# INDiC: Improved Non intrusive load monitoring using load Division and Calibration

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Abstract—Non-Intrusive appliance load monitoring (NIALM) is the process of disaggregating the overall electricity usage into constituent appliances. In this paper we extend the Combinatorial Optimization (CO) approach for disaggregation, which was originally proposed in the seminal work on NIALM, in following two ways: 1) Breaking the problem into subproblems and reducing the state space; 2) Applying additional constraints backed by sound domain expertise. We evaluate our approach using REDD dataset and show practical problems which need to be solved while dealing with the dataset. We also propose a metric for evaluating NILM, which we believe overcomes many shortcomings of commonly used metrics.

#### I. Introduction

- Motivate the importance of energy consumption in building
- Motivate that appliance level information is crucial detailed feedback and optimized decision making [1]
- Challenges with getting appliance level information introduce NIALM [2]
- introduce your proposed approach
- Enumerate the contributions

Primary contributions of our work are:

Fill it up with 2-3 crisp points

Open source implementation of the proposed work is released for comparative analysis with other NIALM approaches as an IPython notebook<sup>1</sup>. We believe this is the first extensive release of a generic NIALM

## II. RELATED WORK

NIALM has been well studied in the recent past and survey papers [3], [4], [5] present its classification across various dimensions. Following are three important classification dimensions:

- Frequency of data collection: Approaches such as harmonic analysis require data to be sampled at more than a thousand samples a second. Whereas approaches
- Supervised/Unsupervised:

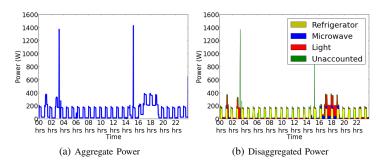


Fig. 1: The process of disaggregation

When you do the comparison, bring up how is your work different rather than just saying X did A and Y did B.

- Classification of different NIALM approaches -High/Low frequency, Time/Frequency domain analysis, supervised/unsupervised [3], [4], [5]. For a more detailed overview the reader is referred to the above mentioned survey papers.
- Discuss the modeling approaches that are used
  - Additive Factorial HMM
  - Difference HMM [6]
- Datasets used: Recent datasets have spurred this field
  - **REDD** [7]
  - Blued [8] 0
  - Smart\* [9]

# III. NIALM

NIALM is the process of disaggregating the total electrical load into constituent appliances [2]. A typical NIALM setup involves instrumenting the power mains with smart meters and individual appliances with appliance meters for ground truth. Figure 1 shows the house mains disaggregated into 3 appliances.

We use some terminologies from previous work [7], [6], [2] and extend them for our analysis in Table I. Based on these terminologies, the NIALM problem in supervised setting can be formulated as predicting the power sequence for  $n^{th}$ appliance,  $y^n$ , given the labeled power sequence for each appliance  $\theta^n$  and the total aggregate power sequence x.

