# **DES** Documentation

Data Encryption Standard

documentation by Molly Taylor August 2019

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### Chapter 1 \_\_\_\_\_

# Password-based key derivation function (PBKDF)

You typically begin with only a password. From the password, you must derive the key and IV, which are each 64-bits.

password: A string provided by the user.

salt: 64-bits which are used in the PBKDF. Unless it's provided by the user, it's randomly generated.

key: 64-bits from which the subkeys are derived. Unless specified, it's created by the PBKDF.

IV (initialization vector): 64-bits. Used in CBC mode. Unless specified, it's created by the PBKDF.

### 1.1 PBKDF1

- 1. Generate random salt
- 2. Concatenate salt to the end of password
- 3. Run MD5 on concatenated password

MD5's checksum is 128-bits. The first 64-bits are the key. The next 64-bits are the IV.

### Cipher

### 2.1 Pseudocode

```
Algorithm 1 Cipher
 1: function CIPHER(block, key)
        subkeys[16] = key schedule(key)
        block = IP(block)
                                                                                     ▷ initial permutation (IP)
 3:
        split into left and right halves
 4:
        for 16 rounds, do
 5:
           left_{i+1} = right_i
 6:
           right_{i+1} = left_i \oplus Feistel(right_i, subkey[i])
 7:
        block = concatenate halves
 8:
        block = IP^{-1}(block)
                                                                                    \triangleright final permutation (IP<sup>-1</sup>)
 9:
        return \ block
10:
```

#### Algorithm 2 Feistel function, also sometimes called the F-function

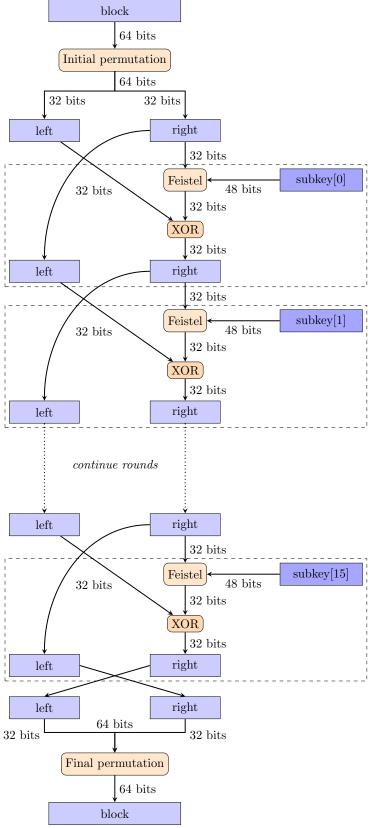
```
1: function FEISTEL(block, subkey)
2: block = expansion(block) \triangleright expansion permutation (E)
3: block = block \oplus subkey
4: block = s\text{-boxes}(block) \triangleright substitution boxes (s-boxes)
5: block = p\text{-box}(block) \triangleright p-box permutation (P)
6: return block
```

#### Algorithm 3 Key schedule

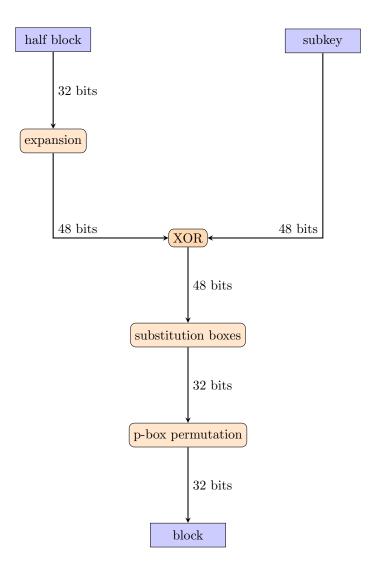
```
1: function KEY SCHEDULE(key)
      key = PC-1(key)
                                                                        ⊳ permuted choice 1 (PC-1)
2:
     split into left and right halves
3:
4:
     for 16 rounds, do
         left = left rotate(left, rotation[i])
                                                                                     ▷ rotation table
5:
         right = left rotate(right, rotation[i])
6:
         block = concatenate halves
7:
         subkey[i] = PC-2(block)
                                                                        ⊳ permuted choice 2 (PC-2)
8:
     return subkeys[16]
9:
```

