

# Properties of OOP

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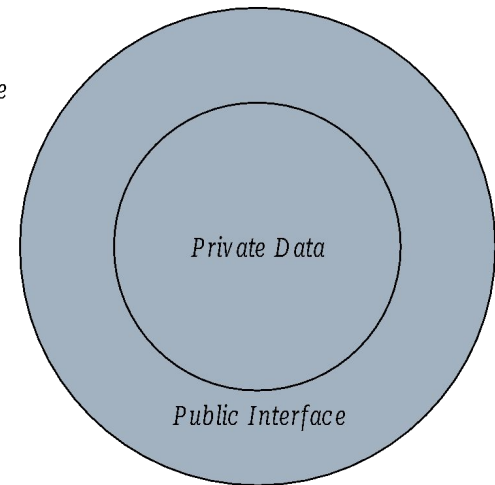
SE 206

# Encapsulation

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- ❑ The data (state) of an object is private – it cannot be accessed directly.
- ❑ The state can only be changed through its public *interface*.
- ❑ This is called *encapsulation*

*"The Doughnut Diagram"  
Showing that an object has  
private state and public  
behaviour. State can only be  
changed by invoking some  
behaviour*



# Classes

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# Preparation

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- Scene so far has been background material and experience
  - Variables
  - Data Types
  - Input and output
  - Expressions
  - Assignments
  - Objects
  - Standard classes and methods
  - Decisions (if, switch)
  - Loops (while, for, do-while)
  
- Now: Experience what Java is really about
  - Design and implement objects representing information and physical world objects

# Object-oriented programming

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- Basis
  - Create and manipulate **objects** with **attributes** and **methods** that the programmer can specify
- Mechanism
  - Classes
- Benefits
  - An information type is designed and implemented once
    - Reused as needed
      - No need reanalysis and re-justification of the representation

# Known Classes

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- Classes we've seen
  - String
  - Scanner
  - System

# The Car class

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# A new example: creating a Car class

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- What properties does a car have in the real world?
  - Color
  - Position (x,y)
  - Fuel in tank
  
- We will implement these properties in our Car class

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# Car's instance variables

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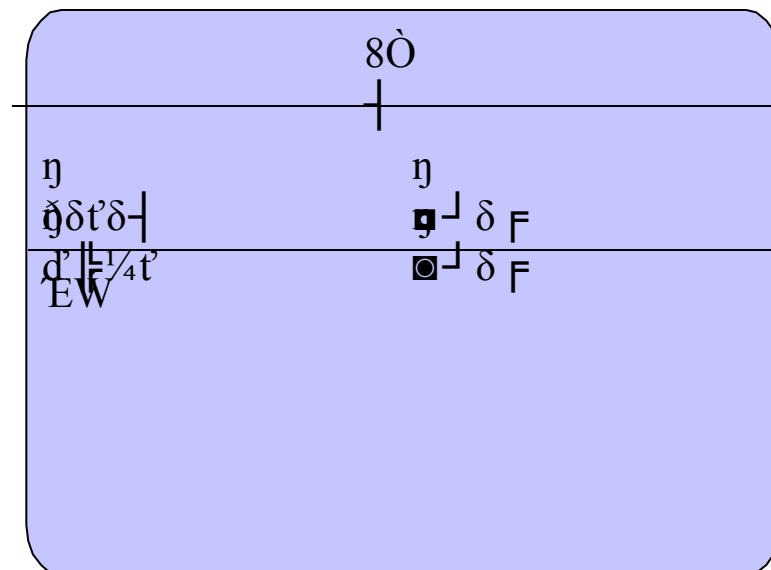
$\vdash \vdash 1 \text{---} \ddot{O} \mathbb{L}_{1/4} 1 \dot{Z} \mathbb{L}_{\blacksquare} \vdash \delta \models \dot{w}$

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$\vdash \vdash 1 \text{---} \ddot{O} \mathbb{L}_{1/4} 1 \dot{Z} \mathbb{L}_{d'} \Vdash_{1/4} t \dot{w}$

