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# GENERATIVE ADVERSARIAL NETWORK

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(GAN)

Conflict or opposition

GAN are deep neural net architectures comprised of two neural networks, competing one against the other (i.e why adversarial)





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→ GAN are neural networks that are trained in an adversarial manner to generate data imitating some distribution



→ Two classes of models in machine learning

(a) Discriminative model: It is the one that discriminates between two different classes of data.

(b) Generative model: A generative model  $G$  to be trained on training data  $X$  sampled from some true distribution  $D$  is the one which, given some standard random distribution



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→ GAN are neural networks that are trained in an adversarial manner to generate data mimicking some distribution

→ Two classes of models in machine learning

(a) Discriminative model → classification problems  
discriminates between two different classes of data.

It is the one that  
0 }  
1 }

(b) Generative model: A generative model  $G_1$  to be trained on training data × sampled from some true distribution  
D is the one which, given some standard random distribution



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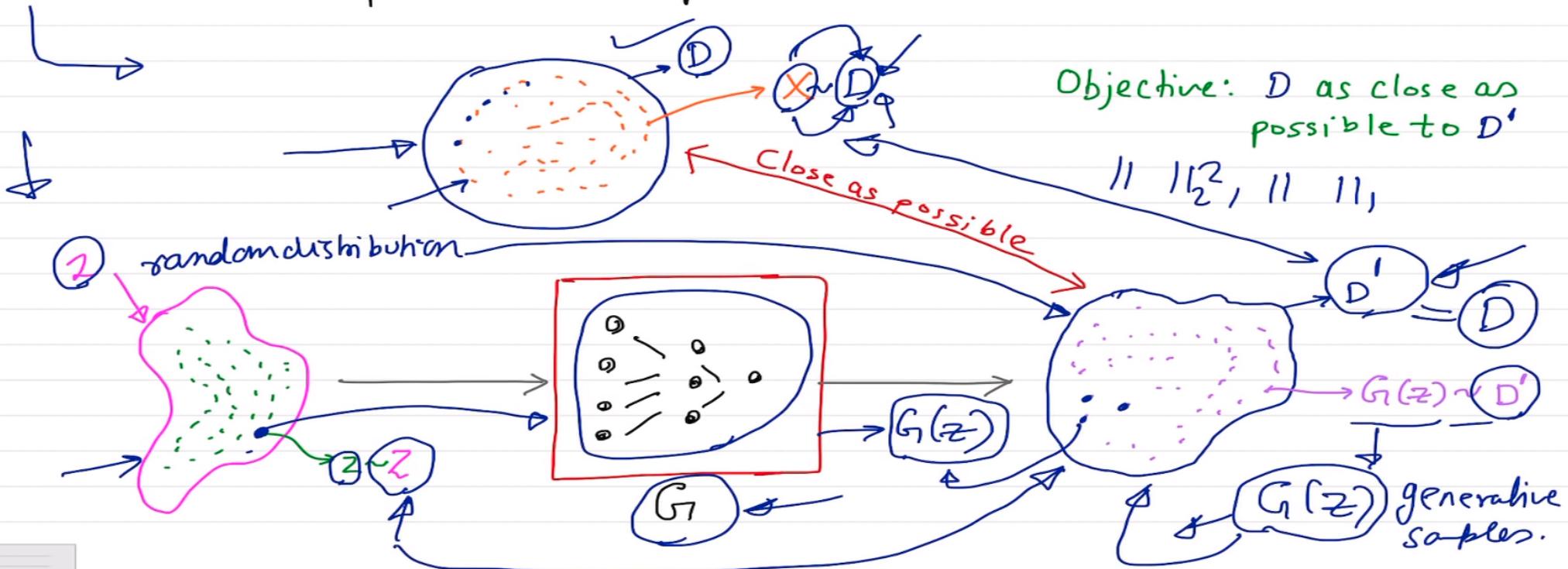
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$\mathbb{Z}$  produces a distribution  $D'$  which is close to  $D$  according to some closeness metric. Mathematically,