### 2.2 Diagrams

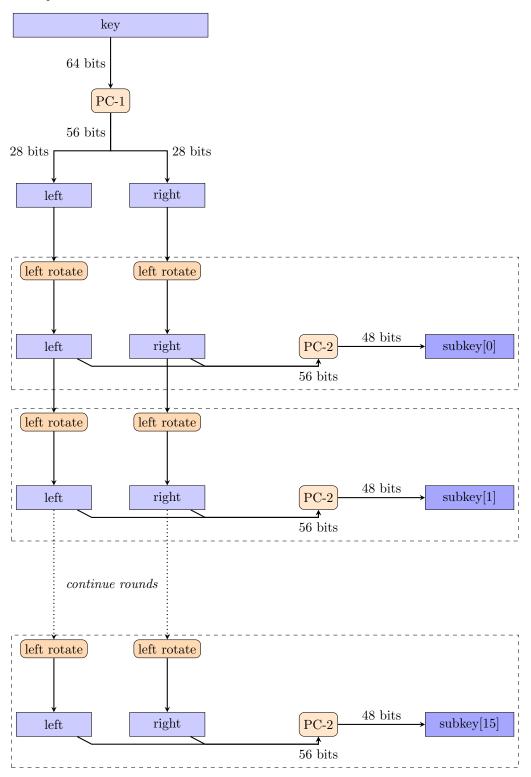
### 2.2.1 Cipher



### 2.2.2 Feistel



### 2.2.3 Key schedule



# Chapter 3 \_\_\_\_\_\_Permutations

Permutations involve reordering bits in accordance with a table. For example, if the first number of the table is 10, then the first bit of the output will be the 10th bit of the input.

permutation	input	output
initial permutation (IP)	64 bits	64 bits
final permutation $(IP^{-1})$	64 bits	64 bits
expansion permutation (E)	32 bits	48 bits
p-box permutation (P)	32 bits	32 bits
permuted choice 1 (PC-1)	64 bits	56 bits
permuted choice 2 (PC-2)	56 bits	48 bits

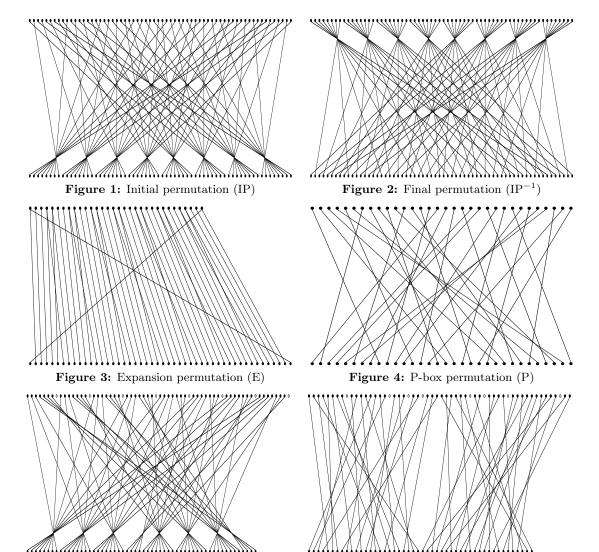


Figure 5: Permuted choice 1 (PC-1)

Figure 6: Permuted choice 2 (PC-2)

# Substitution boxes (s-boxes)

The 48-bit block is divided into 8 pieces of 6-bits each. Each 6-bit input is replaced with 4-bit output, according to the lookup table.