<sup>1</sup>http://www.ipython.org

TABLE I: Terminologies and Functions

$\begin{array}{lll} & \text{Beaning} \\ t \in 1,T \\ n \in 1,N \\ \theta^n = \{\theta_1^n,,\theta_T^n\} \\ \theta^{M_1} = \{\theta_1^M,,\theta_T^M\} \\ \theta^{M_2} = \{\theta_1^M,,\theta_T^M\} \\ \theta^{M_2} = \{\theta_1^M,,\theta_T^M\} \\ e^{M_1} = \{e_1^M,,e_T^M\} \\ e^{M_1} = \{e_1^M,,e_T^M\} \\ e^{M_1} = \{e_1^M,,e_T^M\} \\ e^{M_2} = \{e_1^M,,e_T^M\} \\ e^{M_2} = \{e_1,,e_T\} \\ e = \{e_1,,e_T$		
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	$n \in 1,N$	
	$\theta^n = \{\theta_1^n, \dots, \theta_T^n\}$	
	$\theta^{M_1} = \{\theta^{M_1}_1,, \theta^{M_1}_T\}$	Labeled power sequence for Mains 1
	$\theta^{M_2} = \{\theta_1^{M_2},, \theta_T^{M_2}\}$	Labeled power sequence for Mains 2
$v = \{v_1, \dots, v_T\}$ $e^{M_1} = \{e_1^{M_1}, \dots, e_T^{M_1}\}$ $e^{M_2} = \{e_1^{M_2}, \dots, e_T^{M_2}\}$ $e = \{e_1, \dots, e_T\}$ $y^n = \{y_1^n, \dots y_T^n\}$ $k \in 1, \dots K$ $z^n = \{z_1^n, \dots z_T^n\}$ $z_{t,k}^n \in 0, 1$ $p^n = \{\mu_1^n, \dots \mu_K^n\}$ $Mapping[n] \in 1, 2$ $Downsample(s, filter, interval)$ $Normalize(s, v, Rated_Voltage)$ $Align([s^1, \dots s^n], rule, order)$ $Sort([s^1, \dots s^n], rule, order)$ $Step_Changes(s, threshold, interval)$ $Creater Than(s, threshold)$ Labeled voltage time series  Noise power sequence for Mains 1  Noise power sequence for Mains 2  Aggregate noise power sequence  Predicted power sequence for $n^{th}$ appliance  Aggregate noise power sequence  Predicted power sequence for Mains 1  Noise power sequence for Mains 2  Aggregate noise power sequence  Predicted power sequence for Mains 2  Aggregate noise power sequence  Predicted power sequence for $n^{th}$ appliance is in $t^{th}$ state at time $t$ Power draw by $n^{th}$ appliance in $k^{th}$ state at time $t$ Power draw by $n^{th}$ appliance in $k^{th}$ state at time $t$ Power draw by $n^{th}$ appliance in $k^{th}$ state at time $t$ Power draw by $n^{th}$ appliance (which can run without human intervention) eg. refrigerator  List of background appliances (which are operated by humans) eg. light, microwave  Function to downsample a timeseries $s$ to an interval according to specified filter  Function to align $n$ timeseries according to rule in specified $order$ Function to find contiguous period where time series $s$ is below its mean for atleast $min_period$ Function returning magnitude and times of step changes occurring in time series $s$ during an interval , whose absolute value is greater than $threshold$	$x = \{x_1,, x_T\} = \theta^{m_1} + \theta^{m_2}$	
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$\begin{array}{ll} e = \{e_1, \dots, e_T\} \\ y^n = \{y_1^n, \dots y_T^n\} \\ k \in 1, \dots K \\ z^n = \{z_1^n, \dots z_T^n\} \\ z_{t,k}^n \in 0, 1 \end{array} \qquad \begin{array}{ll} \text{Appliance power sequence} \\ \text{Appliance power state} \\ \text{Appliance power state} \\ \text{Appliance state sequence}, z_i^n \in [1, \dots K] \\ \text{I of K coding for whether } n^{th} \\ \text{appliance is in } k^{th} \text{ state at time } t \\ \text{Power draw by } n^{th} \text{ appliance to Mains} \\ \text{Mapping}[n] \in 1, 2 \\ \text$	$e^{M_1} = \{e_1^{M_1},, e_T^{M_1}\}$	Noise power sequence for Mains 1
$\begin{array}{ll} e = \{e_1, \dots, e_T\} \\ y^n = \{y_1^n, \dots y_T^n\} \\ k \in 1, \dots K \\ z^n = \{z_1^n, \dots z_T^n\} \\ z_{t,k}^n \in 0, 1 \end{array} \qquad \begin{array}{ll} \text{Appliance power sequence} \\ \text{Appliance power state} \\ \text{Appliance power state} \\ \text{Appliance state sequence}, z_i^n \in [1, \dots K] \\ \text{I of K coding for whether } n^{th} \\ \text{appliance is in } k^{th} \text{ state at time } t \\ \text{Power draw by } n^{th} \text{ appliance to Mains} \\ \text{Mapping}[n] \in 1, 2 \\ \text$	$e^{M_2} = \{e_1^{M_2},, e_T^{M_2}\}$	Noise power sequence for Mains 2
$k \in 1,K$ $z^n = \{z_1^n,z_n^n\}$ $z_{t,k}^n \in 0, 1$ Appliance power state $\mu^n = \{\mu_1^n,\mu_K^n\}$ $Mapping[n] \in 1, 2$ Appliance is in $k^{th}$ state at time $t$ Power draw by $n^{th}$ appliance in $k^{th}$ state $Mapping fon fone power to Mains$ List of background appliances (which can run without human intervention) eg. refrigerator List of foreground appliances (which are operated by humans) eg. light, microwave $Downsample(s, filter, interval)$ Normalize(s, v, Rated_Voltage)  Align([s^1,s^n], method) Sort([s^1,s^n], rule, order) Contiguous_Below_ Mean(s, min_period)  Step_Changes(s, threshold, interval)  Step_Changes(s, threshold, interval)  Greater_Than(s_threshold)  Greater_Than(s_threshold)  Appliance power state Appliance state sequence, $z_i^n \in [1,K]$ 1 of K coding for whether $n^{th}$ appliance is in $k^{th}$ state at time $t$ Power draw by $n^{th}$ appliance in $k^{th}$ state Mapping of $n^{th}$ appliance is $n^{th}$ state Mapping of $n^{th}$ appliance in $n^{th}$ state Mapping of $n^{th}$ appliance is $n^{th}$ state Mapping of $n^{th}$ appliance in $n^{th}$ state Mapping of $n^{th}$ appliance in $n^{th}$ state Mapping of $n^{th}$ appliance is $n^{th}$ state Mapping of $n^{th}$	$e = \{e_1,, e_T\}$	