$z \sim \mathbb{Z}$  maps to a sample  $G(z) \sim D'$





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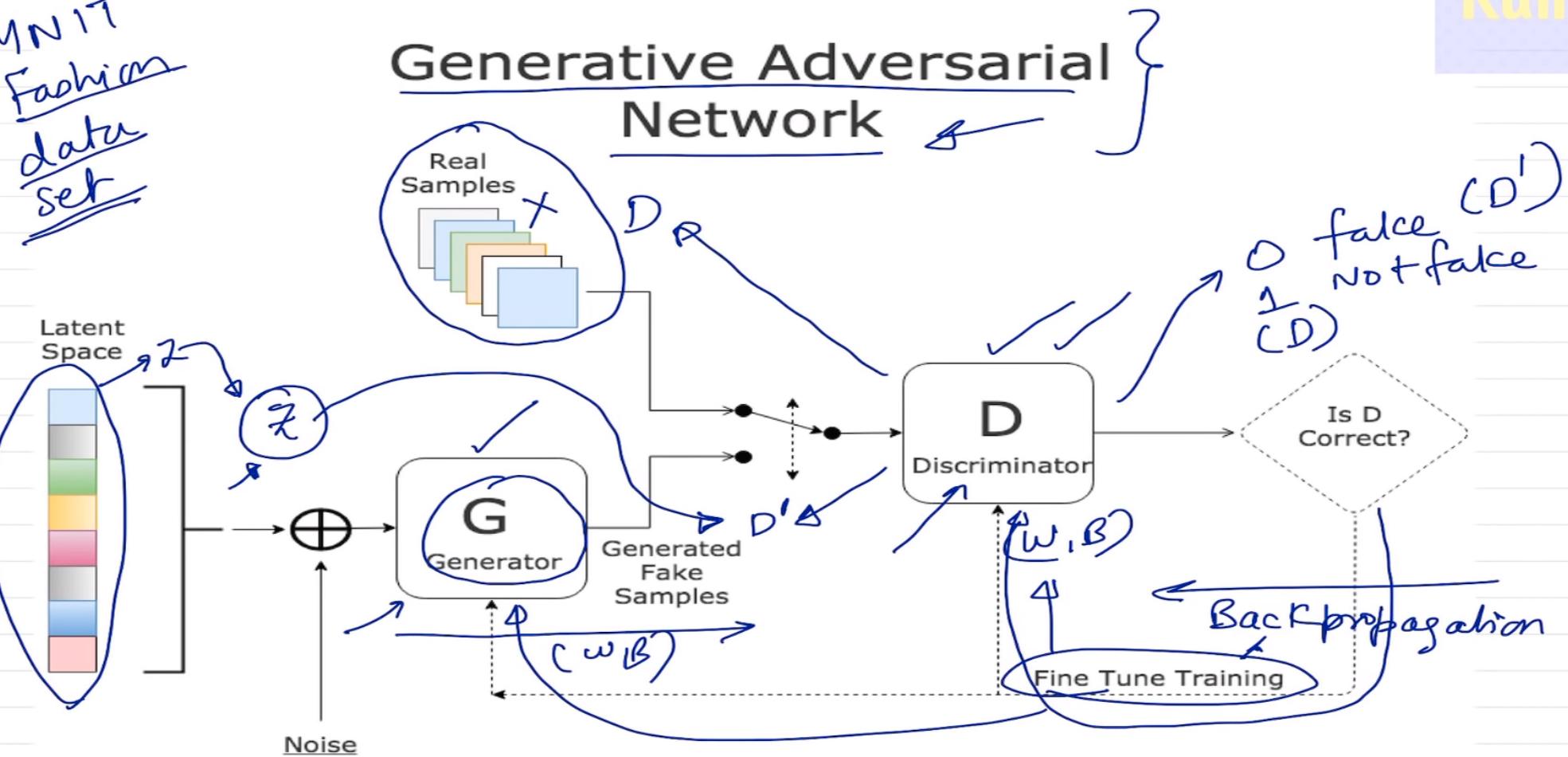
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data  
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## Generative Adversarial Network