- the **nth of the sextet** refers to the **box**
- the first and last bit of the sextet are combined into a 2-bit value which refers to the row
- the inner 4 bits of the sextet become a 4-bit value which refers to the column

# Algorithm 4 substitution boxes (s-boxes) 1: function S-BOXES(input)

```
2:
      for 8 rounds, do
         sextet = input[i]
                                                                           ⊳ input clumped by 6 bits
3:
         outer = first and last bit of sextet
4:
         inner = middle 4 bits of sextet
5:
         quartet = table[i][outer][inner]
                                                                                 ▷ s-box lookup table
6:
         output[i] = quartet
                                                                         ▷ output clumped by 4 bits
7:
      return output
8:
```

### 4.1 Example

Input (48-bits): 011000 010001 011110 111010 100001 100110 010100 100111

sextet	s-box lookup
0110002	$sbox[0][00_2][1100_2] = 0101_2$
0100012	$sbox[1][01_2][1000_2] = 1100_2$
$0111110_2$	$sbox[2][00_2][1111_2] = 1000_2$
111010 <sub>2</sub>	$sbox[3][10_2][1101_2] = 0010_2$
1000012	$sbox[4][11_2][0000_2] = 1011_2$
1001102	$sbox[5][10_2][0011_2] = 0101_2$
$010100_2$	$sbox[6][00_2][1010_2] = 1001_2$
1001112	sbox[7][112][00112] = 01112

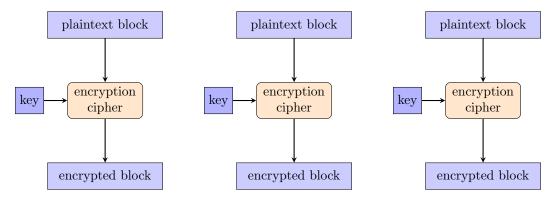
Output (32-bits): 0101 1100 1000 0010 1011 0101 1001 0111

## Modes of operation

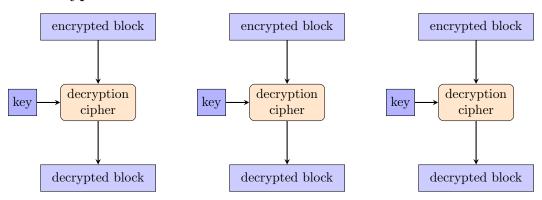
### 5.1 Electronic Codebook (ECB)

ECB is "plain." It's simply encrypted and decrypted block by block.

### 5.1.1 Encryption



### 5.1.2 Decryption

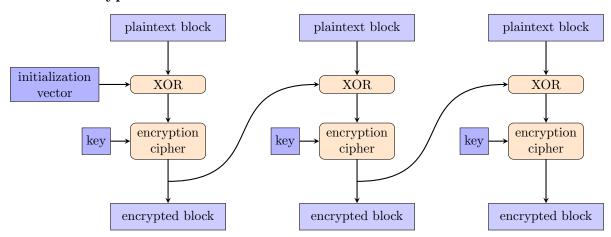


### 5.2 Cipher Block Chaining (CBC)

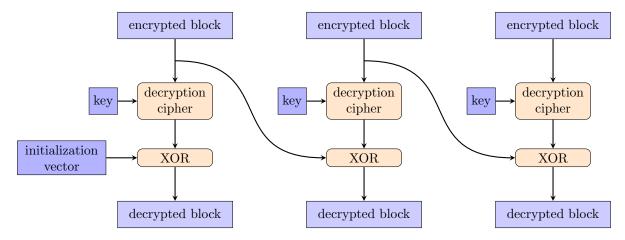
CBC has each block XORed with the previous block. The blocks are all linked together, like a chain. For the very first block, it's XORed with the IV (initialization vector).