$ z^n = \{z_1^n, z_T^n\} $ Appliance state sequence, $z_i^n \in [1,K] $ 1 of K coding for whether $n^{th}$ appliance is in $k^{th}$ state at time $t$ 4 power draw by $n^{th}$ appliance to Mains 4 Mapping $[n] \in [1, 2]$ 4 Mapping of $n^{th}$ appliance to Mains 5 List of background appliances (which can run without human intervention) eg. refrigerator 6 List of foreground appliances (which are operated by humans) eg. light, microwave 7 Function to downsample a timeseries $s$ to an $interval$ according to specified $filter$ 7 Function to normalize a power timeseries $s$ given voltage timeseries $s$ according to the formula: $(\frac{Rated\_Voltage}{s})^2 s$ Function to align $n$ timeseries according for missing data using specified $method$ Function to sort $n$ timeseries according to $n$ the series $n$ is below its mean for atleast $n$	$y^n = \{y_1^n, y_T^n\}$	Predicted power sequence for $n^{th}$ appliance
$ \begin{aligned} z_{t,k}^n &\in 0,1 \\ \mu^n &= \{\mu_1^n,\mu_K^n\} \\ Mapping[n] &\in 1,2 \end{aligned} & \text{I of K coding for whether } n^{th} \\ \text{appliance is in } k^{th} \text{ state at time } t \\ \text{Power draw by } n^{th} \text{ appliance in } k^{th} \text{ state} \\ \text{Mapping of } n^{th} \text{ appliance to Mains} \\ \text{List of background appliances (which can run without human intervention) eg. refrigerator} \\ \text{List of foreground appliances (which are operated by humans) eg. light, microwave} \\ \text{Downsample}(s, filter, interval) \\ \text{Normalize}(s, v, Rated\_Voltage) \end{aligned} & \text{Function to downsample a timeseries } s \text{ to an } interval \text{ according to specified } filter \\ \text{Function to normalize a power timeseries } s \\ \text{given voltage timeseries } v \text{ according to the formula: } (\frac{Rated\_Voltage}{2})^2 s \\ \text{Function to align } n \text{ timeseries according to } rule \text{ in specified } order \\ \text{Function to sort } n \text{ timeseries according } to rule \text{ in specified } order \\ \text{Function to find contiguous period where time } series s \text{ is below its mean } for \text{ atleast } min\_period \\ \text{Step\_Changes}(s, threshold, interval) \end{aligned} & \text{Function to returning magnitude and times of step } changes \text{ occurring in time series } s \text{ during } an interval \text{ , whose absolute value is } greater than threshold} \\ \text{Function to return times when timeseries } s \text{ is } \end{aligned}$		Appliance power state
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$ E \\ F \\ Downsample(s, filter, interval) \\ Normalize(s, v, Rated\_Voltage) \\ Sort([s^1,s^n], method) \\ Sort([s^1,s^n], rule, order) \\ Contiguous\_Below\_ \\ Mean(s, min\_period) \\ Step\_Changes(s, threshold, interval) \\ Creater Than(s, threshold) \\ F \\ Creater Than(s, threshold) \\ F \\ Creater Than(s, threshold) \\ F \\ Creater Than(s, threshold) \\ E \\ I \\ I$	$\mu^n = \{\mu_1^n, \mu_K^n\}$	Power draw by $n^{th}$ appliance in $k^{th}$ state
$ E \\ F \\ Downsample(s, filter, interval) \\ Normalize(s, v, Rated\_Voltage) \\ Sort([s^1,s^n], method) \\ Sort([s^1,s^n], rule, order) \\ Contiguous\_Below\_ \\ Mean(s, min\_period) \\ Step\_Changes(s, threshold, interval) \\ Creater Than(s, threshold) \\ F \\ Creater Than(s, threshold) \\ F \\ Creater Than(s, threshold) \\ F \\ Creater Than(s, threshold) \\ E \\ I \\ I$	$Mapping[n] \in 1, 2$	Mapping of $n^{th}$ appliance to Mains
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threshold, interval)  changes occurring in time series s during an interval, whose absolute value is greater than threshold  Function to return times when timeseries s is	Step Changes(s.	
an interval, whose absolute value is greater than threshold  Function to return times when timeseries s is		
greater than threshold  Greater Than(s, threshold)  Greater Than(s, threshold)  Greater Than(s, threshold)		
Creater Than(e threshold)		
$greater_1 nan(s, threshold)$ greater than $threshold$	Constant There (a threat 11)	Function to return times when timeseries $s$ is
	Greater_1 nan(s, threshold)	greater than $threshold$