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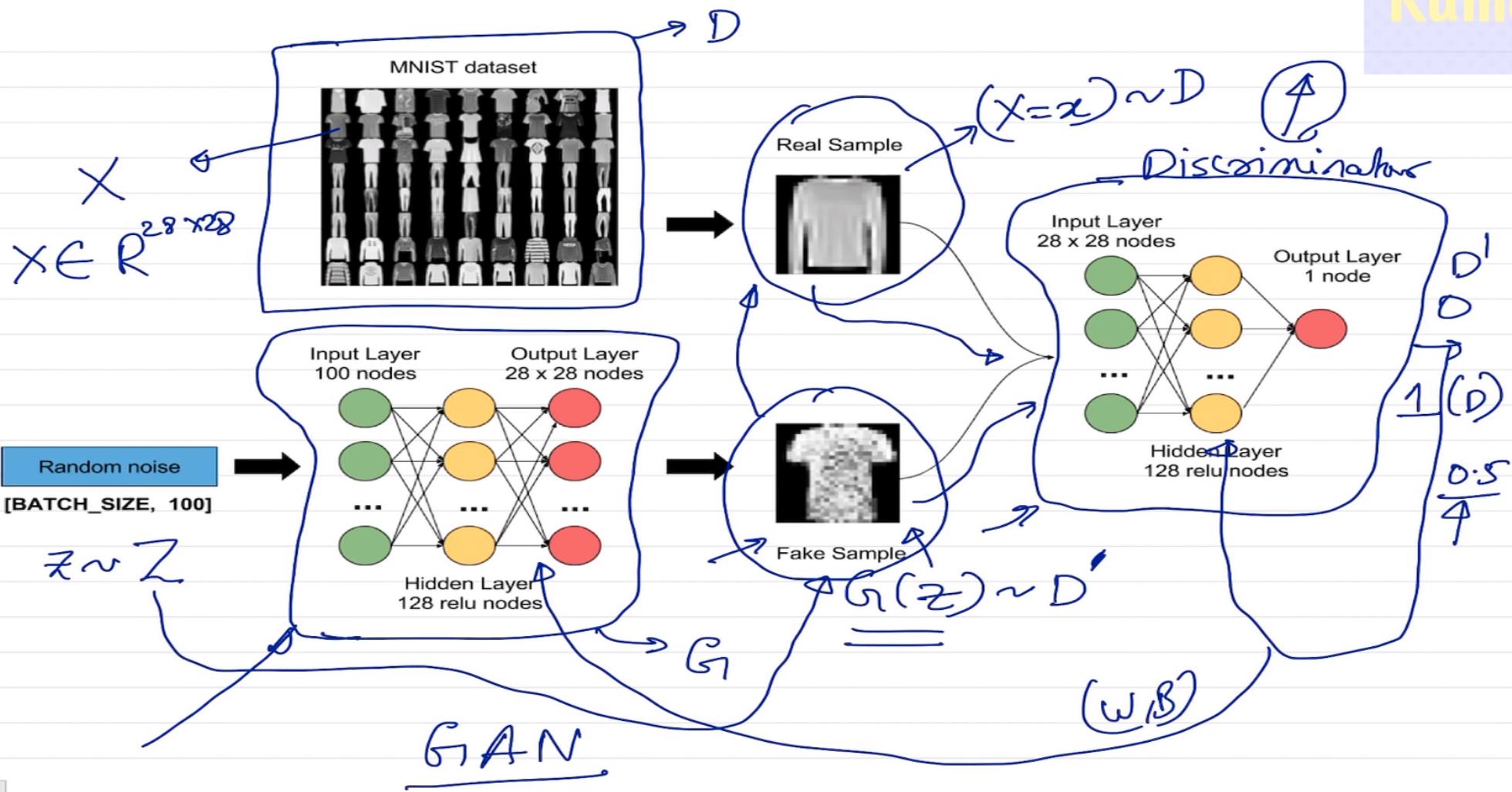
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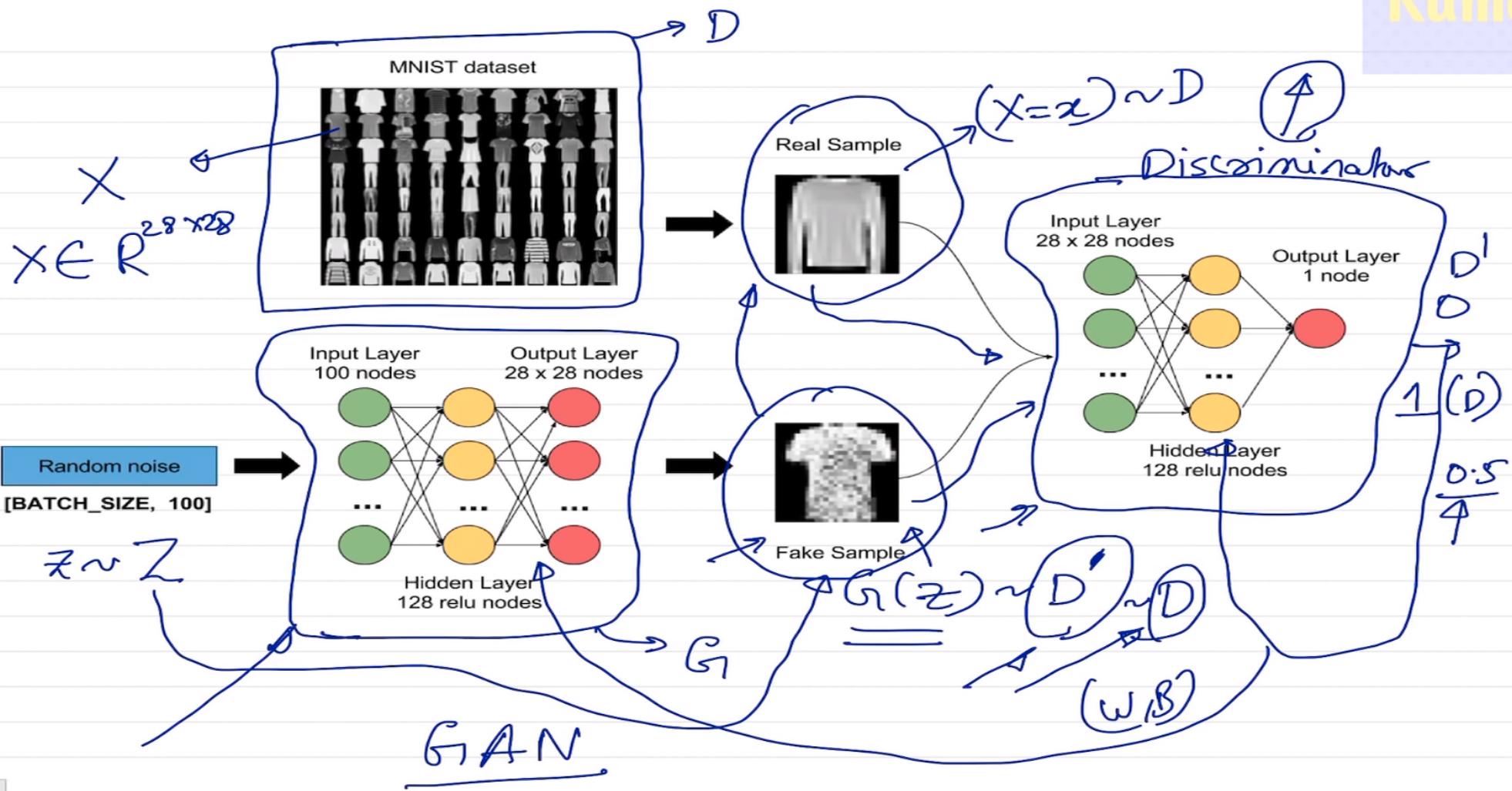
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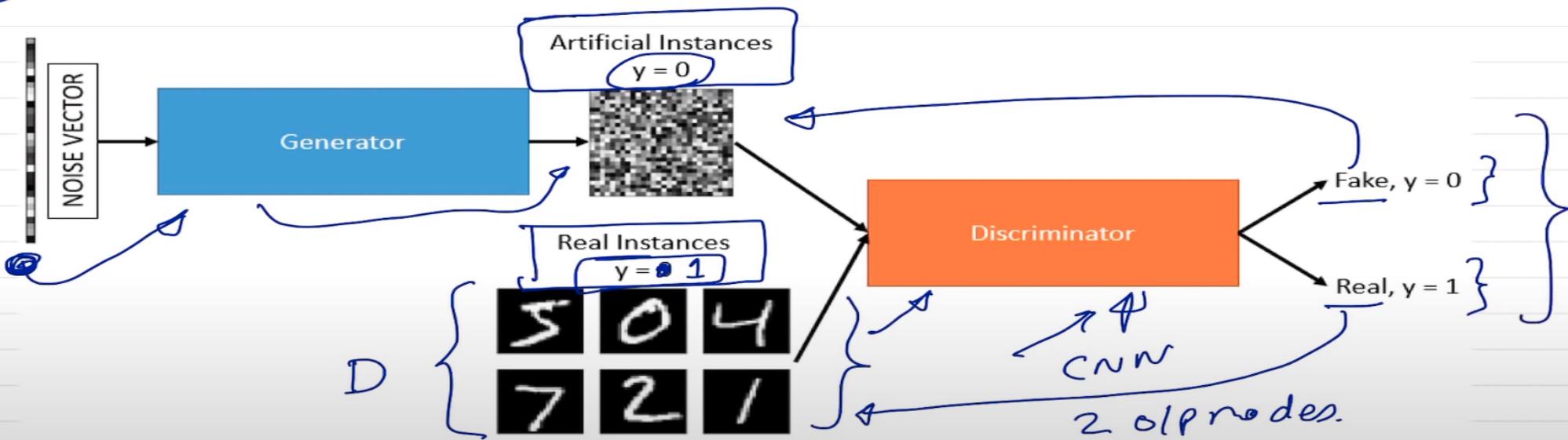
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Learning Mechanism ( $w, b$ )