- In encryption mode, XOR with the plaintext block (aka before encryption)
- In decryption mode, XOR with the decrypted block (aka after decryption)

### 5.2.1 Encryption



### 5.2.2 Decryption



### Lookup Tables

### 6.1 S-boxes

```
sboxes[8][4][16] = {
     \{0xe, 0x4, 0xd, 0x1, 0x2, 0xf, 0xb, 0x8, 0x3, 0xa, 0x6, 0xc, 0x5, 0x9, 0x0, 0x7\},
     \{0x0, 0xf, 0x7, 0x4, 0xe, 0x2, 0xd, 0x1, 0xa, 0x6, 0xc, 0xb, 0x9, 0x5, 0x3, 0x8\},
     \left\{0x4\,,\ 0x1\,,\ 0xe\,,\ 0x8\,,\ 0xd\,,\ 0x6\,,\ 0x2\,,\ 0xb\,,\ 0xf\,,\ 0xc\,,\ 0x9\,,\ 0x7\,,\ 0x3\,,\ 0xa\,,\ 0x5\,,\ 0x0\right\},
     \{0 \times f, 0 \times c, 0 \times 8, 0 \times 2, 0 \times 4, 0 \times 9, 0 \times 1, 0 \times 7, 0 \times 5, 0 \times b, 0 \times 3, 0 \times e, 0 \times a, 0 \times 0, 0 \times 6, 0 \times d\},
     \{0\,\mathrm{xf}\,,\,\,0\mathrm{x1}\,,\,\,0\mathrm{x8}\,,\,\,0\mathrm{xe}\,,\,\,0\mathrm{x6}\,,\,\,0\mathrm{xb}\,,\,\,0\mathrm{x3}\,,\,\,0\mathrm{x4}\,,\,\,0\mathrm{x9}\,,\,\,0\mathrm{x7}\,,\,\,0\mathrm{x2}\,,\,\,0\mathrm{xd}\,,\,\,0\mathrm{xc}\,,\,\,0\mathrm{x0}\,,\,\,0\mathrm{x5}\,,\,\,0\mathrm{xa}\,\}\,,
     \left\{0x3\,,\;\;0xd\,,\;\;0x4\,,\;\;0x7\,,\;\;0xf\,,\;\;0x2\,,\;\;0x8\,,\;\;0xe\,,\;\;0xc\,,\;\;0x0\,,\;\;0x1\,,\;\;0xa\,,\;\;0x6\,,\;\;0x9\,,\;\;0xb\,,\;\;0x5\,\right\},
     \left\{0\,xa\,,\ 0\,x0\,,\ 0\,x9\,,\ 0\,xe\,,\ 0\,x6\,,\ 0\,x3\,,\ 0\,xf\,,\ 0\,x5\,,\ 0\,x1\,,\ 0\,xd\,,\ 0\,xc\,,\ 0\,x7\,,\ 0\,xb\,,\ 0\,x4\,,\ 0\,x2\,,\ 0\,x8\,\right\},
      \begin{array}{l} \{0xd,\ 0x7,\ 0x0,\ 0x9,\ 0x3,\ 0x4,\ 0x6,\ 0xa,\ 0x2,\ 0x8,\ 0x5,\ 0xe,\ 0xc,\ 0xb,\ 0xf,\ 0x1\}, \\ \{0xd,\ 0x6,\ 0x4,\ 0x9,\ 0x8,\ 0xf,\ 0x3,\ 0x0,\ 0xb,\ 0x1,\ 0x2,\ 0xc,\ 0x5,\ 0xa,\ 0xe,\ 0x7\}, \end{array} 