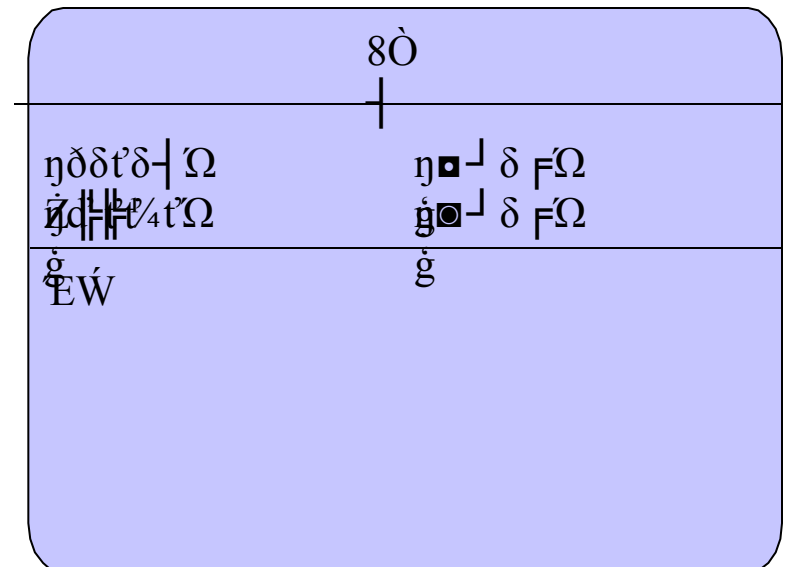
$\dot{y} \dot{y} \dot{o} \dot{o} \dot{o}$

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# Instance variables and attributes

- Default initialization
  - If the variable is within a method, Java does NOT initialize it
  - If the variable is within a class, Java initializes it as follows:
    - Numeric instance variables initialized to 0
    - Logical instance variables initialized to false
    - Object instance variables initialized to null



# Car behaviors or methods

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- What can a car do? And what can you do to a car?
  - Move it
    - Change it's x and y positions
  - Change it's color
  - Fill it up with fuel
  
- For our computer simulation, what else do we want the Car class to do?
  - Create a new Car
  - Change Car's condition
  
- Each of these behaviors will be written as a method

# Creating a new car

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- To create a new Car, we call:
  - Car car = new Car();
- Notice this looks like a method
  - You are calling a special method called a **constructor**
  - A constructor is used to create (or construct) an object
    - It sets the instance variables to initial values
- The constructor:

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# Constructors

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**No return type!**

**EXACT same  
name as class**

$\delta\ddot{O}\vdash R_r\mathbb{F}$   
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 $\delta\delta t'\delta\vdash\Omega\delta\delta t'\delta\vdash\phi7s\leq C\dot{w}$   
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# Our Car class so far

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 $\vdash \vdash 1 \text{---} \dot{O} \mathbb{L}_{1/4} 1 \dot{Z} \mathbb{L}_{\blacksquare} \vdash \delta \models \dot{w}$   
 $\vdash \vdash 1 \text{---} \dot{O} \mathbb{L}_{1/4} 1 \dot{Z} \mathbb{L}_{\blacksquare} \vdash \delta \models \dot{w}$   
 $\vdash \vdash 1 \text{---} \dot{O} \mathbb{L}_{1/4} 1 \dot{Z} \mathbb{L}_{d'} \models_{1/4} t' \dot{w}$   
  
 $8 \dot{O} \vdash \mathbb{R}_r \mathbb{F}$   
 $d' \models_{1/4} t' \Omega \hat{H} \dot{g} \dot{g} \dot{g} \dot{w}$   
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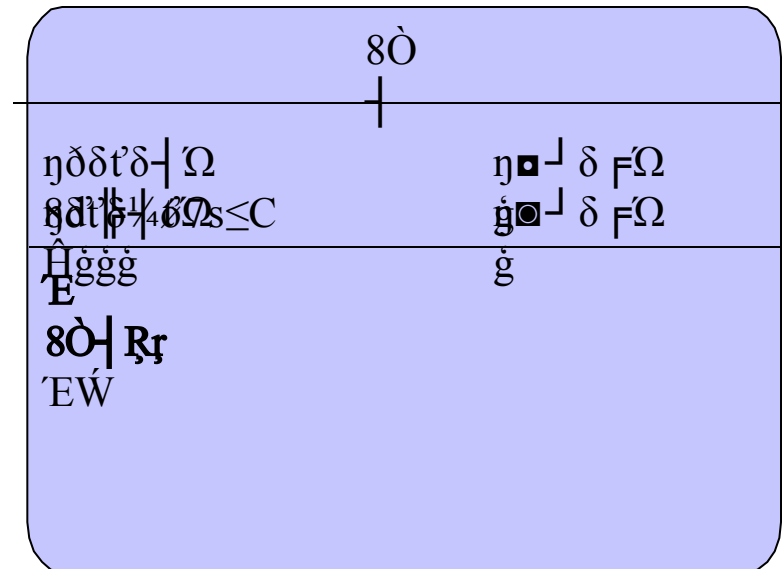
$\mathfrak{t}$