**Combinatorial optimization**: At a given time an appliance can only be in a single state. Thus,we follow 1-of-K coding scheme for appliance states we have:

$$\sum_{k=1}^{k=K} z_{t,k}^n = 1 \tag{1}$$

The power consumption by  $n^{th}$  appliance in  $k^{th}$  state at time t is given by:

$$\hat{\theta}_{t,k}^{n} = \sum_{k=1}^{K} z_{t,k}^{n} \mu_{k}^{n} \tag{2}$$

The overall power consumption of all appliances at a given time t is given by:

$$\hat{x}_t = \sum_{n=1}^{N} \sum_{k=1}^{K} z_{t,k}^n \mu_k^n \tag{3}$$

The error in power signal after the load assignment explained above is given by:

$$e_t = |x_t - \sum_{n=1}^{N} \sum_{k=1}^{K} z_{t,k}^n \mu_k^n|$$
 (4)

Combinatorial optimization aims to minimize this error term,

by the following state assignment scheme:

$$z_{t} = argmin_{z_{t}}|x_{t} - \sum_{n=1}^{N} \sum_{k=1}^{K} z_{t,k}^{n} \mu_{k}^{n}|$$
 (5)

The corresponding predicted power draw by  $n^{th}$  appliance is given by:

$$y^n = \{\mu_{z_r^n}^n, ...\mu_{z_m^n}^n\} \tag{6}$$

This optimization problem resembles subset sum problem [10] and is NP-complete. The state space of this optimization function is  $K^N$ , which means it is exponential in the number of appliances. Owing to the exponential nature of the state space and the fact that the algorithm requires all appliances be known, this approach has not been thoroughly studied in the past [6]. We chose to use this approach as a proof of concept of our contributions.

**Load subdivision**: In the US homes have 2 electrical mains corresponding to different phases. Many Asian countries have multiple meters per home. Different loads are electrically connected to different mains/meters. Since an NIALM deployment requires monitoring different electrical mains, we leverage the load division to perform disaggregation on these mains separately to improve load disaggregation. We assign  $N_i$  different loads to p different mains given by where:

$$\sum_{1}^{p} N_i = N \tag{7}$$

After load assignment to different mains, the state spaces for different mains are given by  $K^{N_1}..K^p$ . As a practical example, if a home has two mains and 20 appliances equally distributed across the two mains, state space before load division is given by  $2^{20}$  and after load division is  $2^{10}$ . Thus, there is an exponential reduction in state space. Moreover, this approach owing to the reduction in state space is expected to improve disaggregation results. Unsure where to put why Load Division is expected to improve results

#### IV. INDIC NIALM

In this section we explain our algorithm- Improved Non intrusive load monitoring using load Division and Calibration (INDiC). While INDiC can be used with any modeling technique such as Hidden Markov Models[11], combinatorial optimization, etc., we present INDiC-CO (INDiC using Combinatorial optimization as modeling approach). The various steps of INDiC-CO NIALM shown in Algorithm 1 are described below.