     \{0x1, 0xa, 0xd, 0x0, 0x6, 0x9, 0x8, 0x7, 0x4, 0xf, 0xe, 0x3, 0xb, 0x5, 0x2, 0xc\},\
     \{0x7,\ 0xd,\ 0xe,\ 0x3,\ 0x0,\ 0x6,\ 0x9,\ 0xa,\ 0x1,\ 0x2,\ 0x8,\ 0x5,\ 0xb,\ 0xc,\ 0x4,\ 0xf\},
     \{0xd,\ 0x8,\ 0xb,\ 0x5,\ 0x6,\ 0xf,\ 0x0,\ 0x3,\ 0x4,\ 0x7,\ 0x2,\ 0xc,\ 0x1,\ 0xa,\ 0xe,\ 0x9\},
     \left\{0\,xa\,,\;\;0\,x6\,,\;\;0\,x9\,,\;\;0\,x0\,,\;\;0\,xc\,,\;\;0\,xb\,,\;\;0\,x7\,,\;\;0\,xd\,,\;\;0\,xf\,,\;\;0\,x1\,,\;\;0\,x3\,,\;\;0\,xe\,,\;\;0\,x5\,,\;\;0\,x2\,,\;\;0\,x8\,,\;\;0\,x4\,\right\},
     \{0x3, 0xf, 0x0, 0x6, 0xa, 0x1, 0xd, 0x8, 0x9, 0x4, 0x5, 0xb, 0xc, 0x7, 0x2, 0xe\},\
     \{0x2, 0xc, 0x4, 0x1, 0x7, 0xa, 0xb, 0x6, 0x8, 0x5, 0x3, 0xf, 0xd, 0x0, 0xe, 0x9\},
     \{0xe,\ 0xb,\ 0x2,\ 0xc,\ 0x4,\ 0x7,\ 0xd,\ 0x1,\ 0x5,\ 0x0,\ 0xf,\ 0xa,\ 0x3,\ 0x9,\ 0x8,\ 0x6\},
     \{0x4\,,\;0x2\,,\;0x1\,,\;0xb\,,\;0xa\,,\;0xd\,,\;0x7\,,\;0x8\,,\;0xf\,,\;0x9\,,\;0xc\,,\;0x5\,,\;0x6\,,\;0x3\,,\;0x0\,,\;0xe\,\}\,,
     \{0xb, 0x8, 0xc, 0x7, 0x1, 0xe, 0x2, 0xd, 0x6, 0xf, 0x0, 0x9, 0xa, 0x4, 0x5, 0x3\},
     \{0xc, 0x1, 0xa, 0xf, 0x9, 0x2, 0x6, 0x8, 0x0, 0xd, 0x3, 0x4, 0xe, 0x7, 0x5, 0xb\},
     \left\{0\,xa\,,\ 0\,xf\,,\ 0x4\,,\ 0x2\,,\ 0x7\,,\ 0xc\,,\ 0x9\,,\ 0x5\,,\ 0x6\,,\ 0x1\,,\ 0xd\,,\ 0xe\,,\ 0x0\,,\ 0xb\,,\ 0x3\,,\ 0x8\right\},
     \{0x4, 0xb, 0x2, 0xe, 0xf, 0x0, 0x8, 0xd, 0x3, 0xc, 0x9, 0x7, 0x5, 0xa, 0x6, 0x1\},
     \{0x6, 0xb, 0xd, 0x8, 0x1, 0x4, 0xa, 0x7, 0x9, 0x5, 0x0, 0xf, 0xe, 0x2, 0x3, 0xc\},\
     \{0x7, 0xb, 0x4, 0x1, 0x9, 0xc, 0xe, 0x2, 0x0, 0x6, 0xa, 0xd, 0xf, 0x3, 0x5, 0x8\},
     \{0x2, 0x1, 0xe, 0x7, 0x4, 0xa, 0x8, 0xd, 0xf, 0xc, 0x9, 0x0, 0x3, 0x5, 0x6, 0xb\},\
}
```