$\delta t' \dot{O} \models \models 8 \dot{O} \vdash \mathbb{F}$   
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 $\delta \delta t' \delta \vdash \delta 7 s \leq C \dot{w}$   
 $\vdash \vdash 1 \text{---} \dot{O} \mathbb{L}_{1/4} 1 \dot{Z} \mathbb{L}_{\blacksquare} \vdash \delta \models \dot{w}$   
 $\vdash \vdash 1 \text{---} \dot{O} \mathbb{L}_{1/4} 1 \dot{Z} \mathbb{L}_{\blacksquare} \vdash \delta \models \dot{w}$   
 $\vdash \vdash 1 \text{---} \dot{O} \mathbb{L}_{1/4} 1 \dot{Z} \mathbb{L}_{d'} \models_{1/4} \Omega \hat{H} \dot{g} \dot{g} \dot{g} \dot{w}$   
  
 $8 \dot{O} \vdash \mathbb{R}_r \mathbb{F}$   
 $\mathfrak{t}$   
  
 $\mathfrak{t}$

# Our Car class so far

$\delta t' \bar{O} \vdash \vdash 8 \bar{O} \vdash \vdash$   
 $\vdash \vdash 1 \vdash \bar{O} \vdash \vdash \frac{1}{4} 8 \delta t' \delta \vdash \vdash \delta \delta t' \delta \vdash \vdash \Omega$   
 $\delta \delta t' \delta \vdash \vdash \delta 7 s \leq C \hat{w}$   
 $\vdash \vdash 1 \vdash \bar{O} \vdash \vdash \frac{1}{4} 1 \cdot \dot{Z} \vdash \vdash \square \vdash \vdash \delta \vdash \vdash \Omega \hat{g} \hat{w}$   
 $\vdash \vdash 1 \vdash \bar{O} \vdash \vdash \frac{1}{4} 1 \cdot \dot{Z} \vdash \vdash \blacksquare \vdash \vdash \delta \vdash \vdash \Omega \hat{g} \hat{w}$   
 $\vdash \vdash 1 \vdash \bar{O} \vdash \vdash \frac{1}{4} 1 \cdot \dot{Z} \vdash \vdash d' \vdash \vdash \frac{1}{4} t' \Omega \hat{H} \hat{g} \hat{g} \hat{g} \hat{w}$

$8 \bar{O} \vdash \vdash R_r \vdash \vdash$   
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- Called the default constructor
  - The default constructor has no parameters
  - If you don't include one, Java will SOMETIMES put one there automatically

# Another constructor

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- Another constructor:

$$\begin{aligned}
 &8\dot{O}-\mid R8\delta t'\delta-\mid \delta\cdot 1\dot{Z}\mathbb{L}_{\blacksquare}\cdot 1\dot{Z}\mathbb{L}_{\bullet}\cdot 1\dot{Z}\mathbb{L}_{d'}r\mathbb{F} \\
 &\delta\delta t'\delta-\mid \Omega\delta\dot{w} \\
 &\blacksquare\lrcorner\delta\mathbb{F}'\Omega\blacksquare\dot{w} \\
 &\bullet\lrcorner\delta\mathbb{F}'\Omega\bullet\dot{w} \\
 &d'\Vdash^{1/4}t'\Omega d'\dot{w}
 \end{aligned}$$

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- This constructor takes in four parameters
- The instance variables in the object are set to those parameters
- This is called a specific constructor
  - An constructor you provide that takes in parameters is called a specific constructor