**Preprocessing**: Since multiple data streams (appliances and mains power time series) from varied hardware are used to produce data for NIALM applications, it is highly likely that some hardware malfunctions during the data collection process. In the preprocessing step we ensure that all the time series start and end at the same time. Moreover, small gaps in data collection can be filled using techniques such as forward filling(padding).

**Downsampling**: While performing CO it is desired that transients and fluctuations in the power signal are filtered[2]. The transients occur due to the high starting current of the appliance, whereas the fluctuations are a consequence of

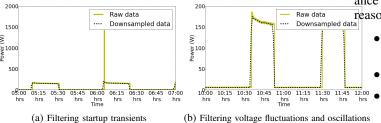
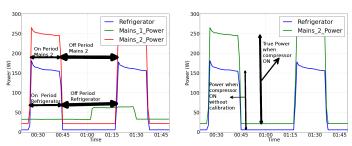


Fig. 2: Effect of downsampling appliance data



(a) Assigning refrigerator to Mains 2 since(b) Calibrating Refrigerator Power consumprefrigerator power > Mains 1 power and ontion basis of duty cycle

Fig. 3: Calibrating and assigning refrigerator to Mains 2

minor voltage fluctuations and oscillatory nature of loads. Figure 2a and Figure 2b show how starting current and voltage fluctuations can be filtered by down sampling. Filters such mean/median can be used to down sample a time series, whereby, where the value assigned to a time window is the mean/median of values occurring during that time window.

Assigning Loads to Mains<sup>2</sup>: This step aims to identify the mapping between appliances and mains. Patterns corresponding to appliances having higher peak power are generally easier to extract from main signal, thus we sort the appliance in decreasing order of peak power, usage are easier to Based on domain expertise we label the appliances in a home into background (loads which run independently throughout the day without user interference) such as refrigerator, and foreground (loads which are highly correlated with human usage) such as stove. Background loads are easier to detect since they are On even during periods of low human activity. Also loads with higher mean power consumption are easier to identify and thus we sort background loads based on power in descending order. For all such background loads we see if the mean power of the appliance is greater than mean power of any mains for all time instances. If so, we can safely assign the appliance to the other mains. If this step is unable to provide conclusive evidence we look at the periodicity associated with such background loads during periods of low or no human activity (such as night time). Figure 3a shows how based on refrigerator duty cycle it is mapped to Mains 2. On similar lines assignment of foreground loads can be done.

Appliance Power Calibration: Power measured by appli-

ance level meters may need calibration due to the following reasons:

- Difference in measurement of different measurement instrument (diagram showing CC, ZWave, etc) [12]
- Fluctuation in voltage cause power to fluctuate as well
  - Missing meta data, whether real or apparent power is being measured at appliance level

Since different hardware is used for measuring appliance and mains data there may be a need to calibrate the two. Since mains data is usually collected using better precision hardware, we keep mains data as a reference and calibrate appliance data against it. In practice we found appliance level monitors to usually provide only real power whereas the mains monitors can provide much more like reactive and active power. Like the previous step, time instances when an appliance in a particular mains is single used are identified. The ratio of mains and appliance power step changes occurring this window serve as the calibration factor for that appliance. Further each appliance power is corrected with the corresponding calibration factor.

## Clustering to identify appliance states:

- 1) Step changes occurring in Mains vs Appliances
- 2) Isolating single appliance usage We use [13] to run our clustering

Appliance states identification using clustering (Possibly talk about unbalanced data, but leave it for future work) State space creation Applying CO for different mains Find energy distribution by appliance and assign weights (To be used in results)

## V. EVALUATION

We use Reference Energy Disaggregation Data Set (REDD) [7] for validating our algorithms. This dataset contains power and voltage data for mains (2 phases) as well as appliances from 6 homes in Boston area collected in the summer of 2011. The data is made available as raw, high frequency (sampled at 15 KHz) and low frequency (Mains at 1 Hz, appliances at 0.3 Hz). Considering the practical implications of residential smart meter installation, we believe that low frequency data represents the most realistic scenario and thus we use this data for analysis.