### 6.2 Permutations

Keep in mind that these permutation tables are not 0-indexed. The first bit is 1, not 0.

Table 6.1: Cipher permutations

```
initial_permutation [64] =
                                                   final_permutation [64] = {
                                                      40, 8, 48, 16, 56, 24, 64, 32,
   58, 50, 42, 34, 26, 18, 10, 2,
   60\,,\ 52\,,\ 44\,,\ 36\,,\ 28\,,\ 20\,,\ 12\,,\ 4\,,
                                                      39\,,\ 7\,,\ 47\,,\ 15\,,\ 55\,,\ 23\,,\ 63\,,\ 31\,,
   62\,,\ 54\,,\ 46\,,\ 38\,,\ 30\,,\ 22\,,\ 14\,,\ 6\,,
                                                      38\,,\ 6\,,\ 46\,,\ 14\,,\ 54\,,\ 22\,,\ 62\,,\ 30\,,
   64\,,\ 56\,,\ 48\,,\ 40\,,\ 32\,,\ 24\,,\ 16\,,\ 8\,,
                                                      37\,,\ 5\,,\ 45\,,\ 13\,,\ 53\,,\ 21\,,\ 61\,,\ 29\,,
                                   9, 1,
   57, 49, 41, 33, 25, 17,
                                                      36, 4, 44, 12, 52, 20, 60, 28,
   59, 51, 43, 35, 27, 19, 11, 3,
                                                      35, 3, 43, 11, 51, 19, 59, 27,
   61\,,\ 53\,,\ 45\,,\ 37\,,\ 29\,,\ 21\,,\ 13\,,\ 5\,,
                                                      34, 2, 42, 10, 50, 18, 58, 26,
   63, 55, 47, 39, 31, 23, 15, 7
                                                      33, 1, 41, 9, 49, 17, 57, 25
```

Table 6.2: Feistel permutations

```
 \begin{array}{c} {\rm expansion\_permutation}\left[48\right] = \{ \\ 32, \ 1, \ 2, \ 3, \ 4, \ 5, \ 4, \ 5, \\ 6, \ 7, \ 8, \ 9, \ 8, \ 9, \ 10, \ 11, \\ 12, \ 13, \ 12, \ 13, \ 14, \ 15, \ 16, \ 17, \\ 16, \ 17, \ 18, \ 19, \ 20, \ 21, \ 20, \ 21, \\ 22, \ 23, \ 24, \ 25, \ 24, \ 25, \ 26, \ 27, \\ 28, \ 29, \ 28, \ 29, \ 30, \ 31, \ 32, \ 1 \\ \} \end{array} \right] \begin{array}{c} {\rm pbox\_permutation}\left[32\right] = \{ \\ 16, \ 7, \ 20, \ 21, \ 29, \ 12, \ 28, \ 17, \\ 1, \ 15, \ 23, \ 26, \ 5, \ 18, \ 31, \ 10, \\ 2, \ 8, \ 24, \ 14, \ 32, \ 27, \ 3, \ 9, \\ 19, \ 13, \ 30, \ 6, \ 22, \ 11, \ 4, \ 25, \\ \} \\ \} \end{array}
```

Table 6.3: Key schedule permutations

```
permuted_choice2[48] = {
permuted\_choice1[56] = {
                                                14, 17, 11, 24, 1,
   57, 49, 41, 33, 25, 17,
    1, 58, 50, 42, 34, 26, 18,
                                                 3, 28, 15, 6, 21, 10,
   10, 2, 59, 51, 43, 35, 27,
                                                23, 19, 12,
                                                              4, 26, 8,
                                                16, 7, 27, 20, 13, 2,
41, 52, 31, 37, 47, 55,
   19\,,\ 11\,,\quad 3\,,\ 60\,,\ 52\,,\ 44\,,\ 36\,,
   63\,,\ 55\,,\ 47\,,\ 39\,,\ 31\,,\ 23\,,\ 15\,,
    7, 62, 54, 46, 38, 30, 22,
                                                30, 40, 51, 45, 33, 48,
   14, 6, 61, 53, 45, 37, 29,
                                                44, 49, 39, 56, 34, 53,
   21, 13, 5, 28, 20, 12,
                                                46, 42, 50, 36, 29, 32
```

### 6.3 Others

Specifies how many bits left to rotate the bitfields during each key schedule round.