Training the Discriminator  $\rightarrow$  Backprop ( $D, G$ )





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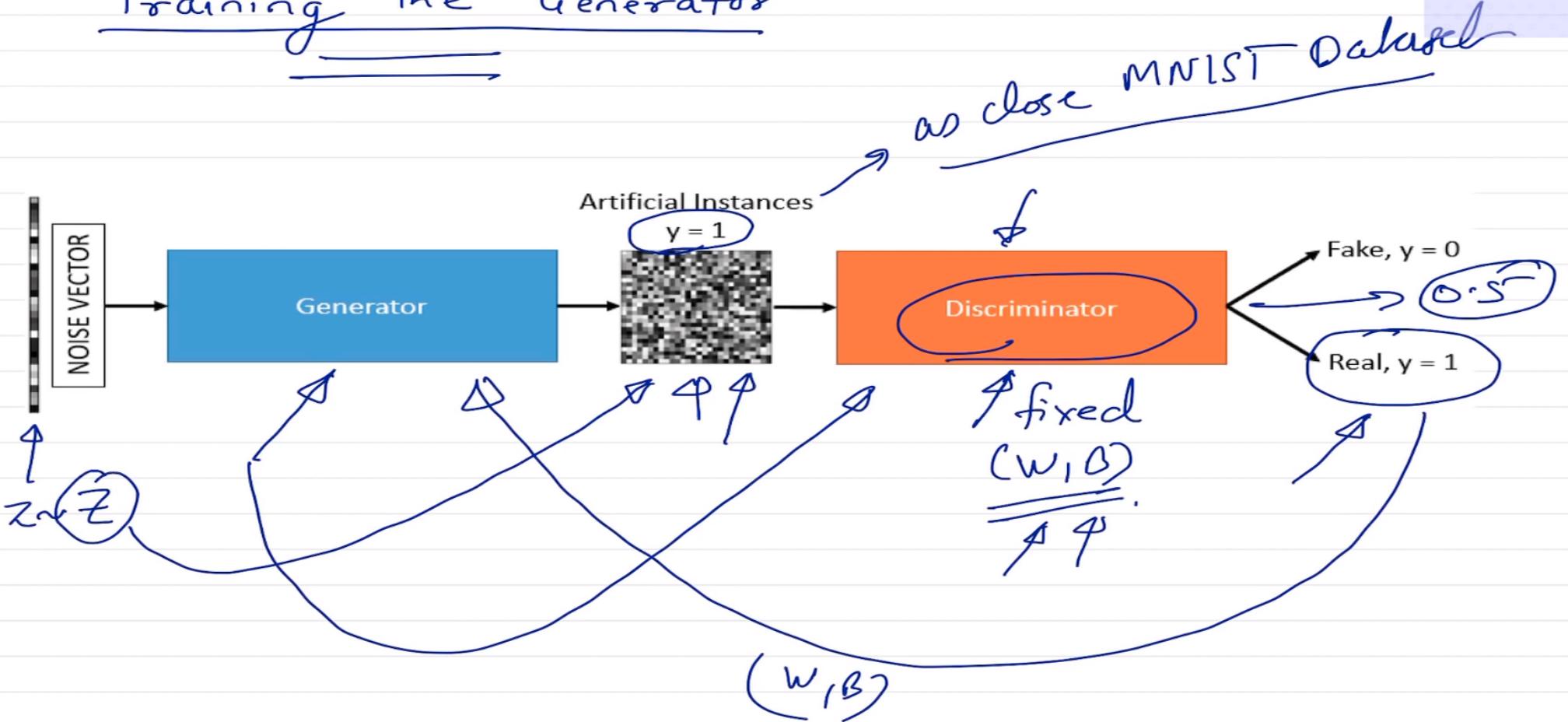
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## Training the Generator