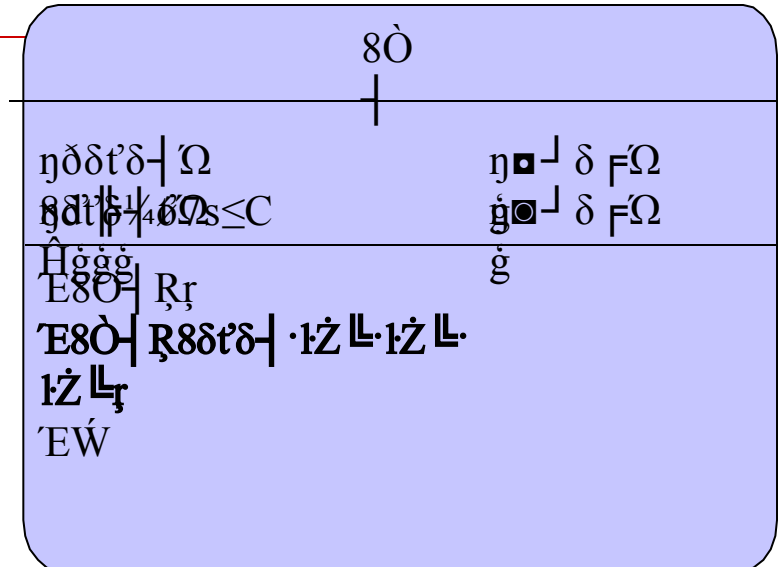


# Our Car class so far

$\delta t \dot{O} \models \neg \delta \dot{O} \vdash \neg$   
 $\vdash \vdash 1 \dashv \dot{O} \mathbb{L}_{1/4} \delta \delta t \delta \vdash \delta \delta t \delta \vdash \Omega$   
 $\delta \delta t \delta \vdash \delta 7s \leq C \dot{w}$   
 $\vdash \vdash 1 \dashv \dot{O} \mathbb{L}_{1/4} 1 \dot{Z} \mathbb{L}_{\blacksquare} \vdash \delta \neg \Omega \dot{g} \dot{w}$   
 $\vdash \vdash 1 \dashv \dot{O} \mathbb{L}_{1/4} 1 \dot{Z} \mathbb{L}_{\blacksquare} \vdash \delta \neg \Omega \dot{g} \dot{w}$   
 $\vdash \vdash 1 \dashv \dot{O} \mathbb{L}_{1/4} 1 \dot{Z} \mathbb{L}_{d'} \Vdash_{1/4} t' \Omega \hat{H} \dot{g} \dot{g} \dot{g} \dot{w}$

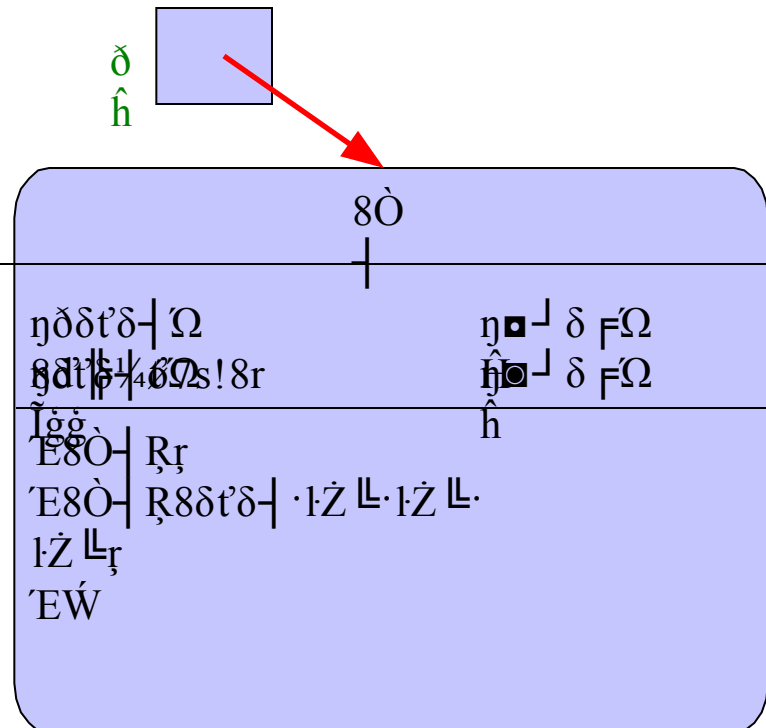
$\delta \dot{O} \vdash R_r \neg$   
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$\delta \dot{O} \vdash R \delta \delta t \delta \vdash \delta \cdot 1 \dot{Z} \mathbb{L}_{\blacksquare} \cdot 1 \dot{Z} \mathbb{L}_{\blacksquare} \cdot 1 \dot{Z} \mathbb{L}_{d'} \neg$   
 $\delta \delta t \delta \vdash \Omega \dot{d} \dot{w}$   
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□ Now we can use both our constructors:

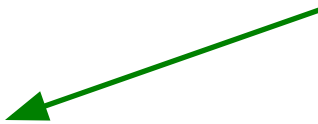
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# So what does private mean?

- Consider the following code

**Note that it's a different class!**



```

class Car {
    private int fuel;
    public void setFuel(int f) {
        fuel = f;
    }
}

class Main {
    public static void main(String[] args) {
        Car c = new Car();
        c.setFuel(10);
        System.out.println(c.fuel);
    }
}
    
```

- Recall that fuel is a private instance variable in the Car class
- Private means that code outside the class CANNOT access the variable
  - For either reading or writing
- Java will not compile the above code
  - If fuel were public, the above code would work

# So how do we get the fuel of a Car?

- Via **accessor** methods in the Car class:

$$\begin{aligned} & \downarrow \text{fuel}() \\ & \text{private double fuel;} \\ & \text{public double fuel() { return fuel; }} \end{aligned}$$

$$\begin{aligned} & \downarrow \text{fuel}() \\ & \text{private double fuel;} \\ & \text{public double fuel() { return fuel; }} \end{aligned}$$

$$\begin{aligned} & \downarrow \text{fuel}() \\ & \text{private double fuel;} \\ & \text{public double fuel() { return fuel; }} \end{aligned}$$

$$\begin{aligned} & \downarrow \text{fuel}() \\ & \text{private double fuel;} \\ & \text{public double fuel() { return fuel; }} \end{aligned}$$

- As these methods are within the Car class, they can read the private instance variables
- As the methods are public, anybody can call them

# So how do we **set** the fuel of a Car?

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- Via **mutator** methods in the Car class:

└─  $\text{fuel} \leftarrow \text{fuel} - \text{distance} / \text{fuel\_consumption}$   
 $\text{fuel} \leftarrow \text{fuel} + \text{distance} / \text{fuel\_consumption}$

⌘

└─  $\text{fuel} \leftarrow \text{fuel} - \text{distance} / \text{fuel\_consumption}$   
 $\text{fuel} \leftarrow \text{fuel} + \text{distance} / \text{fuel\_consumption}$

⌘

└─  $\text{fuel} \leftarrow \text{fuel} - \text{distance} / \text{fuel\_consumption}$   
 $\text{fuel} \leftarrow \text{fuel} + \text{distance} / \text{fuel\_consumption}$

