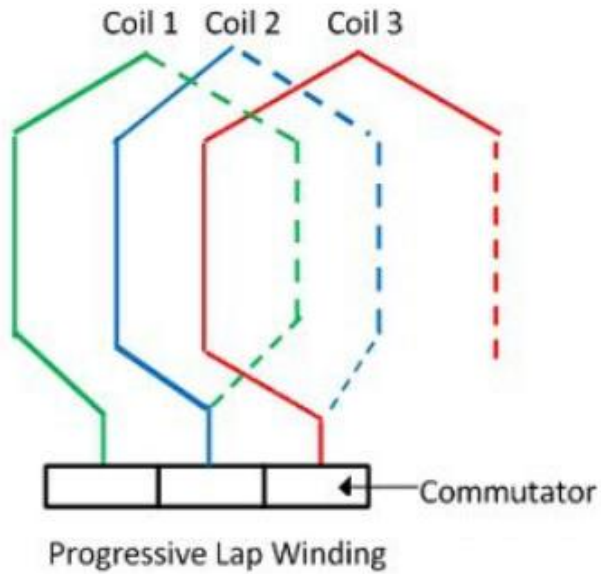


Pole pitch and Coil pitch

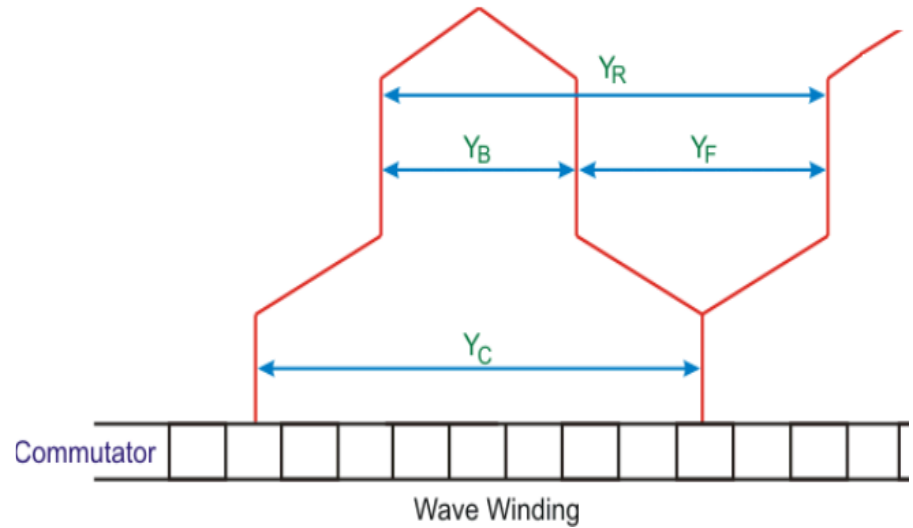




# Types of winding

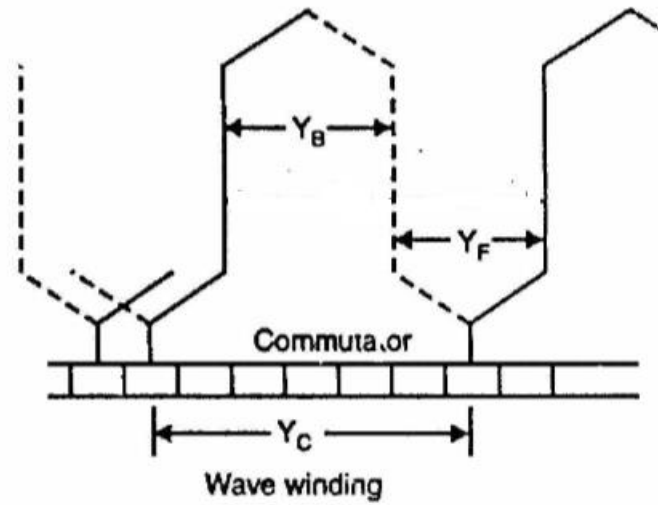
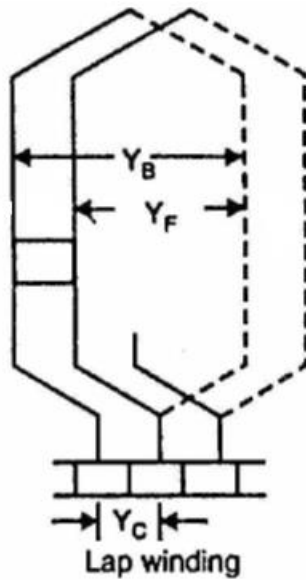