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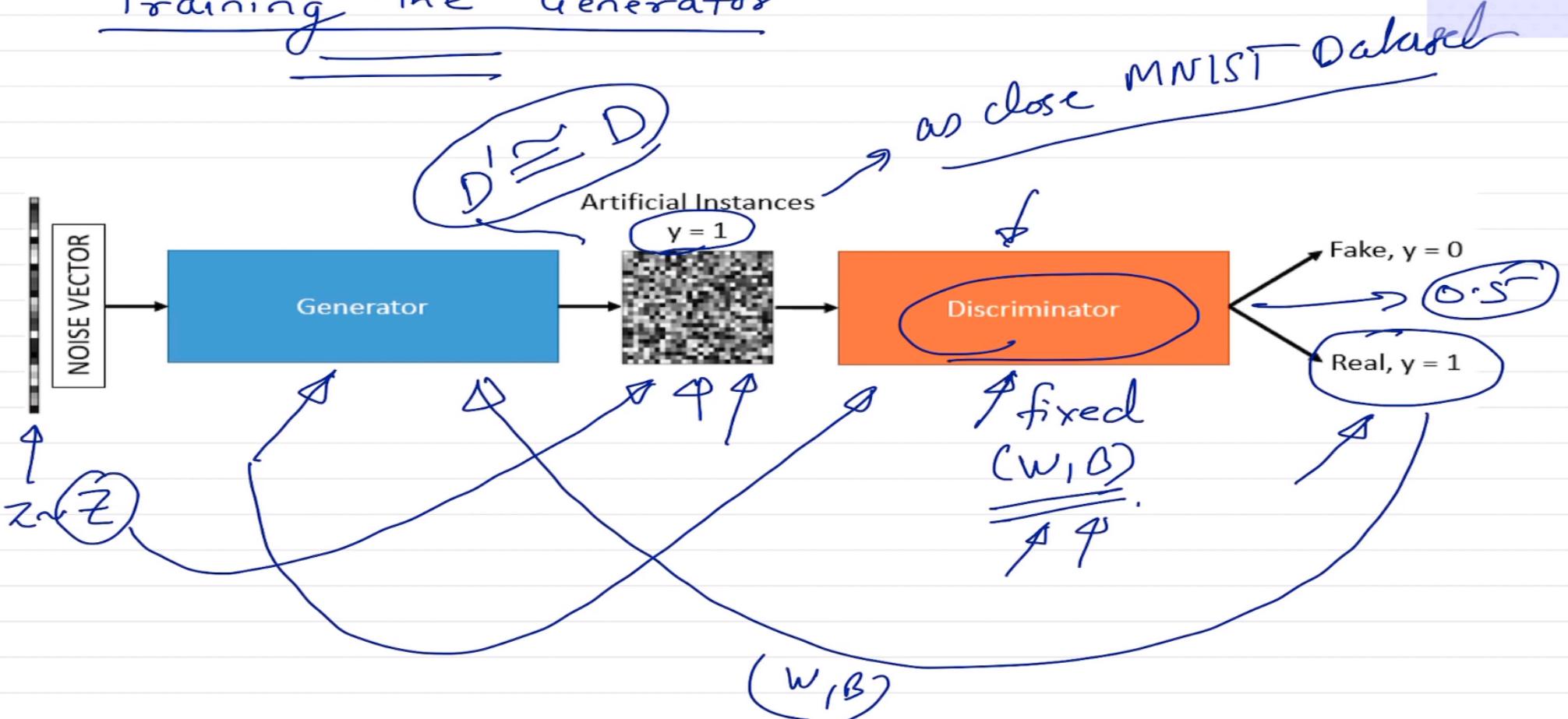
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## Training the Generator





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## → Loss Function of GAN

- ⊗ Discriminator: Role is to distinguish between actual data & fake data
- ⊗ Generator: Role is to create data in such a way so that it can fool the discriminator.