⌘

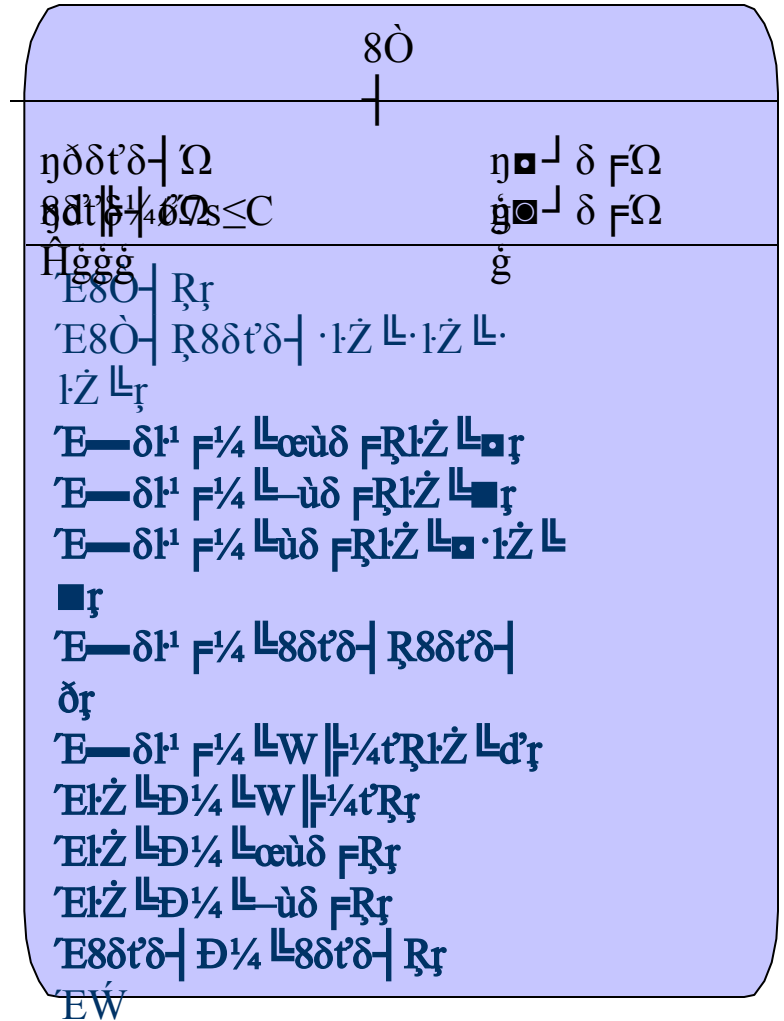
└─  $\text{fuel} \leftarrow \text{fuel} - \text{distance} / \text{fuel\_consumption}$   
 $\text{fuel} \leftarrow \text{fuel} + \text{distance} / \text{fuel\_consumption}$

⌘

- As these methods are within the Car class, they can read the private instance variables
- As the methods are public, anybody can call them

# Why use all this?

- These methods are called a get/set pair
  - Used with private variables
- Our Car so far:



# Back to our specific constructor

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 &\quad \vdash \vdash 1 \text{---} \dot{O} \mathbb{L}_{1/4} 1 \dot{Z} \mathbb{L}_{\blacksquare} \vdash \delta \models \Omega \dot{g} \dot{w} \\
 &\quad \vdash \vdash 1 \text{---} \dot{O} \mathbb{L}_{1/4} 1 \dot{Z} \mathbb{L}_{\blacksquare} \vdash \delta \models \Omega \dot{g} \dot{w} \\
 &\quad \vdash \vdash 1 \text{---} \dot{O} \mathbb{L}_{1/4} 1 \dot{Z} \mathbb{L}_{d'} \models \models_{1/4} t' \Omega \hat{H} \dot{g} \dot{g} \dot{g} \dot{w}
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 &\quad \delta \delta t \delta \vdash \Omega \dot{d} \dot{w} \\
 &\quad \blacksquare \vdash \delta \models \Omega \blacksquare \dot{w} \\
 &\quad \blacksquare \vdash \delta \models \Omega \blacksquare \dot{w} \\
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$$\begin{aligned}
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 \end{aligned}$$

$$\begin{aligned}
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 &\quad \models_{1/4} \mathbb{L} 8 \delta t \delta \vdash \mathbb{R} \dot{d} r \dot{w} \\
 &\quad \models_{1/4} \mathbb{L} \text{œ} \dot{u} \delta \models \mathbb{R}_{\blacksquare} r \dot{w} \\
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 &\quad \models_{1/4} \mathbb{L} W \models \models_{1/4} t' \mathbb{R} d' r \dot{w}
 \end{aligned}$$

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# Back to our specific constructor

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- Using the mutator methods (i.e. the 'set' methods) is the preferred way to modify instance variables in a constructor



# So what's left to add to our Car class?

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- What else we should add:
  - A mutator that sets both the x and y positions at the same time
  - A means to “use” the Car’s fuel
- Let’s do the first:

```
└─ | fD t l d — d l 1 f 1/4 L u d f R l Z L . 1 Z L r F
    f 1/4 L æ u d f R . r w
    f 1/4 L — u d f R . r w
t
```