#### A. Evaluation Metric

Commonly used metrics such as accuracy, sensitivity and specificity can be misleading when applied to NIALM. It can be seen from Figure 4 that since stove is mostly in state 0 (Off), accuracy will be largely decided by accuracy for this state. This does not tell how badly the prediction is misclassifying state 1 (On). Thus, we use the following metrics which have been used in the past work [6], [7]:

 Mean Normalized Error (MNE %): Normalized error in the energy assigned to an appliance n over time period T, given by:

$$MNE(n) = \frac{\sum_{t=1}^{T} |\theta_t^n - y_t^n|}{\sum_{t=1}^{T} \theta_t^n}$$
 (8)

<sup>&</sup>lt;sup>2</sup>While we provide methods for 2 Mains, it can be easily extended

# Algorithm 1: INDiC **Input**: $x, \theta^n, \theta^{M_1}, \theta^{M_2}, B, F, v$ Output: $y^n, \mu_k^n, Calibrated \theta^n$ Align and Downsample 1 for $n \in 1, N$ do $\theta^n \leftarrow Downsample(\theta^n, mean, 1 \ minute)$ $\theta^1, ..., \theta^n, \theta^{M_1}, \theta^{M_2} \leftarrow$ $Align([\theta^1, ...\theta^n, \theta^{M_1}, \theta^{M_2}], forward fill)$ $s \leftarrow Sort([\theta^1, ..\theta^n], peak\ power)$ 4 for $Appliance n \in s$ do Appliance to Mains mapping $\begin{array}{l} \text{if } \theta_t^n > \theta_t^{M_1} \ for \ any \ t \in 1, T \ \text{then} \\ \big\lfloor \ Mapping[n] = 2 \end{array}$ else if $\theta^n_t > \theta^{M_2}_t$ for any $t \in 1, T$ then $\lfloor Mapping[n] = 1$ 6 else if $n \in B$ then 7 $w \leftarrow$ 8 $Contiguous\_Below\_Mean(\theta^{M_1}, 2 hours)$ else if $n \in F$ then 9 $w \leftarrow Greater\_Than(\theta^n, 100)$ else 10 if $Step\_Changes(\theta^n, 15, w).Times \subset$ 11 $Step\_Changes(\theta^{M_1}, 15, w)$ . Times& $\hat{Step}$ \_Changes( $\theta^n$ , 15, $\hat{w}$ ).Magnitude $\div$ $Step\_Changes(\theta^{\dot{M}_1}, 15, w).Magnitude \approx$ Constant C then Mapping[n] = 1else 12 Mapping[n] = 2Calibration $\theta^n \leftarrow \theta^n * Step\_Changes(\theta^n, 15, w). Magnitude$ 13 $\div Step\ Changes(\theta^{M_{Mapping[n]}}, 15, w).Magnitude$ $\theta^n \leftarrow Normalize(\theta^n, v)$ 14 $\theta^{M_{Mapping[n]}} \leftarrow \theta^{M_{Mapping[n]}} - \theta^n$ 15 Clustering $\mu_k^n \leftarrow Cluster(\theta^n, K, kmeans + +) for k \in 1, K$ 17 Solve combinatorial optimization using equations 1-6 18 return $v^n$

• RMS Error (RE Watts): RMS error in power assignment to an appliance n per time slice t given by:

$$RE(n) = \sqrt{\frac{1}{T} \sum_{t=1}^{T} (\theta_t^n - y_t^n)^2}$$
 (9)

Since both these quantities represent error, the lesser they are the better is the prediction.