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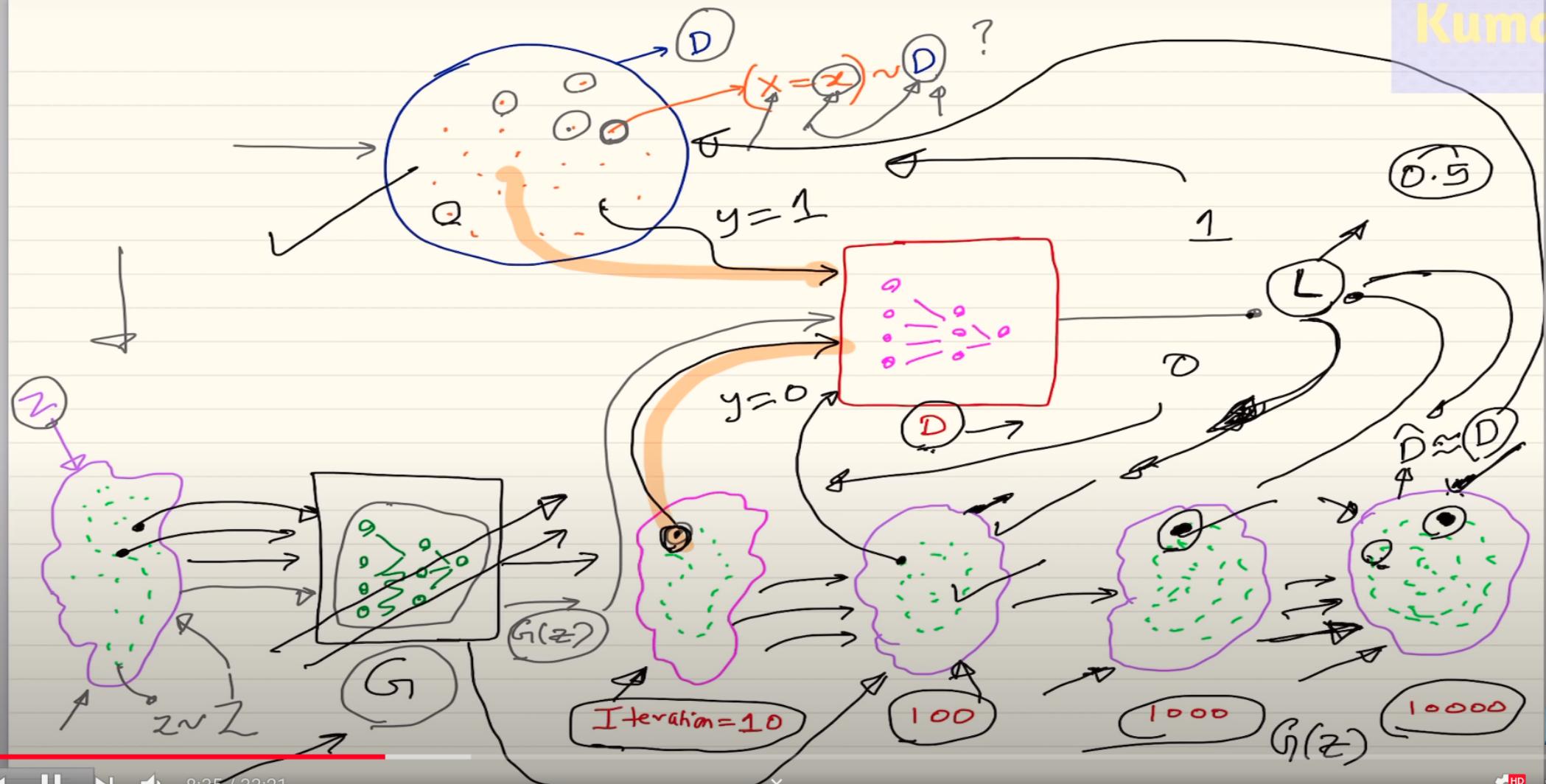
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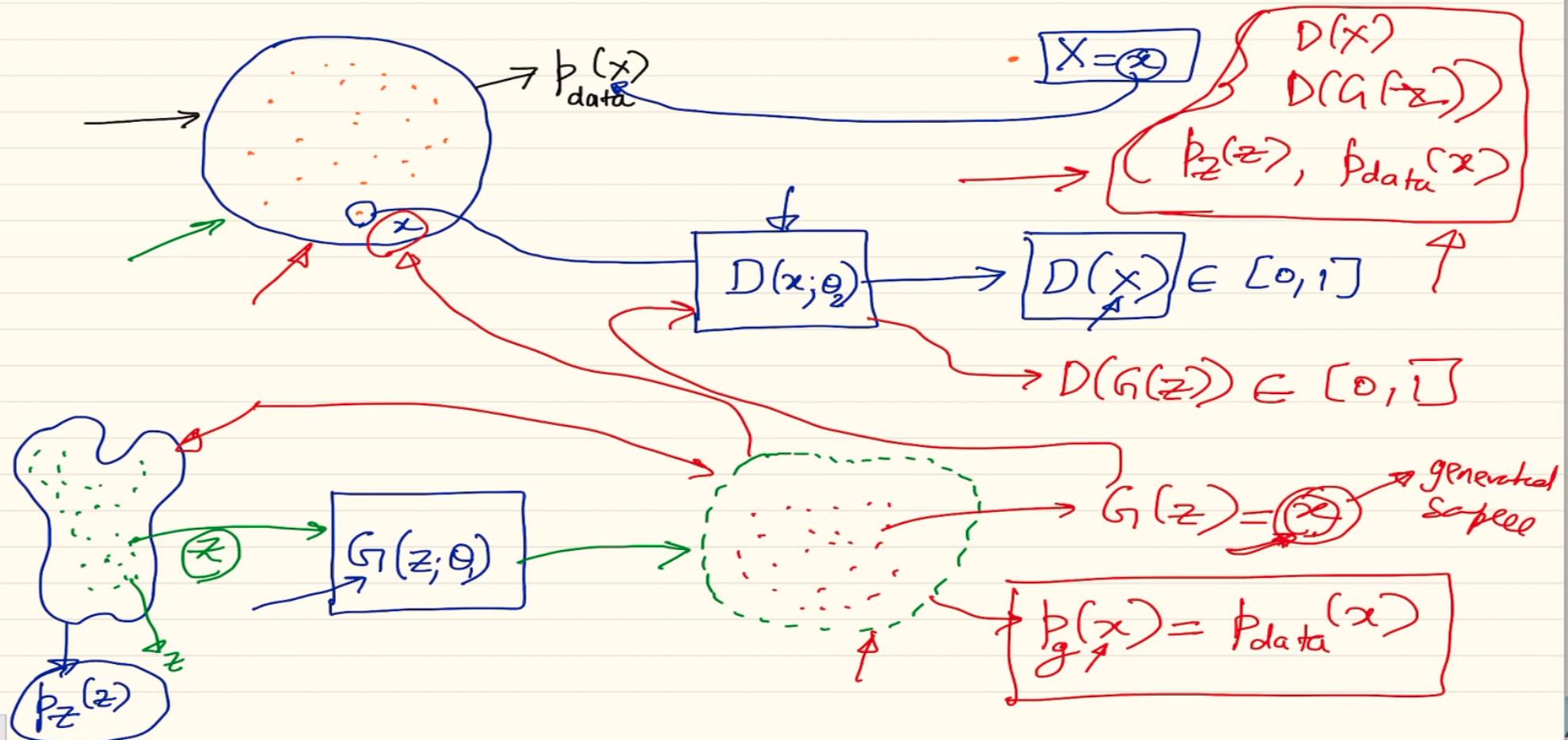
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## Basic Conventions to understand Loss function