- Lap winding

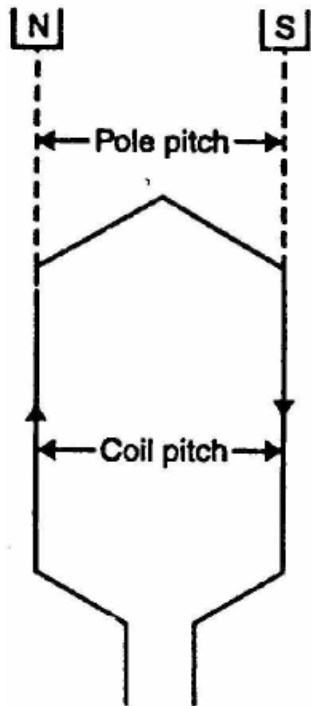


- Wave winding

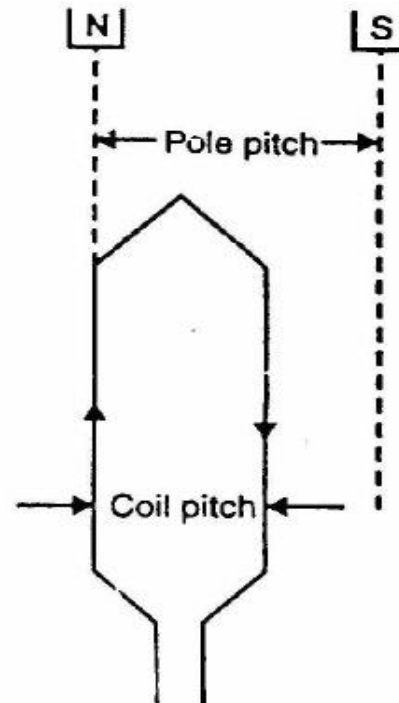
## Back/Front Pitch



## Types of coil



- Full-pitched coil



- Fractional-pitched coil

**Example 26.1.** Draw a developed diagram of a simple 2-layer lap-winding for a 4-pole generator with 16 coils. Hence, point out the characteristics of a lap-winding.

**Solution.** The number of commutator segments = 16

Number of conductors or coil sides  $16 \times 2 = 32$  ; pole pitch  $= 32/4 = 8$

Now remembering that (i)  $Y_B$  and  $Y_F$  have to be odd and (ii) have to differ by 2, we get for a progressive winding  $Y_B = 9$  ;  $Y_F = -7$  (retrogressive winding will result if  $Y_B = 7$  and  $Y_F = -9$ ). Obviously, commutator pitch  $Y_C = -1$ .

[Otherwise, as shown in Art. 26.26, for progressive winding

$$Y_F = \frac{Z}{P} - 1 = \frac{32}{4} - 1 = 7 \text{ and } Y_B = \frac{Z}{P} - 1 = \frac{32}{4} + 1 = 9]$$

The simple winding table is given as under :

<i>Back Connections</i>		<i>Front Connections</i>
1 to $(1 + 9) = 10$	————→	10 to $(10 - 7) = 3$
3 to $(3 + 9) = 12$	————→	12 to $(12 - 7) = 5$
5 to $(5 + 9) = 14$	————→	14 to $(14 - 7) = 7$
7 to $(7 + 9) = 16$	————→	16 to $(16 - 7) = 9$
9 to $(9 + 9) = 18$	————→	18 to $(18 - 7) = 11$
11 to $(11 + 9) = 20$	————→	20 to $(20 - 7) = 13$
13 to $(13 + 9) = 22$	————→	22 to $(22 - 7) = 15$
15 to $(15 + 9) = 24$	————→	24 to $(24 - 7) = 17$
17 to $(17 + 9) = 26$	————→	26 to $(26 - 7) = 19$
19 to $(19 + 9) = 28$	————→	28 to $(28 - 7) = 21$

21 to $(21 + 9) = 30$	————→	30 to $(20 - 7) = 23$
23 to $(23 + 9) = 32$	————→	32 to $(32 - 7) = 25$
25 to $(25 + 9) = 34 = (34 - 32) = 2$	————→	2 to $(34 - 7) = 27$
27 to $(27 + 9) = 36 = (36 - 32) = 4$	————→	4 to $(36 - 7) = 29$
29 to $(29 + 9) = 38 = (38 - 32) = 6$	————→	6 to $(38 - 7) = 31$
31 to $(31 + 9) = 40 = (40 - 32) = 8$	————→	8 to $(40 - 7) = 33 = (33 - 32) = 1$

The winding ends here because we come back to the conductor from where we started.