#### B. Empirical Analysis

We performed empirical analysis on REDD dataset Home 2, which consists of 11 channels (including 2 mains and 9

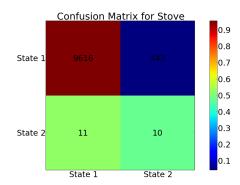


Fig. 4: Confusion Matrix showing predicted state accuracy for Stove

appliances). We believe that the same analysis can be easily repeated across multiple homes. We aligned the data and downsampled it to one minute using mean filter. Since we had two weeks of clean data, we used the first week as the train set and the second week as the test set. We used INDiC algorithm described earlier to assign loads to different mains and calibrate appliance data. Table II shows the assignment of loads to different mains. Further this table also shows the learnt power states of these appliance via k-means++ clustering (which for several reasons is considered better than k-means) [13]. Refrigerator and lighting showed significant difference in power states post calibration. Based on prior experience and appliance circuity, we believe that since only these two appliances needed calibration, it may be a case that the appliance level monitor measured real power instead of apparent power. These loads constitute a major chunk of Mains 2 power. Figure 5 shows the reduction in unassigned power due to calibrating these two appliances. Two loads - washer dryer and disposal did not have significant usage and we chose not to consider them in the analysis.

To show the significance of load division and calibration, we applied Combinatorial optimization on the test set, considering 4 possible cases: i) no calibration, no load division; ii) no calibration, load division; iii) calibration, no load division; iv) calibration, load division. These results are presented in Table III. For the overall dataset, it can be seen that MNE reduces from 187% to 39%, RE reduces from 478 W to 168 W, after applying INDiC. All appliances show reduction in MNE and RE after applying INDiC. However, there is significant improvement in correctly predicting refrigerator and lighting. Figure 6 shows the confusion matrix for refrigerator prediction pre and post applying INDiC. It can be seen that after applying INDiC there is a vast improvement in predicting refrigerator's state 0 and 1.

We had used Combinatorial Optimization which is the simplest NIALM technique to show the improvements which can be made by load division and appliance calibration. We believe that using state of the art NIALM algorithms will improve the results by leaps and bounds.

## VI. CONCLUSION

The conclusion goes here. We also provide mains load assignment of all 6 homes from REDD to further the research in this direction.

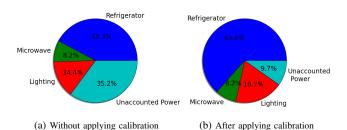


Fig. 5: Mains 2 Break down by load

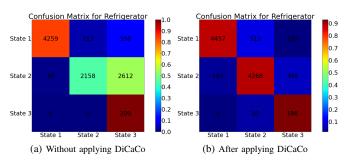


Fig. 6: Confusion Matrix for refrigerator disaggregation

TABLE II: Calibration Factors, Mains Assignment and States

Appliance	Mains	States Power (W)						
		Pre calibration			Post calibration			
Refrigerator	2	7	162	423	9	210	423 <sup>3</sup>	
Microwave	2	10	832	1730	10	832	1730	
Lighting	2	9	96	156	10	110	178	
Dishwasher	1	0	256	1195	0	256	1195	
Stove	1	0	374	-	0	374	-	
Kitchen	1	5	727	-	5	727	-	
Kitchen 2	1	1	204	1032	1	204	1032	

TABLE III: Mean Normalized Error and RMS error with and without DiCaCo NIALM

	Without Recalibration				With Recalibration			
		nout Load With Load ivision Division		Without Load Division		With Load Division		
Appliance	R.E.	M.N.E.	R.E.	M.N.E.	R.E.	M.N.E.	R.E.	M.N.E.
	Watts	%	Watts	%	Watts	%	Watts	%
Refrigerator	136	109	71	32	130	95	59	21
Microwave	102	98	97	110	104	97	96	109
Lighting	51	164	48	195	44	83	38	60
Dishwasher	406	2947	63	100	377	2517	63	100
Stove	77	1191	36	281	75	1118	36	281
Kitchen	64	182	58	168	69	196	58	168
Kitchen 2	95	267	91	117	92	230	91	117
Overall	478	187	161	58	450	157	168	39

## VII. FUTURE WORK

- Applying model on noisy datasets
- 2 D CO (when Real and Reactive Power are known)
- Factoring in Time of Day etc.
- Factoring in Appliance Correlation
- Factor in switch continuity, essentially leads to Factorial HMM
- Distributed NILM
- Adaptive Learning

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