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Loss function (Binary cross-entropy)

$$L(\hat{y}, y) = \left[ y \log \hat{y} + (1-y) \log (1-\hat{y}) \right]$$

$\hat{y}$  = reconstructed image

$y$  = original image

The label for the data coming from  $p_{\text{data}}(x)$  is  $y = 1$

&  $\hat{y} = D(x)$  so putting this we obtain

$$L(D(x), 1) = \log(D(x)) - A$$

& for data coming from generator the label is  $y = 0$  &  $\hat{y} = D(G(x))$

so in that case

$$L(D(G(x)), 0) = (1-0) \log(1-D(G(x))) = \log(1-D(G(x)))$$

B



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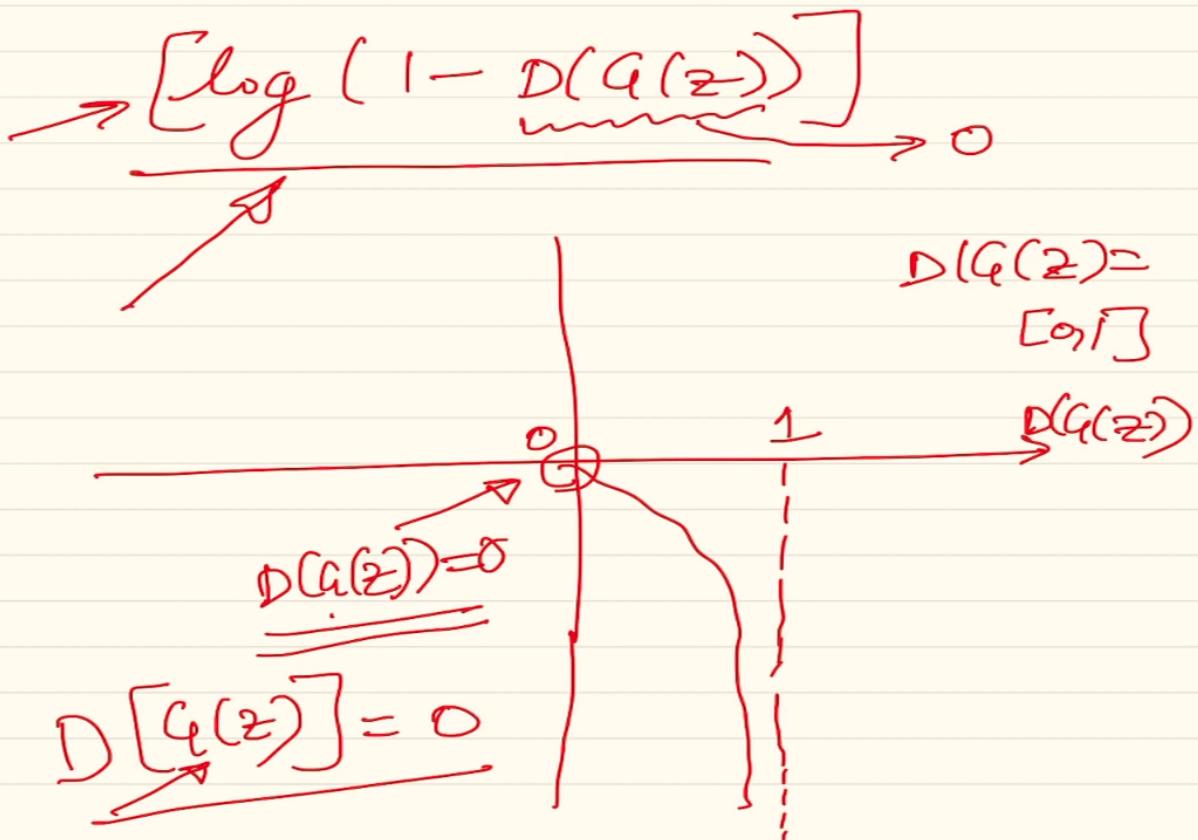
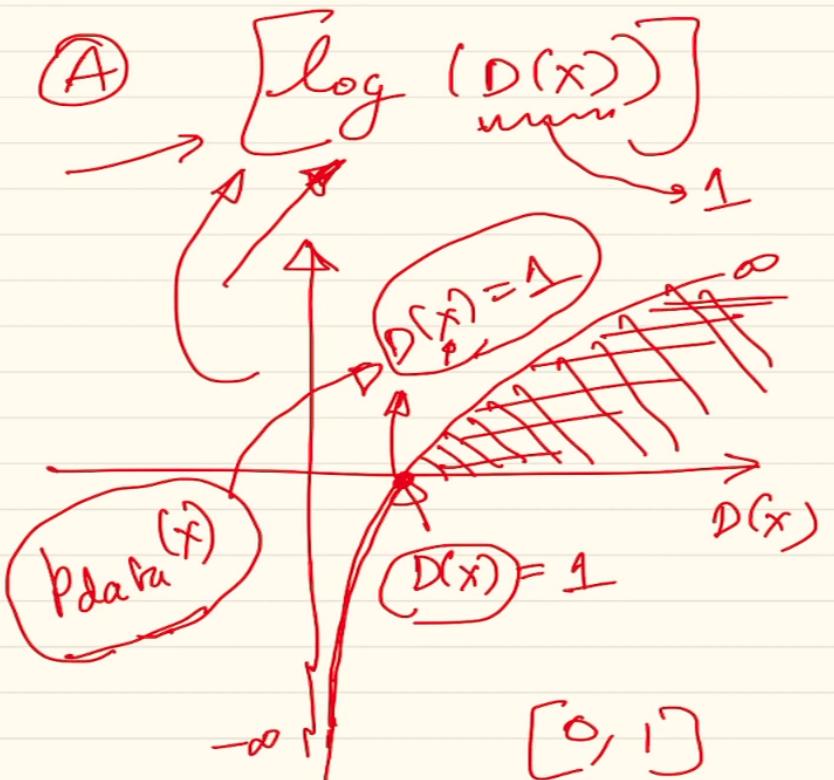
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Objective of the discriminator is to correctly classify fake vs the real dataset. For this  $\textcircled{A}$  &  $\textcircled{B}$  should be maximized