- Notice that it calls the mutator methods

# Using the Car's fuel

- Whenever the Car moves, it should burn some of the fuel
  - For each pixel it moves, it uses one unit of fuel
    - We could make this more realistic, but this is simpler

$$\begin{aligned} & \downarrow \text{Fuel}(\delta) - \delta \cdot \frac{1}{4} \text{Fuel}(\delta) \text{Fuel}(\delta) \\ & \quad \downarrow \delta \text{Fuel}(\delta) \end{aligned}$$

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$$\begin{aligned} & \downarrow \text{Fuel}(\delta) - \delta \cdot \frac{1}{4} \text{Fuel}(\delta) \text{Fuel}(\delta) \\ & \quad \downarrow \delta \text{Fuel}(\delta) \end{aligned}$$

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$$\begin{aligned} & \downarrow \text{Fuel}(\delta) - \delta \cdot \frac{1}{4} \text{Fuel}(\delta) \text{Fuel}(\delta) \\ & \quad \downarrow \delta \text{Fuel}(\delta) \end{aligned}$$

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$$\begin{aligned} & \downarrow \text{Fuel}(\delta) - \delta \cdot \frac{1}{4} \text{Fuel}(\delta) \text{Fuel}(\delta) \\ & \quad \downarrow \delta \text{Fuel}(\delta) \end{aligned}$$

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$$\begin{aligned} & \mathbb{I} \left\| \mathbb{D} \tau \mathbb{1} \delta - \delta \mathbb{1} \right\|_{\mathbb{F}^{1/4}} \mathbb{L}_{\mathbb{U} \delta} \mathbb{F}_{\mathbb{R} \mathbb{1} \dot{\mathbb{Z}}} \mathbb{L}_{\blacksquare \cdot \mathbb{1} \dot{\mathbb{Z}}} \mathbb{L}_{\blacksquare \mathbb{r} \mathbb{F}} \\ & \mathbb{F}^{1/4} \mathbb{L}_{\mathbb{A} \mathbb{U} \delta} \mathbb{F}_{\mathbb{R} \blacksquare \mathbb{r} \mathbb{W}} \\ & \mathbb{F}^{1/4} \mathbb{L}_{-\mathbb{U} \delta} \mathbb{F}_{\mathbb{R} \blacksquare \mathbb{r} \mathbb{W}} \end{aligned}$$

- ❑ Notice that to access the instance variables, the accessor methods are used
- ❑ `Math.abs()` gets the absolute value of the passed parameter

# The main() method

- Consider a class with many methods:

↓  $\| \text{D} \tau \text{I} \delta \delta \tau \text{O} \vdash \vdash \dots \text{I} \frac{1}{4} \vdash \frac{1}{4} \neq \delta \bullet \mathbb{L} \text{O} \vdash \mathbb{L} \text{F}$

↓  $\| \text{D} \tau \text{I} \delta \vdash \mathbb{L} \text{O} \mathbb{L} \text{I} \delta \text{---} \delta \text{I} \text{I} \text{d} \delta \delta \text{R} \text{I} \text{Z} \mathbb{L} \blacksquare \text{r} \text{F}$   
 $\text{y} \text{y} \text{o} \text{o} \text{o}$

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↓  $\| \text{D} \tau \text{I} \delta \vdash \mathbb{L} \text{O} \mathbb{L} \text{I} \delta \text{---} \delta \text{I} \text{I} \text{D} \text{O} \vdash \text{R} \text{r} \text{F}$   
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↓  $\| \text{D} \tau \text{I} \delta \vdash \mathbb{L} \text{O} \mathbb{L} \text{I} \delta \text{---} \delta \text{I} \text{I} \text{Z} \text{O} \text{I} \text{Z} \text{R} \bullet \mathbb{L} \vdash \text{I} \text{Z} \text{D} \hat{\text{S}} \hat{\text{S}} \text{O} \vdash \text{D} \vdash \text{r} \text{F}$   
 $\text{y} \text{y} \text{o} \text{o} \text{o}$

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- Where does Java start executing the program?  
 ■ Always at the beginning of the main() method!

# Running a class without a main() method

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- Consider the Car class
  - It had no main() method!
  - Create another class named “CarSimulation” where main function and Car class is declared.
- So let’s try running it...