$$D[G(z)] = 0.5$$

$$D[G(z)]$$



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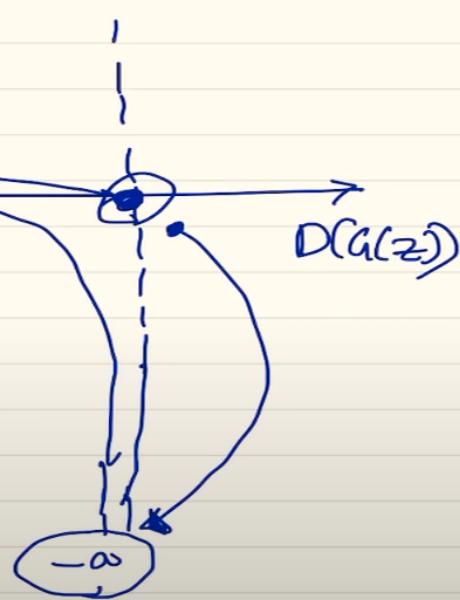
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$$\max \left\{ \log(D(x)) + \log(1 - D(G(z))) \right\} = D$$

$$D(G(z)) = 1 \rightarrow \log(1 - D(G(z)))$$

$$D(G(z)) = 1$$

$$\min \left[ \log(D(x)) + \log(1 - D(G(z))) \right]$$



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$$\min_G \max_D \left\{ \log(D(x)) + \log(1 - D(G(z))) \right\}$$

↓

Goodfellow 2014.

$$\min_G \max_D V(D, G) = E_{x \sim p_{\text{data}}(x)} [\log(D(x))] + E_{z \sim p_z(z)} [\log(1 - D(G(z)))]$$





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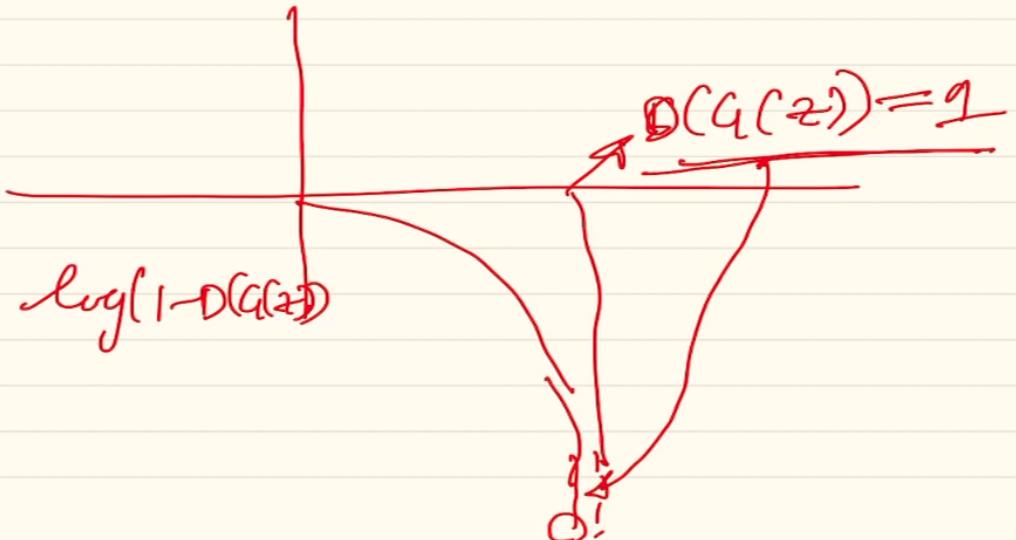
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$$y = 0, \hat{y} = D(G(z))$$

$$L(D(G(z)), 0) = \underbrace{\mathcal{L}(1) \log [1 - D(G(z))]}_{\text{min}}$$

$$D[G(z)] = 1$$





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$$\max \left\{ \log(D(x)) + \log(1 - D(G(z))) \right\} = D$$

$D(G(z)) = 1 \rightarrow \log(1 - D(G(z)))$

$D(G(z)) = 1$

$\min \left[ \log(D(x)) + \log(1 - D(G(z))) \right]$



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$$\min_G \max_D \left\{ \log(D(x)) + \log(1 - D(G(z))) \right\}$$

↙

Goodfellow 2014.

$$\min_G \max_D V(D, G) = \left\{ \begin{array}{l} E_{x \sim p_{\text{data}}(x)} [\log(D(x))] + \\ E_{z \sim p_z(z)} [\log(1 - D(G(z)))] \end{array} \right\}$$

↗

